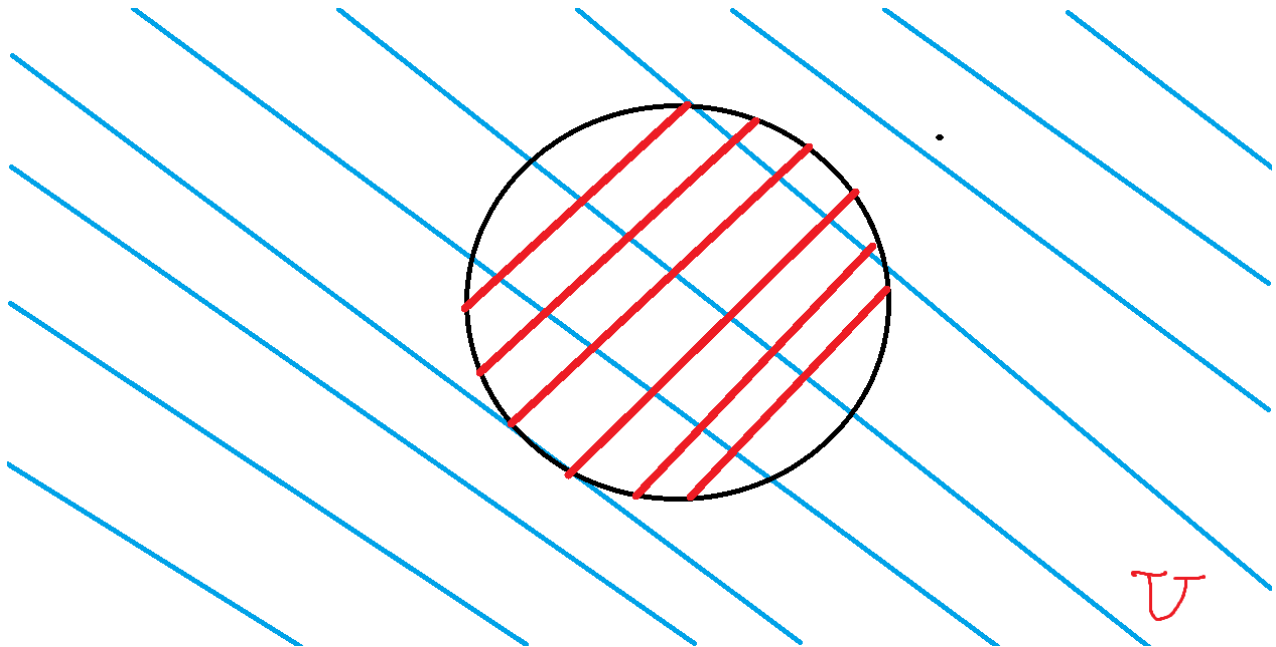


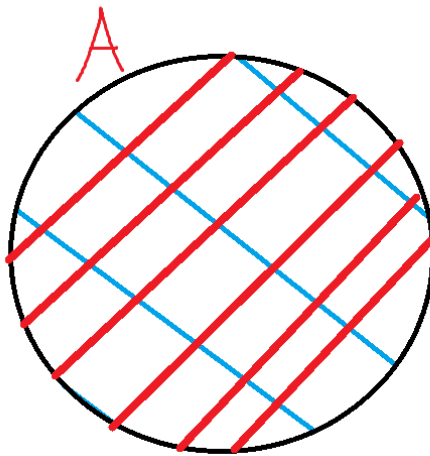
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3   'tipo': 'Tarea',  
4   'no': '27',  
5   'grupo': '6',  
6   'materia': '1645 Diseño Digital Moderno',  
7   'semestre': '2022-1',  
8   'enunciado': 'Demostrar los teoremas usando diagrams de venn',  
9   'fecha': '28-09-21'  
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Demostrar los teoremas usando diagramas de Venn

1. $a' + 0 = a \Rightarrow a \cup \emptyset = a$

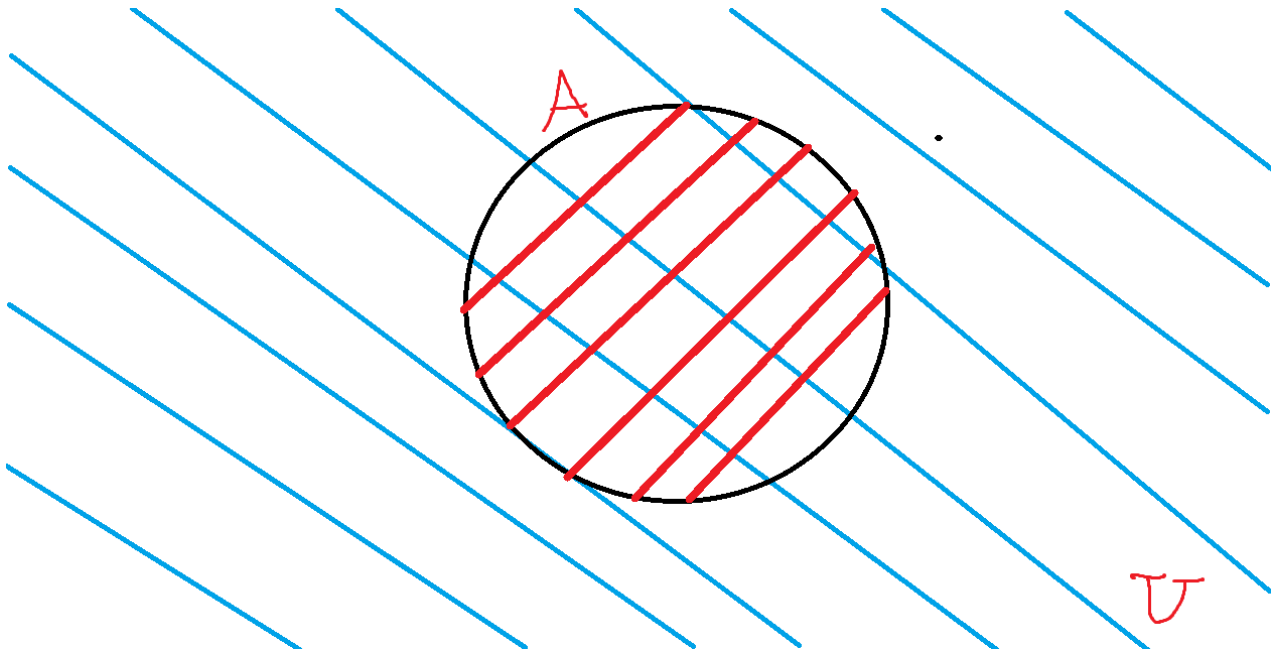
2. $a \cdot 1 = a \rightarrow A \cap U = A$





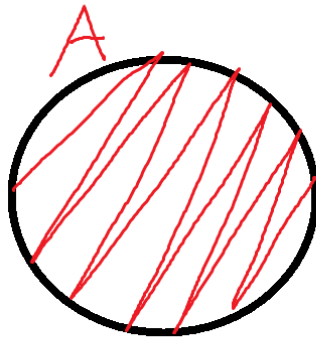
U

$$3. a + 1 = 1 \rightarrow A \cup U = U$$



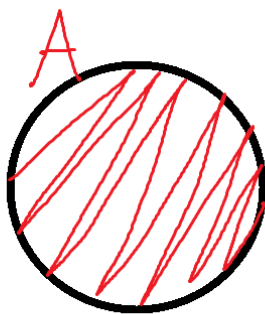


$$4. a \cdot 0 = 0 \longrightarrow A \cap \emptyset = \emptyset$$



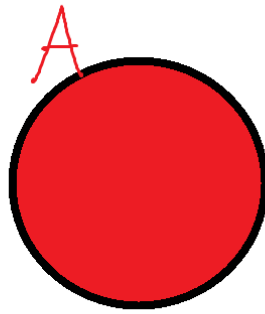
U

$$5. a + a = a \longrightarrow A \cup A = A$$



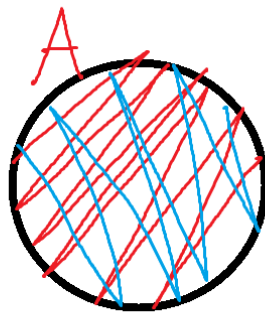
\cup

\cup

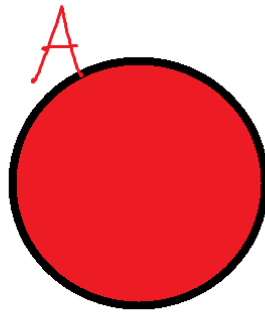


U

$$6. a \cdot a = a \longrightarrow A \cap A = A$$

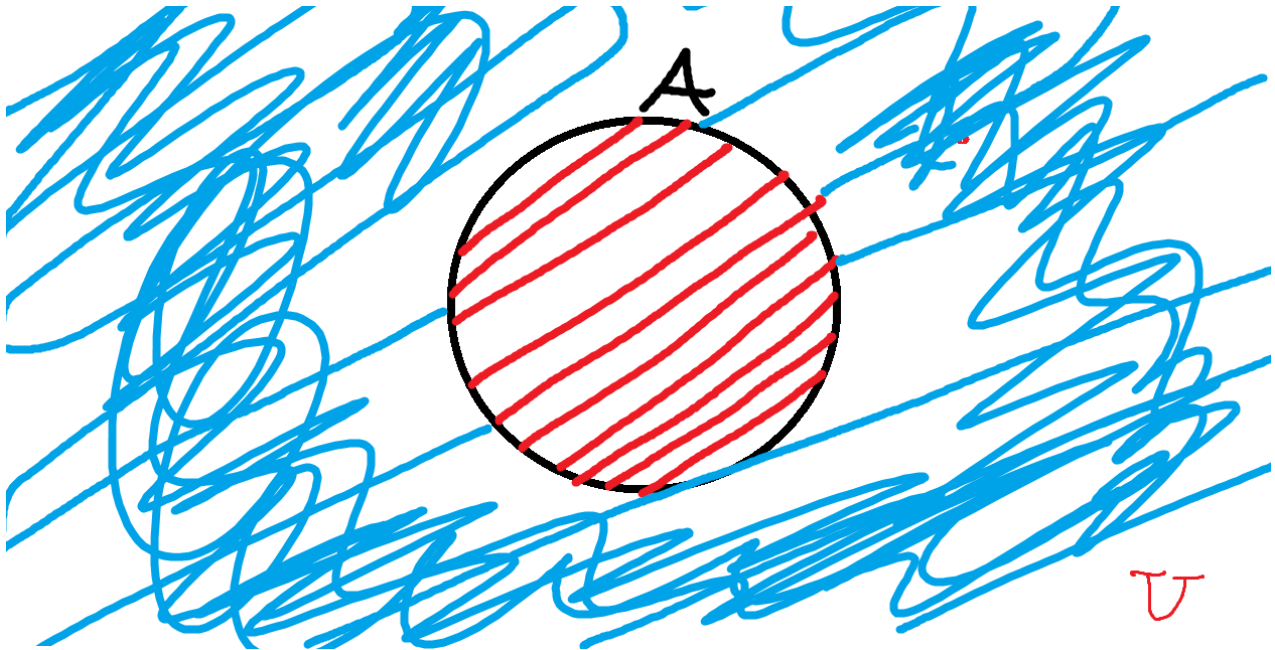


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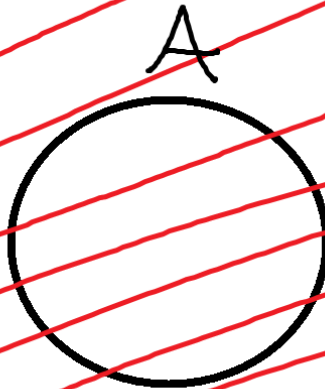
U

7. $a + a' = 1 \longrightarrow A \cup A' = U$



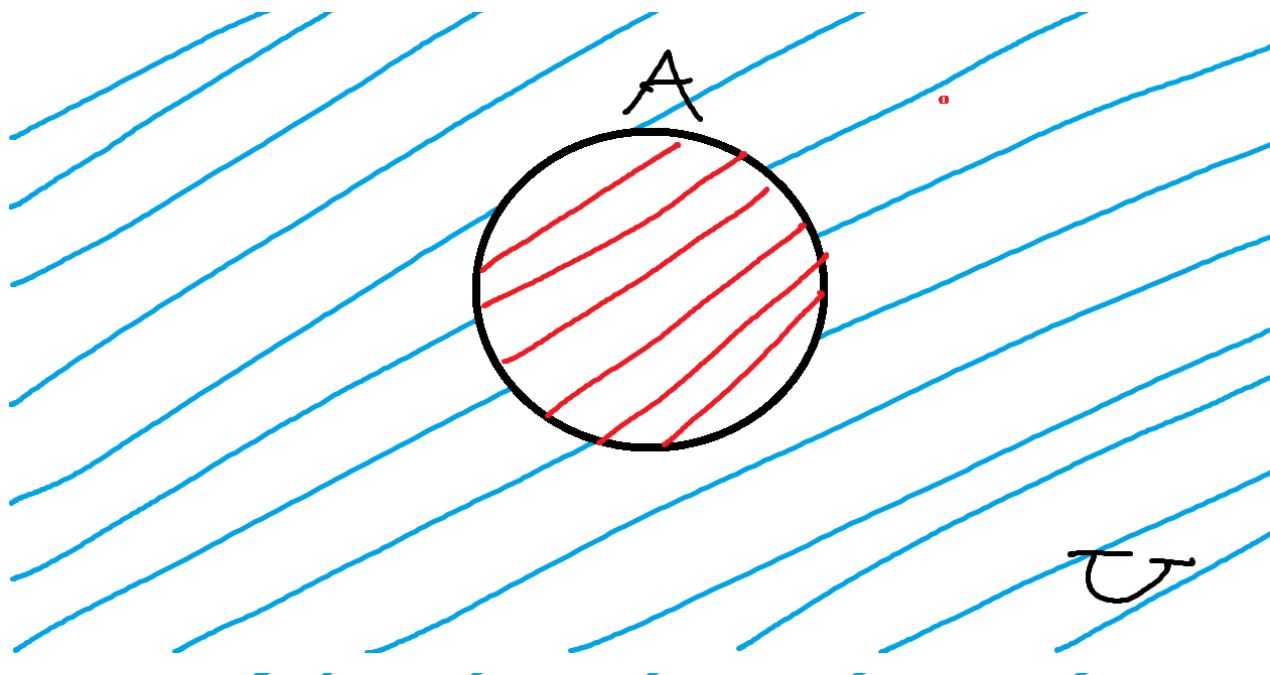
\mathcal{U}

$$8. (a)' = a' \longrightarrow (A)' = A$$



 2b

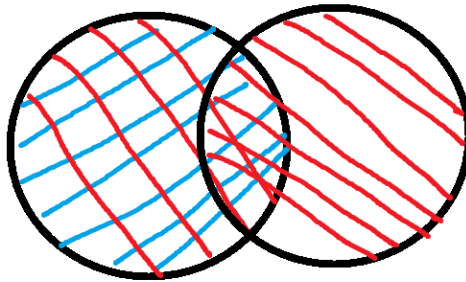
$$9. a \cdot a' = 0 \longrightarrow A \cap A'$$



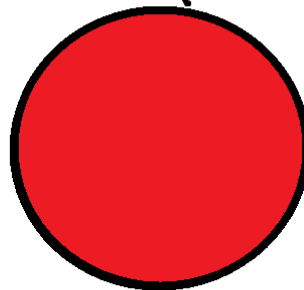
U

$$10. a(a + b) = a \longrightarrow A \cap (A \cup B) = A$$

o

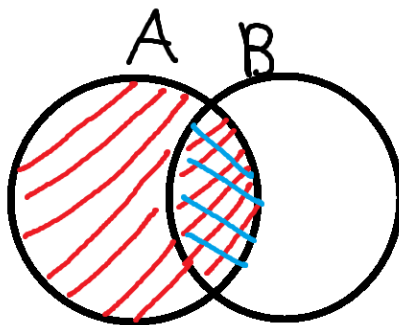


A

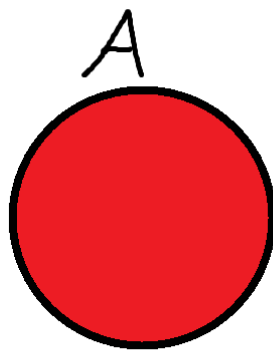


U

$$11. a + ab = a \longrightarrow A \cap (A \cup B) = A$$

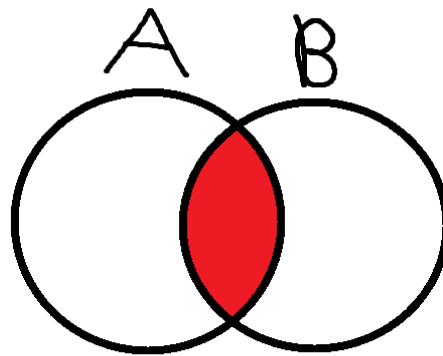
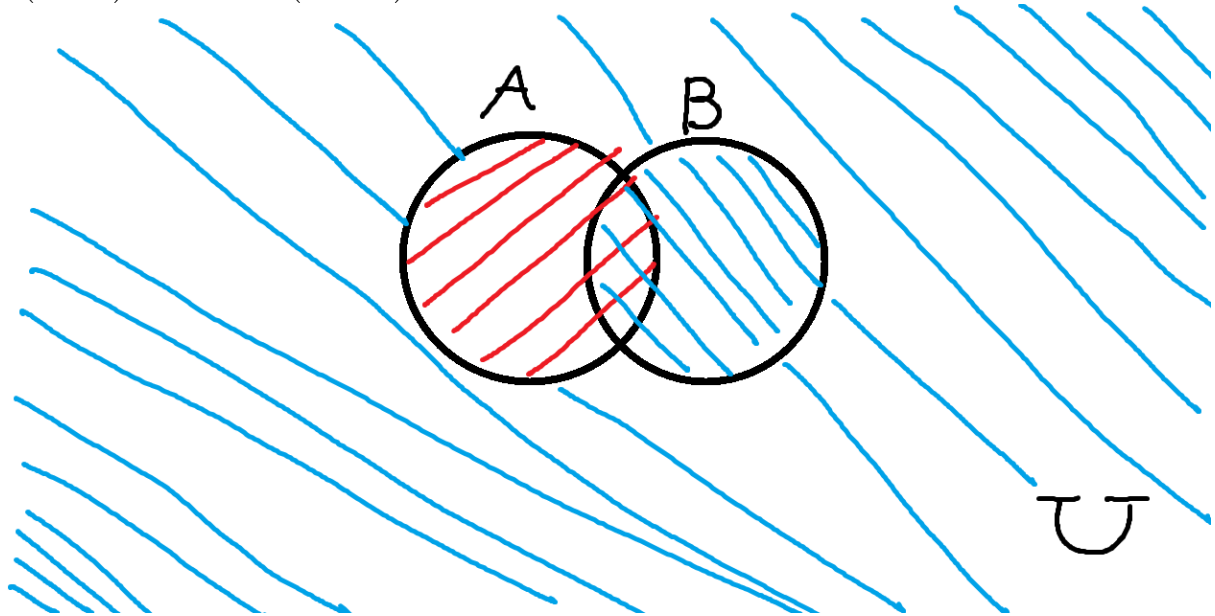


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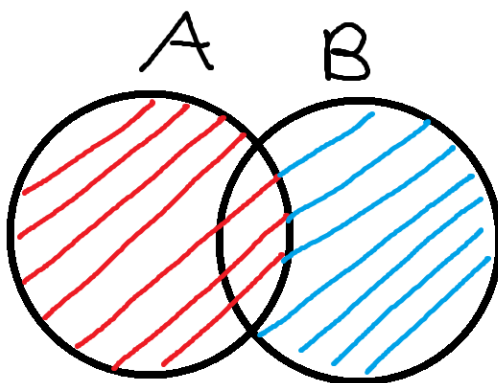
\cup

$$12. a(a' + b) = ab \longrightarrow A(A' \cup B) = A \cap B$$

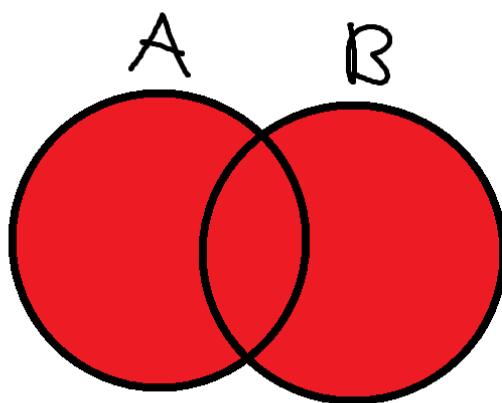


U

$$13. a + a'b = a + b \longrightarrow A \cup (A' \cap B) = A + B$$

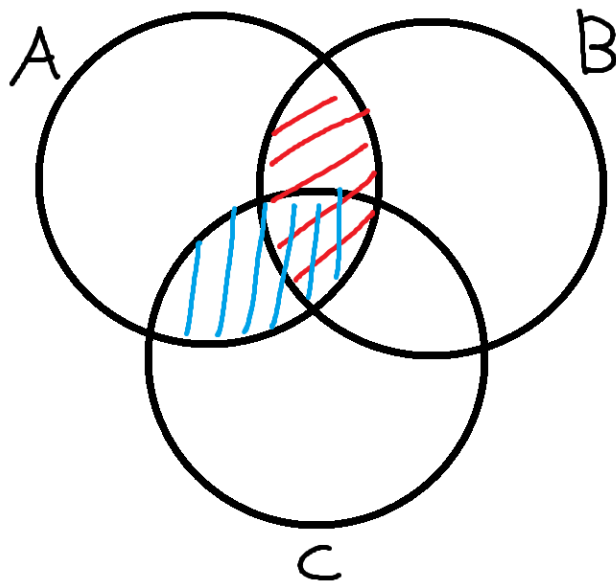


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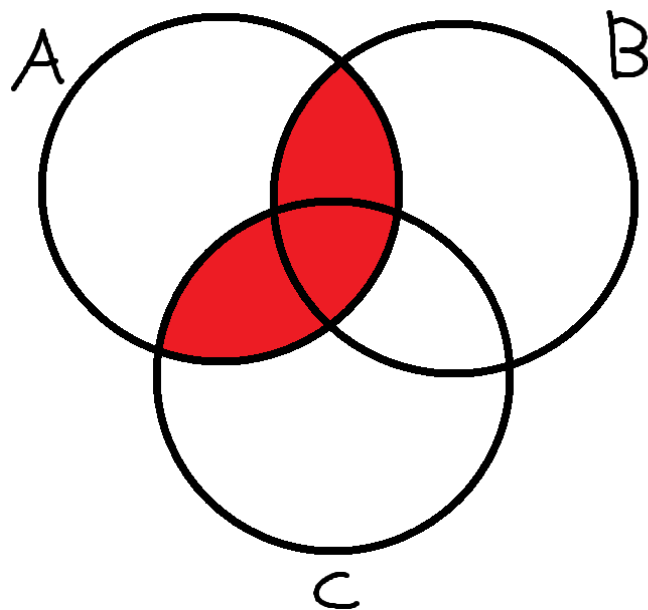


\cup

$$14. ab + ac = a(b + c) \longrightarrow A \cup (A' \cap B) = A + B$$

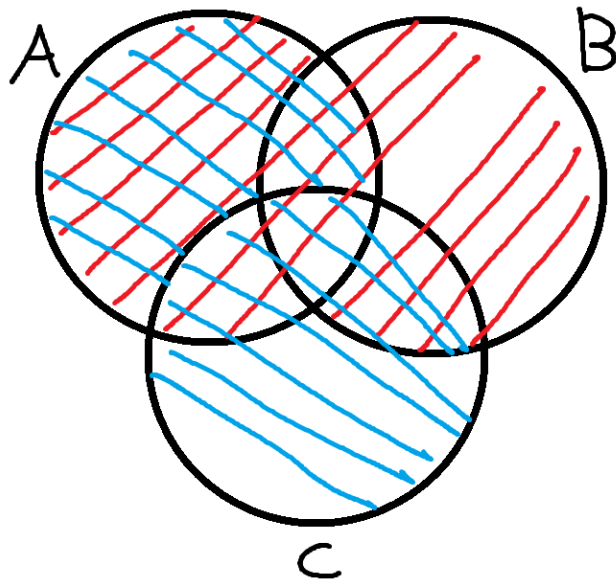


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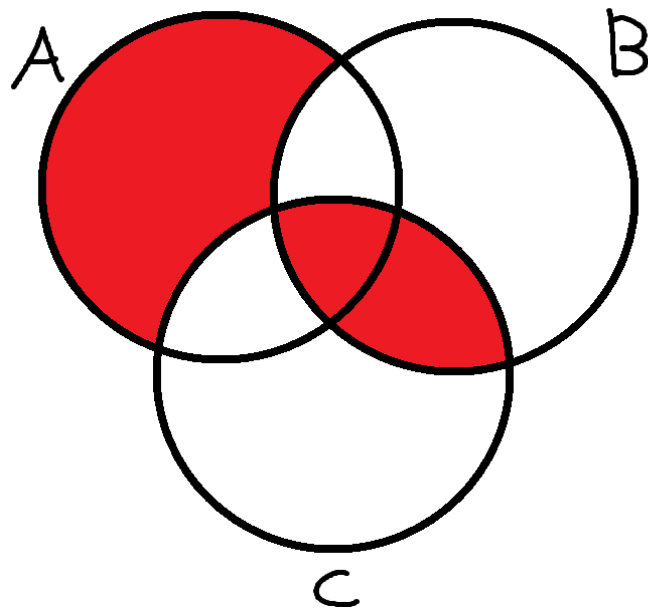


\cup

$$15. (a + b)(a + c) = a + bc \longrightarrow (A \cup B) \cap (A \cup C)$$

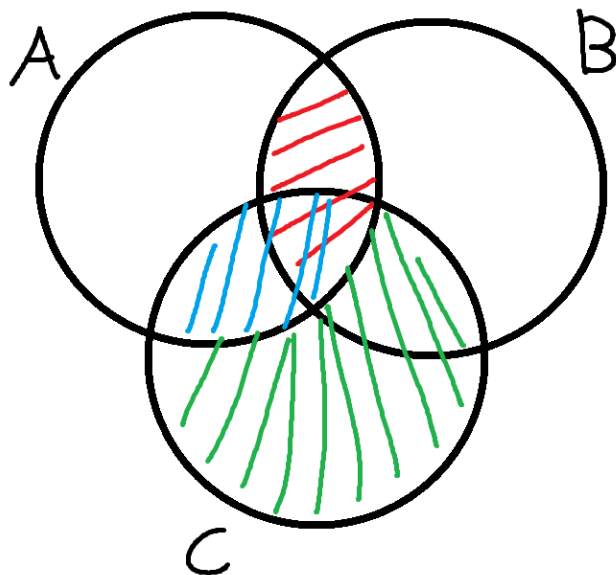


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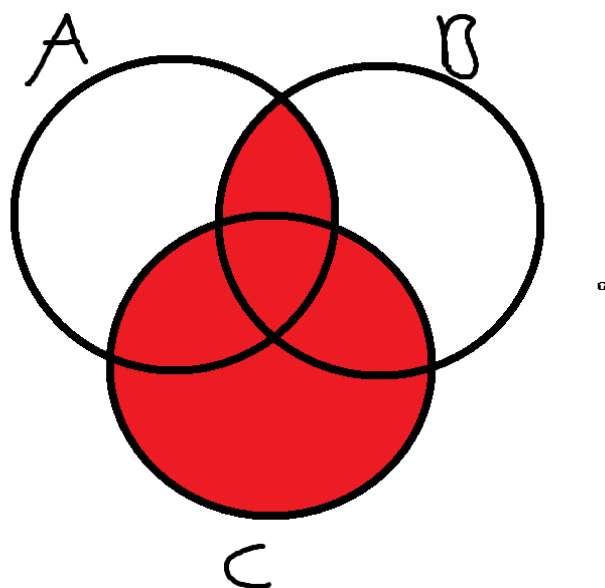


U

$$16. ab + ac + a'c = ab + c \longrightarrow (A \cap B) \cup (A \cap C) \cup (A' \cap C) = (A \cap B) \cup C$$

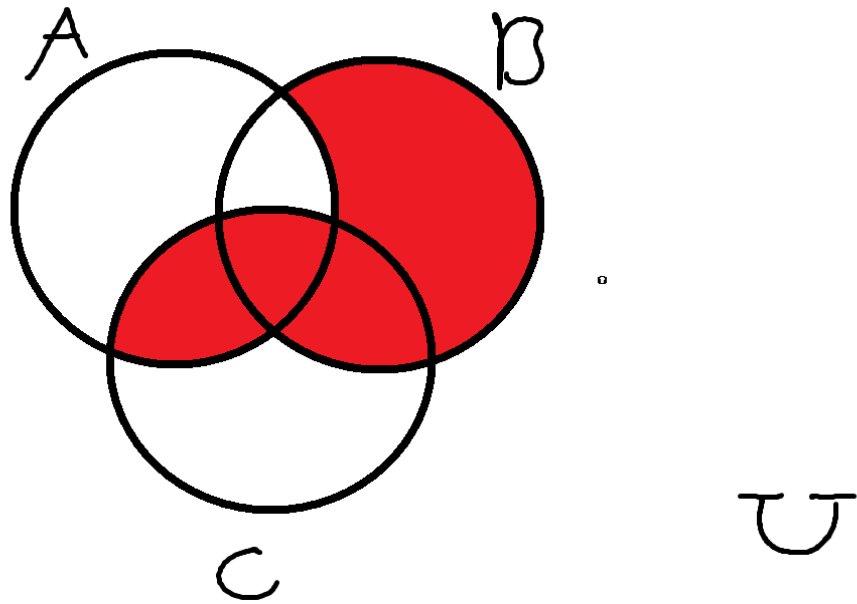
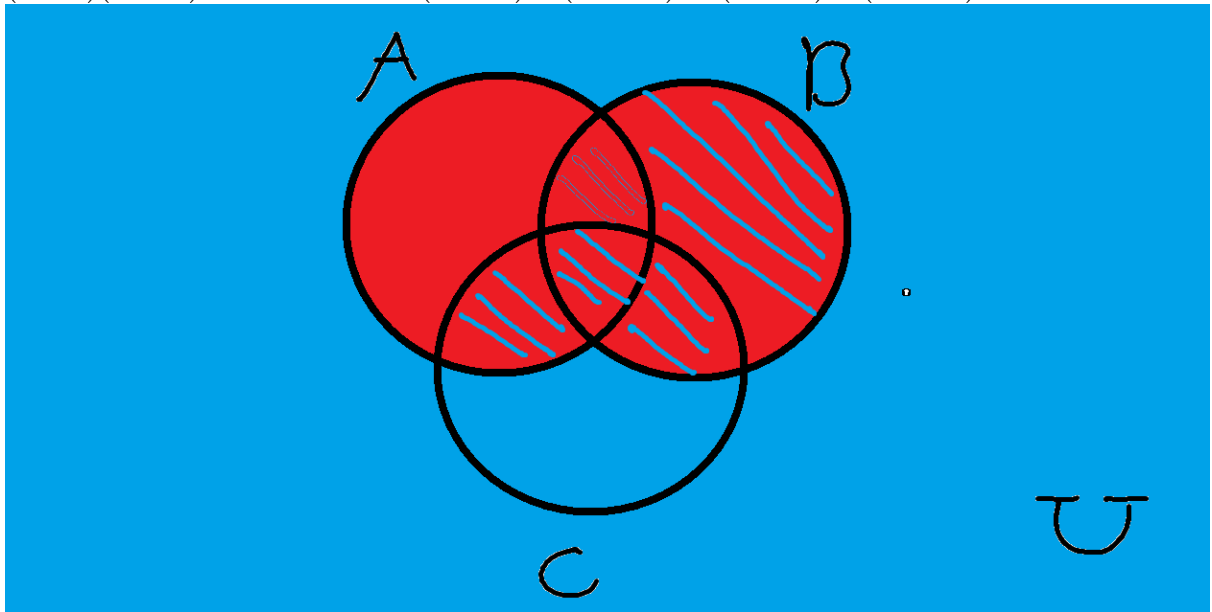


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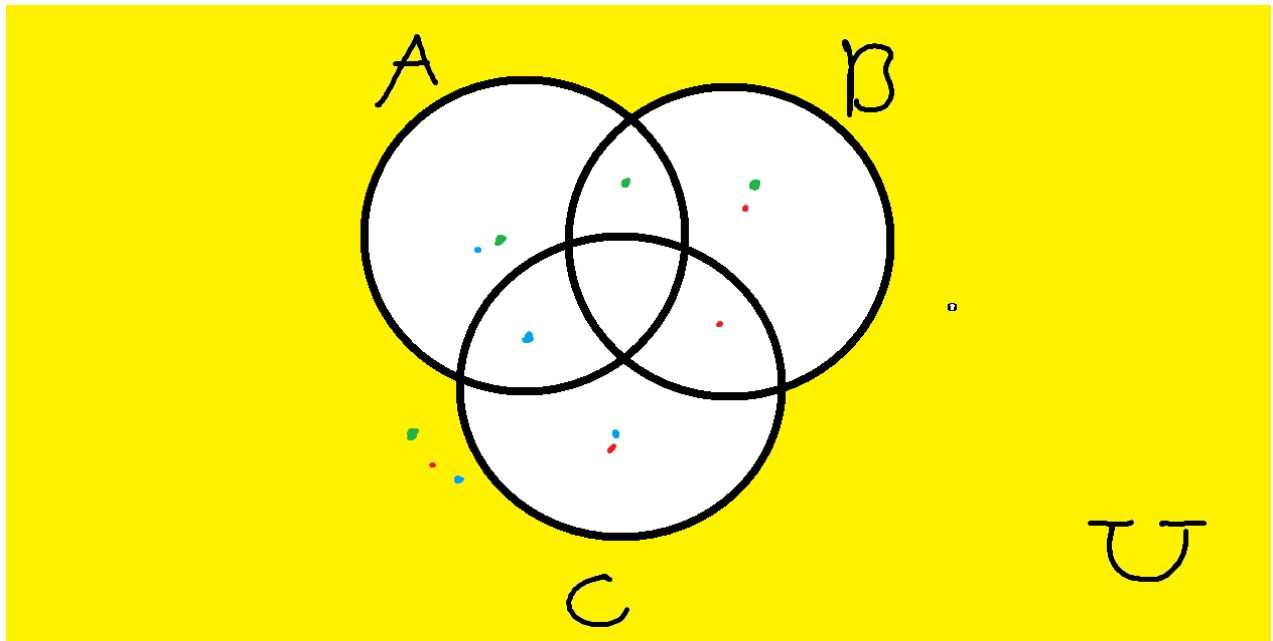
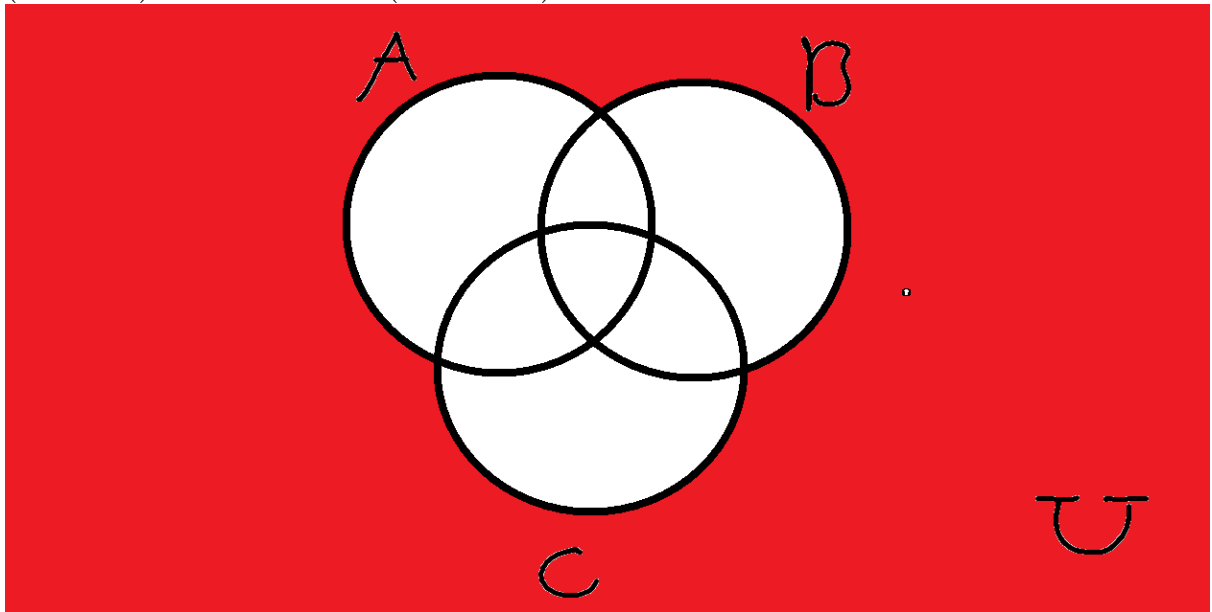


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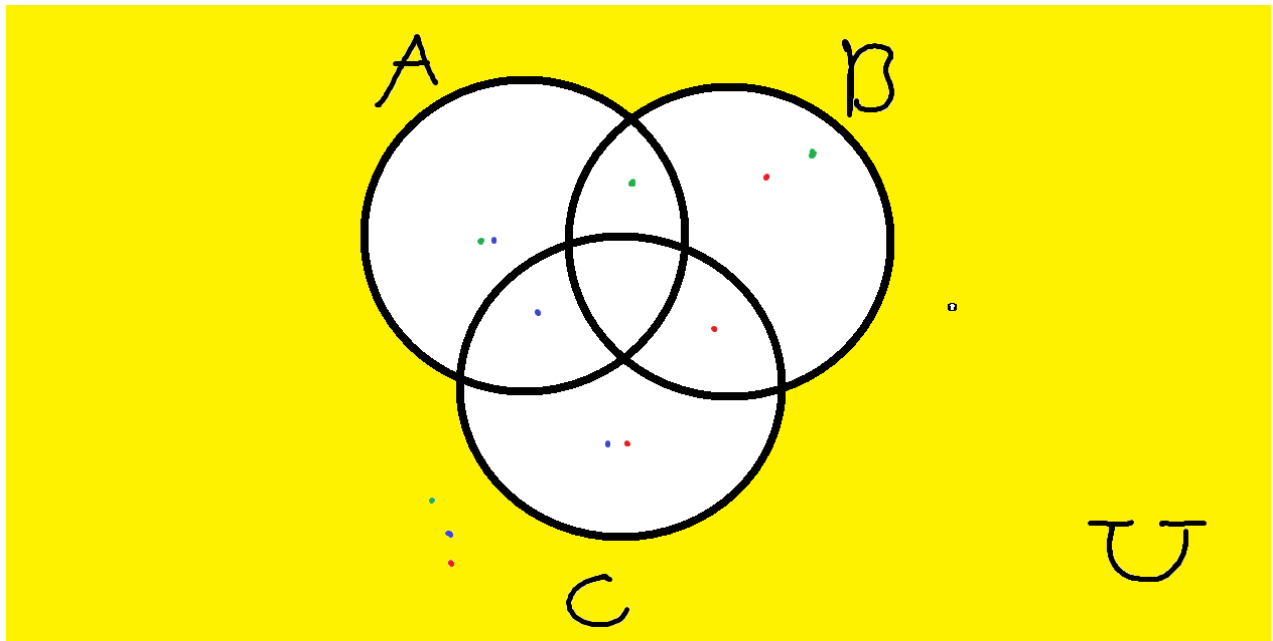
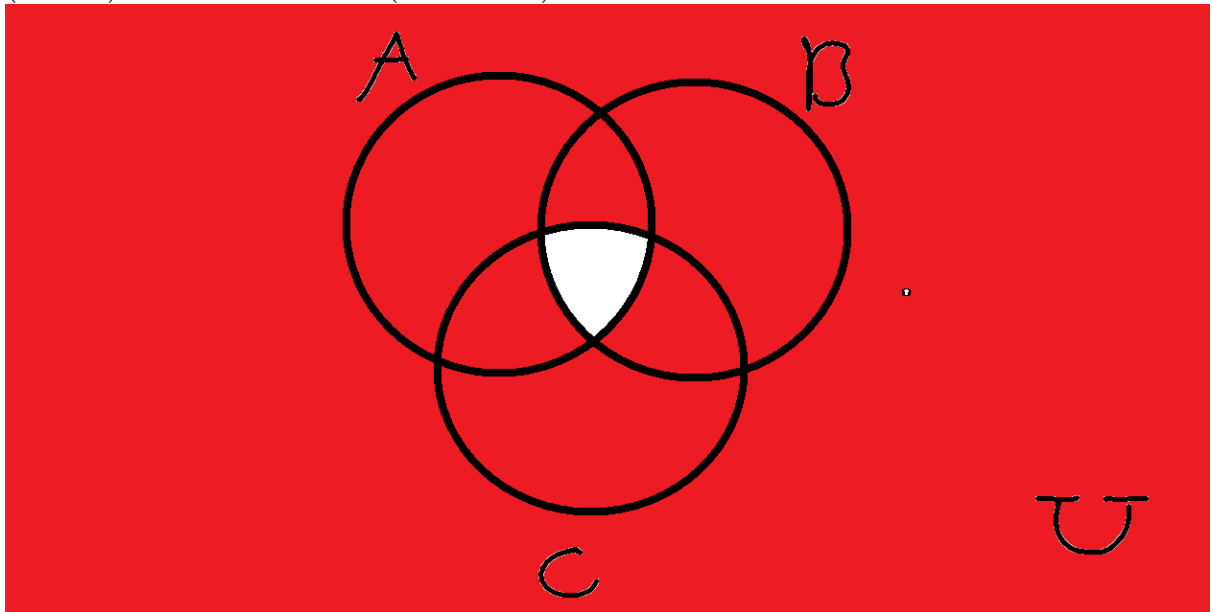
17. $(a + b)(a' + c) = ac + a'b \longrightarrow (A \cup B) \cap (A' \cup C) = (A \cap C) \cup (A' \cap B)$



18. $(a + b + c)' = a' \cdot b' \cdot c' \longrightarrow (A \cup B \cup C)' = A' \cap B' \cap C'$



19. $(a \cdot b \cdot c)' = a' + b' + c' \longrightarrow (A \cap B \cap C)' = A' \cup B' \cup C'$



$$20. (a')' \longrightarrow (A')'$$

