3.3 Hyper-parameter tuning

February 22, 2017

1 Hyper-parameter tuning

As you know there are plenty of tunable parameters. Each one results in different output. The question is which combination results in best output.

The following notebook will show you how to use Scikit-learn modules for figuring out the best parameters for your models.

What's included: - data preparation, - finding best hyper-parameters using grid-search, - finding best hyper-parameters using randomized grid-search

1.0.1 Prepare data

Let's begin with loading all required libraries in one place and setting seed number for reproducibility.

Generate artificial dataset:

```
In [2]: X, y = make_classification(n_samples=1000, n_features=20, n_informative=8, n_redundant=3
```

Define cross-validation strategy for testing. Let's use StratifiedKFold which guarantees that target label is equally distributed across each fold:

```
In [3]: cv = StratifiedKFold(y, n_folds=10, shuffle=True, random_state=seed)
```

1.0.2 Grid-Search

In grid-search we start by defining a dictionary holding possible parameter values we want to test. All combinations will be evaluted.

```
In [4]: params_grid = {
          'max_depth': [1, 2, 3],
          'n_estimators': [5, 10, 25, 50],
          'learning_rate': np.linspace(1e-16, 1, 3)
}
```

Add a dictionary for fixed parameters.

Create a GridSearchCV estimator. We will be looking for combination giving the best accuracy.

Before running the calculations notice that 3 * 4 * 3 * 10 = 360 models will be created to test all combinations. You should always have rough estimations about what is going to happen.

Now, we can look at all obtained scores, and try to manually see what matters and what not. A quick glance looks that the largeer n_estimators then the accuracy is higher.

```
In [8]: bst_grid.grid_scores_
```

```
mean: 0.49800, std: 0.00245, params: {'learning_rate': 9.99999999999998e-17, 'n_estim
        mean: 0.84100, std: 0.03515, params: {'learning_rate': 0.5, 'n_estimators': 5, 'max_dep
        mean: 0.87300, std: 0.03374, params: {'learning_rate': 0.5, 'n_estimators': 10, 'max_de
        mean: 0.89200, std: 0.03375, params: {'learning_rate': 0.5, 'n_estimators': 25, 'max_de
        mean: 0.90200, std: 0.03262, params: {'learning_rate': 0.5, 'n_estimators': 50, 'max_de
        mean: 0.86400, std: 0.04665, params: {'learning_rate': 0.5, 'n_estimators': 5, 'max_dep
        mean: 0.89400, std: 0.04189, params: {'learning_rate': 0.5, 'n_estimators': 10, 'max_de
        mean: 0.92200, std: 0.02584, params: {'learning_rate': 0.5, 'n_estimators': 25, 'max_de
        mean: 0.92000, std: 0.02233, params: {'learning_rate': 0.5, 'n_estimators': 50, 'max_de
        mean: 0.89700, std: 0.03904, params: {'learning_rate': 0.5, 'n_estimators': 5, 'max_dep
        mean: 0.92000, std: 0.02864, params: {'learning_rate': 0.5, 'n_estimators': 10, 'max_de
        mean: 0.92300, std: 0.02193, params: {'learning_rate': 0.5, 'n_estimators': 25, 'max_de
        mean: 0.92400, std: 0.02255, params: {'learning_rate': 0.5, 'n_estimators': 50, 'max_de
        mean: 0.83500, std: 0.04939, params: {'learning_rate': 1.0, 'n_estimators': 5, 'max_dep
        mean: 0.86800, std: 0.03386, params: {'learning_rate': 1.0, 'n_estimators': 10, 'max_de
        mean: 0.89500, std: 0.02720, params: {'learning_rate': 1.0, 'n_estimators': 25, 'max_de
        mean: 0.90500, std: 0.02783, params: {'learning_rate': 1.0, 'n_estimators': 50, 'max_de
        mean: 0.87800, std: 0.03342, params: {'learning_rate': 1.0, 'n_estimators': 5, 'max_dep
        mean: 0.90800, std: 0.04261, params: {'learning_rate': 1.0, 'n_estimators': 10, 'max_de
        mean: 0.91000, std: 0.03632, params: {'learning_rate': 1.0, 'n_estimators': 25, 'max_de
        mean: 0.91300, std: 0.02449, params: {'learning_rate': 1.0, 'n_estimators': 50, 'max_de
        mean: 0.90500, std: 0.03112, params: {'learning_rate': 1.0, 'n_estimators': 5, 'max_dep
        mean: 0.91700, std: 0.02729, params: {'learning_rate': 1.0, 'n_estimators': 10, 'max_de
        mean: 0.92700, std: 0.03342, params: {'learning_rate': 1.0, 'n_estimators': 25, 'max_de
        mean: 0.93300, std: 0.02581, params: {'learning_rate': 1.0, 'n_estimators': 50, 'max_de
```

If there are many results, we can filter them manually to get the best combination

```
max_depth: 3
```

Looking for best parameters is an iterative process. You should start with coarsed-granularity and move to to more detailed values.

1.0.3 Randomized Grid-Search

When the number of parameters and their values is getting big traditional grid-search approach quickly becomes ineffective. A possible solution might be to randomly pick certain parameters from their distribution. While it's not an exhaustive solution, it's worth giving a shot.

Create a parameters distribution dictionary:

```
In [10]: params_dist_grid = {
         'max_depth': [1, 2, 3, 4],
         'gamma': [0, 0.5, 1],
         'n_estimators': randint(1, 1001), # uniform discrete random distribution
         'learning_rate': uniform(), # gaussian distribution
          'subsample': uniform(), # gaussian distribution
          'colsample_bytree': uniform() # gaussian distribution
}
```

Initialize RandomizedSearchCV to randomly pick 10 combinations of parameters. With this approach you can easily control the number of tested models.

Fit the classifier:

param_distributions={'subsample': <scipy.stats._distn_infrastructure.rv_froze</pre>

scoring='accuracy', verbose=0)

fit_params={}, iid=True, n_iter=10, n_jobs=1,

pre_dispatch='2*n_jobs', random_state=342, refit=True,

One more time take a look at choosen parameters and their accuracy score:

```
In [13]: rs_grid.grid_scores_
Out[13]: [mean: 0.80200, std: 0.02403, params: {'subsample': 0.11676744056370758, 'n_estimators'
          mean: 0.90800, std: 0.02534, params: {'subsample': 0.4325346125891868, 'n_estimators':
          mean: 0.86400, std: 0.03584, params: {'subsample': 0.15239319471904489, 'n_estimators'
          mean: 0.90100, std: 0.02794, params: {'subsample': 0.70993001900730734, 'n_estimators'
          mean: 0.91200, std: 0.02440, params: {'subsample': 0.93610608633544701, 'n_estimators'
          mean: 0.92900, std: 0.01577, params: {'subsample': 0.76526283302535481, 'n_estimators'
          mean: 0.89900, std: 0.03200, params: {'subsample': 0.1047221390561941, 'n_estimators':
          mean: 0.89300, std: 0.02510, params: {'subsample': 0.70326840897694187, 'n_estimators'
          mean: 0.90300, std: 0.03573, params: {'subsample': 0.40219949856580106, 'n_estimators'
          mean: 0.88900, std: 0.02604, params: {'subsample': 0.18284845802969663, 'n_estimators'
  There are also some handy properties allowing to quickly analyze best estimator, parameters
and obtained score:
In [14]: rs_grid.best_estimator_
Out[14]: XGBClassifier(base_score=0.5, colsample_bylevel=1,
                colsample_bytree=0.80580143163765727, gamma=0,
                learning_rate=0.46363095388213049, max_delta_step=0, max_depth=4,
                min_child_weight=1, missing=None, n_estimators=281, nthread=-1,
                objective='binary:logistic', reg_alpha=0, reg_lambda=1,
                scale_pos_weight=1, seed=342, silent=1,
                subsample=0.76526283302535481)
In [15]: rs_grid.best_params_
Out[15]: {'colsample_bytree': 0.80580143163765727,
          'gamma': 0,
```

In [16]: rs_grid.best_score_

Out[16]: 0.9290000000000005

'max_depth': 4,
'n_estimators': 281,

'learning_rate': 0.46363095388213049,

'subsample': 0.76526283302535481}