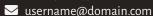
ArgüelloSimple, typographic beamer theme

June 2, 2022

Place Holder

University of T_EX





Lorem ipsum dolor sit amet, consectetur adipiscing elit, sed do eiusmod tempor incididunt ut labore et dolore magna aliqua.

Ordered list:

- 1. First item
 - a) 1st item 2nd level
 - (i) 1st item 3rd level
 - (ii) 2nd item 3rd level
 - b) 2nd item 2nd level
- 2. Second item
- 3. Third item

Unordered list:

- First level
 - o Second level
 - Third level

A frame with title only

Theorem

$$e^{i\pi}+1=0$$

Proof

$$e^{iz}=\cos z+i\sin z$$
 $therefore$
 $e^{i\pi}+1=\cos\pi+i\sin\pi+1$
 $=-1+i imes 0+1$
 $=0$

Let's cite a paper by Amiot 2007 and another one by Bergh, Jasso, and Thaule 2016.

Frames have no headline

\Alegreya
\AlegreyaExtraBold
\AlegreyaBlack
\AlegreyaMedium
\AlegreyaSansThin
\AlegreyaSansLight
\AlegreyaSansExtraBold
\AlegreyaSansBlack

Lorem ipsum dolor sit amet

Alert! A plain frame does not show the progress bar but it still appears in the progress bar of other frames unless it is placed after \ThankYou.

NDOUT frame can be used to focus	attention

A STA

Acknowledgements

This beamer theme is based in the Argüelles theme, originally developed by Michele Piazzai under the MIT license:

https://github.com/piazzai/arguelles

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In combination with plain, it makes a nice thank-you slide!



https://github.com/FMuro/Arguello