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```
library(ggplot2)
library(compstatslib)
library(data.table)
library(tidyr)
library(lsa)
```

4.3.3

'lsa'

Question 1(a)

Warning:

```
# alternative method to read data:
ac_bundles_dt <- fread("piccollage_accounts_bundles.csv")</pre>
ac_bundles_matrix <- as.matrix(ac_bundles_dt[, -1, with=FALSE])</pre>
```

In the app at the bottom of each sticker pack, we can find 6 recommendations.

R.

Possible recommendations for eastersurprise:

- happyeaster2016
- hellospring
- holidaycheers
- springrose
- HeartStickerPack

Question 1(b)

(i)

cosine similarity

```
cosine_func <- function(mt) {</pre>
  cosine_matrix <- cosine(mt)</pre>
  cnt <- 1
  top <- matrix(ncol = 5, nrow=165)</pre>
  dimnames(top) <- list(colnames(cosine_matrix), c(1:5))</pre>
  while (cnt <= dim(cosine_matrix)[1]) {</pre>
    new_row <- tail(sort(cosine_matrix[cnt,]),6)</pre>
    top[cnt,] <- names(new_row[c(-6)])</pre>
    cnt <- cnt + 1
  }
```

```
return(top)
}
#cos_top_5 <- cosine_func(ac_bundles_matrix)</pre>
cosine recos <- function(items matrix) {</pre>
  cos_sim_matrix <- qlcMatrix::cosSparse(items_matrix)</pre>
  bundle_names <- colnames(items_matrix)</pre>
  dimnames(cos_sim_matrix) <- list(bundle_names, bundle_names)</pre>
  diag(cos_sim_matrix) <- 2</pre>
  row_recos <- function(cos_sim_row) {</pre>
    names(sort(cos_sim_row, decreasing = TRUE))
  all_recos <- t(apply(cos_sim_matrix, 2, row_recos))</pre>
  final_recos <- all_recos[, -1]</pre>
  return(final_recos[, 1:5])
cos_top_5 <- cosine_recos(ac_bundles_matrix)</pre>
cos_top_5['eastersurprise',]
## [1] "cutoutluv"
                          "bemine"
                                             "watercolor"
                                                                "hipsterholiday"
## [5] "mmlm"
(ii)
correlation
bundle_means <- apply(ac_bundles_matrix, 2, mean)</pre>
bundle_means_matrix <- t(replicate(nrow(ac_bundles_matrix), bundle_means))</pre>
ac_bundles_mc_b <- ac_bundles_matrix - bundle_means_matrix</pre>
corr_top_5 <- cosine_recos(ac_bundles_mc_b)</pre>
corr_top_5['eastersurprise',]
## [1] "cutoutluv"
                             "bemine"
                                                  "watercolor"
                                                                       "hipsterholiday"
## [5] "tropicalparadise"
(iii)
adjusted\hbox{-} cosine
bundle_means <- apply(ac_bundles_matrix, 1, mean)</pre>
ac_bundles_mc_b <- ac_bundles_matrix - bundle_means</pre>
adj_top_5 <- cosine_recos(ac_bundles_mc_b)</pre>
adj_top_5['eastersurprise',]
## [1] "cutoutluv"
                                         "washiholiday" "ladolcevita" "happy"
                        "bemine"
```

Question 1(c)

It is similar in a sense but not the same. Humans have biases when evaluating something.

Question 1(d)

Cosine similarity and correlation focus on bundle similarity whereas adjusted-cosine considers similarity between individuals.

Question 2(a)

- (i) raw slope of x and y that is around 0
- (ii) correlation of x and y that is around 0

Question 2(b)

- (i) raw slope of x and y that is around 0
- (ii) correlation of x and y that is around 0

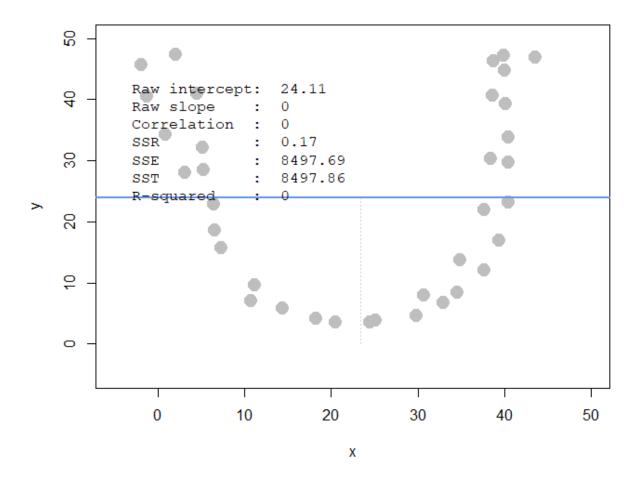
Question 2(c)

- (i) raw slope of x and y that is close to 1
- (ii) correlation of x and y that is close to 1

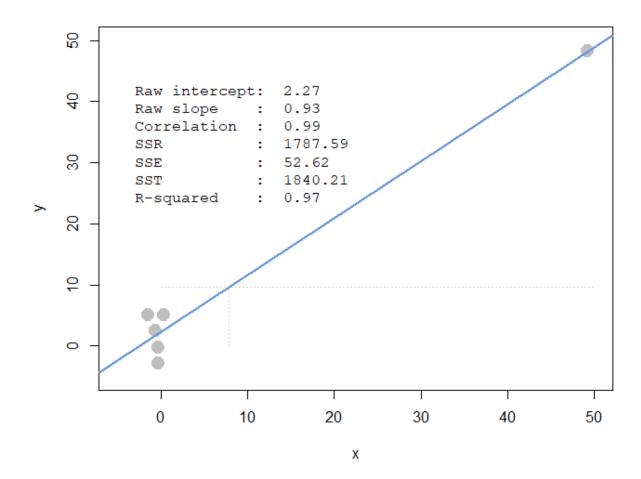
Question 2(d)

- (i) raw slope of x and y that is close to -1
- (ii) correlation of x and y that is close to -1

Question 2(e)



Question 2(f)



Question 2(g)

(i)

```
## x y
## 1 0.4570313 0.6214511
```

```
## 2 12.1660156 12.2460568

## 3 22.3710938 27.5141956

## 4 42.9960938 45.2113565

## 5 49.0117188 45.5583596

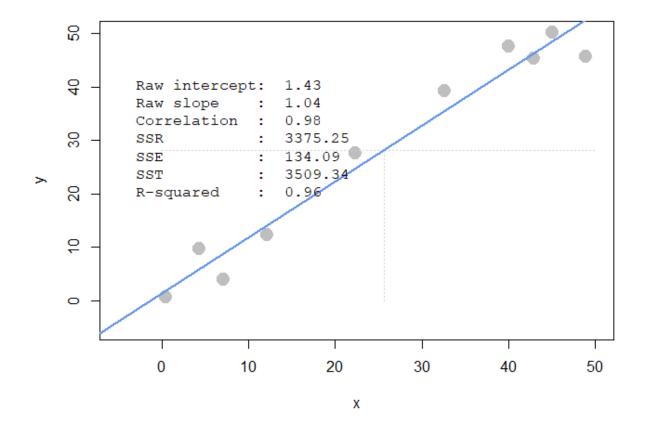
## 6 45.1445313 50.0694006

## 7 4.3242188 9.6435331

## 8 7.1171875 3.9179811

## 9 32.6835938 39.1388013

## 10 40.0957031 47.4668770
```



(ii)

```
pts_regr <- lm(pts$y ~ pts$x)
summary(pts_regr)</pre>
```

```
##
## Call:
## lm(formula = pts$y ~ pts$x)
##
## Residuals:
## Min 1Q Median 3Q Max
## -6.9305 -1.7169 0.2991 3.4387 4.2660
```

```
##
## Coefficients:
##
               Estimate Std. Error t value Pr(>|t|)
## (Intercept) 1.43270
                           2.28428
                                    0.627
                                              0.548
## pts$x
                1.04171
                           0.07341 14.191 5.92e-07 ***
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
## Residual standard error: 4.094 on 8 degrees of freedom
## Multiple R-squared: 0.9618, Adjusted R-squared: 0.957
## F-statistic: 201.4 on 1 and 8 DF, p-value: 5.92e-07
Regression intercept = 1.43
Slope = 1.04
(iii)
cor(pts)
## x 1.0000000 0.9807091
## y 0.9807091 1.0000000
Values seem to be the same.
(iv)
pts_regr <- lm(scale(pts$y) ~ scale(pts$x))</pre>
summary(pts_regr)
##
## Call:
## lm(formula = scale(pts$y) ~ scale(pts$x))
##
## Residuals:
##
                  1Q
       Min
                      Median
                                    3Q
                                             Max
## -0.35097 -0.08695 0.01515 0.17414 0.21604
##
## Coefficients:
##
                 Estimate Std. Error t value Pr(>|t|)
## (Intercept) 7.157e-17 6.556e-02
                                        0.00
## scale(pts$x) 9.807e-01 6.911e-02
                                       14.19 5.92e-07 ***
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 0.2073 on 8 degrees of freedom
## Multiple R-squared: 0.9618, Adjusted R-squared: 0.957
## F-statistic: 201.4 on 1 and 8 DF, p-value: 5.92e-07
Regression intercept \sim 0
Slope \sim 0.98
(v) The standardized regression coefficient (slope) is equal to the correlation.
```