

3) Devise an external representation for the formulas in propositional calculus. Write a function that reads such a formula and creates its binary tree representation. What is complexity of your function?

```
void Function (formula)
```

```
    stack < char > s
```

```
    s.push ( formula->front )
```

```
    formula.pop ( )
```

```
    stack < node* > tmp
```

```
    while (!s.empty ( )
```

```
        if ( formula->front == '∧' , '∨' , '→' , '↔' , '(' )
```

```
            s.push ( formula->front )
```

```
            formula.pop ( )
```

```
        if ( formula->front == p.q.r.s )
```

```
            tmp.push ( formula->front )
```

```
            formula.pop ( )
```

```
        if ( formula->front == ')' )
```

```
            node * tmp1 , * tmp2 , * tmp3
```

```
            tmp1 = tmp.pop ( )
```

```
            tmp2 = tmp.pop ( )
```

```
            tmp3 = s.pop ( )
```

```
            tmp3->lchild = tmp1
```

```
            tmp3->rchild = tmp2
```

```
            s.pop ( )
```

```
    return
```

($O(\text{formula.size}())$)