## Symmetries, Fields, and Particles

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## Introduction

These notes are based on the course lectured by Ben Allanach in Michaelmas 2020. Due to the measures taken in the UK to limit the spread of Covid-19, these lectures were delivered online. These are not meant to be an accurate representation of what was lectures. They solely represent a mix of what I thought was the most important part of the course, mixed in with many (many) personal remarks, comments and digressions... Of course, any corrections/comments are appreciated.

To begin the course, the lecturer reminds of the definition of a group. I will not repeat this definition here. Groups, and Lie groups in particular, are essential in particle physics as a means of keeping track of the symmetries of particles. Here we get two kinds of symmetries:

- An **internal symmetry** is an inherent property of the fields/particles themselves. For example, one can rotate through quark colours, and in fact, we find that in order to make this possible, we require the existence of a force carrying particle (a gluon) to be involved. And to conserve colours, gluons contain a mix of colours to do so. The Lie group structure enforces colour conservation here... Since these colour rotations can be different at different points in space and time, these symmetries can also be called a **local symmetry** or a **gauge symmetry**.
- A **global symmetry** is a symmetry that leaves something the same across all space and time.
- A **external symmetry** is a symmetry involving spacetime coordinates. This includes symmetry under translation and Lorentz transformations. From these symmetries we get conserved structures (momentum, angular momentum, and energy). The Poincare group contains all these symmetries.

In terms of particles, bosons carry forces, and these includes gluons (strong force), photons (electromagnetic force),  $Z^0, W^{\pm}$  carries the electroweak force. It has also been hypothesised that the graviton (spin 2) carries gravity, although it has never been observed. Also, for good symmetries, force carriers should be

massless, but the spontaneous symmetry breaking, through the Higgs mechanism, can give force carriers mass (such as  $W^{\pm}, Z^0$ ).

The lecturer provides a standard list of (elementary) fermions. I won't repeat these.

Just as a note, in the standard model, every particle has a field, and excitations of this field corresponds to "instances" of these particles. [End of lecture 1]