

SJF with Predicted BT

$$E = T \quad ; \quad A = t$$

exponential Average  $\rightarrow$ 

formulas

$$E_{i+1} = \omega A_i + (1-\omega) E_i$$

where,

$$T_{i+1} = \omega t_i + (1-\omega) T_i$$

 $E_{i+1}$  = expedited time for process  $i+1$  $A_i$  = actual burst time of process  $i$ 

$$\# \quad 0 < \omega < 1$$

eg- 100 kb  $\rightarrow$  5 sec.  
105 kb  $\rightarrow$  5 sec.

$$E_i = \omega A_{i-1} + (1-\omega) E_{i-1} \quad ; i=0$$

$$E_{i-1} = \omega A_{i-2} + (1-\omega) E_{i-2} \quad ; i=1$$

$$E_{i-2} = \omega A_{i-3} + (1-\omega) E_{i-3} \quad ; i=2$$

Given that,

$$\omega = 0.5, E_1 = 5, E_5 = ?$$

| Process | BT |
|---------|----|
| $P_1$   | 4  |
| $P_2$   | 8  |
| $P_3$   | 5  |
| $P_4$   | 6  |

for remember,

 $E$  = actual + predicted

actual Burst -

for finding  $P_5, E_5 = ?$ ,

$$E_5 = \omega A_{5-1} + (1-\omega) E_{5-1}$$

$$E_5 = \omega A_4 + (1-\omega) E_4$$

$$= .5 \times 6 + .5 \times E_4 \quad \text{--- (3)}$$

$$\textcircled{1} \rightarrow \textcircled{*} E_4 = .5 \times 5 + .5 \times E_3$$

$$\textcircled{2} \rightarrow \textcircled{*} E_3 = .5 \times 8 + .5 \times E_2$$

$$\textcircled{*} E_2 = .5 \times 4 + .5 \times E_1$$

So,  $E_2$ , as  $E_1$  is 5,  $E_2 = 4.5$ putting  $E_2$  in  $\textcircled{2}$ ,  $E_3 = 6.25$ putting  $E_3$  in  $\textcircled{1}$ ,  $E_4 = 5.625$ putting  $E_4$  in  $\textcircled{3}$ ,  $E_5 = 5.8125$ So, required predicted/expedited,  $E_5 = 5.8125$ .

# Semaphore

$P(s)$   $\rightarrow$  checking semaphore (enter or not)

$V(s)$   $\rightarrow$  signal gives while leaving the section

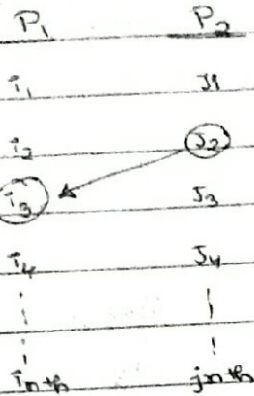
$P(s)$  while  $s \leq 0$  do skip;

$s = s - 1;$

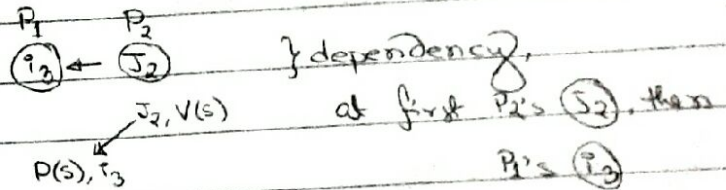
|| CS

$V(s)$   $s = s + 1$

ex

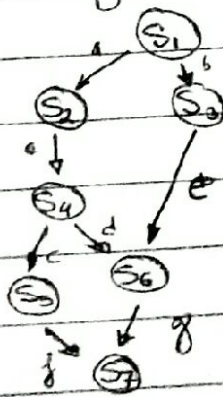


benefit  $\rightarrow$  allowing concurrently executable,  
at first need to get dependent  
need to synchronise.



using multiple Semaphore.

$\neq$  Synchronization using Semaphore Variable.



$S_1; V(a); V(b)$

$P(a); S_2; V(c); V(d)$

$P(b); S_3; V(e)$

$P(c); S_5; V(f)$

$P(d); P(e); S_6; V(g)$

$P(f); P(g); S_7$

$P(s)$   
 $L_c$   
 $V(s)$