

Precondition: $\text{this.degree} \geq \text{p.degree}$, this and p are not null nor NAN

```
Copy = this
Index = 0
new_size = this.degree()-p.degree+1
degree_diff = this.degree - tmp.degree
While (degree_diff >= 0)
{
    answer = this / p
    i = new_size - index-1
    while (i < this.length - index)
    {
        tmp = copy - tmp
        i ++
    }
    index ++
    degree_diff--
}
```

Postcondition: $\text{this} = \text{answer} * \text{p} + \text{tmp}$

Inner LI: $i < \text{this.length} + 1$

Base Case:

$\text{index} = 0, i = \text{new_size} - 1 < \text{this.length} < \text{this.length} + 1, \text{TRUE}$

Induction:

$i_{\text{new}} = i_{\text{old}} + 1$

$i_{\text{new}} \leq \text{this.length} - \text{index} + 1$

$i_{\text{old}} + 1 \leq \text{this.length} - \text{index} + 1$

$i_{\text{old}} \leq \text{this.length} - \text{index} + 1$

Exit Condition:

$i \leq \text{this.length} - \text{index} + 1 \ \&\& \ i < \text{this.length} + 1$

$i \leq \text{this.length} - \text{index} + 1$

Outer LI: this = answer * p + tmp && diff >= 0

Base Case:

temp is always the remainder. The base case will be this = answer * divisor + remainder.

Which is TRUE

Induction:

index_new = index_old + 1

tmp_new = copy - tmp_old

answer_new = this / p

this = answer * p + tmp

= answer_new * p + tmp_new

= this/p * p + copy - tmp_old

= this + copy - tmp_old

= answer * p + tmp + copy - tmp_old

= answer * p + tmp

Exit Condition:

degree_diff == 0 && (this = answer * p + tmp) && (degree_diff >= 0)

(this = answer * p + tmp) && (degree_diff >= 0)