

# Energy Load Forecasting

for the Global Energy Forecasting Competition 2014

Presentation of Semester Project  
by Fabian Brix



ÉCOLE POLYTECHNIQUE  
FÉDÉRALE DE LAUSANNE

January 27, 2015

- ▶ **Introduction**
- ▶ Data
- ▶ Features
- ▶ Forecasting Methods
- ▶ Quantile Forecasting
- ▶ Error Measures
- ▶ Method Evaluation
- ▶ Results

- ▶ Dates: 08/15/2014 to 12/15/2014
- ▶ Tracks: energy **load forecasting**, price forecasting, wind, solar
- ▶ Task: forecast the distribution, in quantiles, of the hourly district load of an energy utility.
- ▶ Includes: forecasting the temperature of different zones in the district.
- ▶ Forecasting horizon: 1 month
- ▶ Competition type: rolling forecast  
⇒ Target for preceding forecasting task published every week to prepare for next horizon

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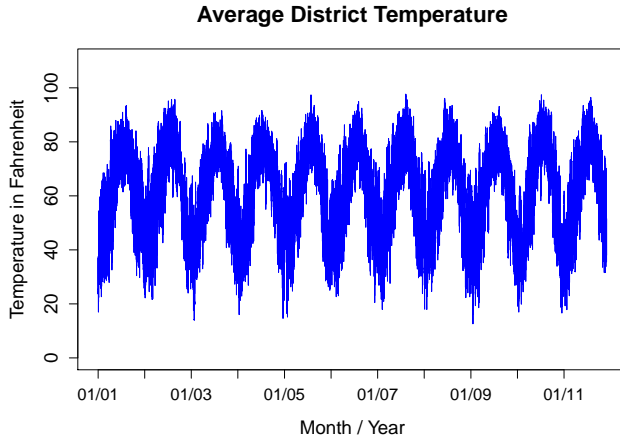
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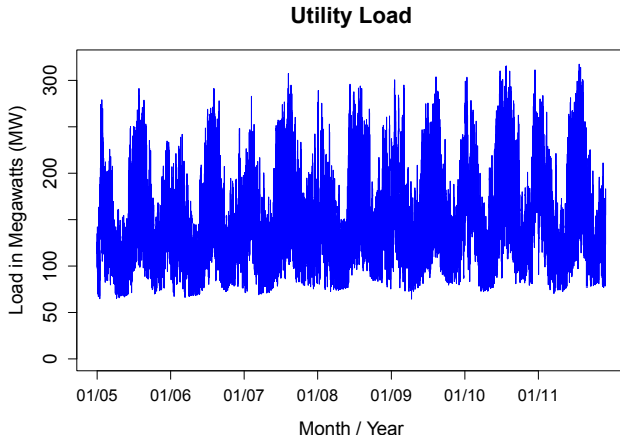
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- ▶ zonal: 25 series of hourly temperature (Fahrenheit)
- ▶ 01/01/2001 1am to 12/01/2011 midnight.



- ▶ district level: hourly load (Megawatts)
- ▶ 01/01/2005 1am to 12/01/2011 midnight.



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For temperature & load:

- ▶ YLAG:  $y_{-365}$  days
- ▶ DLAG:  $y_{-35}$  days
- ▶ TOY: time of year

For load only:

- ▶ CTEMP: current temperature
- ▶ DAYT: day type (holiday!)

Type	Mon	Tue	Wed	Thu	Fri	Sat	Sun	Holiday!
SDAYT	2	2	2	2	2	1	1	-
WDAYT	2	3	4	5	6	7	1	-
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- ▶ Additive predictor with non-linear functions
- ▶  $y = s_1(x_1) + s_2(x_2) + \dots + s_p(x_p) + \varepsilon$
- ▶  $s_i(x_i)$  are smooth functions estimated from the data  $x_i$
- ▶ Noise  $\varepsilon$  assumed to be Gaussian
- ▶ Use of standard configuration of GAM in R package “mgcv”

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- ▶ Hidden layer: 1
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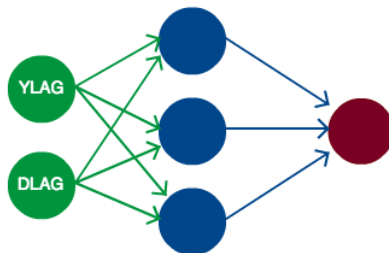
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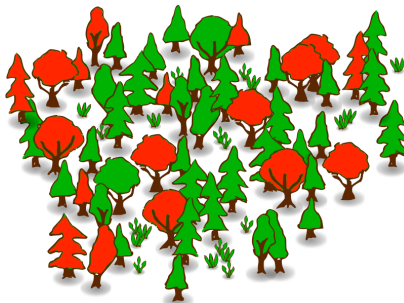
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- ▶ “Quantile forecast”: quantiles of this distribution (percentiles)
- ▶ Point forecasts correspond to mean of forecast distribution  
→ Offset **quantiles of training residuals** by point forecast

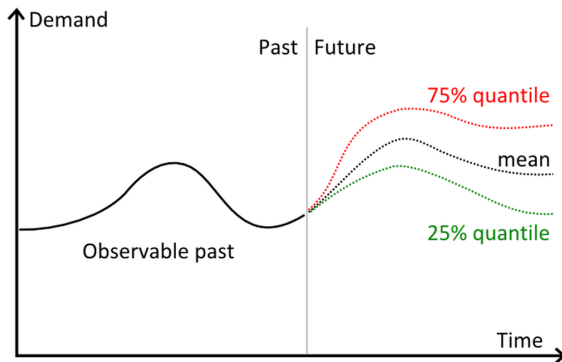
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- ▶ Used to evaluate goodness of fit
- ▶ Scale-independent (%)

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- ▶ residual:  $\xi_i = y_i - \hat{y}_i$
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- ▶ And model performance against competition leaderboard
- ▶ Strictly positive, the lower the more accurate the forecast
- ▶ Score at  $i$  given by  $\text{mean}(L_{0.01}, L_{0.02}, \dots, L_{0.99})$

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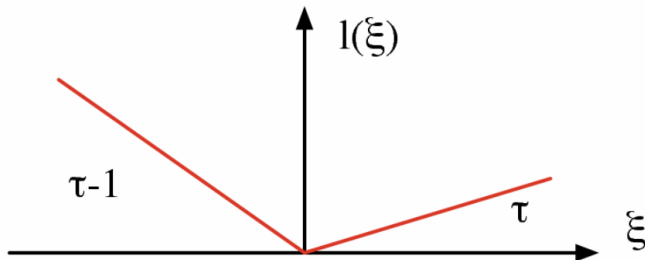


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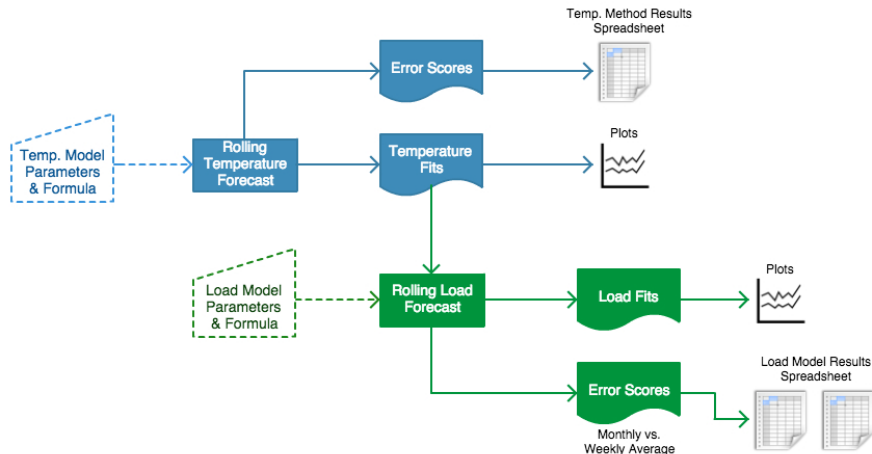


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# Workflow Diagram



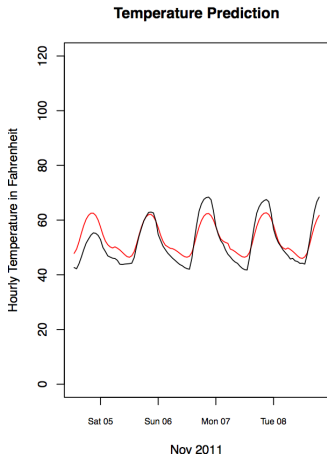
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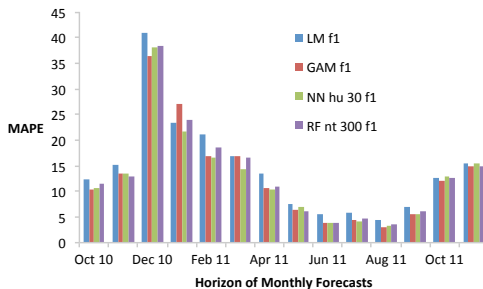
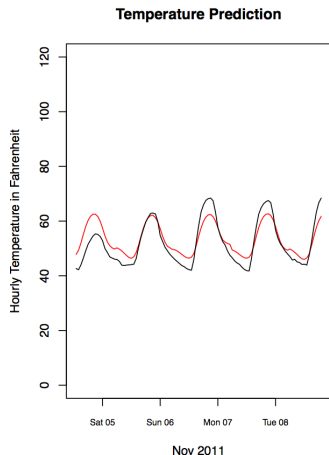
# Results - Temperature

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- ▶ Effect of temperature  
→ Significant: -2.5% MAPE
- ▶ No effect of different temperature preprocessing (average, PCA, 1 series)
- ▶ Predicting temperature for training period of load forecast  
→ Pinball error improves
- ▶ Effect of forecast horizon  
→ results improved with 1 week horizon
- ▶ Effect of daytypes  
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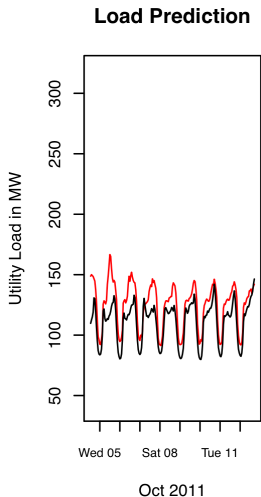
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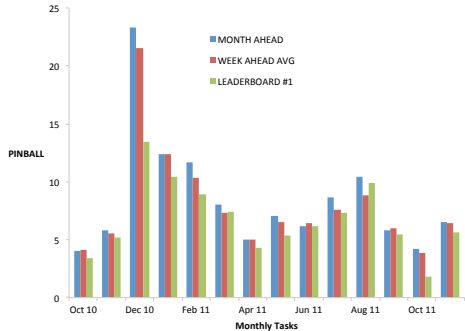
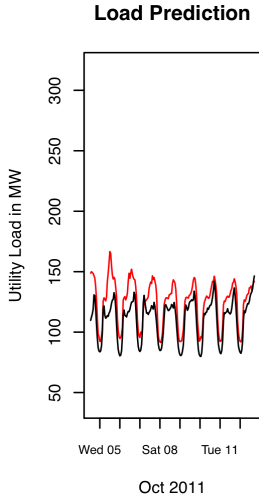
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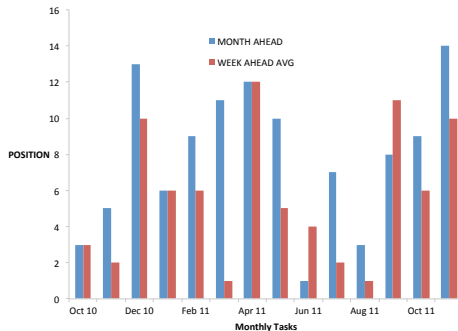


# Best Configuration - Final Leaderboard



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- ▶ Trimmed pinball mean: 7.16  $\Rightarrow$  #3
- ▶ Average position on task leaderboards: 5.64
- ▶ Not every contestant reaches equally high scores every week





- ▶ Find a development environment which makes debugging easier (R in vim)
- ▶ Analyze training residuals → white noise
- ▶ Further research on random forests for regression
- ▶ Produce and evaluate ensemble forecasts

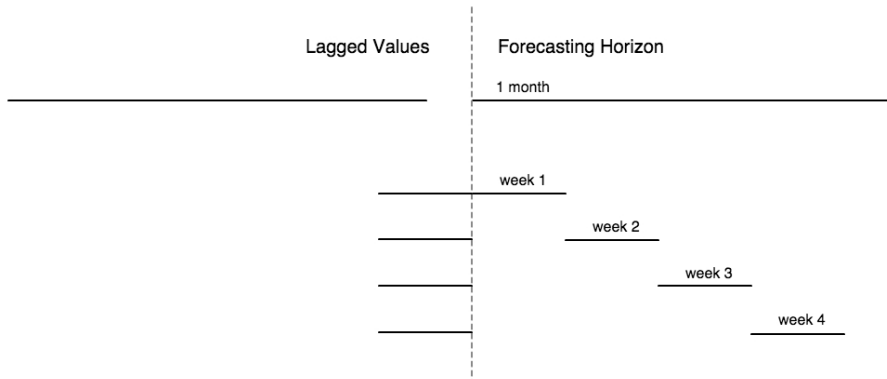
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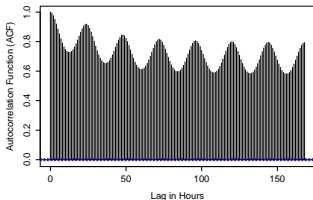
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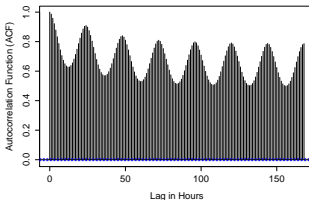
- ▶ Forecasts with two different time horizons: 1 month vs 1 week
- ▶ Forecasts of week 1 to 4 are combined + rest of monthly forecast



**Average Temperature of all Weather Stations**

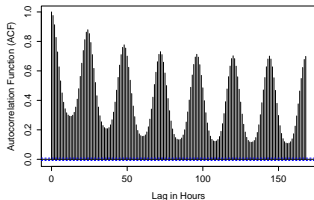


**Temperature Weather Station 1**

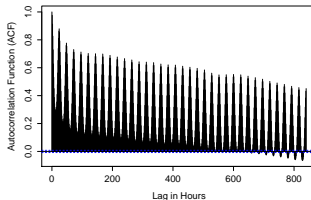


(a) time lag: 7 days, 168 hours (b) time lag: 7 days, 168 hours

**Hourly Load**



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(c) lag: 7 days, 168 hours

(d) lag: 35 days, 840 hours

