

# Datapath Components

## Module 7

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# Key Takeaways

## Logical Bit Shifting

Left & Right Shifts

## Storage with Registers

Shift Registers & Parallel Load Registers

## Manipulating Data

Arithmetic Operations & Comparators

## Arithmetic Logic Unit

ALU Design & Function

## BIT SHIFTING

### SHIFT LEFT

1. **Multiplying** by base value (e.g., **2** for binary and **16** for hex) for each shift
2. **LSB** becomes 0
3. **MSB** is discarded

1	1	0	1
<< 1 =			
1	0	1	0
0	0	0	1
<< 2 =			
0	1	0	0

### SHIFT RIGHT

1. **Dividing** by base value (e.g., **2** for binary and **16** for hex) for each shift
2. **MSB** becomes 0
3. **LSB** is discarded

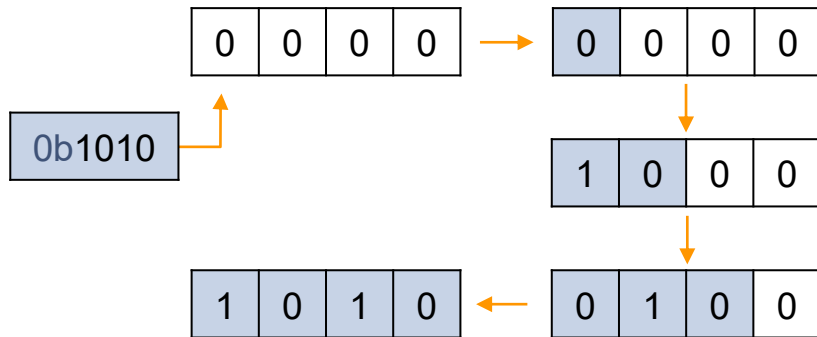
1	1	0	1
>> 1 =			
0	1	1	0
0	0	1	0
>> 2 =			
0	0	0	0

**Important Note:** Pay close attention to how many bits are being used to represent the number you are shifting. For example, decimal 10 as an 8-bit binary number has quite a few leading zeroes (0b00001010). These zeros are discarded when performing a bit shift to the left, not the “first” non-zero bit.

## REGISTER TYPES

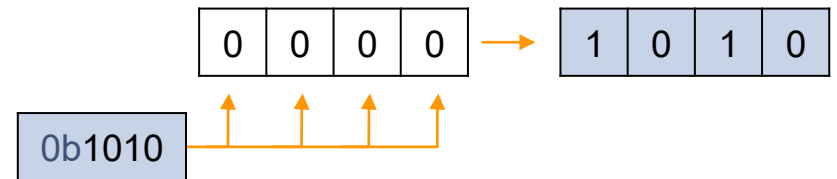
### SHIFT REGISTER

1. Loads **a single bit position** from **a single source**
2. Values are **shifted through** the bit positions
3. Requires a **serial signal** (a stream of bits)



### PARALLEL LOAD

1. Loads **all bit positions** at the same time
2. **Each bit position** has its own **separate source**
3. Loading the bit positions is **synchronized by the clock**



## ADDERS

### Full Adder

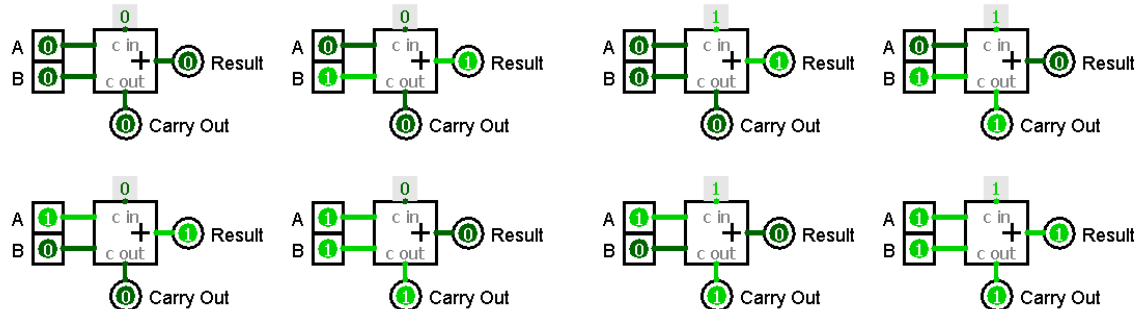
1. Two n-bit Number inputs
2. One 1-bit Carry input
3. Result output
4. Carry output

### Half Adder

1. Two n-bit Number inputs
2. Result output
3. Carry output

## SUBTRACTORS

1. Two n-bit Number inputs
2. One 1-bit Borrow input
3. Result output
4. Borrow output



**Note:** The Carry output takes a **value of 1**, when **Carry In + Input A + Input B exceeds the bit width of the adder** (in this case,  $\geq 2$ )

### MULTIPLIER & DIVIDER

1. Two n-bit Number inputs
2. One n-bit Carry input
3. Result output
4. Carry output

**Note:** Functions very similarly to the Adders and Subtractors

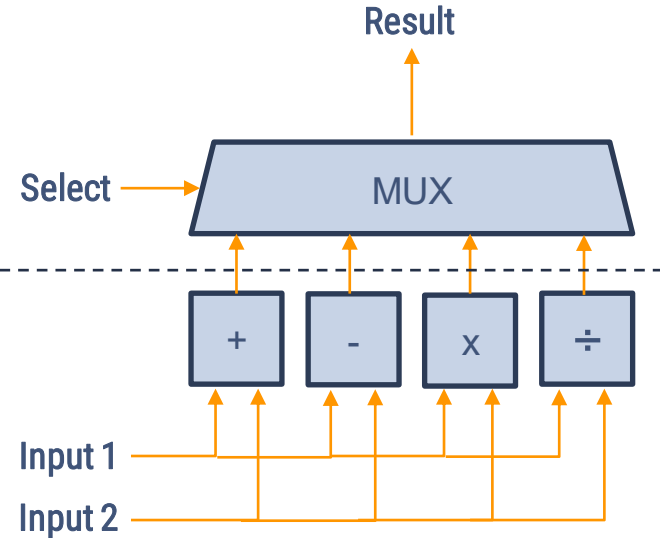
### COMPARATORS

1. Two n-bit Number inputs
2. One 3-bit output (**each bit is a Boolean result**)
3. Each output bit represents a different comparison performed on the input numbers
  - One indicates if  **$A < B$**
  - One indicates if  **$A = B$**
  - One indicates if  **$A > B$**

## DETAILS

1. Combines **multiple arithmetic operations** into a **single location**
2. Allows for **"operation selection"**
3. Common designs use a **Multiplexer** to select which operation's result is passed out of the ALU
4. **Any number of different operations** can be added to the ALU
5. The ALUs considered in this course perform **all operations, all the time**. We simply **select which result** we want to use.

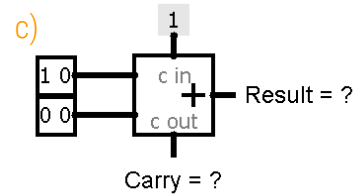
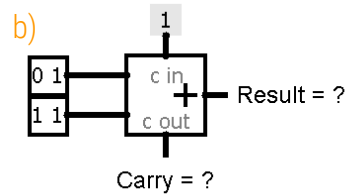
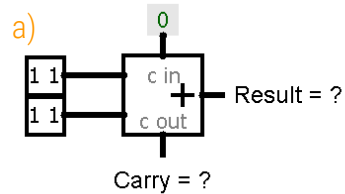
**Note:** The values at this point in the ALU are populated with the results of each arithmetic operations. We are simply deciding which result to pass out of the ALU.



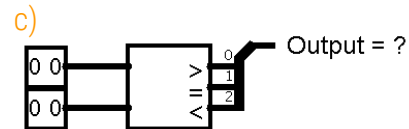
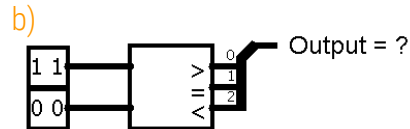
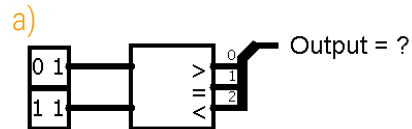


# Practice Problems Questions

1. How many **bit shifts** (and in **which direction**) are needed to convert **decimal 25** to **0b11001000**?
2. How many **bit shifts** (and in **which direction**) are needed to convert **0b11101011** to a value less than **decimal 54**? What is the **binary** and **decimal result** of this operation?
3. Given the 10-bit number, **0b0101010111**, what is the result of **(( 0b0101010111 >> 2 ) << 3 ) >> 4** in **decimal** and **binary**?
4. What value does the **Carry & Result Outputs** have in the following **adder operations**?



5. What is the **Output** of the following **comparator operations**?







# Practice Problems **Answers**

1. The number 0b11001000 is decimal 200. Since 25 is less than 200, we want to shift left (multiplying by 2). **Shifting left 3 times** will yield 200.
2. The number 0b11101011 is decimal 235. We want a smaller number, so we start shifting to the right (dividing by 2). **Shifting right 3 times** will yield the number, **0b11101 = decimal 29**.
3. 0b0101010111 >> 2 = 0b0001010101  
0b0001010101 << 3 = 0b1010101000  
0b1010101000 >> 4 = **0b0000101010 = decimal 42**.
4. a) carry = **1**, result = **10**  
b) carry = **1**, result = **01**  
c) carry = **0**, result = **11**
5. a) output = **001**  
b) output = **100**  
c) output = **010**