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编译第十二次作业.

练习9-1:

2. (1) 例置:

$$S \rightarrow @0S0$$

$$S \rightarrow @1S1$$

$$S \rightarrow \epsilon$$

(2) 空字符串

$$S \rightarrow 1@ \epsilon$$

$$S \rightarrow 0@ \epsilon$$

(3) 符号串本身

$$S \rightarrow 0@0S$$

$$S \rightarrow 1@1S$$

$$S \rightarrow \epsilon$$

14).

$$S \rightarrow 0@0S$$

$$S \rightarrow 1S@1$$

$$S \rightarrow \epsilon$$

3.

能识别终结符号串 ENGLISH, 并输出 CHINESE

4.

$$\langle S \rangle \rightarrow @x@yb@z$$

$$\langle S \rangle \rightarrow @qa\langle S \rangle @x\langle S \rangle @y$$

5.

$$\textcircled{1} \langle S \rangle \rightarrow @ydx@xc@zb : dcb \quad @y@x@z$$

$$\begin{aligned} \textcircled{2} \langle S \rangle &\rightarrow \langle A \rangle x \langle B \rangle @y \\ &= dxcb @x@y \end{aligned} : dxc b \quad @x@y$$

$$\begin{aligned} \textcircled{3} \langle S \rangle &\rightarrow \langle A \rangle x \langle B \rangle @y \\ &= b@xa@yxc b@x@y : baxcb \quad @x@y@x@y \end{aligned}$$



练习9-3

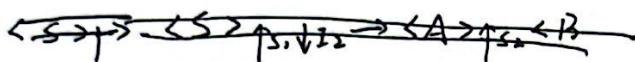
2. ① r 受 q, u, t, p 影响, p 受 q, u, t 影响.

② r 受 q, p, u, t 影响, p 受 q 影响

③ r 受 q, u 影响. p 受 q, u, r, t 影响.

3.

①



$\langle S \rangle \uparrow s, \downarrow I_2 \rightarrow \langle A \rangle \uparrow s \otimes f_a \uparrow s_a \downarrow I_{a1} \downarrow I_{a2} \langle B \rangle \uparrow s \downarrow I \otimes f_b \uparrow s_b \downarrow I_b \langle C \rangle \uparrow s_4 \downarrow I_3 \otimes f_c \uparrow s_c \downarrow I_{c1} \downarrow I_{c2}$
 $\langle D \rangle \uparrow s \downarrow I_4 \otimes f_d \uparrow s_d \downarrow I_d.$

$S_a := I_{a1}, I_{a2}, I_2 := S_a, S_2 := I_{a1}, I_1 := I_{a2}$

$S_b := I_b^2, I_3 := S_b, I_1 := I_b$

$S_c := I_{c1}, I_{c2}, I_4 := S_c, I_2 := I_{c1}, I_3 := I_{c2}, I_{c1} := S_a, I_{c2} := S_b.$

$S_d := I_d^2, S_1 := S_d, S_2 := I_d, I_a := I_{a1}$

② $\langle S \rangle \uparrow s, \downarrow I_1 \rightarrow \varepsilon \otimes f \uparrow s_2 \downarrow I_2$

$S_2 := SIN(I_2) \quad S_1 := S_2, I_1 := I_2$

③ $\langle S \rangle \uparrow s_1, s_2 \rightarrow \langle A \rangle \uparrow s_3 \otimes f_a \uparrow s_a \downarrow I_a \downarrow \langle B \rangle \downarrow I_2 \otimes f_b \uparrow s_b \downarrow I_b \downarrow \otimes f_c \uparrow s_c \downarrow I_c$

$S_a := 3 \times I_a, I_1 := S_a, S_3 := I_a$

$S_b := I_b^2, I_2 := S_b, I_b := S_a,$

$S_2 := S_b, I_3 := S_b, I_4 := S_b$

$S_c := I_c + 2, S_1 := S_c, I_c := S_b$

