

# Software Testing and Reliability

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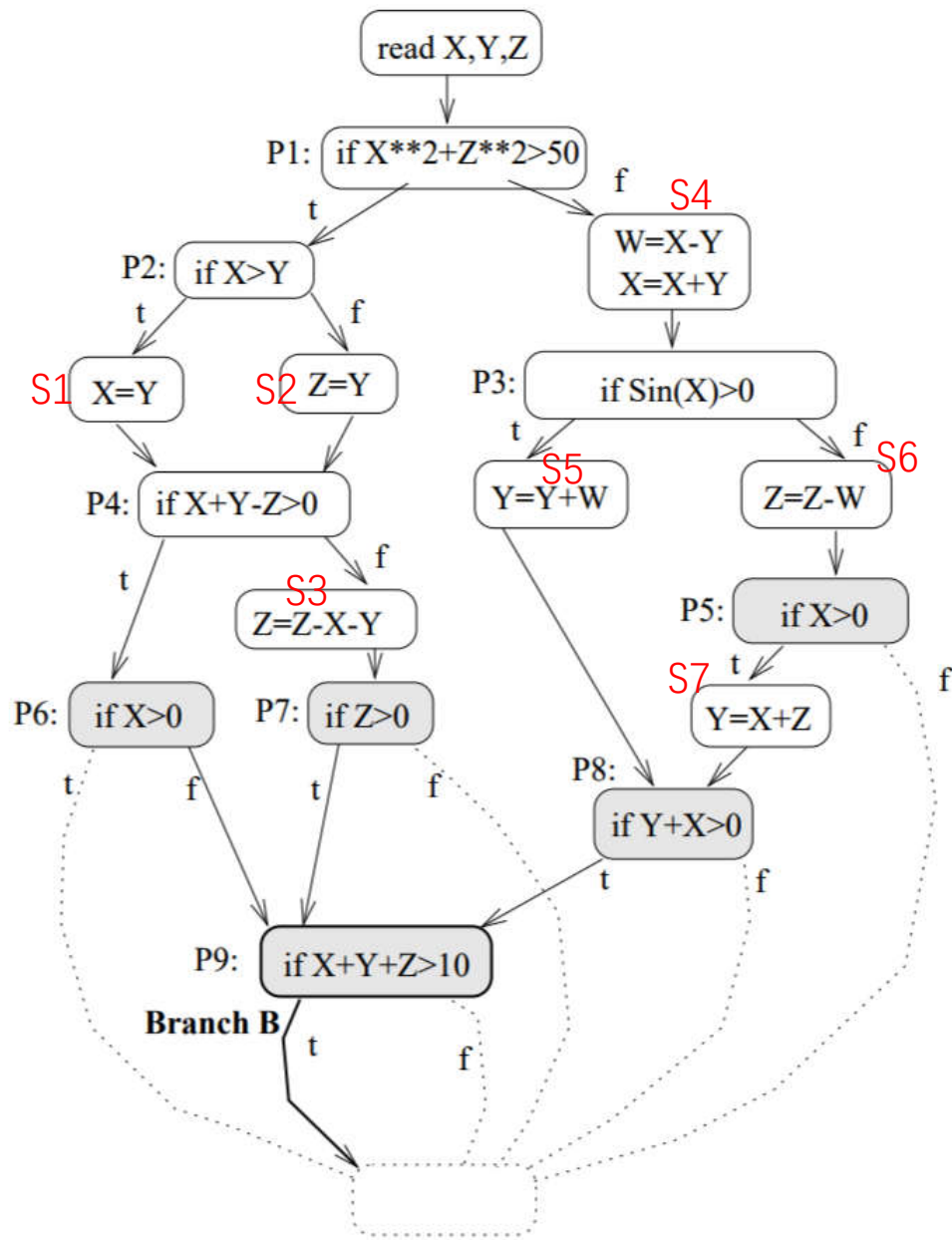
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# Lecture 7

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# **White-box Testing (control-flow coverage)**



Statement coverage?

Branch coverage?

Path coverage?

If each branch has statements, then branch coverage has no difference from statement coverage

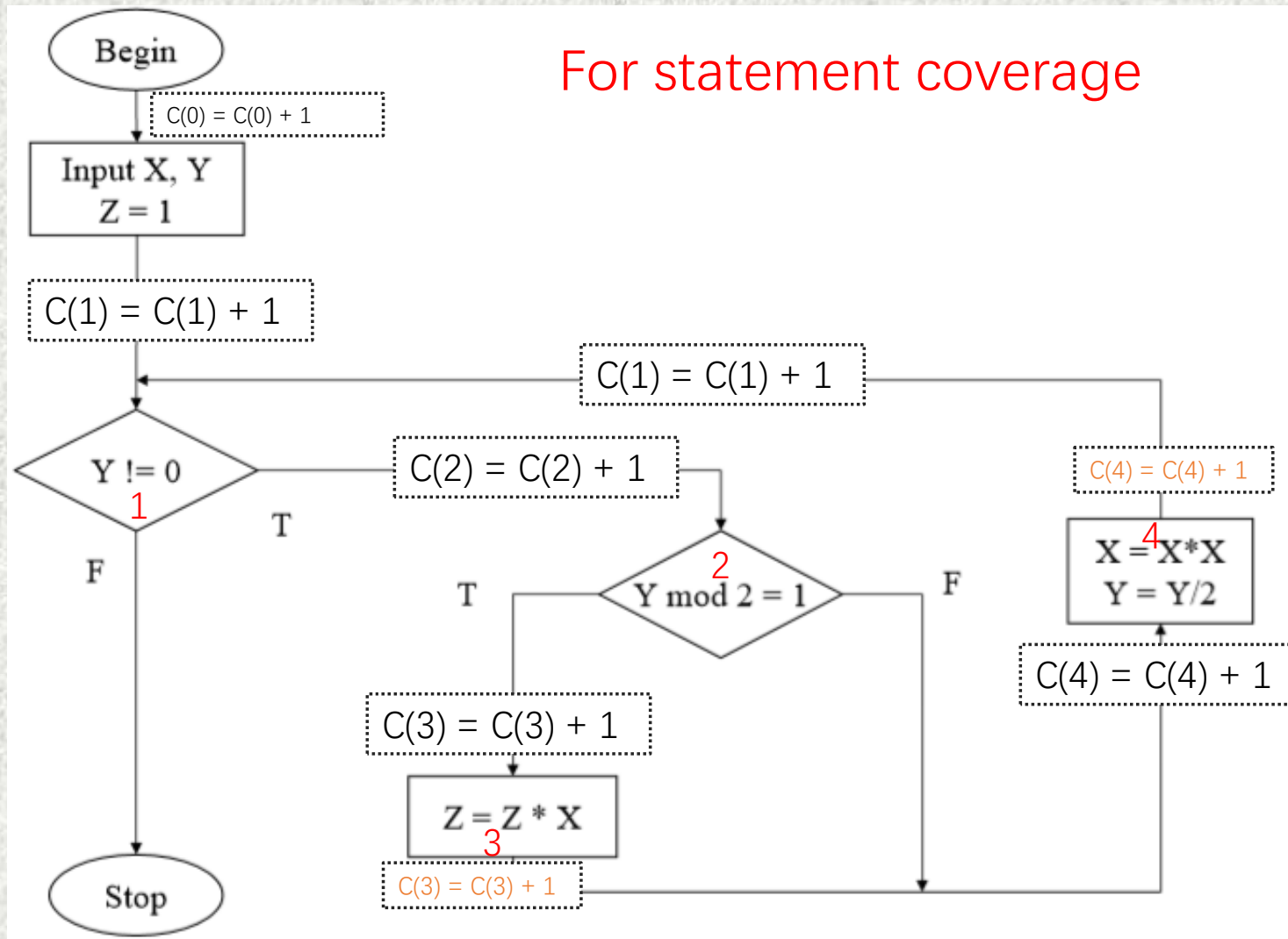


# How do we know that an item has been executed?

- By program instrumentation
  - Insert some printing statements to trace the program execution

Can be done either after or in parallel with compilation

For statement coverage





# White-box Testing (Subdomains)

# Example

```
begin
s1  read(x,y);
s2  w = x + y;
s3  if x + y >= 2 then
s4      z = x - (3*y);
      else
s5      z = 2*x - 5*y;
s6  if z + w > 3 then
s7      z = f(x,y,z);
      else
s8      z = g(x,y,z);
s9  write(z);
end.
```

Two input variables mean the 2-dimensional input domain



# Example

```
begin
s1  read(x,y);
s2  (w) = x + y;
s3  if x + y >= 2 then
s4      (z) = x - (3*y);
      else
s5      (z) = 2*x - 5*y;
s6  if (z + w > 3) then
s7      z = f(x,y,z);
      else
s8      z = g(x,y,z);
s9  write(z);
end.
```

Require *predicate interpretation*

# Sample Program

```
begin
s1  read(x,y);
s2  w = x + y;
s3  if  $x + y \geq 2$  then
s4       $z = x - (3*y);$ 
      else
s5       $z = 2*x - 5*y;$ 
s6  if  $z + w > 3$  then
s7       $z = f(x,y,z);$ 
      else
s8       $z = g(x,y,z);$ 
s9  write(z);
end.
```

If  $x + y \geq 2$ , then  
convert  $z + w > 3$  to  
 $2x - 2y > 3$ .



## Sample Program (continued)

```
begin
s1  read(x,y);
s2  w = x + y;
s3  if  $x + y \geq 2$  then
s4       $z = x - (3*y);$ 
      else
s5       $z = 2*x - 5*y;$ 
s6  if  $z + w > 3$  then
s7       $z = f(x,y,z);$ 
      else
s8       $z = g(x,y,z);$ 
s9  write(z);
end.
```

If  $x + y < 2$ , then  
convert  $z + w > 3$  to  
 $3x - 4y > 3$ .

## Sample Program (continued)

C1  $x+y \geq 2$

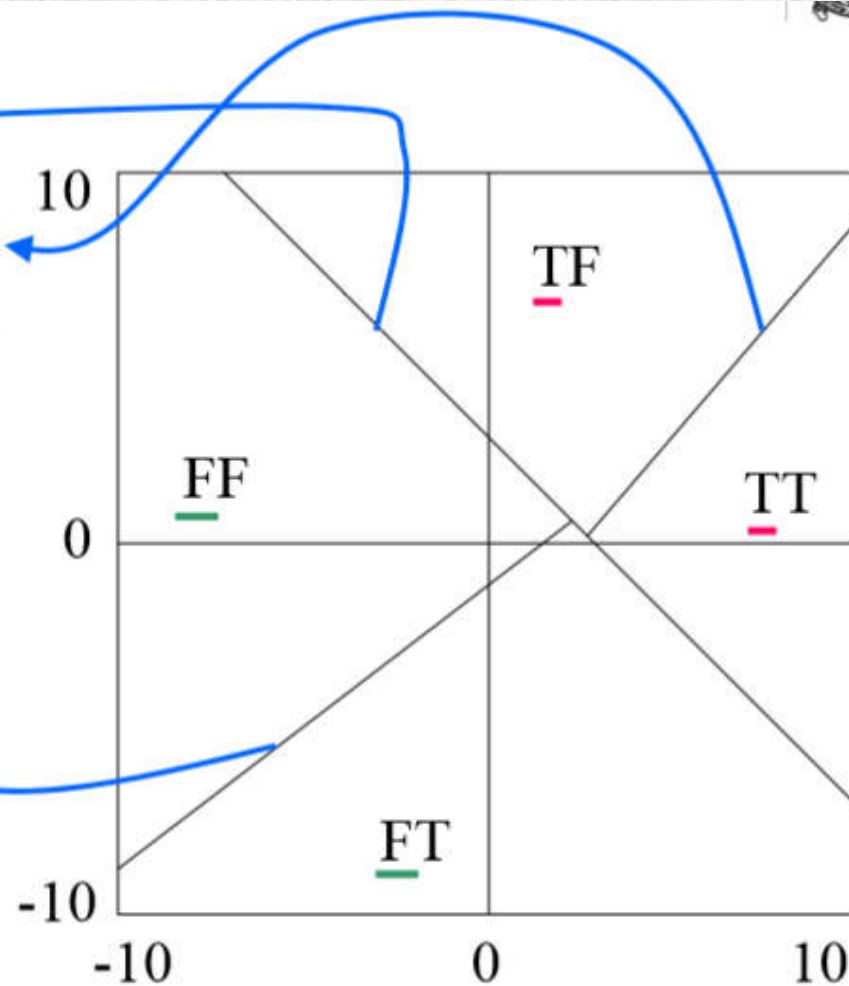
C2a (C1 T)

$$2x - 2y > 3$$

C2b (C1 F)

$$3x - 4y > 3$$

There are 3 **borders**,  
and C1, C2a and  
C2b are their  
condition.





# Subdomain and Function

- Partition the input domain into a set of disjoint subdomains, each of which corresponds to an executable path
- Consider the following software specification

```
INPUT A
IF A > 25 THEN B = 3A+1
ELSE B = 4A - 3
OUTPUT B
```

## Subdomain and Function (continued)

- Canonical Representation of a program  
 $\{ (D_1, f_1), (D_2, f_2), \dots (D_i, f_i), \dots \}$   
where  $D_i$  is the  $i^{th}$  subdomain;  
 $f_i$  is the computation function of  $D_i$ .
- For the program in the previous slide, we will have the following subdomains and functions:

```
INPUT A
IF A > 25 THEN B = 3A+1
ELSE B = 4A - 3
OUTPUT B
```

```
D1 : A > 25
f1 : 3A + 1
D2 : A ≤ 25
f2 : 4A - 3
```



# Exercise

Refer to the program in Slide 4.

- Tasks

1. Calculate the total number of subdomains
2. Define the subdomains and functions

Can you see that each subdomain consists of at least one border condition?

# **White-box Testing (Data Flow Coverage)**



# Data flow coverage

- Generate test cases according to the pattern of data usage inside the software
- Three types of data usage
  - Define
    - The variable is given a value, for example,  $X = 5$ ;
  - Predicate use
    - The variable's value is used to decide the TRUE or FALSE outcome of a predicate, for example,  $\text{if}(X > 3)$
  - Computational use
    - The variable's value is used for computation, for example,  $Y = X + 1$

## Data-flow coverage (continued)

- Notation
  - definition : def
  - predicate-use : p-use
  - computational-use : c-use
- One pattern of data usage
  - *Define* a variable, and then *use* its value



## **Def-Use pair coverage criterion**

- Aims to cover all pairs of def-use for all variables
- Steps
  1. Find all the def-use pairs for all variables
  2. Generate test cases to execute each of these pairs at least once

## Example for Def-Use pair coverage

Example:

S1:      $X = \dots\dots$

S2:     WHILE  $\dots\dots$  DO {  $\dots\dots\dots$

S3:                      $X = X * I$  }

S4:      $Y = X$

What are the def-use pairs for variable  $X$ , and  $Y$ ?



## Example for Def-Use pair coverage (continued)

- Regarding to variable X, “def” occurs in S1 and S3, while “use” occurs in S3 and S4.
- For variable X, we have 4 pairs to cover (S1, S3), (S1, S4), (S3, S3) and (S3, S4)

## Example for Def-Use pair coverage (continued)

Without entering the loop – cover (S1, S4)

S1:  $X = \dots$

S2: WHILE ..... DO { .....

S3:  $X = X * I$  }

S4:  $Y = X$



## Example for Def-Use pair coverage (continued)

One loop – cover (S1, S3) and (S3→S4)

```
graph TD; S1[S1: X = .....] --> S2[S2: WHILE ..... DO { ..... }]; S2 --> S3[S3: X = X * I}; S3 --> S4[S4: Y = X]; S4 --> S2;
```

S1:  $X = \dots\dots$

S2: WHILE ..... DO { ..... }

S3:  $X = X * I$

S4:  $Y = X$

## Example for Def-Use pair coverage (continued)

More than one loops – cover (S1, S3), (S3, S3) and (S3 ->S4)

```
S1:  X = .....  
S2:  WHILE ..... DO { .....  
S3:  X = X * I }  
S4:  Y = X
```



## Example for Def-Use pair coverage

- Without entering the loop – cover (S1, S4) ✓
- ~~One loop – cover (S1, S3) and (S3 → S4)~~
- More than one loops – cover (S1, S3), (S3, S3) and (S3 → S4) ✓

Two paths are sufficient to cover all def-use pairs of variable x

## **More data-flow coverage criteria**

- all-defs
- all-c-uses and some-p-uses
- all-p-uses and some-c-uses
- all-uses
- all def-use pairs (d-upairs)



# Partial ordering of coverage criteria

