R Textbook Companion for Managerial Statistics by Gerald Keller¹

Created by Neha Kumari M.Sc.

 $\begin{array}{c} {\rm Information~Technology} \\ {\rm CENTRAL~UNIVERSITY~OF~RAJASTHAN} \\ {\rm Cross-Checked~by} \end{array}$

R TBC Team

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Book Description

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R numbering policy used in this document and the relation to the above book.

Exa Example (Solved example)

Eqn Equation (Particular equation of the above book)

For example, Exa 3.51 means solved example 3.51 of this book. Sec 2.3 means an R code whose theory is explained in Section 2.3 of the book.

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Chapter 2

Graphical and Tabular Descriptive Techniques

R code Exa 2.1 Light Beer Preference Survey

```
1 ###page_no_18####
3 rm(list=ls())
4 lbp<-c
      (1,1,5,1,3,3,3,7,2,6,1,6,3,4,5,2,5,5,2,1,1,5,1,2,3,3,6,1,5,5,4,1,
5 length(lbp)
6 table <-table(lbp); table</pre>
7 rf<-round(((table(lbp)/length(lbp))*100),digits=2);</pre>
8 brand <-c ("Bud Light", "Busch Light", "Coors Light","
      Michelob Light", "Miller Lite", "Natural Light", "
      Other brands")
9 barplot(table, names.arg=brand, main="bar chart", ylab=
     "frequency", ylim=c(0,90), cex.names=0.5)
10 lbls <-paste(brand, rf)
11 lbls <-paste (lbls, "%", sep="")
12 pie(table, labels = lbls, col=c("red", "purple", "blue",
     "brown", "pink", "orange", "green"))
```

R code Exa 2.2 Energy Consumption in the United States

R code Exa 2.3 Per Capita Beer Consumption

R code Exa 2.4 Analysis of Long Distance Telephone Bills

R code Exa 2.5 Comparing Returns on Two Investments

R code Exa 2.6 Bussiness Statistics Marks

```
1 ####page_no_40#####
2 rm(list=ls())
```

```
3 marks <-c
      (65,71,66,79,65,82,80,86,67,64,62,74,67,72,68,81,53,70,76,73,73,8)
4 hist(marks,breaks=seq(50,100,10))</pre>
```

R code Exa 2.7 Mathematical Statistics Marks

R code Exa 2.11 Energy Source in the United States and Canada

```
1 #####page_no_62#####
2 rm(list=ls())
3 ES<-c("Coal", "Oil", "Natural Gas", "Nuclear", "
      Hydroelectric", "Biomass", "Others")
4 US<-c (545258,903440,517881,209890,18251,52473,20533)
5 Canada <-c (30775,88850,71477,20103,28541,10424,25)
6 sum(US)
7 sum (Canada)
8 \text{ par}(\text{mfrow}=c(1,2))
9 rf_US<-round((US/sum(US))*100);rf_US
10 lbls1<-paste(ES,rf_US)</pre>
11 lbls1<-paste(lbls1,"%",sep="")
12 pie(US, labels = lbls1, main="US energy consumption",
      col=c("red","purple","blue","brown","pink","
      orange", "green"))
13 legend("topright",legend=ES,fill=c("red","purple","
      blue", "brown", "pink", "orange", "green"), cex=0.4)
```

 ${\bf R}$ code ${\bf Exa}$ 2.12 Analyzing the Relationship between Price and Size of Houses

Chapter 4

Numerical Descriptive Techniques

R code Exa 4.1 Mean Time Spent on the Internet

```
1 ####page_no_98###
2 rm(list=ls())
3 x<-c(0,7,12,5,33,14,8,0,9,22)
4 n=10
5 mean<-sum(x)/n; mean</pre>
```

R code Exa 4.2 Mean Long Distance Telephone Bills

R code Exa 4.3 Median Time Spent on the Internet

```
1 ####page_no_99###
2 rm(list=ls())
3 x<-c(0,0,5,7,8,9,12,14,22,33)
4 n=10
5 median(x)</pre>
```

R code Exa 4.4 Median Long Distance Telephone Bills

R code Exa 4.5 Mode Time Spent on the Internet

```
1 ####page_no_101###
2 rm(list=ls())
3 getmode<-function(x){
4   uniq<-unique(x)
5   uniq[which.max(tabulate(match(x,uniq)))]}
6   x<-c(0,7,12,5,33,14,8,0,9,22)
7   n=10
8   mode<-getmode(x); mode</pre>
```

R code Exa 4.6 Mode Long Distance Telephone Bills

R code Exa 4.7 Summer Jobs

```
1 ####page_no_108###
2 rm(list=ls())
3 x<-c(17,15,23,7,9,13)
4 n=6
5 mean(x)
6 var(x)</pre>
```

R code Exa 4.9 Using the empirical rule to interpret Standard Deviation

```
1 ###page_no_112###
2 rm(list=ls())
3 m=10
4 s=8
5 M<-paste(m,"%",sep="")
6 S<-paste(s,"%",sep="")
7
8 print("for 68% ")
9 lt1<-m-s</pre>
```

```
10 lt1<-paste(lt1,"%",sep="");lt1
11 rt1<-m+s
12 rt1<-paste(rt1,"%",sep="");rt1
13
14 print("for 95% ")
15 lt2<-m-(2*s)
16 lt2<-paste(lt2,"%",sep="");lt2
17 rt2<-m+(2*s)
18 rt2<-paste(rt2,"%",sep="");rt2
19
20 print("for 99.77% ")
21 lt3<-m-(3*s)
22 lt3<-paste(lt3,"%",sep="");lt3
23 rt3<-m+(3*s)
24 rt3<-paste(rt3,"%",sep="");rt3</pre>
```

R code Exa 4.10 Using Chebysheffs theorem to interpret Standard Deviation

```
1 ###page_no_112###
2 rm(list=ls())
3 m=28000
4 s=3000
5
6 print("for 75% ")
7 lt1<-m-(2*s);lt1
8 rt1<-m+(2*s);rt1
9
10 print("for 88.9% ")
11 lt2<-m-(3*s);lt2
12 rt2<-m+(3*s);rt2</pre>
```

R code Exa 4.11 Percentiles of Time Spent on internet

```
1 ####page_no_116###
2 rm(list=ls())
3 x<-c(0,7,12,5,33,14,8,0,9,22)
4 sort(x)
5 n=10
6 L_25<-(n+1)*(.25);L_25
7 L_50<-(n+1)*(.5);L_50
8 L_75<-(n+1)*(.75);L_75</pre>
```

R code Exa 4.12 Quartiles of Long Distance telephone bills

R code Exa 4.13 Interquartiles Range of Long Distance Telephone Bills

```
4
5 IQR(bill)
```

R code Exa 4.14 Box Plot of Long Distance Telephone Bills

R code Exa 4.16 Calculating the coefficients of correlation

```
1 ####page_no_126###
2 \text{ x} < -c(2,6,7)
3 n=3
4 \text{ mean}(x)
5 sx<-sqrt(var(x));sx</pre>
6 y1 < -c(13,20,27)
7 mean(y1)
8 sy1<-sqrt(var(y1));sy1</pre>
9 r1 < -(sum((x-mean(x))*(y1-mean(y1)))/(n-1))/(sx*sy1);
      r1
10
11 y2 < -c(27, 20, 13)
12 mean(y2)
13 sy2<-sqrt(var(y2));sy2</pre>
14 r2 < -(sum((x-mean(x))*(y2-mean(y2)))/(n-1))/(sx*sy2);
      r2
15
16 y3 < -c(20, 27, 13)
```

R code Exa 4.17 Estimating Fixed and Variable Costs

```
1 ####page_no_130##
2 rm(list=ls())
3 \text{ day} < -c(1,10,10)
4 x < -c (7,3,2,5,8,11,5,15,3,6)
5 y < -c
       (23.8,11.89,15.98,26.11,31.79,39.93,12.27,40.06,21.38,18.65)
6 \text{ sum}(x*y)
7 \text{ sum}(x^2)
8 sum(y^2)
9 \operatorname{cov}(x,y)
10 var(x)
11 \text{ mean}(x)
12 mean(y)
13 b1 \leftarrow cov(x,y) / var(x); b1
14 b0 \leftarrow mean(y) - b1 * mean(x); b0
15 \text{ est_y} \leftarrow b0+b1*x; est_y
16 plot(x,y,type="p",ylim=c(0,50),xlim=c(0,16),xlab="
       Number of tools", ylab="Electrical costs")
17 abline(lm(y~x))
```

R code Exa 4.18 Measuring the strength of the linear relationship

```
1 ####page_no_132##
2 rm(list=ls())
3 day<-c(1,10,10)</pre>
```

Chapter 6

Probability

R code Exa 6.1 Determining of Success among Mutual Fund Managers

```
1 ###page_no_175###
2 rm(list=ls())
3 p_a1b1<-.11
4 p_a2b1<-.06
5 p_a1b2<-.29
6 p_a2b2<-.54
7
8 p_a1<-p_a1b1+p_a1b2;p_a1
9 p_a2<-p_a2b1+p_a2b2;p_a2
10 p_b1<-p_a1b1+p_a2b1;p_b1
11 p_b2<-p_a1b2+p_a2b2;p_b2</pre>
```

R code Exa 6.2 Determining of Success among Mutual Fund Managers

```
1 ###page_no_178###
2 rm(list=ls())
3 p_a1b1<-.11
4 p_a2b1<-.06</pre>
```

```
5 p_a1b2<-.29
6 p_a2b2<-.54
7
8 p_b2<-p_a1b2+p_a2b2;p_b2
9
10 p_a1ib2<-round((p_a1b2/p_b2),4);p_a1ib2</pre>
```

R code Exa 6.3 Determining of Success among Mutual Fund Managers

```
1 ###page_no_179###
2 rm(list=ls())
3 p_a1b1<-.11
4 p_a2b1<-.06
5 p_a1b2<-.29
6 p_a2b2 < -.54
7
8 p_a1<-p_a1b1+p_a1b2;p_a1</pre>
9 p_a2 < -p_a2b1 + p_a2b2; p_a2
10 p_b1<-p_a1b1+p_a2b1;p_b1
11 p_b2<-p_a1b2+p_a2b2;p_b2
12
13 p_a1_b1<-p_a1b1/p_b1;p_a1_b1
14 p_a2_b1 < -p_a2b1/p_b1; p_a2_b1
15 p_a1_b2<-p_a1b2/p_b2;p_a1_b2
16 p_a2_b2 < -p_a2b2/p_b2; p_a2_b2
17
18 if (p_a1==p_a1_b1) print ("independent") else ("dependent
  if(p_a2==p_a2_b1)print("independent")else("dependent
  if(p_a1==p_a1_b2)print("independent")else("dependent
21 if (p_a2==p_a2_b2) print ("independent") else ("dependent
```

R code Exa 6.4 Determining of Success among Mutual Fund Managers

```
1 ###page_no_179###
2 rm(list=ls())
3 p_a1b1<-.11
4 p_a2b1<-.06
5 p_a1b2<-.29
6 p_a2b2<-.54
7
8 p_a1ob1<-p_a1b1+p_a2b1+p_a1b2;p_a1ob1
9 p_a1ob1<-1-p_a2b2;p_a1ob1</pre>
```

R code Exa 6.5 Selecting two students without replacement

```
1 ###page_no_186###
2 rm(list=ls())
3 m<-7
4 f<-3
5 n=2; N=10
6
7 p_a<-f/N;p_a
8 p_b_a=(f-1)/(N-1);p_b_a
9
10 p_ab<-round((p_a*p_b_a),3);p_ab</pre>
```

R code Exa 6.6 Selecting two students with replacement

```
1 ###page_no_186###
2 rm(list=ls())
```

```
3 m<-7
4 f<-3
5 n=2; N=10
6
7 p_a<-f/N;p_a
8 p_b<-f/N;p_b
9
10 p_ab<-p_a*p_b;p_ab</pre>
```

R code Exa 6.7 Applying the Addition Rule

```
1 ###page_no_188###
2 rm(list=ls())
3 p_a<-.22
4 p_b<-.35
5 p_ab<-.06
6
7 p_aob<-p_a+p_b-p_ab;p_aob</pre>
```

R code Exa 6.8 Probability of Passing the Bar exam

```
1 ###page_no_189###
2 rm(list=ls())
3 p_p<-.72
4 p_f<-.28
5 p_p_f<-.88
6 p_f_f<-.12
7
8 p_fp<-p_f*p_p_f;p_fp
9 p_ff<-p_f*p_f_f;p_ff
10
11 p_pp<-p_p+p_fp;p_pp
12</pre>
```

R code Exa 6.9 Should an MBA Applicant Take a Preparatory course

```
1 ###page_no_192###
2 rm(list=ls())
3 p_a<-.1
4 p_ac<-1-p_a;p_ac
5 p_b_a<-.52
6 p_b_ac<-.23
7
8 p_bc_a<-1-p_b_a;p_bc_a
9 p_bc_ac<-1-p_b_ac;p_bc_ac
10
11 p_ab<-p_a*p_ba;p_ab
12 p_acb<-p_ac*p_b_ac;p_acb
13
14 p_b<-p_ab+p_acb;p_b
15
16 p_a_b<-round((p_ab/p_b),3);p_a_b</pre>
```

R code Exa 6.10 Probability of prostate cancer

```
1 ###page_no_197###
2 rm(list=ls())
3 age<-c("40-50","50-60","60-70","over70")
4 p<-c(.01,.022,.046,.079)
5
6 p_c1<-.01
7 p_cc1<-1-.01;p_cc1
8
9 p_nt_c1<-.3
10 p_pt_c1<-1-p_nt_c1;p_pt_c1</pre>
```

```
11 p_pt_cc1<-.135
12 p_nt_cc1<-1-p_pt_cc1;p_nt_cc1
13
14 p_c1Upt <-p_c1*p_pt_c1; p_c1Upt
15 p_c1Unt <-p_c1*p_nt_c1;p_c1Unt
16 p_cc1Upt <-p_cc1*p_pt_cc1;p_cc1Upt
17 p_cc1Unt <-p_cc1*p_nt_cc1; round (p_cc1Unt,4)
18
19 p_pt1 <- round ((p_c1Upt+p_cc1Upt), 4); p_pt1</pre>
20 p_c1_pt<-round((p_c1Upt/p_pt1),4);p_c1_pt
21 p_cc1_pt<-round((1-p_c1_pt),4);p_cc1_pt
22
23 p_c2<-.022
24 p_cc2 < -1 - .022; p_cc2
25
26 p_nt_c2<-.3
27 p_pt_c2<-1-p_nt_c2;p_pt_c2
28 p_pt_cc2<-.135
29 p_nt_cc2<-1-p_pt_cc2; p_nt_cc2
30
31 p_c2Upt <-p_c2*p_pt_c2; p_c2Upt
32 p_c2Unt \leftarrow p_c2*p_nt_c2; p_c2Unt
33 p_cc2Upt \leftarrow p_cc2*p_pt_cc2; p_cc2Upt
34 p_cc2Unt <-p_cc2*p_nt_cc2; round (p_cc2Unt,4)
35
36 \text{ p_pt2} < -\text{round}((p_c2Upt+p_cc2Upt),4);p_pt2
37 p_c2_pt<-round((p_c2Upt/p_pt2),4);p_c2_pt
38 p_cc2_pt<-round((1-p_c2_pt),4);p_cc2_pt
39
40 p_c3<-.046
41 p_cc3<-1-.046;p_cc3
42
43 p_nt_c3<-.3
44 p_pt_c3<-1-p_nt_c3;p_pt_c3
45 p_pt_cc3<-.135
46 p_nt_cc3<-1-p_pt_cc3;p_nt_cc3
47
48 p_c3Upt \leftarrow p_c3*p_pt_c3; p_c3Upt
```

```
49 p_c3Unt \leftarrow p_c3*p_nt_c3; p_c3Unt
50 p_cc3Upt <-p_cc3*p_pt_cc3; round (p_cc3Upt,4)
51 p_cc3Unt <-p_cc3*p_nt_cc3; round (p_cc3Unt,4)
52
53 p_pt3 \leftarrow round((p_c3Upt+p_cc3Upt),4);p_pt3
54 p_c3_pt<-round((p_c3Upt/p_pt3),4);p_c3_pt
55 p_cc3_pt<-round((1-p_c3_pt),4);p_cc3_pt
56
57 p_c4 < -.079
58 p_cc4 < -1 - .079; p_cc4
59
60 p_nt_c4<-.3
61 p_pt_c4<-1-p_nt_c4;p_pt_c4
62 p_{pt}cc4 < -.135
63 p_nt_cc4 < -1-p_pt_cc4; p_nt_cc4
64
65 p_c4Upt \leftarrow p_c4*p_pt_c4; p_c4Upt
66 p_c4Unt \leftarrow p_c4*p_nt_c4; p_c4Unt
67 p_cc4Upt <-p_cc4*p_pt_cc4; round (p_cc4Upt,4)
68 p_cc4Unt <-p_cc4*p_nt_cc4; round (p_cc4Unt,4)
69
70 p_pt4<-round((p_c4Upt+p_cc4Upt),4);p_pt4
71 p_c4_pt<-round((p_c4Upt/p_pt4),4);p_c4_pt
72 p_cc4_pt<-round((1-p_c4_pt),4);p_cc4_pt
73
74 cancer <-c (p_c1_pt,p_c2_pt,p_c3_pt,p_c4_pt)
75 no_cancer<-c(p_cc1_pt,p_cc2_pt,p_cc3_pt,p_cc4_pt)
76 positive_portion<-c(p_pt1,p_pt2,p_pt3,p_pt4)
77 biospies <-c (p_pt1*1000000,p_pt2*1000000,p_pt3*
      1000000,p_pt4*1000000)
78 cancer_detected <-c(round(p_c1_pt*p_pt1*1000000),
      round(p_c2_pt*p_pt2*1000000),round(p_c3_pt*p_pt3*
      1000000), round(p_c4_pt*p_pt4*1000000))
79 biospies_per_detected <-round ((biospies/cancer_
      detected),2)
80 cost_per_biospy<-(biospies_per_detected*1000)
81
82 cbind(age,cancer,no_cancer)
```

Chapter 7

Random Variables And Discrete Probability Distributions

R code Exa 7.1 Probability Distribution of the Number of Color Television

```
1 ####page_no_212###
2 rm(list=ls())
3 tv<-c(0,1,2,3,4,5)
4 h<-c(1218,32379,37961,19387,7714,2842)
5 px<-round((h/sum(h)),3);px
6 sum(px)</pre>
```

R code Exa 7.2 Probability Distribution of the Number of Sales

```
1 ###page_no_213###
2 rm(list=ls())
3 p_s<-.2
4 p_sc<-1-p_s;p_sc</pre>
```

R code Exa 7.3 Describing the Population of the Number of Color Television

```
1 ####page_no_215###
2 rm(list=ls())
3 x<-c(0,1,2,3,4,5)
4 h<-c(1218,32379,37961,19387,7714,2842)
5 px<-h/sum(h);px
6 E<-sum(x*px);E
7 v<-sum(((x-E)^2)*px);v
8 var<-(sum((x^2)*px)-E^2);var
9 sd<-sqrt(var);sd</pre>
```

R code Exa 7.4 Describing the Population of Monthly Profits

```
1 ###page_no_217###
2 rm(list=ls())
```

```
3 m<-25000
4 s<-4000
5
6 E_p<-.3*m-6000; E_p
7 V_p<-(.3^2)*s^2; V_p
8 s_p<-sqrt(V_p); s_p</pre>
```

R code Exa 7.5 Bivariate Distribution of the Number of House Sales

```
1 ###page_no_222###
2 rm(list=ls())
3 \text{ x} < -c(0,1,2)
4 y0 < -c(.12,.42,.06)
5 \text{ y1} < -c(.21,.06,.03)
6 y2 < -c(.07,.02,.01)
7 y < -c(0,1,2)
8 p<-rbind(y0,y1,y2);p</pre>
10 p_x_0 < -sum(p[,1]); p_x_0
11 p_x_1<-sum(p[,2]);p_x_1
12 p_x_2 < -sum(p[,3]); p_x_2
13 p_x < -c(p_x_0, p_x_1, p_x_2)
14
15 p_y_0 < -sum(y0); p_y_0
16 p_y_1 < -sum(y1); p_y_1
17 p_y_2 < -sum(y2); p_y_2
18 p_y < -c(p_y_0, p_y_1, p_y_2)
19
20 \quad E_x \leftarrow sum(x*p_x); E_x
V_x < -sum(((x-E_x)^2)*p_x);V_x
22 s_x<-sqrt(V_x);s_x
23
24 \quad E_y \leftarrow sum(y * p_y); E_y
25 V_y < -sum(((y-E_y)^2)*p_y); V_y
26 s_y<-sqrt(V_y);s_y
```

R code Exa 7.6 Describing the Bivariate Distribution

```
1 ###page_no_224###
2 rm(list=ls())
3 \times (-c(0,1,2))
4 \text{ y0} < -c (.12, .42, .06)
5 y1 < -c(.21,.06,.03)
6 y2 < -c(.07,.02,.01)
7 y < -c(0,1,2)
8 p_xy < -c(y0, y1, y2)
9 p<-rbind(y0,y1,y2);p</pre>
10
11 p_x_0<-sum(p[,1]);p_x_0
12 p_x_1 < -sum(p[,2]); p_x_1
13 p_x_2 < -sum(p[,3]); p_x_2
14 p_x < -c(p_x_0, p_x_1, p_x_2)
15
16 p_y_0 < -sum(y0); p_y_0
17 p_y_1<-sum(y1);p_y_1
18 p_y_2 < -sum(y2); p_y_2
19 p_y < -c(p_y_0, p_y_1, p_y_2)
20
21 \quad E_x \leftarrow sum(x*p_x); E_x
22 V_x < -sum(((x-E_x)^2)*p_x); V_x
23 s_x<-sqrt(V_x);s_x
24
25 \quad E_y \leftarrow sum(y * p_y); E_y
26 V_y < -sum(((y-E_y)^2)*p_y); V_y
27 s_y<-sqrt(V_y);s_y
28
29 E_{xy} < -sum(x*y[1]*p_{xy}[seq(1,3,1)],x*y[2]*p_{xy}[seq
       (4,6,1)], x*y[3]*p_xy[seq(7,9,1)]); E_xy
30 \text{ s_xy} \leftarrow \text{E_xy} - \text{E_x*E_y}; \text{s_xy}
31
```

R code Exa 7.7 Describing the Population of the Total Number of House Sales

```
1 ###page_no_225###
2 rm(list=ls())
3 \times (-c(0,1,2))
4 y0 < -c(.12,.42,.06)
5 y1 < -c(.21,.06,.03)
6 y2 < -c(.07,.02,.01)
7 \text{ y} < -c(0,1,2)
8 p_xy<-c(y0,y1,y2)
9 p<-rbind(y0,y1,y2);p</pre>
10
11 p_x_0 < -sum(p[,1]); p_x_0
12 p_x_1<-sum(p[,2]);p_x_1
13 p_x_2 < -sum(p[,3]); p_x_2
14 p_x < -c(p_x_0, p_x_1, p_x_2)
15
16 p_y_0 < -sum(y0); p_y_0
17 p_y_1 < -sum(y1); p_y_1
18 p_y_2 < -sum(y2); p_y_2
19 p_y < -c(p_y_0, p_y_1, p_y_2)
20
21 \quad E_x < -sum(x*p_x); E_x
22 V_x < -sum(((x-E_x)^2)*p_x); V_x
23 s_x<-sqrt(V_x);s_x
24
25 \quad E_y \leftarrow sum(y*p_y); E_y
26 V_y < -sum(((y-E_y)^2)*p_y); V_y
27 s_y<-sqrt(V_y);s_y
28
29 E_{xy} < -sum(x*y[1]*p_xy[seq(1,3,1)],x*y[2]*p_xy[seq
      (4,6,1)], x*y[3]*p_xy[seq(7,9,1)]); E_xy
```

```
30 s_xy<-E_xy-E_x*E_y;s_xy
31
32 E_xay<-E_x+E_y;E_xay
33 V_xay<-V_x+V_y+(2*s_xy);V_xay
```

R code Exa 7.8 Describing the Population of the Returns on a Portfolio

```
1 ###page_no_229###
2 rm(list=ls())
3 E_r1<-.08
4 E_r2 < -.15
5 \text{ w1} < -.25; \text{ w2} < -.75
6 s_r1<-.12; s_r2<-.22
7 ro1=1; ro2=.5; ro3=0
9 E_r < -(w1*E_r1) + (w2*E_r2); E_r
10 V_{ro1} < -round((((w1^2)*(s_r1^2))+((w2^2)*(s_r2^2))+2*)
      w1*w2*ro1*s_r1*s_r2),4);V_ro1
11 sd_ro1<-round((sqrt(V_ro1)),4);sd_ro1
12 V_{ro2} < -round((((w1^2)*(s_r1^2))+((w2^2)*(s_r2^2))+2*)
      w1*w2*ro2*s_r1*s_r2),4);V_ro2
13 sd_ro2<-round((sqrt(V_ro2)),4);sd_ro2
14 V_{ro3} < -round((((w1^2)*(s_r1^2))+((w2^2)*(s_r2^2))+2*)
      w1*w2*ro3*s_r1*s_r2),4);V_ro3
15 sd_ro3<-round((sqrt(V_ro3)),4);sd_ro3</pre>
```

R code Exa 7.9 Pat Statsdud and the Statistics Quiz

```
1 ###page_no_236##
2 rm(list=ls())
3 n=10; p=0.2
4 dbinom(0,n,p)
5 dbinom(2,n,p)
```

 ${f R}$ code ${f Exa}$ 7.10 Will Pat Fail the Quiz

```
1 ####page_no_237###
2 rm(list=ls())
3 n=10 ; p=0.2
4 pbinom(4,n,p)
```

R code Exa 7.11 Pat Statsdud has been cloned

```
1 ###page_no_240###
2 rm(list=ls())
3 n=10
4 p=.2
5
6 m<-n*p;m
7 sd<-round((sqrt(n*p*(1-p))),2);sd</pre>
```

R code Exa 7.12 Probability of the Number of Typographical Errors in Textbooks

```
1 ####page_no_243###
2 rm(list=ls())
3 m=1.5; n=100
4 dpois(0,m)
```

R code Exa 7.13 Probability of the Number of Typographical Errors in 400 pages

```
1 ###page_243####
2 rm(list=ls())
3 m=6; n=400
4
5 round((dpois(0,m)),6)
6
7 round((ppois(5,m)),4)
```

Continuous Probability Distribution

R code Exa 8.1 Uniformly distributed Gasoline Sales

```
1 ###page_no_256###
2 rm(list=ls())
3
4 p_a<-punif(3000,2000,5000)-punif(2500,2000,5000);p_a
5 p_b<-1-punif(4000,2000,5000);p_b
6 p_c<-round(dunif(2500,2000,5000));p_c</pre>
```

R code Exa 8.2 Normally distributed Gasoline Sales

```
1 ###page_no_261###
2 rm(list=ls())
3 m=1000; s=100; n=1100
4 pnorm(1100,m,s)
```

R code Exa 8.3 Probability of a Negative Return on investment

```
1 ###page_no_266###
2 rm(list=ls())
3 m=10; s=5
4 pnorm(0,m,s)
5
6 new_s=10
7 pnorm(0,m,new_s)
```

R code Exa 8.6 Determining the Reorder point

```
1 ###page_no_273####
2 rm(list=ls())
3 m=200; s=50; z=1.645
4 ROP<-s*z+m; ROP</pre>
```

R code Exa 8.7 Lifetimes of Alkaline Batteries

```
1 ###page_no_278###
2 rm(list=ls())
3 l=0.05
4 m=1/1;m
5 s=1/1;s
6 pexp(15,1)-pexp(10,1)
7 1-pexp(20,1)
```

R code Exa 8.8 Supermarket Checkout Counter

```
1 ###page_no_280###
```

```
2 rm(list=ls())
3 l=0.1
4 pexp(5,1)
5 1-pexp(10,1)
6 pexp(8,1)-pexp(5,1)
```

Sampling Distribution

R code Exa 9.1 Content of a 32 ounce bottle

```
1 ####page_no_304###
2 rm(list=ls())
3 m=32.2; s=0.3; n=4
4 1-pnorm(32,m,s)
5 sx<-s/sqrt(n); sx
6 1-pnorm(32,m,sx)</pre>
```

R code Exa 9.2 Political Survey

```
1 ###page_no_314###
2 rm(list=ls())
3 n=300; p=0.52; m=0.52
4 sd<-sqrt((p*(1-p))/n); sd
5 1-pnorm(0.5,m,sd)</pre>
```

R code Exa 9.3 Starting Salaries of MBAs

```
1 ###page_no_316###
2 rm(list=ls())
3 n1=50; n2=60
4 m1=62000; m2=60000
5 m<-m1-m2;m
6 s1<-14500^2
7 s2<-18300^2
8 s<-round(sqrt((s1/n1)+(s2/n2)));s
9 1-pnorm(0,m,s)</pre>
```

Introduction to Estimation

R code Exa 10.1 Doll Computer Company

Inference about a Population

R code Exa 12.1 Newspaper Recycling Plant

R code Exa 12.2 Tax Collected from Audited Returns

```
1 ###page_no_386###
2 rm(list=ls())
3 x <- c</pre>
```

```
(6039,5147,4384,3790,5713,4818,7798,6687,6511,1600,6766,4817,3189
```

```
4 t=1.972; n=209
5
6 x_bar<-round(mean(x));x_bar
7 s_2<-var(x);s_2
8 s<-round(sqrt(s_2));s
9
10 LCL<-round(x_bar-(t*s/sqrt(n)));LCL
11 UCL<-round(x_bar+(t*s/sqrt(n)));UCL</pre>
```

R code Exa 12.3 Consistency of a Container filling machine

R code Exa 12.4 Consistency of a Container filling machine

```
6 sum(x^2)
7 var(x)
8 LCL<-((n-1)*var(x))/C005; LCL
9 UCL<-((n-1)*var(x))/C995; UCL
```

R code Exa 12.5 Election Day Exit Poll

```
1 ####page_no_406###
2 rm(list=ls())
3 p=0.5; n=765; x=407
4 Z=1.645
5 est_p<-(x/n); est_p
6 z<-(est_p-p)/(sqrt((p*(1-p))/n)); z
7 p_value<-1-pnorm(1.77,0,1); p_value</pre>
```

R code Exa 12.6 Segmenting the Breakfast Cereal market

```
1 ####page_no_419###
2 rm(list=ls())
3 x=269 ; n=1250
4 est_p<-x/n; est_p
5 z=1.96
6
7 LCL<-est_p-(z*(sqrt(est_p*(1-est_p)/n))); round(LCL_,4))
8 UCL<-est_p+(z*(sqrt(est_p*(1-est_p)/n))); round(UCL_,4)</pre>
```

R code Exa 12.7 GAO Audit of the US Forest Services

${f R}$ code ${f Exa}$ 12.8 Audit of Purchase orders at a car dealership

R code Exa 12.9 Audit of Work orders at a car dealership

```
1 ###page_no_428####
2 rm(list=ls())
3 x=87; n=750; N=11054
4 z=1.96
5 p<-x/n;p
6
7 LCL<-round(N*(p-z*(sqrt((p*(1-p))/n))*sqrt(((N-n)/(N-1))))); LCL
8 UCL<-round(N*(p+z*(sqrt((p*(1-p))/n)))*sqrt(((N-n)/(N-1))))); UCL</pre>
```

Inference about comparing two Populations

R code Exa 13.1 Direct and Broker purchased mutual funds

```
1 ####page_no_443##
2 rm(list=ls())
3 d < -c
       (9.33,6.94,16.17,16.97,5.94,12.61,3.33,16.13,11.2,1.14,4.68,3.09,7
4 b < -c
       (3.24, -6.76, 12.8, 11.1, 2.73, -.13, 18.22, -.8, -5.75, 2.59, 3.71, 13.15, 1
5 F = var(d) / var(b); F
6 if (F<1.75) print ("H0 may be accepted")
8 md<-round(mean(d),2);md</pre>
9 \text{ mb} \leftarrow \text{round} (\text{mean} (b), 2); \text{mb}
10 sd<-round(var(d),2);sd</pre>
11 sb \leftarrow round(var(b), 2); sb
12 \quad n1=50; n2=50
13 p_v \leftarrow round(((n1-1)*sd+(n2-1)*sb)/(n1+n2-2),2); p_v
14 df <-n1+n2-2; df
15 t \leftarrow round(((md-mb)-0)/sqrt(p_v*((1/n1)+(1/n2))),2);t
```

```
16 sprintf("H0 is rejected")
17
18 t_95=1.984
19 LCL<-(md-mb)-t_95*sqrt(p_v*((1/n1)+(1/n2))); LCL
20 UCL<-(md-mb)+t_95*sqrt(p_v*((1/n1)+(1/n2))); UCL
```

R code Exa 13.2 Effect of New CEO in Family Run Business

```
1 ###page_no_448###
2 rm(list=ls())
3 os<-c
      (-1.95, 0, .56, 1.44, 1.5, 1.41, -.32, -1.7, -1.66, -1.87, -1.38, .57, 3.05, 2
4 o<-c
       (.69, -.95, -2.2, 2.65, 5.39, 4.15, 4.28, 2.97, 4.11, 2.66, 6.31, -3.04, -.42
5 n1=42; n2=98
6 s1<-var(os);s1
7 	ext{ s2} < -\text{var}(0); s2
8 F < -s1/s2; F
9 v1<-n1-1; v1
10 \quad v2 < -n2 -1; v2
11 if(F<0.57)print("H0 rejected")
12
13 m1 <-mean (os); m1
14 m2 <-mean(o); m2
15 v \leftarrow (((s1/n1)^2) + ((s2/n2)^2))/((((s1/n1)^2)/(n1-1))
      +(((s2/n2)^2)/(n2-1));v
16 \ v < -(v*2); v
17 t_{cal} < ((m1-m2)-0)/sqrt((s1/n1)+(s2/n2)); t_{cal}
18 if(t_cal < -1.982 || t_cal > 1.982) print("H0 rejected")
19
20 t<-1.982
21 LCL \leftarrow (m1-m2) - (t*sqrt((s1/n1) + (s2/n2))); LCL
22 UCL < -(m1-m2) + (t*sqrt((s1/n1) + (s2/n2))); UCL
```

R code Exa 13.3 Dietary Effects of High Fiber Breakfast cereals

R code Exa 13.4 Comparing salary offers for finance and marketing MBA Majors

```
11  t<-((m1-m2)-0)/sqrt(s_p*((1/n1)+(1/n2)));t
12  v<-n1+n2-2;v
13  if(t<1.676)print("H0 may be accepted")
14  t.test(fm,mm,var.equal = T)</pre>
```

 ${f R}$ code ${f Exa}$ 13.5 Comparing salary offers for finance and marketing MBA Majors

 ${f R}$ code Exa 13.6 Comparing salary offers for finance and marketing MBA Majors

```
1 ##page_no_470###
2 rm(list=ls())
3 group<-seq(1,25,1)</pre>
```

R code Exa 13.9 Test marketing of packages designs

```
1 ##page_no_486###
2 rm(list=ls())
3 x1=180 ; n1=904 ; x2=155 ; n2=1038
4 est_p1<-x1/n1; est_p1
5 est_p2<-x2/n2; est_p2
6 est_p<-((x1+x2)/(n1+n2)); est_p
7 z<-round(((est_p1-est_p2)/sqrt(est_p*(1-est_p)*((1/n1)+(1/n2)))),2);z
8 z_a=1.645
9 ifelse(z<z_a,"H0 accepted","H0 rejected")</pre>
```

R code Exa 13.10 Test marketing of packages designs

```
1 ##page_no_488###
2 rm(list=ls())
3 x1=180 ; n1=904 ; x2=155 ; n2=1038
4
5 p<-.03
6
7 est_p1<-round((x1/n1),4);est_p1
8 est_p2<-round((x2/n2),4);est_p2
9
10 z<-round((((est_p1-est_p2)-p)/sqrt((est_p1*(1-est_p1)/n1)+(est_p2*(1-est_p2)/n2))),2);z</pre>
```

R code Exa 13.11 Test marketing of packages designs

```
1 ##page_no_490###
2 rm(list=ls())
3 x1=180 ; n1=904 ; x2=155 ; n2=1038
4
5 p<-.03
6 z=1.96
7
8 est_p1<-round((x1/n1),4); est_p1
9 est_p2<-round((x2/n2),4); est_p2
10
11 LCL<-(est_p1-est_p2)-round((z*sqrt((est_p1*(1-est_p1)/n1)+est_p2*(1-est_p2)/n2)),4); LCL
12 UCL<-(est_p1-est_p2)+round((z*sqrt((est_p1*(1-est_p1)/n1)+est_p2*(1-est_p2)/n2)),4); UCL</pre>
```

Analysis of Variance

R code Exa 14.1 Proportion of Total Assets Invested in stocks

```
1 ###page_no_514###
   2 rm(list=ls())
   3 m_x1=44.4; m_x2=52.47; m_x3=51.14; m_x4=51.84
   4 s1_2=386.55; s2_2=469.44; s3_2=471.82; s4_2=444.79
   5 m_m_x=50.18
   6 n1=84; n2=131; n3=93; n4=58
   7 k=4; n=366
10 SST \leftarrow round(sum((n1*(m_x1-m_m_x)^2),(n2*(m_x2-m_m_x)
                           ^2), (n3*(m_x3-m_m_x)^2), (n4*(m_x4-m_m_x)^2)), 1);
                           SST
11 SSE \leftarrow round(sum((n1-1)*s1_2,(n2-1)*s2_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3_2,(n3-1)*s3
                           n4-1)*s4_2),1);SSE
12 TSS<-SST+SSE; TSS
13 MST \leftarrow round((SST/(k-1)), 2); MST
14 MSE \leftarrow round((SSE/(n-k)), 2); MSE
15 F <- round ((MST/MSE), 2); F</pre>
16
17 source <-c ("treatment", "error", "total")
18 dof < -c(k-1, n-k, n-1)
```

R code Exa 14.2 Comparing the costs of repairing car bumpers

```
1 ###page_no_530###
2 rm(list=ls())
3
4 Bumper <-c ("b1", "b2", "b3", "b4")
5 b1<-c(610,354,234,399,278,358,379,548,196,444)
6 b2 < -c (404,663,521,518,499,374,562,505,375,438)
7 b3 < -c (599, 426, 429, 621, 426, 414, 332, 460, 494, 637)
8 b4 < -c (272, 405, 197, 363, 297, 538, 181, 318, 412, 499)
9
10
11 m1 < -mean(b1); s1 < -sd(b1)
12 m2 < -mean(b2); s2 < -sd(b2)
13 \text{ m3} < -\text{mean}(b3); s3 < -\text{sd}(b3)
14 m4 < -mean(b4); s4 < -sd(b4)
15
16 Mean <- (c(m1, m2, m3, m4))
17 StDev <-(c(s1, s2, s3, s4))
18 bumper < -factor (c(rep("b1",10),rep("b2",10),rep("b3"
       ,10), rep("b4",10)))
19 values <-c
      (610, 354, 234, 399, 278, 358, 379, 548, 196, 444, 404, 663, 521, 518, 499, 374,
20
21 df <-data.frame(bumper, values)
22 fit <-aov(lm(values~bumper,data=df))</pre>
```

```
23 summary(fit)
24 F_tab <-qf(.95,3,36); F_tab
25 ifelse(summary(fit)[[1]][[4]][[1]] < F_tab, "Ho may
      Accepted ", "Ho is Rejected")
26
27 \quad n=40; \quad k=4; \quad n1=n2=n3=n4=ng=10
28 v <-n-k; v
29 MSE <-round (summary (fit) [[1]] [[3]] [[2]]); MSE
30 F_t<-3.79
31 \text{ w} \leftarrow F_t * \text{sqrt} (MSE/(ng)); w
32 DF < -data.frame (Bumper, 10, Mean, StDev)
33
34 library (ggplot2)
35 ggplot(DF,aes(x=Mean,y=Bumper))+geom_errorbar(aes(
      xmin=Mean-StDev, xmax=Mean+StDev), width=.2)+geom_
      line()+geom_point()
```

R code Exa 14.3 Comparing cholesterol lowering drugs

8

R code Exa 14.4 Comparing the lifetime number of jobs by educational level

```
1 ###page_no_549###
2 rm(list=ls())
3 Me1 < -c(10,9,12,16,14,17,13,9,11,15)
4 Me2 < -c(12,11,9,14,12,16,10,10,5,11)
5 Me3 < -c(15,8,7,7,7,9,14,15,11,13)
6 \text{ Me4} < -c(8,9,5,11,13,8,7,11,10,8)
7 Fe1<-c(7,13,14,6,11,14,13,11,14,12)
8 Fe2<-c(7,12,6,15,10,13,9,15,12,13)
9 Fe3<-c(5,13,12,3,13,11,15,5,9,8)
10 Fe4<-c(7,9,3,7,9,6,10,15,4,11)
11 factor <-c (rep ("Me1",10), rep ("Me2",10), rep ("Me3",10),
      rep("Me4",10),rep("Fe1",10),rep("Fe2",10),rep("
      Fe3",10),rep("Fe4",10))
12 x <-c
      (10,9,12,16,14,17,13,9,11,15,12,11,9,14,12,16,10,10,5,11,15,8,7,7
13
14 df <-data.frame(factor,x)</pre>
15 fit <-aov(lm(x~factor,data=df))</pre>
16 summary(fit)
```

Chi squared tests

R code Exa 15.1 Testing market shares

```
1 ##page_no_582###
 2 rm(list=ls())
3 p1=0.45; p2=0.4; p3=0.15
4 pr<-c(p1,p2,p3)
 5 \text{ f} < -c (102, 82, 16)
6 n = 200
7 e1<-n*p1;e1
8 e2 < -n * p2; e2
9 e3 < -n*p3; e3
10 \text{ e} < -c (e1, e2, e3); e
11 d<-f-e;d
12 c<-round(((d^2)/e),2);c
13 c_sq<-sum(c);c_sq
14 v = 2
15 if(c_sq<5.99)print("H0 may be accepted")else("H0 is
       rejected")
16 x <- rbind (f, e); x
17
18 names <-c ("actual", "expected")
19 \operatorname{name} \leftarrow \operatorname{c} (\mathrm{``A''}, \mathrm{``B''}, \mathrm{``C''})
20 barplot(x, names.arg=name, beside=T, space=c(0,1), main=
```

R code Exa 15.2 Relationship between undergraduate degree and MBA major

```
1 ###page_no_588###
2 rm(list=ls())
3 UG <-c ("BA", "BEng", "BBA", "Other")
4 Acc < -c (31, 8, 12, 10)
5 \text{ Fin} < -c (13, 16, 10, 5)
6 Mkt<-c(16,7,17,7)
7 r=4; c=3
9 x <-rbind (Acc, Fin, Mkt); x
10 \text{ colSums(x)}
11 major <-c ("Accounting", "Finance", "Marketing")
12 barplot(x, names.arg=UG, besid=T, space=c(0,0.5), main=
      "Bar Chart", xlab="Undergraduate degre", ylab="
      Frequency", col=c("blue", "red", "yellow"))
13 legend("topright",legend=major,fill=c("blue","red","
      yellow"), cex=0.5)
14
15 total <- (sum (Acc, Fin, Mkt)); total
16 p_Acc<-round((sum(Acc)/total),3);p_Acc</pre>
17 p_Fin<-round((sum(Fin)/total),3);p_Fin
18 p_Mkt <-round((sum(Mkt)/total),3);p_Mkt</pre>
19 p<-round((colSums(x)/total),3);p</pre>
20
21 e_Acc<-total*p_Acc*p;e_Acc
22 e_Fin <- total *p_Fin *p; e_Fin
23 e_Mkt<-total*p_Mkt*p;e_Mkt
24
```

Simple Linear Regression and Correlation

R code Exa 16.1 Annual Bonus and Years of Experience

```
1 ###page_no_620###
 2 rm(list=ls())
 3 \times (-c(1,2,3,4,5,6))
 4 \text{ y} < -c (6, 1, 9, 5, 17, 12)
 5 n=6
 6 \text{ sum}(x)
 7 sum(y)
 8 \text{ sum}(x*y)
 9 \text{ sum}(x^2)
10 s_xy < (sum(x*y) - ((sum(x)*sum(y))/n))/(n-1); s_xy
11 \quad var(x)
12 b1 <-s_xy/var(x); b1
13 \text{ mean}(x)
14 \text{ mean}(y)
15 b0 \leftarrow mean(y) - b1 + mean(x); b0
16 \text{ est_y} < -b0+b1*x; est_y
17 \text{ e} \leftarrow y - \text{est}_y; e
18 sum(e^2)
19 plot(x,y,type="p")
```

```
20 abline(lm(y^x))
```

R code Exa 16.2 Odometer reading and prices of used Toyota Camrys

```
1 ###page_no_623###
2 rm(list=ls())
3 n=100
4 sum_x<-3601.1
5 sum_y<-1484.1
6 sum_xy<-53155.93
7 sum_x_2<-133986.59
8 s_xy<-(1/(n-1))*(sum_xy-(sum_x*sum_y/n));s_xy
9 s_x_2<-(1/(n-1))*(sum_x_2-((sum_x)^2)/n);s_x_2
10
11 b1<-s_xy/s_x_2;b1
12 mean_x<-sum_x/n;mean_x
13 mean_y<-sum_y/n;mean_y
14 b0<-mean_y-(b1*mean_x);b0</pre>
```

R code Exa 16.3 Odometer reading and prices of used Toyota Camrys

```
1 ###page_no_633###
2 rm(list=ls())
3 n=100
4 sum_x<-3601.1
5 sum_y<-1484.1
6 sum_xy<-53155.93
7 sum_x_2<-133986.59
8 sum_y_2<-22055.23
9 s_xy<-(1/(n-1))*(sum_xy-(sum_x*sum_y/n));s_xy
10 s_x_2<-(1/(n-1))*(sum_x_2-((sum_x)^2)/n);s_x_2
11
12 s_y_2<-(1/(n-1))*(sum_y_2-((sum_y)^2)/n);s_y_2</pre>
```

```
13

14 SSE<-(n-1)*(s_y_2-((s_xy)^2/s_x_2)); SSE

15 s_e<-round((sqrt(SSE/(n-2))),4); s_e
```

R code Exa 16.4 Are Odometer reading and prices of used Toyota Camrys related

```
1 ###page_no_636###
2 rm(list=ls())
3 n = 100
4 sum_x<-3601.1
5 \text{ sum}_y < -1484.1
6 \quad sum_xy < -53155.93
7 \quad sum_x_2 < -133986.59
8 \quad sum_y_2 < -22055.23
9 s_{xy} < (1/(n-1))*(sum_xy - (sum_x*sum_y/n)); s_xy
10 s_x_2<-(1/(n-1))*(sum_x_2-((sum_x)^2)/n); s_x_2
11 s_y_2 < (1/(n-1))*(sum_y_2-((sum_y)^2)/n); s_y_2
12 b1<-round((s_xy/s_x_2),4);b1
13 SSE \leftarrow (n-1) * (s_y_2 - ((s_xy)^2/s_x_2)); SSE
14 s_e<-round((sqrt(SSE/(n-2))),4);s_e
15 \text{ beta1=0}
16
17 s_b1 \leftarrow round((s_e/sqrt((n-1)*s_x_2)),5);s_b1
18 t <- round (((b1-beta1)/s_b1),2);t
19
20 ifelse(t<-1.984, "HO may be accepted", "HO is
      rejected")
```

R code Exa 16.5 Measuring the strength of the Linear relationship between Odometer reading and prices of used Toyota Camrys

```
1 ###page_no_640###
```

```
2 rm(list=ls())
3 n=100
4 sum_x<-3601.1
5 sum_y<-1484.1
6 sum_xy<-53155.93
7 sum_x_2<-133986.59
8 sum_y_2<-22055.23
9 s_xy<-(1/(n-1))*(sum_xy-(sum_x*sum_y/n));s_xy
10 s_x_2<-(1/(n-1))*(sum_x_2-((sum_x)^2)/n);s_x_2
11 s_y_2<-(1/(n-1))*(sum_y_2-((sum_y)^2)/n);s_y_2
12
13 R_2<-(((s_xy)^2)/(s_x_2*s_y_2));R_2</pre>
```

R code Exa 16.6 Are Odometer reading and prices of used Toyota Camrys Linearly related

```
1 ###page_no_643###
2 rm(list=ls())
3 n = 100
4 sum_x<-3601.1
5 \text{ sum}_y < -1484.1
6 \text{ sum}_xy < -53155.93
7 \text{ sum}_x_2 < -133986.59
8 \quad sum_y_2 < -22055.23
9 s_{xy} < (1/(n-1))*(sum_xy - (sum_x*sum_y/n)); s_xy
10 s_x_2 < (1/(n-1))*(sum_x_2-((sum_x)^2)/n); s_x_2
11 s_y_2 < -(1/(n-1))*(sum_y_2-((sum_y)^2)/n); s_y_2
12 s_x<-sqrt(s_x_2);s_x
13 s_y<-sqrt(s_y_2);s_y
14
15 r < -round((s_xy/(s_x*s_y)), 4); r
16 t < -round((r*sqrt((n-2)/(1-r^2))), 2); t
```

R code Exa 16.7 Predicting the Price and estimating the mean price of used Toyota Camrys

```
1 ###page_no_649###
  2 rm(list=ls())
  3 n = 100
  4 x = 40
  5 \text{ sum}_x < -3601.1
  6 \quad sum_y < -1484.1
  7 \quad sum_xy < -53155.93
  8 \quad sum_x_2 < -133986.59
  9 \quad sum_y_2 < -22055.23
10 s_xy < (1/(n-1))*(sum_xy - (sum_x*sum_y/n)); s_xy
11 s_x_2 < -round(((1/(n-1))*(sum_x_2-((sum_x)^2)/n)),3);
                    s_x_2
12 s_y_2 < (1/(n-1))*(sum_y_2-((sum_y)^2)/n); s_y_2
13 b1 < -s_xy/s_x_2; b1
14 mean_x <- sum_x / n; mean_x
15 mean_y <- sum_y / n; mean_y
16 b0 < -mean_y - (b1 * mean_x); b0
17 SSE \leftarrow (n-1)*(s_y_2-((s_xy)^2/s_x_2)); SSE
18 s_e \leftarrow round((sqrt(SSE/(n-2))),4);s_e
19
20 \text{ est}_y < -17.25 - 0.0669 * x; est_y
21 t<-1.984
22
23 LL_a \leftarrow round((est_y - (t*s_e*(sqrt(1+(1/n)+((x-mean_x))))))
                    ^2/((n-1)*s_x_2)))))),3);LL_a
24 \quad UL_a \leftarrow round((est_y+(t*s_e*(sqrt(1+(1/n)+((x-mean_x))
                    ^2/((n-1)*s_x_2)))))),3);UL_a
25
26
27 LL_b \leftarrow round((est_y - (t*s_e*(sqrt((1/n) + ((x-mean_x)^2/mean_x))^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mean_x)^2/mea
                    ((n-1)*s_x_2)))))),3);LL_b
28 UL_b \leftarrow round((est_y + (t*s_e*(sqrt((1/n) + ((x-mean_x)^2/mean_x)))))
                    ((n-1)*s_x_2)))))),3);UL_b
```

Model Building

R code Exa 18.4 Testing for pay equity equal pay for work of equal value

```
1 ###page_no_735##
2 rm(list=ls())
3 job <-c("maintenance", "security", "gardener","</pre>
      technician", "cleaner", "secretatry", "bookstore", "
      cafeteria")
4 pay_rate<-c
      (13.55,15.65,13.8,19.9,11.85,14.75,18.9,13.3)
5 score <-c(3.25, 3.52, 3.3, 6.37, 2.95, 5.03, 4.6, 3.05)
6 gender <-c(1,1,1,1,0,0,0,0)
7 regression <-cbind (score, gender)</pre>
8 df <-data.frame(score, gender)</pre>
9
10 model <-lm(pay_rate score+gender)</pre>
11 summary (model)
12 fit <-aov(pay_rate~regression, data=df)</pre>
13 summary(fit)
```

R code Exa 18.5 Estimating the Probability of a Heart Attack among Diabetics

```
1 ###page_no_740##
    2 rm(list=ls())
    3 b0 = -2.15; b1 = 0.00847; b2 = 0.00214; b3 = 0.00539; b4
                                    =0.00989; b5=-0.288
   4 e=0
    5 \text{ ind} < -seq(1,5,1)
    6 \text{ x1} < -c(0,40,15,0,60)
    7 \text{ x2} < -c (200, 230, 210, 165, 320)
   8 \text{ x3} < -c(20,80,35,0,150)
   9 \text{ x4} < -c (48, 41, 62, 54, 66)
10 \times 5 < -c(1,0,0,1,0)
location = location 
12 \operatorname{est_y} \leftarrow \exp(\ln_y); \operatorname{est_y}
13 prob <- round (est_y/(est_y+1),4); prob
14
15 cbind (ind, x1, x2, x3, x4, x5, prob)
```

R code Exa 18.6 Estimating the Probability of Loan Repayment

```
1 ##page_no_743###
2 rm(list=ls())
3 b0=.1524; b1=.0281; b2=.0223; b3=.0152; b4=.0114
4 e=0
5 applicant<-c(1, 2,3)
6 x1<-c(27,48,37)
7 x2<-c(55,78,39)
8 x3<-c(6,3,12)
9 x4<-c(5,12,10)
10 ln_y<-b0+(b1*x1)+(b2*x2)+(b3*x3)+(b4*x4)+e;ln_y
11 est_y<-exp(ln_y);est_y
12 prob<-round(est_y/(est_y+1),4);prob
13
14 cbind(applicant,x1,x2,x3,x4,prob)</pre>
```

Nonparametric Statistics

R code Exa 19.1 Wilcoxon rank sum test

```
1 ####page_no_756###
 2 rm(list=ls())
3 \text{ s1} < -c(22,23,20)
4 \text{ s2} < -c (18, 27, 26)
 6 r <- rank (cbind(s1,s2)); r</pre>
 7 t1 < -sum(r[seq(1,3,1)]);t1
8 t2 < -sum(r[seq(4,6,1)]);t2
9 t<-t1
10
11 r_s1 < -combn(6,3); r_s1
12 r_s<-colSums(r_s1);r_s
13
14 \text{ r}_{s2} < -\text{combn}(6,3)
15 r_s2 < -(r_s2[, seq(20,1,-1)]); r_s2
16 r_s < -colSums(r_s2); r_s
17
18 p_t \leftarrow table(r_s)/20; p_t
19
20 print (" we cannot reject the hypothesis")
```

R code Exa 19.2 Comparing pharmaceutical painkillers

```
1 ###page_no_760###
2 rm(list=ls())
3 np<-c(3,5,4,3,2,5,1,4,5,3,3,5,5,5,4)
4 a<-c(4,1,3,2,4,1,3,4,2,2,2,4,3,4,5)
5 n1=n2=15
6 r<-rank(cbind(np,a));r
7 t1<-sum(r[seq(1,15,1)]);t1
8 t2<-sum(r[seq(16,30,1)]);t2
9 t<-t1
10 E_t<-n1*(n1+n2+1)/2;E_t
11 s_t<-round(sqrt(n1*n2*(n1+n2+1)/12),1);s_t
12 z<-round(((t-E_t)/s_t),2);z
13 p<-1-pnorm(1.83,0,1);p</pre>
```

R code Exa 19.3 Comparing the comfort of two midsize cars

```
11  z <-round ((x - (.5*n)) / (.5*sqrt(n)),2);z
12  if (z < 1.645) print ("may accept the hypothesis") else("
            reject the hypothesis")
13  p <-1-pnorm (2.29,0,1);p</pre>
```

R code Exa 19.4 Comparing Flextime and Fixed time Schedules

```
1 ###page_no_775###
2 rm(list=ls())
3 \text{ worker} \leftarrow \text{seq}(1,32,1)
4 a < -c
      (34,35,43,46,16,26,68,38,61,52,68,13,69,18,53,18,41,25,17,26,44,3
5 f<-c
      (31,31,44,44,15,28,63,39,63,54,65,12,71,13,55,19,38,23,14,21,40,3
6 n = 32
8 d<-a-f;d
9 m_d<-abs(d);m_d
10 r <- rank (m_d); r</pre>
11 t1 <- sum (r [d > 0]); t1
12 t2 < -sum(r[d<0]); t2
13
14 t<-t1
15 E_t < (n*(n+1)/4); E_t
16 \text{ s_t} < \text{round}(\text{sqrt}(n*(n+1)*(2*n+1)/24),2); s_t
17 z \leftarrow round(((t-E_t)/s_t), 2); z
18 if (z<1.96) print ("we fail to reject the H0") else ("we
       reject the HO")
19 p < -2*(1-pnorm(1.94,0,1));p
```

R code Exa 19.5 Comparing quality in three shifts

```
1 ###page_no_784###
2 rm(list=ls())
3 \text{ s1} < -c(4,4,3,4,3,3,3,3,2,3)
4 s2 < -c(3,4,2,2,3,4,3,3,2,3)
5 	ext{ s3} < -c(3,1,3,2,1,3,4,2,4,1)
6 n=30; n1=n2=n3=10
7
8 r<-rank(cbind(s1,s2,s3));r</pre>
9 t1 < -sum(r[seq(1,10,1)]);t1
10 t2 < -sum(r[seq(11,20,1)]);t2
11 t3 < -sum(r[seq(21,30,1)]);t3
12
13
14 H \leftarrow round(((12/(n*(n+1)))*(((t1^2)/n1)+((t2^2)/n2)+((
      t3^2)/n3)))-(3*(n+1)),2);H
  if (H<5.99) print ("fail to reject H0") else ("we reject
15
      H0")
16
17 print ("adjusted")
18 kruskal.test(list(s1,s2,s3))
```

R code Exa 19.6 Comparing managers evaluation of job applicants

```
1 ###page_no_790###
2 rm(list=ls())
3 manager<-seq(1,4,1)
4 a1<-c(2,1,2,2)
5 a2<-c(4,2,3,2)
6 a3<-c(2,2,2,3)
7 a4<-c(3,1,3,2)
8 a5<-c(3,2,3,5)
9 a6<-c(2,2,3,4)
10 a7<-c(4,1,5,5)
11 a8<-c(3,2,5,3)
12 b=8; k=4</pre>
```

```
13
14 r1<-rank(a1);r1
15 r2<-rank(a2);r2
16 r3<-rank(a3);r3
17 r4<-rank(a4);r4
18 r5<-rank(a5);r5
19 r6<-rank(a6);r6
20 r7<-rank(a7);r7
21 r8<-rank(a8);r8
22
23 r<-rbind(r1,r2,r3,r4,r5,r6,r7,r8);r
24 t <- colSums(r);t
25
26 F \leftarrow round((((12/(b*k*(k+1)))*(sum(t^2)))-(3*b*(k+1)))
  if (F<7.81) print ("may accept the H0") else ("reject H0"
27
      )
28
29 x<-rbind(a1,a2,a3,a4,a5,a6,a7,a8)
30 print ("adjusted for ties")
31 friedman.test(x)
```

R code Exa 19.7 Testing the Relationship between Aptitude Tests and Performance

```
7
8 r_a<-rank(a);r_a
9 r_p<-rank(p);r_p
10
11 s_ap<-((sum(r_a*r_p))-((sum(r_a)*sum(r_p))/n))/(n-1)
    ;s_ap
12 s_a<-sqrt((sum(r_a^2)-(sum(r_a)^2)/n)/(n-1));s_a
13 s_p<-sqrt((sum(r_p^2)-(sum(r_p)^2)/n)/(n-1));s_p
14
15 r<-s_ap/(s_a*s_p);r
16 z<-r*sqrt(n-1);z
17 p_value<-2*(1-pnorm(1.83,0,1));p_value</pre>
```

Chapter 20

Time Series Analysis And Forecasting

R code Exa 20.1 Gasoline Sales

R code Exa 20.2 Gasoline Sales

```
1 ###page_no_829###
2 rm(list=ls())
3 t < -seq(1,16,1)
4 gs<-c
      (39, 37, 61, 58, 18, 56, 82, 27, 41, 69, 49, 66, 54, 42, 90, 66)
5 ds<-data.frame(t,gs)</pre>
7 a=0.2
8 ds$a[1] <-ds$gs[1]
9 for(i in 2:16){
10
     ds$a[i] <-(1-a)*ds$a[i-1]+(a*ds$gs[i])
11
12 }
13 df1<-round(ds$a,1);df1
14
15 \quad a2=0.7
16 ds$a2[1] <-ds$gs[1]
17 for(i in 2:16){
     ds$a2[i] < -(1-a2)*ds$a2[i-1]+(a2*ds$gs[i])
18
19
20 }
21 df2<-round(ds$a2,1);df2
22
23 plot(gs,type="l",ylab="gasoline sales",xlab="Quarter
      ", col="green")
24 lines(df1,col="red")
25 lines(df2,col="grey")
26 legend("topleft",legend=c("gs","df1","df2"),fill=c("
      green","red","grey"),cex=0.5)
```

R code Exa 20.3 Hotel Quarterly Occupancy Rates

```
1 ###page_no_834###
```

```
2 rm(list=ls())
3 \text{ year} < -seq} (2003, 2007, 1)
4 quarter <- seq (1,4,1)
5 t < -seq(1,20,1)
6 y<-c
      (.561,.702,.8,.568,.575,.738,.868,.605,.594,.738,.729,.6,.622,.70
7 b0 = .639368; b1 = .005246
9 est_y <- round ((b0+b1*t),3); est_y</pre>
10 r <- round ((y/est_y),3);r</pre>
11
12 y2003<-r[seq(1,4,1)]; y2003
13 y2004<-r[seq(5,8,1)];y2004
14 y2005<-r[seq(9,12,1)];y2005
15 y2006 <- r [seq (13,16,1)]; y2006
16 y2007 <- r [seq (17,20,1)]; y2007
17
18 table <-rbind (y2003, y2004, y2005, y2006, y2007); table
19 q1<-mean(table[,1]);q1</pre>
20 q2<-mean(table[,2]);q2
21 q3<-mean(table[,3]);q3
22 q4<-mean(table[,4]);q4
23
24 i1<-round(q1,3);i1
25 i2<-round(q2,3);i2
26 i3<-round(q3,3);i3
27 i4<-round(q4,3);i4
28
29 plot(y,ylim=c(0,1),ylab="rate",xlab="quater",type="l
30 lines(est_y,col="red")
```

R code Exa 20.4 Comparing Forecasting Models

```
1 ###page_no_840###
2 rm(list=ls())
3 \text{ year} < -seq(2004,2007,1)
4 a_ts<-c(129,142,156,183)
5 \text{ m1} < -c (136, 148, 150, 175)
6 \text{ m2} < -c (118, 141, 158, 163)
7 \text{ m3} < -c (130, 146, 170, 180)
8 n=4
9
10 MAD1 <- sum (abs (a_ts-m1))/n; MAD1
11 SSE1 <- sum ((a_ts-m1)^2); SSE1
12
13 MAD2 \leftarrow sum(abs(a_ts-m2))/n; MAD2
14 SSE2 <- sum ((a_ts-m2)^2); SSE2
15
16 MAD3 < -sum(abs(a_ts-m3))/n; MAD3
17 SSE3 <- sum ((a_ts-m3)^2); SSE3
```

R code Exa 20.5 Forecasting Hotel Occupancy Rares

```
1 ###page_no_842##
2 rm(list=ls())
3 q<-seq(1,4,1)
4 t<-seq(21,24,1)
5 i<-c(.878,1.075,1.171,.876)
6 est_y<-round((.639+.00525*t),3);est_y
7 forecast<-round((est_y*i),3);forecast
8
9 cbind(q,t,est_y,i,forecast)</pre>
```

R code Exa 20.6 Forecasting changes to the consumer price index

```
1 ###page_no_843##
```

```
2 rm(list=ls())
3 \text{ year} < -seq} (1978, 2006, 1)
4 CPI<-c
      (65.2,72.6,82.4,90.9,96.5,99.6,103.9,107.6,109.7,113.6,118.3,123.
5 change <-c (NA
      ,11.3,13.5,10.4,6.2,3.2,4.4,3.5,1.9,3.6,4.1,4.8,5.4,4.2,3,3,2.6,2
 7 Y < -c
      (11.3,13.5,10.4,6.2,3.2,4.4,3.5,1.9,3.6,4.1,4.8,5.4,4.2,3,3,2.6,2
8 X<-c
      (13.5,10.4,6.2,3.2,4.4,3.5,1.9,3.6,4.1,4.8,5.4,4.2,3,3,2.6,2.8,2.
9 y < -Y/100
10 x < -X/100
11 df <-data.frame(y,x)</pre>
12 t < -lm(x^y, data = df)
13 summary(t)
14
15 est_y2007 < -.006954 + (.762155 * X[27]); est_y2007
```

Chapter 21

Statistical process control

R code Exa 21.1 Statistical process control at Lear seating

```
1 #####page_859####
2 rm(list=ls())
3 sample <-c
      (1,2,3,4,5,6,7,8,9,10,11,12,13,14,15,16,17,18,19,20,21,22,23,24,2
4 a <-c (501.02,501.65,504.34,501.1)
5 a1 < - mean (a)
6 \text{ a2} < -sd(a)
7 b <-c (499.8, 498.89, 499.47, 497.9)
8 b1 <-mean(b)
9 b2 < -sd(b)
10 \quad c < -c (497.12, 498.35, 500.34, 499.33)
11 c1 <-mean(c)
12 c2 < -sd(c)
13 \ d < -c (500.68, 501.39, 499.74,500.41)
14 d1 <-mean (d)
15 d2 < -sd(d)
16 \text{ e} < -c (495.87, 500.92, 498, 499.44)
17 e1 <-mean(e)
18 \text{ e} 2 < -sd(e)
19 f <-c (497.89,499.22,502.1,500.03)
```

```
20 f1 < -mean(f)
21 f2 < -sd(f)
g < -c (497.24,501.04,498.74,503.51)
23 g1 <-mean(g)
24 \text{ g2} < -\text{sd}(g)
25 h < -c (501.22,504.53,499.06,505.37)
26 h1 < -mean(h)
27 \text{ h2} < -sd(h)
i < -c (499.15, 501.11, 497.96, 502.39)
29 i1 < -mean(i)
30 i2 < -sd(i)
31 \quad j \leftarrow c (498.9, 505.99, 500.05, 499.33)
32 j1 < -mean(j)
33 j2<-sd(j)
34 \text{ k} < -c (497.38, 497.8, 497.57, 500.72)
35 \text{ k1} < -\text{mean}(k)
36 \text{ k2} < -sd(k)
37 \quad 1 < -c \quad (499.7, 500.99, 501.35, 496.48)
38 \quad 11 \leftarrow mean(1)
39 \ 12 < -sd(1)
40 \text{ m} < -c (501.44,500.46,502.07,500.5)
41 \text{ m1} < -\text{mean}(m)
42 \text{ m2} < -sd(m)
43 n < -c (498.26, 495.54, 495.21, 501.27)
44 \text{ n1} < -\text{mean}(n)
45 \text{ n2} < -sd(n)
46 \text{ o} < -c (497.57, 497, 500.32, 501.22)
47 o1 <-mean(o)
48 \quad o2 < -sd(o)
49 p < -c (500.95, 502.07, 500.6, 500.44)
50 p1 < -mean(p)
51 p2 < -sd(p)
52 \text{ q} < -c (499.7, 500.56, 501.18, 502.36)
53 q1 < -mean(q)
54 q2 < -sd(q)
55 \text{ r} < -c (501.57, 502.09, 501.18, 504.98)
56 r1 < -mean(r)
57 \text{ r2} < -sd(r)
```

```
58 \text{ s} < -c (504.2,500.92,500.02,501.71)
59 \text{ s1} < -\text{mean}(s)
60 \text{ s2} < -\text{sd}(\text{s})
61 \quad t < -c (498.61, 499.63, 498.68, 501.84)
62 t1 < -mean(t)
63 t2 < -sd(t)
64 \text{ u} < -c (499.05,501.82,500.67,497.36)
65 \text{ u1} < -\text{mean}(u)
66 u2 < -sd(u)
67 \text{ v} < -c (497.85, 494.08, 501.79, 501.95)
68 \text{ v1} \leftarrow \text{mean}(\text{v})
69 \text{ v2} < -sd(v)
70 w < -c (501.08, 503.12, 503.06, 503.56)
71 \text{ w1} < -\text{mean}(w)
72 \text{ w2} < -sd(w)
73 \times (-c)(500.75,501.18,501.09,502.88)
74 \times 1 < -mean(x)
75 \text{ x2} < -sd(x)
76 y <-c (502.03,501.44,498.76,499.39)
77 y1 < -mean(y)
78 y2 < -sd(y)
79
80 x_bar_j < -c(a1,b1,c1,d1,e1,f1,g1,h1,i1,j1,k1,l1,m1,n1)
        ,o1,p1,q1,r1,s1,t1,u1,v1,w1,x1,y1)
81 x_bar <-mean(x_bar_j)
82
83 s_j < -c(a2,b2,c2,d2,e2,f2,g2,h2,i2,j2,k2,12,m2,n2,o2,
       p2,q2,r2,s2,t2,u2,v2,w2,x2,y2)
84 S \leftarrow sqrt((sum((s_j)^2))/25);S
85
86 \quad \text{C} < -\text{mean} (x_bar)
87 LCL<-mean(x_bar)-3*(S/sqrt(4));LCL
88 UCL \leftarrow mean(x_bar) + 3*(S/sqrt(4)); UCL
89 library(qcc)
90 qcc(x_bar_j,type="xbar",sizes=4,std.dev=S,title="
       xbar chart", xlab="samples", ylab="sample mean")
```

R code Exa 21.2 Statistical process control at Lear seating

```
1 #####page_865####
2 rm(list=ls())
3 sample <-c
      (1,2,3,4,5,6,7,8,9,10,11,12,13,14,15,16,17,18,19,20,21,22,23,24,2
4 a < -c (501.02,501.65,504.34,501.1)
5 a1 <-mean(a)
6 a2 < -sd(a)
7 b < -c (499.8, 498.89, 499.47, 497.9)
8 b1 <-mean(b)
9 b2 < -sd(b)
10 \quad c < -c (497.12, 498.35, 500.34, 499.33)
11 c1 <-mean(c)
12 c2 < -sd(c)
13 \, d < -c (500.68, 501.39, 499.74, 500.41)
14 d1 < -mean(d)
15 d2 < -sd(d)
16 \text{ e} < -c (495.87, 500.92, 498, 499.44)
17 e1 <-mean(e)
18 \ e2 < -sd(e)
19 f \leftarrow c (497.89, 499.22, 502.1, 500.03)
20 f1 < -mean(f)
21 f2 < -sd(f)
22 g <-c (497.24,501.04,498.74,503.51)
23 g1 < -mean(g)
24 \text{ g2} < -sd(g)
25 h < -c (501.22,504.53,499.06,505.37)
26 h1 < -mean(h)
27 \text{ h2} < -sd(h)
i < -c (499.15,501.11,497.96,502.39)
29 i1 <-mean(i)
30 i2<-sd(i)
```

```
31 \text{ j} < -c (498.9, 505.99, 500.05, 499.33)
32 j1 < -mean(j)
33 j2<-sd(j)
34 \text{ k} < -c (497.38, 497.8, 497.57, 500.72)
35 \text{ k1} < -\text{mean}(k)
36 \text{ k2} < -sd(k)
37 \quad 1 < -c \quad (499.7, 500.99, 501.35, 496.48)
38 \quad 11 \leftarrow mean(1)
39 \ 12 < -sd(1)
40 \text{ m} < -c (501.44,500.46,502.07,500.5)
41 \text{ m1} < -\text{mean}(m)
42 \text{ m2} < -sd(m)
43 n < -c (498.26, 495.54, 495.21, 501.27)
44 n1<-mean(n)
45 \text{ n2} < -sd(n)
46 \quad o \leftarrow c \quad (497.57, 497, 500.32, 501.22)
47 o1 <-mean(o)
48 \quad o2 < -sd(o)
49 p < -c (500.95, 502.07, 500.6, 500.44)
50 p1 <-mean(p)
51 p2 < -sd(p)
52 q<-c(499.7,500.56,501.18,502.36)
53 q1 < -mean(q)
54 q2 < -sd(q)
55 \text{ r} < -c (501.57, 502.09, 501.18, 504.98)
56 \text{ r1} \leftarrow \text{mean}(r)
57 \text{ r2} < -sd(r)
58 \text{ s} < -c (504.2,500.92,500.02,501.71)
59 \text{ s1} < -\text{mean}(s)
60 \text{ s2} < -\text{sd}(\text{s})
61 \quad t < -c (498.61, 499.63, 498.68, 501.84)
62 t1 < -mean(t)
63 t2 < -sd(t)
64 \text{ u} < -c (499.05, 501.82, 500.67, 497.36)
65 \text{ u1} \leftarrow \text{mean}(\text{u})
66 \quad u2 < -sd(u)
67 \text{ v} < -c (497.85, 494.08, 501.79, 501.95)
68 \text{ v1} < -\text{mean}(\text{v})
```

```
69 \text{ v2} < -sd(v)
70 w < -c (501.08, 503.12, 503.06, 503.56)
71 \text{ w1} \leftarrow \text{mean}(\text{w})
72 \text{ w2} < -sd(w)
73 x < -c (500.75,501.18,501.09,502.88)
74 \times 1 < -mean(x)
75 \text{ x2} < -sd(x)
76 \text{ y} < -c (502.03,501.44,498.76,499.39)
77 \text{ y1} < -mean(y)
78 y2 < -sd(y)
79
80 x_bar_j < -c(a1,b1,c1,d1,e1,f1,g1,h1,i1,j1,k1,l1,m1,n1)
       ,o1,p1,q1,r1,s1,t1,u1,v1,w1,x1,y1)
81 x_bar <-mean(x_bar_j)
82
83 s_j < -c(a2,b2,c2,d2,e2,f2,g2,h2,i2,j2,k2,12,m2,n2,o2,
       p2,q2,r2,s2,t2,u2,v2,w2,x2,y2)
84 S \leftarrow sqrt((sum((s_j)^2))/25);S
85
x < -rbind(a,b,c,d,e,f,g,h,i,j,k,l,m,n,o,p,q,r,s,t,u,v)
       , w, x, y)
87 library(qcc)
88 qcc(x,type="S",center = 1.822,std.dev=S,xlab="
       Samples", ylab="Sample stDev")
```

R code Exa 21.3 Statistical process control at Lear seating

```
1 ###page_no_867###
2 rm(list=ls())
3 s1<-c(502.653,498.354,502.209,500.08)
4 s2<-c(501.212,494.454,500.918,501.855)
5 s3<-c(500.086,500.826,496.426,503.113)
6 s4<-c(502.994,500.481,502.996,503.113)
7 s5<-c(500.549,498.78,502.48,499.836)
8 s6<-c(500.441,502.666,502.569,503.248)</pre>
```

```
9
10 x<-rbind(s1,s2,s3,s4,s5,s6);x
11 s_j<-c(var(s1),var(s2),var(s3),var(s4),var(s5),var(s6));s_j
12 S<-sqrt(sum((s_j)^2))/6;S
13 library(qcc)
14 qcc(x,type="S",sizes=4,std.dev=S,center = 1.822,ylab = "stdev",xlab="sample")
15 qcc(x,type="xbar",std.dev=S,center= 500.296,xlab="sample",ylab="sample mean")</pre>
```

Chapter 22

Decision analysis

R code Exa 22.1 An investment decision

```
1 ###page_no_878###
2 rm(list=ls())
3 library(rpart)
4 library(rpart.plot)
5 \text{ son} < -c ("s1", "s2", "s3")
6 a1 <-c (100000, 100000, 100000)
7 \quad a2 < -c (-50000, 80000, 180000)
8 a3<-c(150000,90000,40000)
9
10 p<-factor(c(rep("a1",3),rep("a2",3),rep("a3",3)))
11 values <-c (a1, a2, a3)
12 df <-data.frame(p, son, values); df
13 library(collapsibleTree)
14 collapsibleTree(df, hierarchy=c("p", "son", "values"),
      collapsed=F)
15
16 p_son < -c(0.2, 0.5, 0.3)
17
18 EMV_a1 \leftarrow sum(p_son*a1); EMV_a1
19 EMV_a2 < -sum(p_son*a2); EMV_a2
20 EMV_a3 \leftarrow sum(p_son*a3); EMV_a3
```

```
21 SON \leftarrow c ("s1 0.2", "s2 0.5", "s3 0.3")
22 P<-factor(c(rep("a1 100000",3),rep("a2 84000",3),rep
      ("a3 87000",3)))
23
24
25 a1_ld<-c(50000,0,80000)
26 \text{ a2\_ld} < -c (200000, 20000, 0)
27 a3_ld<-c(0,10000,140000)
28
29 EOL_a1 <- sum (p_son * a1_ld); EOL_a1
30 \quad EOL_a2 < -sum(p_son*a2_ld); EOL_a2
31 EOL_a3<-sum(p_son*a3_ld); EOL_a3
32
33
34 Df <-data.frame(P,SON, values); Df
35 library(collapsibleTree)
36 collapsibleTree(Df, hierarchy=c("P", "SON", "values"),
      collapsed=F)
```