Exploring coefficients across models

MACHINE LEARNING IN THE TIDYVERSE

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77 models

Regression coefficients

$$y = \alpha + \beta x$$



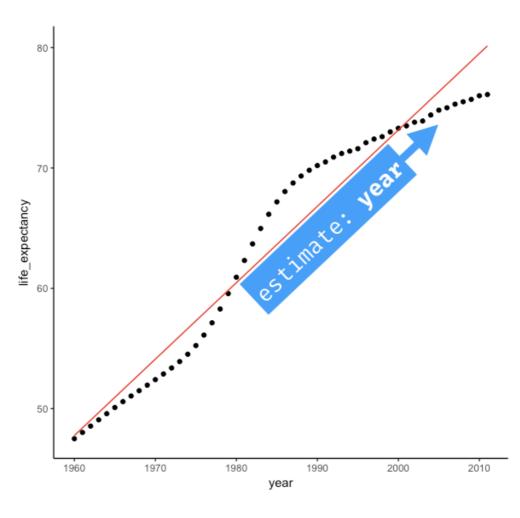
Regression coefficients

$$y = \alpha + \beta x$$

$$\frac{\text{Life}}{\text{Expectancy}} = \frac{\text{Term:}}{\text{(intercept)}} + \frac{\text{Term:}}{\text{year}} \text{ Year}$$

```
tidy(gap_models$model[[1]])
```

```
term estimate ...
1 (Intercept) -1196.5647772 ...
2 year 0.6348625 ...
```



Coefficients of multiple models

```
gap_models %>%
  mutate(coef = map(model, ~tidy(.x))) %>%
  unnest(coef)
```

```
# A tibble: 154 x 6
                                                p.value
  country
                  estimate std.error statistic
           term
                        <dbl>
                                 <dbl>
                                         <dbl>
                                                 <dbl>
  <fct>
           <chr>
           (Intercept) -1197 39.9
1 Algeria
                                         -30.0 1.32e-33
2 Algeria
                        0.635
                               0.0201
                                          31.6 1.11e-34
           year
3 Argentina
          (Intercept) - 372
                               7.91
                                         -47.0 4.66e-43
4 Argentina
                        0.223
                               0.00398
                                          56.0 8.78e-47
          year
5 Australia (Intercept) – 429
                                         -45.8 1.71e-42
                               9.37
6 Australia year
                                          53.9 5.83e-46
                        0.254
                               0.00472
```



Let's practice!

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Evaluating the fit of many models

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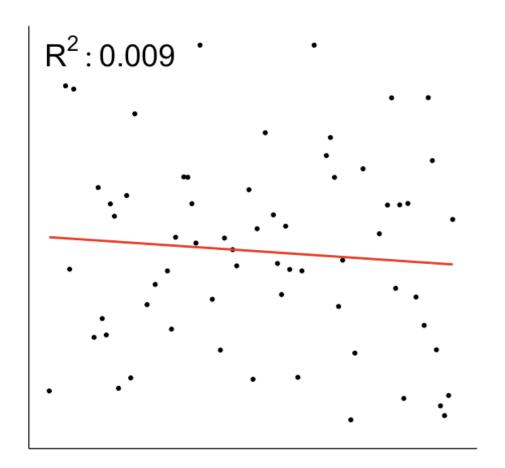
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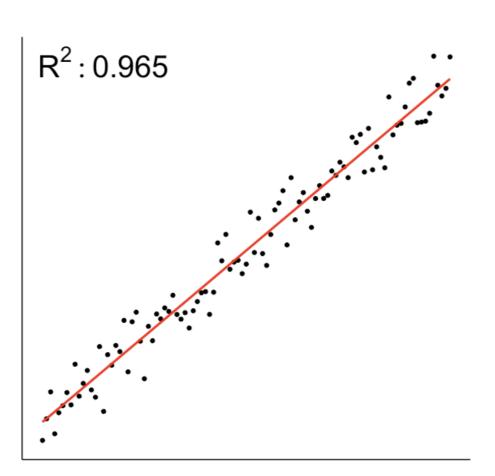


The fit of our models

$$R^2 = rac{\% \ variation \ explained \ by \ the \ model}{\% \ total \ variation \ in \ the \ data}$$

The fit of our models





Glance across your models

```
model_perf <- gap_models %>%
  mutate(coef = map(model, ~glance(.x))) %>%
  unnest(coef)
model_perf
```

```
# A tibble: 77 x 14
  country data model r.squared adj.r.squared sigma statistic
           >lis> <lis>
  <fct>
                          <dbl>
                                        <dbl> <dbl>
                                                       <dbl>
1 Algeria <tib... <S3:.
                            0.952
                                         0.951
                                                2.18
                                                        996
2 Argenti. <tib... <S3:. 0.984
                                                0.431
                                         0.984
                                                       3137
                                                               . . .
                                                0.511
3 Austral. <tib... <S3:. 0.983
                                         0.983
                                                       2905
4 Austria <tib... <S3:. 0.987
                                         0.986
                                                0.438
                                                       3702
                                                               . . .
5 Banglad. <tib... <S3:. 0.949
                                                1.83
                                         0.947
                                                        921
                                                               . . .
6 Belgium. <tib... <S3:.
                            0.990
                                         0.990
                                                0.331
                                                       5094
# ... with 71 more rows
```



```
model_perf %>%
  slice_max(r.squared, n = 2)
# A tibble: 2 x 14
  country data model r.squared adj.r.squared sigma statistic
  <fct>
       <lis> <lis>
                        <dbl>
                               <dbl> <dbl>
                                                    <dbl>
1 Canada <tib... <S3:.
                        0.995
                                     0.995 0.231
                                                   10117
2 Italy <tib... <S3:.
                                     0.997 0.226
                                                   15665
                        0.997
model_perf %>%
  slice_min(r.squared, n = 2)
# A tibble: 2 x 14
  country data model r.squared adj.r.squared sigma statistic
  <fct> <fct> <
                        <dbl>
                                     <dbl> <dbl>
                                                    <dbl>
1 Botswa~ <tib... <S3:. 0.0136 -0.00608 5.11
                                                    0.692
                                  -0.0170 5.32
2 Lesotho <tib... <S3:. 0.00296
                                                    0.148
```

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Visually inspect the fit of your models

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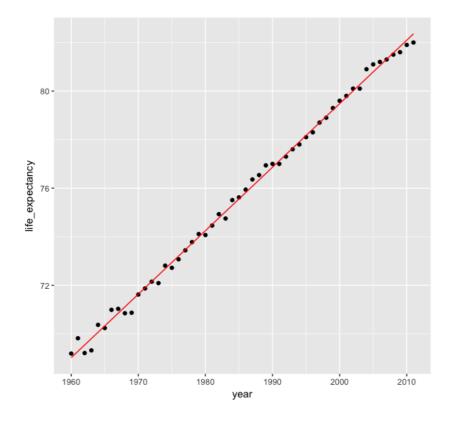
Building augmented datframes

```
# A tibble: 4,004 x 10
   country life_expectancy year .fitted .se.fit .resid .hat .sigma
                    <dbl> <int>
                                  <dbl>
                                          <dbl> <dbl> <dbl>
  <fct>
                                                               <dbl>
                     47.5 1960
1 Algeria
                                          0.595 - 0.266 \ 0.0747
                                   47.8
                                                                2.20
2 Algeria
                     48.0
                           1961
                                   48.4
                                          0.578 - 0.381 \ 0.0705
                                                                2.20
3 Algeria
                     48.6 1962
                                   49.0
                                          0.561 - 0.486 \ 0.0664
                                                                2.20
                     49.1 1963
                                   49.7
 4 Algeria
                                          0.544 -0.600 0.0625
                                                                2.20
                     49.6 1964
                                   50.3
5 Algeria
                                          0.527 - 0.725 \ 0.0587
                                                                2.20
 6 Algeria
                     50.1 1965
                                   50.9
                                          0.511 - 0.850 \ 0.0551
                                                                2.20
```

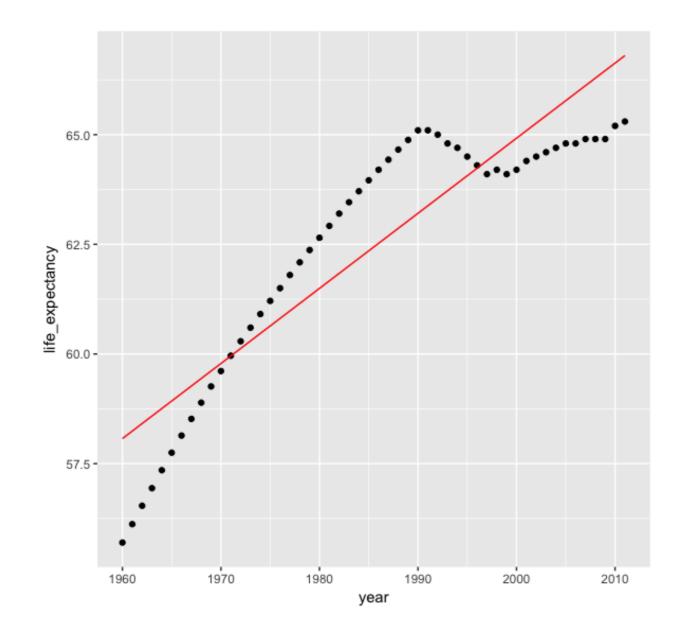


Model for Italy $R^2:0.99$

```
augmented_model %>% filter(country == "Italy") %>%
  ggplot(aes(x = year, y = life_expectancy)) +
  geom_point() +
  geom_line(aes(y = .fitted), color = "red")
```

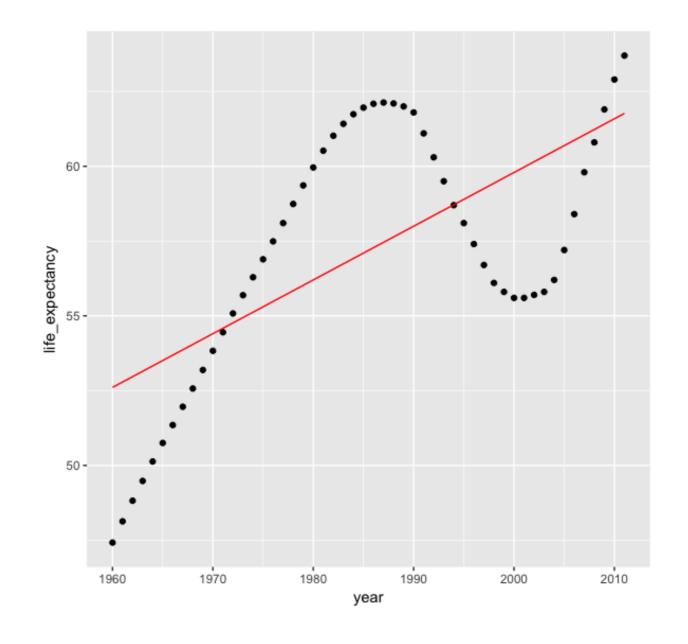


Model for Fiji $R^2:0.82$





Model for Kenya $R^2:0.42\,$





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Improve the fit of your models

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Multiple Linear Regression model

$$y = \alpha + \beta_1 x_1 + \beta_2 x_2 + ...$$

Available Features: year, population, infant_mortality, fertility, gdpPercap

Using all features

Simple Linear Model: life_expectancy ~ year

```
gap_models <- gap_nested %>%
mutate(model = map(data, ~lm(formula = life_expectancy ~ year, data = .x)))
```

Multiple Linear Model: life_expectancy ~ year + population + ...

Multiple Linear Model: life_expectancy ~ .

```
gap_fullmodels <- gap_nested %>%
mutate(model = map(data, ~lm(formula = life_expectancy ~ ., data = .x)))
```



```
tidy(gap_fullmodels$model[[1]])
```

```
term estimate std.error statistic p.value

(Intercept) -1.830195e+03 1.502271e+02 -12.182848 5.325478e-16

year 9.814091e-01 7.800580e-02 12.581232 1.693870e-16

infant_mortality -1.603504e-01 4.021732e-03 -39.870986 2.525847e-37

fertility -2.600935e-01 1.648652e-01 -1.577614 1.215074e-01
```

augment(gap_fullmodels\$model[[1]])

```
glance(gap_fullmodels$model[[1]])
```

```
r.squared adj.r.squared sigma statistic p.value df logLik ...
1 0.9990732 0.9989724 0.3160595 9917.133 1.562325e-68 6 -10.70225 ...
```



Adjusted ${\cal R}^2$

```
glance(gap_fullmodels$model[[1]])
```

```
r.squared adj.r.squared sigma statistic p.value df logLik ...
1 0.9990732 0.9989724 0.3160595 9917.133 1.562325e-68 6 -10.70225 ...
```



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