

In an ultrametric space, both open and closed balls are clopen subsets.

It is indeed straightforward (exercise!) to show that the set of all open balls of radius r , centered in any of the points of a closed ball of radius r , forms a partition of the latter.

Thus, in particular, any point of a closed ball is an interior point, and the same holds for the complement of an open ball.