# Computing in Epidemiology and Biostatistics Programming with functions Wan-Yu Lin

Ex 6: Please rearrange the data in Seizure2 as the format in Seizure1. (Please answer this question with "for" loop)

R built-in functions: var, lm, glm, etc. User-defined functions

Demo 1: Please calculate the mean and variance of y in Seizure1.

setwd('D:/Comp/1')
Seizure1 <- read.csv('seizure.csv')</pre>

y.mean <- mean(Seizure1\$y)

$$\operatorname{var}(Y) = \frac{\sum_{i=1}^{n} (Y_i - \overline{Y})^2}{n-1}$$

sum((Seizure1\$y - y.mean)^2)/(length(Seizure1\$y) - 1) # sum : summation

var(Seizure1\$y) # R built-in command to calculate variance

### Missing data in R

x <- NA

is.na(x) # Is it a missing value?

x <- c(3600, 5000, 12000, NA, 1000, 2000, 600, 7500, 1800, 9000) # Money in red envelopes

is.na(x)

mean(x)

mean(x, na.rm=T) # NAs can be removed

var(x, na.rm=T)

sd(x, na.rm=T) # standard deviation

sqrt(var(x, na.rm=T)) # square root

var(x, na.rm=T)^0.5

## Logical expressions in R

Only two possible outcomes: TRUE (1) or FALSE (0)

A logical expression is formed using the comparison operators

```
<, >, <=, >=,
== (equal to)
!= (not equal to)
& (and)
| (or)  # holding down the shift key and press \
! (not)
```

Note that A | B is TRUE if A or B or both are TRUE.

If you want exclusive disjunction, that is either A or B is TRUE but not both, then use xor(A,B).

Ex: Mom told John: "if you get A+ in this semester, I will buy you a toy or a comic book."

Ex 7: Please use R code to answer the following questions related to "Money in red envelopes":

- (1) How many students received more than 5,000 dollars?
- (2) No. 3 and no. 8 both received more than 5,000 dollars?
- (3) No. 3 or no. 8 received more than 5,000 dollars?
- (4) Only one of no. 3 or no. 8 received more than 5,000 dollars?
- (5) In (1) $^{\sim}$ (4), please revise the money cutoff to be 6,000 and 10,000, respectively. And answer (1) $^{\sim}$ (4).
- (6) In (1) $^{\sim}$ (4), please revise the money cutoff to be 1000, 2000, 3000,...,20000, respectively. And answer (1) $^{\sim}$ (4).

## Sampling in R

one chance to be called

# Sampling n numbers from integers 1 to N, default: sampling without replacement

# Sampling n numbers from integers 1 to N, default: sampling without replacement

# Sampling 5 numbers from integers 1 to 39, default: sampling without replacement

# Sampling 10 students from 200 students, every student has at most

```
sample(1:200, size=201)
```

sample(1:200, size=201, replace=T) # sampled balls will be put into the box again, each ball has more than one chance to be sampled

Replace: Should sampling be with replacement?

Ex: Instructor would like to sample 12 students to answer questions, from 50 students. Students sampled may be sampled again (very lucky). Please provide R code.

## Set operations in R

```
(x <- c(sort(sample(1:20, 9)), NA))
(y <- c(sort(sample(3:23, 7)), NA))
union(x, y)
intersect(x, y)
setdiff(x, y)
setdiff(y, x)
setequal(x, y)

## True for all possible x & y :
setequal( union(x, y), c(setdiff(x, y), intersect(x, y), setdiff(y, x)) )
is.element(x, y)  # x %in% y
is.element(y, x)  # y %in% x</pre>
```

Ex 8: There were 50 students in a class. All odd-numbered students were boys, and all even-numbered students were girls.

There were 7 students passing the midterm exam: 11,16,23,31,36,47,50.

There were 9 students passing the final exam: 3,9,16,20,27,31,36,49,50.

Please use the R commands regarding set operations to answer the following four questions:

- (1) Please list the boys who passed both the midterm and final exams
- (2) Please list the girls who passed both the midterm and final exams
- (3) Please list the boys who passed the midterm exam but failed the final exam
- (4) Please list the girls who failed the midterm exam but passed the final exam

#### **User-defined functions**

Demo 2: Please write a function to demonstrate the central limit theorem. Let the function input be the sample size.

[Central limit theorem, C.L.T.] Let the population mean be  $\mu$ , standard deviation be  $\sigma$ . The distribution of the sample mean  $\bar{X} \sim Normal\left(\mu, \frac{\sigma^2}{n}\right)$ , where n is the sample size.

```
par(mfrow = c(3,2))
CLT <- function(n){
  N <- 10000
  score <- rnorm(N,75,5)</pre>
  hist(score, xlim=c(50,100), breaks=seq(50,100,1))
  mean.score <- c()
  for(i in 1:1000){
     mean.score[i] <- mean(score[sample(1:N, size=n)])</pre>
  }
  hist(mean.score, xlim=c(50,100), breaks=seq(50,100,1))
  return( c(mean(mean.score), var(mean.score)) )
}
CLT(n=5)
CLT(n=10)
CLT(n=20)
According to C.L.T., \frac{\sigma^2}{n} should be
25/5
25/10
25/20
```

Ex: What if the population comes from a chi-square distribution with degrees of freedom 1? Please revise the above R function.

Ex 9: Please write a function on your own to estimate the regression coefficients of a simple linear regression, where the response variable is "y" from "seizure.csv" (Week 1 course material) and the predictor variable is "Itime" from "seizure.csv". (Hint: the regression coefficients should include an intercept term and a slope term)