(Se 260

Lab Assignment-6

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Ans:

Implementation of 4-bit Magnitude Comparator. 1) Name of the Experiments

2 Objective:

- i) To investigate the rules of comparing two
- 11) To familiarize with the boolean functions of iii) To implement the circuit for two 4-bit a magnitude comparators
- (3) Required Components and Equipments: 4 Logic Gates (XNOR, AND-4, AND, NOR, AND-3)

4) Inputs (using logicstate)

LEDs (Blue or any other colors)

4> Poner Source / Ground.

4 Experimental Setup: (No need to draw ICE)

Con figurations

A3 A2 A1 A0 1 0 1 1

B8 B2 B1 B0

1011

^	В	A xnor B
0	0	1
0	1	0
1	0	0
1	1	1

Ao equal Bo = Ao xnor Bo

A1 B1 = A1 xnor B1

A282 = A2 xnor B2

A3 B3 = A3 x non B3

A equal B = A. xnor B. . A1 xnor B1.

A2 Xnor B2. A3 Xnor B3.

A > B

A3 A2 A1 A0 1 0 1 1 B3 B2 B1 B0 0 0 1 1 A3 A2 A1 A0 1 1 0 1 B3B2 B1B0 1 0 1 1 A greater than $B = A_3 \cdot B_3' + X_3 \cdot A_2 \cdot B_2'$ + $X_3 \cdot X_2 \cdot A_1 \cdot B_1' + X_3 \cdot X_2 \cdot X_1 \cdot A_0 \cdot B_0'$

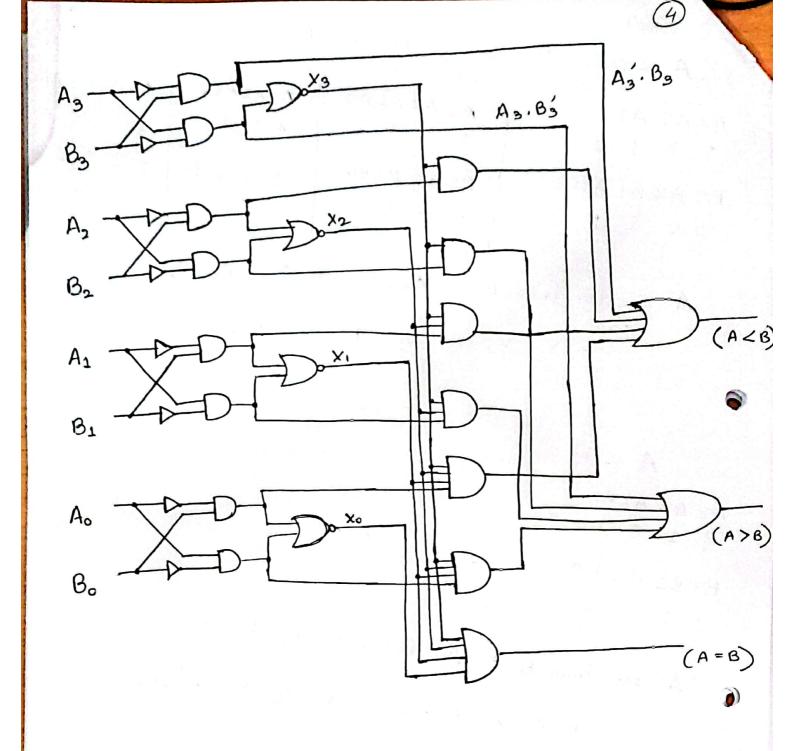
A < B

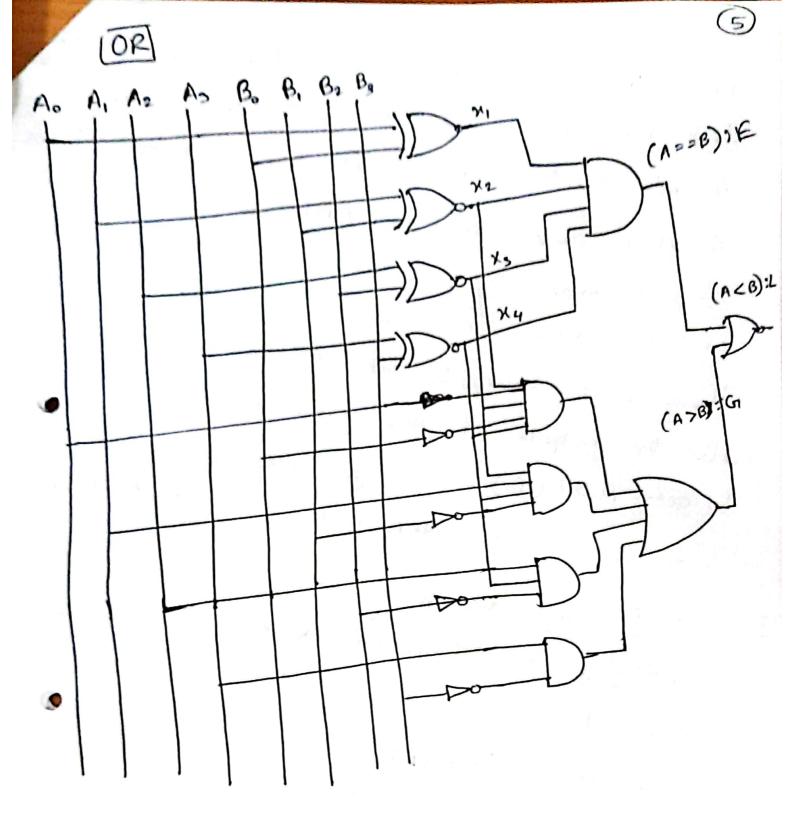
A3 A2 A1 A0 1 1 0 1

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B3 B2 B1 B0 1 1 1 0

A less than $B = A_3' \cdot B_3 + X_3 \cdot A_2' \cdot B_2 + X_3 \cdot X_2 \cdot X_1 \cdot A_0' \cdot B_0$ + $X_3 \cdot X_2 \cdot A_1' \cdot B_1 + X_3 \cdot X_2 \cdot X_1 \cdot A_0' \cdot B_0$





(5) Results and discussion:

Justifying the designs of on 4-bit magnitude

Comparator.

i) For A=B, if: (E)

 $A_1 = B_1$

A2 = B2

A3 = B3

A4 = B4

$$(A_{1} == B_{1}) : X_{1} = A_{1}'B_{1}' + A_{1}B_{1} = A_{1} \cdot B_{1} \cdot \frac{GR}{A_{2} == B_{2}})$$
or $(A_{2} == B_{2}) \times_{2} = A_{2}'B_{2}' + A_{2}B_{2} = A_{2} \cdot B_{2}$
or $(A_{3} == B_{3}) \times_{3} = A_{3}'B_{3}' + A_{3}B_{3} = A_{3} \cdot B_{3}$
or $(A_{4} == B_{4}) \times_{4} = A_{4}'B_{4}' + A_{4}B_{4} = A_{4} \cdot B_{4}$

$$\therefore (A == B) = \chi_{1}, \chi_{2}, \chi_{3} \cdot \chi_{4}$$

$$\therefore (A == B) = \chi_{1}, \chi_{2}, \chi_{3} \cdot \chi_{4}$$

$$\therefore (A == B) = \chi_{1}, \chi_{2}, \chi_{3} \cdot \chi_{4}$$

$$\therefore (A == B) = \chi_{1}, \chi_{2}, \chi_{3} \cdot \chi_{4}$$

$$\therefore (A_{3} == A_{1}'B_{4}') \text{ or } (A_{4} == B_{4}) \text{ and } (A_{2} == A_{1}'B_{2}')$$

$$\therefore \chi_{4} \cdot A_{3} \cdot B_{3}' \text{ or } (A_{4} == B_{4}) \text{ and } (A_{2} == A_{2}'B_{2}')$$

$$\therefore \chi_{4} \cdot A_{3} \cdot B_{3}' \text{ or } (A_{4} == B_{4}) \text{ and } (A_{3} == B_{3})$$
and $(A_{2} == B_{2})$ and
$$(A_{1} == A_{1}'B_{1}') \cdot \chi_{4} \cdot \chi_{3} \cdot \chi_{2} \cdot A_{1} \cdot B_{1}'$$

$$(A >= B) = A_{1} \cdot B_{1}' + \chi_{4} \cdot A_{3} \cdot B_{3}' + \chi_{4} \cdot \chi_{3} \cdot A_{2} \cdot B_{2}'$$

$$+ \chi_{4} \cdot \chi_{3} \cdot \chi_{2} \cdot A_{1} \cdot B_{1}'$$

$$(A_3 = 0, B_3 1)$$
: $X_4 \cdot A_3 = 0$
 $(A_3 = 0, B_3 = 1)$: $X_4 \cdot X_3 \cdot A_2 \cdot B_2$
 $(A_3 = B_3)$ and $(A_2 = 0, B_2 = 1)$: $X_4 \cdot X_3 \cdot A_2 \cdot B_2$

or
$$(A_4 = B_4)$$
 and $(A_3 = B_3)$ and $(A_2 = B_2)$

The changes have to be made to find the 3rd result in the circuit design.

$$(A>B):G_1 = A_4 \cdot B_4' + \chi_4 \cdot A_5 \cdot B_3' + \chi_4 \cdot \chi_5 \cdot A_2 \cdot B_2' + \chi_4 \cdot \chi_5 \cdot A_5 \cdot B_1'$$

$$(A < B): L = A'_4 \cdot B_4 + Y_4 \cdot A'_3 \cdot B_3 + X_4 \cdot X_3 \cdot A'_2 \cdot B_2 + X_4 \cdot X_3 \cdot X_2 \cdot A'_1 \cdot B_1$$

Implement Using NOR Gates:

A > B	A = = B	A <b< th=""></b<>
O	0	1
0	1	0
1	0	0
1	1	Un defined,