

```

# Load package
library("gmwm")

## Loading required package: ggplot2
library("tikzDevice")

# Simulate 100 observation from a Gaussian white noise
set.seed(1)
Xt = gen.gts(WN(sigma2 = 1), N = 100)

# Compute autocorrelation
acf_Xt = ACF(Xt)

# Plot autocorrelation
tikz("acf1.tex", width = 6, height = 4)
plot(acf_Xt, show.ci = FALSE)
dev.off()

## pdf
## 2

```

```

# Load package
library("gmwm")
library("tikzDevice")

# Plot autocorrelation
tikz("acf2.tex", width = 6, height = 4)
plot(acf_Xt)
dev.off()

## pdf
## 2

```

```

library(gmwm)
library(tikzDevice)
library(gridExtra)

## @knitr example_hydro
# Load data
hydro = read.csv("/Users/stephane/Documents/Time series book/ITS/data/precipitation.csv", header = TRUE)

# Construct gts object
hydro = gts(na.omit(hydro[,2]), start = 1907, freq = 12, name = 'Precipitation Data',
            unit = "month")

```

```

# Plot data
tikz("HYDRO2.tex", width = 8, height = 4)
a = autoplot(hydro) + ylab("Mean Monthly Precipitation (mm)")
b = plot(ACF(hydro))
grid.arrange(a, b, nrow = 1)
dev.off()

## pdf
## 2

```

```

library(gmwm)
library(tikzDevice)
library(gridExtra)

## @knitr example_hydro
# Load data
hydro = read.csv("/Users/stephane/Documents/Time series book/ITS/data/precipitation.csv", header = TRUE)

# Construct gts object
hydro = gts(na.omit(hydro[,2]), start = 1907, freq = 12, name = 'Precipitation Data',
            unit = "month")

# Compute p-values for varying lags
lags = 7:30
pval = rep(NA, length(lags))
for (i in 1:length(lags)){
  pval[i] = Box.test(hydro, lag = lags[i])$p.val
}

# Plot data
tikz("HYDRO3.tex", width = 6, height = 4)
plot(NA, xlim = range(lags), ylim = c(0, max(pval)), xlab = "$h$", ylab = "P-value")
grid()
abline(h=0.05, lwd = 2, col = "red")
points(lags, pval, pch = 16, col = "blue", lty = 2, type = "b")
dev.off()

## pdf
## 2

```

```

library(gmwm)
library(tikzDevice)
library(gridExtra)

```

```

# Simulate Xt
set.seed(1)
model = AR1(phi = 0.9, sigma2 = 1)
Xt = gen.gts(model)

# Construct Yt
epsilon = 0.01
nb_outlier = rbinom(1,length(Xt),epsilon)
Yt = Xt
Yt[sample(1:length(Xt),nb_outlier)] = rnorm(nb_outlier,0,10)

# Add names
Xt = gts(Xt, name = "$(X_t)$")
Yt = gts(Yt, name = "$(Y_t)$")

# Plot data
tikz("rob1.tex", width = 8, height = 6)
a = autoplot(Xt) + ylim(range(Yt)) + ylab("$X_t$")
b = autoplot(Yt) + ylab("$Y_t$")
grid.arrange(a, b, nrow = 2)
dev.off()

## pdf
## 2

```

```

library(gmwm)
library(tikzDevice)
library(gridExtra)

# Plot autocorrelation
tikz("rob2.tex", width = 8, height = 4)
a = plot(ACF(Xt))
b = plot(ACF(Yt))
grid.arrange(a, b, nrow = 1)
dev.off()

## pdf
## 2

```

```

library(gmwm)
library(tikzDevice)
library(gridExtra)
library(robcor)

```

```

ACF.Xt = ACF(Xt)
ACF.Yt = ACF(Yt)

ACF.Xt[,] = robacf(Xt, plot=FALSE)$acf
ACF.Yt[,] = robacf(Yt, plot=FALSE)$acf

# Plot autocorrelation
tikz("rob3.tex", width = 8, height = 4)
a = plot(ACF.Xt)
b = plot(ACF.Yt)
grid.arrange(a, b, nrow = 1)
dev.off()

## pdf
## 2

```

```

library(gmwm)
library(tikzDevice)
library(gridExtra)

# Load packages
library("robcor")

# Define sample size
n = 1000

# Define proportion of "extreme" observation
alpha = 0.01

# Extreme observation are generated from  $N(0, \sigma^2_{\text{cont}})$ 
sigma2.cont = 10

# Number of Monte-Carlo replications
B = 1000

# Define model AR(1)
phi = 0.9
sigma2 = 1
model = AR1(phi = phi, sigma2 = sigma2)

# Initialization of result array
result = array(NA, c(B, 2, 20))

# Start Monte-Carlo
for (i in 1:B){

```

```

# Simulate AR(1)
Xt = gen.gts(model, N = n)

# Compute standard and robust ACF of Xt and Yt
acf = ACF(Xt)
rob_acf = robacf(Xt, plot=FALSE)$acf

# Store ACFs
result[i,1,] = acf[1:20]
result[i,2,] = rob_acf[1:20]
}

# Compare empirical distribution of standard and robust ACF based on Xt

# Vector of lags considered ( $h \leq 20$ )
lags = c(1,2,5,10) + 1

tikz("rob4.tex", width = 8, height = 6)
# Make graph
par(mfrow = c(2,2))

for (i in 1:4){
  boxplot(result[,1,lags[i]], result[,2,lags[i]], col = "lightgrey",
          names = c("Standard", "Robust"), main = paste("lag: h = ", lags[i]-1),
          ylab = "Sample autocorrelation")
  abline(h = phi^(lags[i]-1), col = 2, lwd = 2)
}
dev.off()

## pdf
## 2

library(gnwm)
library(tikzDevice)
library(gridExtra)

# Load packages
library("robcor")

# Define sample size
n = 1000

# Define proportion of "extreme" observation
alpha = 0.01

```

```

# Extreme observation are generated from  $N(0, \sigma^2_{\text{cont}})$ 
sigma2.cont = 10

# Number of Monte-Carlo replications
B = 1000

# Define model AR(1)
phi = 0.9
sigma2 = 1
model = AR1(phi = phi, sigma2 = sigma2)

# Initialization of result array
result = array(NA, c(B, 2, 20))

# Start Monte-Carlo
for (i in 1:B){
  # Simulate AR(1)
  Xt = gen.gts(model, N = n)

  # Add a proportion alpha of extreme observations to Yt
  Xt[sample(1:n, round(alpha*n))] = rnorm(round(alpha*n), 0, sigma2.cont)

  # Compute standard and robust ACF of Xt and Yt
  acf = ACF(Xt)
  rob_acf = robacf(Xt, plot=FALSE)$acf

  # Store ACFs
  result[i, 1, ] = acf[1:20]
  result[i, 2, ] = rob_acf[1:20]
}

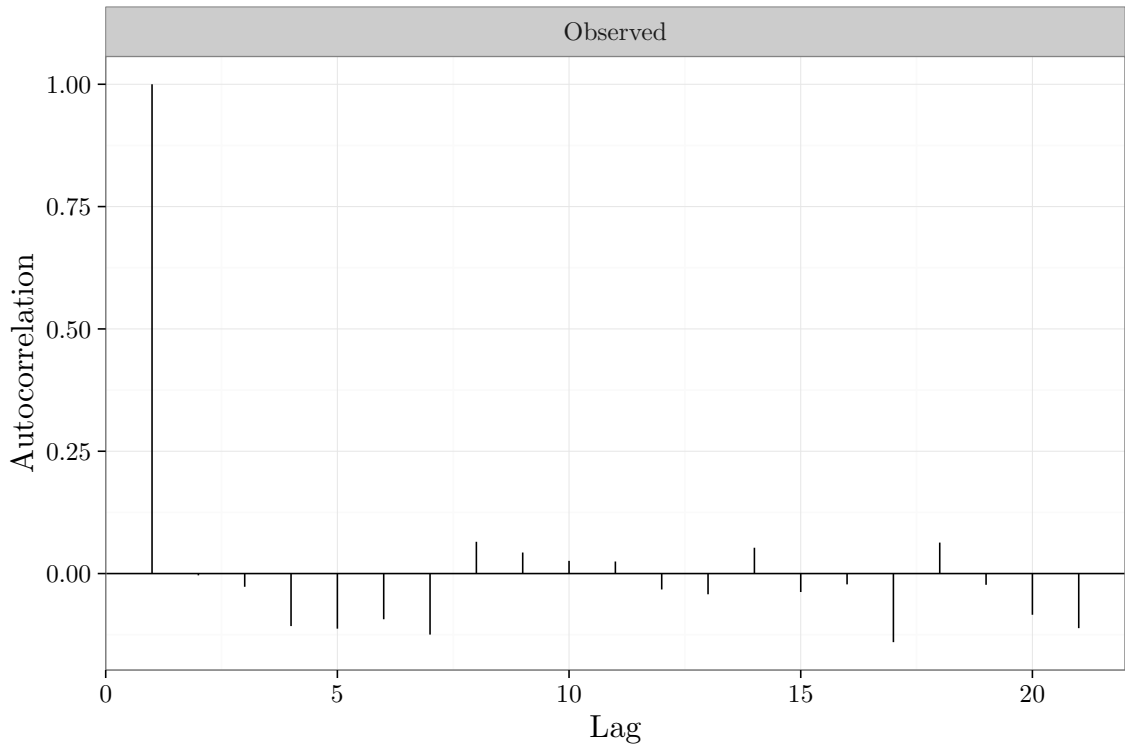
# Compare empirical distribution of standard and robust ACF based on Xt

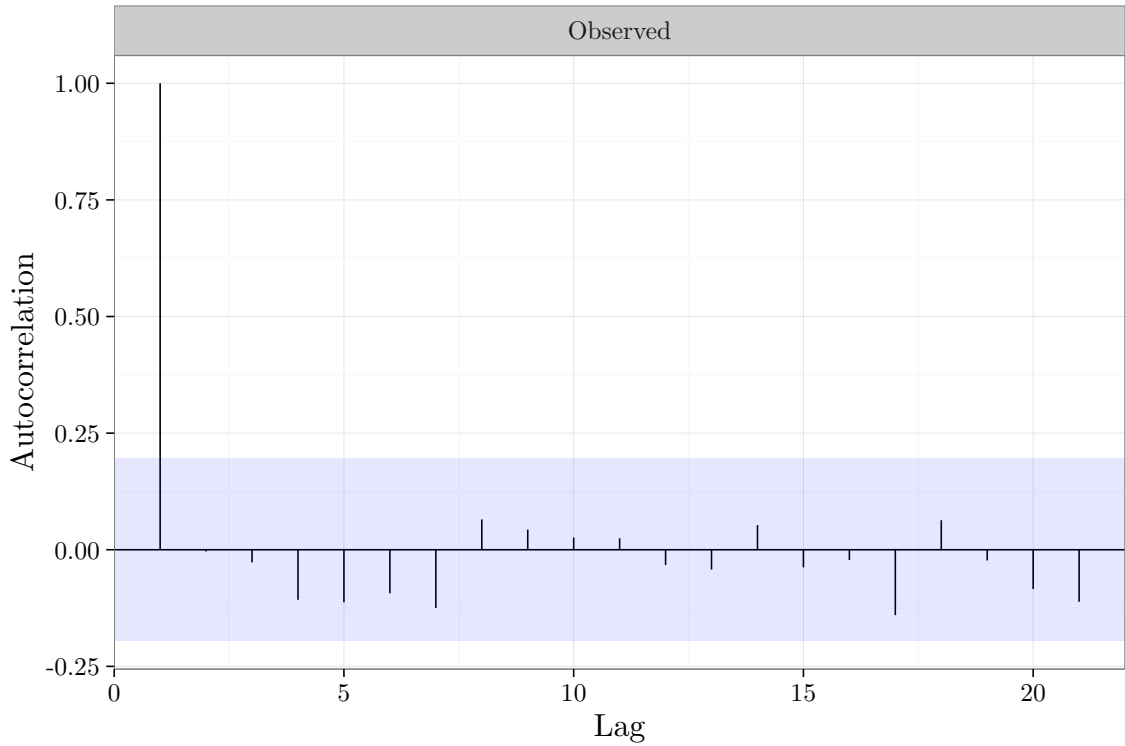
# Vector of lags considered ( $h \leq 20$ )
lags = c(1, 2, 5, 10) + 1

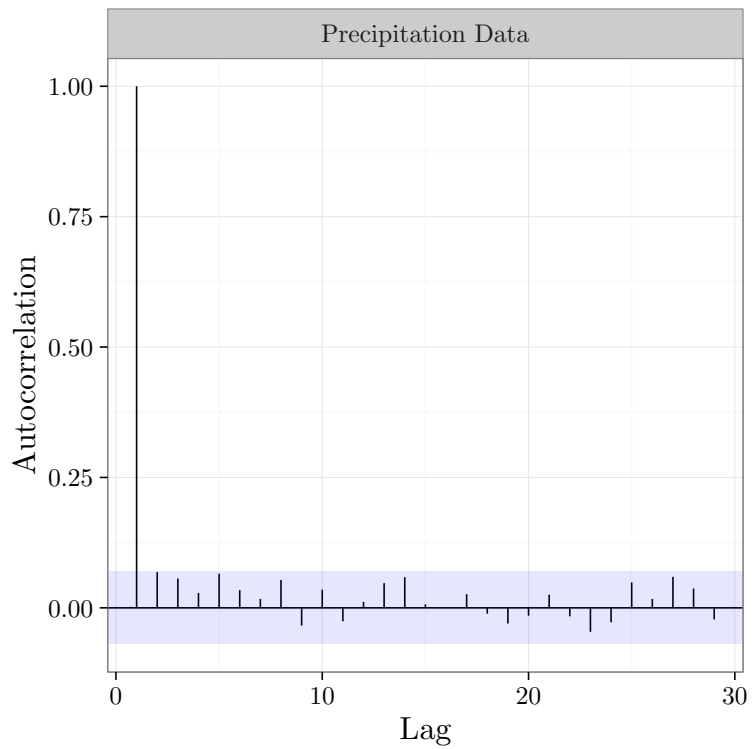
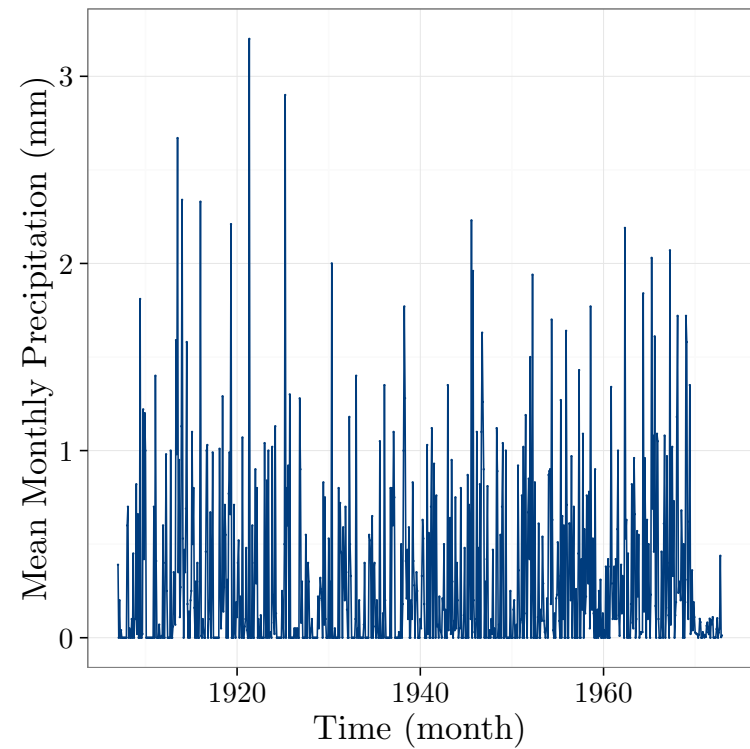
tikz("rob5.tex", width = 8, height = 6)
# Make graph
par(mfrow = c(2, 2))

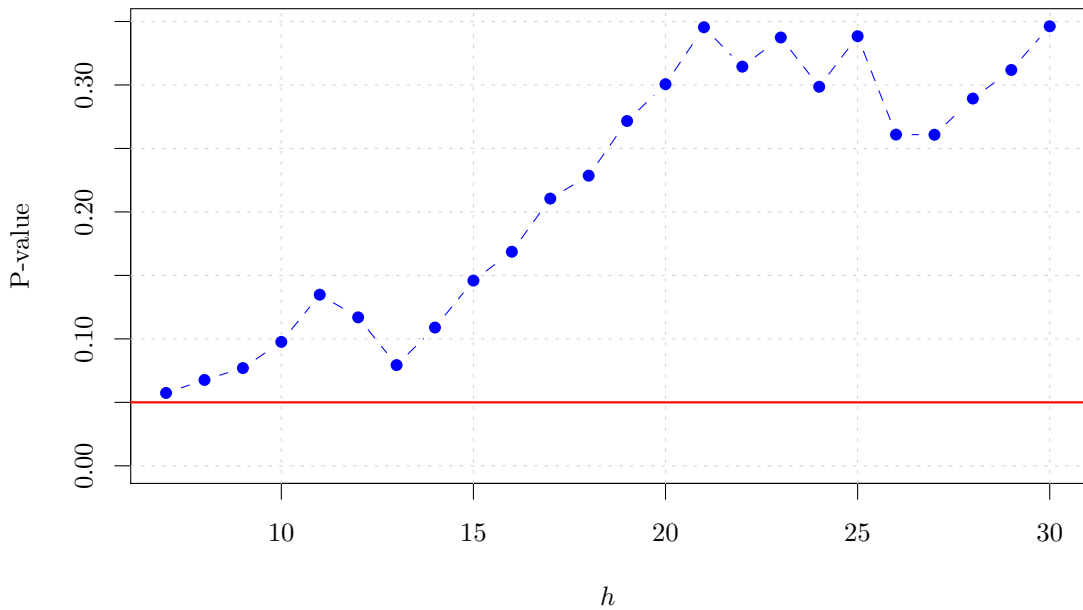
for (i in 1:4){
  boxplot(result[, 1, lags[i]], result[, 2, lags[i]], col = "lightgrey",
    names = c("Standard", "Robust"), main = paste("lag: h = ", lags[i]-1),
    ylab = "Sample autocorrelation")
}

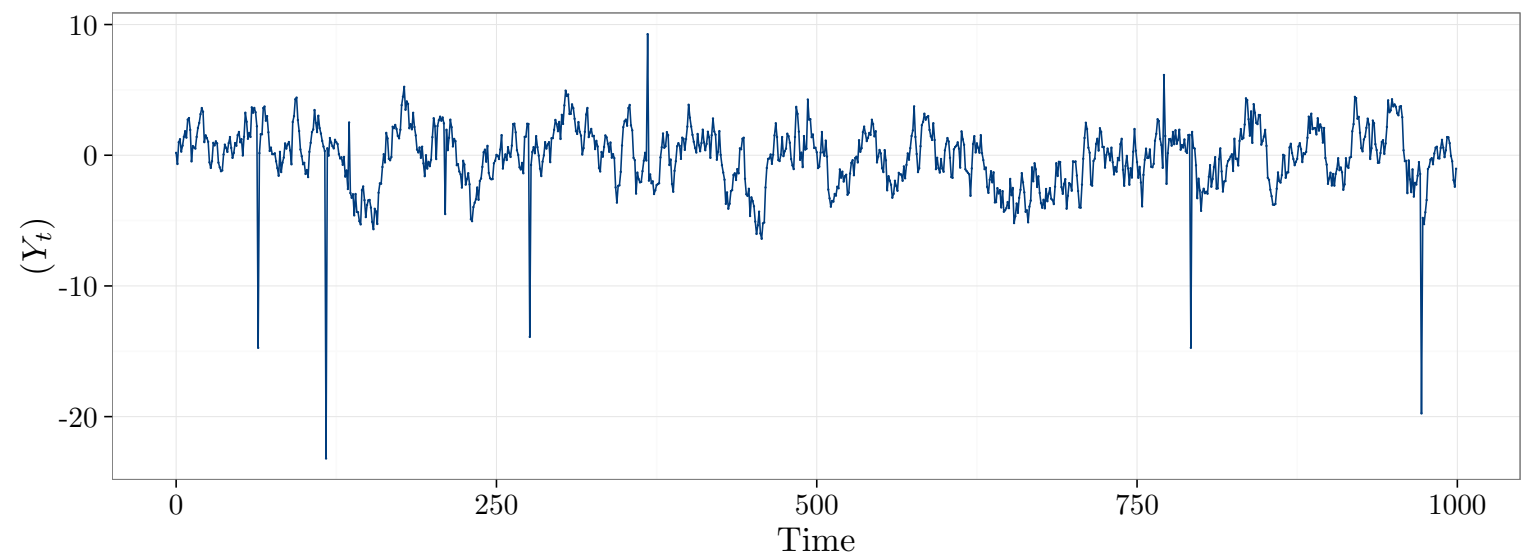
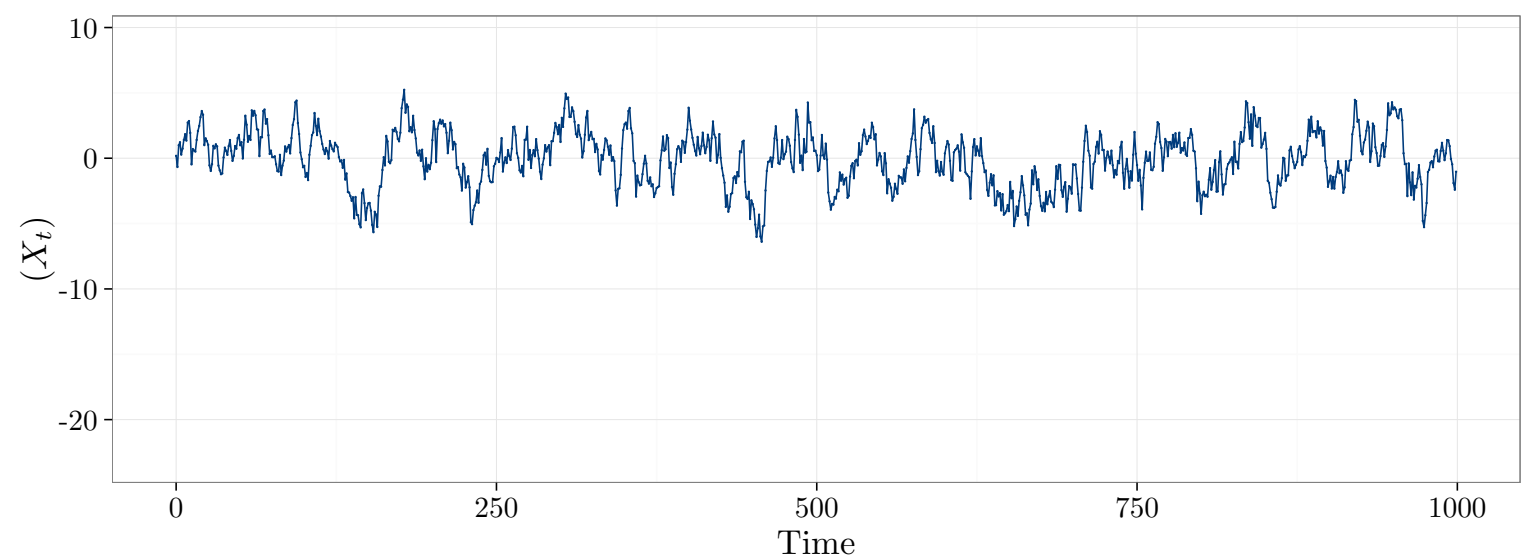
```

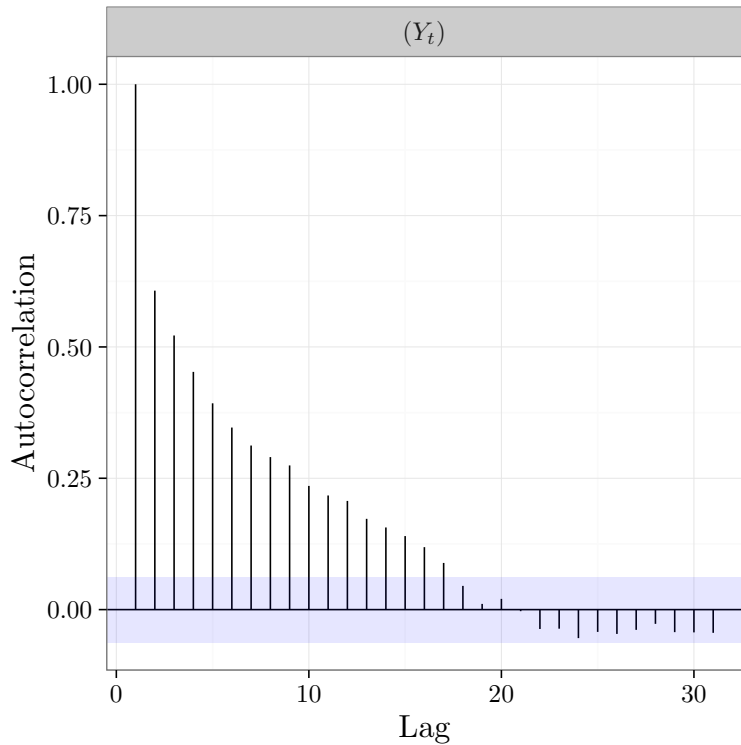
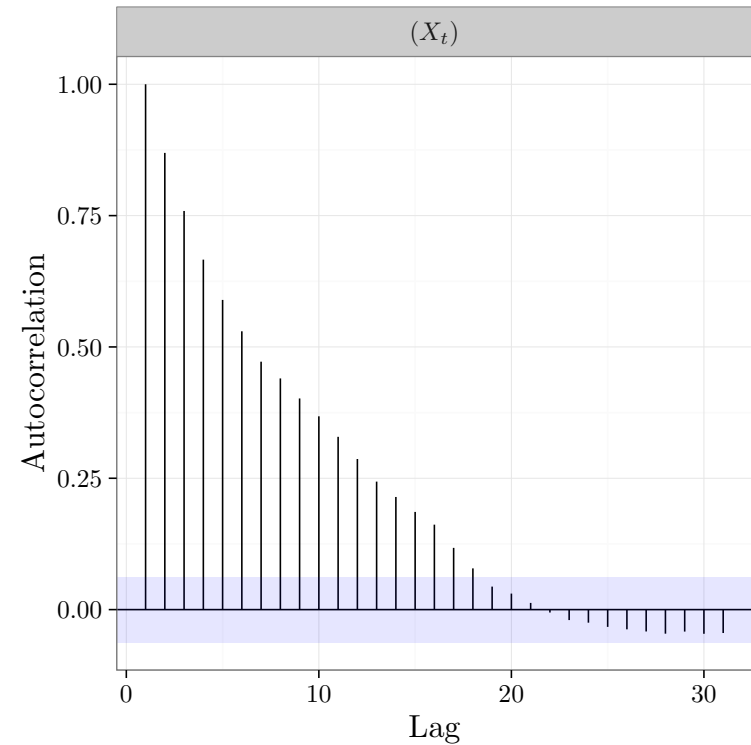


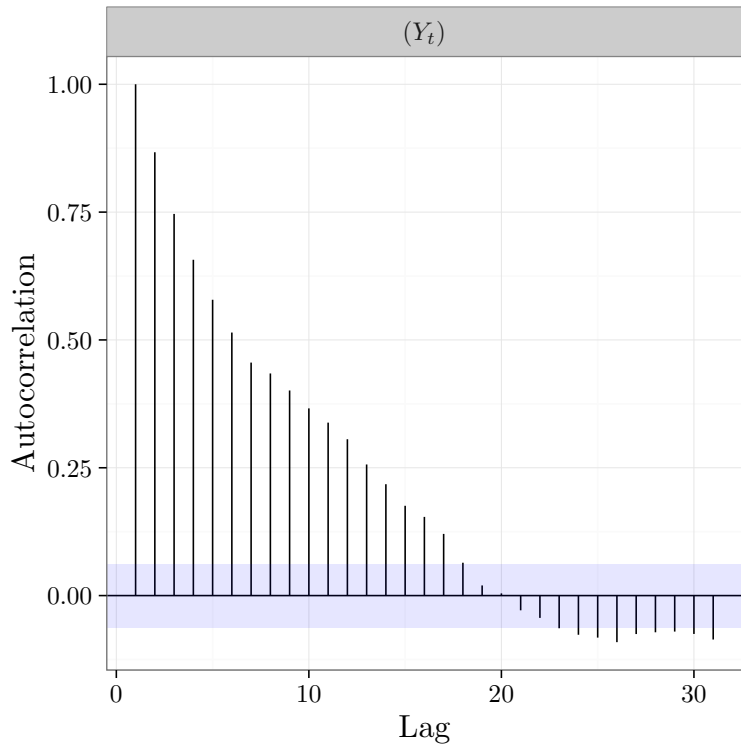
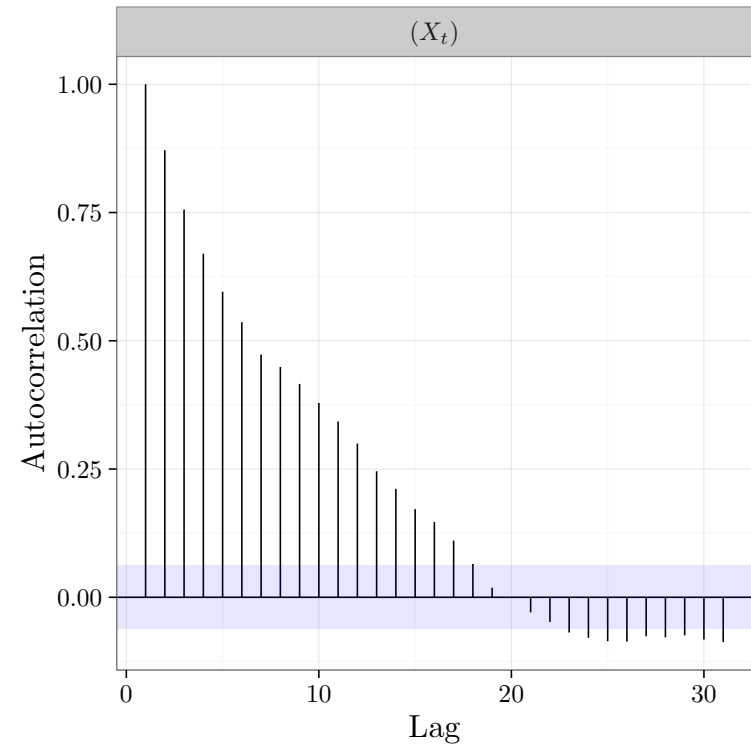


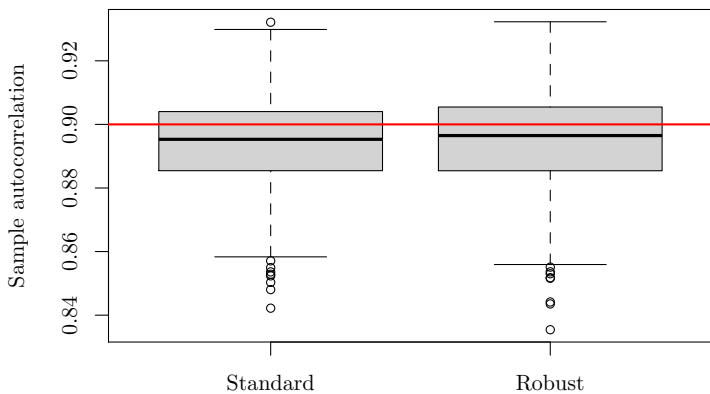
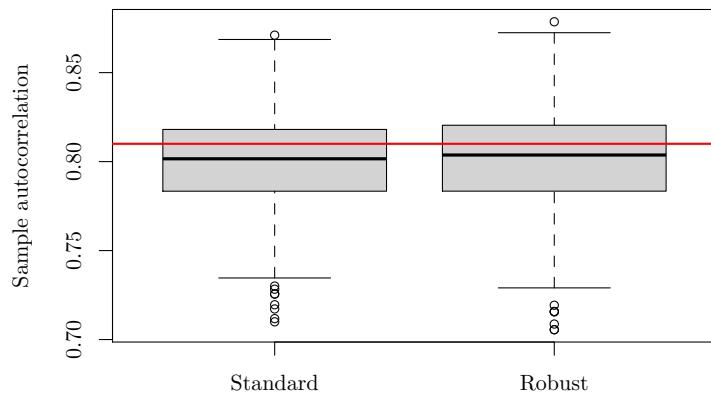
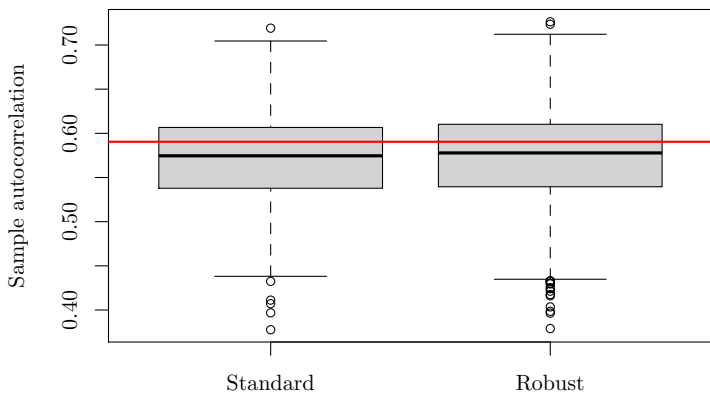
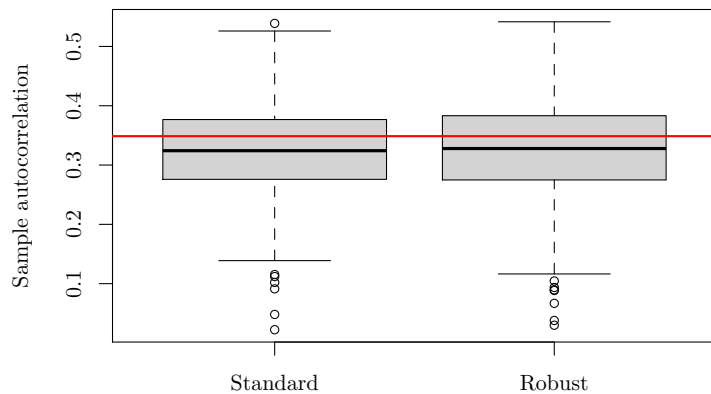




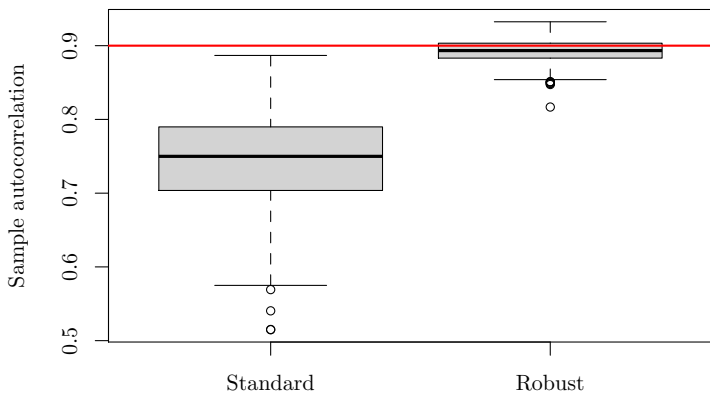




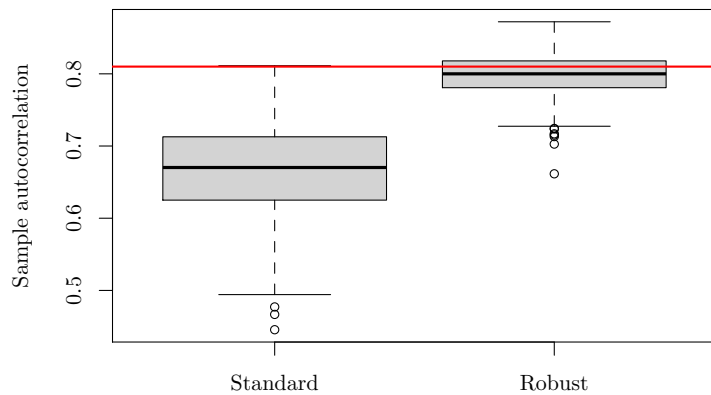


lag: $h = 1$ lag: $h = 2$ lag: $h = 5$ lag: $h = 10$ 

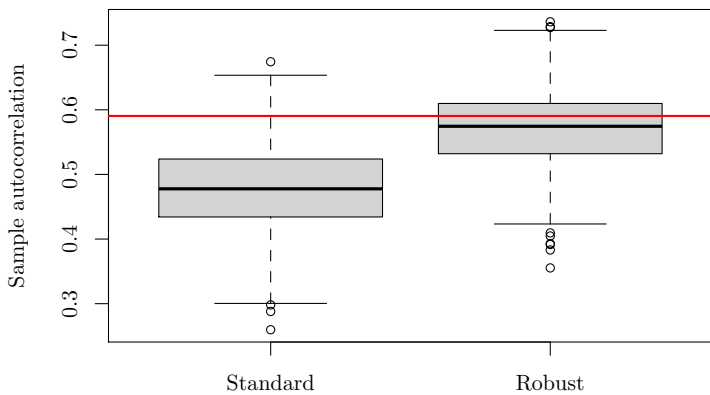
lag: $h = 1$



lag: $h = 2$



lag: $h = 5$



lag: $h = 10$

