7. Regresión lineal

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La recta de mejor ajuste

```
library(readr)
M = read_csv("Estatura-peso_HyM.csv")
## Rows: 440 Columns: 3
## -- Column specification -----
## Delimiter: ","
## chr (1): Sexo
## dbl (2): Estatura, Peso
## i Use 'spec()' to retrieve the full column specification for this data.
## i Specify the column types or set 'show_col_types = FALSE' to quiet this message.
M = data.frame(M)
head(M)
##
    Estatura Peso Sexo
## 1
        1.61 72.21
## 2
        1.61 65.71
## 3
        1.70 75.08
## 4
       1.65 68.55
## 5
       1.72 70.77
## 6
        1.63 77.18
```

1. Obtén la matriz de correlación de los datos que se te proporcionan. Interpreta.

```
MM = subset(M,M$Sexo=="M")
MH = subset(M,M$Sexo=="H")
M1=data.frame(MH$Estatura,MH$Peso,MM$Estatura,MM$Peso)

n=4 #número de variables
d=matrix(NA,ncol=7,nrow=n)
for(i in 1:n){
   d[i,]<-c(as.numeric(summary(M1[,i])),sd(M1[,i]))</pre>
```

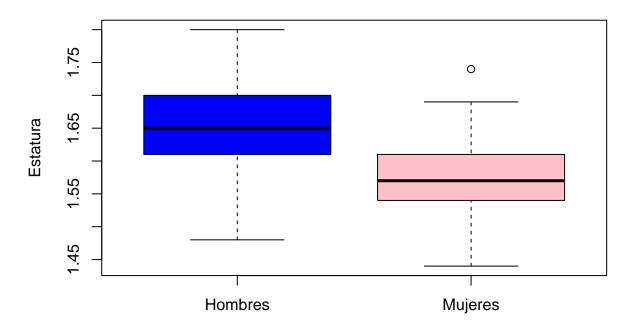
```
m=as.data.frame(d)

row.names(m)=c("H-Estatura","H-Peso","M-Estatura","M-Peso")
names(m)=c("Minimo","Q1","Mediana","Media","Q3","Máximo","Desv Est")
m
```

```
##
             Minimo
                        Q1 Mediana
                                                 Q3 Máximo
                                                            Desv Est
                                       Media
                            1.650 1.653727 1.7000
                                                     1.80 0.06173088
## H-Estatura
              1.48 1.6100
## H-Peso
              56.43 68.2575 72.975 72.857682 77.5225 90.49 6.90035408
## M-Estatura 1.44 1.5400
                            1.570 1.572955 1.6100
                                                     1.74 0.05036758
## M-Peso
              37.39 49.3550 54.485 55.083409 59.7950 80.87 7.79278074
```

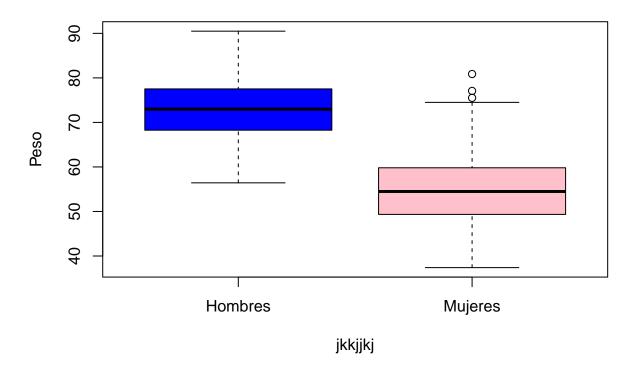
boxplot(M\$Estatura~M\$Sexo, ylab="Estatura", xlab="", col=c("blue", "pink"), names=c("Hombres", "Mujeres"

Estatura



boxplot(M\$Peso~M\$Sexo, ylab="Peso",xlab="jkkjjkj", names=c("Hombres", "Mujeres"), col=c('blue',"pink"),

Peso



Regresion Lineal

Preparacion de los datos

Verificar como esta definida la variable sexo: Caracter (variable categorica)

El modelo con sexo

```
A = lm(M$Peso~M$Estatura+M$Sexo)
##
## Call:
## lm(formula = M$Peso ~ M$Estatura + M$Sexo)
## Coefficients:
                 M$Estatura
                                  M$SexoM
##
   (Intercept)
        -74.75
                      89.26
                                   -10.56
##
b0 = A$coefficients[1]
b1 = A$coefficients[2]
b2 = A$coefficients[3]
cat("Peso=",b0,"+","Estatura",b2,"sexoM")
```

```
## Peso= -74.7546 + Estatura -10.56447 sexoM
```

Verificacion del Modelo

- Significancia global (statistic F)
- Significancia individual (t value)
- Porcentaje de variacion explicada por el modelo (Adjusted R-squared)

```
summary(A)
```

```
##
## Call:
## lm(formula = M$Peso ~ M$Estatura + M$Sexo)
##
## Residuals:
##
       \mathtt{Min}
                 1Q
                     Median
                                   3Q
                                           Max
## -21.9505 -3.2491
                      0.0489 3.2880 17.1243
## Coefficients:
              Estimate Std. Error t value Pr(>|t|)
## (Intercept) -74.7546 7.5555 -9.894 <2e-16 ***
## M$Estatura
              89.2604
                           4.5635 19.560
                                           <2e-16 ***
## M$SexoM
              -10.5645
                           0.6317 -16.724
                                          <2e-16 ***
## Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' 1
## Residual standard error: 5.381 on 437 degrees of freedom
## Multiple R-squared: 0.7837, Adjusted R-squared: 0.7827
## F-statistic: 791.5 on 2 and 437 DF, p-value: < 2.2e-16
```

Ecuacion del modelo

```
#Para mujeres (SexoM =0)
cat("Para mujeres","/n")

## Para mujeres /n

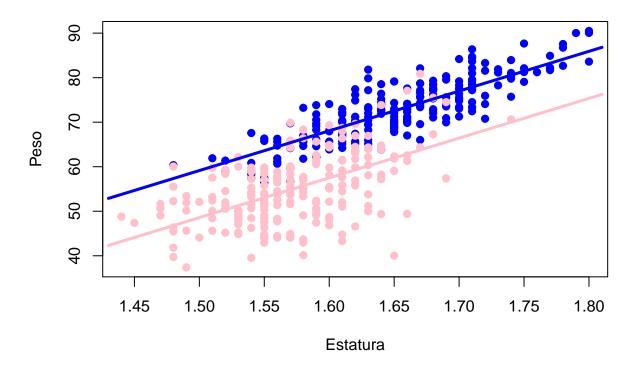
cat("Peso =", b0+b2,"+",b1,"Estatura")

## Peso = -85.31907 + 89.26035 Estatura

#Para hombres (SexoM =0)
cat("Para hombres","/n")
```

Para hombres /n

Relacion de Peso vs Estatura



Modelo con interaccion

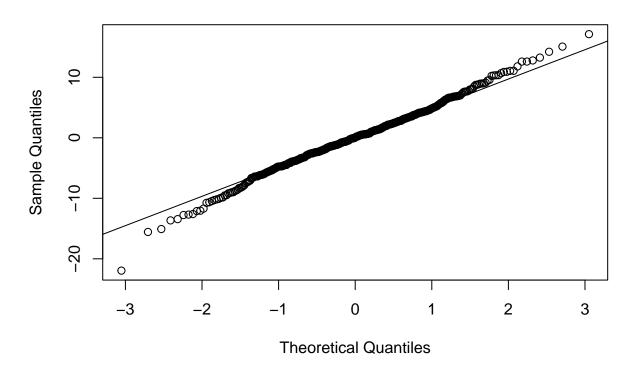
```
B = lm(M$Peso~M$Estatura*M$Sexo)
B

##
## Call:
## lm(formula = M$Peso ~ M$Estatura * M$Sexo)
##
```

```
## Coefficients:
                                               M$SexoM M$Estatura:M$SexoM
##
         (Intercept)
                     M$Estatura
             -83.68
                                 94.66
##
                                                   11.12
                                                                     -13.51
summary(B)
##
## Call:
## lm(formula = M$Peso ~ M$Estatura * M$Sexo)
## Residuals:
              1Q Median
       Min
                                 3Q
## -21.3256 -3.1107 0.0204 3.2691 17.9114
## Coefficients:
                    Estimate Std. Error t value Pr(>|t|)
## (Intercept)
                   -83.685 9.735 -8.597 <2e-16 ***
## M$Estatura
                    94.660
                               5.882 16.092 <2e-16 ***
                     11.124 14.950
## M$SexoM
                                       0.744 0.457
## M$Estatura:M$SexoM -13.511
                                9.305 -1.452 0.147
## Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' 1
## Residual standard error: 5.374 on 436 degrees of freedom
## Multiple R-squared: 0.7847, Adjusted R-squared: 0.7832
## F-statistic: 529.7 on 3 and 436 DF, p-value: < 2.2e-16
library(nortest)
ad.test(A$residuals)
##
## Anderson-Darling normality test
##
## data: A$residuals
## A = 0.79651, p-value = 0.03879
qqnorm(A$residuals)
```

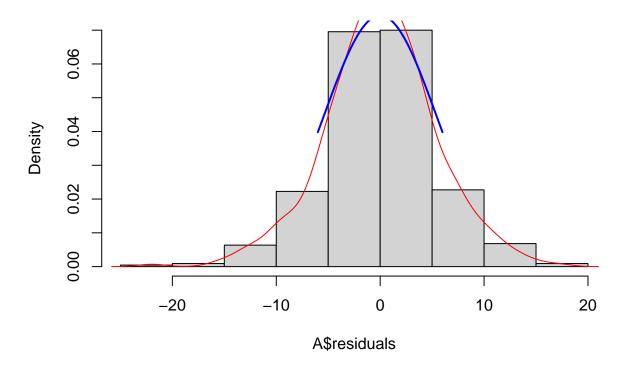
qqline(A\$residuals)

Normal Q-Q Plot



```
hist(A$residuals,freq=FALSE)
lines(density(A$residual),col='red')
curve(dnorm(x,mean=mean(A$residuals),sd=sd(A$residuals)),from=-6,to=6,add=TRUE,col='blue',lwd=2)
```

Histogram of A\$residuals



```
# plot(M$Peso, A$Ressiduals, pch=19, ylab='Peso', xlab='Estatura',
# main='Relacion de Peso vs Estatura')
```

t.test(A\$residuals)

```
##
## One Sample t-test
##
## data: A$residuals
## t = 6.8754e-16, df = 439, p-value = 1
## alternative hypothesis: true mean is not equal to 0
## 95 percent confidence interval:
## -0.5029859 0.5029859
## sample estimates:
## mean of x
## 1.759562e-16
```

plot.new

```
## function ()
## {
## for (fun in getHook("before.plot.new")) {
## if (is.character(fun))
## fun <- get(fun)</pre>
```

```
try(fun())
##
##
       }
       .External2(C_plot_new)
##
##
       grDevices:::recordPalette()
       for (fun in getHook("plot.new")) {
##
            if (is.character(fun))
##
               fun <- get(fun)</pre>
##
##
           try(fun())
       }
##
       invisible()
##
## }
## <bytecode: 0x000001f239f77918>
## <environment: namespace:graphics>
plot(A$fitted.values,A$residuals)
abline(h=0)
```

