

Argüello

Simple, typographic beamer theme

Place Holder

University of T_EX

✉ username@domain.com



UNIVERSIDAD
DE SEVILLA
1505

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Ordered list:

1. First item
 - a) 1st item 2nd level
 - (i) 1st item 3rd level
 - (ii) 2nd item 3rd level
 - b) 2nd item 2nd level
2. Second item
3. Third item

Unordered list:

- First level
 - Second level
 - Third level

A frame with title only

Theorem

$$e^{i\pi} + 1 = 0$$

Proof

$$e^{iz} = \cos z + i \sin z$$

therefore

$$\begin{aligned} e^{i\pi} + 1 &= \cos \pi + i \sin \pi + 1 \\ &= -1 + i \times 0 + 1 \\ &= 0 \end{aligned}$$



Let's cite a paper by Amiot [2007](#) and another one by Bergh, Jasso, and Thaule [2016](#).

Frames have no headline

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<code>\AlegreyaExtraBold</code>	Lorem ipsum dolor sit amet
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<code>\AlegreyaMedium</code>	Lorem ipsum dolor sit amet
<code>\AlegreyaSans</code>	Lorem ipsum dolor sit amet
<code>\AlegreyaSansThin</code>	Lorem ipsum dolor sit amet
<code>\AlegreyaSansLight</code>	Lorem ipsum dolor sit amet
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Alert! A plain frame does not show the progress bar but it still appears in the progress bar of other frames unless it is placed after `\ThankYou`.

A ***STANDOUT*** frame can be used to focus attention

Acknowledgements

This beamer theme is based in the Argüelles theme, originally developed by Michele Piazzai under the MIT license:

<https://github.com/piazzai/Arguello>

- ☰ Amiot, C. (2007). “On the Structure of Triangulated Categories with Finitely Many Indecomposables”. *Bull. Soc. Math. France* 135, no. 3, pp. 435–474.
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- ☰ Bergh, P. A., G. Jasso, and M. Thaule (Feb. 2016). “Higher n -angulations from local rings”. *J. London Math. Soc.* 93, no. 1, pp. 123–142.
- ☰ Bergh, P. A. and M. Thaule (July 2, 2013). “The axioms for n -angulated categories”. *Algebraic & Geometric Topology* 13, no. 4, pp. 2405–2428.
- ☰ Bondal, A. I. and M. M. Kapranov (1991). “Enhanced Triangulated Categories”. *Mat. USSR Sb.* 70, no. 1, pp. 93–107.
- ☰ Geiss, C., B. Keller, and S. Oppermann (2013). “ n -angulated categories”. *J. Reine Angew. Math.* 675, pp. 101–120.

- ☰ Iyama, O. and Y. Yoshino (Jan. 16, 2008). “Mutation in Triangulated Categories and Rigid Cohen–Macaulay Modules”. *Inventiones mathematicae* 2008 172:1 172, no. 1, pp. 117–168.
- ☰ Jasso, G. (2016). “ n -abelian and n -exact categories”. *Math. Z.* 283, no. 3-4, pp. 703–759.
- ☰ Muro, F. (2020a). “Enhanced Finite Triangulated Categories”. *Journal of the Institute of Mathematics of Jussieu*, pp. 1–43.
- ☰ – (2020b). “The First Obstructions to Enhancing a Triangulated Category”. *Math. Z.* 296, no. 1-2, pp. 719–759.
- ☰ Muro, F., S. Schwede, and N. Strickland (2007). “Triangulated Categories without Models”. *Invent. Math.* 170, no. 2, pp. 231–241.

In combination with *plain*,
it makes a nice thank-you slide!



<https://github.com/FMuro/Arguello>