CS 1200 FS18 HW 03

Due Friday 10/05/18 at 11:59 PM

Please submit two files to Canvas (one is a PDF file and the other is the code .py file) :

- 1. A PDF file that contains all the answers to the individual questions, all pictures, all code, and all code output. This should all be well-organized. Points will be deducted for sloppy or disorganized work.
- 2. All the Python codes (.py file) (You may put all codes in one .py file).

If you need a program that helps you put PDF files together into a single PDF file, try http://www.pdfsam.org/. The program there is open source and available for free.

Note: Partial credit will be given on every problem.

- 1. (20pts) Show that \rightarrow does not have the associative or commutative laws. In other words show that
 - (a) $P \to (Q \to R)$ and $(P \to Q) \to R$ have different truth table.
 - (b) $P \to Q$ and $Q \to P$ have different truth table.
- 2. (15pts) Verify the second DeMorgan's Law $\sim (P|Q) = \sim P\&\sim Q$ manually using truth table. Also verify the result by writing a program in Python. Submit a listing of the program.
- 3. (a) (8pts) Manually, construct a truth table for \sim (P& Q \rightarrow R&S).
 - (b) (7pts) Find the disjunctive normal form of \sim (P& Q \rightarrow R&S).
- 4. (26pts) Let G(A,B,C) be the function:

$$B&A|C&C\leftarrow B&B\rightarrow B!=A|C$$

- (a) Completely parenthesize the above expression for G. i.e, put parentheses in every correct location so the result can be evaluated correctly without using any precedence rules. (Note: the symbol!= means Boolean operator xor.)
- (b) Create a truth table for G. You may simplify G if you wish. (Note: You are allowed to simplify the expression to make it easier to generate a

truth table.)

- (c) Express G in disjunctive normal form.
- (d) Draw a circuit that uses &, | and \sim gates to compute G.
- 5. (12pts) Represent the function P!=(Q!=R) using NOT, AND and OR gates.
- 6. (12pts) Design a circuit for three switches that turns a light on only if at least two of the three switches are on.