

# Real Estate Sales Prediction Analysis

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# Introduction

**Dataset:** Real Estate Sales (Kaggle)

**Goals:** Which factors significantly impact property sale price?

- **Hypothesis:** The year of the real estate transaction has a significant on the sale price.



- 
- **Original Dataset:** The dataset initially included real estate transaction data from Connecticut between 2009 till 2022, with a total of 10,000 observations and 12 variables.
  - **Cleaned Dataset:** After carefully cleaning and selecting, I got 2574 observations and 12 variables.
    - Remove all 0 and NA values.
    - Filter the observations to the years 2017–2022.
    - Divided the sale price and estimated values by 1,000.
  - **Model Building Dataset:** each categorical variables has too many category, subset top 2 of each categorical variables and left dataset with 397 variables for model building

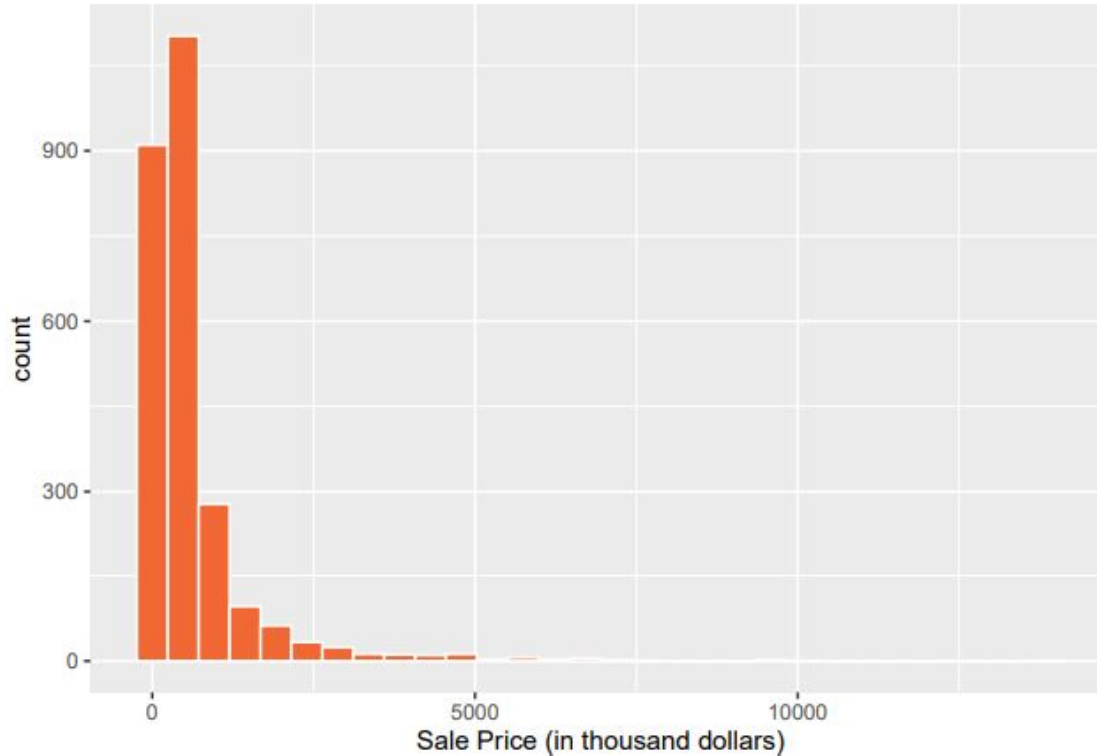
# Data Description

## Response Variable

**Sale.Price:** (measured in thousand dollars)  
– The actual sale price of the property

- **Date:** The property transaction date (Numerical)
- **Year:** The property transaction year (Numerical)
- **Locality:** The property locality/area (Categorical)
- **Estimated.Value:** (measured in thousand dollars) The estimated value of the property (Numerical)
- **Property:** Types of properties suitable for various family sizes (Categorical)
- **Residential:** Indicates whether the property is designated for residential use (Categorical)
- **num\_rooms:** The number of rooms in the property (Numerical)
- **num\_bathrooms:** The number of bathrooms in the property (Numerical)
- **carpet\_area:** (measured in square feet) The carpet area of the property (Numerical)
- **Property\_tax\_rate:** Tax rate applied to the property's assessed value (Numerical)
- **Face:** Direction the main entrance/facade of the property is oriented towards (Categorical)

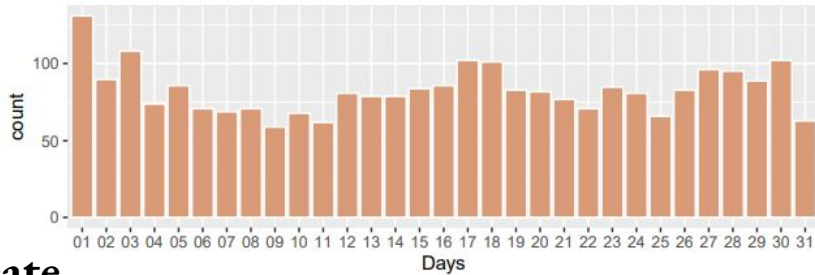
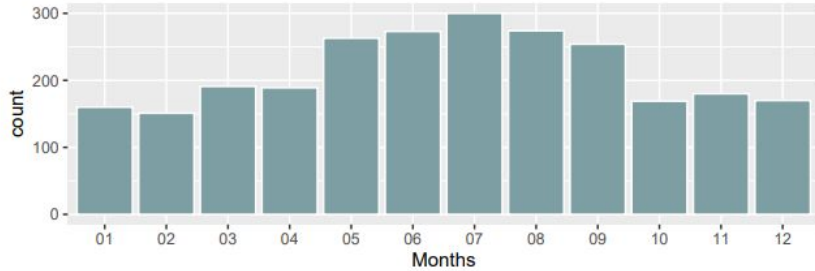
## EDA: Response Variable



### Sale.Price

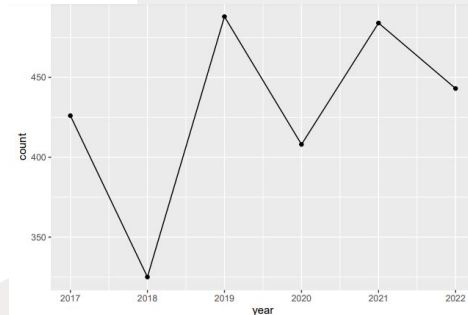
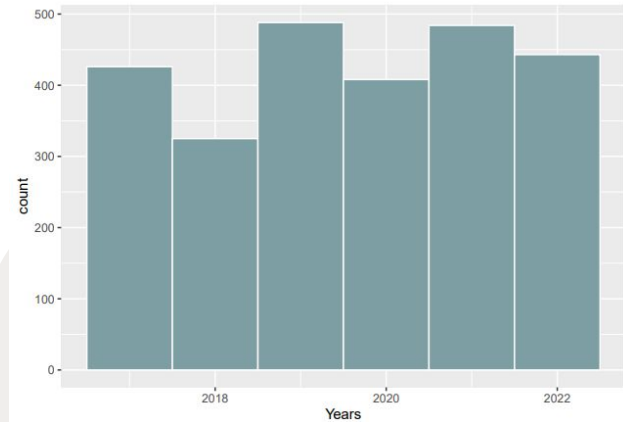
- The histogram indicates that the response variable is not normally distributed.
- Right skewed

# EDA: Predictor Variables



## Date

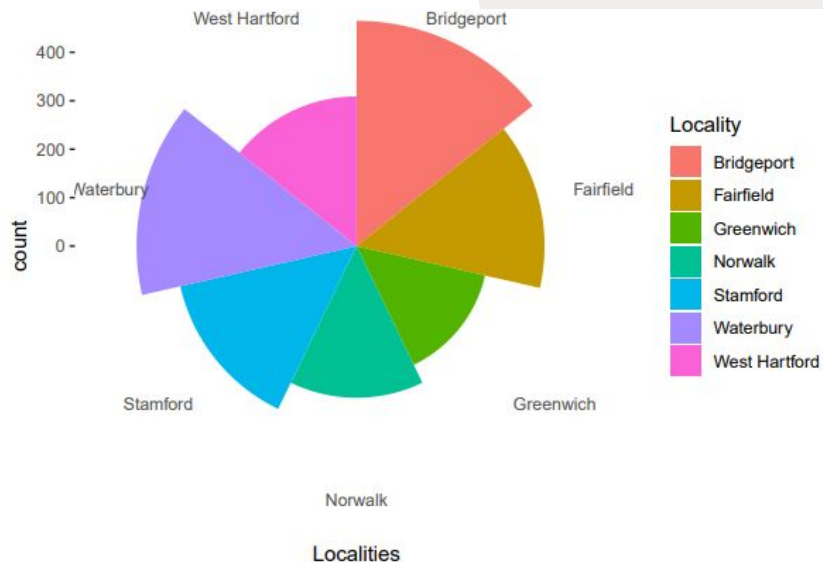
- July is the most popular month for real estate sales.
- The most real estate sales occurred on the first day of the month.



## Year

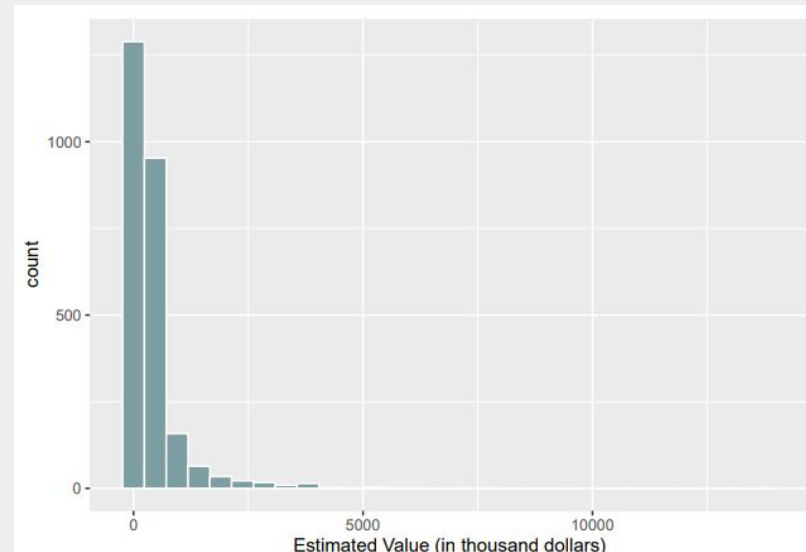
- Real estate sales were highest in 2019 and lowest in 2018.

# EDA



## Locality

- 6 different locations
- The top 2 localities are Bridgeport & Waterbury

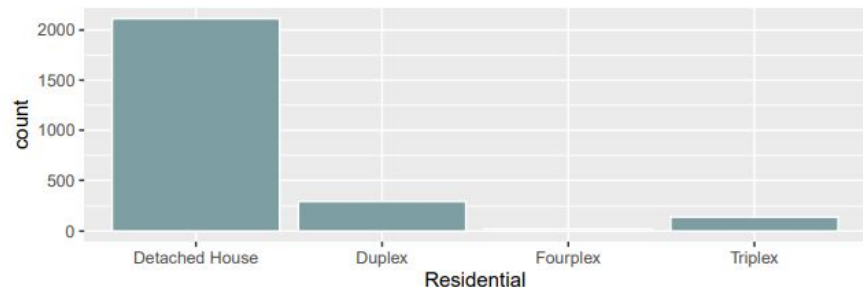
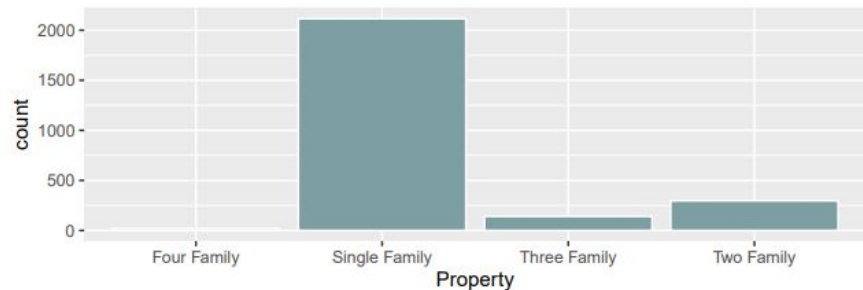


## Estimated Value

- The histogram indicates that this variable is not normally distributed.
- Right skewed



# EDA

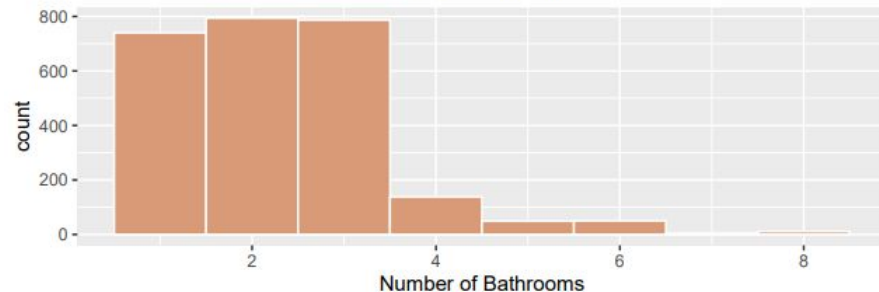
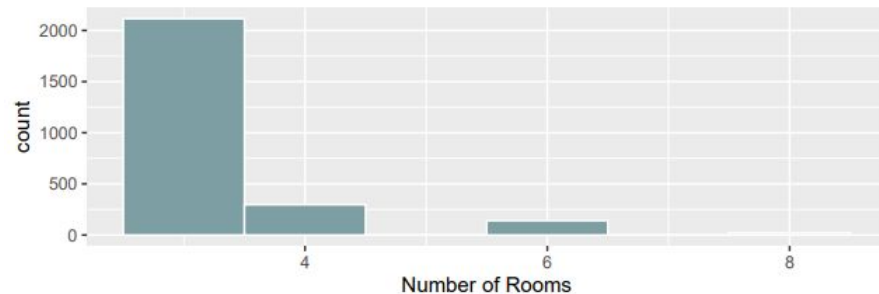


## Property

- 4 different property types
- The top 2 properties are Single & Two Family

## Residential

- 4 different residential types
- The top 2 residence are Detached House & Duplex

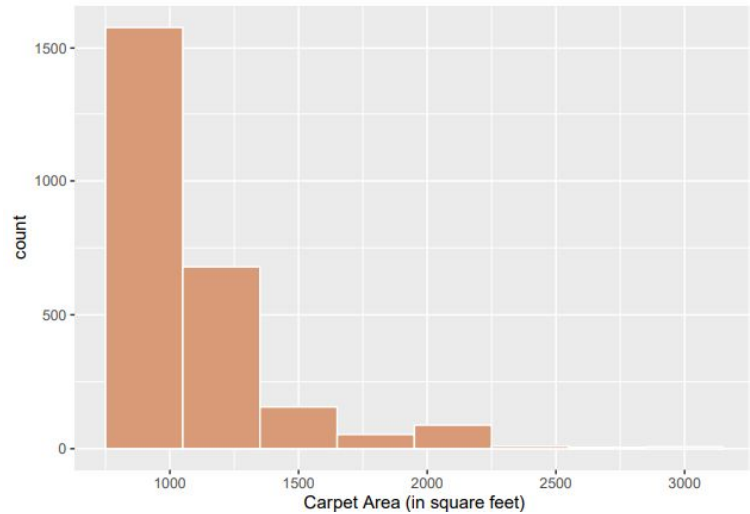


## Room numbers

- Between 3 and 8 rooms

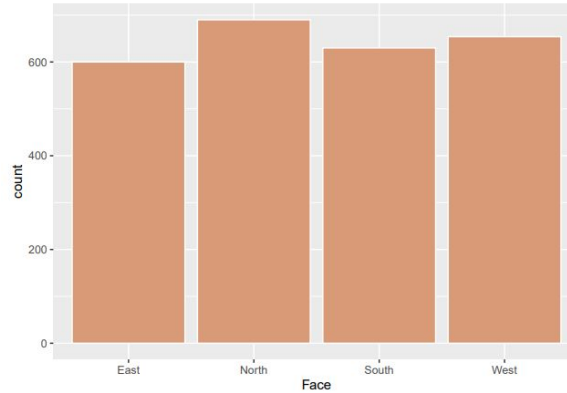
## Bathroom numbers

- Between 1-8 bathrooms



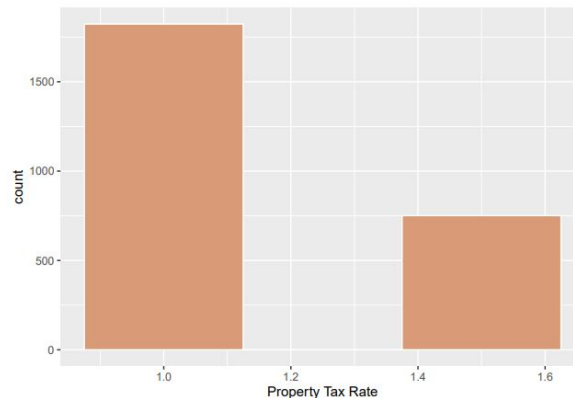
## Carpet Area

– Range of 900 - 2989 square feet



## Face

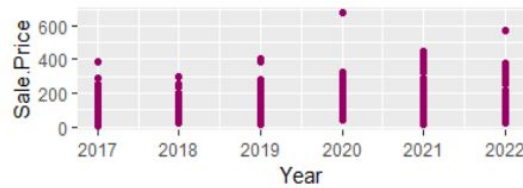
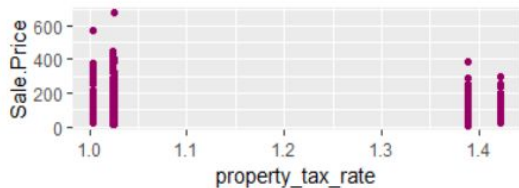
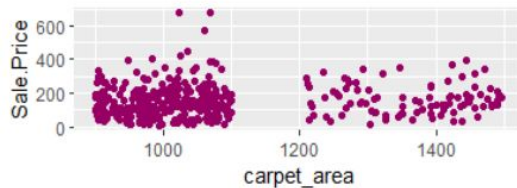
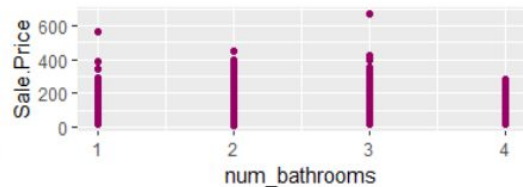
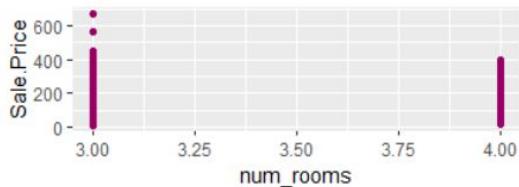
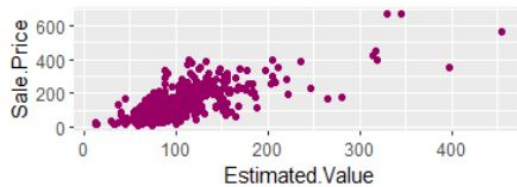
– 4 different facing directions  
– The top 2 directions are North & West



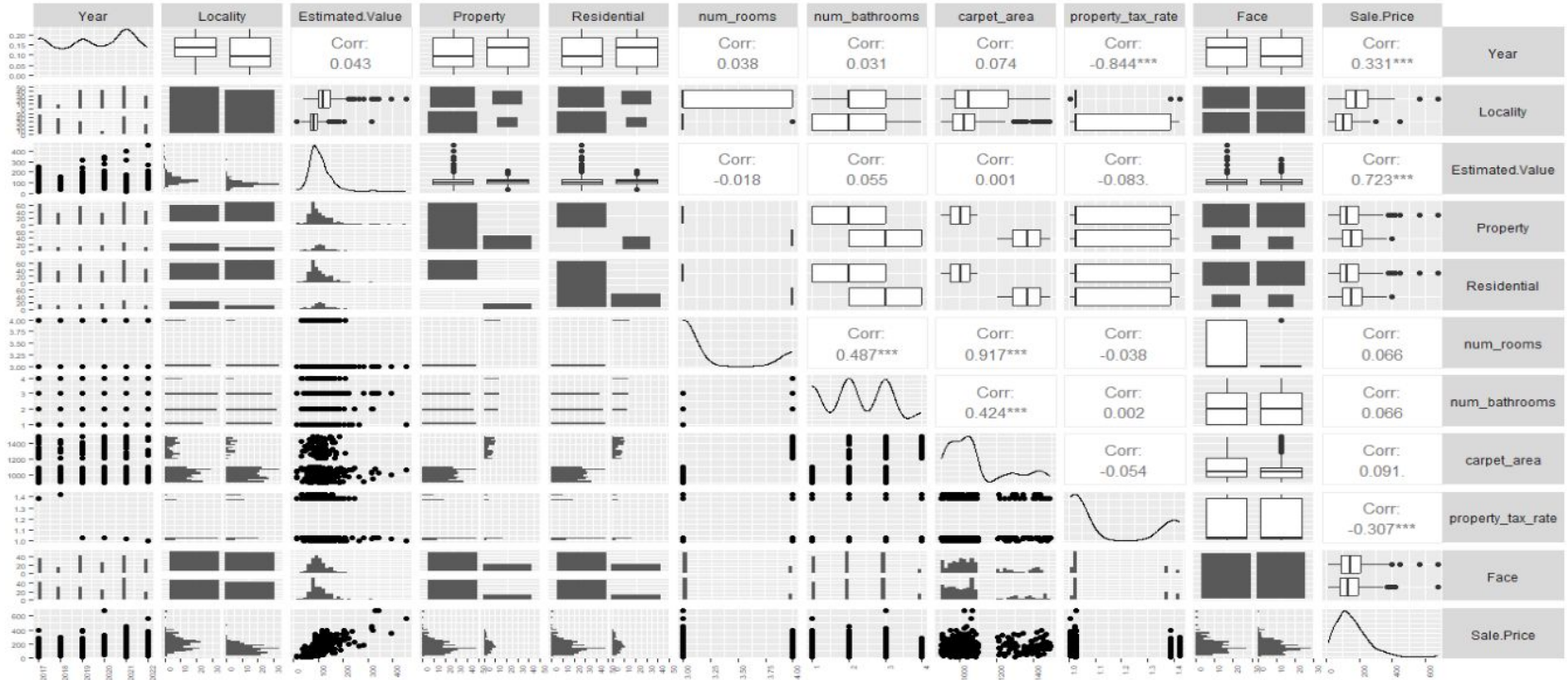
## Property Tax Rate

– Range from 1.004 to 1.422

# EDA



# Multicollinearity Analysis



# VIF

```
## Coefficients: (2 not defined because of singularities)
```

Year	Locality	Estimated.Value
3.581429	1.416801	1.268067
num_bathrooms	carpet_area	property_tax_rate
1.337689	6.421536	3.757161

num_rooms
7.034652
Face
1.021831

**Remove Property & Residential**

**Remove num\_rooms**

Year	Locality	Estimated.Value	num_bathrooms
3.549281	1.390207	1.248429	1.231240
carpet_area	property_tax_rate	Face	
1.250881	3.749222	1.016746	

# Forward Stepwise Model

```
Call:
lm(formula = Sale.Price ~ Estimated.Value + Year + Locality +
    carpet_area, data = modelbuilding)
```

Residuals:

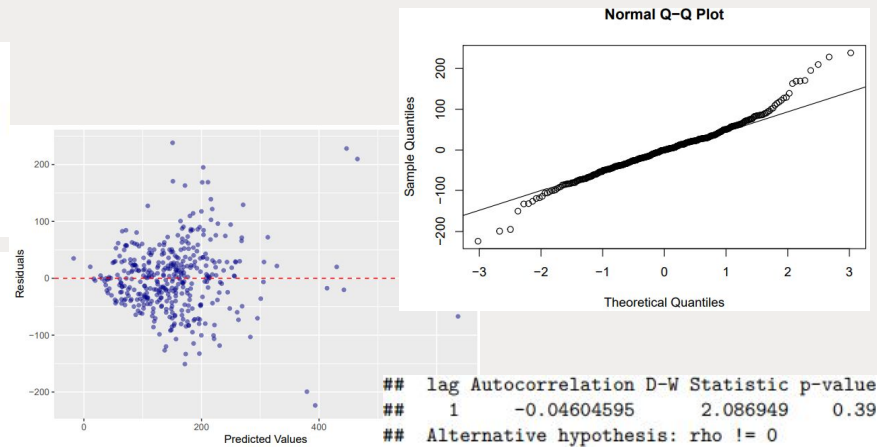
Min	1Q	Median	3Q	Max
-223.530	-36.063	-0.146	29.334	238.186

Coefficients:

	Estimate	Std. Error	t value	Pr(> t )
(Intercept)	-3.220e+04	3.587e+03	-8.977	<2e-16 ***
Estimated.Value	1.263e+00	6.457e-02	19.558	<2e-16 ***
Year	1.594e+01	1.776e+00	8.974	<2e-16 ***
LocalityWaterbury	-1.516e+01	6.866e+00	-2.207	0.0279 *
carpet_area	3.324e-02	1.833e-02	1.813	0.0705 .

Signif. codes: 0 '\*\*\*' 0.001 '\*\*' 0.01 '\*' 0.05 '.' 0.1 ' ' 1

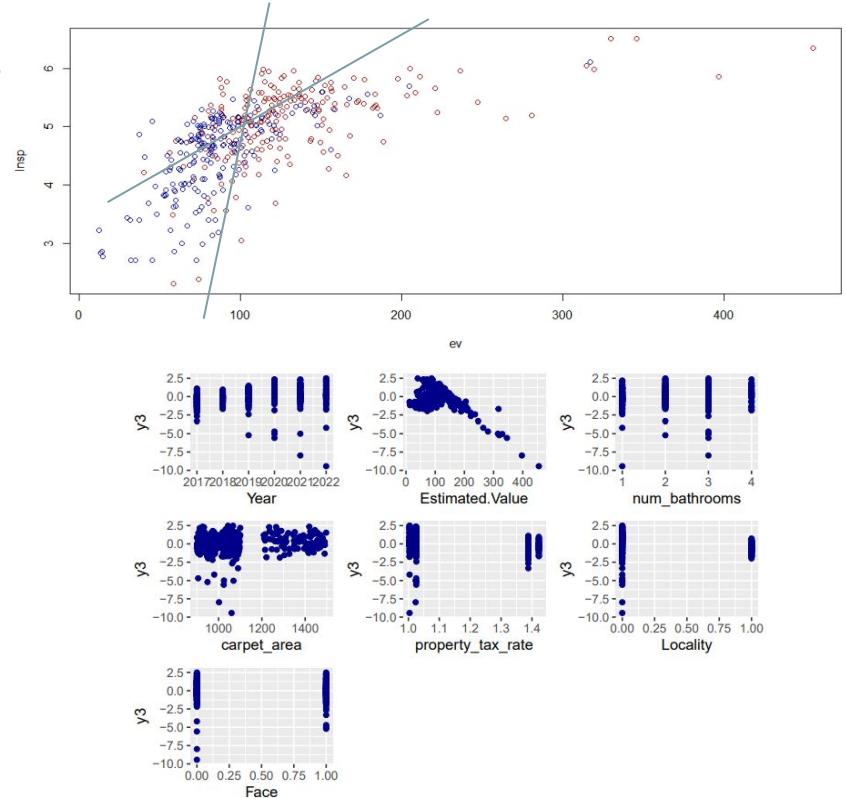
Residual standard error: 59.77 on 392 degrees of freedom  
Multiple R-squared: 0.6226, Adjusted R-squared: 0.6187  
F-statistic: 161.7 on 4 and 392 DF, p-value: < 2.2e-16



- Final predictors: Estimated value, year, locality and carpet area.
- Adjusted  $R^2$ : 0.6187
- Not pass Normality, Linearity or Constant Variance
- Pass independence check

# Interaction Term

- Convert all categorical variables into binary variables
- Check interaction between Estimated Value & Locality
- Check the effect of Year
  - Present but does not seem to significantly impact the model
- Decides to transform Sale.Price (y) using log transformation
- Recheck the interaction between Estimated Value & Locality
- Recheck the effect of Year
- Decide to remove carpet area, number of bathrooms and facing direction from the predictor variables





# Model 1

$$\ln(\text{Sale Price}) = \text{Year} + \text{Locality} + \text{Estimated Value} + \text{Property Tax Rate}$$

Call:  
`lm(formula = lnsp ~ 0 + year + ev + L + ptr)`

Residuals:

	Min	1Q	Median	3Q	Max
	-2.3570	-0.2865	0.1087	0.3693	1.1493

Coefficients:

	Estimate	Std. Error	t value	Pr(> t )
year	2.572e-03	9.319e-05	27.601	< 2e-16 ***
ev	7.708e-03	5.763e-04	13.375	< 2e-16 ***
L	-1.536e-01	6.197e-02	-2.478	0.0136 *
ptr	-1.009e+00	1.573e-01	-6.414	4.07e-10 ***

---

Signif. codes: 0 '\*\*\*' 0.001 '\*\*' 0.01 '\*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 0.5348 on 393 degrees of freedom  
Multiple R-squared: 0.988, Adjusted R-squared: 0.9879  
F-statistic: 8099 on 4 and 393 DF, p-value: < 2.2e-16

- Adjusted R-squared: 0.9879
- Residuals not normally distributed
- Residuals satisfied independence test
- Residuals satisfied constant variance test

Shapiro-Wilk normality test

data: m1\$residuals  
W = 0.94203, p-value = 2.47e-11

lag	Autocorrelation	D-W Statistic	p-value
1	0.0873208	1.815225	0.054

Alternative hypothesis: rho != 0

data: m1  
BP = 2.4551, df = 3, p-value = 0.4835



## Model 2

$$\ln(\text{Sale Price}) = \text{Year} + \text{Locality} * \text{Estimated Value} + \text{Property Tax Rate}$$

```
Call:
lm(formula = lnsp ~ 0 + year + ev * L + ptr)
```

Residuals:

	Min	1Q	Median	3Q	Max
	-2.45139	-0.27082	0.09784	0.35141	1.14163

Coefficients:

	Estimate	Std. Error	t value	Pr(> t )
year	2.660e-03	9.194e-05	28.936	< 2e-16 ***
ev	5.986e-03	6.514e-04	9.189	< 2e-16 ***
L	-7.913e-01	1.379e-01	-5.736	1.94e-08 ***
ptr	-9.663e-01	1.527e-01	-6.328	6.79e-10 ***
ev:L	6.516e-03	1.269e-03	5.135	4.45e-07 ***

Signif. codes: 0 '\*\*\*' 0.001 '\*\*' 0.01 '\*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 0.5183 on 392 degrees of freedom  
Multiple R-squared: 0.9888, Adjusted R-squared: 0.9886  
F-statistic: 6903 on 5 and 392 DF, p-value: < 2.2e-16

- Adjusted R-squared: 0.9886
- Residuals not normally distributed
- Residuals failed independence test, so it shows autocorrelation
- Residuals satisfied constant variance test

```
## Shapiro-Wilk normality test
##
## data:  lm4$residuals
## W = 0.94502, p-value = 5.706e-11
```

```
## studentized Breusch-Pagan test
##
## data:  lm4
## BP = 4.1493, df = 4, p-value = 0.3862
```

```
## lag Autocorrelation D-W Statistic p-value
## 1 0.1078089 1.773688 0.022
## Alternative hypothesis: rho != 0
```

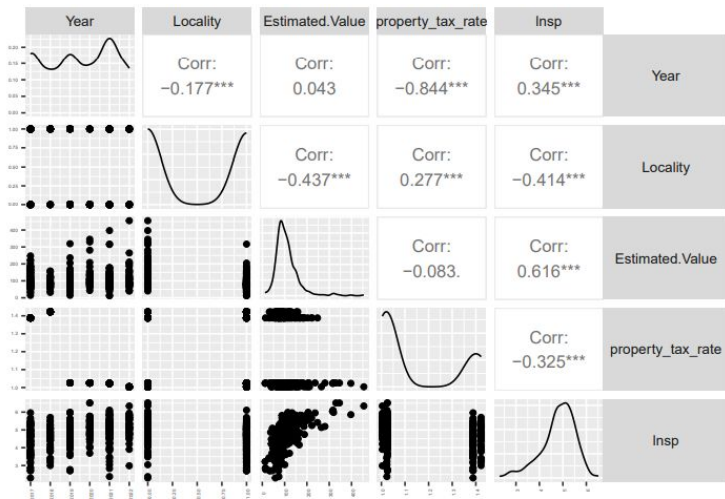
# Model Comparison & Model Diagnostics

## Analysis of Variance Table

```
Model 1: lns ~ 0 + year + ev + L + ptr
Model 2: lns ~ 0 + year + ev * L + ptr
```

	Res.Df	RSS	Df	Sum of Sq	F	Pr(>F)
1	393	112.40				
2	392	105.31	1	7.0848	26.371	4.448e-07 ***

- P-value is extremely small, therefore, model 1 vs. model 2 indicates that there is a huge difference between 2 models.
- Choose Model 2 as our final model



year	ev	L	ptr	ev:L
50.939679	9.072707	13.670066	45.890357	9.769706

# Final Model

$$\ln(\text{Sale Price}) = 2.660e^{-3}\text{Year} + 5.986e^{-3}\text{Estimated Value} - 7.913e^{-1}\text{Locality} + 6.516e^{-3}(\text{Locality} * \text{Estimated Value}) - 9.6636e^{-1}\text{Property Tax Rate}$$

```
Call:
lm(formula = lnsp ~ 0 + year + ev * L + ptr)

Residuals:
    Min       1Q   Median       3Q      Max
-2.45139 -0.27082  0.09784  0.35141  1.14163

Coefficients:
            Estimate Std. Error t value Pr(>|t|)
year    2.660e-03   9.194e-05  28.936 < 2e-16 ***
ev      5.986e-03   6.514e-04   9.189 < 2e-16 ***
L      -7.913e-01   1.379e-01  -5.736 1.94e-08 ***
ptr    -9.663e-01   1.527e-01  -6.328 6.79e-10 ***
ev:L     6.516e-03   1.269e-03   5.135 4.45e-07 ***
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 0.5183 on 392 degrees of freedom
Multiple R-squared:  0.9888, Adjusted R-squared:  0.9886
F-statistic: 6903 on 5 and 392 DF, p-value: < 2.2e-16
```



## Conclusion & Limitation

**Conclusion:** The final model I obtained has a very high adjusted R-squared. The final model suggests that a real estate sales price is influenced by the year, estimated value, locality, property tax rate, and the interaction of estimated value and location. Based on my hypothesis, I can conclude that the year of the real estate transaction has a significant effect on the sale price.

**Limitation:** My final model does not satisfy the normality or independence assumptions, and it has a high vif score with several variables, which could be due to my dataset being too small. As a result, for my future work, I'd like to collect additional observations, expand the dataset size, and rebuild the model to see if I can achieve better results for residual assumption checks.

**THANK YOU!**  
Questions?

