

Supplementary Material for “LinguaPhylo: a probabilistic model specification language for reproducible phylogenetic analyses”

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Function	Description	Examples
binaryRateMatrix	Binary trait rate matrix	errorModel1.lphy, errorModel2.lphy
f81	F81 model[4]	f81Coalescent.lphy
generalTimeReversible	General time reversible rate matrix	h5n1.lphy
gtr	GTR model[17]	gtrCoalescent.lphy
hky	HKY model[5]	hkyCoalescent.lphy
jukesCantor	Jukes-Cantor model[8]	jcCoalescent.lphy
k80	K80 model[10]	
lewisMK	LewisMK model[11]	lewisMKCoalescent.lphy
migrationMatrix	Population process rate matrix	simpleStructuredCoalescent.lphy
wag	WAG model[19]	wagCoalescent.lphy

Table A: Functions for substitution models and rate matrices in LPhy.

Generative distribution	Description	Examples
MultispeciesCoalescent	Multispecies coalescent	simpleMultispeciesCoalescent.lphy, simpleMultispeciesCoalescentTaxa.lphy, twoGeneMultispeciesCoalescent.lphy
Coalescent	Kingman’s coalescent [13]	RSV2.lphy
SkylineCoalescent	Skyline coalescent [2]	hcv_col.lphy
StructuredCoalescent	Structured coalescent[12]	simpleStructuredCoalescent.lphy

Table B: Coalescent tree generative distributions in LPhy.

Generative distribution	Description	Examples
BirthDeathSampling	Birth-death-sampling tree[14, 15]	birthDeathRhoSampling.lphy
BirthDeathSerialSampling	Birth-death serial sampling tree[16]	simpleBirthDeathSerial.lphy
BirthDeath	Calibrated birth-death[7]	simpleCalibratedBirthDeath.lphy, simpleExtantBirthDeath.lphy
FossilBirthDeathTree	Fossilized birth-death process[6]	simFossilsCompact.lphy
FullBirthDeath	Birth-death tree[9]	simpleFullBirthDeath.lphy
RhoSampleTree	Birth-death tree sampled from a larger tree	
SimBDReverse	Birth-death tree with extant and extinct species	simFossils.lphy
SimFBDAge	Birth-death tree with extant and extinct species sampled through time	simFBDAge.lphy
SimFossilsPoisson	Tree with fossils added to given tree at rate ψ	simFossils.lphy
Yule	Yule tree[18]	simpleYule.lphy, yuleRelaxed.lphy

Table C: Birth-death tree generative distributions in LPhy.

Generative distribution	Description	Examples
PhyloBrownian	Brownian motion process[3]	simplePhyloOU.lphy
PhyloCTMC	Continuous time Markov process[4]	simpleBModelTest.lphy
PhyloMultivariateBrownian	Multivariate Brownian motion	simplePhyloMultivariateBrownian.lphy
PhyloOU	Ornstein-Uhlenbeck process[3]	simplePhyloBrownian.lphy

Table D: Phylogenetic likelihood distributions in LPhy.

Generative distribution	Description	Examples
Bernoulli	Bernoulli distribution	simpleRandomLocalClock.lphy, simpleBModelTest.lphy
Beta	Beta distribution	birthDeathRhoSampling.lphy, simpleBModelTest.lphy
Cauchy	Cauchy distribution	
Dirichlet	Dirichlet distribution	birthDeathRhoSampling.lphy, dirichlet.lphy
DiscreteUniform	Discrete-uniform distribution	simpleBModelTest.lphy, simpleBModelTest2.lphy
DiscretizeGamma	Discretize-gamma distribution	gtrGammaCoalescent.lphy, simpleBModelTest.lphy
Exp	Exponential distribution	birthDeathRhoSampling.lphy, yuleRelaxed.lphy
ExpMarkovChain	Smoothing distribution [2]	skylineCoalescent.lphy
Gamma	Gamma distribution	covidDPG.lphy
Geometric	Geometric distribution	
InverseGamma	Inverse-gamma distribution	totalEvidence.lphy
LogNormal	Log-normal distribution	hkyCoalescent.lphy, errorModel1.lphy
Normal	Normal distribution	simplePhyloBrownian.lphy, simplePhyloOU.lphy
NormalGamma	Normal-gamma distribution	simplePhyloBrownian.lphy, simplePhyloOU.lphy
Poisson	Poisson distribution	expression4.lphy, simpleRandomLocalClock2.lphy
RandomBooleanArray	Samples a random boolean array	simpleRandomLocalClock2.lphy
RandomComposition	Samples a random k-tuple of positive integers that sum to n	skylineCoalescent.lphy
Uniform	Uniform distribution	simFossilsCompact.lphy
Weibull	Weibull distribution	
WeightedDirichlet	Weighted dirichlet distribution	totalEvidence.lphy, weightedDirichlet.lphy

Table E: Parametric distributions in LPhy.

Function	Description	Examples
aminoAcids	Amino acid data type	wagCoalescent.lphy
binaryDataType	Binary data type	
nucleotides	Nucleotide data type	primates2.lphy
standard	Standard data type	totalEvidence.lphy

Table F: Alignment data types in LPhy.

Function	Description	Examples
nucleotideModel	bModelTest[1] rate matrix	simpleBModelTest.lphy, simpleBModelTest2.lphy
bModelSet	bModelTest model set	simpleBModelTest.lphy
bSiteRates	Site rates for the given bModelTest parameters	simpleBModelTest2.lphy
bSiteModel	bModelTest site model	simpleBModelTest.lphy

Table G: Bayesian phylogenetic site model averaging in LPhy.

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