

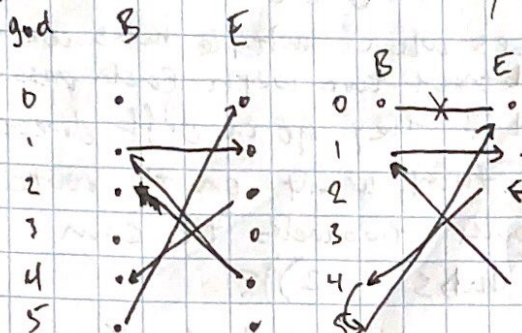
23 Nov 2020 XCS-12 xjc 1636

1. Path in a bipartite graph?
2. Tree DP? might be disconnected
3. Sparse table then ~~the~~ monotonic pass?

! need long long

could also binary search and do grouping...

b.s search is probably easier



It's a directed bipartite graph

(almost, bc she can give more valuable pies

and from any point, ask the shortest path to zero... dp I guess?

Can't just add edges to simulate D...

naive D simulation would be $O(ND)$ which is TLE
but you could sort pies by start and then it would be $O(N)$ amortized?

isn't it just a bfs then? for each taste on each side, store a list of edges leaving from there?

map < tastiness, list < eid > > eg[z];

vis[eid], ans[eid], taste[z][eid]

queue.push(0)

side = 0

while queue:

← need to run for ~~each~~ sides both

for cur in queue:

it = lower-bound(taste[side][cur]);

taste[!side][cur+it] = taste[!side][cur] + 1;

it = it;

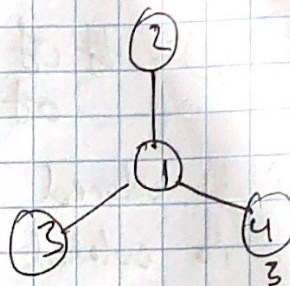
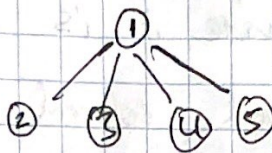
ans[it] = ans[cur] + 1 ← minimize?

queue.push(it)

map.erase(cur)

Cont #2

0	0	1	2
-1	0	2	0
1	0	3	1
-1	0	4	3
-1	0	5	5
2	0		
0	0		
0	0	3	3
		5	0
		7	1
		7	7



$dp[i][j] = \# \text{ of ways to paint subtree } i \text{ if } i \text{ should be painted } j$

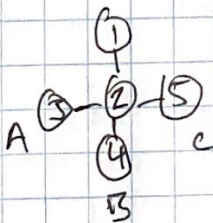
$$dp[i][j] = \begin{cases} \sum \pi dp[c(i)][!j] & \text{if } i \text{ not painted or } \text{parent}[i] = j \\ 0 & \text{if } \text{parent}[i] \& \text{parent}[i] \neq j \end{cases}$$

What if a child forces a color?

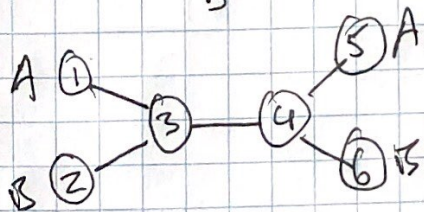


$$\leftarrow dp[1][A] = 0$$

I think it still works as long as it doesn't affect farther than one



here, two will always break



this is also impossible... both 3 and 4 are forced into being color C

maybe casework:

- if 1 child colored: return zero on that color
- 2: set own color
- 3: panic

maybe it should be $dp[i][j] = \text{parent of } i \text{ is } j$

Comp #2

try more cases, I guess

$dp[i][j] = \# \text{ of ways in subtree of parent of node } i \text{ is color } j$

if i is colored and colored j , ret 0

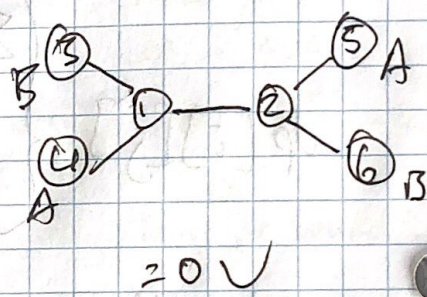
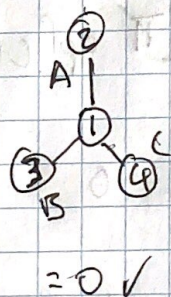
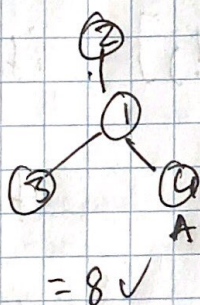
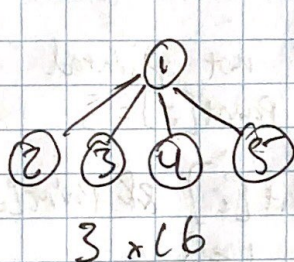
if i is colored not j :

ret $\prod dp[cc[i]] [\text{color}[i]]$

else, ret \sum for each color $x \neq j$

$\prod dp[cc[i]] [x]$

now lets try some test cases



I mean this equation seems to work with these cases...

