```
In[*]:= Betterplot::usage = "Betterplot[{eq__}},{x,min,max},{y,min,max}]";
ln[\cdot]:= CircleForm[eq_]:= Block[{cof = Echo[Coefficient[eq, #, 2] & /@Variables[eq], "Coefficients"]},
                     If[cof # ConstantArray[cof[1]], Length@cof], Print["coefficients not same"]];
                      Echo[Transpose[{(x-h)^2 + (y-k)^2 = r^2, If[0 = Expand[cof[1]] ((x-h)^2 + (y-k)^2 - r^2) - eq], "True"]} /.
                              SolveAlways[eq / cof[1] = (x - h)^2 + (y - k)^2 - r^2, \{x, y\}]]][1][1][1]
           DiscontinuityPoints[eq_, var1_, var2_, var_:x] := Module[{ineq = FunctionDiscontinuities[eq, var], a},
                a = InequalitiesToIntervals[Check[SolveValues[ineq && var1 ≤ var ≤ var2, var, Reals], Reduce[ineq && var1 ≤ var ≤ var2, var, Reals]], var];
                Select[{#, eq /. var → #} & /@ Flatten[a[#] & /@ Range[Length[a]]], {True, True} === Internal`RealValuedNumericQ /@ # &]]
           InequalitiesToIntervals[ineq_, x_] := LogicalExpand[ineq] /.
                    \{\text{Greater}[x, foo_] \rightarrow \text{Interval}[\{\text{foo}, \text{Infinity}\}], \text{Greater}[foo_, x] \rightarrow \text{Interval}[\{-\text{Infinity}, \text{foo}\}], \text{GreaterEqual}[x, foo_] \rightarrow \text{Interval}[\{\text{foo}, \text{Infinity}\}], \}
                     GreaterEqual[foo_-, x] \rightarrow Interval[\{-Infinity, foo\}], Less[x, foo_-] \rightarrow Interval[\{-Infinity, foo\}], Less[foo_-, x] \rightarrow Interval[\{foo_-, x\}], Less[foo_-, x]
                     LessEqual[x, foo_{-}] \rightarrow Interval[{-Infinity, foo_{-}}], LessEqual[foo_{-}, x] \rightarrow Interval[{foo_{-}}, Infinity}], 0r \rightarrow IntervalUnion, And \rightarrow IntervalIntersection};
In[*]:= Options[Betterplot] =
                 Join[Options[ContourPlot], {"Asymptote" → True, "N" → False, "TP" → True, "Time" → 7, "IP" → True, "Endpoints" → True, PlotPoints → 50}];
           Betterplot[{eqint__}, dom: {_, _?NumericQ} : {x, -10, 10}, ran: {_, _?NumericQ} : {y, -10, 10}, opts: OptionsPattern[]] :=
              TimeConstrained Quiet@Module {pairs, Tp, graphintercepts, xintercepts, hp, yintercepts, endpoints, midpoints, op, asymp,
                        VAsymp, HAsymp, OAsymp, h, k, r, c1, C1Asymp, negx, posx, posy, negy, l, time = OptionValue["Time"], oip, ihp, IP, complex, eq},
                      complex =
                        Transpose@Table[Module[{a, eq1, trans, final},
                                If[Length@Variables[First[ieq]] === 0, eq1 = Last[ieq] == First[ieq], eq1 = ieq];
                                Which[Exponent[First[eq1], z] === 1, trans = {0, 0}, Length[First[eq1] // First] \( \neq 2, \) trans = {0, 0}, True, trans = ReIm@First@First@First[eq1]];
                                final = \left\{ \left( dom[1] + trans[1] \right)^2 + \left( ran[1] + trans[2] \right)^2 = \left( \left( Abs[Last[eq1]] \right)^{1/Exponent[First[eq1],z]} \right)^2, Button[Tooltip@#, Print[#]] \& /@ (Abs[Last[eq1]])^2 + (Bast[eq1])^2 + (Bast[eq1]
                                        FromPolarCoordinates /@ AbsArg /@ SolveValues[ieq, z] } ], {ieq, Select[{eqint}}, Variables[First[Normal@#] - Last[Normal@#]] [[1]] === z &] } ];
                      eq = Sequence[Sequence@@ Select[Normal[{eqint}]], Variables[First[Normal@#] - Last[Normal@#]][1] =!= z &]];
                      pairs = Subsets[{eq}, {2}];
                     If[OptionValue["N"],
                        graphintercepts = Select[Normal@Table[
                                    \label{localization}  \mbox{TimeConstrained[NSolveValues[Join[i, {$dom[2]$} $ dom[1]$] $ $dom[3]$]], {$dom[1]$}, $ran[1]$}, $ Reals], $ 8], 
                                   {i, pairs}], UnsameQ[#, {}] &];
                        xintercepts = Select[Flatten[{#, 0}] & /@ # & /@ Select[Normal@Table[
                                         \label{thm:constrained} $$\operatorname{Check[NSolveValues[\{i \ /. \ ran[[1]] \to 0, \ dom[[2]] \le dom[[1]] \le dom[[3]]\}, \ dom[[1]], \ Reals], \ \{l\}], 7], $$
                                        {i, {eq}}], UnsameQ[#, {}] &], Flatten[#][1] =!= l &];
                        yintercepts = Select[Flatten[{0, #}] & /@ # & /@ Select[Normal@Table[
                                         \label{eq:constrained} $$\operatorname{Check[NSolveValues[\{i \mid dom[[1]] \rightarrow 0, ran[[2]] \leq ran[[1]] \leq ran[[3]]\}, ran[[1]], Reals], \{l\}], 7], $$
                                        {i, {eq}}], UnsameQ[#, {}] &], Flatten[#][2] =!= l &];
                        negx = Select[Flatten[{dom[2], #} & /@ # & /@ Select[Normal@Table[
                                          TimeConstrained[Check[NSolveValues[{i /. dom[1] \rightarrow dom[2], ran[2] \le ran[1] \le ran[3]}, ran[1], Reals], {l}], 7],
                                           {i, {eq}}], UnsameQ[#, {}] &], 1], #[[2]] =!= l &];
                        posx = Select[Flatten[{dom[3], #} & /@ # & /@ Select[Normal@Table[
                                           \label{eq:constrained} $$\operatorname{Check}[NSolveValues[{i /. dom[1]]} \to dom[2]] \times ran[2] \times ran[1] \times ran[3]}, \ ran[1], \ Reals], \{l\}], 7], $$\operatorname{Constrained}[Lesting Administration of the constrained of the con
                                           {i, {eq}}], UnsameQ[#, {}] &], 1], #[2] =!= l &];
                        negy = Select[Flatten[{#, ran[2]}} & /@ # & /@ Select[Normal@Table[
                                            \label{lem:constrained} $$\operatorname{Check[SolveValues[\{i \ /. \ ran[1]\} \to ran[2], \ dom[2]\} \le dom[1]\} \le dom[3]\}, \ dom[1]], \ Reals], \{l\}], 7], $$
                                           \{i, \{eq\}\}\], UnsameQ[#, \{\}\} &], 1], #[1] =!= \lambda \&];
                        posy = Select[Flatten[{#, ran[3]}} & /@ # & /@ Select[Normal@Table[
                                           \label{timeConstrained} $$\operatorname{Check[SolveValues[\{i \ /. \ ran[[1]] \rightarrow ran[[3]], \ dom[[2]] \leq dom[[3]] \}, \ dom[[3]] \}, \ dom[[1]], \ Reals], \ \{l\}], \ 7], $$
                                           {i, {eq}}], UnsameQ[#, {}] &], 1], #[[1]] =!= l &];
                        graphintercepts = Select[Normal@Table[
                                   \label{localization} TimeConstrained[SolveValues[Join[i, {dom[2] \leq dom[1]} \leq dom[3])], {dom[1], ran[1]}, Reals], \\
                                     time, TimeConstrained[NSolveValues[Join[i, \{dom[2] \le dom[1] \le dom[3]\}], \{dom[1], ran[1]\}, Reals], 8]],
                                   {i, pairs}], UnsameQ[#, {}] &];
                        xintercepts = Select[Flatten[{#, 0}] & /@ # & /@ Select[Normal@Table[
                                        time, TimeConstrained[Check[NSolveValues[{i /. ran[1] \rightarrow 0, dom[2] \le dom[1] \le dom[3]}, dom[1], Reals], {l}], 7]],
                                        {i, {eq}}], UnsameQ[#, {}] &], Flatten[#][1] =!= l &];
                        yintercepts = Select[Flatten[{0, #}] & /@ # & /@ Select[Normal@Table[
                                         \label{eq:constrained} $$ TimeConstrained[Check[SolveValues[{i /. } dom[1]] $\to 0, ran[2]] $\le ran[1] $\le ran[3]$, $ran[1], $Reals], $\{l\}$], $$ TimeConstrained[Check[SolveValues[{i /. } dom[1]] $\to 0, ran[2]] $\le ran[2]$. $$
                                          time, TimeConstrained[Check[NSolveValues[{i /. dom[1]] \rightarrow 0, ran[2] \leq ran[1] \leq ran[3]}, ran[1], Reals], {l}], 7]],
                                        {i, {eq}}], UnsameQ[#, {}] &], Flatten[#][2] =!= l &];
                        negx = Select[Flatten[{dom[2], #} & /@ # & /@ Select[Normal@Table[
                                           \label{thm:constrained} $$\operatorname{Check[SolveValues[\{i \ /. \ dom[1]\} \to dom[2], \ ran[2]] \le ran[1] \le ran[3]\}, \ ran[1], \ Reals], \{l\}], $$
                                             time, TimeConstrained[Check[NSolveValues[{i /. dom[[1]] \rightarrow dom[[2]], ran[[2]] \le ran[[1]] \le ran[[3]]}, ran[[1]], Reals], {l}], 7]],
                                           {i, {eq}}], UnsameQ[#, {}] &], 1], #[2] =!= l &];
                        posx = Select[Flatten[{dom[3], #} & /@ # & /@ Select[Normal@Table[
                                           \label{timeConstrained} $$\operatorname{Check[SolveValues[\{i /. dom[1]]} \to dom[3], ran[2] \le ran[3]\}, ran[3]\}, ran[1], Reals], \{l\}], $$
                                             time, TimeConstrained[Check[NSolveValues[{i /. dom[[1]] \rightarrow dom[[3]], ran[[2]] \le ran[[1]] \le ran[[3]]}, ran[[1]], Reals], {l}], 7]],
                                           {i, {eq}}], UnsameQ[#, {}] &], 1], #[2] =!= l &];
                        negy = Select[Flatten[{#, ran[2]}} & /@ # & /@ Select[Normal@Table[
                                           \label{timeConstrained} $$\operatorname{Check[SolveValues[\{i \ /. \ ran[[1]] \rightarrow ran[[2]], \ dom[[2]] \le dom[[3]] \}, \ dom[[3]] \}, \ dom[[1]], \ Reals], \{l\}], $$
                                             time, TimeConstrained[Check[SolveValues[{i /. ran[[1]] \rightarrow ran[[2]], dom[[2]] \le dom[[1]] \le dom[[3]]}, dom[[1]], Reals], {l}], 7]],
                                           {i, {eq}}], UnsameQ[#, {}] &], 1], #[[1]] =!= l &];
                        posy = Select[Flatten[{#, ran[3]}} & /@ # & /@ Select[Normal@Table[
                                           \label{lem:constrained} $$\operatorname{Check[SolveValues[\{i \ /. \ ran[1]\} \to ran[3]\}, \ dom[2]] \le dom[3]\}, \ dom[3]\}, \ dom[1], \ Reals], \{l\}], $$\operatorname{Constrained[Check[SolveValues[\{i \ /. \ ran[1]\} \to ran[3]], \ dom[2]] \le dom[3]], \ dom[3]], \ dom[4], \ Reals], \{l\}], $$\operatorname{Constrained[Check[SolveValues[\{i \ /. \ ran[1]\} \to ran[3]], \ dom[4]], \ dom[4]], \ dom[4], \ dom
                                             time, TimeConstrained[Check[SolveValues[{i /. ran[[1]] \rightarrow ran[[3]], dom[[2]] \le dom[[3]]}, dom[[3]]}, dom[[1]], Reals], {l}], 7]],
                                           {i, {eq}}], UnsameQ[#, {}] &], 1], #[1] =!= l &];
                     ];
                     If[OptionValue["Endpoints"],
                        endpoints = If[Not@ContainsAny[#, \{\infty, -\infty\}], #, ## &[]] & /@ DiscontinuityPoints[#, dom[2], dom[3], dom[1]] & /@
```

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Flatten[SolveValues[#, ran[1]] & /@ Select[{eq},
               Exponent[First[Normal@#] - Last[Normal@#] - Last[Nor
      midpoints = Lookup[Association[SolveAlways[First[
                  QuietEcho[CircleForm[Expand[First[#] - Last[#]]]]] == (x - h)^2 + (y - k)^2 - r^2, \{x, y\}], \{h, k\}] & /@
         Select[{eq}, Exponent[First[Normal@#] - Last[Normal@#], dom[1]] == 2 && Exponent[First[Normal@#] - Last[Normal@#], ran[1]] == 2 &];
     If[OptionValue["Asymptote"],
       asymp = Lookup[Merge[
            OperatorApplied[ResourceFunctionHelpers`Asymptotes, {3, 1, 2}][dom[[1]]][ran[[1]]]
             /@ReplaceAll[Rule → Equal][
               Flatten[Solve[#, ran[1]] &/@
                  Select[{eq}, (Exponent[First[Normal@#] - Last[Normal@#], dom[1]] | 2) || (Exponent[First[Normal@#] - Last[Normal@#], ran[1]] | 2) &]]]
            , Identity], {"Vertical", "Horizontal", "Oblique"}];
       VAsymp = If[Not@MissingQ[asymp[1]]],
          DeleteDuplicates [Merge [Evaluate [asymp [1]] // Flatten] /. x_{--} \pm y_{-} \Rightarrow Sequence @@ { (x + y), (x - y) }, Identity [ dom[1]]], {}];
HAsymp = If[Not@MissingQ[asymp[2]]],
          DeleteDuplicates [Merge [Evaluate [asymp [2]] // Flatten] /. x_{--} \pm y_{-} \Rightarrow Sequence @@ { (x + y), (x - y) }, Identity ] [ran [1]]], {}];
OAsymp = If[Not@MissingQ[asymp[3]]],
          DeleteDuplicates [Merge [Evaluate [asymp [3]] // Flatten] /. x_{--} \pm y_{-} \Rightarrow Sequence @@ {(x + y), (x - y)}, Identity [[ran[1]]]], {}];
       C1Asymp = If[Length@Select[VAsymp, Variables[{#}] == {c<sub>1</sub>} &] > 0, Flatten[Reap[
             Table[Sow[Table[Evaluate[c1 /. c_1 \Rightarrow x], \{x, Ceiling[SolveValues[c1 == dom[2], c_1]][1], Floor[SolveValues[c1 == dom[3], c_1]][1]]\}]],
                 {c1, Select[VAsymp, Variables[{#}] == {c_1} &]}] // Last]], {}];
       VAsymp = Select[VAsymp, Variables[{#}] # {c<sub>1</sub>} &],
       VAsymp = {}; HAsymp = {}; OAsymp = {}; C1Asymp = {}];
      If[OptionValue["TP"],
       If[OptionValue["N"],
        Tp = Flatten[Table[Module[{z = {dom[[1]], Sequence@@NSolveValues[n, ran[[1]]]}} /.
                    If [ContainsAny[z, \{dom[1]\}] | | Not@ContainsAny[Flatten[Length[#] \neq 2 & /@z], {False}], ## &[], z]], {n, {eq}}], 1],
         Tp = Flatten[Table[Module[\{z = \{dom[1]\}, Sequence@@SolveValues[n, ran[1]]\}\} /.
                    Solve[\{SolveValues[Dt[n, dom[1]], Dt[ran[1]], dom[1]]\} = 0, dom[2] \le dom[1] \le dom[3]\}, dom[1]]\},
               If[ContainsAny[z, {dom[1]}] | | Not@ContainsAny[Flatten[Length[#] \neq 2 \& /@z], {False}], \# \&[], z]], {n, {eq}}], 1]];
       op = Normal[Select[Tp, Variables[{Normal[#[1]]}] == {c<sub>1</sub>} &]];
       hp = Flatten[Table[Table[Evaluate[c1 /. c_1 \Rightarrow x],
               \{x, Ceiling[SolveValues[c1[1]] == dom[2], c_1]][1], Floor[SolveValues[c1[1]] == dom[3], c_1]][1]\}], \{c1, op\}], 1] // DeleteDuplicates;
       Tp = Normal[Select[Tp, Variables[{Normal[#[1]]}]] \neq \{c_1\} \&]], Tp = \{\}; hp = \{\}\}
     ];
     If[OptionValue["IP"], If[OptionValue["N"],
         IP = Flatten[Table[Module[{z = {dom[1]}, Sequence@@ NSolveValues[n, ran[1]]}} /.
                     If[ContainsAny[z, {dom[1]}]] \mid | Not@ContainsAny[Flatten[Length[#] \neq 2 \& /@z], {False}], \# \&[], z]], {n, {eq}}], 1], 
         IP = Flatten[Table[Module[\{z = \{dom[1]\}, Sequence@@SolveValues[n, ran[1]]\}\}/.
                    Solve[\{SolveValues[Dt[n, \{dom[1], 2\}], Dt[ran[1], \{dom[1], 2\}]\} = 0, dom[2] \le dom[1] \le dom[3]\}, dom[1]]\},
               If[ContainsAny[z, {dom[1]}] || Not@ContainsAny[Flatten[Length[#] \neq 2 \& /@z], {False}], \#\# \&[], z]], \{n, \{eq\}\}], 1]
       oip = Normal[Select[IP, Variables[{Normal[#[1]]}] == {c<sub>1</sub>} &]];
       ihp = Flatten[Table[Table[Evaluate[c1 /. c_1 \Rightarrow x],
                \{x, Ceiling[SolveValues[c1[1]] = dom[2], c_1]][1], Floor[SolveValues[c1[1]] = dom[3], c_1]][1]\}\}, \{c1, oip\}], 1] \ // \ DeleteDuplicates; \} 
       IP = Normal[Select[IP, Variables[{Normal[#[1]]}] # {c<sub>1</sub>} &]
        ]];
      Show[{
         ContourPlot[{eqint}, dom, ran, Evaluate[FilterRules[{opts}, Options[ContourPlot]]],
          PlotRange \rightarrow Full, Axes \rightarrow True, AxesLabel \rightarrow {Row[{"R | ", dom[1]}], Row[{"Im | ", ran[1]}]}, PlotLegends \rightarrow "Expressions",
          Frame → False, Ticks → Automatic, GridLines → Automatic, PlotPoints → OptionValue[PlotPoints]],
         If[Not[complex === {}],
          Sequence @@ {ContourPlot[Evaluate[complex[1]], dom, ran, ContourStyle → Dashed], ListPlot[complex[2], PlotMarkers → {Automatic, 7}]}, ## &[]]
         Sequence@@ If[OptionValue["N"],
            {
             ListPlot[Button[Tooltip@#, Print[#]] & /@
                 N@DeleteDuplicates@Join[Sequence@@xintercepts, Sequence@@yintercepts], PlotStyle → {Black}, PlotMarkers → {Automatic, 5}],
             ListPlot[Button[Tooltip@#, Print[#]] & /@N@Flatten[DeleteDuplicates@graphintercepts, 1], PlotStyle → {Blue}, PlotMarkers → {Automatic, 5}],
             ListPlot[Button[Tooltip@#, Print[#]] & /@ N@ DeleteDuplicates@midpoints, PlotStyle → {Brown}, PlotMarkers → {Automatic, 5}],
             ListPlot[Button[Tooltip@#, Print[#]] & /@
                 N@Part[DeleteDuplicates[{Flatten[{posx, negx, posy, negy}, 1]}], 1], PlotStyle → {Gray}, PlotMarkers → {Automatic, 5}],
             ListPlot[Button[Tooltip@#, Print[#]] & /@
                 N@Flatten[DeleteDuplicates[Select[endpoints, UnsameQ[#, {}] &]], 1], PlotStyle → {Red}, PlotMarkers → {Automatic, 5}]
            },
             ListPlot[Button[Tooltip@#, Print[#]] & /@
                 DeleteDuplicates@Join[Sequence@@xintercepts, Sequence@@yintercepts], PlotStyle → {Black}, PlotMarkers → {Automatic, 5}],
             ListPlot[Button[Tooltip@#, Print[#]] & /@ Flatten[DeleteDuplicates@graphintercepts, 1], PlotStyle → {Blue}, PlotMarkers → {Automatic, 5}],
             ListPlot[Button[Tooltip@#, Print[#]] & /@ DeleteDuplicates@midpoints, PlotStyle → {Brown}, PlotMarkers → {Automatic, 5}],
             ListPlot[Button[Tooltip@#, Print[#]] & /@
                 Part[DeleteDuplicates[{Flatten[{posx, negx, posy, negy}, 1]}], 1], PlotStyle → {Gray}, PlotMarkers → {Automatic, 5}],
             ListPlot[Button[Tooltip@#, Print[#]] & /@
                 Flatten[DeleteDuplicates[Select[endpoints, UnsameQ[#, {}] &]], 1], PlotStyle → {Green}, PlotMarkers → {Automatic, 5}]
            }
          ]
         , If[OptionValue["IP"],
          ListPlot[Button[Tooltip@#, Print[#]] & /@ Complement[Join[IP, ihp], Join[Tp, hp]], PlotStyle → {Magenta}, PlotMarkers → {Automatic, 5}], ## &[]],
```

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If[OptionValue["TP"], ListPlot[Button[Tooltip@#, Print[#]] & /@ Join[Tp, hp], PlotStyle → {Red}, PlotMarkers → {Automatic, 5}], ## &[]],
            If[OptionValue["Asymptote"] && Length[Flatten@Join[HAsymp, OAsymp, C1Asymp, VAsymp]] # 0,
             ContourPlot[
              Evaluate[
                Join[
                 If[Length[VAsymp] # 0 | | Length[C1Asymp] # 0,
                  dom[1] == # & /@ DeleteDuplicates[Join[VAsymp, C1Asymp]],
                  ## &[]]
                 , If[Length[Join[HAsymp, OAsymp]] ≠ 0,
                  ran[1] == # & /@ Join[HAsymp, OAsymp],
                  ## &[]]
               ]
              ],
              dom, ran, ContourStyle → Directive[Orange, Thick, Dashed]], ## &[]]
           }]], 22]
In[*]:= SetAttributes[Betterplot, HoldFirst]
     Examples
In[*]:= Betterplot[{y + x == x^2 + Tan[x], 5 - x / 2 == y}]
                           lm | y
                                                           x + y = x^2 + \tan(x)
```

ln[*]:= Betterplot[{(z-I+1)^4 == 3+2 I}, {x, -5, 5}, {y, -5, 5}]

Out[•]=

-10

Out[•]=