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HW5 AMS 394

**Problem (1):**

(1)

```
> stocks <-  
read.table("http://www.ams.sunysb.edu/~xing/statfinbook/_BookData/Chap03/d_logret_6stocks.txt",  
header=T)  
  
> fit <- lm(stocks[,2] ~ stocks[,6])  
  
> summary(fit)
```

Call:

```
lm(formula = stocks[, 2] ~ stocks[, 6])
```

Residuals:

Min	1Q	Median	3Q	Max
-0.049930	-0.013003	-0.000505	0.017353	0.049231

Coefficients:

	Estimate	Std. Error	t value	Pr(> t )
(Intercept)	-0.005325	0.002756	-1.932	0.05794 .
stocks[, 6]	0.354649	0.119729	2.962	0.00433 **

---

Signif. codes: 0 '\*\*\*' 0.001 '\*\*' 0.01 '\*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 0.02178 on 62 degrees of freedom

Multiple R-squared: 0.124, Adjusted R-squared: 0.1098

F-statistic: 8.774 on 1 and 62 DF, p-value: 0.004328

Response: The coefficient of correlation is .354649 and the coefficient of the intercept is -.005325.

(2)

```
> anova(fit)
```

Analysis of Variance Table

Response: stocks[, 2]

	Df	Sum Sq	Mean Sq	F value	Pr(>F)
stocks[, 6]	1	0.0041609	0.0041609	8.774	0.004328 **
Residuals	62	0.0294022	0.0004742		

Response: The probability is lower than .01, thus we can reject the null hypothesis and conclude that the regression effects are significant with over 99% confidence.

(3)

```
> Pfizer = stocks[,2]
> Exxon = stocks[,6]
> Citigroup = stocks[,4]
> data = data.frame(cbind(Pfizer,Exxon,Citigroup))
> stacked = stack(data)
> anova(lm(values ~ ind, stacked))
```

Analysis of Variance Table

Response: values

	Df	Sum Sq	Mean Sq	F value	Pr(>F)
ind	2	0.001934	0.00096712	1.4351	0.2407
Residuals	189	0.127366	0.00067390		

(4)

1-sample proportions test with continuity correction

data: sum(Citigroup > 0) out of 64, null probability 0.5

X-squared = 1.2656, df = 1, p-value = 0.2606

alternative hypothesis: true p is not equal to 0.5

95 percent confidence interval:

0.4484671 0.6983808

sample estimates:

p

0.578125

Response: The p value is greater than .05, so we cannot reject the null hypothesis that the proportion of Citigroup's returns that are greater than 0 is not significantly greater than .5.

**Problem (2):**

(1)

```
> data(juul)
> juul <- juul[,4:5]
> juul <- juul[complete.cases(juul),]
> one <- juul[juul[, "tanner"] == 1,]
> two <- juul[juul[, "tanner"] == 2,]
> three <- juul[juul[, "tanner"] == 3,]
> four <- juul[juul[, "tanner"] == 4,]
> five <- juul[juul[, "tanner"] == 5,]
> stacked = do.call("rbind", list(one,two,three,four,five))
> stacked$tanner <- as.factor(stacked$tanner)
> anova(lm(stacked[,1] ~ stacked[,2]))
```

Analysis of Variance Table

Response: stacked[, 1]

	Df	Sum Sq	Mean Sq	F value	Pr(>F)
stacked[, 2]	4	12696217	3174054	228.35	< 2.2e-16 ***
Residuals	787	10939116	13900		

---

Signif. codes: 0 '\*\*\*' 0.001 '\*\*' 0.01 '\*' 0.05 '.' 0.1 ' ' 1

Response: Since the p value is less than .01, we can say with more than 99% confidence that the five levels of tanner give significantly different results.

(2)

```
> mean(one[,1])
```

```
[1] 207.4727
```

```
> mean(two[,1])
```

```
[1] 352.6714
```

```
> mean(three[,1])
```

```
[1] 483.2222
```

```
> mean(four[,1])
```

```
[1] 513.0172
```

```
> mean(five[,1])
```

```
[1] 465.3344
```

(3)

```
> one <- one[,1]
```

```
> two <- two[,1]
```

```
> three <- three[,1]
```

```
> four <- four[,1]
```

```
> five <- five[,1]
```

```
> shapiro.test(one)
```

Shapiro-Wilk normality test

data: one

W = 0.96947, p-value = 3.764e-06

```
> shapiro.test(two)
```

Shapiro-Wilk normality test

data: two

$W = 0.9606$ ,  $p\text{-value} = 0.02704$

```
> shapiro.test(three)
```

Shapiro-Wilk normality test

data: three

$W = 0.96348$ ,  $p\text{-value} = 0.1657$

```
> shapiro.test(four)
```

Shapiro-Wilk normality test

data: four

$W = 0.94686$ ,  $p\text{-value} = 0.01309$

```
> shapiro.test(five)
```

Shapiro-Wilk normality test

data: five

$W = 0.97828$ ,  $p\text{-value} = 0.0001284$

Response: Only one tanner level has normally distributed data, so non parametric tests will be used to compare all pairs of values.

```
> wilcox.test(one,two)
```

Wilcoxon rank sum test with continuity correction

data: one and two

$W = 3550.5$ ,  $p\text{-value} < 2.2e-16$

alternative hypothesis: true location shift is not equal to 0

```
> wilcox.test(one,three)
```

Wilcoxon rank sum test with continuity correction

data: one and three

$W = 712$ ,  $p\text{-value} < 2.2e-16$

alternative hypothesis: true location shift is not equal to 0

```
> wilcox.test(one,four)
```

Wilcoxon rank sum test with continuity correction

data: one and four

$W = 300.5$ ,  $p\text{-value} < 2.2e-16$

alternative hypothesis: true location shift is not equal to 0

```
> wilcox.test(one,five)
```

Wilcoxon rank sum test with continuity correction

data: one and five

$W = 5006.5$ ,  $p\text{-value} < 2.2e-16$

alternative hypothesis: true location shift is not equal to 0

Response: Tanner level one is significantly different from all other tanner levels, demonstrated by every pair wilcox test with one showing a p value less than .01.

```
> wilcox.test(two,three)
```

Wilcoxon rank sum test with continuity correction

data: two and three

W = 783, p-value = 5.733e-06

alternative hypothesis: true location shift is not equal to 0

```
> wilcox.test(two,four)
```

Wilcoxon rank sum test with continuity correction

data: two and four

W = 693, p-value = 1.579e-10

alternative hypothesis: true location shift is not equal to 0

```
> wilcox.test(two,five)
```

Wilcoxon rank sum test with continuity correction

data: two and five

W = 5702, p-value = 7.593e-10

alternative hypothesis: true location shift is not equal to 0

Response: Tanner level two is significantly different from all other tanner levels, demonstrated by every pair wilcox test with one showing a p value less than .01.

```
> wilcox.test(three,four)
```

Wilcoxon rank sum test with continuity correction

data: three and four

W = 1084, p-value = 0.1426

alternative hypothesis: true location shift is not equal to 0

```
> wilcox.test(three,five)
```

Wilcoxon rank sum test with continuity correction

data: three and five

W = 7332.5, p-value = 0.5295

alternative hypothesis: true location shift is not equal to 0

Response: Tanner level three is NOT significantly different from tanner levels four and five, demonstrated by those pairs wilcox tests showing a p value greater than .05.

```
> wilcox.test(four,five)
```

Wilcoxon rank sum test with continuity correction

data: four and five

W = 10996, p-value = 0.005231

alternative hypothesis: true location shift is not equal to 0

Response: Tanner level four is significantly different than tanner level five, as demonstrated by the p value being lower than .01.



**Problem (3):**

```
> data(survey)
> tbl = table(survey$Smoke, survey$Exer)
> chisq.test(tbl)
```

Pearson's Chi-squared test

data: tbl

X-squared = 5.4885, df = 6, p-value = 0.4828

Warning message:

In chisq.test(tbl) : Chi-squared approximation may be incorrect

Response: Since the p value is greater than .05, we cannot reject the null hypothesis that the smoking habit is independent of the exercise level.