

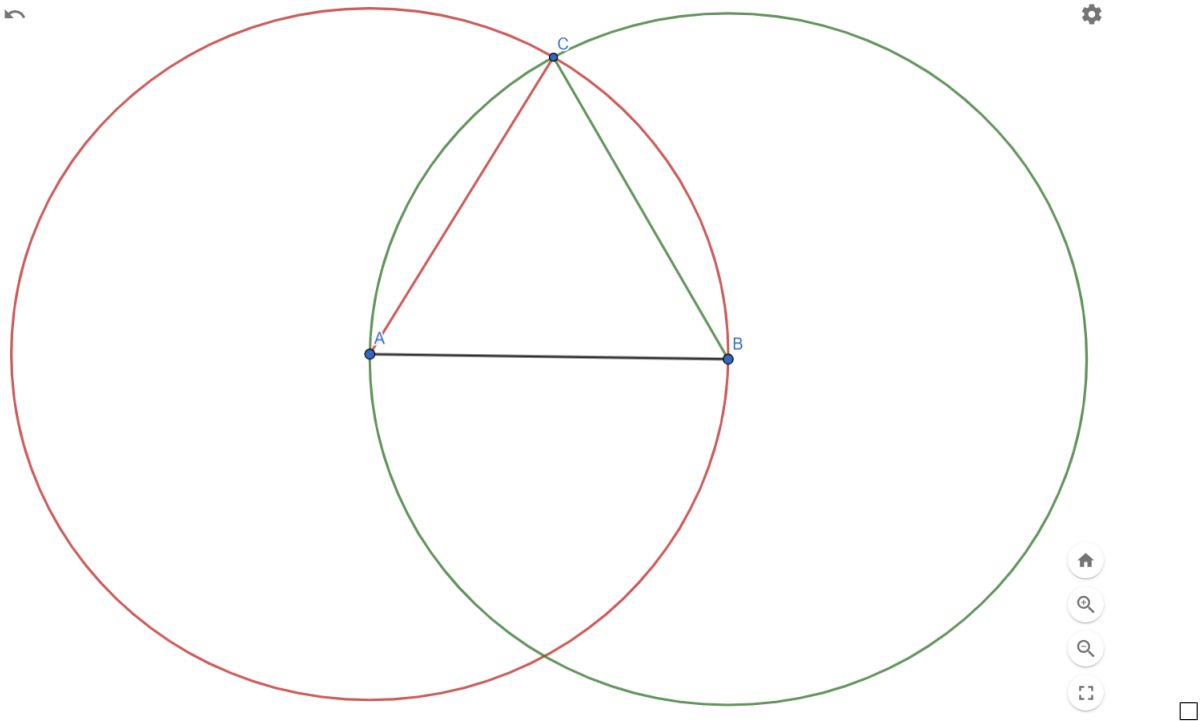
# MTH 322 Homework 1

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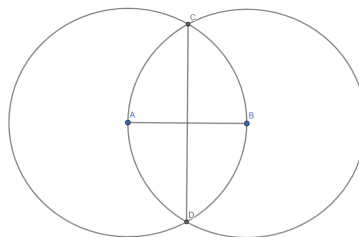
**Problem 1.** *Proposition 1 details how to construct a equilateral triangle from a given finite line segment.*

*Proof.* Given a line segment  $AB$ , a equilateral triangle is constructed by constructing two circles with radius  $AB$  centered at  $A$  and  $B$  respectively, then these circles intersect at a point  $C$ , then it follows since both circles just constructed have the same radius that both line segments  $AC$  and  $BC$  are congruent to  $AB$ , then by the transitive property, these all have the same length, hence the triangle is equilateral.



I would recomend Euclids method to construct an equilateral triangle because I can think of no simpler method, the proof is very striaghtforward, so it is easy to see that this process will always yeild the desired result.

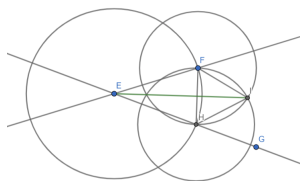
**Problem 2.**



*Proof.* 1. Consturcting an perp. bisector.

In order to preform this

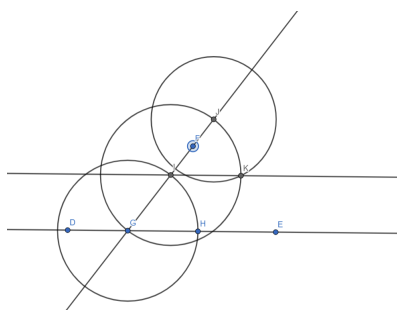
construction I used prop 10 in book 1.



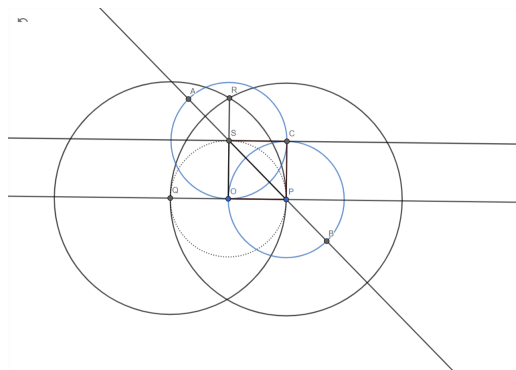
2. Constructing an angle bisector

This was proposition 9 in elements book 1.

3. constructing a line parallel to a line  $l$  through a point  $c$  not on  $l$



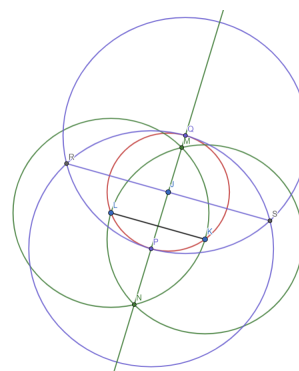
The technique comes primarily from proposition 31 in elements book 1.



4. Constructing a square of a given side length.

This is based

on proposition 46 and prop 31, to construct the parallel lines.



5. How to find the center of a circle is given in book 3 proposition 1.

The center is given by the intersection of the two differently colored lines.

6. Proposition 4 in book 9 says that given two numbers  $n, m$  such that  $n = a^3$  and  $m = b^3$ , then there exists  $c$  such that  $mn = c^3$ .

□

**Problem 3.** *Library of Alexandria*

*Proof.* 1. Name three mathematicians (at least two of which had connections to geometry) that are mentioned in the video, and the times (minutes and seconds) at which each is first mentioned.

Three mathematicians mentioned are Eratosthenes (2:53), Hypatia (3:56), and Ptolemy (00:56)

2. What roles do you think or imagine that the Library of Alexandria played in the development of geometry or mathematics in general?

It was probably really important so that people's discoveries could be recorded and others could access them. With a library, it would be likely that the only way info would travel would be by word of mouth, which would not work well with math. It was definitely a valuable source of knowledge for early geometers.

3. What really happened to the Library of Alexandria? It was not really destroyed by fire since it was visited by scholars for centuries after the fire, instead it slowly fell out of favor as changing cultures in the region continually viewed the library as a threat rather than a source of pride.

All three losses represent a very sad loss of culture and knowledge. In the Brazil fire it is estimated that 92 percent of items were lost. This is a way greater loss than what was lost in the initial fire of the library of Alexandria. Not only this but the Brazil museum is much larger, the library of Alexandria only had around 400,000 scrolls (which is still a lot) but the Brazil museum has millions of items in its collection. Notre-Dame is a very important place for religious people, since it is a church unlike the library of Alexandria and the Brazilian Museum. Notre-Dame also contained a large number of artworks and other relics, although I don't think it had many academic texts.

So far in my life libraries have played an important role as a source of information. When at home I often use my local library to get work done and at URI I make use of the library's resources for my school work and for my own interests. Libraries have fostered interest in math in me since I have spent time in the URI library looking at some of the math books and looking for topics that seem interesting. I think the libraries will effect my future life as I intended to be a lifelong learner.

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**Problem 4.** *Third problem*

*Proof.* Some Islamic scholars are credited who invented the decimal point, Abul Hasan al-Udisi who included decimals in a book about arithmetic, and Al-Kashi who also wrote a book about arithmetic using decimal points, which were thought to have been invented in the 1600.

I think a big takeaway from the video is how many people don't get proper credit for their discoveries and this highlights the importance of studying history so that we can accurately attribute discoveries to those who have actually discovered it. It was very surprising to see how many supposedly recent discoveries were discovered by people in the east almost a thousand years ago.

There is value in teaching about the history of geometry (and to a greater extent, all math) precisely because there is some disagreement. This tells us that there are interesting and stimulating conversations that can be had. I think the most important principle to follow would be to ensure that you are unbiased and not giving some groups more credit than others. Further, it is important to understand the historical development in order to place the importance of subjects and results accurately. Not to mention that it helps us to understand our own thought processes.

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