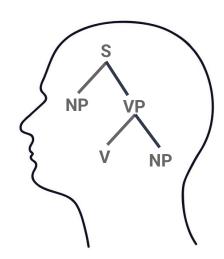
# Encoding syntactic positions in working memory: A computational approach

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<sup>1</sup>UMass Amherst, <sup>2</sup>The Hebrew University of Jerusalem 2025 LSA Annual Meeting, January 9–12

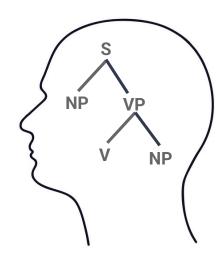
#### Our talk in a nutshell

How is the syntactic structure of a sentence encoded in the mind of the language user during processing?



#### Our talk in a nutshell

We propose a computational model of syntax in working memory that is based on processing data from agreement attraction



Agreement is susceptible to interference from distractors (e.g., Bock and Miller, 1991; Wagers et al., 2009):

The **key** to the **cabinets** is/\*are on the table.

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We can learn about working memory from cases where it goes astray!

Interference rates between target and distractor are modulated by similarity:

- 1. Semantically (Fedorenko et al., 2006; Gordon et al., 2011; Smith et al., 2021; Van Dyke, 2007)
- 2. Morphologically (Badecker & Kuminiak, 2007; Sims, 2012, Slioussar et al., 2022)
- 3. Syntactically (Arnett & Wagers, 2017; Franck et al., 2002; Van Dye, 2007; Van Dyke & McElree, 2011)

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Structurally closer distractors interfere more (Franck et al., 2002; Bock and Cutting, 1992):

The **helicopter** for the **flight(s)** over the **canyon(s)** is/\*are rusty.

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The model uses vector-symbolic representations, where similarity is represented as cosine similarity (e.g., Cho et al., 2020; Piantadosi et al., 2024; Plate, 1997; Smolensky, 1990; Smolensky et al., 2010)

Sentences are encoded in working memory by binding lexical items to syntactic positions

(Keshev et al., 2024a)

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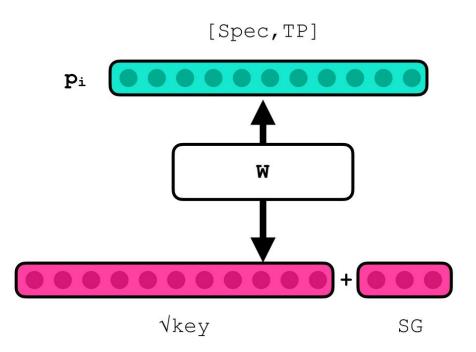
(Keshev et al., 2024a)

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Sentences are encoded in working memory by binding lexical items to syntactic positions

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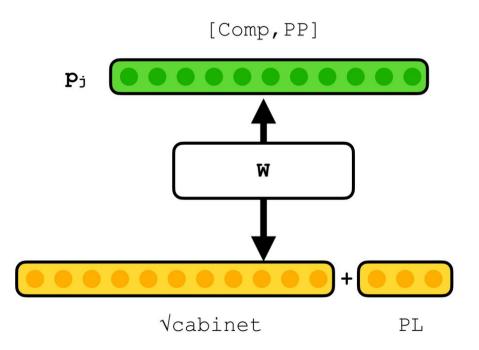
The <u>key</u> to the cabinets is rusty.  $\mathbf{v}_{i}$ 



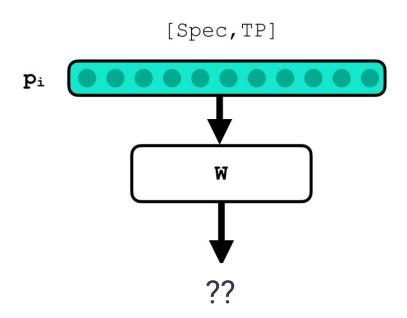
Sentences are encoded in working memory by binding lexical items to syntactic positions

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The key to the <u>cabinets</u> is rusty.



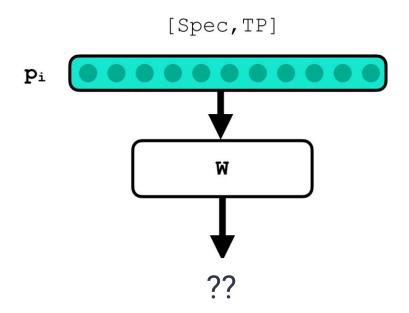
When processing agreement, speakers need to retrieve the item vector bound to subject position



Distributed vector representations

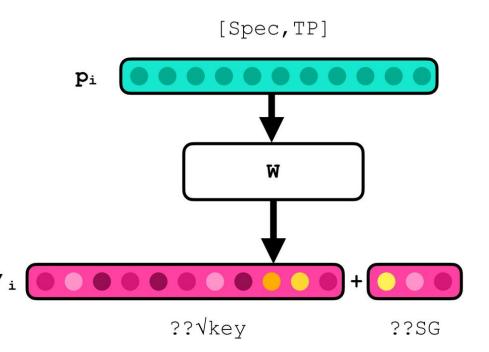
→ Same units are activated to
code different positions/items

All associations are superimposed on the same connection matrix



Unless position vectors are orthogonal, item vector is not perfectly recovered

Items in similar positions are more likely to be misretrieved



## Our task for today

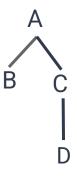
Develop a method to systematically compute position vectors such that higher cosine similarity corresponds to higher rates of interference

- **Step 1** Assign a constituency parse to the sentence
- **Step 2** Assign each node a base vector depending on its category
- Step 3 For each node, compute its position vector as the weighted sum of its own base vector and its mother's position vector (TCM; Howard and Kahana, 2002)

```
position vector (x) = \alpha \times \text{base vector } (x) + (1 - \alpha) \times \text{position vector } (x's \text{ mother})
```



position vector  $(x) = \alpha \times \text{base vector } (x) + (1 - \alpha) \times \text{position vector } (x's \text{ mother})$ 



position vec (A) = base vec (A)

position vector (x) = 
$$\alpha \times \text{base vector } (x) + (1 - \alpha) \times \text{position vector } (x's \text{ mother})$$



position vec (A) = base vec (A) position vec (B) = 
$$\alpha \times \text{base vec}$$
 (B) +  $(1 - \alpha) \times \text{position}$  vec (A)

position vector (x) = 
$$\alpha \times \text{base vector } (x) + (1 - \alpha) \times \text{position vector } (x's \text{ mother})$$



position vec (A) = base vec (A) position vec (B) = 
$$\alpha \times$$
 base vec (B) + (1 -  $\alpha$ ) × position vec (A) position vec (C) =  $\alpha \times$  base vec (C) + (1 -  $\alpha$ ) × position vec (A)

position vector (x) = 
$$\alpha \times \text{base vector } (x) + (1 - \alpha) \times \text{position vector } (x's \text{ mother})$$



```
position vec (A) = base vec (A)
position vec (B) = \alpha \times base vec (B) + (1 - \alpha) × position vec (A)
position vec (C) = \alpha \times base vec (C) + (1 - \alpha) × position vec (A)
position vec (D) = \alpha \times base vec (D) + (1 - \alpha) × position vec (C)
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position vector (x) = \alpha \times \text{base vector } (x) + (1 - \alpha) \times \text{position vector } (x's \text{ mother})
```

- 1. Position vectors contain the category information of the current node and all dominating nodes
- 2. More distant nodes make up a smaller part of the representation

#### Model results: Cosine similarities

The **helicopter** for the **flight(s)** over the **canyon(s)** is rusty.

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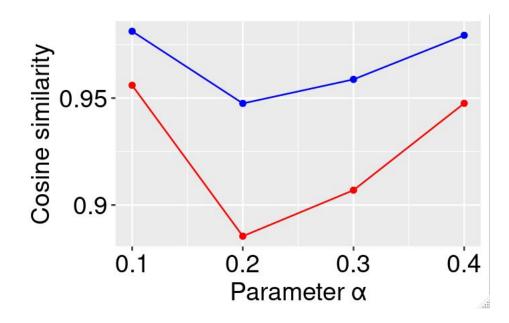
'Flight' is more likely to cause interference than 'canyon'

#### Cosine similarities

The **helicopter** for the **flight(s)** over the **canyon(s)** is rusty.

'Flight' is more likely to cause interference than 'canyon'

Model correctly predicts 'flight' to be more similar to target than 'canyon'



## From cosine similarities to predicting error rates

To test whether the model captures the effect of syntactic similarity on interference rates...

- 1. We fit the model to empirical data for a single distractor using maximum likelihood estimation,
- 2. We then test the predictions of this fitted model against empirical data for two distractors in different syntactic positions

## Single distractor

Empirical data: 4-AFC task for sentences with a single distractor, which is either singular or plural (Keshev et al., 2024b)

The apprentice of the chef/chefs worked diligently.

Who worked diligently?

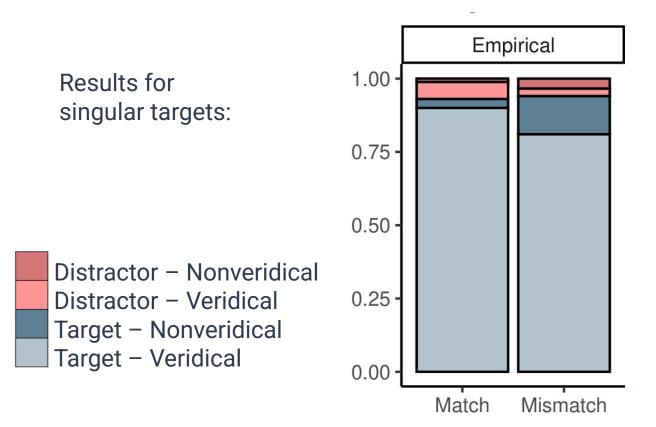
The apprentice / the apprentices / the chef / the chefs

Distractor – Nonveridical
Distractor – Veridical

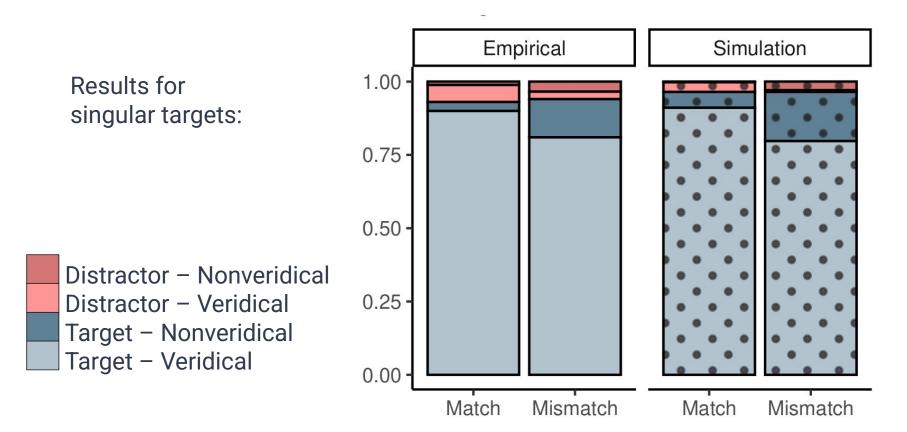
Target – Nonveridical

Target – Veridical

# Single distractor



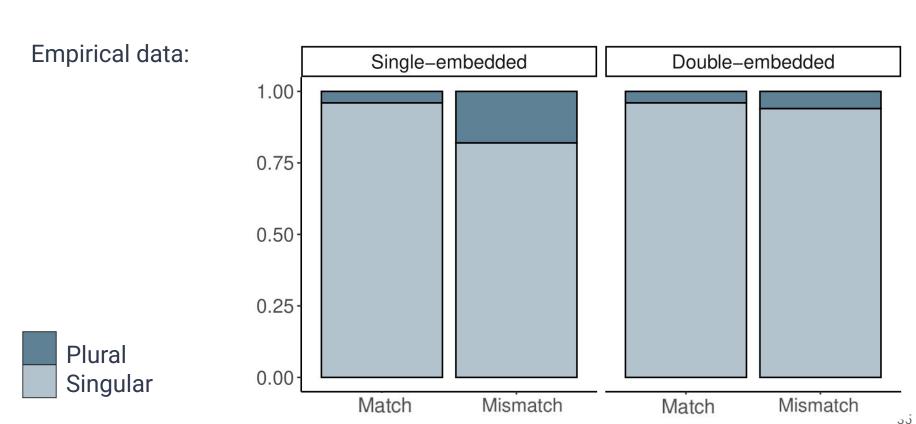
## Single distractor

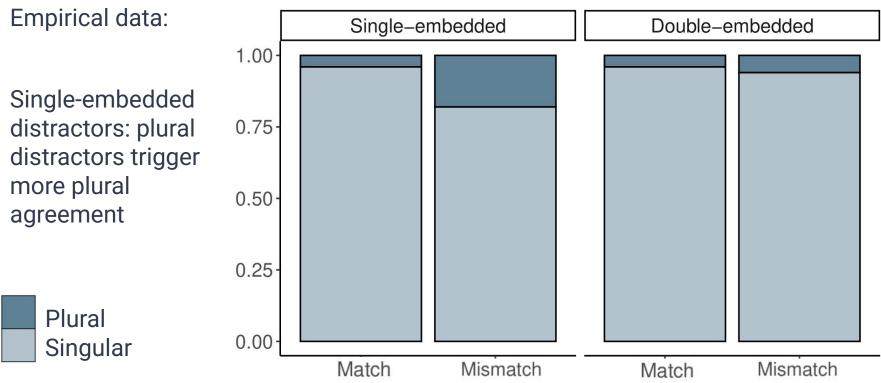


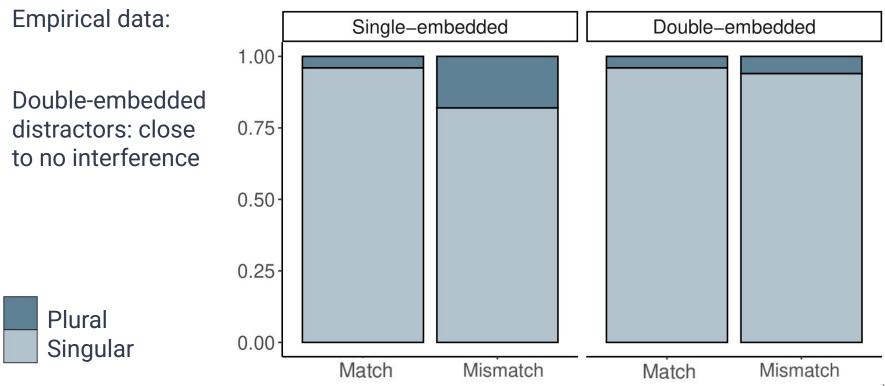
We use the fitted model to make predictions for interference rates from distractors in different syntactic positions

Empirical data: 2-AFC task for subjects with two distractors, one of which is plural (Keung & Staub, 2018)

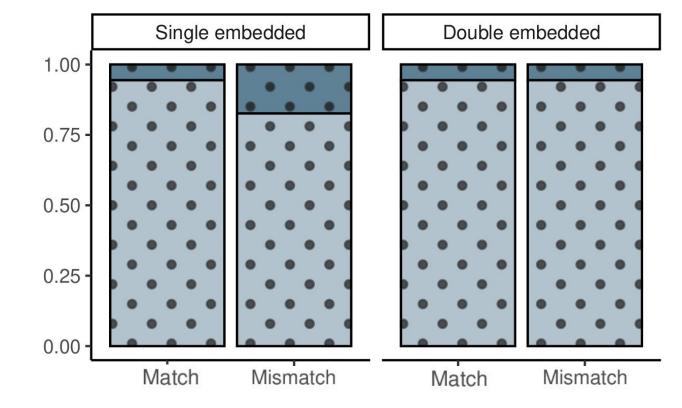
The **helicopter** for the **flight(s)** over the **canyon(s)**... is / ...are



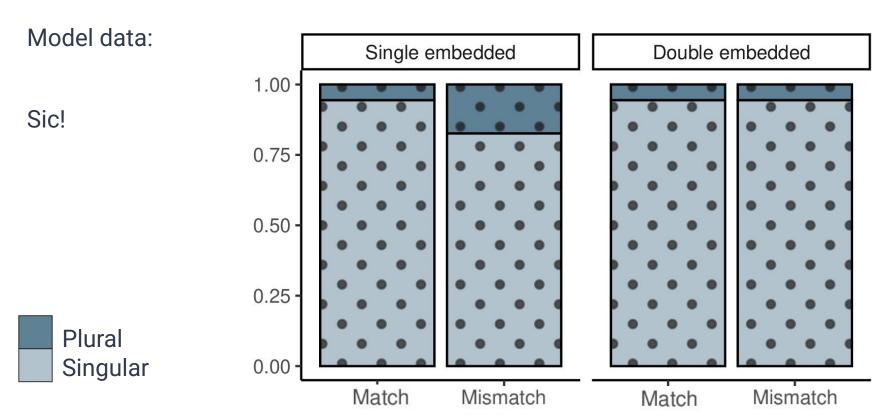




Model data:



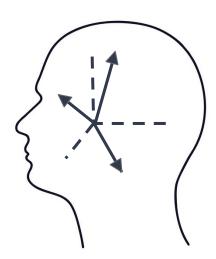
Plural Singular



#### Conclusion

We have developed an algorithm to compute vector representations of syntactic positions

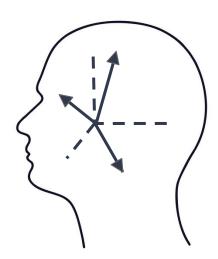
Cosine similarity between these vectors captures which positions are more likely to cause interference in agreement attraction



#### Conclusion

#### Possible future directions:

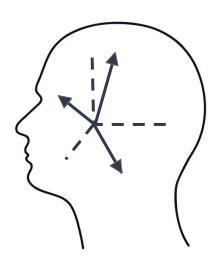
- Predict and empirically test other syntactic configurations,
- Add boundaries (e.g., clausal domains),
- 3. Use non-orthogonal base vectors,
- Apply algorithm to a dependency structure instead,
- 5. What about movement?,
- 6. ...



## Conclusion

#### Possible future directions:





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