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Tietze extension theorem

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 $Related\ topic \\ Applications Of Urysohns Lemma To Locally Compact Hausdorff Spaces$

Let X be a topological space. Then the following are equivalent:

- 1. X is normal.
- 2. If A is a closed subset in X, and $f: A \to [-1, 1]$ is a continuous function, then f has a continuous to all of X. (In other words, there is a continuous function $f^*: X \to [-1, 1]$ such that f and f^* coincide on A.)

Remark: If X and A are as above, and $f: A \to (-1,1)$ is a continuous function, then f has a continuous to all of X.

The present result can be found in [?].

References

[1] A. Mukherjea, K. Pothoven, *Real and Functional analysis*, Plenum press, 1978.