

深度学习-目标检测篇

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YOLOv3 SPP

Mosaic图像增强

SPP模块

CIoU Loss

Focal loss

Model	Size	COCO mAP @0.5:0.95	COCO mAP @0.5
YOLOv3	512	32.7	57.7
YOLOv3-SPP	512	35.6	59.5
YOLOv3-SPP-ultralytics	512	42.6	62.4

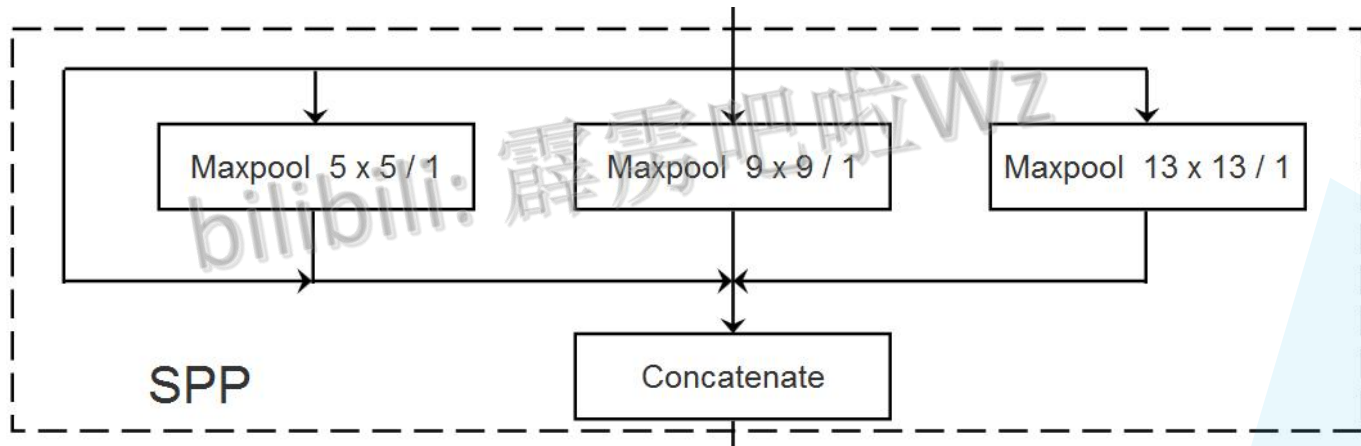
YOLOv3 SPP

SPP模块

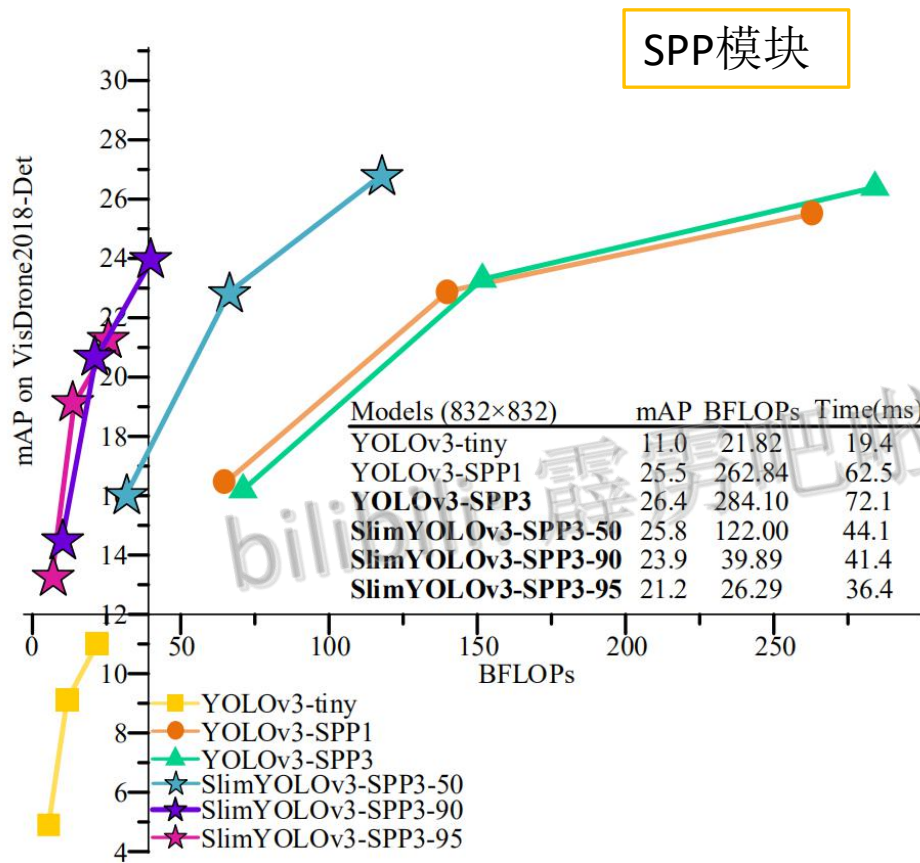
实现了不同尺度的特征融合

注意：这里的SPP和SPPnet中的SPP结构不一样

Spatial Pyramid Pooling



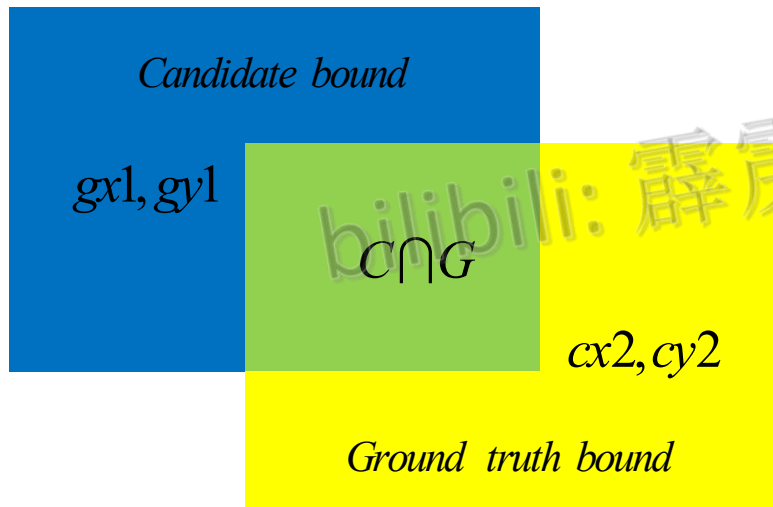
YOLOv3 SPP



在多个yolo layer前
加入了SPP模块

YOLOv3 SPP

CloU Loss

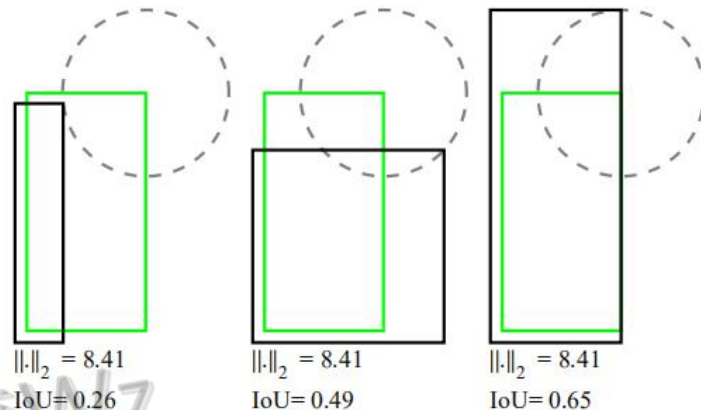
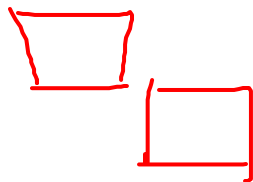
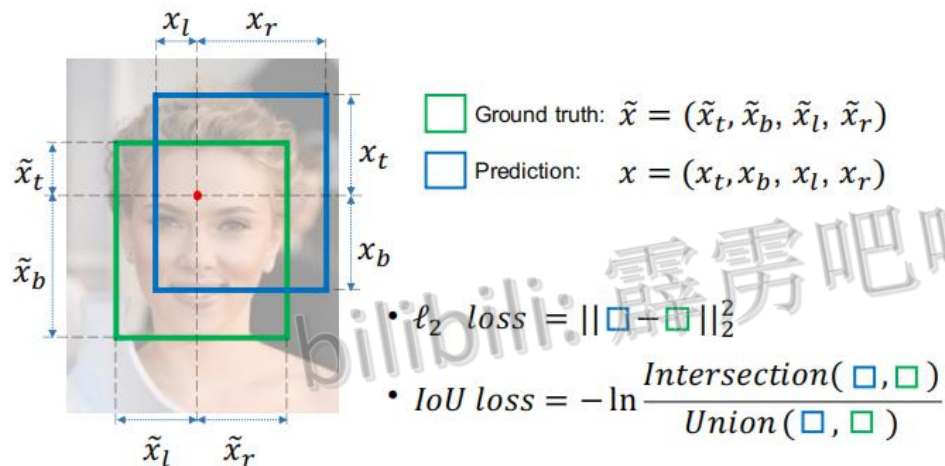


$$IoU = \frac{area(C) \cap area(G)}{area(C) \cup area(G)}$$

推荐博文: <https://zhuanlan.zhihu.com/p/94799295>

YOLOv3 SPP

IoU Loss



优点

1. 能够更好的反应重合程度
2. 具有尺度不变性

缺点

1. 当不相交时loss为0

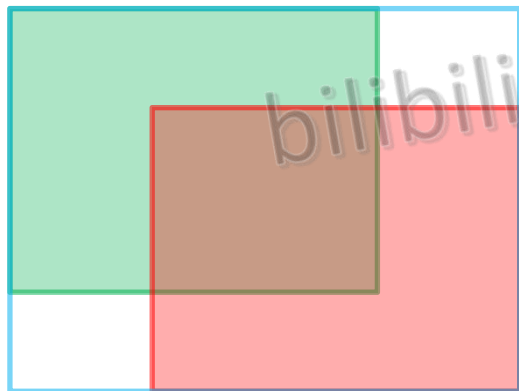
Figure 1: Illustration of IoU loss and ℓ_2 loss for pixel-wise bounding box prediction.

YOLOv3 SPP

GIoU Loss

Generalized IoU

$$GIoU = IoU - \frac{A^c - u}{A^c}$$
$$-1 \leq GIoU \leq 1$$



$$L_{GIoU} = 1 - GIoU$$

$$0 \leq L_{GIoU} \leq 2$$

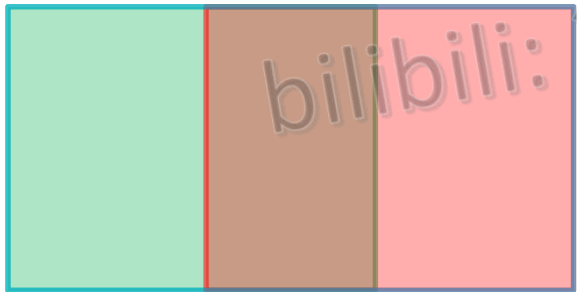
Table 1. Comparison between the performance of **YOLO v3** [21] trained using its own loss (MSE) as well as \mathcal{L}_{IoU} and \mathcal{L}_{GIoU} losses. The results are reported on the **test set of PASCAL VOC 2007**.

Loss / Evaluation	AP		AP75	
	IoU	GIoU	IoU	GIoU
MSE [21]	.461	.451	.486	.467
\mathcal{L}_{IoU}	.466	.460	.504	.498
Relative improv %	1.08%	2.02%	3.70%	6.64%
\mathcal{L}_{GIoU}	.477	.469	.513	.499
Relative improv %	3.45%	4.08%	5.56%	6.85%

YOLOv3 SPP

GIoU Loss

$$GIoU = IoU - \frac{A^c - u}{A^c}$$



GIoU退化成IoU

YOLOv3 SPP

DIoU Loss

Distance-IoU

L_{IoU} **Slow Convergence**
 L_{GIoU} **Inaccurate Regression**

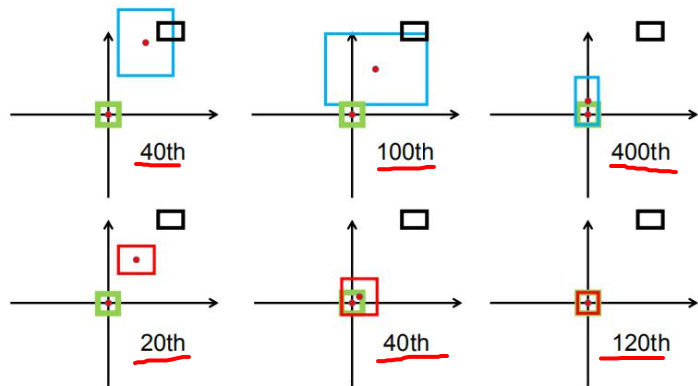


Figure 1: Bounding box regression steps by GIoU loss (first row) and DIoU loss (second row). **Green** and **black** denote **target** box and **anchor** box, respectively. **Blue** and **red** denote predicted boxes for **GIoU** loss and **DIoU** loss, respectively. GIoU loss generally increases the size of predicted box to overlap with target box, while DIoU loss directly minimizes normalized distance of central points.

如何更快的收敛?
如何达到更高的定位精度?

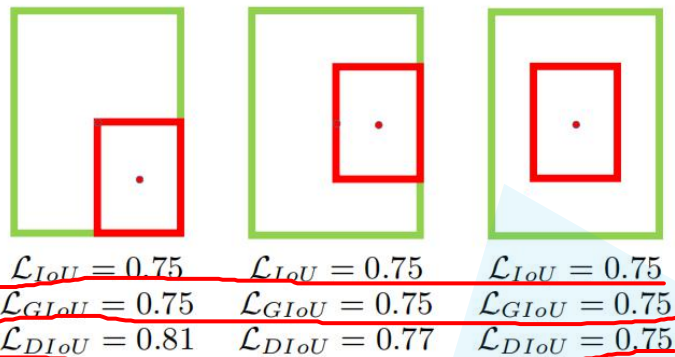


Figure 2: GIoU loss degrades to IoU loss for these cases, while our DIoU loss is still distinguishable. **Green** and **red** denote **target** box and **predicted** box respectively.

YOLOv3 SPP

DIoU Loss

$$DIoU = IoU - \frac{\rho^2(b, b^{gt})}{c^2} = IoU - \frac{d^2}{c^2}$$

$$-1 \leq DIoU \leq 1$$

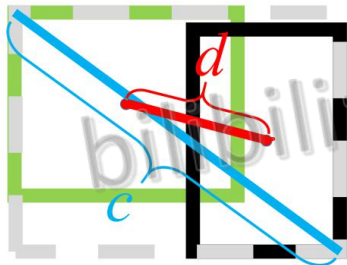


Figure 5: DIoU loss for bounding box regression, where the normalized distance between central points can be directly minimized. c is the diagonal length of the smallest enclosing box covering two boxes, and $d = \rho(\mathbf{b}, \mathbf{b}^{gt})$ is the distance of central points of two boxes.

DIoU损失能够直接最小化两个boxes之间的距离，因此收敛速度更快。

$$L_{DIoU} = 1 - DIoU$$

$$0 \leq L_{DIoU} \leq 2$$

Loss / Evaluation	AP	
	IoU	GIoU
\mathcal{L}_{IoU}	<u>46.57</u>	45.82
\mathcal{L}_{GIoU}	<u>47.73</u>	46.88
Relative improv. %	2.49%	2.31%
\mathcal{L}_{DIoU}	<u>48.10</u>	47.38
Relative improv. %	3.29%	3.40%

YOLOv3 SPP

CIoU Loss

Complete-IoU

$$CIoU = IoU - \left(\frac{\rho^2(b, b^{gt})}{c^2} + \alpha v \right)$$

$$v = \frac{4}{\pi^2} \left(\arctan \frac{w^{gt}}{h^{gt}} - \arctan \frac{w}{h} \right)^2$$

$$\alpha = \frac{v}{(1 - IoU) + v}$$

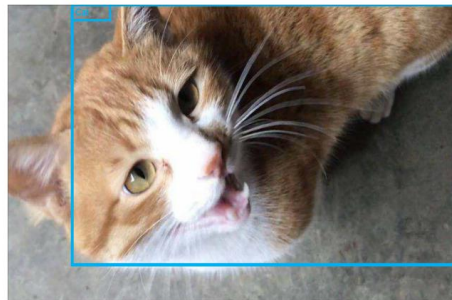
一个优秀的回归定位损失应该考虑到3种几何参数：

重叠面积 中心点距离 长宽比

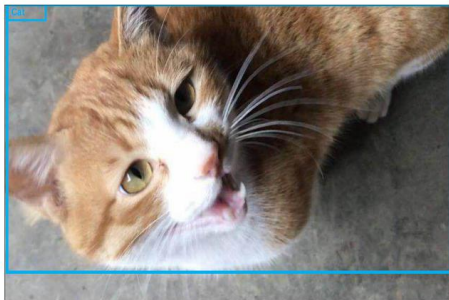
$$L_{CIoU} = 1 - CIoU$$

Loss / Evaluation	AP		AP75	
	IoU	GIoU	IoU	GIoU
\mathcal{L}_{IoU}	<u>46.57</u>	45.82	49.82	48.76
\mathcal{L}_{GIoU}	<u>47.73</u>	46.88	<u>52.20</u>	51.05
Relative improv. %	2.49%	2.31%	4.78%	4.70%
\mathcal{L}_{DIoU}	<u>48.10</u>	47.38	52.82	51.88
Relative improv. %	3.29%	3.40%	6.02%	6.40%
\mathcal{L}_{CIoU}	<u>49.21</u>	<u>48.42</u>	<u>54.28</u>	<u>52.87</u>
Relative improv. %	<u>5.67%</u>	<u>5.67%</u>	<u>8.95%</u>	<u>8.43%</u>
$\mathcal{L}_{CIoU}(D)$	<u>49.32</u>	<u>48.54</u>	<u>54.74</u>	<u>53.30</u>
Relative improv. %	<u>5.91%</u>	<u>5.94%</u>	<u>9.88%</u>	<u>9.31%</u>

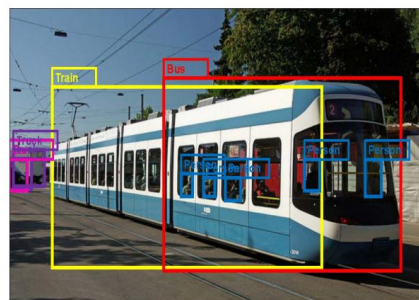
YOLOv3 SPP



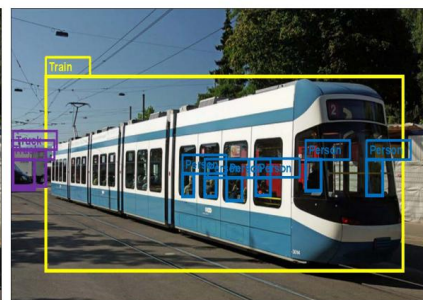
\mathcal{L}_{GIoU}



\mathcal{L}_{CIoU}



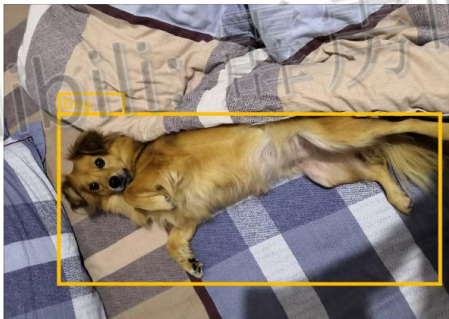
\mathcal{L}_{GIoU}



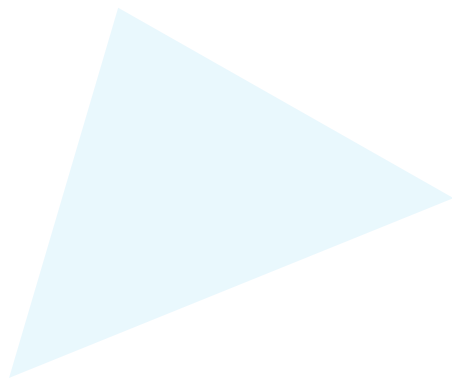
\mathcal{L}_{CIoU}



\mathcal{L}_{GIoU}



\mathcal{L}_{CIoU}



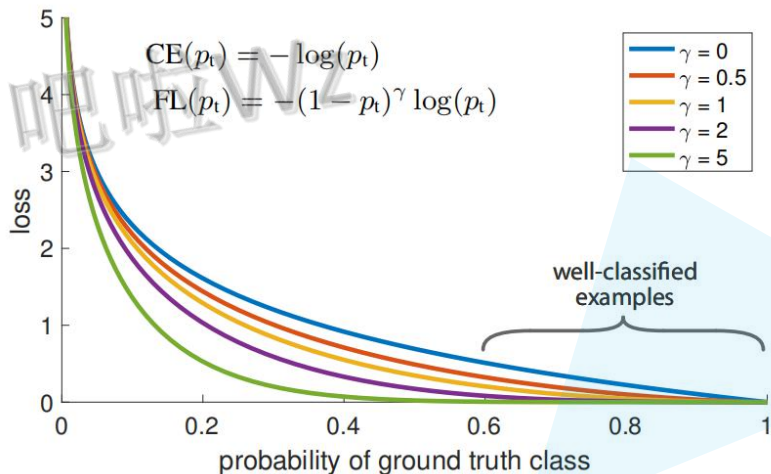
YOLOv3 SPP

Focal loss

Focal loss. We tried using focal loss. It dropped our mAP about 2 points. YOLOv3 may already be robust to the problem focal loss is trying to solve because it has separate objectness predictions and conditional class predictions. Thus for most examples there is no loss from the class predictions? Or something? We aren't totally sure.

γ	α	AP	AP ₅₀	AP ₇₅
0	.75	31.1	49.4	33.0
0.1	.75	31.4	49.9	33.1
0.2	.75	31.9	50.7	33.4
0.5	.50	32.9	51.7	35.2
1.0	.25	33.7	52.0	36.2
2.0	.25	34.0	52.5	36.5
5.0	.25	32.2	49.6	34.8

(b) Varying γ for FL (w. optimal α)



YOLOv3 SPP

Focal loss

One-stage object detection model

Class Imbalance

一张图像中能够匹配到目标的候选框(正样本)个数一般只有十几个或几十个, 而没匹配到的候选框(负样本)大概有 10^4 – 10^5 个。

在这 10^4 – 10^5 个未匹配到目标的候选框中大部分都是简单易分的负样本(对训练网络起不到什么作用, 但由于数量太多会淹没掉少量但有助于训练的样本)。

$$50 \times 3 = 150$$

$$100,000 \times 0.1 = 10,000$$

degenerate models

hard negative mining



method	batch size	nms thr	AP	AP ₅₀	AP ₇₅
OHEM	128	.7	31.1	47.2	33.2
OHEM	256	.7	31.8	48.8	33.9
OHEM	512	.7	30.6	47.0	32.6
OHEM	128	.5	<u>32.8</u>	50.3	35.1
OHEM	256	.5	31.0	47.4	33.0
OHEM	512	.5	27.6	42.0	29.2
OHEM 1:3	128	.5	31.1	47.2	33.2
OHEM 1:3	256	.5	28.3	42.4	30.3
OHEM 1:3	512	.5	24.0	35.5	25.8
FL	n/a	n/a	36.0	54.9	38.7

(d) FL vs. OHEM baselines (with ResNet-101-FPN)

YOLOv3 SPP

3. Focal Loss

The *Focal Loss* is designed to address the one-stage object detection scenario in which there is an extreme imbalance between foreground and background classes during training (e.g., 1:1000). We introduce the focal loss starting from the cross entropy (CE) loss for binary classification¹:

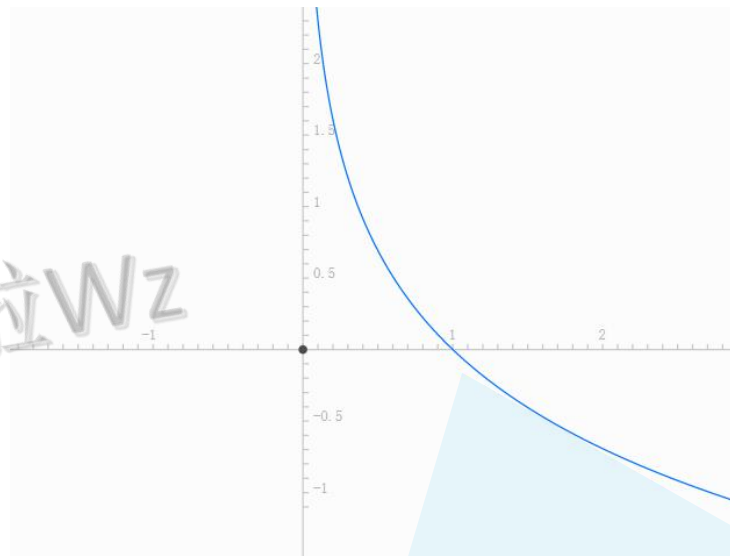
$$\text{CE}(p, y) = \begin{cases} -\log(p) & \text{if } y = 1 \\ -\log(1 - p) & \text{otherwise.} \end{cases} \quad (1)$$

In the above $y \in \{\pm 1\}$ specifies the ground-truth class and $p \in [0, 1]$ is the model's estimated probability for the class with label $y = 1$. For notational convenience, we define p_t :

$$p_t = \begin{cases} \underline{p} & \text{if } y = 1 \\ \underline{1 - p} & \text{otherwise,} \end{cases} \quad (2)$$

and rewrite $\text{CE}(p, y) = \text{CE}(p_t) = -\log(p_t)$.

$$y = -\ln(x)$$



YOLOv3 SPP

3.1. Balanced Cross Entropy

A common method for addressing class imbalance is to introduce a weighting factor $\alpha \in [0, 1]$ for class 1 and $1 - \alpha$ for class -1 . In practice α may be set by inverse class frequency or treated as a hyperparameter to set by cross validation. For notational convenience, we define α_t analogously to how we defined p_t . We write the α -balanced CE loss as:

$$\text{CE}(p_t) = -\alpha_t \log(p_t). \quad (3)$$

This loss is a simple extension to CE that we consider as an experimental baseline for our proposed focal loss.

α	AP	AP ₅₀	AP ₇₅
.10	0.0	0.0	0.0
.25	10.8	16.0	11.7
.50	30.2	46.7	32.8
.75	31.1	49.4	33.0
.90	30.8	49.7	32.3
.99	28.7	47.4	29.9
.999	25.1	41.7	26.1

(a) Varying α for CE loss ($\gamma = 0$)

YOLOv3 SPP

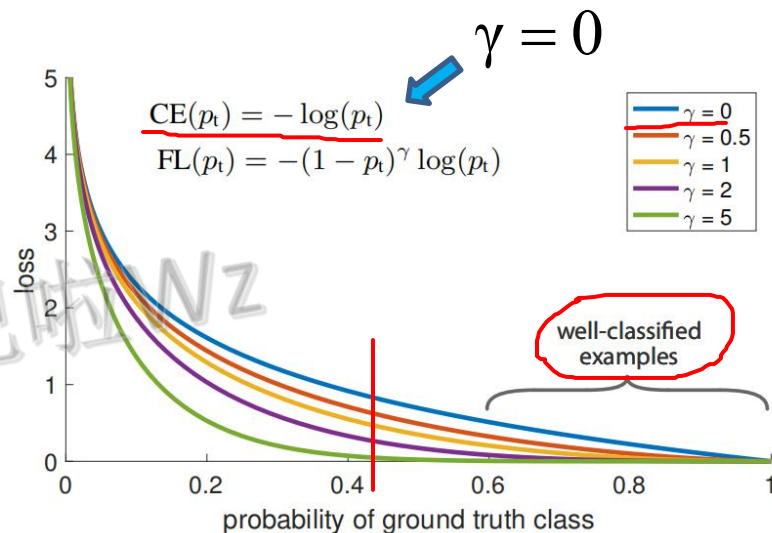
3.2. Focal Loss Definition

As our experiments will show, the large class imbalance encountered during training of dense detectors overwhelms the cross entropy loss. Easily classified negatives comprise the majority of the loss and dominate the gradient. While α balances the importance of positive/negative examples, it does not differentiate between easy/hard examples. Instead, we propose to reshape the loss function to down-weight easy examples and thus focus training on hard negatives.

More formally, we propose to add a modulating factor $(1 - p_t)^\gamma$ to the cross entropy loss, with tunable focusing parameter $\gamma \geq 0$. We define the focal loss as:

$$\text{FL}(p_t) = -(1 - p_t)^\gamma \log(p_t). \quad (4)$$

$(1 - p_t)^\gamma$ 能够降低易分样本的损失贡献



$$p_t = \begin{cases} p & \text{if } y = 1 \\ 1 - p & \text{otherwise,} \end{cases}$$

YOLOv3 SPP

Focal loss

$$FL(p) \begin{cases} -\alpha(1-p)^\gamma \log(p) & \text{if } y=1 \\ -(1-\alpha)p^\gamma \log(1-p) & \text{otherwise,} \end{cases}$$

In practice we use an α -balanced variant of the focal loss:

$$FL(p_t) = -\alpha_t(1-p_t)^\gamma \log(p_t). \quad (5)$$

We adopt this form in our experiments as it yields slightly improved accuracy over the non- α -balanced form. Finally, we note that the implementation of the loss layer combines the sigmoid operation for computing p with the loss computation, resulting in greater numerical stability.

$$p_t = \begin{cases} p & \text{if } y = 1 \\ 1 - p & \text{otherwise,} \end{cases}$$

γ	α	AP	AP ₅₀	AP ₇₅
0	.75	31.1	49.4	33.0
0.1	.75	31.4	49.9	33.1
0.2	.75	31.9	50.7	33.4
0.5	.50	32.9	51.7	35.2
1.0	.25	33.7	52.0	36.2
2.0	.25	34.0	52.5	36.5
5.0	.25	32.2	49.6	34.8

(b) Varying γ for FL (w. optimal α)

YOLOv3 SPP

Focal loss

$$FL(p_t) = -\alpha_t(1 - p_t)^\gamma \log(p_t).$$

$$FL(p) \begin{cases} -\alpha(1-p)^\gamma \log(p) & \text{if } y=1 \\ -(1-\alpha)p^\gamma \log(1-p) & \text{otherwise,} \end{cases}$$

p	y	CE	FL	rate
0.9	1	0.105	0.00026	400
0.968	1	0.033	0.000008	3906
0.1	0	0.105	0.00079	133
0.032	0	0.033	0.000025	1302
0.1	1	2.3	0.466	4.9
0.9	0	2.3	1.4	1.6

易受噪音干扰

沟通方式

1.github

<https://github.com/WZMIAOMIAO/deep-learning-for-image-processing>

2.bilibili

<https://space.bilibili.com/18161609/channel/index>

3.CSDN

https://blog.csdn.net/qq_37541097/article/details/103482003

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