

Title of the presentation

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This is just a *test* page.

We now state a very remarkable result from differential geometry:

Gauss-Bonnet Theorem

Suppose S is a regular surface with Euler characteristic χ . It then holds that

$$\int_S K \, dA = 2\pi\chi + \sum_i \phi_i \quad (1)$$

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This theorem implies the following consequences:

- ▶ The sphere has a total curvature of 4π .
- ▶ A plane has identical zero curvature.

First column of the *columns* environment, which can be used to get the multiple column look. This is very useful if you want to cram your slide full of text and an image.



FIGURE – Beautiful modern art.