

## ♦ Tr - 1

Odredite gornju i donju graničnu frekvenciju mrežnog transformatora omjera transformacije 1, zaključenog na sekundarnoj strani trošilom  $600\Omega$ , ako je na primar priključen izvor izlaznog (unutarnjeg) otpora  $50\Omega$ . Induktivitet primara je  $1H$ , a koeficijent magnetskog vezanja namota 0.95. Serijski radni otpori namota su zanemarivo mali u odnosu na otpore trošila i izvora.

$$[Rj: f_d = 7.35\text{Hz}, f_g = 1035\text{Hz}]$$

## ♦ Tr - 2

Sekundar mrežnog transformatora zaključen je punovalnim ispravljačem i C filtrom. Srednja vrijednost napona na kondenzatoru je  $20V$ , uz faktor valovitosti  $10\%$ . Projektirajte RC filter između kondenzatora u C filtru i trošila, tako da napon na trošilu bude  $12V$ , faktora valovitosti  $0.1\%$ , pri struci trošila  $10\text{mA}$ . Odredite stupanj korisnog djelovanja filtra.

$$[Rj: R = 800\Omega, C = 331.6\mu\text{F}, \eta = 0.6]$$

## ♦ Stb - 1

Punovalni kapacitivno opterećeni ispravljač zaključen je trošilom otpora  $20\Omega$ . Srednja vrijednost napona na trošilu je  $20V$ , uz efektivnu vrijednost napona valovitosti  $4V$ . Koliko puta se smanji napon valovitosti na trošilu ako se između kapacitivno opterećenog punovalog ispravljača i trošila spoji LC filter ( $L = 100\text{mH}, C = 1000\mu\text{F}$ )? Radni otpor zavojnice je zanemarivo malen.

$$[Rj: \frac{U_{C1,V,ef}}{U_{T,V,ef}} = 39.5]$$

## ♦ Stb - 2

Punovalni ispravljač zaključen je LC filtrom. Izlaznom naponu filtra srednja vrijednost mora biti  $350V$ , a efektivna vrijednost napona valovitosti manja od  $10V$  pri opteretnoj struci  $100\text{mA}$ . Odredite induktivitet zavojnice i kapacitet kondenzatora u filtru. Radni otpor zavojnice je zanemarivo malen.

$$[Rj: L_{min} = 3.714\text{H} \quad C_{min} = 11.3\mu\text{F}]$$

## ♦ Stb - 3

U stabilizatoru napona koristi se Zener dioda slijedećih značajki:  $U_{Z0} = 15V$ ,  $\Delta U_{Z0} = \pm 0.1 \cdot U_{Z0}$ ,  $I_{Zmin} = 5\text{mA}$ ,  $r_d = 10\Omega$ ,  $P_{max} = 0.5\text{W}$ .

- Odredite najveću vrijednost otpora serijskog otpornika u stabilizatoru tako da stabilizator ispravno radi uz ulazni napon  $20V$  i priključeno trošilo  $3k\Omega$ .
- Uz tako određen serijski otpor, koliki se najveći istosmjerni napon smije priključiti na ulaz stabilizatora a da ne dođe do preopterećenja diode?
- Odredite faktor naponske i strujne stabilizacije uz uvjete iz a) dijela zadatka.

$$[Rj: a) R_{S,MAX} = 333\Omega]$$

$$[Rj: b) U_{I,MAX} = 26.5V]$$

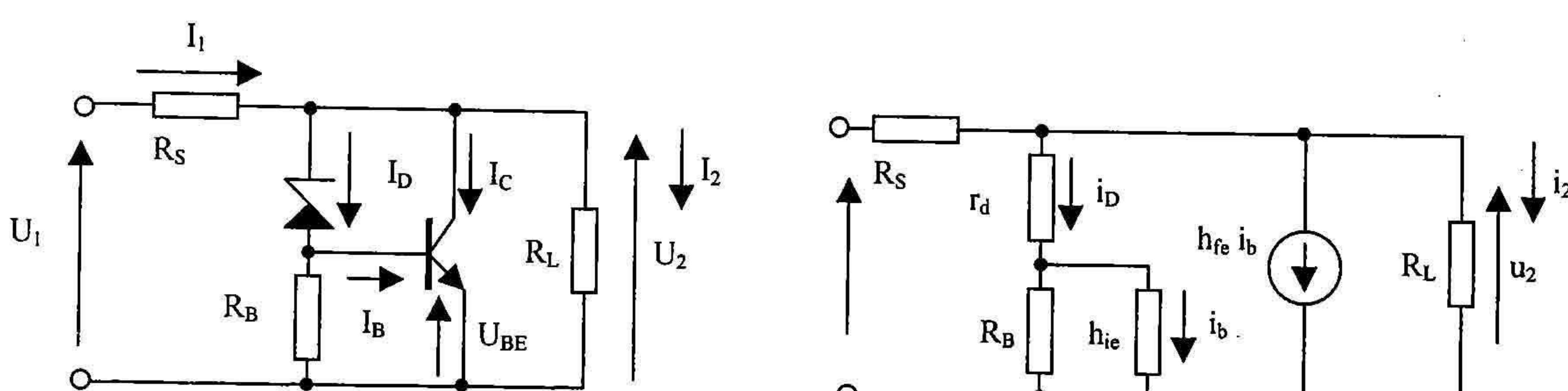
$$[Rj: c) K_U = 25.81, K_i = 310] ]$$

## ♦ Stb - 4

Izvedite jednadžbu potiskivanja ulaznog napona valovitosti (faktor naponske stabilizacije) za paralelni i serijski tranzistorski stabilizator. Navedite temeljne prednosti serijske izvedbe.

## a) PARALELNI STABILIZATOR

Električka shema paralelnog stabilizatora prikazana je slikom 1:



Slika 1: Električka shema paralelnog tranzistorskog stabilizatora

AND - Tr

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Tr-1

$$f_g, f_d = ?$$

$$n = 1$$

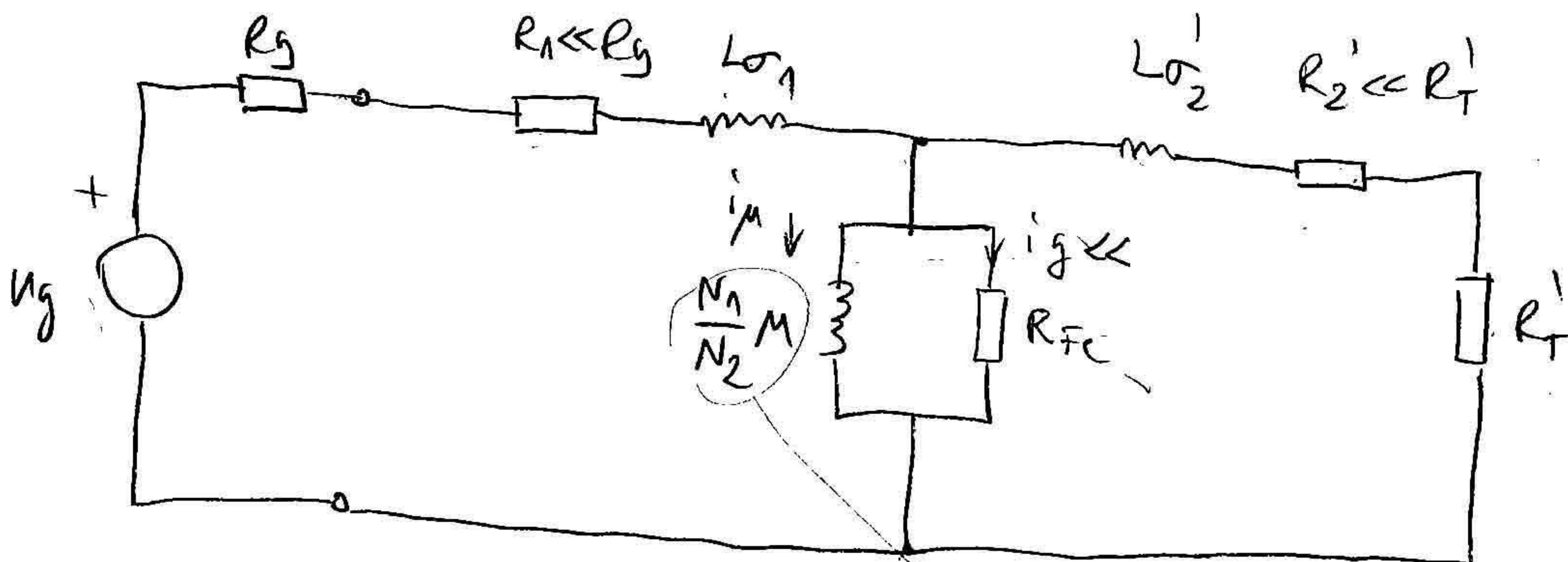
$$n = \frac{N_1}{N_2}$$

$$R_T = 600 \Omega$$

$$R_g = 50 \Omega$$

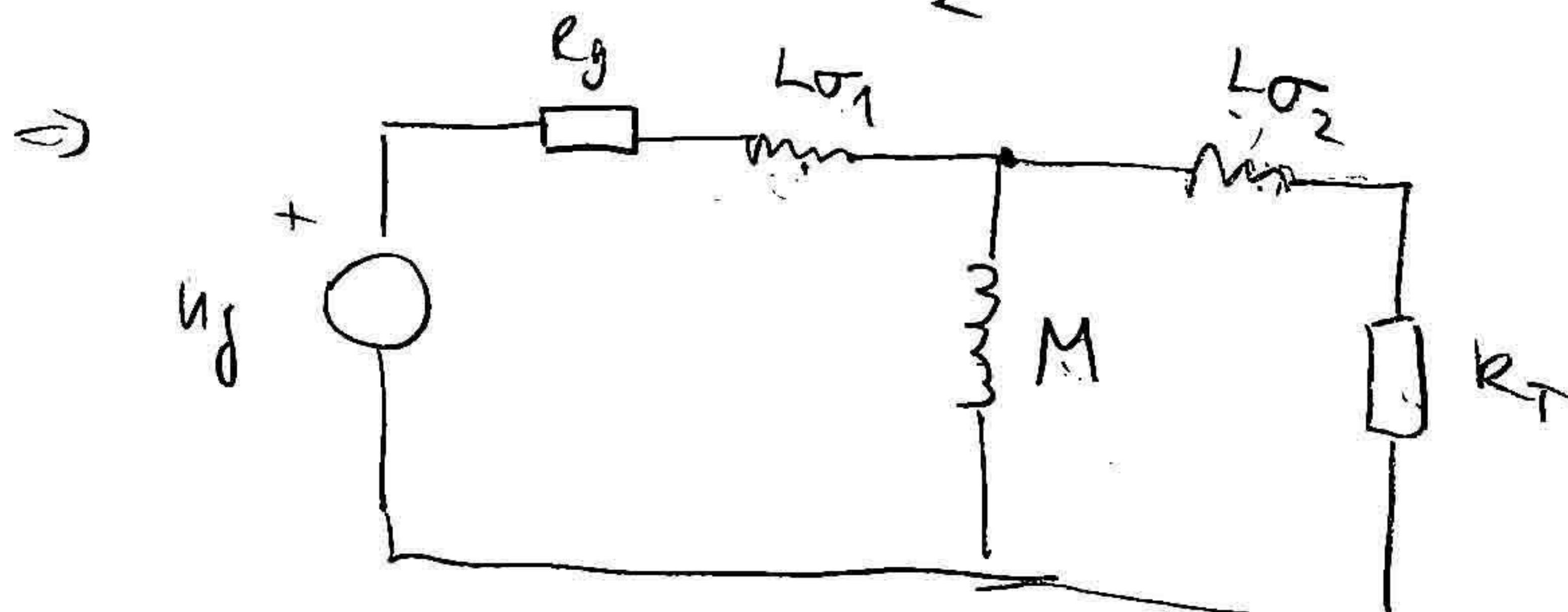
$$L_p = 1H \quad R_s \ll$$

$$k = 0.55$$



$$R_T' = n^2 R_T = R_T$$

$$L_{\sigma_2}' = n^2 L_{\sigma_2} = L_{\sigma_2}$$



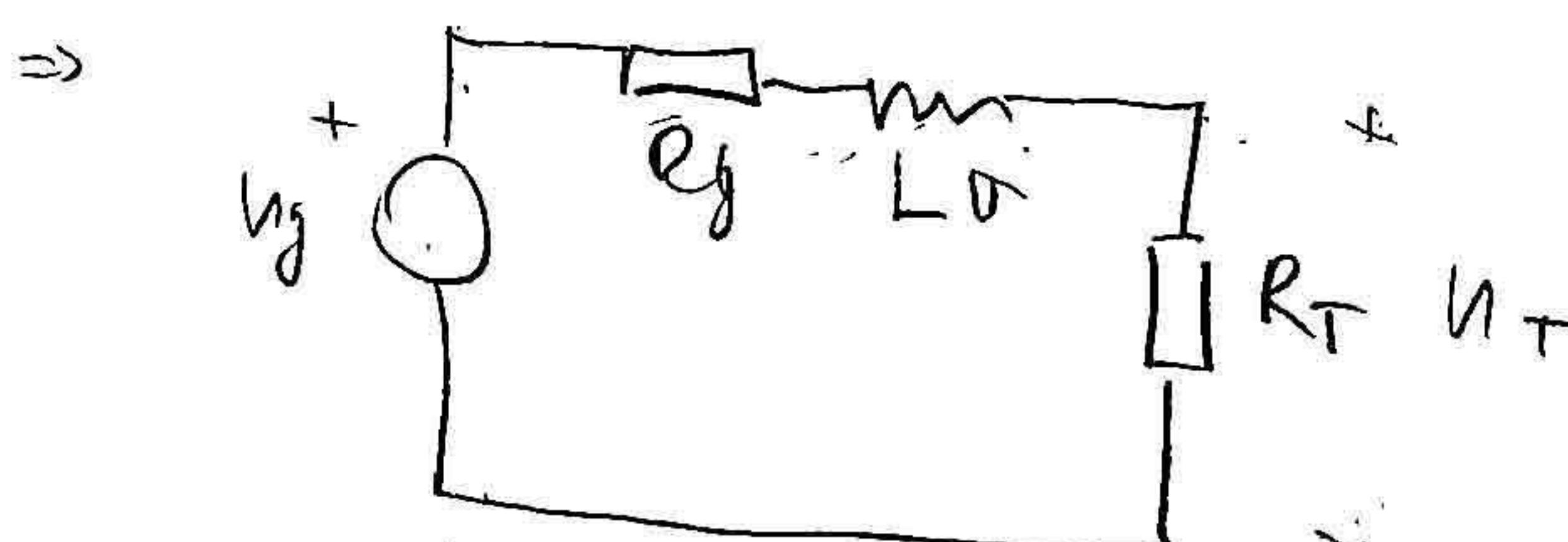
$$\text{folgt: } U_1 = I_1 R_1 + j\omega L_p + j\omega L_2' M$$

$$\Rightarrow I_2 = n I_1$$

$$\Rightarrow M \approx n M' \\ (\text{wegen } k \gg 1)$$

VF

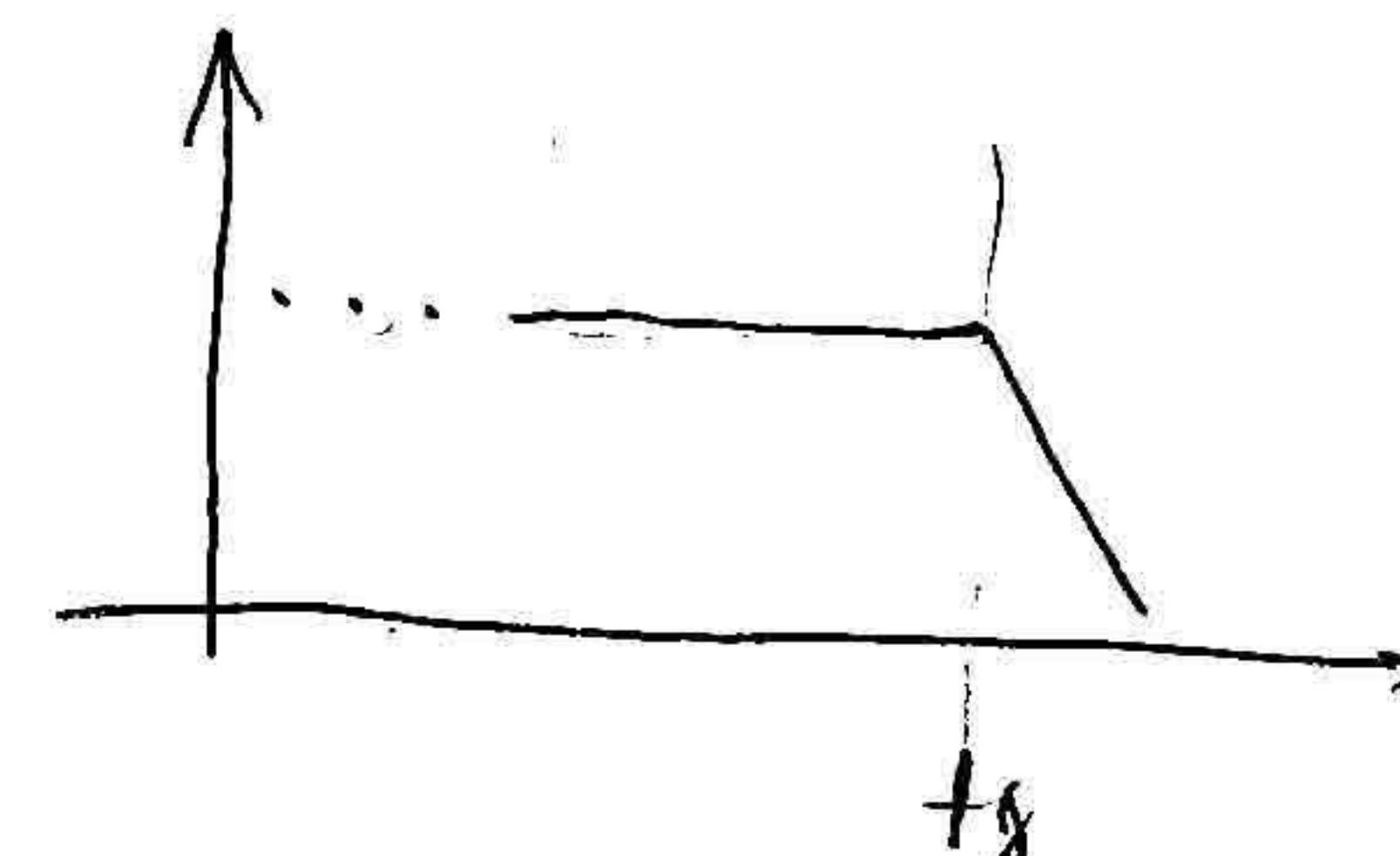
$$\omega M \gg \sqrt{(n L_{\sigma_2})^2 + R_T^2}$$



$$L_{\sigma} = L_{\sigma_1} + L_{\sigma_2}' = \\ = L_{\sigma_1} + L_{\sigma_2}$$

$$\frac{u_T}{u_g} = \frac{R_T}{\sqrt{(R_T + R_g)^2 + (\omega L_{\sigma})^2}}$$

$$\left| \frac{u_T}{u_g} \right|_{f \rightarrow \infty} = \frac{R_T}{R_T + R_g}$$



$$\left| \frac{U_T}{U_g} \right|_{f=f_0} = \frac{1}{\sqrt{2}} \quad \left| \frac{U_T}{U_g} \right|_{f \rightarrow 0} \quad (f \gg f_d)$$

$$\frac{R_T^2}{(R_T + R_g)^2 + (\omega g L_0)^2} = \frac{1}{2} \frac{R_T^2}{(R_T + R_g)^2}$$

$$R_T + R_g = \omega g L_0$$

$$\omega g = \frac{R_T + R_g}{L_0} \Rightarrow \boxed{f_0 = \frac{1}{2\pi} \frac{R_T + R_g}{L_0}} \quad f_0 \downarrow \propto L_0$$

$$L_0 = ?$$

$$\rightarrow \text{vergrößerte Defektage: } M = k \sqrt{L_p L_s} = \left| L_p = \frac{N_1^2}{R_m}, L_s = \frac{N_2^2}{R_m} \right| = k \cdot \frac{N_1 N_2}{R_m}$$

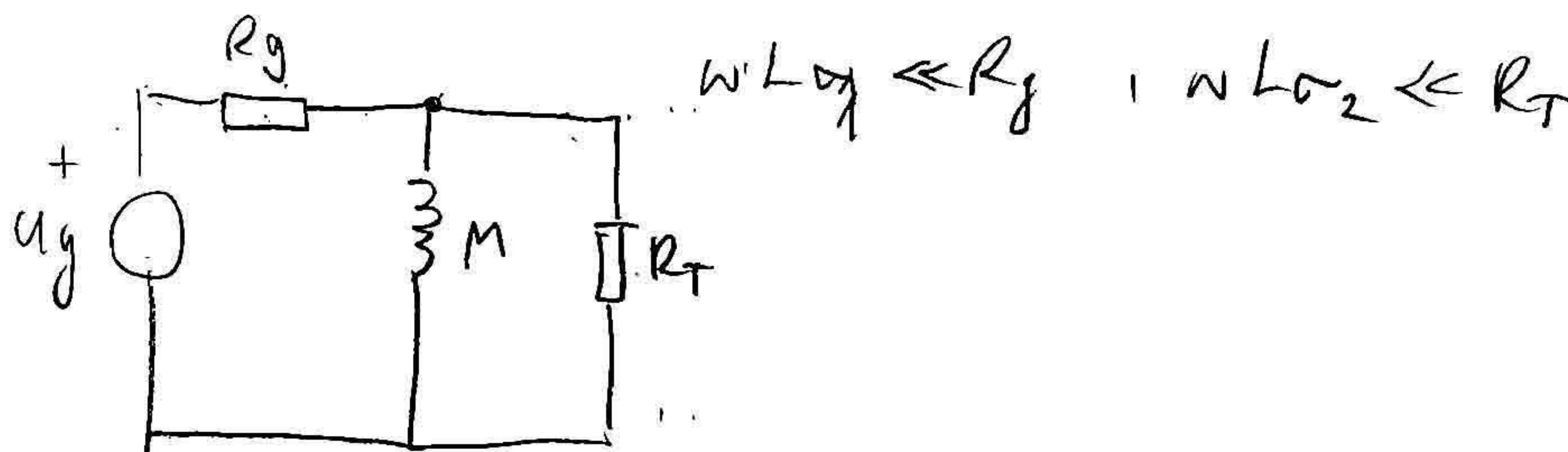
$$L_{01} = (1-k) L_p = L_p - k L_p = L_p - \frac{M R_m}{N_1 N_2} \cdot \frac{N_1^2}{R_m} = L_p - \frac{N_1}{N_2} M$$

$$L_{02} = L_s - \frac{N_2}{N_1} M$$

$$\rightarrow N_1 = N_2 \Rightarrow L_p = L_s \Rightarrow L_{01} = L_{02} = (1-k) L_p = (1 - 0,55) \cdot 1H = 50mH$$

$$\boxed{\left| f_0 \right| = \frac{1}{2\pi} \frac{600 + 50}{2,005} = 1,035 \text{ kHz}}$$

NF



$$\omega L_0 \ll R_g, \omega L_{02} \ll R_T$$

$$\left| \frac{U_T}{U_g} \right|_{f=f_d} = \frac{1}{\sqrt{2}} \left| \frac{U_T}{U_g} \right|_{f \rightarrow 0} \quad f_d \ll f \ll f_0$$

$$\frac{R_T || j\omega M}{R_g + R_T || j\omega M} \cdot \frac{j\omega M R_g}{R_g + j\omega M} \cdot \frac{\frac{R_T + j\omega M}{j\omega M}}{R_T + \frac{R_g (R_T + j\omega M)}{j\omega M}} = \frac{R_T}{R_T + \frac{R_g (R_T + j\omega M)}{j\omega M}}$$

$(M = L_p)$

$$A_d = \frac{1}{2\pi} \frac{600 || 50}{1} = \boxed{7,35 \text{ Hz}}$$

9.5

AND - TR

INF...

$$\left| \begin{array}{c} U_T \\ -U_g \end{array} \right|_{f=f_d} = \frac{1}{\sqrt{2}} \left| \begin{array}{c} U_T \\ U_g \end{array} \right|_{f_d \ll f \ll f_g}$$

$$\frac{R_T \parallel j\omega M}{R_g + R_T \parallel j\omega M} = \frac{\frac{j\omega M + R_T}{R_T + j\omega M}}{R_g + \frac{j\omega R_T M}{R_T + j\omega M}} \cdot \frac{\frac{(j\omega M + R_T)}{j\omega M (R_T + R_g)}}{-/-} =$$

$$= \frac{\frac{R_T}{R_g + R_T}}{R_g + R_T}$$

$$= \frac{\frac{R_T}{R_g + R_T} + \frac{R_g (R_T + j\omega M)}{j\omega M (R_g + R_T)}}{j\omega M (R_g + R_T)}$$

$$= \frac{\frac{R_T}{R_g + R_T}}{1 + \frac{R_g R_T}{R_g + R_T} \cdot \frac{1}{j\omega M}} =$$

$$\frac{\frac{R_T}{R_g + R_T}}{\frac{(j\omega M R_T) + R_g R_T + j\omega M R_g}{j\omega M (R_g + R_T)}} =$$

$$\frac{\frac{R_T}{R_g + R_T}}{1 + \frac{R_g \parallel R_T}{j\omega M}} = \frac{U_T}{U_g}$$

$$\left| \begin{array}{c} U_T \\ U_g \end{array} \right|_{f=f_d} = \frac{\frac{R_T}{R_T + R_g}}{\sqrt{1 + \left( \frac{R_g \parallel R_T}{\omega_d M} \right)^2}} = \frac{1}{\sqrt{2}} \left| \begin{array}{c} U_T \\ U_g \end{array} \right|_{f_d \ll f \ll f_g} = \frac{1}{\sqrt{2}} \frac{R_T}{R_T + R_g}$$

$$1 + \left( \frac{R_g \parallel R_T}{\omega_d M} \right)^2 = 2 \Rightarrow \omega_d M = R_g \parallel R_T$$

$$\Rightarrow \boxed{\varphi_d = \frac{R_g \parallel R_T}{2 \pi M}}$$

$$\Rightarrow f_d = \frac{1}{2\pi} \frac{600 \parallel 50}{1} = \boxed{f_d = 35 \text{ Hz}}$$

$$f_d = \frac{1}{2\pi} \frac{600 \parallel 50}{0.95 \cdot 1} = 7.74 \text{ Hz}$$

$$M = k \sqrt{L_S L_P} = 2.55 \sqrt{1.1}$$

VÝSPEVNÉ

Tř-1:

$$f_L = \frac{1}{2\pi} \cdot \frac{6001150}{0.95} = 7.74 \text{ Hz}$$

(2)

## AUD-Tr

Tr-2

prihvátkové uspr.

C-filtr (C<sub>1</sub> na shemi)

$$U_{C1AV} = 20V$$

$$\gamma = 10\%$$

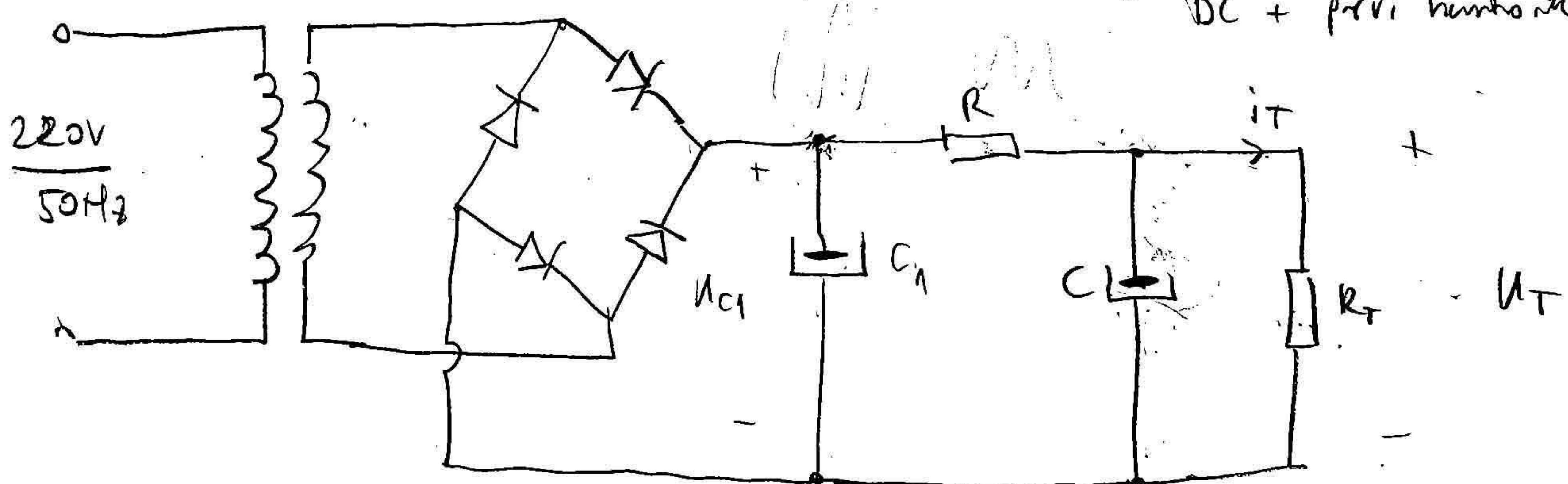
$$RC = ?$$

$$U_{TAV} = 12V$$

$$\gamma = 0,1\%$$

$$I_{TAV} = 10mA$$

$$m = ?$$



$$R_T = \frac{U_{TAV}}{I_{TAV}} = \frac{12}{0,01} = 11,2k\Omega \quad (\text{optimalní ohýb})$$

$$R = \frac{U_{C1AV} - U_{TAV}}{I_{TAV}} = \frac{20 - 12}{0,01} = 800\Omega$$

$$r_{C1} = \frac{U_{C1VRMS}}{U_{C1AV}} - \text{vlastní vlastnosti na } C_1$$

$$U_{C1AV} - \text{sred. napětí mezi極ma na } C_1$$

$$r_T = \frac{U_{TVRMS}}{I_{TAV}} - \text{trubka}$$

$$\Rightarrow \frac{U_{TVRMS}}{U_{C1VRMS}} = \frac{r_T}{r_{C1}} \frac{U_{TAV}}{U_{C1AV}} = \frac{0,001 \cdot 12}{0,1} \frac{1}{20} = 0,006$$

$$\frac{U_{T\text{VRMS}}}{U_{C1\text{VRMS}}} = \frac{R_T \parallel X_C (f=100\text{Hz})}{R + R_T \parallel X_C (f=100\text{Hz})} \xrightarrow{\text{prislonu vyzkoušet pro nákon pmořského ižpr. osm}}$$

prislonu vyzkoušet pro nákon pmořského ižpr. osm  
komp. sa 100 Hz postupe: výstup harmonický

- ~~už~~ už pretp.:  $R_T \gg X_C (f=100\text{Hz})$

(mádej filtr naje dobrý; zvýš. kompl. se  
mohou zatracovat kroky (!))

$$\frac{U_{T\text{VRMS}}}{U_{C1\text{VRMS}}} = \frac{\frac{1}{\omega C}}{\sqrt{R^2 + \left(\frac{1}{\omega C}\right)^2}} = \frac{1}{\sqrt{1 + (\omega RC)^2}}$$

- už pretp.:  $\omega CR \gg 1$

(tj.  $R \gg \frac{1}{\omega C}$ ) glavnou využíva množstvo

osobec na výpočet RC filter  
(mádej b:  $R_T$  bude být výhodnější  
na  $-C$ ))

$$\frac{U_{T\text{VRMS}}}{U_{C1\text{VRMS}}} \approx \frac{1}{\omega RC}$$

C ~:  $\frac{U_{C1\text{VRMS}}}{U_{T\text{VRMS}}} = \frac{1}{2\pi f R} = \frac{1}{0,006} = \frac{1}{2\pi \cdot 100 \cdot 800} = \boxed{133,6 \mu\text{F}}$

Pracujeme pretp.:

$$X_C(f=100\text{Hz}) = \frac{1}{2\pi f C} = 1,6 \Omega \ll R_T = 1,2 \text{ k}\Omega$$

$$\omega CR = 166,7 \gg 1$$

JK.

$$\boxed{m = \frac{U_{T\text{AV}} \cdot I_{T\text{AV}}}{U_{T\text{AV}} I_{T\text{AV}} + \left(\frac{I_{T\text{AV}}^2}{R}\right) R} = \frac{1}{1 + \frac{I_{T\text{AV}} R}{U_{T\text{AV}}}} = \frac{1}{1 + \frac{R}{R_T}} = \frac{1}{1 + \frac{800}{1200}} = \boxed{0,6}}$$

už zameňujeme AC zdrojům  $I_{T\text{VRMS}}^2 \ll I_{T\text{AV}}^2 R$

AND-STB

①

STB-1

prirovnání ispr.

$$R_T = 20 \Omega$$

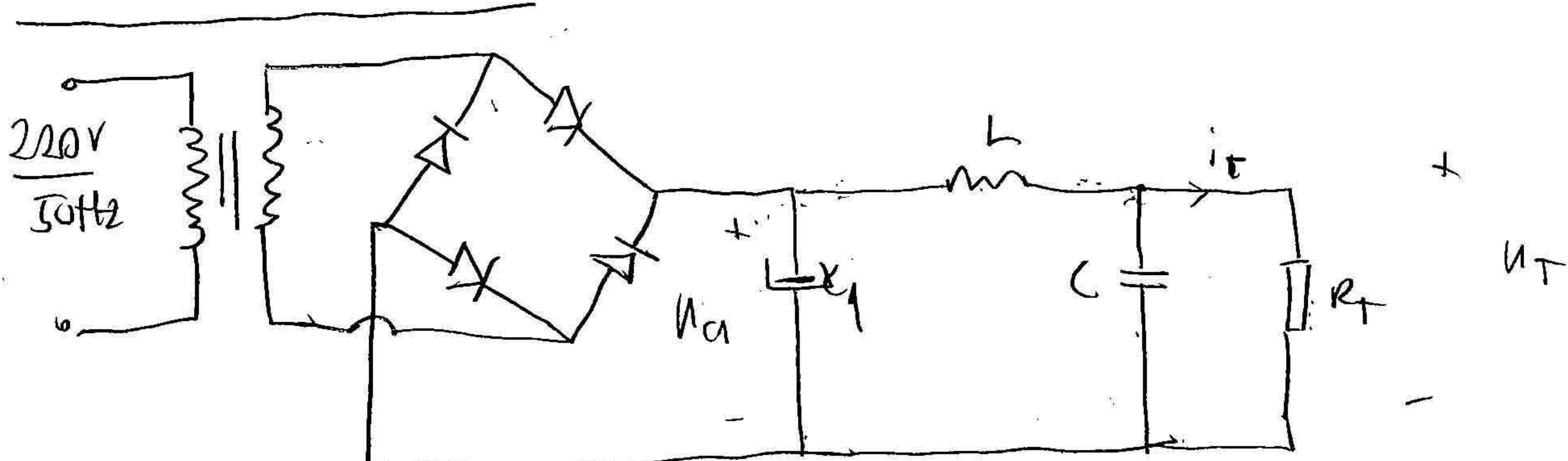
$$U_{TAV} = 20V$$

$$U_{TV} = 4V \text{ ct}$$

$$k = ? \quad k = \frac{U_{TV}}{U_{TAV}}$$

$$LC \Rightarrow L = 100 \text{ mH} \rightarrow R_s = 0$$

$$C = 1000 \mu F$$



$$I_{TAV} = \frac{U_{TAV}}{R_T} = \frac{20}{20} = 1A$$

$$\frac{U_{TV\text{ rms}}}{U_{CAV\text{ rms}}} = \frac{U_{AV}}{U_{CAV}} \approx \frac{X_C \parallel R_T}{(X_C \parallel (R_T + X_L))}$$

promy. označení

- už prst.:  $R_T \gg X_C$  (obecný LC filter; izoj. sítym ide (krot C))

$$\frac{U_{TV}}{U_{CAV}} = \frac{\frac{1}{j\omega C}}{\frac{1}{j\omega C} + \frac{1}{j\omega L}} = \frac{1}{1 - \omega^2 LC}$$

- už prst.  $\omega^2 LC \gg 1$  (večera daj. napsaná na L-a, že bylo dobré  $R_T$  (velká hodnota na C))

$$\frac{U_{TV}}{U_{CAV}} = \frac{1}{\omega^2 LC} = \boxed{125,3 \cdot 10^{-3}}$$

$$\Rightarrow \frac{U_{C1V}}{U_{TV}} = \boxed{39,5} \quad \text{takže se smyčí vlnovost}\newline C_1 \text{ je paralelní LC filtra}$$

- LC filtry jsou bolidi od RC (bofil) pro vysokou rozlišující schopnost na L
- pravým příkladem:

$$\frac{1}{\omega_{LC}} = 1,6 \Omega \ll R_T = 20 \Omega$$

$$\omega^2 LC = 39,5 \gg 1$$

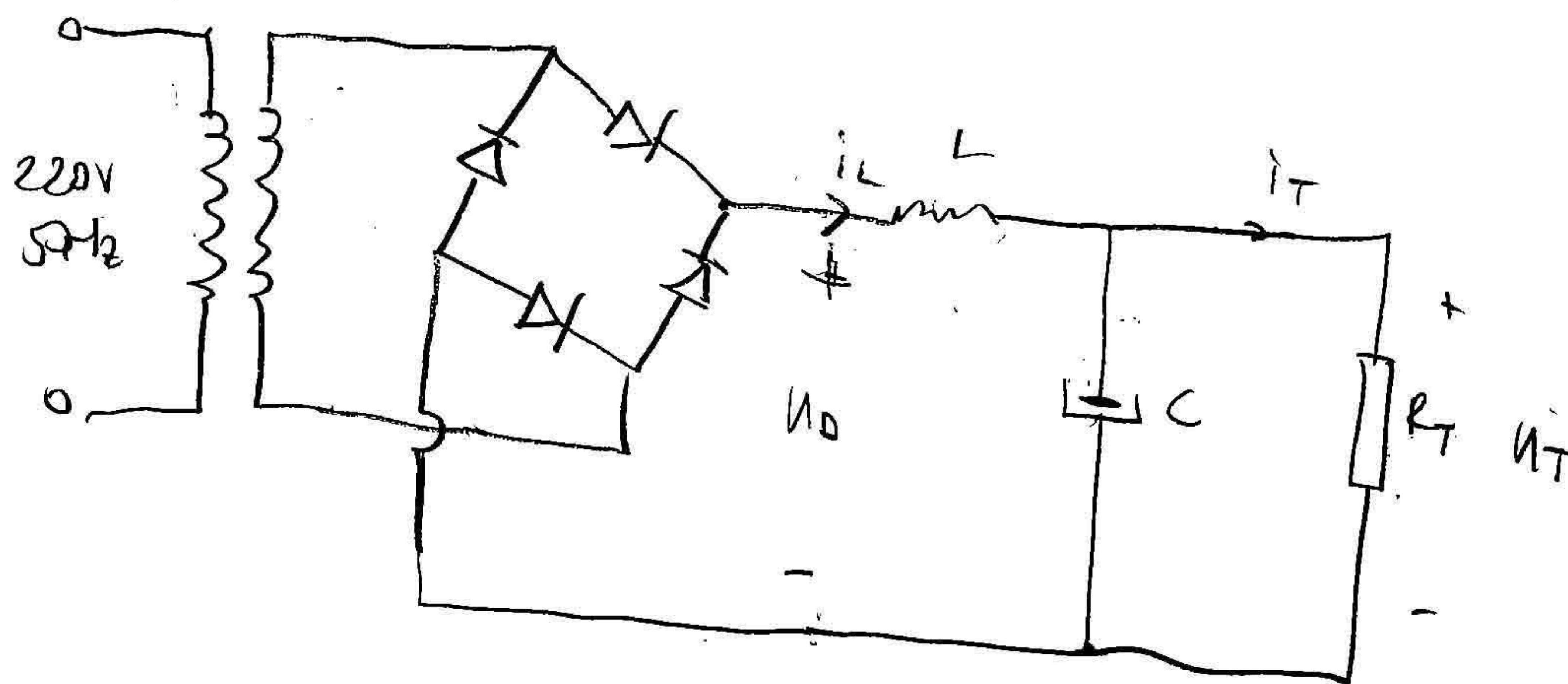
STB-2 původního zpř.  
LC filtry

$$U_{TAV} = 350V$$

$$U_{TV} \leq 10V_{ef}$$

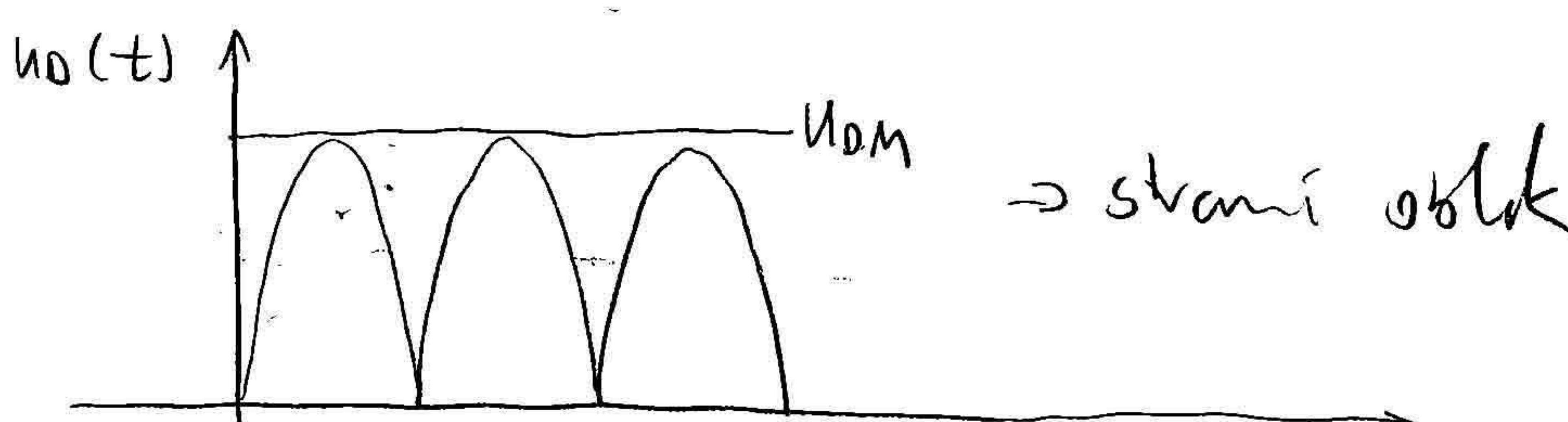
$$I_{TAV} = 100mA$$

$$L, C = ?$$



$$R_T = \frac{U_{TAV}}{I_{TAV}} = \frac{350}{90} = \boxed{3,5k}$$

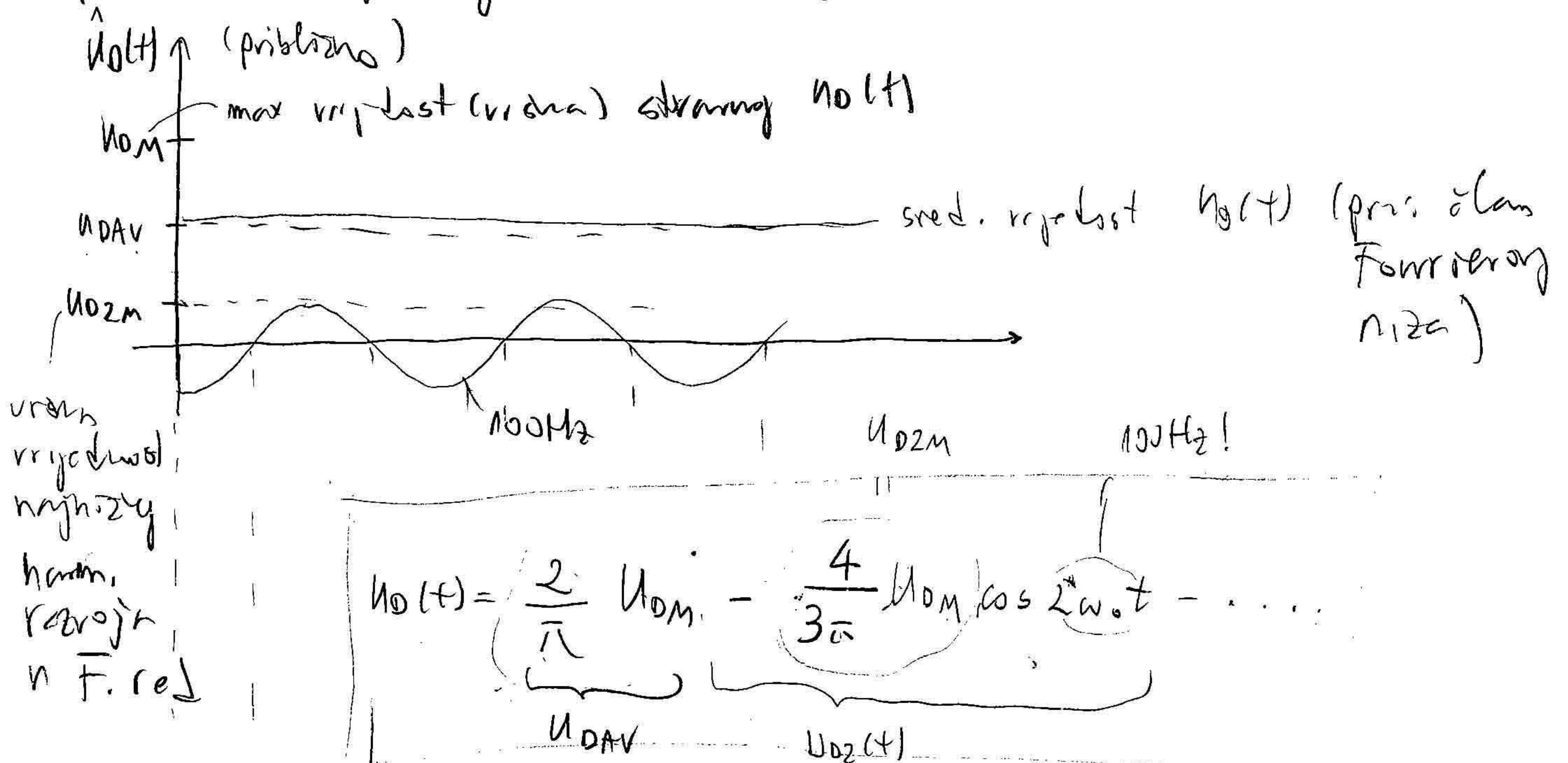
$$r_T = \frac{U_{TV}}{U_{TAV}} = \frac{10}{350} = \boxed{2,86\%}$$



(2)

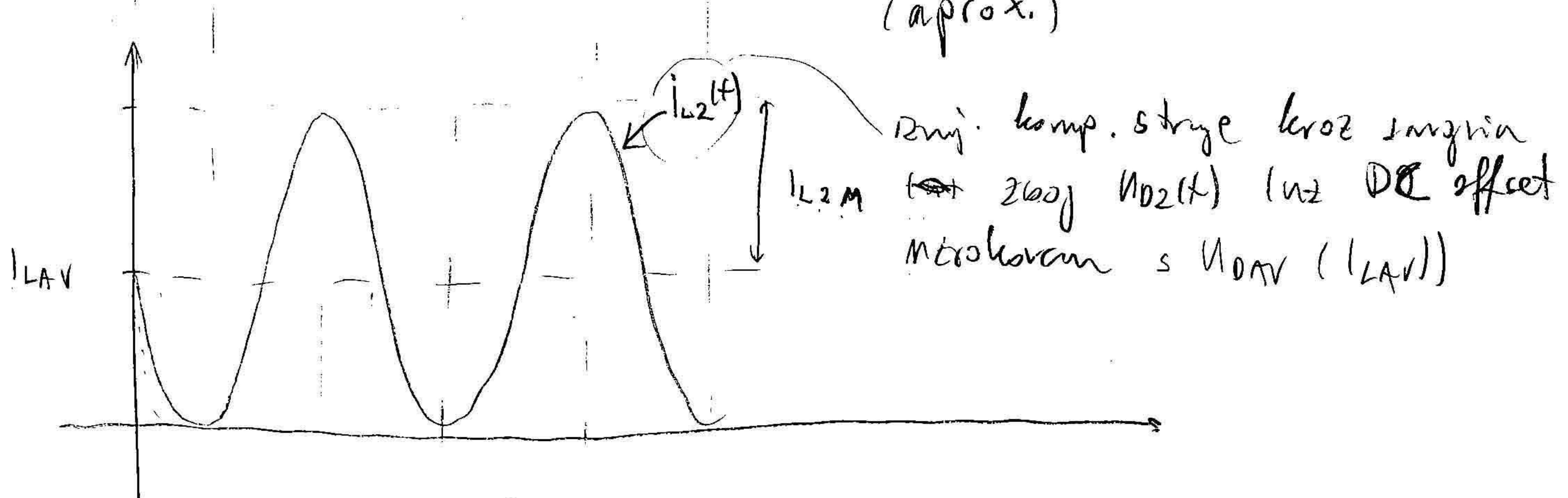
## AND - STB

- adi bek eg prora una LC filtra, a razit  ens  $u_0(t)$  u formiraju red sas sa DC komponentom i mjenjaju a najnizeg harmonika:



$$\hat{u}_0(t) = U_{DAV} + u_{02(t)} \quad (\text{bez visih harm.})$$

(approx.)



- svjet reak struja kroz zanopnicu te je celi vremenski red "rezanje" u neobi njenim granicama valovitosti kondenzatora C

$$u_0(t) = U_{0AV} - U_{02M} \cos 2\omega_0 t$$

$$U_{02\text{ rms}} = \frac{U_{02M}}{\sqrt{2}} = \frac{1}{3\pi} \frac{1}{\sqrt{2}} U_{0M} = \frac{1}{3\pi} \frac{1}{\sqrt{2}} \left(\frac{\pi}{2}\right) U_{0AV}$$

$$U_{02\text{ rms}} = \frac{\sqrt{2}}{3} U_{0AV}$$

- RMS vr. ječnost harm. komponente potisnute  
Brajčin pomorčn sred. vr. ječnost: pomorčna  
bezpr. napaka ( $U_{0AV}$ )  
pomak u  $\phi = 90^\circ$

$$i_L = I_{LAV} + i_{L2} = I_{LAV} - I_{2M} \sin 2\omega_0 t = \\ = I_{LAV} - \sqrt{2} I_{2\text{ rms}} \sin 2\omega_0 t$$

- za dobro projektovani LC filter vr. ječi:

$X_C(2\omega_0) \ll R_T \rightarrow$  jenji komp. struje teče kroz  
 $C$  (kros)

$X_C(2\omega_0) \ll X_L(2\omega_0) \rightarrow$  gotovo sav izrijek pak naporn.  
je na L

$$\text{Nevar } I_{2\text{ rms}} = \frac{U_{02\text{ rms}}}{X_L(2\omega_0)} \quad (\text{pr. je } X_C \text{ praktički K.S.})$$

prema fNQ za AC

- struje kroz L mora nepr. teći (niz pr.jc)

$$I_{2M} \leq I_{LAV} \Rightarrow \left( I_{2\text{ rms}} \leq \frac{I_{LAV}}{\sqrt{2}} \right)$$

$$\Rightarrow X_{L\min} :$$

$$\frac{U_{02\text{ rms}}}{X_L(2\omega_0)} \leq \frac{I_{LAV}}{\sqrt{2}}$$

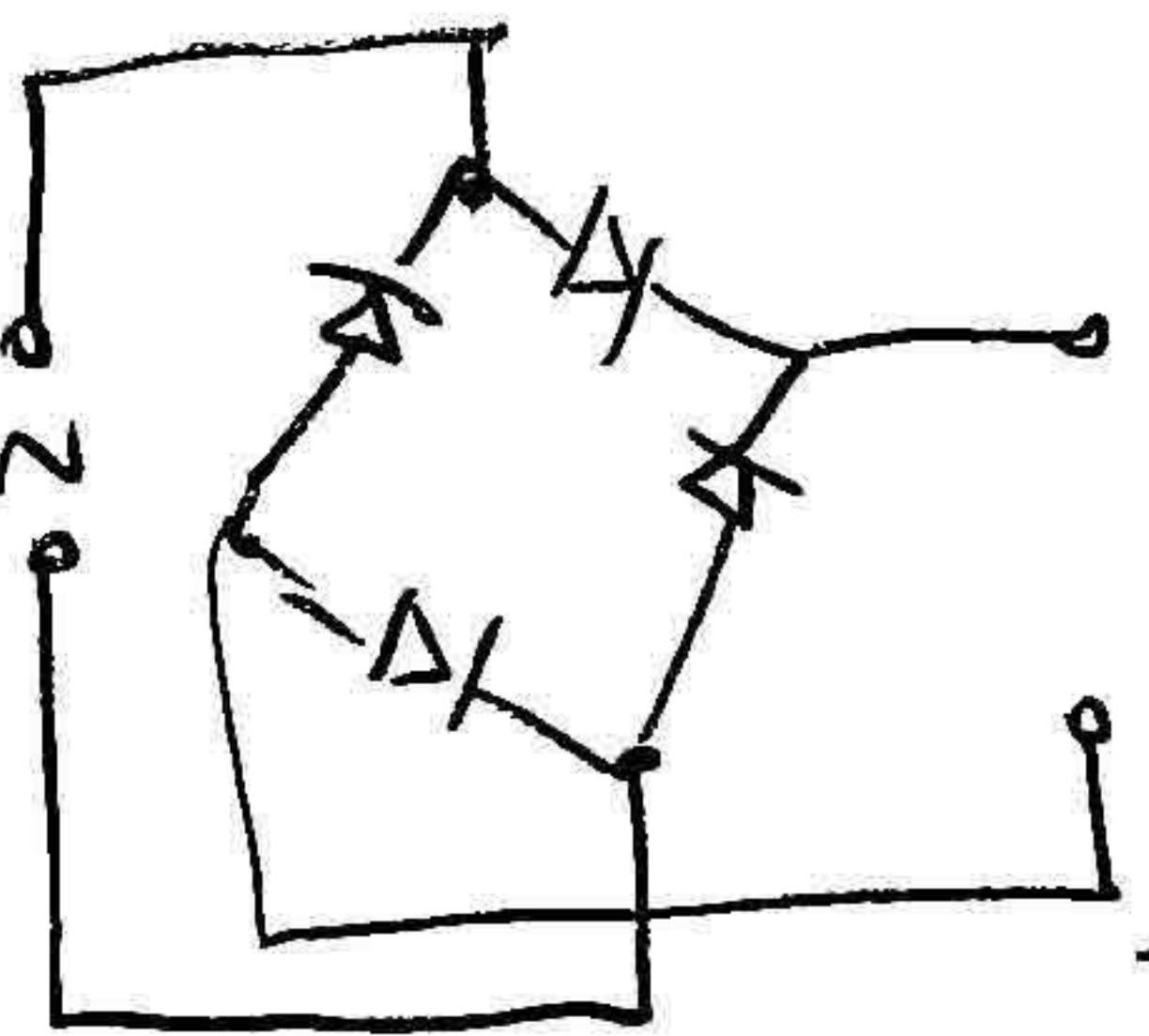
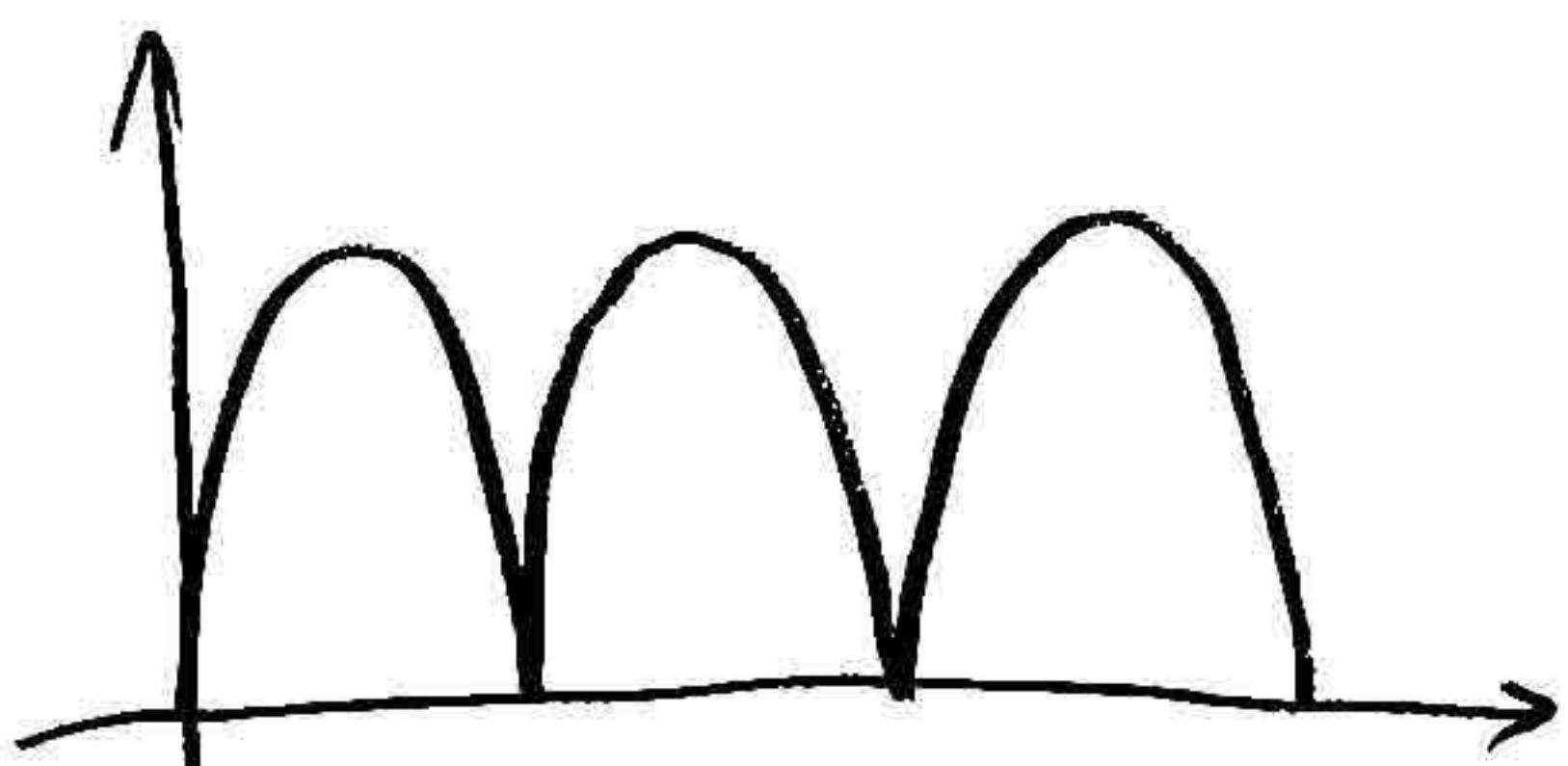
$$\Rightarrow X_L \geq \frac{U_{02\text{ rms}}}{I_{LAV}} \sqrt{2} = \frac{\sqrt{2}}{3} U_{0AV} \frac{\sqrt{2}}{I_{LAV}} =$$

$$= \frac{2}{3} \frac{U_{0AV}}{I_{LAV}}$$

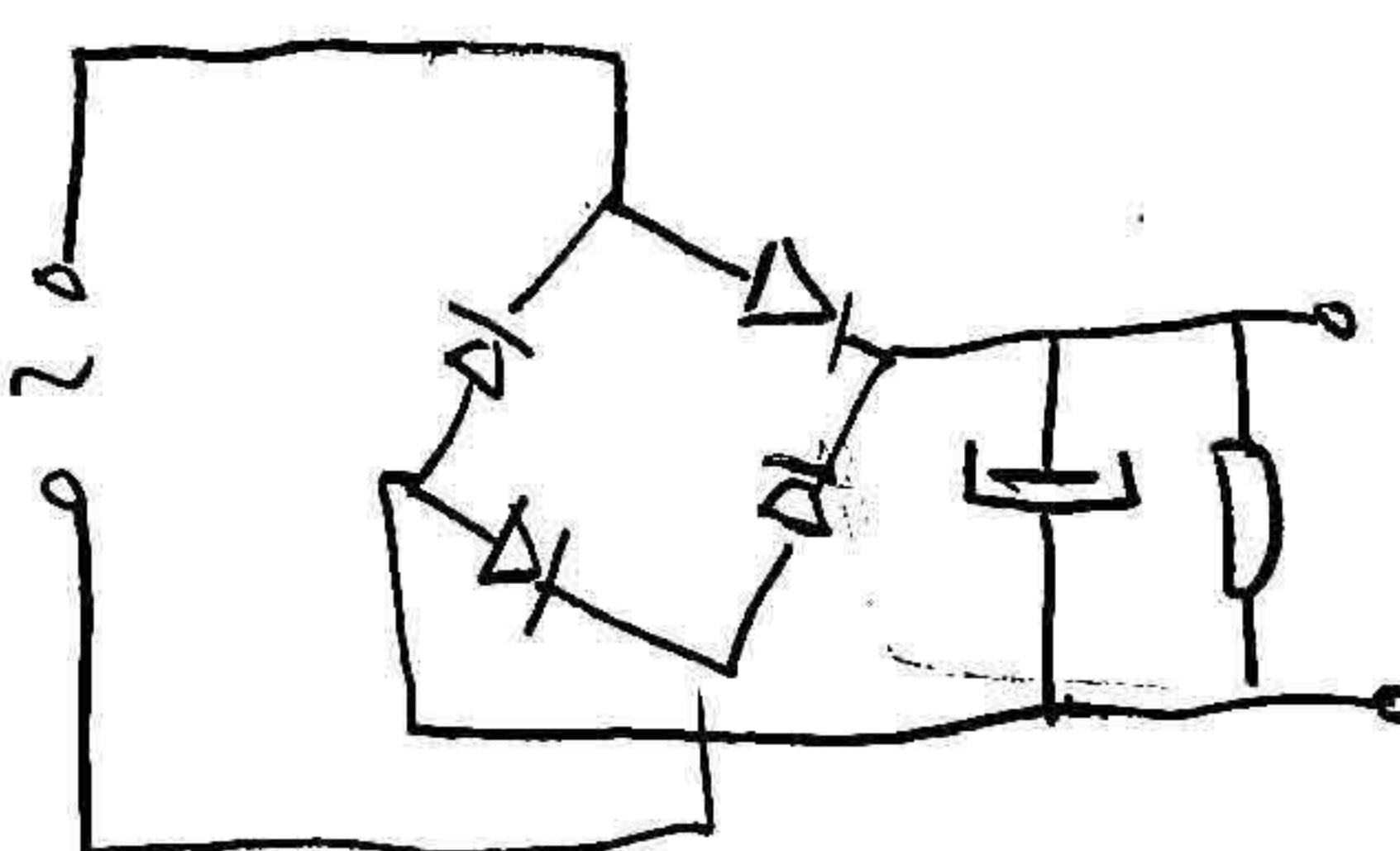
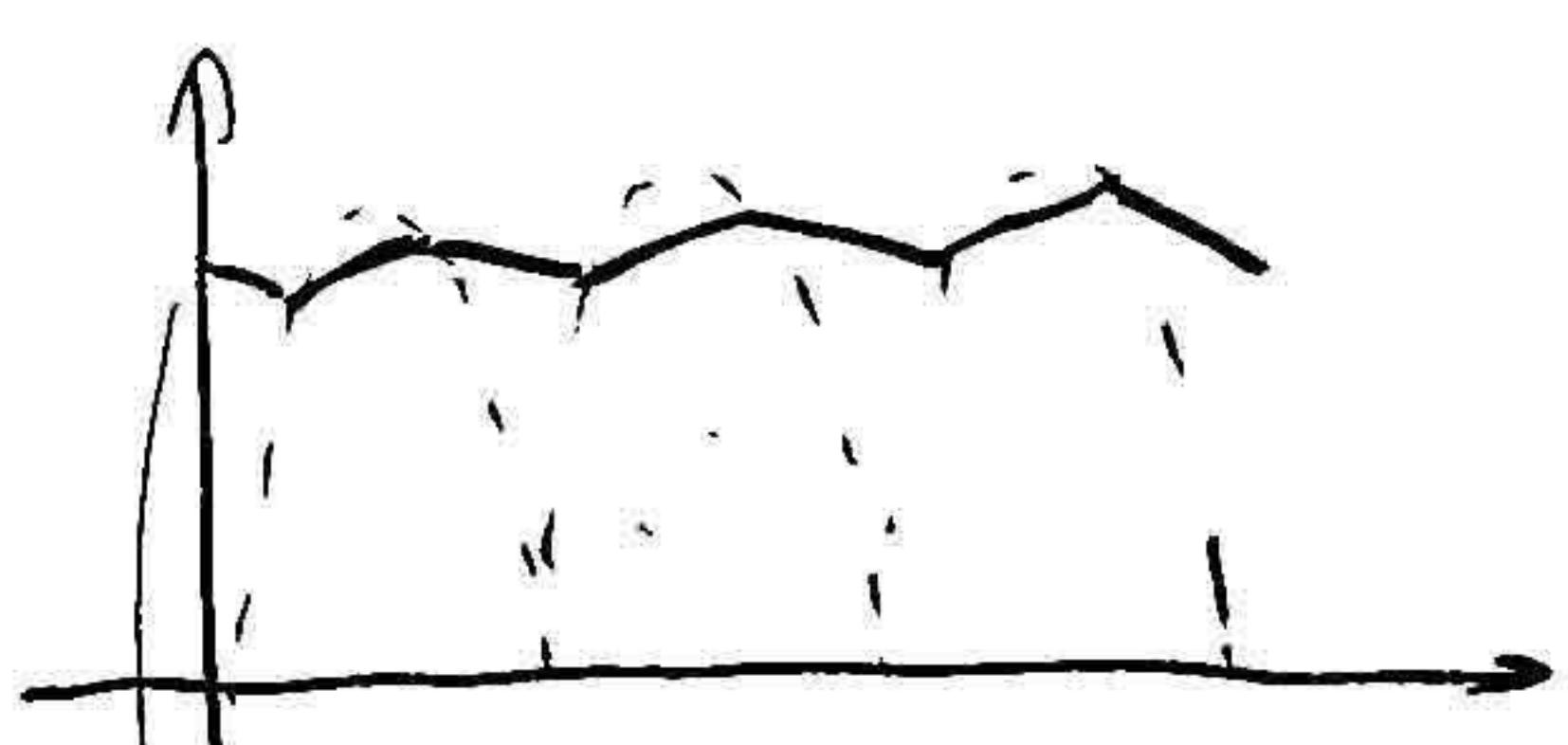
$$X_L \geq \frac{2}{3} R_T \Rightarrow X_L = 2\omega_0 L$$

$$L \geq \frac{2}{3} \frac{R_T}{2\omega_0} = \frac{2}{3} \frac{3500}{2 \cdot 2\pi \cdot 50} = \boxed{3,714 \text{ H}}$$

→ PUROVNI ISPAVLJAČ:

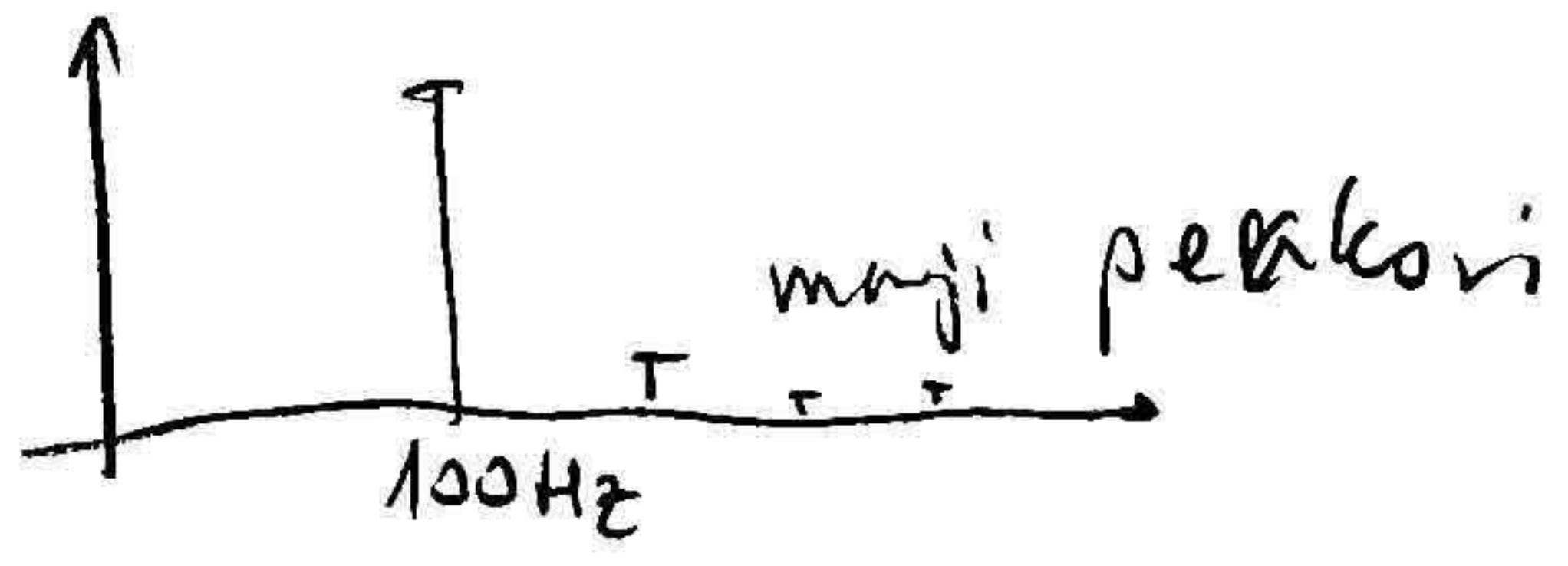


→ PUROVNI, KAPACITIVNO OPT. ISPAVLJAČ:



"traktivni" napon:

spektar:

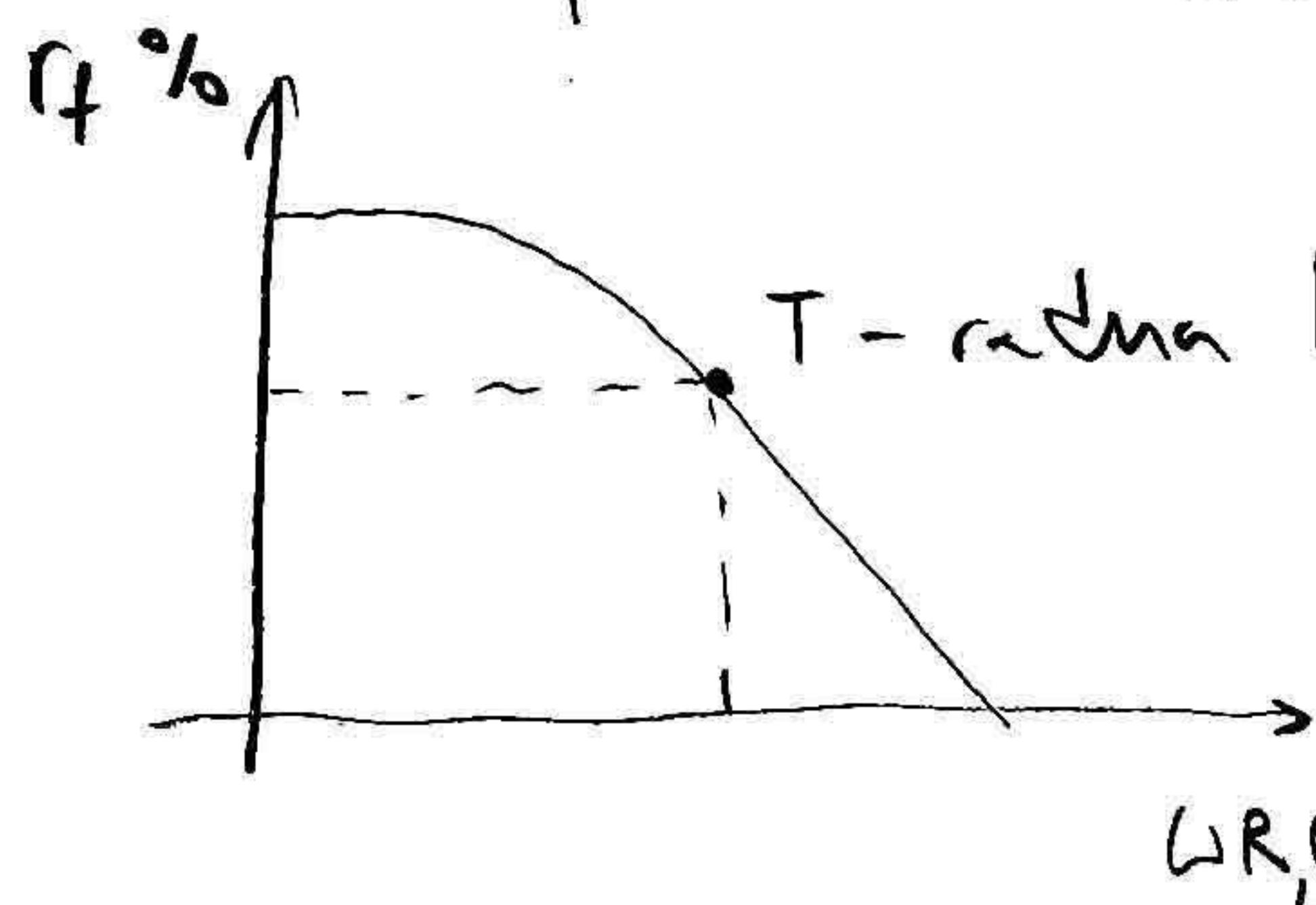


Dominans! (50Hz na poluvrste)

$U_{\text{rms}} = \text{efektivna vrijednost naponja valovitosti}$   
(true-RMS, mjerena)

SHADE-ovi dijagrami (str. A-33)

$r_f$  vs  $\omega R_L C$



T - redna bočna linijska o tome da je  $r_f$ :

→ purovnik/polarnik, spr.!

→ u gradi mreži (50/60 Hz)

→ C - filtar

→ R - opt.

- eksponentne raspodjelj.

da se u tendenciji parametra oblikovatice pregađati valovitost

- glijder → i drugi slijedeći dijagrami

=>

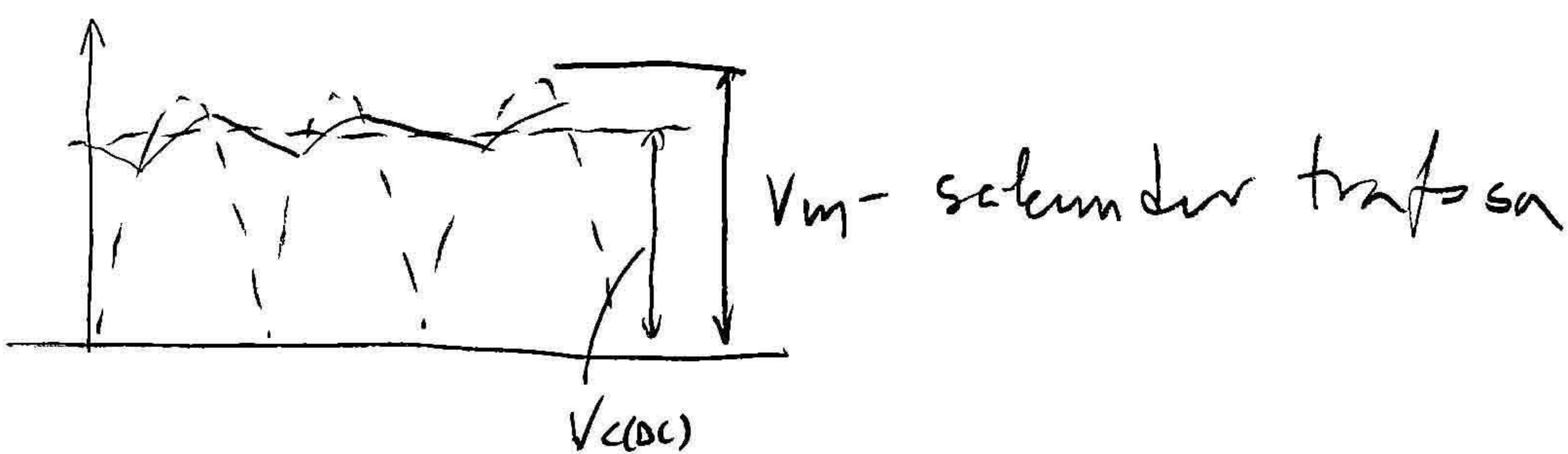
$\frac{I_{FM}}{I_{FAV}}$  vs  $\omega R_L C$



$\Rightarrow$  kada je  $\omega R_L C \gg 1$  : spicke s daju

$\Rightarrow$  bitis kod odredjivanja  $I_{FM}$  da bi se znala  
proporcionalnost rednog i spravljajućeg dioda

$\frac{V_{C(AC)}}{V_m}$  vs  $\omega R_L C$  (polni / prazninski)



kada  $\omega R_L C$  raste, raste se i  $V_{C(AC)}$  prelazeći  $V_m$ !

(VRATITI SE NA ZADATAK!)

③

AND-STB

STB-2...

$$\frac{U_{TV}}{U_{DV}} = \frac{1}{\omega^2 LC} \quad (\text{vgl. Rzmafrage in vorh. End.})$$

$$r_T = \frac{U_{TV}}{U_{TAV}} = \frac{U_{TV}}{U_{DAV}} = \frac{U_{TV}}{U_{02RMS}} \cdot \frac{\sqrt{2}}{3} = \frac{U_{TV}}{U_{DV}} \cdot \frac{\sqrt{2}}{3}$$

$$\Rightarrow r_T = \frac{\sqrt{2}}{3} \frac{1}{\omega^2 LC}$$

$$C_{02} C_{min} = \frac{\sqrt{2}}{3} \frac{1}{\omega^2 L_T} = \frac{\sqrt{2}}{3} \frac{1}{(2\pi \cdot 100)^2 \cdot 3,71 \cdot 0,0286}$$

$$C \geq 11,3 \mu F$$

$$- u_2 \text{ 12bvar } \boxed{L = 5H} \quad (\rightarrow L_{min})$$

$$\Rightarrow C_{min} = 8,4 \mu F \rightarrow \boxed{C = 10 \mu F}$$

STB-3

$$U_{ZD} = 15V$$

$$\Delta U_Z = \pm 0,1 U_{ZD}$$

$$I_{Zmin} = 5mA$$

$$r_D = 10\Omega$$

$$P_{max} = 2,5W$$

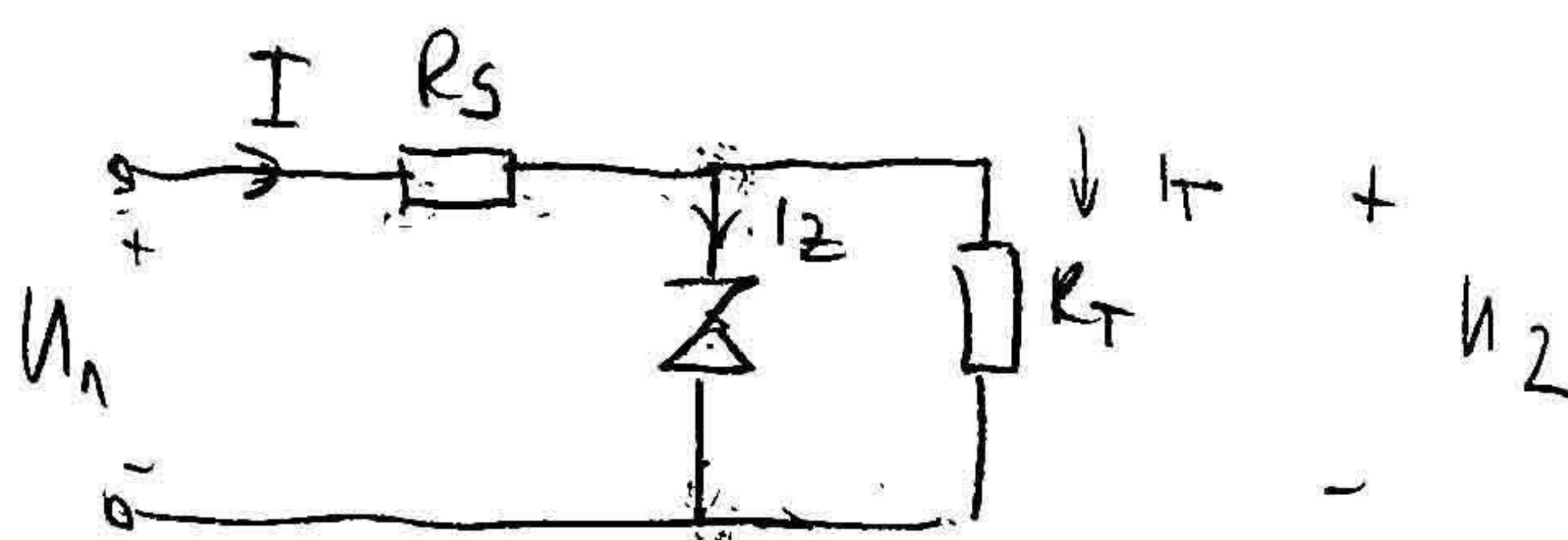
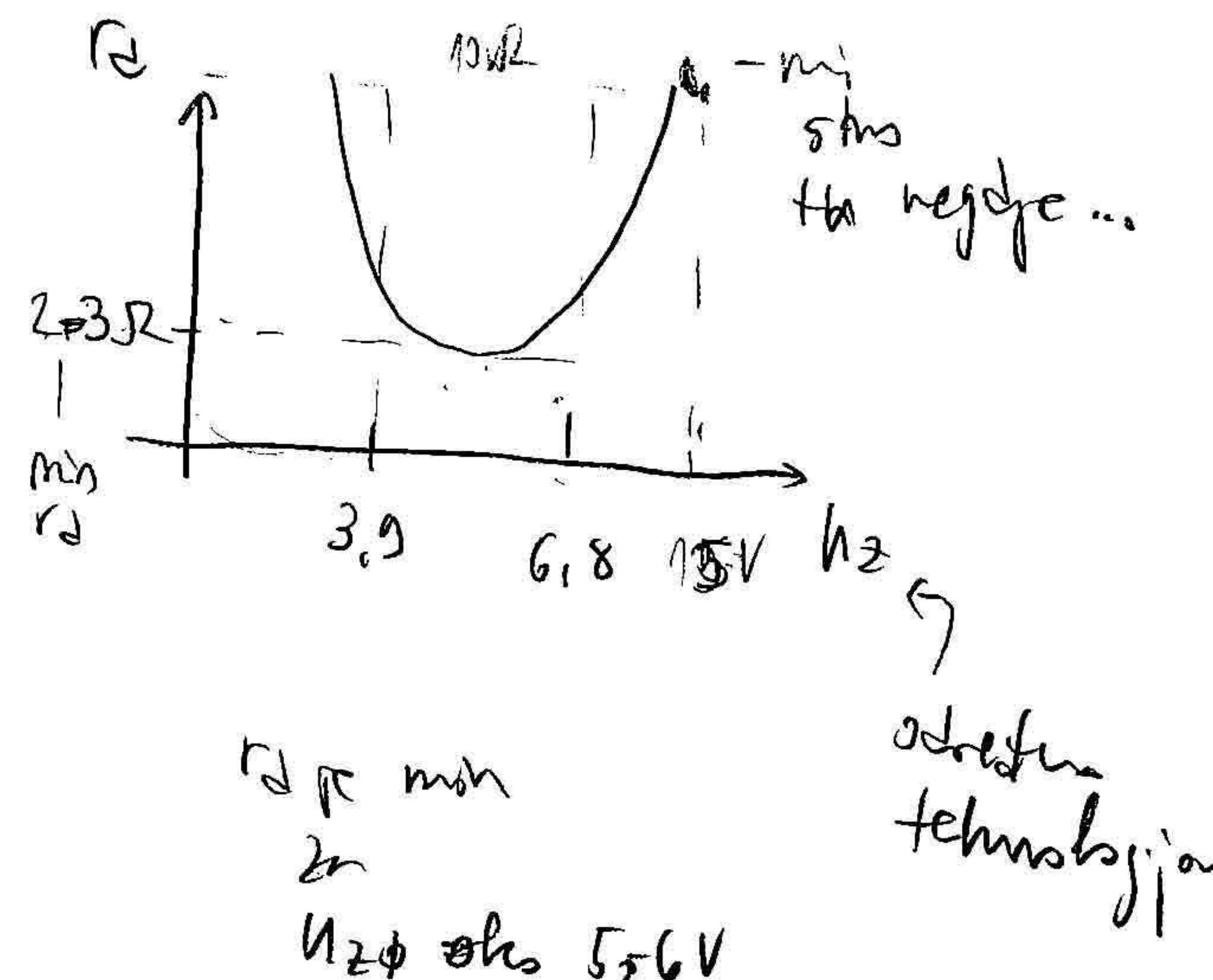
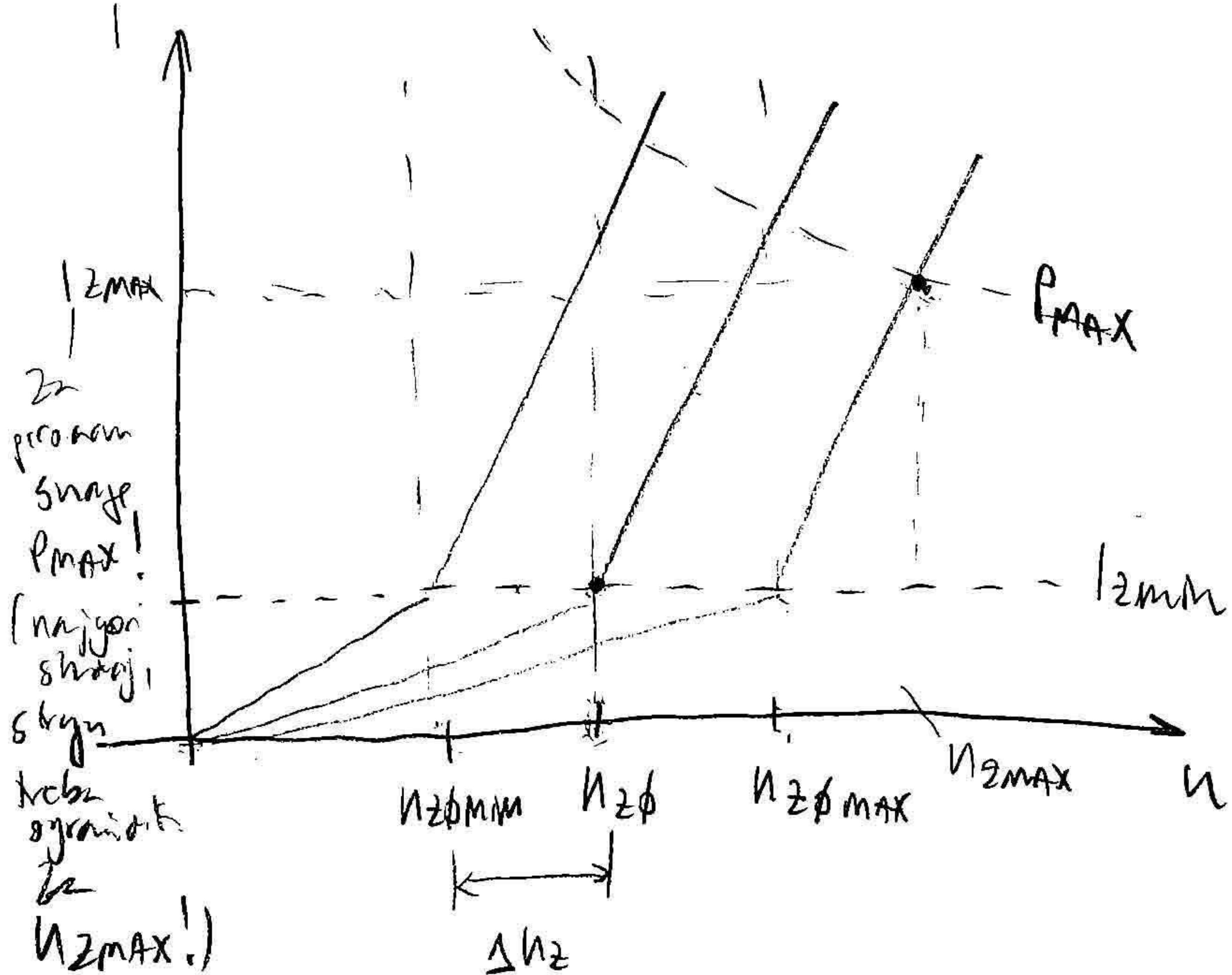
$$a) \quad R_{Smax} = ? \quad U_{UL} = 20V$$

$$R_T = 3k\Omega$$

$$b) \quad u_2 \quad R_{Smax}$$

$$u_{1max} = ?$$

$$c) \quad K_u, K_i \quad (n \quad n)$$



typ. regula. stab. s zenerom  
diodom

R<sub>SMAX</sub> određen s I<sub>zmin</sub> (u boji u opće ZD pravila)

→ najveća struja I<sub>MAX</sub> R<sub>s</sub>, max U<sub>2</sub>, U<sub>2</sub> = konst  
mora biti dovoljna za max I<sub>T</sub> =  $\frac{\text{max } U_2}{R_T = \text{konst}}$  i barum min I<sub>2</sub>

R<sub>SMIN</sub> određen s I<sub>zMAX</sub> →

→ razlike max I (min R<sub>s</sub>) i min I<sub>T</sub> (min U<sub>2</sub>) ne smje  
biti veća od max I<sub>2</sub> (određen s P<sub>MAX</sub> na n<sub>zMAX</sub>)

a) PREDABRAV R<sub>s</sub>

$$\text{općenito: } U_{1\min} = R_{S\max} (I_{z\min} + I_{T\max}) + U_{2\phi\max}$$

(konst u  
oprav  
gorenj)

$$\Rightarrow R_{S\max} = \frac{U_{1\min} - U_{2\phi\max}}{I_{z\min} + \frac{U_{2\phi\max}}{R_T}} = \frac{20 - 1,1 \cdot 15}{5 + \frac{1,1 \cdot 15}{3}} = \underline{0,333 \text{ k}}$$

b) PREDABRAV U<sub>1max</sub>

$$U_2 = U_{2\phi} + r_d (I_2 - I_{z\min}) \quad (\text{pravac na } U - I \text{ krvak})$$

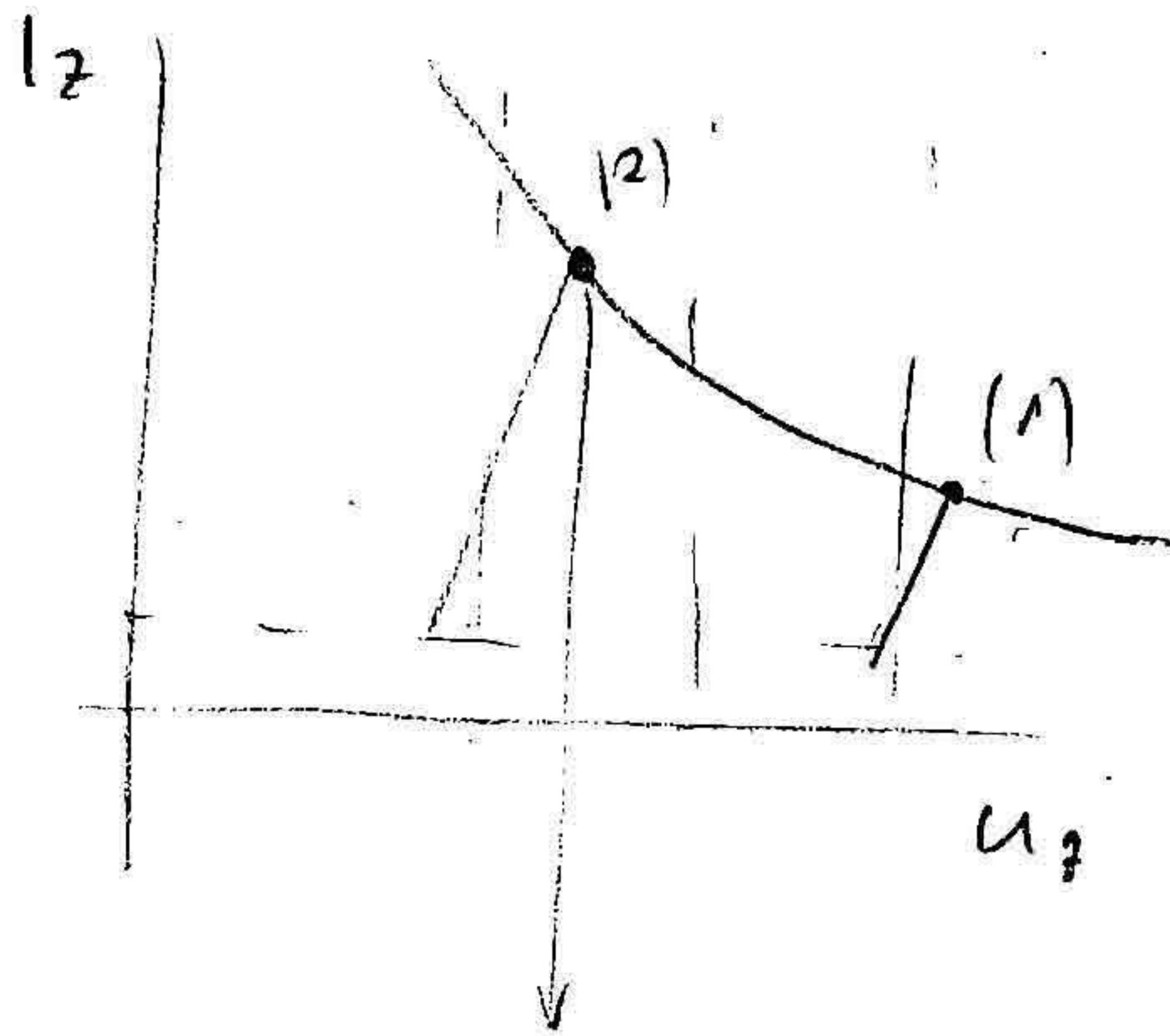
$$P_{MAX} = I_{z\max} U_{2\max}$$

$$U_{2\max} = U_{2\phi\max} + r_d (I_{z\max} - I_{z\min}) \quad \left. \begin{array}{l} \text{kružnik je džba po} \\ I_{z\max} \end{array} \right\}$$

(5) - nastavak  
 - ako ima logike da se  $R_{S\text{max}}$  odnosi iz  $I_{Z\text{min}}(U_{Z\text{MAX}})$   
 tada se trazi  $R_{S\text{min}}$  ide se suprotno putem ( $I_{Z\text{log}}$   
 dopušće kao kriterij & nemogućnosti rada); tada  
 se mjeri  $U_{Z\text{min}}$ :  $I_{Z\text{MAX}}$

- drugim rečima, kvarantna j-člana za  $P_{\text{MAX}}$  uz  
 pretpostavku  $U_{Z\text{MAX}} = U_{2d}$   $\rightarrow$  počinje računanje,  
 tj. veći  $U_2$  uz tajni  $R_S$ !

- tako se postavi:  $\begin{cases} P_{\text{MAX}} = U_{Z\text{MAX}} \cdot I_{Z\text{MAX}} \\ U_{Z\text{MAX}} = U_{Z\text{min}} + r_d (I_{Z\text{MAX}} - I_{Z\text{min}}) \end{cases}$



$$\text{dobje se: } \Rightarrow U_{Z\text{MAX}} = \frac{P_{\text{MAX}}}{I_{Z\text{MAX}}} = 13,8 \text{ V}$$

$$I_{Z\text{MAX}} = 36,2 \text{ mA} \quad (I_{Z\text{MAX}} = 29,85 \text{ mA})$$

$\rightarrow$  uz takve uvjete (otkriveni 20 s  $U_{Z\text{min}}$ ), max. dozv.  
 napon na ulazu postoji (konst  $R_S$ ):

$$U_{1\text{MAX}} = R_S (I_{Z\text{MAX}} + \frac{U_{Z\text{MAX}}}{r_d}) + U_{Z\text{MAX,min}} = 13,8 \text{ V}$$

$$= R_S 0,33 \text{ k}\Omega \cdot 36,2 \text{ mA} + 0,5 \cdot 15 \text{ V} =$$

$$= 125,86 \text{ V} \rightarrow \text{to je max. dozv. napon}$$

# AUD-STB<sup>3</sup>

$$P_{MAX} = I_{ZMAX} [U_{Z\phi MAX} + r_d (I_{ZMAX} - I_{Zmin})]$$

$$P_{MAX} = I_{ZMAX} U_{Z\phi MAX} - I_{ZMAX}^2 r_d + r_d I_{ZMAX} I_{Zmin} = \phi$$

!

$$I_{ZMAX,1,2} = \frac{U_{Z\phi MAX} - r_d I_{Zmin} \pm \sqrt{(U_{Z\phi MAX} - r_d I_{Zmin})^2 + 4 P_{MAX} r_d}}{-2 r_d}$$

$$= \frac{16,5 - 10,5 \cdot 10^{-3} \pm \sqrt{16,95^2 + 4 \cdot 0,5 \cdot 10}}{-2 \cdot 10}$$

$$I_{ZMAX,1,2} = \frac{16,95 \pm 17,097}{-2 \cdot 10}$$

$$\boxed{I_{ZMAX} = 29,85 \text{ mA}}$$

(neg. q. norm. fiz. smisla!)

- u sklopu dr su tol. napona  $U_{Z\phi}$  zamjenjuj.  $U_{Z\phi MAX} \gg r_d / I_{ZMAX}$   
može se raditi počesnošću.

$$P_{MAX} = I_{ZMAX} \cdot U_{Z\phi MAX}$$

$$\Rightarrow I_{ZMAX} = \frac{P_{MAX}}{U_{Z\phi MAX}} = \underline{\underline{30,3 \text{ mA}}} \quad (\approx 29,85 \text{ mA})$$

$$U_{MAX} = R_S (I_{ZMAX} + I_{TMIN}) + U_{Z\phi MAX}$$

" $P_{MAX} \cdot I_{ZMAX} = 16,75 \text{ V}$ "

$I_{TMIN} = 0$ . (teret nije prilik!

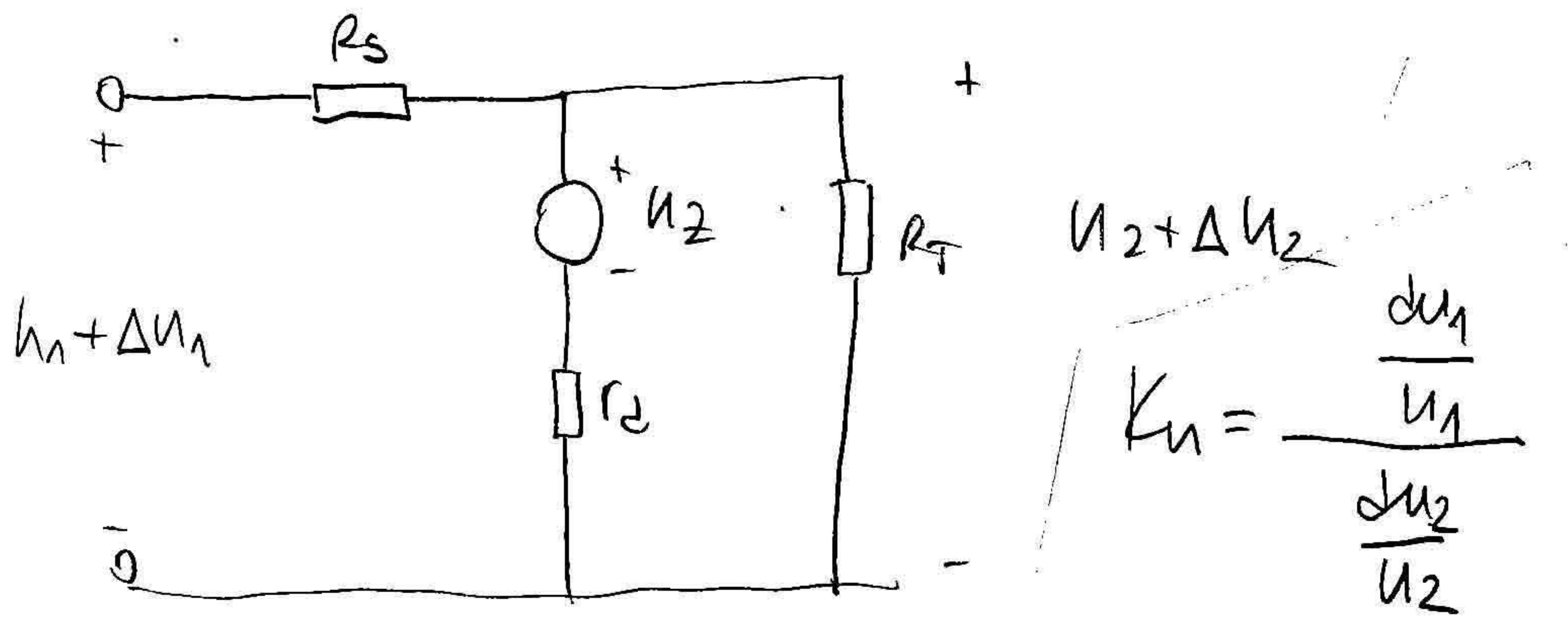
u  $\text{P}_{\text{CONSTR}}$  !)

$$\Rightarrow \boxed{U_{MAX} = 0,33 \cdot 29,85 + 16,75 = 26,3 \text{ V}}$$

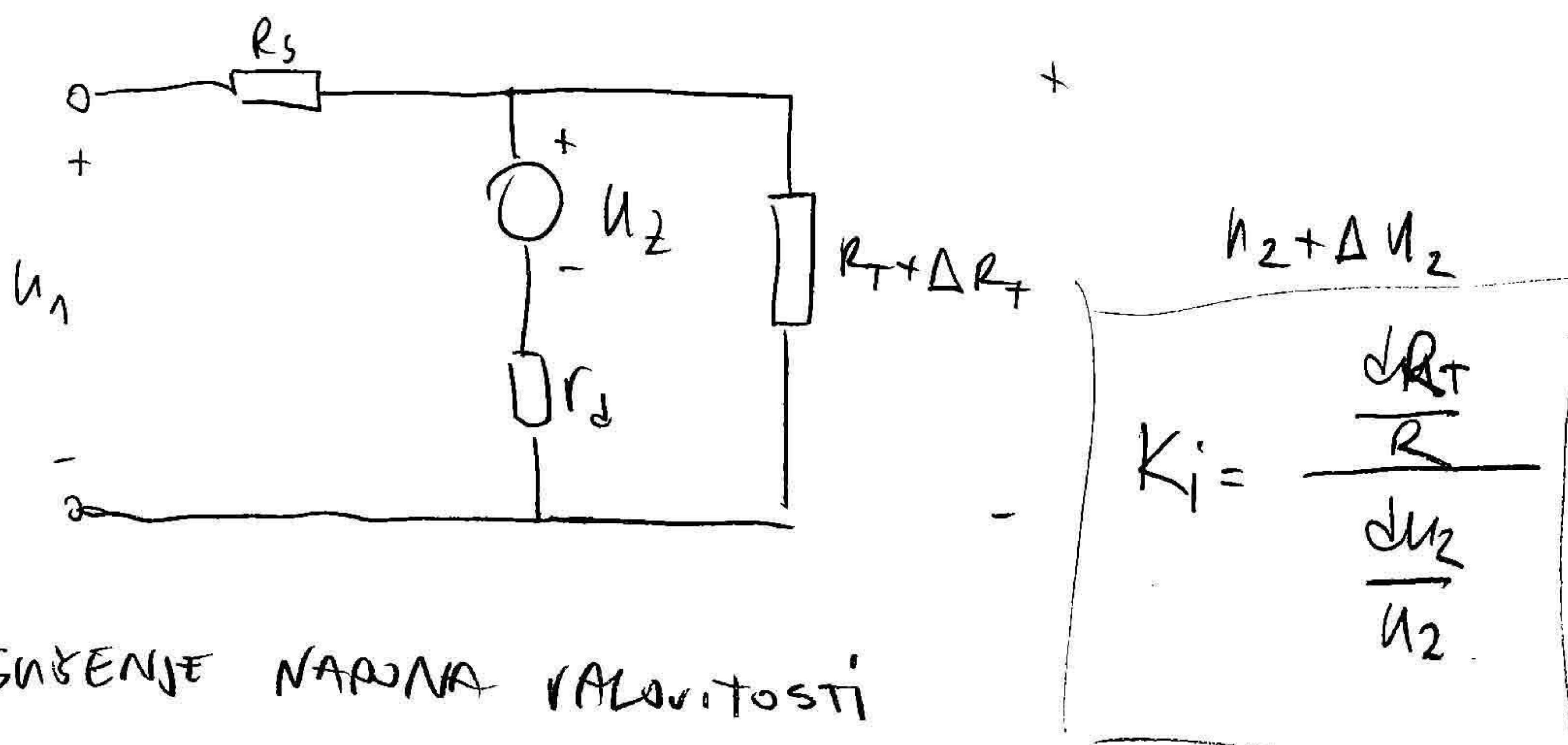
(V10; DODATAK 6, 1\*)

### c) definicije faktora stabilizacije

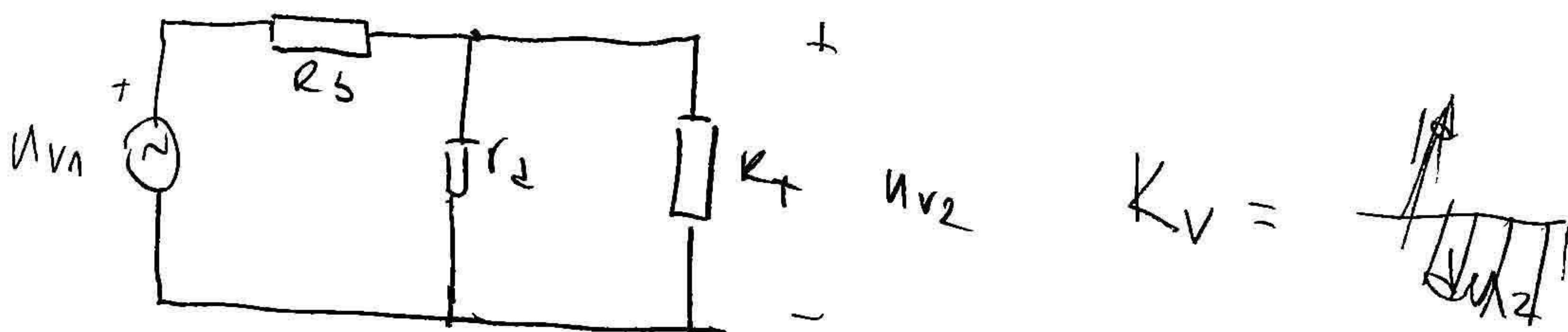
NAPONSKA STAB.



STRUJNA STAB.



GRIŽENJE NAPONA VREDNOSTI



$$K_u = -\frac{\frac{\Delta U_1}{U_1}}{\frac{\Delta U_2}{U_2}} \quad - \text{ koliko je relativačno pravlj. stabiliziranje}$$

zad. napona  $M_2$  može se pravlj. nizko napona  $M_1$

$$K_u = ?$$

$$(1) \frac{U_1 - U_2}{R_S} = \frac{U_2 - U_2}{R_2} + \frac{U_2}{R_T} \quad | \downarrow \begin{matrix} (\text{tot. dif.}) \\ (U_1, U_2 \text{ var}) \end{matrix}$$

$$\frac{\Delta U_1}{R_S} - \frac{\Delta U_2}{R_S} = \frac{\Delta U_2}{R_2} + \frac{\Delta U_2}{R_T}$$

(2)

AUD-STB

STB-3...

$$\frac{\Delta U_1}{R_S} = \Delta U_2 \left( \frac{1}{r_d} + \frac{1}{R_T} + \frac{1}{R_S} \right)$$

$$\frac{\Delta U_1}{\Delta U_2} = \left( 1 + \frac{R_S}{r_d} + \frac{R_S}{R_T} \right) / \frac{U_2}{U_1}$$

$$K_i = \frac{\frac{\Delta U_1}{U_1}}{\frac{\Delta U_2}{U_2}} = \frac{U_2}{U_1} \left( 1 + \frac{R_S}{r_d} + \frac{R_S}{R_T} \right) = \frac{15}{20} \left( 1 + \frac{333}{10} + \frac{333}{3000} \right) = \boxed{125,81}$$

$K_i = \frac{\Delta R_T}{R_T}$  - kôsas p. rel. pronyj. ~~stab~~; id.  
 $\frac{\Delta U_2}{U_2}$  napomna puma maysz od rel. pronyj. tereza  
 $(R_T)$

$\Rightarrow (1) / \downarrow$  (tot. df.)  
 $(U_2, R_T \text{ raw.})$

$$-\frac{\Delta U_2}{R_S} = \frac{\Delta U_2}{r_d} + \frac{\Delta U_2 R_T - U_2 \Delta R_T}{R_T^2}$$

$$\Delta U_2 \left( \frac{1}{r_d} + \frac{1}{R_S} + \frac{1}{R_T} \right) = -\frac{U_2}{R_T^2} \Delta R_T$$

$$K_i = \frac{\frac{\Delta R_T}{R_T}}{\frac{\Delta U_2}{U_2}} = \frac{R_S R_T}{R_S} \left( \frac{1}{r_d} + \frac{1}{R_S} + \frac{1}{R_T} \right) = \frac{R_T}{R_S} \left( 1 + \frac{R_S}{r_d} + \frac{R_S}{R_T} \right)$$

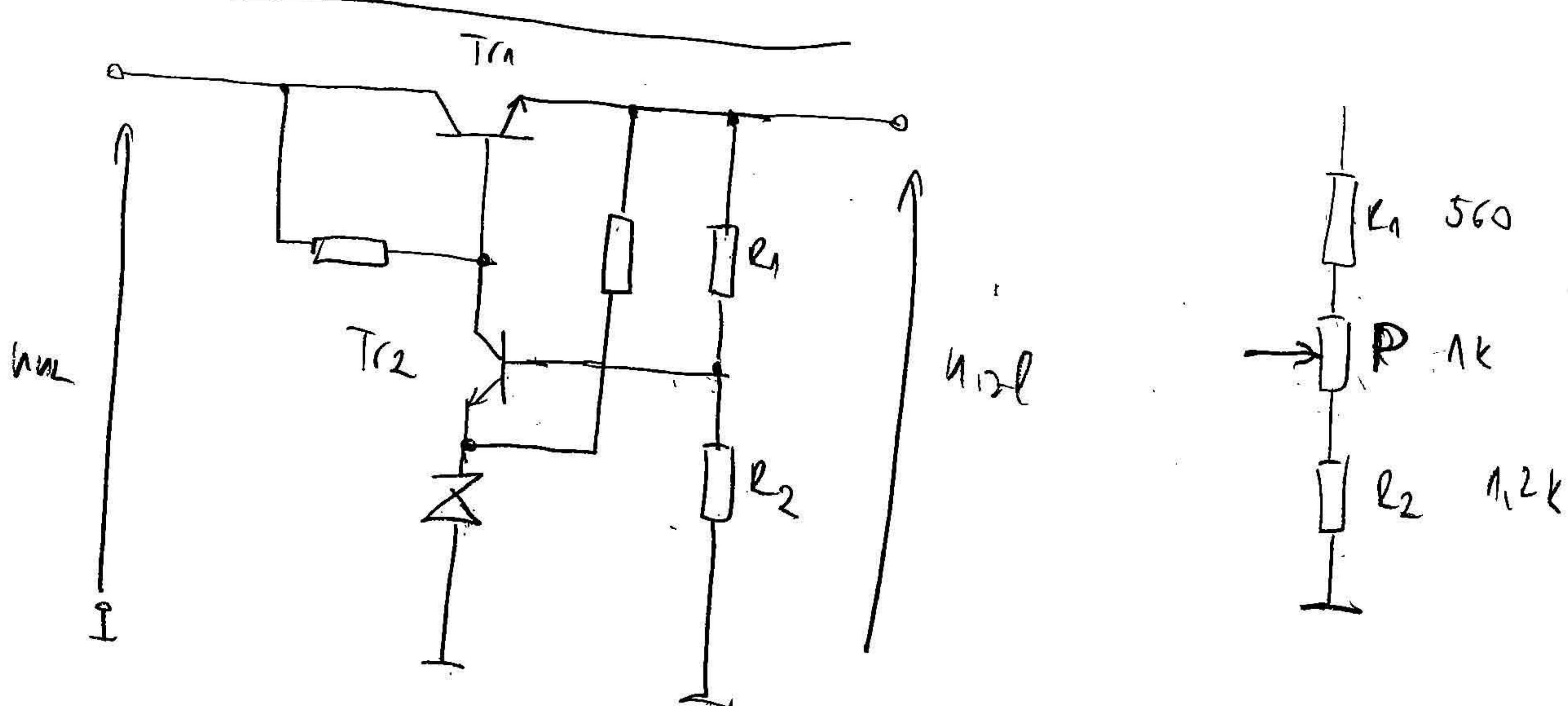
$$= \frac{3000}{333} \left( 1 + \frac{333}{10} + \frac{333}{3000} \right) = \boxed{310}$$

# STB-4

Serijski stab. napona prikazan slijedom konisti 2D  
natzivnog napona 5,6V kao izvor ref. napona.

a) Odredite omjer  $R_1/R_2$  da bi  $U_{RL}$  bio 8V

b) odredite max i min vrijednost  $U_{RL}$  kada je  
napon u bazi tranzistora  $T_{r2}$  doveđen  
napon s blizacim potencijometrom  $P = 1k\Omega$ , spojenog  
omeđu  $U_b = 560\Omega$ ;  $R_2 = 1,2k\Omega$ .



$$U_{RL} = U_Z + U_{BE2} + \frac{R_1}{R_1 + R_2} U_{RL}$$

$$U_{RL} = \frac{U_Z + U_{BE2}}{1 - \frac{R_1}{R_1 + R_2}} = \frac{(U_Z + U_{BE2})(R_1 + R_2)}{R_2}$$

$$a) \frac{R_2}{R_1 + R_2} = \frac{U_Z + U_{BE2}}{U_{RL}}$$

$$\frac{R_1}{R_2} = \frac{U_{RL}}{U_Z + U_{BE2}} - 1 = \frac{8}{5,6 + 0,7} - 1 = 0,27$$

$$b) U_{RL\text{MAX}} = (U_Z + U_{BE2}) \frac{R_1 + R_2 + P}{R_2} = 14,99V$$

$$U_{RL\text{MIN}} = (U_Z + U_{BE2}) \frac{R_2}{R_1 + R_2 + P} = 17,9V$$