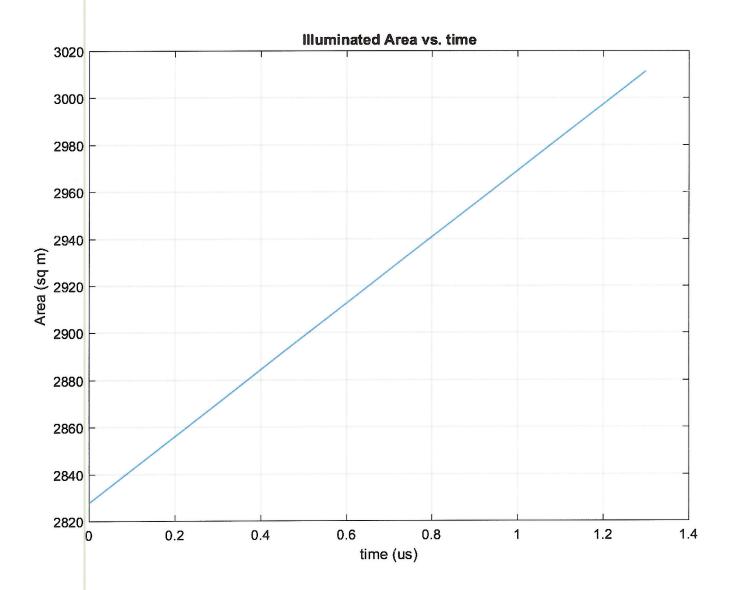
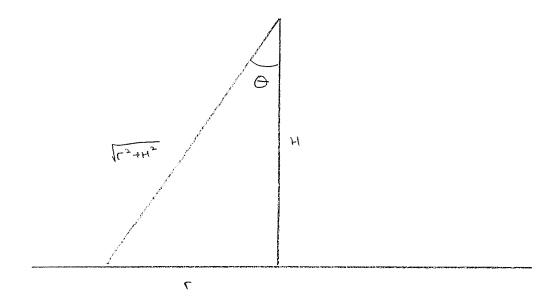


$$\Gamma_{3}^{2} + H^{2} = \left(H + \frac{c^{+}}{2} + \frac{c^{+}}{2}\right)^{2} \Rightarrow \Gamma_{3} = \left(H + \frac{c^{+}}{2}(++r)\right)^{2} - H^{2}$$

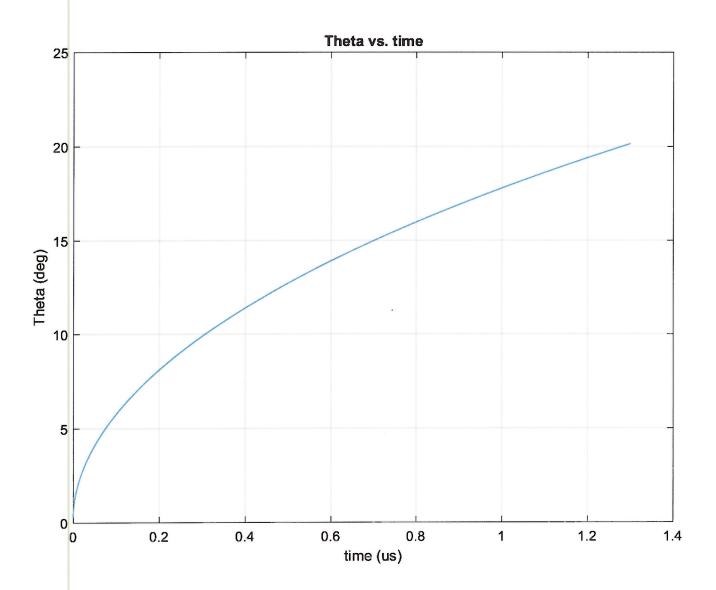
$$\Gamma_{3}^{2} + H^{2} = \left(H + \frac{c^{+}}{2}\right)^{2} \Rightarrow \Gamma_{3} = \left(H + \frac{c^{+}}{2}\right)^{2} - H^{2}$$





Let r= average of r, erz

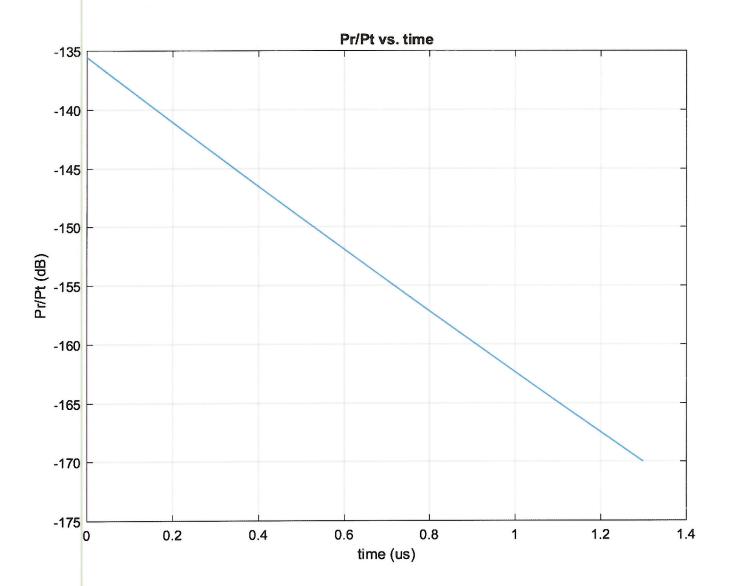
$$\Theta = \leq_{1} \sim \left(\frac{\left(\Gamma_{1} + \Gamma_{2} / 2 \right)}{\sqrt{\left(\Gamma_{1} + \Gamma_{2} \right)^{2} + H^{2}}} \right)$$



Using
$$\frac{P_r}{P_{+}} = \frac{\lambda^2 G^2 (\Theta) \Delta A}{(4\pi)^2 R^4}$$

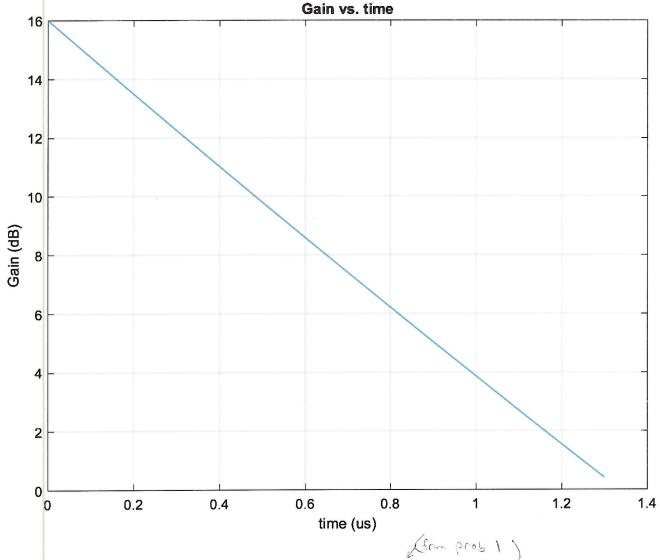
$$\delta^{\circ}(\Theta) = \delta^{\circ}(O)\cos^{q}(O)$$
 exponent q indicates a smooth surface $\delta^{\circ}(O) = 0.1$

$$G(\Theta) = G_0 \exp \left[-2.773 \left(\left(\frac{\Theta}{P_0}\right)^2 + \left(\frac{\Phi}{P_0}\right)^2 \right) \right]$$
, $\Theta = \Phi$ (Symmetric)



Le receiver should be at least 35 dB (ratio was from -13562 to -1704E),

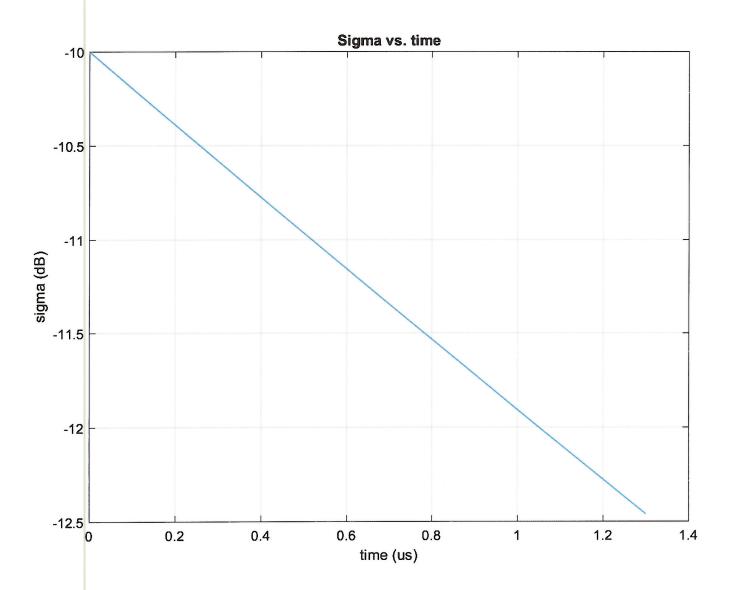
- The gain of the antenne as a function of A contributed the most; it varied from 1628 down to 888 (16 88 range). Because PriPt 13 a function of G2, G contributed 16+2=3288 of the dynamic range



- Area increased by a factor of 10 logic (3010) = 0.26 dB, a regligable contribution to agramic range

- R increased by a factor of $10 \times 4 \times 109_{10} \left(\frac{3195}{3000}\right) = 1.08 B, also a restigable amount$

To varied by 2 d8 over the tre interval, so it hid not have a big import or dynamic range (see below)



```
% EECS725 Homework 3
clear;
close all;
% Universal constants
         = 3e8; % speed of light (m/s)
% Problem constraints
                     % height (m)
h
         = 3e3;
        = 10e-2;
                     % radar wavelength (m)
lambda
        = 25*pi/180; % 3dB beam width of antenna (Gaussian beam shape)
beta
                     % antenna peak gain (dB)
Go dB
         = 16;
        = 1e-9;
                    % pulse duration (s)
tau
sigma_o_0 = 0.1;
                      % backscattering coefficient
Go
          = 10^(Go dB/10); % antenna gain (linear)
% Simulation parameters
         = 1.3e-6; % max simulation time
t max
                     % simulation granularity
         = 1000;
N
          = linspace(0,t_max,N); % time
%% Start simulation
t0 = h/c; % time that front part of transmitted pulse hits the earth
t1 = t0 + (c*tau/2); % time that back part of transmitted pulse hits the earth
% Compute radii for leading and trailing edge of wave pulse
r2 = sqrt((h + c.*t./2).^2 - h^2); % (m)
r1 = sqrt((h + (c.*t./2) + (c*tau/2)).^2 - h^2);% (m)
r2(1) = 0; % trailing edge has not contacted ground yet, so first time unit is zero
R = sgrt(((r1+r2)/2).^2 + h^2);
% Illuminated area (annulus)
area = pi*(r1.^2 - r2.^2); % (m)
% Theta (angle of center of annulus with respect to nadir)
theta = asin(((r1+r2)./2)./sqrt(((r1+r2)/2).^2 + h^2));% (rad)
% Antenna gain at theta
G = Go * exp(-2.773 * ((theta/beta).^2 + (theta/beta).^2)); {(linear)}
% Terrain backscaterring coefficient at theta
sigma o = sigma o 0 * (cos(theta).^9);% (linear)
% Distance from annulus center back to transmitter
R = sqrt(h^2 + ((r1+r2)/2).^2); % (m)
% Pr/Pt
PrPt = (lambda^2 * G.^2 .* area .* sigma_o) ./ ((4*pi)^3 * R.^4);% (linear)
```

```
%% Plots-----
figure(1)
plot(t*1e6, area);
title('Illuminated Area vs. time');
xlabel('time (us)');
ylabel('Area (sq m)');
grid on;
figure(2)
plot(t*1e6,theta*180/pi);
title('Theta vs. time');
xlabel('time (us)');
ylabel('Theta (deg)');
grid on;
figure(3)
plot(t*1e6,10*log10(PrPt));
title('Pr/Pt vs. time');
xlabel('time (us)');
ylabel('Pr/Pt (dB)');
grid on;
figure(4)
plot(t*1e6,10*log10(G));
title('Gain vs. time');
grid on;
xlabel('time (us)');
ylabel('Gain (dB)');
% Contribution is squared, so multiply dB spread by 2
figure(5)
plot(t*1e6,10*log10(sigma_o));
title('Sigma vs. time');
xlabel('time (us)');
ylabel('sigma (dB)');
grid on;
figure(6)
plot(t*1e6,r1);
hold on;
plot(t*1e6,r2);
title('r1 and r2 vs. time');
xlabel('time (us)');
ylabel('Radius (m)');
grid on;
```