Scilab Textbook Companion for Control Systems by S. Ghosh¹

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Book Description

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Scilab numbering policy used in this document and the relation to the above book.

Exa Example (Solved example)

Eqn Equation (Particular equation of the above book)

AP Appendix to Example(Scilab Code that is an Appednix to a particular Example of the above book)

For example, Exa 3.51 means solved example 3.51 of this book. Sec 2.3 means a scilab code whose theory is explained in Section 2.3 of the book.

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Chapter 2

Laplace Transform and Matrix Algebra

Scilab code Exa 2.01.01 laplace

```
1 //laplace//
2 syms t s;
3 y=laplace('13',t,s);
4 disp(y,"ans=")
```

Scilab code Exa 2.01.02 laplace

```
1 //laplace//
2 syms t s;
3 y=laplace('4+5*%e^(-3*t)',t,s);
4 disp(y,"ans=")
```

Scilab code Exa 2.01.03 laplace

```
1 //laplace//
2 syms t s;
3 y=laplace('2*t-3*%e^(-t)',t,s);
4 disp(y,"ans=")
```

Scilab code Exa 2.03 value theorem

```
1 //value theorem//
2 p=poly([9 1], 's', 'coeff')
3 q=poly([3 7 1], 's', 'coeff')
4 f=p/q;
5 disp(f, "F(s)=")
6 x=s*f;
7 y=limit(x,s,0); // final value theorem
8 disp(y, "f(inf)=")
9 z=limit(x,s,%inf); // initial value theorem
10 disp(z, "f(0)=")
```

Scilab code Exa 2.04 ilaplace

```
1 //ilaplace//
2 s=%s
3 syms t;
4 disp((s+3)/((s+1)*(s+2)*(s+4)),"F(s)=")
5 [A]=pfss((s+3)/((s+1)*(s+2)*(s+4))) // partial fraction of F(s)
6 F1= ilaplace(A(1),s,t)
7 F2= ilaplace(A(2),s,t)
8 F3= ilaplace(A(3),s,t)
9 F=F1+F2+F3;
10 disp(F,"f(t)=")
```

Scilab code Exa 2.05.01 laplace

```
1 //laplace//
2 syms t s;
3 y= laplace('%e^(-t)+5*t+6*%e^(-3*t)',t,s);
4 disp(y,"ans=")
```

Scilab code Exa 2.05.02 laplace

```
1 //laplace//
2 syms t s;
3 y=laplace('5+6*t^2+3*%e^(-2*t)',t,s);
4 disp(y,"ans=")
```

Scilab code Exa 2.06 laplace

```
1 //laplace//
2 syms t s;
3 y=laplace('3- %e^(-3*t)',t,s);
4 disp(y,"ans=")
```

Scilab code Exa 2.07 laplace

```
1 //laplace//
2 syms t s w;
3 y=laplace('5*sin(w*t)+7*cos(w*t)',t,s);
4 disp(y,"ans=")
```

Scilab code Exa 2.11 value theorem

```
1 //value theorem//
2 p=poly([0.38],'s','coeff');
3 q=poly([0 0.543 2.48 1],'s','coeff');
4 F=p/q;
5
6 syms s;
7 x=s*F;
8 y=limit(x,s,0); // final value theorem
9 y=dbl(y);
10 disp(y,"f(inf)=")
11 z=limit(x,s,%inf) // // initial value theorem
12 z=dbl(z);
13 disp(z,"f(0)=")
```

Scilab code Exa 2.12 ilaplace

```
1 //ilaplace//
2 s=%s;
3 p=poly([3 1],'s','coeff');
4 q=poly([0 -1 -2],'s','roots');
5 F=p/q;
6 syms t s;
7 y=ilaplace(F,s,t);
8 disp(y,"f(t)=")
```

Scilab code Exa 2.13 ilaplace

```
1 //ilaplace//
2 s=%s;
3 p=poly([3 1],'s','coeff');
4 q=poly([0 -1 -1 -2],'s','roots');
5 f=p/q;
6 syms t s;
7 y=ilaplace(f,s,t);
8 disp(y,"f(t)=")
```

Chapter 3

Transfer Function

Scilab code Exa 3.02 laplace

```
1 //laplace//
2 syms t s;
3 f=%e^(-3*t);
4 y=laplace('%e^(-3*t)',t,s);
5 disp(y,"G(s)=")
```

Scilab code Exa 3.03 laplace

```
1 //laplace//
2 syms t s;
3 disp(%e^(-3*t), "g(t)=");
4 y1=laplace('%e^(-3*t)',t,s);
5 disp(y1, "G(s)=")
6 disp(%e^(-4*t), "r(t)=");
7 y2=laplace('%e^(-4*t)',t,s);
8 disp(y2, "R(s)=")
9 disp(y1*y2, "G(s)R(s)=")
```

Scilab code Exa 3.04 laplace

```
1 //laplace//
2 s=%s;
3 H=syslin('c',(4*(s+2)*((s+2.5)^3))/((s+6)*((s+4)^2))
    );
4 plzr(H)
```

Scilab code Exa 3.15 laplace

```
1 //laplace//
2 syms t s
3 y=laplace(%e^(-3*t)*sin(2*t),t,s);
4 disp(y,"ans=")
```

Scilab code Exa 3.16 laplace

```
1 //laplace//
2 syms t s;
3 x=6-4*%e^(-5*t)/5+%e^(-3*t) //Given step Response of the system
4 printf("Derivative of step response gives impulse response \n")
5 y=diff(x,t); //Derivative of step response
6 printf("Laplace Transform of Impulse Response gives the Transfer Function \n")
7 p=laplace(y,t,s);
8 disp(p,"Transfer Function=")
```

Scilab code Exa 3.17 laplace

Scilab code Exa 3.18 laplace

```
1 //laplace//
2 s=%s;
3 G=syslin('c',(5*(s+2))/((s+3)*(s+4)));
4 disp(G,"G(s)=")
5 x=denom(G);
6 disp(x,"Characteristics Polynomial=")
7 y=roots(x);
8 disp(y,"Poles of a system=")
```

Scilab code Exa 3.19 laplace

```
1 //laplace//
2 printf("Given: Poles are s=-3, Zeros are s=-2, Gain Factor(k)=5 \n ")
3 num=poly([-2], 's', 'roots');
4 den=poly([-3], 's', 'roots');
5 G=5*num/den;
```

```
6 disp(G,"G(s)=")
7 disp("Input is Step Function ")
8 syms t s;
9 R=laplace(1,t,s);
10 disp(R,"R(s)=")
11 printf("C(s)=R(s)G(s) \n")
12 C=R*G;
13 disp(C,"C(s)=")
14 c=ilaplace(C,s,t);
15 disp(c,"c(t)=")
```

Scilab code Exa 3.23 laplace

```
1 //laplace//
2 //pole zero plot for g(s)=(s^2+3s+2)/(s^2+7s+12)
3 s=%s;
4 p=poly([2 3 1],'s',"coeff")
5 q=poly([12 7 1],'s',"coeff")
6 V=syslin('c',p,q)
7 plzr(V)
8 syms s t;
9 v =ilaplace('(2+(3*s)+s^2)/(s^2+(7*s)+12)',s,t)
10 disp(v,"V(t)=')
```

Chapter 4

Control system Components

Scilab code Exa 4.01 laplace

```
1 //laplace//
2 printf("Given a) Excitation voltage(Ein)=2V \n b)
      Setting Ratio (a) = 0.4 \ n")
3 \text{ Ein=2};
4 disp(Ein, "Ein=")
5 a=0.4;
6 disp(a, "a=")
7 Rt = 10^3;
8 disp(Rt,"Rt=")
9 R1=5*10^3;
10 disp(R1, "Rl=")
11 printf ("Eo = (a*Ein)/(1+(a*(1-a)*Rt)/Rl) \n")
12 Eo = (a*Ein)/(1+(a*(1-a)*Rt)/R1);
13 \operatorname{disp}(Eo, "output voltage(E0)=")
14 printf ("e = ((a^2)*(1-a))/((a*(1-a))+(Rl/Rt)) \n")
15 e=((a^2)*(1-a))/((a*(1-a))+(R1/Rt));
16 disp(e, "loading error=")
17 printf ("E=Ein*e \ n")
18 E=Ein*e; //Voltage error=Excitation voltage(Ein)*
      Loading error (e)
19 disp(E, "Voltage error=")
```

Scilab code Exa 4.02 laplace

```
1 //laplace//
2 printf("n=5 , Helical turn \n")
3 n=5; //Helical turn
4 disp(n,"n=")
5 printf("N=9000, Winding Turn \n")
6 N=9000; // Winding Turn
7 disp(N,"N=")
8 printf("R=10000, Potentiometer Resistance \n")
9 R=10000; // Potentiometer Resistance
10 disp(R, "R=")
11 printf("Ein=90 ,Input voltage \n")
12 Ein=90; //Input voltage
13 disp(Ein, "Ein=")
14 printf("r=5050, Resistance at mid point \n")
15 r=5050; // Resistance at mid point
16 disp(r, "r=")
17 printf ("D=r-5000, Deviation from nominal at mid-
     point \n")
18 D=r-5000; // Deviation from nominal at mid-point
19 disp(D,"D=")
20 printf("L=D/R*100, Linearity \n")
21 L=D/R*100; // Linearity
22 disp(L,"L=")
23 printf("R=Ein/N, Resolution \n")
24 R=Ein/N; //Resolution
25 disp(R,"R=")
26 printf("Kp=Ein/(2*pi*n), Potentiometer Constant \n")
27 Kp=Ein/(2*%pi*n); //Potentiometer Constant
28 disp(Kp, "Kp=")
```

Scilab code Exa 4.03 laplace

```
1 //laplace//
2 printf("since S2 is the reference stator winding,
      Es2=KVcos0 \n where Es2 & Er are rms voltages \n
3 k=1
4 Theta = 60;
5 disp(Theta, "Theta=")
6 V=28;
7 \operatorname{disp}(V, "V(applied) =")
8 printf("Es2=V*cos(Theta) \n")
9 Es2=k*V*cos(Theta*(\%pi/180));
10 disp (Es2, "Es2=")
11 \operatorname{printf}("Es1=k*V*\cos(Theta-120)\n")
12 Es1=k*V*cos((Theta-120)*(\%pi/180)); // Given Theta
      =60 in degrees
13 \operatorname{disp}(\operatorname{Es1}, "\operatorname{Es1}=")
14 printf ("Es3=k*V*cos(Theta+120) \ n")
15 Es3=k*V*cos((Theta+120)*(\%pi/180));
16 disp (Es3," Es3=')
17 printf ("Es31=sqrt (3) *k*Er*sin (Theta)")
18 Es31=sqrt(3)*k*V*sin(Theta*(%pi/180));
19 disp(Es31, "Es31=")
20 printf("Es12=sqrt(3)*k*Er*sin((Theta-120)")
21 Es12=sqrt (3) *k*V*sin ((Theta -120) *(\%pi / 180));
22 disp (Es12, "Es12=')
23 printf ("Es23=sqrt (3) *k*Er*sin ((Theta+120)")
24 Es23=sqrt (3) *k*V*sin ((Theta+120) *(\%pi/180));
25 disp (Es23, "Es23=')
```

Scilab code Exa 4.04 laplace

```
1 //laplace//
2 printf("Sensitivity=5v/1000rpm \n")
```

```
3  Vg=5;
4  disp(Vg,"Vg=")
5  printf("w(in radians/sec)=(1000/60)*2*pi \n")
6  w=(1000/60)*2*%pi;
7  disp(w,"w=")
8  printf("Kt=Vg/w \n')
9  Kt=Vg/w;
10  disp(Kt,"Gain constant(Kt)=")
```

Scilab code Exa 4.05 laplace

```
1 //laplace//
 2 printf("Torque=KmVm=2 \n")
3 t=2;
4 disp(t, "Torque(t)=")
5 Fm = 0.2;
 6 disp(Fm, "Coefficient of Viscous friction(Fm)=")
7 N=4
8 I = 0.2
9 F1=0.05
10 printf("Wnl=t/Fm")
11 Wnl=t/Fm;
12 disp(Wnl, "No Load Speed(Wnl)=")
13 printf ("Fwt=I+(N^2*F1) \n")
14 Fwt=I+(N^2*F1);
15 disp(Fwt, "Total Viscous Friction(Fwt)=")
16 printf("Te=t-(Fwt*w) \setminus n")
17 Te=0.8 //load
18 w=(t-Te)/Fwt;
19 \operatorname{disp}(\mathbf{w}, \operatorname{Speed} \text{ of } \operatorname{Motor}(\mathbf{w})=\operatorname{"})
```

Chapter 6

Control system Components

Scilab code Exa 6.01 syslin

```
1 //syslin //
2 exec series.sce;
3 s=%s;
4 sys1=syslin('c',(s+3)/(s+1))
5 sys2=syslin('c',0.2/(s+2))
6 sys3=syslin('c',50/(s+4))
7 sys4=syslin('c',10/(s))
8 a=series(sys1,sys2);
9 b=series(a,sys3);
10 y=series(b,sys4);
11 y=simp(y);
12 disp(y,"C(s)/R(s)=")
```

Scilab code Exa 6.02 syslin

```
1 //syslin//
2 exec parallel.sce;
3 s=%s;
```

```
4 sys1=syslin('c',1/s)
5 sys2=syslin('c',2/(s+1))
6 sys3=syslin('c',3/(s+3))
7 a=parallel(sys1,sys2);
8 y=parallel(a,sys3);
9 y=simp(y);
10 disp(y,"C(s)/R(s)=")
```

Scilab code Exa 6.03 syslin

```
1 //syslin//
2 exec series.sce;
3 s=%s;
4 sys1=syslin('c',3/(s*(s+1)))
5 sys2=syslin('c',s^2/(3*(s+1)))
6 sys3=syslin('c',6/(s))
7 a=(-1)*sys3;
8 b=series(sys1,sys2);
9 y=b/.a // feedback operation
10 y=simp(y)
11 disp(y,"C(s)/R(s)=")
```

Scilab code Exa 6.04 syslin

```
1 //syslin//
2 exec parallel.sce;
3 syms G1 G2 G3 H;
4 a=series(G1,G2);
5 b=parallel(a,G3);
6 y=b/.H //negative feedback operation
7 y=simple(y)
8 disp(y,"C(s)/R(s)=")
```

Scilab code Exa 6.05 syslin

```
//syslin//
exec series.sce;
syms G1 G2 H1 H2 s;
a=G1/.H1; // negative feedback operation
b=a/.H2;// negative feedback operation
y=series(b,G2);
y=simple(y);
disp(y,"C(s)/R(s)=")
```

Scilab code Exa 6.06 syslin

```
1 //syslin//
2 exec parallel.sce;
3 exec series.sce;
4 syms G1 G2 G3 G4 G5 G6 H1 H2;
5 a=parallel(G3,G5);
6 b=parallel(a,-G4);
7 c=series(G1,G2);
8 d=c/.H1;
9 e=series(b,d);
10 f=e/.H2;
11 y=series(f,G6);
12 y=simple(y);
13 disp(y,"C(s)/R(s)=")
```

Scilab code Exa 6.07 syslin

```
1 // syslin //
2 exec series.sce;
3 syms G1 G2 G3 H1 H2 R X;
4 //putting x=0, then solving the block
5 a = G3/.H1;
6 b=series(G1,G2);
7 c=series(a,b);
8 x1=c/.H2;
9 C1=R*x1;
10 disp(x1, "C1(s)/R(s)=")
11 // putting r=0, then solving the block
12 d=series(G1,G2);
13 \text{ e=series(d,H2);}
14 f = G3/.H1;
15 \text{ x2=f/.e};
16 \quad C2 = X * x2;
17 disp(x2, "C2(s)/X(s)=")
18 //resultant output C=C1+C2
19 C = C1 + C2;
20 C = simple(C);
21 disp(C, "Resultant Output=")
```

Scilab code Exa 6.08 syslin

```
1 //syslin//
2 exec parallel.sce;
3 exec series.sce;
4 syms G1 G2 G3 H1 H2;
5 //shift the take-off point after the block G2
6 a=G3/G2;
7 b=parallel(a,1);
8 c=series(G1,G2);
9 d=c/.H1 //negative feedback operation
10 e=series(d,b);
11 y=e/.H2;
```

```
12 y=simple(y);
13 disp(y,"C(s)/R(s)=")
```

Scilab code Exa 6.09 syslin

Scilab code Exa 6.10 syslin

```
1 //syslin//
2 exec parallel.sce;
3 exec series.sce;
4 syms G1 G2 G3 G4 G5 H1 H2;
5 a=G2/.H1; //negative feedback operation
6 b=series(G1,a);
7 c=series(b,G3);
8 d=parallel(c,G4);
9 e=series(d,G5);
10 y=e/.H2; //negative feedback operation
11 y=simple(y);
```

```
12 disp(y, "C(s)/R(s)=")
```

Scilab code Exa 6.11 syslin

```
1 // syslin //
2 exec parallel.sce;
3 exec series.sce;
4 syms G1 G2 G3 G4 G5 G6 G7 H1 H2 H3;
5 a=parallel(G1,G2);
6 b=parallel(a,G3);
7 //shift the take off point to the right of the block
      G4
8 c=G4/.H1; //negative feedback operation
9 d = G5/G4;
              //negative feedback operation
10 e=parallel(d,1);
11 f=G6/.H2; //negative feedback operation
12 g=series(b,c);
13 h=series(g,e);
14 i=series(h,f);
15 \text{ j=series(i,G7);}
16 y=j/.H3;
17 y=simple(y);
18 disp(y, "C(s)/R(s) = ")
```

Scilab code Exa 6.12 syslin

```
1 //syslin//
2 exec series.sce;
3 exec parallel.sce;
4 syms G1 G2 G3 G4 H1 H2 H3;
5 //shift the take-off point after the block G1
6 a=G3/G1;
7 b=parallel(a,G2);
```

```
8 c=G1/.H1; // Negative Feedback Operation
9 d=1/b; // Negative Feedback Operation
10 e=parallel(d,H3);
11 f=series(e,H2);
12 g=series(c,b);
13 h=g/.f; // Negative Feedback Operation
14 y=series(h,G4);
15 y=simple(y);
16 disp(y,"C(s)/R(s)=")
```

Scilab code Exa 6.13 syslin

```
1 // syslin //
2 exec series.sce;
3 exec parallel.sce;
4 syms G1 G2 G3 G4 H1 H2;
5 //reduce the internal feedback loop
6 = G2/.H2;
7 // place the summer left to the block G1
8 b = G3/G1;
9 //exchange the summer
10 c=parallel(b,1);
11 d=series(a,G1);
12 \text{ e=series}(d,G4);
13 f=e/.H1;
14 y=series(c,f);
15 y=simple(y);
16 disp(y, "C(s)/R(s) = ")
```

Scilab code Exa 6.14 syslin

```
1 //syslin//
2 exec series.sce;
```

Scilab code Exa 6.15 syslin

```
1 // syslin //
2 exec series.sce;
3 exec parallel.sce;
4 syms G1 G2 G3 G4 H1 H2 H3;
5 //shift the take-off point to the right of the block
      H1
6 //shift the other take-off point to the right of the
       block H1 &H2
7 a=series(H1,H2);
8 b=1/a;
9 c = 1/H1;
10 d=G3/.a;
11 //move the summer to the left of the block G2
12 e = G4/G2;
13 f=series(d,G2);
14 //exchange the summer
15 \text{ g=f/.H1};
16 h=parallel(G1,e);
17 i=series(h,g);
```

```
18  j=series(a,H3);
19  y=i/.j;
20  y=simple(y);
21  disp(y,"C(s)/R(s)=")
```

Chapter 8

Time Domain Analysis of Control Systems

Scilab code Exa 8.02 Velocity

Scilab code Exa 8.03.01 coefficient

Scilab code Exa 8.03.02 coefficient

Scilab code Exa 8.03.03 coefficient

```
1  // coefficient //
2  p=poly([1 0.13 0.4], 's', 'coeff');
3  q=poly([0 0 5 3 1], 's', 'coeff');
4  G=10*p/q //gain FACTOR=10
5  H=0.8
6  y=G*H //type 2
7  //referring the table 8.2 given in the book ,for type 2  Kp=%inf & Kv=%inf
8  syms s
9  Ka=limit(s^2*y,s,0) //Ka=accelaration error coefficient
```

Scilab code Exa 8.03.04 coefficient

```
1 //coefficient//
2 s = poly (0, 's');
3 sys = syslin ('c',10/(s+2)); //G(s)H(s)
4 disp(sys, G(s)H(s))
5 F = 1/(1 + sys)
6 syms ts;
7 Co=limit(s*F/s,s,0) //\text{Ko=Lt s} > 0 (1/(1+G(s)H(S)))
8 d = diff(s*F/s,s)
9 C1=limit(diff(s*F/s,s),s,0) //K1=Lt s->0 (dF(s)/ds)
10 C2=limit(diff(d,s),s,0) //K2=Lt s->0 (d2F(s)/ds)
11 //given input is r(t)=1+2*t+(t^2)/2 \& R(s)=laplace(r)
      (t))
12 a=(1+2*t+(t^2)/2);
13 b=diff(a,t);
14 c=diff(b,t);
15 e=Co*a+C1*b+C2*c //error by dynamic coefficient
     method
```

Scilab code Exa 8.04 coefficient

```
1 //coefficient//
2 p=poly([4 1], 's', 'coeff');
3 q=poly([0 0 6 5 1], 's', 'coeff');
4 syms K real;
5 y=K*p/q //gain FACTOR=K
6 disp(y, "G(s)H(s)=")
7 //G(s)H(s)=y , and it is of type 2
8 //referring the table 8.2 given in the book, for type
       2 \text{ Kp}=\% \text{ inf } \& \text{ Kv}=\% \text{ inf}
9 printf("For type1 Kp=inf & Kv=inf \n")
10 syms A s t;
11 Ka=limit(s^2*y,s,0); //Ka=accelaration error
      coefficient
12 disp(Ka, "Ka=")
13 //given input is r(t)=A(t^2)/2 \& R(s)=laplace(r(t))
14 printf ("Given r(t)=A(t^2)/2 \setminus n")
15 R=laplace('A*t^2/2',t,s);
16 disp(R, "R(s)=")
17 //steady state error =Lt s\rightarrow 0 sR(S)/1+G(s)H(S)
18 e=limit(s*R/(1+y),s,0)
19 disp(e, "Ess=")
```

Scilab code Exa 8.05 coefficient

```
1 //coefficient//
2 p=poly([60], 's', 'coeff');
3 q=poly([12 7 1], 's', 'coeff');
4 G=p/q;
5 disp(G, "G(s)=")
6 H=1;
7 y=G*H
8 F=1/(1+y);
9 disp(F, "1/(1+G(s)H(s))=")
10 syms t s;
11 Ko=limit(s*F/s,s,0) //Ko=Lt s->0 (1/(1+G(s)H(S)))
```

```
12 d=diff(s*F/s,s);
13 K1=limit(diff(s*F/s,s),s,0) //K1=Lt s->0 (dF(s)/ds)
14 K2=limit(diff(d,s),s,0) //K2=Lt s->0 (d2F(s)/ds)
15 //given input is r(t)=4+3*t+8(t^2)/2 & R(s)=laplace(r(t))
16 a=(4+3*t+8*(t^2)/2)
17 b=diff(4+3*t+8*(t^2)/2,t)
18 c=diff(b,t)
19 e=Ko*a+K1*b+K2*c //error by dynamic coefficient method
20 disp(e,"error")
```

Scilab code Exa 8.06 coefficient

```
1 //coefficient//
2 s=poly(0, 's'); // Defines s as polynomial variable
3 F=syslin('c', [25/((s+1)*s)]); //Creates transfer
      function in forward path
4 B=syslin('c',(1+0*s)/(1+0*s)); // Creates transfer
      function in backward path
5 CL=F/.B // Calculates closed-loop transfer function
6 // compare CL with Wn^2/(s^2+2*zeta*Wn+Wn^2)
7 y=denom(CL) //extracting the denominator of CL
8 z=coeff(y) //extracting the coefficients of the
      denominator polynomial
9 //\text{Wn^2}=z(1,1) , comparing the coefficients
10 Wn = sqrt(z(1,1))
                              // Wm=natural frequency
11 / 2 * z e t a *W = z (1, 2)
12 zeta=z(1,2)/(2*Wn)
                                   // zeta=damping
      factor
13 Wd=Wn*sqrt(1-zeta^2)
14 Tp=%pi/Wd
15 Mp=100*exp((-\%pi*zeta)/sqrt(1-zeta^2))
```

Scilab code Exa 8.07 coefficient

```
1 //coefficient//
2 s=poly(0, 's'); // Defines s as polynomial variable
3 F=syslin('c',[20/(s^2+5*s+5)]); //Creates transfer
      function in forward path
4 B=syslin('c',(1+0*s)/(1+0*s)); // Creates transfer
      function in backward path
5 CL=F/.B // Calculates closed-loop transfer function
6 // compare CL with Wn^2/(s^2+2*zeta*Wn+Wn^2)
7 y=denom(CL) //extracting the denominator of CL
8 z=coeff(y) //extracting the coefficients of the
      denominator polynomial
9 //\text{Wn^2}=z(1,1) , comparing the coefficients
10 Wn = sqrt(z(1,1))
                               // Wm=natural frequency
11 / 2 * z e t a *Wn=z (1,2)
12 zeta=z(1,2)/(2*Wn)
                                   // zeta=damping
      factor
13 Wd=Wn*sqrt(1-zeta^2)
14 Tp=%pi/Wd //Tp=peak time
15 Mp=100*exp((-%pi*zeta)/sqrt(1-zeta^2)) //peak
      overshoot
16 \text{ Td} = (1+0.7*zeta)/Wn
                            //Td=delay time
17 a=atan(sqrt(1-zeta^2)/zeta)
18 Tr=(%pi-a)/Wd
                           //Tr=rise time
19 Ts=4/(zeta*Wn)
                            //Ts=settling time
```

Scilab code Exa 8.08 coefficient

```
1 // coefficient //
2 p=poly([140,35], 's', 'coeff');
3 q=poly([0 ,10 ,7 ,1], 's', 'coeff');
```

```
4 G=p/q
5 H=1
6 y=G*H //type 1
7 //refering the table 8.2 given in the book ,for type
        1 Kp=%inf & Ka=0
8 syms s
9 Kv=limit(s*y,s,0) //Kv= velocity error coefficient
10 //given input is r(t)=5*t & R(s)=laplace(r(t))
11 R=laplace('5*t',t,s)
12 //steady state error =Lt s->0 sR(S)/1+G(s)H(S)
13 e=limit(s*R/(1+y),s,0) //e=error for ramp input
14 disp(e,"steady state error")
```

Scilab code Exa 8.09 coefficient

```
1 //coefficient//
2 p=poly([40,20], 's', 'coeff');
3 q=poly([0,0,5,6,1], 's', 'coeff');
4 \text{ G=p/q};
5 \text{ H} = 1;
6 y=G*H; //type 2
7 \operatorname{disp}(y, \operatorname{"G}(s)H(s=")
8 //referring the table 8.2 given in the book , for type
        2 \text{ Kp}=\% \text{ inf } \& \text{ Kv}=\% \text{ inf}
9 syms s t;
10 Ka=limit(s^2*y,s,0) //Ka= accelaration error
      coefficient
11 //given input is r(t)=1+3t+t^2/2 \& R(s)=laplace(r(t))
12 R=laplace('(1+3*t+(t^2/2))',t,s)
13 //steady state error =Lt s->0 sR(S)/1+G(s)H(S)
14 e=limit(s*R/(1+y),s,0) //e=error for ramp input
15 disp(e, "steady state error")
```

Scilab code Exa 8.10 coefficient

```
1 //coefficient//
2 s = poly (0, 's')
3 sys = syslin ('c', (20)/(s^2+7*s+10))
4 a=sys/.(2*(s+1)) //simplifying the internal
      feedback loop
5 b=20*2*a;
6 disp(b, "G(s)")
7 c=1;
8 disp(c,"H(s)")
9 OL=b*c;
10 \operatorname{disp}(\mathsf{OL}, \mathsf{"G}(\mathsf{s})\mathsf{H}(\mathsf{s})\mathsf{"})
11 , "G(s)*H(s)")
12 syms t s;
13 Kp=limit(s*OL/s,s,0) //Kp=position error
      coefficient
14 Kv=limit(s*OL,s,0) //Kv= velocity error coefficient
15 Ka=limit(s^2*OL,s,0) //Ka= accelaration error
      coefficient
16 //given input r(t)=6
17 R=laplace('6',t,s)
18 //steady state error =Lt s->0 sR(S)/1+G(s)H(S)
19 e1=limit(s*R/(1+OL), s, 0); //e=error for given input
20 disp(e1, "error")
21 //given input r(t)=8t
22 M=laplace('8*t',t,s)
23 //steady state error =Lt s\rightarrow 0 sR(S)/1+G(s)H(S)
24 e2=limit(s*M/(1+OL),s,0); //e=error for given input
25 disp(e2, "error")
26 //given input r(t)=10+4t+3t^2/2
27 N=laplace('10+4*t+(3*t^2)/2',t,s)
28 //steady state error =Lt s->0 sR(S)/1+G(s)H(S)
29 e3=limit(s*N/(1+OL),s,0); //e=error for given input
```

```
30 disp(e3, "error")
```

Scilab code Exa 8.11 coefficient

```
1 //coefficient//
2 s = poly (0, 's')
3 sys1 = syslin ('c',(s)/(s+6));
4 sys2 = syslin ('c',(s+2)/(s+3));
5 \text{ sys3} = \text{syslin} ('c', (5)/((s+3)*s^3));
6 \quad a = sys2 + sys3;
7 \text{ disp(a,"}H(s)")
8 \text{ b=sys1};
9 disp(b, "G(S)")
10 y=a*b;
11 \operatorname{disp}(y, \operatorname{"G}(S)H(S)")
12 syms s
13 Kp=limit(s*y/s,s,0) //Kp= position error coefficient
14 Kv=limit(s*y,s,0) //Kv= velocity error coefficient
15 Ka=limit(s^2*y,s,0) //Ka= accelaration error
       coefficient
```

Scilab code Exa 8.12 coefficient

```
1 //coefficient//
2 s=%s;
3 syms k t;
4 y=k/((s+1)*s^2*(s+4));
5 disp(y,"G(s)H(s)=")
6 r=1+(8*t)+(18*t^2/2);
7 disp(r,"r(t)=")
8 R=laplace(r,t,s);
9 disp(R,"R(s)=")
10 e=limit((s*R)/(1+y),s,0)
```

```
11 disp(e,"Ess=")
12 printf('Given Ess = 0.8 \n")
13 e=0.8;
14 k=72/e;
15 disp(k,"k=")
```

Scilab code Exa 8.13 coefficient

```
1 //coefficient//
2 syms s t k;
3 s = poly ( 0, 's' );
4 y=k/(s*(s+2)); //G(s)H(s)
5 disp(y, "G(s)H(s)")
6 //R=laplace('0.2*t',t,s)
7 R=laplace('0.2*t',t,s)
8 e=limit(s*R/(1+y),s,0)
9 //given e<=0.02
10 a=[0.02];
11 b=[-0.4];
12 m=linsolve(a,b); //Solves The Linear Equation
13 disp(m, "k")</pre>
```

Scilab code Exa 8.14 coefficient

```
1 // coefficient //
2 syms s,t,k;
3 s=%s;
4 y=k/(s*(s+2)*(1+0.5*s)) //G(s)H(s);
5 disp(y,"G(s)H(s)")
6 //R=laplace('3*t',t,s);
7 R=laplace('3*t',t,s);
8 e=limit(s*R/(1+y),s,0);
9 disp(e," steady state error")
```

```
10 k=4; // given
11 y=e;
12 disp(y, "state state error when k=4")
```

Scilab code Exa 8.15 coefficient

```
1 //coefficient//
2 s = poly (0, 's');
3 sys = syslin ('c',180/(s*(s+6))) //G(s)H(s)
4 disp(sys, "G(s)H(s)")
5 syms t s;
6 //R=laplace('4*t',t,s)
7 R=laplace('4*t',t,s);
8 \text{ e=limit}(s*R/(1+sys),s,0);
9 y=dbl(e);
10 disp(y, "steady state error")
11 syms k real;
12 //value of k if error reduced by 6%;
13 e1=limit(s*R/(1+k/(s*(s+6))),s,0)
14 e1=0.94*e // -----2
15 //now solving these two equations
16 \ a=[47];
17 b = [-9000];
18 m=linsolve(a,b);
19 disp(m,"k")
```

Scilab code Exa 8.16 coefficient

```
1 //coefficient//
2 s=%s;
3 F=syslin('c',(81)/(s^2+6*s)); //Creates transfer
    function in forward path
```

```
4 B=syslin('c',(1+0*s)/(1+0*s)); //Creates transfer
     function in backward path
5 CL=F/.B // Calculates closed-loop transfer function
6 // compare CL with Wn^2/(s^2+2*zeta*Wn+Wn^2)
7 y=denom(CL) //extracting the denominator of CL
8 z=coeff(y) //extracting the coefficients of the
     denominator polynomial
9 //\text{Wn^2}=z(1,1) , comparing the coefficients
10 Wn = sqrt(z(1,1))
                             // Wm=natural frequency
11 //2*zeta*Wn=z(1,2)
12 zeta=z(1,2)/(2*Wn)
                                  // zeta=damping
     factor
13 Wd=Wn*sqrt(1-zeta^2)
14 Tp=%pi/Wd
                //Tp=peak time
15 Mp=100*exp((-%pi*zeta)/sqrt(1-zeta^2)) //peak
     overshoot
```

Scilab code Exa 8.17 coefficient

```
1 //coefficient//
2 s = %s;
3 F=syslin('c',(25)/(s^2+7*s)); // Creates transfer
      function in forward path
4 B=syslin('c',(1+0*s)/(1+0*s)); // Creates transfer
      function in backward path
5 k=20/25; //k=gain factor
  CL=k*(F/.B) // Calculates closed-loop transfer
7 // compare CL with Wn^2/(s^2+2*zeta*Wn+Wn^2)
8 y=denom(CL) //extracting the denominator of CL
9 z=coeff(y) //extracting the coefficients of the
      denominator polynomial
10 / \text{Wn}^2 = z(1,1) , comparing the coefficients
11 Wn = sqrt(z(1,1))
                               // Wm=natural frequency
12 / 2 * z e t a *Wn=z (1,2)
```

```
13 zeta=z(1,2)/(2*Wn)
                                     // zeta=damping
      factor
14 Wd=Wn*sqrt(1-zeta^2)
15 Tp=%pi/Wd //Tp=peak time
16 Mp=100*exp((-%pi*zeta)/sqrt(1-zeta^2)) //peak
      overshoot
17 Td = (1+0.7*zeta)/Wn
                            //Td=delay time
18 a=atan(sqrt(1-zeta^2)/zeta)
                             //Tr=rise time
19 Tr = (\%pi - a) / Wd
                             //Ts=settling time
20 \text{ Ts}=4/(\text{zeta}*\text{Wn})
21 //y(t) = expression for output
y = (20/25)*(1-(exp(-1*zeta*Wn*t)/sqrt(1-zeta^2))*sin(
      Wd*t+atan(zeta/sqrt(1-zeta^2))));
23 disp(y, "Y(t)")
```

Scilab code Exa 8.19 coefficient

```
1 //coefficient//
2 s = %s;
3 F=syslin('c',(144)/(s^2+12*s)); //Creates transfer
     function in forward path
4 B=syslin('c',(1+0*s)/(1+0*s)); // Creates transfer
     function in backward path
5 k=20/25; //k=gain factor
6 CL=k*(F/.B) // Calculates closed-loop transfer
     function
7 // compare CL with Wn^2/(s^2+2*zeta*Wn+Wn^2)
8 y=denom(CL) //extracting the denominator of CL
9 z=coeff(y) //extracting the coefficients of the
     denominator polynomial
10 / \text{Wn^2} = z(1,1) , comparing the coefficients
11 Wn = sqrt(z(1,1))
                             // Wm=natural frequency
12 / 2 * z e t a *Wn=z (1,2)
13 zeta=z(1,2)/(2*Wn)
                                   // zeta=damping
     factor
```

Scilab code Exa 8.20 coefficient

```
1 //coefficient//
2 ieee(2);
3 syms k T;
4 num=k;
5 \text{ den=s*(1+s*T)};
6 G=num/den;
7 \operatorname{disp}(G, "G(s)=")
8 H=1;
9 CL=G/.H;
10 CL=simple(CL);
11 \operatorname{disp}(CL, "C(s)/R(s)=") // Calculates closed-loop
      transfer function
12 // compare CL with Wn^2/(s^2+2*zeta*Wn+Wn^2)
13 [num,den]=numden(CL) //extracts num & den of
      symbolic function (CL)
14 den=den/T;
15 cof_a_0 = coeffs(den, 's', 0) // coeff of den of
      symbolic function (CL)
16 \text{ cof}_a_1 = \text{coeffs}(\text{den}, 's', 1)
17 / Wn^2 = cof_a_0, comparing the coefficients
18 Wn=sqrt(cof_a_0)
19 disp(Wn, "natural frequency Wn")
                                                    // Wn=
      natural frequency
20 / \cot a_1 = 2 * z e t a *Wn
```

Scilab code Exa 8.23.01 coefficient

```
1 //coefficient//
2 s= poly ( 0, 's' );
3 sys = syslin ('c',10/(s+2)); //G(s)H(s)
4 disp(sys,"G(s)H(s)")
5 F=1/(1+sys)
6 syms t s;
7 Co=limit(s*F/s,s,0) //Ko=Lt s->0 (1/(1+G(s)H(S)))
8 a=(3);
9 e=Co*a;
10 disp(e,"steady state error")
```

Scilab code Exa 8.23.02 coefficient

```
1 //coefficient//
2 s= poly ( 0, 's' );
3 sys = syslin ('c',10/(s+2)); //G(s)H(s)
4 disp(sys,"G(s)H(s)")
5 F=1/(1+sys)
6 syms t s;
7 Co=limit(s*F/s,s,0) //Ko=Lt s->0 (1/(1+G(s)H(S)))
8 d=diff(s*F/s,s)
9 C1=limit(diff(s*F/s,s),s,0) //K1=Lt s->0 (dF(s)/ds)
10 a=(2*t);
11 b=diff((2*t) ,t);
12 e=Co*a+C1*b;
13 disp(e," steadt state error")
```

Scilab code Exa 8.23.03 coefficient

```
1 // coefficient //
2 s= poly ( 0, 's' );
3 sys = syslin ('c',10/(s+2)); //G(s)H(s)
4 disp(sys,"G(s)H(s)")
5 F=1/(1+sys)
6 syms t s;
7 Co=limit(s*F/s,s,0) //Ko=Lt s->0 (1/(1+G(s)H(S)))
8 d=diff(s*F/s,s)
9 C1=limit(diff(s*F/s,s),s,0) //K1=Lt s->0 (dF(s)/ds)
10 C2=limit(diff(d,s),s,0) //K2=Lt s->0 (d2F(s)/ds)
11 a=((t^2)/2);
12 b=diff((t^2)/2 ,t);
13 c=diff(b,t);
14 e=Co*a+C1*b+C2*c;
15 disp(e,"steady state error")
```

Scilab code Exa 8.24 coefficient

```
1 //coefficient//
2 s= poly ( 0, 's' );
3 sys1 = syslin ('c',(s+3)/(s+5));
4 sys2= syslin ('c',(100)/(s+2));
5 sys3= syslin ('c',(0.15)/(s+3));
6 G=sys1*sys2*sys3*2*5
7 H=1;
8 y=G*H; //G(s)H(s)
9 disp(y, "G(s)H(s)")
10 F=1/(1+y)
11 syms t s;
12 Co=limit(s*F/s,s,0) //Ko=Lt s->0 (1/(1+G(s)H(S)))
13 d=diff(s*F/s,s)
14 C1=limit(diff(s*F/s,s),s,0) //K1=Lt s->0 (dF(s)/ds)
15 C2=limit(diff(d,s),s,0) //K2=Lt s->0 (d2F(s)/ds)
```

```
16 a=(1+(2*t)+(5*(t^2/2)));
17 b=diff(a ,t);
18 c=diff(b,t);
19 e=Co*a+C1*b+C2*c;
20 disp(e," steadt state error")
```

Scilab code Exa 8.32 coefficient

```
1 //coefficient//
2 s = %s;
3 sys=syslin('c',(9*(1+2*s))/(s^2+0.6*s+9));
4 disp(sys, "C(s)/R(s)=")
5 / given r(t)=u(t)
6 syms ts;
7 R=laplace('1',t,s);
8 disp(R,"R(s)=")
9 C=R*sys;
10 disp(C, "C(s)=")
11 c=ilaplace(C,s,t)
12 disp(c, "c(t)=")
13 G=9/(s^3+0.6*s^2);
14 disp(G, "G(s)=")
15 H=1;
16 y = 1 + G * H;
17 syms ts;
18 Kp=limit(s*G/s,s,0)
19 Kv = limit(s*G, s, 0)
20 Ka=limit(s^2*G,s,0)
21 R=laplace(((1+t+(t^2/2))),t,s)
22 //steady state error =Lt s\rightarrow 0 sR(S)/1+G(s)H(S)
23 e=limit(s*R/(1+y),s,0); //e=error for ramp input
24 disp(e, "steady state error(Ess)")
```

Chapter 9

Feedback Characteristics of control Systems

Scilab code Exa 9.01 calculates

```
1 //calculates//
2 s = %s;
3 \text{ G=syslin}('c',20/(s*(s+4)))
4 \text{ H=0.35};
5 y = G * H;
7 S=1/(1+y);
8 disp(S,"1/(1+G(s)*H(s))")
10 //given w=1.2
11 \quad w = 1.2
12 s = \%i * w
13 S=horner(S,s) //calculates value of S at s
14 a = abs(S)
15 disp(a, "sensitivity of open loop")
16
17 F = -y/(1+y)
18 disp(F,"(-G(s)*H(s))/(1+G(s)*H(s))")
19 S=horner(F,s) //calculates value of F at s
```

```
20 b=abs(S)
21 disp(b, "sensitivity of closed loop")
```

Scilab code Exa 9.02 calculates

```
1 //calculates//
2 s = %s;
3 sys1=syslin('c',9/(s*(s+1.8)));
4 syms Td;
5 \text{ sys2=1+(s*Td)};
6 sys3=sys1*sys2;
7 H = 1;
8 CL=sys3/.H; //Calculates closed-loop transfer
      function
9 disp(CL, "C(s)/R(s)")
10 // compare CL with Wn^2/(s^2+2*zeta*Wn+Wn^2)
11 [num,den]=numden(CL) //extracts num & den of
      symbolic function CL
12 \, \text{den=den/5};
13 cof_a_0 = coeffs(den, 's', 0) // coeff of den of
      symbolic function CL
14 \text{ cof}_a_1 = \text{coeffs}(\text{den}, 's', 1)
15 / Wn^2 = cof_a_0, comparing the coefficients
16 Wn=sqrt(cof_a_0)
17 disp(Wn, "natural frequency Wn")
                                                    // Wn=
      natural frequency
18 / cof_a_1 = 2*zeta*Wn
19 zeta=cof_a_1/(2*Wn)
20 zeta=1; disp(zeta, "for criticaly damped function zeta
      ")
21 Td = ((2*Wn) - 1.8)/9
22 \text{ Ts}=4/(\text{zeta}*\text{Wn});
23 \text{ Ts=dbl}(\text{Ts});
24 disp(Ts, "settling time Ts")
```

Scilab code Exa 9.03 calculates

```
1 //calculates//
2 s = \%s;
3 \text{ G=syslin}('c',40/(s*(s+4)))
4 \text{ H=0.50};
5 y = G * H;
6 S=1/(1+y);
7 disp(S,"1/(1+G(s)*H(s))")
8 //given w=1.3
9 w = 1.3
10 s = \%i * w
11 S=horner(S,s)
12 \quad a = abs(S)
13 disp(a, "sensitivity of open loop")
14 F = -y/(1+y)
15 disp(F,"(-G(s)*H(s))/(1+G(s)*H(s))")
16 S=horner(F,s)
17 b=abs(S)
18 disp(b, "sensitivity of closed loop")
```

Scilab code Exa 9.04 calculates

```
1 //calculates//
2 s=%s;
3 syms s;
4 syms Wn zeta A H real;
5 T=6.28;
6 Wn=(8*%pi)/T;
7 zeta=0.3
8 n=Wn^2;
9 d=s^2+2*zeta*Wn*s+Wn^2;
```

```
10 G1=n/d;
11 disp(G1,"G1(s)")
12 G=A*G1;
13 disp(G,"G(s)")
14 S1=(diff(G,A))*(A/G);
15 a=simple(S1);
16 disp(a,"open loop sensitivity for changes in A")
17 M=G/.H;
18 p=simple(M)
19 S2=(diff(p,A))*(A/p);
20 b=simple(S2);
21 disp(b,"closed loop sensitivity for changes in A")
22 S3=(diff(p,H))*(H/p);
23 c=simple(S3);
24 disp(c,"closed loop sensitivity for changes in H")
```

Scilab code Exa 9.05 calculates

```
1 //calculates//
2 s = %s;
3 sys1=syslin('c',(s+3)/s);
4 syms u rp k H RL;
5 \text{ num} 2 = u * RL * s * (s+2);
6 den2=(rp+RL)*(s+3);
7 sys2=num2/den2;
8 \text{ num3=k};
9 den3=s+2;
10 sys3=num3/den3;
11 \text{ sys=sys1*sys2*sys3};
12 disp(sys, "G(s) = ");
13 RL=10*10^3;
14 \text{ rp}=4*10^3;
15 sys=eval(sys)
16 sys=float(sys)
17 disp(sys, "sys=");
```

```
18 disp(H,"H(s)");
19 M=sys/.H //G(s)/1+G(s)H(S)
20 M=simple(M)
21 S=(diff(M,u))*(u/M);
22 S=simple(S);
23 disp(S,"system sensitivity due to variation of u=");
24 H=0.3;
25 u=12;
26 S=eval(S) //———eq 1
27 S=0.04;
28 k=((7/S)-7)/18; //from eq 1
29 disp(k,"K=")
```

Scilab code Exa 9.06 calculates

```
1 //calculates//
2 G = 210;
3 \text{ H=0.12};
4 syms Eo Er
5 printf("for closed loop system")
6 sys=G/.H; //Eo/Er=G/(1+GH)
7 disp(sys, "Eo/Er=")
8 Eo=240 //given
9 Er = Eo/8.0152;
10 disp(Er, "Er=")
11 printf("for open loop system")
12 disp(G, "Eo/Er=")
13 Er=Eo/G;
14 G = 210;
15 disp(Er, "Er=")
16 //printf("since G is reduced by 12%, the new value
      of gain is 784.8V");
17 S=1/(1+G*H)
18 \operatorname{disp}(S, "(\% \operatorname{change in M}) / (\% \operatorname{change in G}) = ")
19 disp(12, "%CHANGE IN G=")
```

```
20 y=12*0.03869;
21 disp(y,"%CHANGE IN M=")
22 printf("for open loop system")
23 disp(28.8*100/240,"%change in Eo")
```

Scilab code Exa 9.07 calculates

```
1 //calculates//
2 s = %s;
3 sys1=syslin('c',20/(s*(s+2)));
4 syms Kt;
5 \text{ sys2=Kt*s};
6 \text{ sys3=sys1/.sys2};
7 p=simple(sys3);
8 \text{ disp}(p, "G(s) = ")
9 H = 1;
10 sys=sys3/.H;
11 sys=simple(sys);
12 disp(sys,"C(s)/R(s)=")
13 [num, den] = numden(sys)
14 \text{ cof}_a_0 = \text{coeffs}(\text{den}, 's', 0) // \text{coeff} \text{ of den of}
       symbolic function CL
15 \text{ cof}_a_1 = \text{coeffs}(\text{den}, 's', 1)
16 / Wn^2 = cof_a_0, comparing the coefficients
17 Wn=sqrt(cof_a_0)
18 Wn = dbl(Wn);
19 disp(Wn,"natural frequency Wn=")
                                                        // Wn =
       natural frequency
20 / cof_a_1 = 2*zeta*Wn
21 \text{ zeta=cof}_a_1/(2*Wn)
22 zeta=0.6;
23 Kt = ((2*zeta*Wn)-2)/20;
24 disp(Kt, "Kt=")
25 Wd=Wn*sqrt(1-zeta^2);
26 disp(Wd, "Wd=")
```

```
27  Tp=%pi/Wd;
28  disp(Tp,"Tp=")
29  Mp=100*exp((-%pi*zeta)/sqrt(1-zeta^2));
30  disp(Mp,"Mp=")
31  Ts=4/(zeta*Wn);
32  disp(Ts,"Ts=")
```

Scilab code Exa 9.08 calculates

```
1 //calculates//
2 s = %s;
3 printf("1)zeta & Wn without Kd")
4 G=60*syslin('c',1/(s*(s+4)));
5 \text{ disp}(G, "G(S)=")
6 \text{ CL=G/.H};
7 disp(CL, "C(s)/R(s)=")
8 y=denom(CL) //extracting the denominator of CL
9 z=coeff(y) //extracting the coefficients of the
      denominator polynomial
10 / \text{Wn}^2 = z(1,1) , comparing the coefficients
11 Wn = sqrt(z(1,1))
                                   // Wm=natural frequency
12 / 2 * z e t a *Wn=z (1,2)
13 zeta=z(1,2)/(2*Wn)
14 sys1=syslin('c',1/(s*(s+4)));
15 syms Kd;
16 printf("2)Kd for zeta=0.60 with controller")
17 sys2=s*Kd;
18 \text{ sys3=sys1/.sys2};
19 G = sys3*60;
20 disp(G, "G(s)=")
21 \text{ H} = 1;
22 \text{ sys=G/.H};
23 disp(sys, "C(s)/R(s)=")
24 [num, den] = numden(sys)
25 \text{ cof}_a_0 = \text{coeffs}(\text{den}, 's', 0)
```

```
26 cof_a_1 = coeffs(den,'s',1)
27 //Wn^2 = cof_a_0, comparing the coefficients
28 Wn=sqrt(cof_a_0)
29 Wn=dbl(Wn);
30 disp(Wn,"natural frequency Wn=")
31 //cof_a_1 = 2*zeta*Wn
32 zeta = 0.60
33 Kd = (2*zeta*Wn) - 4
```

Scilab code Exa 9.09 calculates

```
1 //calculates//
2 s = %s;
3 printf("1) without controller")
4 G=syslin('c',120/(s*(s+12.63)));
5 \text{ disp}(G, "G(s)=")
6 \text{ H} = 1;
7 \text{ CL=G/.H};
8 disp(CL, "C(s)/R(s)=")
9 y=denom(CL) //extracting the denominator of CL
10 z=coeff(y) //extracting the coefficients of the
      denominator polynomial
11 / Wn^2 = z(1,1) , comparing the coefficients
12 Wn = sqrt(z(1,1));
13 disp(Wn, "Wn=")
                                // Wn=natural frequency
14 / 2 * z e t a *W = z (1, 2)
15 zeta=z(1,2)/(2*Wn);
16 disp(zeta, "zeta=")
17 printf("2) with controller')
18 G=syslin('c',(120*(30+s))/(s*(s+12.63)*30));
19 \operatorname{disp}(G, "G(s) = ")
20 \text{ CL=G/.H};
21 disp (CL, "C(s)/R(s)=")
22 den=denom (CL)
23 den=den/30 //extracting the denominator of CL
```

Scilab code Exa 9.10 calculates

```
1 //calculates//
2 s = %s;
3 printf("1) without controller")
4 G=64*syslin('c',1/(s*(s+4)));
5 \text{ disp}(G, "G(s)=")
6 \text{ H} = 1;
7 \text{ CL=G/.H};
8 disp(CL, "C(s)/R(s)=")
9 //Extracting the denominator of CL
10 y = denom(CL)
11 //Extracting the coefficients of the denominator
      polynomial
12 z = coeff(y)
13 / Wn^2 = z(1,1) , comparing the coefficients
14 Wn=sqrt(z(1,1));
15 //Wn=natural frequency
16 disp(Wn,"Wn=")
17 printf("2) with controller')
18 syms K;
19 sys1 = syslin('c', 1/(s*(s+4)));
20 sys2 = sys1 / (s*K);
```

```
21 G=64*sys2
22 disp(G, "G(s) = ")
23
24 sys=G/.H;
25 sys = simple(sys);
26 disp(sys,"C(s)/R(s)=")
27 [num, den]=numden(sys)
28 //Coeff of den of symbolic function CL
29 \quad cof_a_0 = coeffs (den, 's', 0)
30 \, \text{cof}_{-a_{-}1} = \text{coeffs}(\text{den}, 's', 1)
31 / Wn^2 = cof_a_0, comparing the coefficients
32 Wn=\operatorname{sqrt}(\operatorname{cof}_{-a}_{-0})
33 Wn=dbl(Wn);
34 //Wm=natural frequency
35 disp (Wn, "natural frequency Wn=")
36 / \cot a_1 = 2 * z e t a *Wn
37 \text{ zet } a = c \text{ of } a_1 / (2*Wn)
38 z e t a = 0.6;
39 k = (16 * zeta) - 4
40 disp(k, "K=")
```

Scilab code Exa 9.11 calculates

```
1 //calculates//
2 printf("2) with controller')
3 syms K;
4 sys1=syslin('c',1/(s*(s+1.2)));
5 sys2=sys1/.(s*K);
6 G=16*sys2;
7 G=simple(G)
8 disp(G,"G(s)=")
9 sys=G/.H;
10 sys=simple(sys);
11 disp(sys,"C(s)/R(s)=")
12 [num,den]=numden(sys)
```

```
13 den=den/5; //so that coeff of s^2=1
14 \operatorname{cof_a_0} = \operatorname{coeffs}(\operatorname{den}, 's', 0) // \operatorname{coeff} \operatorname{of} \operatorname{den} \operatorname{of}
        symbolic function CL
15 \text{ cof}_{-a_{-}1} = \text{coeffs}(\text{den}, 's', 1)
16 / Wn^2 = cof_a_0, comparing the coefficients
17 Wn=\operatorname{sqrt}(\operatorname{cof}_{-a}_{-0})
18 Wn=dbl(Wn);
19 \operatorname{disp}(\operatorname{Wn}, \operatorname{"natural frequency Wn="})
                                                                      // Wn =
        natural frequency
20 / cof_a_1 = 2*zeta*Wn
21 / z et a = c o f_a a_1 / (2*Wn)
22 z et a = 0.56;
23 k = (8 * z e t a) - 1.2
24 disp(k,"K=")
25 Wd=Wn*sqrt(1-zeta^2);
26 disp (Wd, "Wd=")
27 Tp=%pi/Wd;
28 disp(Tp, "Tp=")
29 Mp=100*\exp((-\%pi*zeta)/sqrt(1-zeta^2));
30 disp (Mp, "Mp=")
31 Ts = 4/(zeta*Wn);
32 disp(Ts,"Ts=")
```

Chapter 10

Stability

Scilab code Exa 6.0 coefficient

```
1 //coefficient//
2 ieee(2);
3 s = %s;
4 \text{ m=s^5+2*s^4+4*s^3+8*s^2+3*s+1}
5 r=coeff(m); //Extracts the coefficient of the
      polynomial
6 n=length(r);
7 routh=[r([6,4,2]);r([5,3,1])]
8 syms eps;
9 routh=[routh; eps,-det(routh(1:2,2:3))/routh(2,2),0];
10 routh=[routh;-det(routh(2:3,1:2))/routh(3,1),-det(
     routh(2:3,2:3))/routh(3,2),0];
11 routh=[routh; -det(routh(3:4,1:2))/routh(4,1),-det(
     routh (3:4,2:3) /routh (4,2),0;
12 routh=[routh; -det(routh(4:5,1:2))/routh(5,1),0,0];
13 disp(routh, "routh=")
14 //To check the stability
15 routh (4,1)=8-limit(5/eps,eps,0); //Putting the value
       of eps=0 in routh (4,1)
16 disp(routh(4,1), "routh(4,1)=")
17 routh (5,1) = limit (routh (5,1), eps, 0); // Putting the
```

```
value of eps=0 in routh (5,1)

18 disp(routh (5,1), "routh (5,1)=')

19 routh

20 printf("There are two sign changes of first column,

hence the system is unstable n")
```

Scilab code Exa 10.02.01 equation

```
1 //equation//
2 s = poly(0, "s");
3 p=poly([12], 's', 'coeff');
4 q=poly([0 2 4 1], 's', 'coeff');
5 G=p/q;
6 H=poly([0.5], 's', 'coeff');
7 //characteristic equation is 1+G(s)H(s)=0
8 y=1+G*H
9 r=numer(y)
10 disp('=0',r,"characteristics equation is")
```

Scilab code Exa 10.02.02 equation

```
1 //equation//
2 s = poly(0, "s");
3 p=poly([7], 's', 'coeff');
4 q=poly([ 2 3 1], 's', 'coeff');
5 G=p/q;
6 H=poly([0 1], 's', 'coeff');
7 //characteristic equation is 1+G(s)H(s)=0
8 y=1+G*H
9 r=numer(y)
10 disp('=0',r,"characteristics equation is")
```

Scilab code Exa 10.02.03 equation

```
1 //equation//
2 s = poly(0, "s");
3 G=syslin('c',2/(s^2+2*s))
4 H=syslin('c',1/s);
5 //characteristic equation is 1+G(s)H(s)=0
6 y=1+G*H
7 r=numer(y)
8 disp('=0',r,"characteristics equation is")
```

Scilab code Exa 10.03 equation

```
1 //equation//
2 s = %s;
3 \text{ m=s}^3+5*\text{s}^2+10*\text{s}+3;
4 r = coeff(m)
5 n=length(r);
6 routh=[r([4,2]);r([3,1])];
7 routh=[routh;-det(routh)/routh(2,1),0];
8 t=routh(2:3,1:2); //extracting the square sub block
      of routh matrix
9 routh=[routh; -\det(t)/t(2,1),0]
10 c = 0;
11 for i=1:n
12 if (routh(i,1)< 0)
13 c=c+1;
14 end
15 end
16 if (c>=1)
17 printf("system is unstable")
18 else ("system is stable")
```

Scilab code Exa 10.04 equation

```
1 //equation//
2 s = %s;
3 \text{ m=s^3+2*s^2+3*s+10};
4 r = coeff(m)
5 n=length(r);
6 routh=[r([4,2]);r([3,1])];
7 routh=[routh;-det(routh)/routh(2,1),0];
8 t=routh(2:3,1:2); //extracting the square sub block
      of routh matrix
9 routh=[routh; -det(t)/t(2,1),0]
10 c = 0;
11 for i=1:n
12 if (routh(i,1)<0)
13 c=c+1;
14 end
15 end
16 \text{ if } (c > = 1)
17 printf("system is unstable")
18 else ("system is stable")
19 end
```

Scilab code Exa 10.05.01 equation

```
1 //equation//
2 ieee(2)
3 s = %s;
4 \text{ m=s}^4+6*\text{s}^3+21*\text{s}^2+36*\text{s}+20
5 r = coeff(m)
6 n=length(r);
```

```
7 routh=[r([5,3,1]);r([4,2]),0]
8 routh=[routh;-det(routh(1:2,1:2))/routh(2,1),-det(
      routh(1:2,2:3))/routh(2,2),0];
9 routh=[routh; -\det (routh(2:3,1:2))/routh(3,1), -\det (
      routh(2:3,2:3))/routh(3,2),0];
10 routh = [routh; -det(routh(3:4,1:2))/routh(4,1),0,0];
11 disp(routh, "routh=")
12 c=0;
13 for i=1:n
14 if (routh(i,1)<0)
15 c = c + 1;
16 end
17 \text{ end}
18 \text{ if } (c > = 1)
19 printf("system is unstable")
20 else ("system is stable")
21 end
```

Scilab code Exa 10.05.02 equation

```
1 //equation//
2 s=%s;
3 m=s^5+6*s^4+3*s^3+2*s^2+s+1
4 r=coeff(m)
5 n=length(r)
6 routh=[r([6,4,2]);r([5,3,1])]
7 routh=[routh;-det(routh(1:2,1:2))/routh(2,1),-det(routh(1:2,2:3))/routh(2,2),0]
8 routh=[routh;-det(routh(2:3,1:2))/routh(3,1),-det(routh(2:3,2:3))/routh(3,2),0]
9 routh=[routh;-det(routh(3:4,1:2))/routh(4,1),-det(routh(3:4,2:3))/routh(4,2),0]
10 routh=[routh;-det(routh(4:5,1:2))/routh(5,1),0,0]
11 c=0;
12 for i=1:n
```

```
13 if (routh(i,1)<0)
14 c=c+1;
15 end
16 end
17 if(c>=1)
18 printf("system is unstable")
19 else ("system is stable")
20 end
```

Scilab code Exa 10.06 equation

```
1 //equation//
2 ieee(2)
3 s = %s;
4 \text{ m=s^5+2*s^4+4*s^3+8*s^2+3*s+1}
5 r=coeff(m); //Extracts the coefficient of the
      polynomial
6 n=length(r);
7 routh=[r([6,4,2]);r([5,3,1])]
8 syms eps;
9 routh=[routh; eps,-det(routh(1:2,2:3))/routh(2,2),0];
10 routh=[routh;-det(routh(2:3,1:2))/routh(3,1),-det(
     routh(2:3,2:3))/routh(3,2),0];
11 routh=[routh;-det(routh(3:4,1:2))/routh(4,1),-det(
     routh(3:4,2:3))/routh(4,2),0];
12 routh = [routh; -det(routh(4:5,1:2))/routh(5,1),0,0];
13 disp(routh, "routh=")
14 //To check the stability
15 routh (4,1)=8-limit(5/eps,eps,0); //Putting the value
       of eps=0 in routh (4,1)
16 disp(routh(4,1), "routh(4,1)=")
17 routh(5,1) = limit(routh(5,1),eps,0); //Putting the
      value of eps=0 in routh (5,1)
18 disp(routh(5,1)," routh(5,1)=')
19 routh
```

```
20~\mathrm{printf}\,("\,\mathrm{There}~\mathrm{are}~\mathrm{two}~\mathrm{sign}~\mathrm{changes}~\mathrm{of}~\mathrm{first}~\mathrm{column}\,, hence the \mathrm{system}~\mathrm{is}~\mathrm{unstable}~\mathrm{\changes}
```

Scilab code Exa 10.07 equation

```
1 //equation//
2 s = %s;
3 \text{ m=s^5+2*s^4+2*s^3+4*s^2+4*s+8}
4 routh=routh_t(m) //This Function generates the Routh
       table
5 c = 0;
6 \text{ for } i=1:n
7 if (routh(i,1)<0)</pre>
8 c = c + 1;
9
  end
10
     end
11
    if(c>=1)
       printf("system is unstable")
12
     else ("system is stable")
13
14
     end
```

Scilab code Exa 10.08 equation

```
routh=[routh;-det(routh(3:4,1:2))/routh(4,1),0,0]
10
     c=0;
    for i=1:n
11
       if (routh(i,1)<0)</pre>
12
13
          c=c+1;
14
       end
15
     end
     if(c>=1)
16
17
       printf("system is unstable")
     else ("system is stable")
18
19
     end
```

Scilab code Exa 11.08 value

```
1 //value//
2 s=%s;
3 H=syslin('c',(s+2)/((s+1)*s*(s+4)));
4 evans(H,100)
5 printf("From the graph we observed that, \n a)The no of loci ending at inf is 2 \n b)Three loci will start from s= 0,-1 & -4,\n c)One loci will end at -2 & remaining two will end at inf")
```

Scilab code Exa 10.09 equation

```
1 //equation//
2 ieee(2);
3 s=%s;
4 m=s^5+s^4+3*s^3+3*s^2+4*s+8
5 r=coeff(m); //Extracts the coefficient of the polynomial
6 n=length(r);
7 routh=[r([6,4,2]);r([5,3,1])]
```

```
8 syms eps;
9 routh=[routh; eps,-det(routh(1:2,2:3))/routh(2,2),0];
10 routh = [routh; -det(routh(2:3,1:2))/routh(3,1),-det(
     routh(2:3,2:3))/routh(3,2),0];
11 routh = [routh; -det(routh(3:4,1:2))/routh(4,1),-det(
     routh (3:4,2:3))/routh (4,2),0];
12 routh=[routh;-det(routh(4:5,1:2))/routh(5,1),0,0];
13 disp(routh, "routh=")
14 //To check the stability
15 routh(4,1)=limit(routh(4,1),eps,0); //Putting the
      value of eps=0 in routh (4,1)
16 disp(routh(4,1), "routh(4,1)=")
17 routh(5,1) = limit(routh(5,1),eps,0); //Putting the
      value of eps=0 in routh (5,1)
18 disp(routh(5,1)," routh(5,1)=')
19 routh
20 printf ("There are two sign changes of first column,
     hence the system is unstable \n")
```

Scilab code Exa 10.10 equation

```
1 //equation//
2 ieee(2);
3 syms s k;
4 m=s^4+4*s^3+7*s^2+6*s+k;
5 cof_a_0 = coeffs(m,'s',0);
6 cof_a_1 = coeffs(m,'s',1);
7 cof_a_2 = coeffs(m,'s',2);
8 cof_a_3 = coeffs(m,'s',3);
9 cof_a_4 = coeffs(m,'s',4);
10
11 r=[cof_a_0 cof_a_1 cof_a_2 cof_a_3 cof_a_4]
12
13 n=length(r);
14 routh=[r([5,3,1]);r([4,2]),0]
```

Scilab code Exa 10.11 equation

```
1 //equation//
2 ieee(2);
3 syms s k;
4 m = (24/100) *s^3 + s^2 + s + k;
5 cof_a_0 = coeffs(m, 's', 0);
6 cof_a_1 = coeffs(m, 's', 1);
7 \quad cof_a_2 = coeffs(m, 's', 2);
8 \text{ cof}_a_3 = \text{coeffs}(m, 's', 3);
9 r=[cof_a_0 cof_a_1 cof_a_2 cof_a_3]
10 n=length(r);
11 routh=[r([4,2]);r([3,1])]
12 routh=[routh; -det(routh)/routh(2,1),0]
13 t=routh(2:3,1:2); //extracting the square sub block
      of routh matrix
14 routh = [routh; -det(t)/routh(3,1),0]
15 disp(routh, "routh=");
16 routh(3,1)=0 //For marginaly stable system
17 k=1/0.24;
18 \operatorname{disp}(k, "K(\operatorname{marginal})=")
19 disp('=0',(s^2)+k,"auxillary equation")
20 \text{ s=sqrt}(-k);
21 disp(s, "Frequency of oscillation (in rad/sec)=")
```

Scilab code Exa 10.12 equation

```
1 //equation//
2 ieee(2);
3 syms p K s;
4 \text{ m=s^3+(p*s^2)+(K+3)*s+(2*(K+1))}
5 cof_a_0 = coeffs(m, 's', 0);
6 cof_a_1 = coeffs(m, 's', 1);
7 \text{ cof}_a_2 = \text{coeffs}(m, 's', 2);
8 \text{ cof}_a_3 = \text{coeffs}(m, 's', 3);
9 r=[cof_a_0 cof_a_1 cof_a_2 cof_a_3]
10 n=length(r);
11 routh=[r([4,2]);r([3,1])];
12 routh = [routh; -det(routh)/routh(2,1),0];
13 t=routh(2:3,1:2); //extracting the square sub block
      of routh matrix
14 routh=[routh; -det(t)/routh(3,1),0];
15 disp(routh, "routh=")
```

Scilab code Exa 10.13 equation

Scilab code Exa 10.14 equation

```
1 //equation//
2 ieee(2);
3 syms s k;
4 \text{ m=s}^4+6*\text{s}^3+10*\text{s}^2+8*\text{s}+\text{k};
5 cof_a_0 = coeffs(m, 's', 0);
6 \text{ cof}_a_1 = \text{coeffs}(m, 's', 1);
7 \cot_{a_2} = \operatorname{coeffs}(m, 's', 2);
8 \text{ cof}_a_3 = \text{coeffs}(m, 's', 3);
9 \text{ cof}_a_4 = \text{coeffs}(m, 's', 4);
10 r = [cof_a_0 cof_a_1 cof_a_2 cof_a_3 cof_a_4]
11 n=length(r);
12 routh=[r([5,3,1]);r([4,2]),0]
13 routh=[routh; -det(routh(1:2,1:2))/routh(2,1),-det(
      routh (1:2,2:3))/routh(2,2),0];
14 routh = [routh; -det(routh(2:3,1:2))/routh(3,1),-det(
      routh(2:3,2:3))/routh(3,2),0];
15 routh=[routh;-det(routh(3:4,1:2))/routh(4,1),0,0];
16 disp(routh, "routh=")
```

Scilab code Exa 10.15 equation

```
1 //equation//
2 ieee(2);
3 syms s T;
4 m=s^2+(2-T)*s+1
5 cof_a_0 = coeffs(m, 's',0);
6 cof_a_1 = coeffs(m, 's',1);
7 cof_a_2 = coeffs(m, 's',2);
8 r=[cof_a_0 cof_a_1 cof_a_2]
9 n=length(r);
10 routh=[r([3,1]);r(2),0];
11 routh=[routh;-det(routh)/routh(2,1),0];
12 disp(routh, "routh=")
```

Scilab code Exa 10.16 equation

```
1 //equation//
2 ieee(2)
3 s = %s;
4 \text{ m=s^6+2*s^5+7*s^4+10*s^3+14*s^2+8*s+8}
5 routh=routh_t(m);
6 disp(routh, "routh=")
    c=0;
8
    for i = 1 : n
9
        if (routh(i,1)<0)</pre>
10
          c = c + 1;
        end
11
12
     end
13
     if(c>=1)
        printf("system is unstable")
14
     else ("system is stable")
15
16
     end
```

Chapter 11

Root Locus Method

Scilab code Exa 11.01 value

```
1 //value//
2 s=%s;
3 sys1=syslin('c',1/(s+1));
4 evans(sys1,200)
5 printf("If k is varied from 0 to any value ,root locus varies from -k to 0 \n")
```

Scilab code Exa 11.02 value

```
1 //value//
2 s=%s;
3 sys1=syslin('c',(s+1)/(s+4));
4 evans(sys1,100)
5 printf("rootlocus begins at s=-4 & ends at s=-1")
```

Scilab code Exa 11.03 value

```
1 //value//
2 s=%s;
3 sys1=syslin('c',(s+3-%i)*(s+3+%i)/((s+2-%i)*(s+2+%i)));
4 evans(sys1,100)
5 printf("Rootlocus starts from s=-2+i & -2-i ends at s=-3+i &-3- i \n")
```

Scilab code Exa 11.04 value

```
1 // value //
2 s = %s;
3 \text{ H=syslin}('c',(s+1)/(s+2));
4 evans (H, 100)
5 printf(" Clearly from the graph it observed that
      given point -1+i & -3+i does not lie on the root
      locus \n")
6 // there is another process to check whether the
      points lie on the locus of the system
7 P = -1 + \%i;
             //P=selected point
8 k1=-1/real(horner(H,P))
9 Ns=H('num'); Ds=H('den');
                        //does not contains P as
10 roots(Ds+k1*Ns)
      particular root
             //P=selected point
11 P = -3 + \%i;
12 k2=-1/real(horner(H,P));
13 Ns=H('num'); Ds=H('den')
14 roots(Ds+k2*Ns)
                        //does not contains P as
      particular root
```

Scilab code Exa 11.05 value

```
1 // value //
```

Scilab code Exa 11.06 value

```
//value//
s=%s;
H=syslin('c',1/((s+1)*(s+5)));
vevans(H,100)
printf("Clearly from the graph it observed that given point -0.85 lies on the root locus \n")
// there is another process to check whether the points lie on the locus of the system
P=-3+5*%i; //P=selected point
k=-1/real(horner(H,P));
disp(k,"k=')
Ns=H('num');Ds=H('den');
roots(Ds+k*Ns) //contains P as particular root
```

Scilab code Exa 11.08 value

```
1 //value//
2 s=%s;
```

```
3 H=syslin('c',(s+2)/((s+1)*s*(s+4)));
4 evans(H,100)
5 printf("From the graph we observed that, \n a)The no
    of loci ending at inf is 2 \n b)Three loci will
    start from s= 0,-1 & -4,\n c)One loci will end at
    -2 & remaining two will end at inf")
```

Scilab code Exa 11.09 value

```
1 //value//
2 s=%s;
3 H=syslin('c',(s+2)/((s+1)*s*(s+4)));
4 evans(H,100)
```

Scilab code Exa 11.10 value

```
1 // value //
2 n=3;
3 disp(n, "no of poles=")
4 m = 1;
5 disp(m, "no of poles=")
6 q = 0;
7 0=((2*q)+1)/(n-m)*180;
8 disp(0,"q=")
9 q=1;
10 0=((2*q)+1)/(n-m)*180;
11 disp(0, "q=")
12
13 printf ("Centroid = ((sum of all real part of poles of
      G(s)H(s))-(sum of all real part of zeros of G(s)H(s))
      (s))/(n-m) \setminus n")
14 C = ((0-1-4)-(-2))/2;
15 disp(C, "centroid=")
```

Scilab code Exa 11.11 value

```
1 // value //
2 n=3;
3 disp(n, "no of poles=")
4 \text{ m=0};
5 disp(m, "no of poles=")
6 q = 0;
7 0=((2*q)+1)/(n-m)*180;
8 disp(0,"q=")
9 q=1;
10 0=((2*q)+1)/(n-m)*180;
11 disp(0,"q=")
12 q=2;
13 0=((2*q)+1)/(n-m)*180;
14 disp(0,"q=")
15
16 printf("Centroid = ((sum of all real part of poles of
      G(s)H(s))-(sum of all real part of zeros of G(s)H
      (s))/(n-m) \setminus n")
17 C = ((0-1-1)-(-0))/3;
18 disp(C, "centroid=")
```

Scilab code Exa 11.12 value

```
1 //value//
2 n=4;
3 disp(n,"no of poles=")
4 m=1;
5 disp(m,"no of poles=")
6 q=0;
```

Scilab code Exa 11.13 value

```
1 //value//
2 s=%s;
3 H=syslin('c',(s+2)/((s+1)*s*(s+3)));
4 plzr(H)
5 printf("There are two adjacent placed poles at s=0 & s=-1 \n")
6 printf("One breakaway point exists between s=0 & s =-1 \n")
```

Scilab code Exa 11.14 value

```
1 //value//
2 s=%s;
3 H=syslin('c',((s+2)*(s+4))/((s^2)*(s+5)));
4 plzr(H)
```

```
5 printf("There are two adjacent placed zeros at s=-2 &s=-4 \n") 6 printf("One breakin point exists between s=-2 & s=-4 \n")
```

Scilab code Exa 11.15 value

```
1 //value//
2 s=%s;
3 H=syslin('c',(s+6)/((s+1)*(s+3)));
4 plzr(H)
5 printf("There are two adjacent placed poles at s=-3 &s=-1 \n")
6 printf("One breakaway point exists between s=-3 & s=-1 \n")
7 printf("One breakin point exists to the left of zeros at s=-6 \n")
```

Scilab code Exa 11.16 value

```
1 //value//
2 s=%s;
3 H=syslin('c',1/((s+1)*s*(s+3)));
4 plzr(H)
5 printf("There are two adjacent placed poles at s=0 & s=-1 \n")
6 printf("One breakaway point exists between s=0 & s =-1 \n")
```

Scilab code Exa 11.17 value

```
1 // value //
2 s = %s;
3 \text{ H=syslin}('c',1/((s+1)*s*(s+3)));
4 evans (H, 100)
5 syms k;
6 m=s^3+6*s^2+8*s+k;
    cof_a_0 = coeffs(m, 's', 0);
       cof_a_1 = coeffs(m, 's', 1);
8
9
       cof_a_2 = coeffs(m, 's', 2);
       cof_a_3 = coeffs(m, 's', 3);
10
       r=[cof_a_0 cof_a_1 cof_a_2 cof_a_3]
11
12
13 n=length(r);
14 routh=[r([4,2]);r([3,1])];
15 routh=[routh; -det(routh)/routh(2,1),0];
16 t=routh(2:3,1:2); //extracting the square sub block
      of routh matrix
17 routh=[routh; -det(t)/t(2,1),0]
18 disp(48, "K(marginal)=")
19 \operatorname{disp}('=0', (6*s^2)+k, "auxillary equation")
20 \text{ k=48};
21 \text{ s=sqrt}(-k/6);
22 disp(s, "s=")
```

Scilab code Exa 11.19 value

```
1 //value//
2 s=%s;
3 H=syslin('c',1/((s+1+%i)*s*(s+1-%i)));
4 evans(H,100)
```

Scilab code Exa 11.20 value

```
1 //value//
2 s=%s;
3 H=syslin('c',1/((s+3)*s*(s+5)));
4 evans(H,100)
```

Scilab code Exa 11.21 value

```
1 //value//
2 s=%s;
3 H=syslin('c',1/((s+2+%i)*(s+1)*(s+2-%i)));
4 evans(H,100)
```

Scilab code Exa 11.22 value

```
1 //value//
2 s=%s;
3 num=real(poly([1],'s',"coeff"))
4 den=real(poly([-1,-2+%i,-2-%i],'s'))
5 H=num/den
6 evans(H,100)
7 k=1.5;
8 disp(k,"K(design)=")
9 //Kpure calculates the value of k at imaginary crossover
10 [K,Y]=kpure(H)
11 GM=K/k;
12 disp(GM,"value of k at imaginary crossover/k(design)=")
13 disp(GM,"gain margin=")
```

Scilab code Exa 11.23 value

```
1 // value //
2 s = %s;
3 H=syslin('c',1/(s*((s+3)^2)));
4 evans (H, 100)
5 \text{ K=25};
6 y = K * H; //---eq 1
7 disp(K*H, "G(s)H(s)=");
8 \mathtt{disp}('=1',K*H,"\bmod(G(s)H(s))");
9 //on solving eq 1 for s=\%i*w this we get an equation
10 w = poly(0, 'w');
11 \quad m = w^3 + 9 * w - 25
12 \quad n = roots(m)
13 s = \%i * n(1)
14 p=horner(y,s)
15 [R, Theta] = polar(p)
16 \text{ PM}=180+\text{Theta}
```

Scilab code Exa 11.25 value

```
1 //value//
2 s=%s;
3 H=syslin('c',1/((s+1)*s*(s+2)*(s+4)));
4 evans(H,100)
```

Scilab code Exa 11.26 value

```
1 //value//
2 s=%s;
3 H=syslin('c',(s+4)*(s+5)/((s+1)*(s+3)));
4 evans(H,100)
```

Scilab code Exa 11.27 value

```
1 // value //
2 s = \%s;
3 syms k Wn;
4 H=syslin('c',1/((s+3)^2*s));
5 evans(H,100) //root locus
6 printf("To determine the value of Wn \n")
7 disp(k*H, "G(s)H(s)=")
8 y=1+(k*H);
9 disp('=0',y,"1+G(s)H(s)")
10 evans (H, 100)
11 [num, den] = numden(y)
12
13
    cof_a_0 = coeffs(num, 's', 0);
       cof_a_1 = coeffs(num, 's', 1);
14
       cof_a_2 = coeffs(num, 's', 2);
15
       cof_a_3 = coeffs(num, 's', 3);
16
17
       r=[cof_a_0 cof_a_1 cof_a_2 cof_a_3]
18
19 n=length(r);
20 routh=[r([4,2]);r([3,1])];
21 routh = [routh; -det(routh)/routh(2,1),0];
22 t=routh(2:3,1:2); //extracting the square sub block
      of routh matrix
23 routh=[routh; -\det(t)/t(2,1),0]
24 //to obtain Wn
25 disp('=0',((6*s^2)+54),"auxillary eq")
26 p = (6*(s^2)) + k;
27 s = \%i * Wn
28 k = 54;
29 p = eval(p)
30 \text{ Wn} = \text{sqrt}(k/6)
31 printf("With gvn values of zeta adding a grid on
```

Scilab code Exa 11.28 value

```
1 //value//
2 s=%s;
3 H=syslin('c',1/((s+4)*s*(s+6)));
4 evans(H,100)
```

Chapter 12

Frequency Domain Analysis

Scilab code Exa 12.01 denominator polynomial

```
1 //denominator polynomial//
2 s=poly(0, 's'); // Defines s as polynomial variable
3 F=syslin('c', [225/((s+6)*s)]); //Creates transfer
     function in forward path
4 B=syslin('c',(1+0*s)/(1+0*s)); // Creates transfer
     function in backward path
5 CL=F/.B // Calculates closed-loop transfer function
6 // compare CL with Wn^2/(s^2+2*zeta*Wn+Wn^2)
7 y=denom(CL) //extracting the denominator of CL
8 z=coeff(y) //extracting the coefficients of the
      denominator polynomial
9 //\text{Wn^2}=z(1,1) , comparing the coefficients
                            // Wm=natural frequency
10 Wn = sqrt(z(1,1))
11 / 2 * z e t a *Wn=z (1,2)
12 zeta=z(1,2)/(2*Wn)
                                   // zeta=damping
     factor
13 Mr=1/(2*zeta*sqrt(1-zeta^2))
14 Wr=Wn*sqrt(1-zeta^2)
15 Wc=Wn*sqrt((1-2*zeta^2)+sqrt(4*zeta^4-4*zeta^2+2))
16 BW=Wc //BANDWIDTH
```

Scilab code Exa 12.02 denominator polynomial

```
1 //denominator polynomial//
2 s=poly(0, 's'); // Defines s as polynomial variable
3 F=syslin('c', [36/((s+8)*s)]); //Creates transfer
      function in forward path
4 B=syslin('c',(1+0*s)/(1+0*s)); // Creates transfer
      function in backward path
5 CL=F/.B // Calculates closed-loop transfer function
6 // compare CL with Wn^2/(s^2+2*zeta*Wn+Wn^2)
7 y=denom(CL) //extracting the denominator of CL
8 z=coeff(y) //extracting the coefficients of the
      denominator polynomial
9 //\text{Wn^2}=z(1,1) , comparing the coefficients
10 Wn = sqrt(z(1,1))
                                // Wm=natural frequency
11 / 2 * z e t a *Wn=z (1,2)
12 zeta=z(1,2)/(2*Wn)
                                   // zeta=damping
      factor
13 Mr=1/(2*zeta*sqrt(1-zeta^2))
14 \text{ Wr=Wn*sqrt}(1-zeta^2)
15 Wc=Wn*sqrt((1-2*zeta^2)+sqrt(4*zeta^4-4*zeta^2+2))
16 BW=Wc //BANDWIDTH
```

Scilab code Exa 12.03 denominator polynomial

```
1 //denominator polynomial//
2 s=poly(0,'s'); //Defines s as polynomial variable
3 F=syslin('c',[81/(s^2+7*s)]); //Creates transfer
    function in forward path
4 B=syslin('c',(1+0*s)/(1+0*s)); //Creates transfer
    function in backward path
5 CL=F/.B //Calculates closed-loop transfer function
```

```
6  // compare CL with Wn^2/(s^2+2*zeta*Wn+Wn^2)
7  y=denom(CL) //extracting the denominator of CL
8  z=coeff(y) //extracting the coefficients of the
    denominator polynomial
9  //Wn^2=z(1,1) ,comparing the coefficients
10  Wn=sqrt(z(1,1)) // Wn=natural frequency
11  //2*zeta*Wn=z(1,2)
12  zeta=z(1,2)/(2*Wn) // zeta=damping
    factor
13  Mr=1/(2*zeta*sqrt(1-zeta^2))
14  Wr=Wn*sqrt(1-zeta^2)
15  Wc=Wn*sqrt((1-2*zeta^2)+sqrt(4*zeta^4-4*zeta^2+2))
16  BW=Wc //BANDWIDTH
```

Scilab code Exa 12.04 denominator polynomial

```
1 //denominator polynomial//
2 //Defines s as polynomial variable
3 s = poly(0, 's');
4 // Creates transfer function in forward path
5 F = syslin('c', [81/((s+18)*s)]);
6 // Creates transfer function in backward path
7 B=syslin('c', (1+0*s)/(1+0*s));
8 // Calculates closed-loop transfer function
9 \text{ CL=F/.B}
10 // compare CL with Wn^2/(s^2+2*zeta*Wn+Wn^2)
11 y=denom(CL)//extracting the denominator of CL
12 //Extracting the coefficients of the denominator
      polynomial
13 z = coeff(y)
14 / Wn^2 = z(1,1) , comparing the coefficients
15 Wn = sqrt(z(1,1))
16 / 2 * z e t a *Wn=z (1,2)
17 zeta=z(1,2)/(2*Wn)
18 // zeta=damping factor
```

```
19 //NOTE= here sqrt(1-2zeta^2) becomes complex so the
        other solution is Wr=0 & Mr=1
20 Mr=1
21 Wr=0
22 Wc=Wn*((1-2*zeta^2)+sqrt(4*zeta^4-4*zeta^2+2))
23 BW=Wc //BANDWIDTH
```

Scilab code Exa 12.05 denominator polynomial

```
1 //denominator polynomial//
2 ieee(2);
3 syms k a;
4 \text{ num=k};
5 \text{ den=s*(a+s)};
6 G=num/den;
7 disp(G, "G(s)=")
8 \text{ H} = 1;
9 \text{ CL=G/.H};
10 CL=simple(CL);
11 disp(CL, "C(s)/R(s)=") // Calculates closed-loop
      transfer function
12 // compare CL with Wn^2/(s^2+2*zeta*Wn+Wn^2)
13 [num,den]=numden(CL); //extracts num & den of
      symbolic function (CL)
14 cof_a_0 = coeffs(den, 's', 0); // coeff of den of
      symbolic function (CL)
15 \text{ cof}_a_1 = \text{coeffs}(\text{den}, 's', 1);
16 / Wn^2 = cof_a_0, comparing the coefficients
17 Wn=sqrt(cof_a_0)
18 / cof_a_1 = 2*zeta*Wn
19 zeta=cof_a_1/(2*Wn)
20 Mr=1/(2*zeta*sqrt(1-zeta^2)) //-----1)
21 printf ("Given , Mr=1.25 \setminus n");
\frac{1}{2} //On solving eq (1) we get k=1.25 a^2----2
23 printf ("k=1.25*a^2 \ n")
```

```
24 \text{ Wr=Wn*sqrt}(1-2*zeta^2)
25 printf("Given, Wr=12.65 \setminus n");
26 //on soving eq (3), we get 2k-a^2=320---
27 printf("2k-a^2=320 \ n")
28 //now eq 2 &4 can be simultaneously soved to take
       out values of k &a
\frac{29}{\text{Let k=x \& a^2=y}}
30 A=[1,-1.25;2,-1]; // coefficient matrix
31 b = [0; 320];
32 \text{ m=A} \setminus b;
33 x=m(1,1);
34 k=x
35 y=m(2,1);
36 \text{ a=sqrt}(y)
37 Wn=dbl(eval(Wn));
38 \quad \mathtt{disp} \, (\mathtt{Wn} \, \mathtt{, "Wn}\!\!=\!")
39 zeta=dbl(eval(zeta));
40 disp(zeta, "zeta=')
41 Ts = 4/(zeta*Wn);
42 \operatorname{disp}(\operatorname{Ts}, "\operatorname{Settling Time}(\operatorname{Ts}) = ")
43 Wc=Wn((1-(2*zeta^2))+sqrt(4*zeta^4-4*zeta^2+2))
44 disp (Wc, "BW=")
```

Chapter 13

Bode Plot

Scilab code Exa 13.01 polynomial

```
//polynomial//
s=poly(0,'s'); //Defines s as polynomial variable
f=syslin('c',[20/(s+2)]) //Creates transfer function
    in forward path

B=syslin('c',(1+0*s)/(1+0*s)) //Creates transfer
    function in backward path

CL=F*B //Calculates open-loop transfer function
fmin=0.1; //Min freq in Hz
fmax=100; //Max freq in Hz
scf(1);clf;
bode(OL,fmin,fmax); //Plots frequency response of
    open-loop system in Bode diagram
show_margins(OL) //display gain and phase margin and
associated crossover frequencies
```

Scilab code Exa 13.02 polynomial

```
1 //polynomial//
```

```
2 s=poly(0, 's'); // Defines s as polynomial variable
3 F=syslin('c',[20/((2+s)*s)]); // Creates transfer
        function in forward path
4 B=syslin('c',(1+0*s)/(1+0*s)); // Creates transfer
        function in backward path
5 OL=F*B; // Calculates open-loop transfer function
6 fmin=0.01; // Min freq in Hz
7 fmax=20; // Max freq in Hz
8 scf(1); clf;
9 bode(OL, fmin, fmax); // Plots frequency response of
        open-loop system in Bode diagram
10 show_margins(OL) // display gain and phase margin and
        associated crossover frequencies
```

Scilab code Exa 13.03 polynomial

```
1 //polynomial//
2 s=poly(0, 's'); // Defines s as polynomial variable
3 F=syslin('c', [40/((2+s)*s*(s+5))]) // Creates
     transfer function in forward path
4 B=syslin('c',(1+0*s)/(1+0*s)) // Creates transfer
     function in backward path
5 OL=F*B; // Calculates open-loop transfer function
6 fmin=0.1; //Min freq in Hz
7 fmax=20; //Max freq in Hz
8 scf(1);clf;
9 bode (OL, fmin, fmax); // Plots frequency response of
     open-loop system in Bode diagram
10 [GainMargin, freqGM] = g_margin(OL) // Calculates gain
     margin [dB] and corresponding frequency [Hz]
11 [Phase, freqPM] = p_margin(OL) // Calculates phase [deg]
      and corresponding freq [Hz] of phase margin
12 PhaseMargin=180+Phase // Calculates actual phase
     margin [deg]
13 show_margins(OL) //display gain and phase margin and
```

Scilab code Exa 13.04 polynomial

Scilab code Exa 13.05 polynomial

10 show_margins(OL) //display gain and phase margin and associated crossover frequencies

Scilab code Exa 13.06 polynomial

```
//polynomial//
s=poly(0,'s'); // Defines s as polynomial variable
F=syslin('c',[(288*(s+4))/((s+2)*(144+4.8*s+s^2)*s)]) // Creates transfer function in forward path
B=syslin('c',(1+0*s)/(1+0*s)) // Creates transfer function in backward path
CL=F*B // Calculates open-loop transfer function
fmin=0.1; // Min freq in Hz
fmax=100; // Max freq in Hz
scf(1); clf;
bode(OL, fmin, fmax); // Plots frequency response of open-loop system in Bode diagram
show_margins(OL) // display gain and phase margin and associated crossover frequencies
```

Chapter 15

Nyquist Plot

Scilab code Exa 15.01 system

Scilab code Exa 15.02 system

```
//system//
s=%s;
sys=syslin('c',1/(s*(s+2)))
nyquist(sys)
show_margins(sys,'nyquist')
printf("Since P=0(no of poles in RHP)=Poles of G(s)H
    (s) \n here the number of zeros of 1+G(s)H(s) in
    the RHP is zero \n hence the system is stable")
```

Scilab code Exa 15.03 system

```
1 //system//
2 s=%s;
3 sys=syslin('c',1/(s^2*(s+2)))
4 nyquist(sys)
5 show_margins(sys,'nyquist')
6 printf("Since P=0(no of poles in RHP)=Poles of G(s)H
        (s) \n here the number of zeros of 1+G(s)H(s) in
        the RHP is not equal to zero \n hence the system
        is unstable")
```

Scilab code Exa 15.04 system

Scilab code Exa 15.05 system

```
1 //system//
2 s=%s;
3 sys=syslin('c',1/(s^2*(s+2)))
4 nyquist(sys)
```

```
5 show_margins(sys,'nyquist')
6 printf("Since P=0(no of poles in RHP)=Poles of G(s)H(s) \n here the number of zeros of 1+G(s)H(s) in the RHP is N>0 \n hence the system is unstable")
```

Scilab code Exa 15.06 system

Scilab code Exa 15.07 system

```
1 //system//
2 s=%s;
3 sys=syslin('c',12/(s*(s+1)*(s+2)))
4 nyquist(sys)
5 show_margins(sys,'nyquist')
6 gm=g_margin(sys)
7 if (gm<=0)
8 printf("system is unstable")
9 else
10 printf("system is stable");end;</pre>
```

Scilab code Exa 15.08 system

```
1 //system//
2 s = \%s;
3 sys = syslin('c', (30)/((s^2+2*s+2)*(s+3)))
4 nyquist(sys)
5 gm=g_margin(sys)
6 show_margins(sys,'nyquist')
7 printf("Since P=0(no of poles in RHP)=Poles of G(s)H
     (s) \  here the number of zeros of 1+G(s)H(s) in
     the RHP is zero \n Hence the system is stable")
8 if (gm <= 0)
    printf("system is unstable")
10 else
     printf("system is stable")
11
12
     end
```

Chapter 17

State Variable Approach

Scilab code Exa 17.03 funtion

```
1 //function//
2 s=%s;
3 //Creating cont-time transfer function
4 TFcont=syslin('c',3/(s^4+(2*s^3)+(3*s)+2))
5 SScont=tf2ss(TFcont)
6 //CCF form
7 [Ac,Bc,U,ind]=canon(SScont(2),SScon(3))
```

Scilab code Exa 17.04 funtion

```
1 //function//
2 s=%s;
3 TFcont=syslin('c',[(7 + 2*s + 3*(s^2))/(5 + 12*s + 5*(s^2) + s^3)])
4 SScont=tf2ss(TFcont)
5 [Ac,Bc,U,ind]=canon(SScont(2),SScont(3))
```

Scilab code Exa 17.06 funtion

```
1 //function//
2 s=%s;
3 //Creating cont-time transfer function
4 TFcont=syslin('c',[(5*(s+1)*(s+2))/((s+4)*(s+5))])
5 SScont=tf2ss(TFcont)
6 //CCF form
7 [Ac,Bc,U,ind]=canon(SScont(2),SScont(3))
```

Scilab code Exa 17.07 funtion

```
1 //function//
2 s=%s;
3 //Creating cont-time transfer function
4 TFcont=syslin('c',(s+1)/((s+2)*(s+5)*(s+3)))
5 SScont=tf2ss(TFcont)
6 //CCF form
7 [Ac,Bc,U,ind]=canon(SScont(2),SScont(3))
```

Scilab code Exa 17.08 funtion

```
1 //function//
2 s=%s;
3 //Creating cont-time transfer function
4 TFcont=syslin('c',(6)/((s+2)^2*(s+1)))
5 SScont=tf2ss(TFcont)
6 //CCF form
7 [Ac,Bc,U,ind]=canon(SScont(2),SScont(3))
```

Scilab code Exa 17.09 funtion

```
1 //function//
2 A=[0 1;-6 -5]
3 [Row Col]=size(A)//Size of a matrix
4 l=poly(0,'l');
5 m=l*eye(Row,Col)-A //lI-A
6 n=det(m) //To Find The Determinant of li-A
7 roots(n) //To Find The Value Of l
```

Scilab code Exa 17.10 funtion

```
1 //function//
2 A=[-2 1;0 -3]
3 B=[0;1]
4 C=[1 1]
5 s=poly(0,'s');
6 [Row Col]=size(A) //Size of a matrix
7 m=s*eye(Row,Col)-A //sI-A
8 n=det(m) //To Find The Determinant of si-A
9 p=inv(m) // To Find The Inverse Of sI-A
10 y=C*p*B; //To Find C*(sI-A)^-1*B
11 disp(y,"Transfer Function=")
```

Scilab code Exa 17.11 funtion

```
1 //function//
2 A=[0 1;-6 -5]
3 x=[1;0];
4 disp(x,"x(t)=')
5 s=poly(0,'s');
6 [Row Col]=size(A) //Size of a matrix
7 m=s*eye(Row, Col)-A //sI-A
```

```
//To Find The Determinant of si
8 n=det(m)
     -A
9 p=inv(m);
                        // To Find The Inverse Of sI-A
10 syms t s;
11 disp(p, "phi(s)=") // Resolvent Matrix
12 for i = 1:Row
13 for j=1:Col
14 //Taking Inverse Laplace of each element of Matrix
15 q(i,j)=ilaplace(p(i,j),s,t);
16 end;
17 end;
18 disp(q,"phi(t)=")//State Transition Matrix
19 r = inv(q);
20 r=simple(r); //To Find phi(-t)
21 disp(r,"phi(-t)=")
22 y=q*x; //x(t)=phi(t)*x(0)
23 \operatorname{disp}(y, "Solution To The given eq.=")
```

Scilab code Exa 17.12 funtion

```
1 //function//
2 A = [0 1; -6 -5]
3 B = [0;1]
4 x = [1; 0]
5 disp(x, "x(t) = ")
6 \text{ s=poly } (0, 's');
7 [Row Col] = size(A) // Size of a matrix A
8 m=s*eye(Row, Col)-A/sI-A
                       //To Find The Determinant of si-A
9 \text{ n=det (m)}
                       // To Find The Inverse Of sI-A
10 p = inv(m);
11 syms t s m;
12 disp(p, "phi(s)=") //Resolvent Matrix
13 for i = 1:Row
14 for j=1:Col
```

```
15 //Inverse Laplace of each element of Matrix(phi(s))
16 q(i,j)=ilaplace(p(i,j),s,t);
17 end;
18 end;
19 disp(q,"phi(t)=") //State Transition Matrix
20 t = (t - m);
                      //At t=t-m , evaluating q i.e phi(t-m
21 q = e val(q)
22 //Integrate q w.r.t m(Indefinite Integration)
23 r=integ(q*B,m)
24 m=0
                     //Upper limit is t
25 \text{ g}=\text{eval}(r)
                     //Putting the value of upper limit in
26 m=t
                     //Lower Limit is 0
                     //Putting the value of lower limit in
27 h=eval(r)
28 y=(h-g);
29 disp (y, "y=")
30 \operatorname{printf}("x(t) = \operatorname{phi}(t) * x(0) + \operatorname{integ}(\operatorname{phi}(t-m) * B) \text{ w.r.t}
      m from 0 t0 t \n")
31 //x(t) = phi(t) *x(0) + integ(phi(t-m)*B) w.r.t m from 0
      t0 t
32 y1 = (q * x) + y;
33 disp(y1, "x(t)=")
```

Scilab code Exa 17.13 funtion

```
1 //function//
2 A=[3 0;2 4]
3 B=[0;1]
4 Cc=cont_mat(A,B);
5 disp(Cc, "Controlability Matrix=")
6 //To Check Whether the matrix(Cc) is singular i.e determint of Cc=0
7 if determ(Cc)==0;
```

```
8  printf("Since the matrix is Singular, the system
        is not controllable \n");
9  else;
10  printf("The system is controllable \n")
11  end;
```

Scilab code Exa 17.14 funtion

```
//function//
A=[-2 1;0 -3]
B=[4;1]
C=[1 0]
[0]=obsv_mat(A,C);
disp(0,"Observability Matrix=")
//To Check Whether the matrix(Cc) is singular i.e determint of Cc=0
if determ(0)==0;
printf("Since the matrix is Singular, the system is not Observable \n");
else;
printf("The system is Observable \n")
end;
```

Scilab code Exa 17.16 funtion

```
1 //function//
2 s=%s;
3 //Creating cont-time transfer function
4 TFcont=syslin('c',((5*s^2)+(2*s)+6)/(s^3+(7*s^2)+(11*s)+8))
5 SScont=tf2ss(TFcont)
6 //CCF form
7 [Ac,Bc,U,ind]=canon(SScont(2),SScont(3))
```

Scilab code Exa 17.17 funtion

```
1 //function//
2 s=%s;
3 //Creating cont-time transfer function
4 TFcont=syslin('c',(8)/(s*(s+2)*(s+3)))
5 SScont=tf2ss(TFcont)
6 //CCF form
7 [Ac,Bc,U,ind]=canon(SScont(2),SScont(3))
```

Scilab code Exa 17.18 funtion

```
1 //function//
2 s=%s;
3 //Creating cont-time transfer function
4 TFcont=syslin('c',(8)/(s*(s+2)*(s+3)))
5 SScont=tf2ss(TFcont)
6 //CCF form
7 [Ac,Bc,U,ind]=canon(SScont(2),SScont(3))
```

Scilab code Exa 17.19 funtion

```
1 //function//
2 A=[0 1;-3 -4]
3 B=[0;1]
4 C=[1 0]
5 x=[0;0]
6 disp(x,"x(t)=')
7 s=poly(0,'s');
```

```
8 [Row Col] = size(A)
                         //Size of a matrix A
9 m=s*eye(Row, Col)-A //sI-A
10 \quad n = det(m)
                         //To Find The Determinant of si-
      Α
11 p=inv(m);
                         // To Find The Inverse Of sI-A
12 syms t s m;
13 disp(p, "phi(s)=") //Resolvent Matrix
14 for i = 1:Row
15 for j=1:Col
16 //Taking Inverse Laplace of each element of Matrix(
      phi(s)
17 q(i,j)=ilaplace(p(i,j),s,t);
18 end;
19 end;
                             //State Transition Matrix
20 disp(q,"phi(t)=")
21 t = (t - m)
22 = \text{eval}(q) //At t=t-m, evaluating q i.e phi(t-m)
23 r=integ(q*B,m)//Integrate q w.r.t m (Indefinite
      Integration)
24 m=0
                   //Upper limit is t
25 \text{ g} = \text{eval}(r)
                 //Putting the value of upper limit in q
26 m=t
                //Lower Limit is 0
27 h=eval(r)
               //Putting the value of lower limit in q
28 y=(h-g);
29 printf("x(t) = phi(t)*x(0) + integ(phi(t-m)*B) w.r.t
      m from 0 t0 t \n")
30 //x(t) = phi(t) *x(0) + integ(phi(t-m)*B) w.r.t m from
      0 t0 t
31 \quad y1 = (q * x) + y;
32 \operatorname{disp}(y1, "x(t) = ")
33 y2=C*y1;
34 \operatorname{disp}(y2,"Output Response=")
```

Scilab code Exa 17.20 funtion

```
//function//
A=[0 1;-2 0]
B=[0;3]
Cc=cont_mat(A,B);
disp(Cc,"Controlability Matrix=")
//To Check Whether the matrix(Cc) is singular i.e determint of Cc=0
fideterm(Cc)==0;
printf("Since the matrix is Singular, the system is not controllable \n");
else;
printf("The system is controllable \n")
end;
```

Scilab code Exa 17.21 funtion

```
//function//
A=[-3 0;0 -2]
B=[4;1]
C=[2 0]
[0]=obsv_mat(A,C);
disp(0,"Observability Matrix=")
//To Check Whether the matrix(Cc) is singular i.e determint of Cc=0
if determ(0)==0;
printf("Since the matrix is Singular, the system is not Observable \n");
else;
printf("The system is Observable \n")
end;
```

Scilab code Exa 17.22 funtion

```
1 //function//
2 ieee(2)
3 A = [-3 \ 0 \ 0; 0 \ -1 \ 1 ; 0 \ 0 \ -1]
4 B = [0;1;0]
5 s = poly(0, 's');
6 [Row Col] = size(A)
                            //Size of a matrix
7 \text{ m=s*eye}(Row,Col)-A
                             //sI-A
8 n = det(m)
                             //To Find The Determinant of si-
      Α
                           // To Find The Inverse Of sI-A
9 p = inv(m);
10 syms ts;
11 \operatorname{disp}(p, "\operatorname{phi}(s)=") // Resolvent Matrix
```

Scilab code Exa 17.23 funtion

```
1 //function//
2 A = [-2 0; 1 -1]
3 B = [0;1]
4 x = [0; 0]
5 disp(x,"x(t)=")
6 \text{ s=poly } (0, 's');
7 [Row Col] = size(A)
                        //Size of a matrix A
8 m=s*eye(Row,Col)-A //sI-A
9 n=det(m)
                         //To Find The Determinant of si-
      Α
10 p=inv(m);
                        // To Find The Inverse Of sI-A
11 syms t s m;
12 disp(p, "phi(s)=") //Resolvent Matrix
13 t = (t - m)
14 q=eval(q)
                      //At t=t-m , evaluating q i.e phi(t
15 //Integrate q w.r.t m (Indefinite Integration)
16 r=integ(q*B,m)
                //Upper limit is t
17 m=0
18 \text{ g=eval(r)} //Putting the value of upper limit in q
```

```
//Lower Limit is 0
19 \text{ m=t}
20 h=eval(r) //Putting the value of lower limit in q
21 y = (h-g);
22 disp(y,"y=")
23 printf("x(t) = phi(t)*x(0) + integ(phi(t-m)*B) w.r.t
      m from 0 t0 t \n")
24 //x(t) = phi(t) *x(0) + integ(phi(t-m)*B)w.r.t m from 0
      t0 t
25 y1 = (q * x) + y;
26 disp(y1, "x(t)=")
27 // CONTROLABILITY OF THE SYSTEM
28 Cc=cont_mat(A,B);
29 disp (Cc, "Controlability Matrix=")
30 //To Check Whether the matrix (Cc) is singular i.e
      determint of Cc=0
31 if determ(Cc) == 0;
32 \text{ printf} ("Since the matrix is Singular, the system is
      not controllable \n");
33 else;
34 printf("The system is controllable \n")
35 end;
```

Chapter 18

Digital Control Systems

Scilab code Exa 18.01.01 symsum

```
1 //symsum//
2 syms n z;
3 x=(-0.5)^n
4 y=(4*((0.2)^n))
5 f1=symsum(x*(z^(-n)),n,0,%inf)
6 f2=symsum(y*(z^(-n)),n,0,%inf)
7 y=(f1+f2);
8 disp(y,"ans=")
```

Scilab code Exa 18.08.01 symsum

```
1 //symsum//
2 exec ztransfer.sce;
3 sequence=[0 2 0 0 -3 0 0 8]
4 y=ztransfer(sequence);
5 disp(y,"ans=")
```