# Scilab Textbook Companion for Probability And Statistics For Engineers And Scientists by S. M. Ross<sup>1</sup>

Created by
Deeksha Sinha
Dual Degree
Electrical Engineering
IIT Bombay
College Teacher
None
Cross-Checked by
Mukul R. Kulkarni

May 20, 2016

<sup>&</sup>lt;sup>1</sup>Funded by a grant from the National Mission on Education through ICT, http://spoken-tutorial.org/NMEICT-Intro. This Textbook Companion and Scilab codes written in it can be downloaded from the "Textbook Companion Project" section at the website http://scilab.in

# **Book Description**

Title: Probability And Statistics For Engineers And Scientists

Author: S. M. Ross

Publisher: Elsevier, New Delhi

Edition: 3

**Year:** 2005

**ISBN:** 81-8147-730-8

Scilab numbering policy used in this document and the relation to the above book.

Exa Example (Solved example)

Eqn Equation (Particular equation of the above book)

**AP** Appendix to Example(Scilab Code that is an Appednix to a particular Example of the above book)

For example, Exa 3.51 means solved example 3.51 of this book. Sec 2.3 means a scilab code whose theory is explained in Section 2.3 of the book.

# Contents

Lis	st of Scilab Codes	4
2	Descriptive Statistics	6
3	Elements Of Probability	14
4	Random Variables And Expectation	21
5	Special Random Variables	32
6	Distribution of Sampling Statistics	42
7	Parameter Estimation	46
8	Hypothesis Testing	59
9	Regression	70
10	Analysis of Variance	94
11	Goodness of Fit Tests and Categorical Data Analysis	100
<b>12</b>	Non parametric Hypothesis Tests	110
13	Quality Control	117
14	Life Testing	128

# List of Scilab Codes

Exa 2.2a	Relative Frequency	6
Exa 2.2b	pie chart	6
Exa 2.3a	Sample mean	8
Exa 2.3b	Sample mean of age	8
Exa 2.3c	Sample Median	8
Exa 2.3d	Mean and Median	9
Exa 2.3e	Mean Median and Mode	9
Exa 2.3f	sample variance	10
Exa 2.3g	sample variance of accidents	10
Exa 2.3h	Percentile	11
Exa 2.3i	Quartiles	11
Exa 2.4a	Chebyshev Inequality	11
Exa 2.5a	Empirical Rule	12
Exa 2.6a	Sample Correlation Coefficient	12
Exa 2.6b	Sample Correlation Coefficient	13
Exa 3.4a	Union	14
Exa 3.5a	Basic Principle of Counting	14
Exa $3.5b$	Basic Principle of Counting	15
Exa 3.5c	Basic Principle of Counting	15
Exa 3.5d	Committee Probability	15
Exa 3.5f	Pairing Probability	16
Exa 3.6a	Acceptable Transistor	17
Exa 3.6b	Both Boys	17
Exa 3.6c	Branch Manager	18
Exa 3.7a	Accident Probability	18
Exa 3.7b	Accident within a year	18
Exa 3.7c	Multiple Choice Test	18
Exa 3.7d	blood test	19

Exa 3.7e	Criminal Investigation
Exa 3.7f	Missing Plane
Exa 3.8a	Independent Events
Exa 4.1a	sum of two fair dice
Exa 4.1b	Defective or Acceptable
Exa 4.1c	X exceeds 1
Exa 4.2a	sum of pmf
Exa 4.2b	pdf
Exa 4.3a	Joint distribution of batteries
Exa 4.3b	Joint distribution of boys and girls
Exa 4.3c	Joint Density Function
Exa 4.3e	Density of Independent Random Variables
Exa 4.3f	Conditional Probability Mass Function
Exa 4.3g	Conditional Probability Mass Function
Exa 4.4a	Expectation of a fair die
Exa 4.4d	Expectation of the message time
Exa 4.5a	Expectation
Exa 4.5b	Expected cost of breakdown
Exa 4.5c	Expectation
Exa 4.5d	Expectation
Exa 4.5e	Expected profit
Exa 4.5f	Letters in Correct Envelopes
Exa 4.5g	Different types of coupons
Exa 4.6a	Variance of a fair die
Exa 4.7a	Variance of 10 rolls of a fair die
Exa 4.7b	Variance of 10 tosses of a coin
Exa 4.9a	Inequalities
Exa 5.1a	Returning of disks
Exa 5.1b	Colour of Eyes
Exa 5.1e	Binomial Random Variable
Exa 5.2a	Probability of accident
Exa 5.2b	Defective Items
Exa 5.2c	Number of Alpha particles
Exa 5.2d	Claims handled by an insurance company 34
Exa 5.2f	Defective stereos
Exa 5.3a	Functional system
Exa 5.3b	Determining Population Size
Exa 5.3c	Conditional Probability

Exa 5.4b	Bus Timings	37
Exa 5.4c	Current in a diode	37
Exa 5.5a	Normal Random Variable	37
Exa 5.5b	Noise in Binary Message	38
Exa 5.5c	Power dissipation	38
Exa 5.5d	Yearly precipitation	38
Exa 5.6a	Wearing of Battery	39
Exa 5.6b	Working Machines	39
Exa 5.6c	Series System	40
Exa 5.8a	Chi square random variable	40
Exa 5.8b	Chi square random variable	40
Exa 5.8c	Locating a Target	40
Exa 5.8d	Locating a Target in 2D space	40
Exa 5.8e	T distribution	41
Exa 5.8f	F Distribution	41
Exa 6.3a	Claims handled by an insurance company	42
Exa 6.3c	Class strength	42
Exa 6.3d	Weights of workers	43
Exa 6.3e	Distance of a start	43
Exa 6.5a	Processing time	44
Exa 6.6a	Candidate winning an election	44
Exa 6.6b	Pork consumption	45
Exa 7.2a	Maximum likelihood estimator of a bernoulli parameter	46
Exa 7.2b	Errors in a manuscript	46
Exa 7.2c	Maximum likelihood estimator of a poisson parameter	46
Exa 7.2d	Number of traffic accidents	47
Exa 7.2e	Maximum likelihood estimator in a normal population	47
Exa 7.2f	Kolmogorovs law of fragmentation	47
Exa 7.2g	Estimating Mean of a Uniform Distribution	48
Exa 7.3a	Error in a signal	48
Exa 7.3b	Confidence interval	48
Exa 7.3c	Confidence interval	49
Exa 7.3d	Weight of a salmon	50
Exa 7.3e	Error in a signal	50
Exa 7.3f	Average resting pulse	50
Exa 7.3g	Evaluating integrals	51
Exa 7.3h	Thickness of washers	51
Exa 7.4a	Cable insulation	52

Exa 7.4b	Battery production	3
Exa 7.5a	Transistors	4
Exa 7.5b	Survey	4
Exa 7.5c	Acceptable chips	4
Exa 7.6a	Life of a product	5
Exa 7.7a	Point estimator	5
Exa 7.7b	Point estimator	6
Exa 7.7c	Point estimator of a uniform distribution	6
Exa 7.8a	Bayes estimator	7
Exa 7.8b		7
Exa 7.8d	estimator of the signal value	7
Exa 8.3a		9
Exa 8.3b		9
Exa 8.3c	Error in a signal	60
Exa 8.3d		60
Exa 8.3e		1
Exa 8.3f		1
Exa 8.3g	Blood cholestrol level	32
Exa 8.3h	Water usage	32
Exa 8.3i	Life of a tire	3
Exa 8.3j	Service Time	3
Exa 8.4a	Tire lives	64
Exa 8.4b	Medicine for cold	64
Exa 8.4c		5
Exa 8.4d	effectiveness of safety program	6
Exa 8.5a		6
Exa 8.5b	Catalyst	6
Exa 8.6a		7
Exa 8.6b		7
Exa 8.6c		8
Exa 8.7a		8
Exa 8.7b		8
Exa 8.7c		9
Exa 9.1a		0
Exa 9.2a		0
Exa 9.3a		3
Exa 9.4a	v v	4
Exa 9.4b		5

Exa 9.4c	Regression to the mean	6
Exa 9.4d	Motor vehicle deaths	9
Exa 9.4e		9
Exa 9.4f	Confidence interval for height	0
Exa 9.5a	Height of son and father	2
Exa 9.7a	Percentage of chemical used 8	4
Exa 9.8b	Distance vs Travel Time	5
Exa 9.9a	Polynomial Fitting	5
Exa 9.10a	Multiple Linear Regression	7
Exa 9.10b	Estimate of variance	9
Exa 9.10c	Diameter of a tree	0
Exa 9.10d	Estimating hardness	1
Exa 9.11a	Animal fsickalling	3
Exa 10.3a	Dependence of mileage on gas used 9	4
Exa 10.3b	Dependence of mileage on gas used 9	5
Exa 10.3c	Difference in GPA	6
Exa 10.4b	Estimating Parameters	7
Exa 10.5a	Species collected	8
Exa 11.2a	Relation between death date and birth date 10	0
Exa 11.2b	Quality of bulbs	1
Exa 11.2d	Six outcomes	1
Exa 11.3a	Weekly accidents	2
Exa 11.4a	Ploitical affiliation and Gender	4
Exa 11.4b	Machine Breakdown and shift	5
Exa 11.5a	Lung cancer and smoking	6
Exa 11.5b	Females reporting abuse	7
Exa 11.6a	Testing distribution of a population	8
Exa 12.2a	testing the median	0
Exa 12.2b	testing the median	0
Exa 12.3b	Signed Rank Test	1
Exa 12.3c	Determining Population Distribution	2
Exa 12.4a	Treatments against corrosion	2
Exa 12.4b	Determining P	3
Exa 12.4c	Finding p value	4
Exa 12.4d	Comparing production methods	4
Exa 12.4e	Determining p value	4
Exa 12.5a	Testing randomness	5
Exa 12.5c	Determining p value	6

Exa 13.2a	Steel shaft diameter	117
Exa 13.2b	unknown mean and variance	118
Exa 13.3a	determining control limits	118
Exa 13.4a	Defectives Screws	121
Exa 13.5a	Control during production of cars	122
Exa 13.6b	Service Time	123
Exa 13.6c	Exponentially weighted moving average control	124
Exa 13.6d	Finding control limit	126
Exa 14.3a	Lifetime of a transistor	128
Exa 14.3b	Lifetime of Battery	129
Exa 14.3c	One at a time sequential test	129
Exa 14.3d	Lifetime of semiconductors	130
Exa 14.3e	Bayes estimator	130
Exa 14.4a	Lifetime of items produced by two plants	130

# List of Figures

2.1	pie chart
9.1	Scatter Diagram
9.2	Relative humidity and moisture content
9.3	Moisture against Density
9.4	Regression to the mean
9.5	Percentage of chemical used
9.6	Percentage of chemical used
9.7	Polynomial Fitting
13.1	determining control limits
13.2	determining control limits
13.3	Exponentially weighted moving average control 125

## Chapter 2

# Descriptive Statistics

#### Scilab code Exa 2.2a Relative Frequency

```
1 starting_salary = [47 48 49 50 51 52 53 54 56 57
60];
2 frequency = [4 1 3 5 8 10 0 5 2 3 1];
3 total = sum(frequency);
4 relative_frequency = frequency/total;
5 disp("The relative frequencies are")
6 disp(relative_frequency)
```

#### Scilab code Exa 2.2b pie chart

```
1 values = [42 50 32 55 9 12];
2 percentages = values*100 / sum(values);
3 new_text = string(percentages);
4 text = ["Lung ", "Breast ", "Colon ", "Prostate ", "Melanoma ", "Bladder "];
5 percentage_sign = ["%", "%", "%", "%", "%", "%"];
6 final_text = text + new_text + percentage_sign;
```

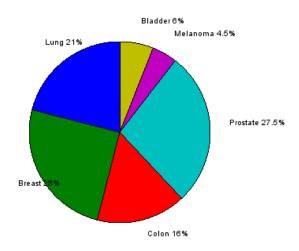


Figure 2.1: pie chart

#### Scilab code Exa 2.3a Sample mean

#### Scilab code Exa 2.3b Sample mean of age

```
1 age= [15 16 17 18 19 20];
2 frequencies = [2 5 11 9 14 13];
3 product = age.*frequencies;
4 total_people = sum(frequencies);
5 mean_age = sum(product)/total_people;
6 disp("The sample mean of the ages is")
7 disp(mean_age)
```

#### Scilab code Exa 2.3c Sample Median

```
1 age= [15 16 17 18 19 20];
2 frequencies = [2 5 11 9 14 13];
3 i=1;
4 for j=1:6
5     for k = 1:frequencies(j)
6          final_age(i) = age(j);
```

#### Scilab code Exa 2.3d Mean and Median

#### Scilab code Exa 2.3e Mean Median and Mode

```
1 value = [1 2 3 4 5 6];
2 frequencies= [9 8 5 5 6 7];
3 i=1;
4 for j=1:6
5     for k = 1:frequencies(j)
6         final_value(i) = value(j);
7     i = i +1;
```

```
8
       end;
9 end
10 product = value.*frequencies;
11 disp(product , sum(product))
12
13 total_value = sum(frequencies);
14 mean_value = sum(product)/total_value ; //the answer
      in the textbook is incorrect
15 [m1 m2] = max(frequencies);
16 \text{ n= m2};
17
18 disp("The sample mean is")
19 disp(mean_value)
20 disp(median(final_value), "The median is")
21 disp(value(n), "The mode is")
```

#### Scilab code Exa 2.3f sample variance

```
1 A = [ 3 4 6 7 10];
2 B= [-20 5 15 24];
3 disp(variance(A), "The sample variance of A is")
4 disp(variance(B), "The sample variance of B is")
```

#### Scilab code Exa 2.3g sample variance of accidents

```
1 accidents = [22 22 26 28 27 25 30 29 24];
2 new_accidents = accidents - 22;
3 disp(variance(new_accidents), "The variance of the number of accidents is")
```

#### Scilab code Exa 2.3h Percentile

#### Scilab code Exa 2.3i Quartiles

```
1 noise = [ 82 89 94 110 74 122 112 95 100 78 65 60
     90 83 87 75 114 85 69 94 124 115 107 88 97 74 72
     68 83 91 90 102 77 125 108 65];
2 disp(quart(noise), "The quartiles are")
```

#### Scilab code Exa 2.4a Chebyshev Inequality

#### Scilab code Exa 2.5a Empirical Rule

```
1 data = [90 91 94 83 85 85 87 88 72 74 74 75 77 77 78
        60 62 63 64 66 66 52 55 55 56 58 43 46];
2 disp("According to the empirical rule")
3 disp("68% of the data lies between")
4 disp(mean(data)+st_deviation(data), "and", mean(data)-st_deviation(data))
5 disp("95% of the data lies between")
6 disp(mean(data)+(2*st_deviation(data)), "and", mean(data)-(2*st_deviation(data)))
7 disp("99.7% of the data lies between")
8 disp(mean(data)+(3*st_deviation(data)), "and", mean(data)-(3*st_deviation(data)))
```

#### Scilab code Exa 2.6a Sample Correlation Coefficient

```
1 \text{ temp} = [24.2 \ 22.7 \ 30.5 \ 28.6 \ 25.5 \ 32.0 \ 28.6 \ 26.5 \ 25.3
       26.0 24.4 24.8 20.6 25.1 21.4 23.7 23.9 25.2
      27.4 28.3 28.8 26.6];
2 defects = [25 31 36 33 19 24 27 25 16 14 22 23 20 25
       25 23 27 30 33 32 35 24];
3 temp_new = temp- mean(temp);
4 defects_new = defects - mean(defects);
5 \text{ num} = 0
6 \text{ s1} = 0;
7 s2=0;
8 \text{ for } i=1:22
       num = num + (temp_new(i)*defects_new(i));
       s1 = s1 + (temp_new(i)*temp_new(i));
10
       s2 = s2 + (defects_new(i)*defects_new(i));
11
12 end
```

```
13 coefficient = num/sqrt(s1*s2);
14 disp(coefficient)
```

#### Scilab code Exa 2.6b Sample Correlation Coefficient

```
1 year = [12 16 13 18 19 12 18 19 12 14];
2 pulserate = [73 67 74 63 73 84 60 62 76 71];
3 year_new = year- mean(year);
4 pulserate_new = pulserate - mean(pulserate);
5 \text{ num} = 0
6 \text{ s1 = 0};
7 s2=0;
8 for i=1:10
       num = num + (year_new(i)*pulserate_new(i));
       s1 = s1 + (year_new(i)*year_new(i));
10
       s2 = s2 + (pulserate_new(i)*pulserate_new(i));
11
12 end
13 coefficient = num/sqrt(s1*s2);
14 disp(coefficient)
```

### Chapter 3

# Elements Of Probability

#### Scilab code Exa 3.4a Union

#### Scilab code Exa 3.5a Basic Principle of Counting

```
white_balls = 6;
black_balls = 5;
total = white_balls + black_balls;
probability_whiteandblack = white_balls*black_balls
    /(total*(total-1));
probability_blackandwhite = white_balls*black_balls
    /(total*(total-1));
reqd_probability = probability_whiteandblack +
    probability_blackandwhite;
```

#### Scilab code Exa 3.5b Basic Principle of Counting

```
1 maths = 4;
2 chemistry = 3;
3 history = 2;
4 language = 1;
5 total_arrangements = factorial(4)*factorial(maths)*
        factorial(chemistry)*factorial(history)*factorial
        (language);
6 disp(total_arrangements, "The total number of
        possible arrangements is ")
```

#### Scilab code Exa 3.5c Basic Principle of Counting

#### Scilab code Exa 3.5d Committee Probability

```
1 men = 6;
2 women = 9;
```

```
3 reqd_size =5;
4 total =factorial(men+women)/(factorial(reqd_size)*
        factorial(men+women-reqd_size));
5 given_committee = factorial(men)*factorial(women)/(
        factorial(3)*factorial(2)*factorial(men-3)*
        factorial(women-2));
6 prob = given_committee/total;
7 disp(prob, "Probability that the committee consists
        of 3 men and 2 women is")
```

#### Scilab code Exa 3.5f Pairing Probability

```
1 black_p = 6;
2 \text{ white_p} = 6;
3 \text{ pair} = 2;
4 total_p = black_p + white_p;
6
7
9 total_pairs = 1;
10 while(total_p >0)
       total_pairs = total_pairs*factorial(total_p)/(
11
          factorial(pair) * factorial(total_p - pair) )
12
       total_p = total_p -2;
13
       //disp(total_pairs)
14 end
15 // disp (total_pairs)
16 total_pairs = total_pairs/factorial(6);
17 black_pairs = 1;
18 while(black_p >0)
       black_pairs = black_pairs*factorial(black_p)/((
19
          factorial(pair) * factorial(black_p - pair) )
          );
```

```
black_p = black_p -2;
    //disp(black_pairs)

end

black_pairs = black_pairs/factorial(3);

//disp(black_pairs)

white_pairs = black_pairs;

allowed_pairs = black_pairs * white_pairs;

probb = allowed_pairs/ total_pairs;

disp(probb, " Probability that a random pairing will not result in any of the white and black players rooming together is ")
```

#### Scilab code Exa 3.6a Acceptable Transistor

#### Scilab code Exa 3.6b Both Boys

```
1 prob_bb = 0.25;
2 prob_bg = 0.25;
3 prob_gb = 0.25;
4 prob_gg = 0.25;
5 disp(prob_bb/(prob_bg+prob_gb+prob_bb), "Probability that both are boys is")
```

#### Scilab code Exa 3.6c Branch Manager

```
1 prob_phoenix = 0.3;
2 prob_manager = 0.6;
3 disp(prob_phoenix*prob_manager , "Probability that
        Perez will be a Phoenix branch office manager is"
        )
```

#### Scilab code Exa 3.7a Accident Probability

```
1 accident_prone= 0.4;
2 nonaccident_prone= 0.2;
3 pop_accident = 0.3;
4 prob = pop_accident*accident_prone + (1-pop_accident         )*nonaccident_prone;
5 disp(prob, "The required probability is ");
```

#### Scilab code Exa 3.7b Accident within a year

```
1 accident_prone= 0.4;
2 nonaccident_prone= 0.2;
3 pop_accident = 0.3;
4 prob_of_accident = pop_accident*accident_prone + (1-pop_accident)*nonaccident_prone;
5 prob = pop_accident * accident_prone / prob_of_accident;
6 disp(prob, "The required probability is")
```

Scilab code Exa 3.7c Multiple Choice Test

```
1 m = 5;
2 p =1/2;
3 disp((m*p)/(1+((m-1)*p)), "The required probability is")
```

#### Scilab code Exa 3.7d blood test

#### Scilab code Exa 3.7e Criminal Investigation

```
1 criminal_char = 0.9
2 convinced= 0.6;
3 pop_char = 0.2;
4 prob = (convinced*criminal_char) /((convinced*criminal_char) + (pop_char*(1-convinced)));
5 disp(prob, "The required probability is")
```

#### Scilab code Exa 3.7f Missing Plane

```
1 alpha1 = 0.4;
2 plane_in_region1 = 1/3;
3 plane_in_region2 = 1/3;
4 plane_in_region3 = 1/3;
```

#### Scilab code Exa 3.8a Independent Events

```
1 prob_A = 4/52;
2 prob_H = 13/52;
3 disp(prob_A*prob_H , "P(AH) is")
```

# Chapter 4

# Random Variables And Expectation

Scilab code Exa 4.1a sum of two fair dice

```
1 p11 = 1/36;
2 p12 = 1/36;
3 p13 = 1/36;
4 p14 = 1/36;
5 p15 = 1/36;
6 p16 = 1/36;
7 p21 = 1/36;
8 p22 = 1/36;
9 p23 = 1/36;
10 p24 = 1/36;
11 p25 = 1/36;
12 p26 = 1/36;
13 p31 = 1/36;
14 p32 = 1/36;
15 p33 = 1/36;
16 p34 = 1/36;
17 p35 = 1/36;
18 p36 = 1/36;
19 p41 = 1/36;
```

```
20 p42 = 1/36;
21 p43 = 1/36;
22 p44 = 1/36;
23 p45 = 1/36;
24 p46 = 1/36;
25 p51 = 1/36;
26 p52 = 1/36;
27 p53 = 1/36;
28 p54 = 1/36;
29 p55 = 1/36;
30 p56 = 1/36;
31 p61 = 1/36;
32 p62 = 1/36;
33 p63 = 1/36;
34 p64 = 1/36;
35 p65 = 1/36;
36 p66 = 1/36;
37 disp(p11, "Probability that the sum is 2")
38 disp(p12+p21, "Probability that the sum is 3")
39 disp(p13+p31+p22, "Probability that the sum is 4")
40 disp(p14+p41+p32+p23, "Probability that the sum is 5
41 disp(p15+p51+p24+p42+p33, "Probability that the sum
     is 6")
42 disp(p16+p61+p25+p52+p34+p43, "Probability that the
     sum is 7")
43 disp(p26+p62+p35+p53+p44, "Probability that the sum
     is 8")
44 disp(p36+p63+p45+p54, "Probability that the sum is 9)
45 disp(p46+p64+p55, "Probability that the sum is 10")
46 disp(p65+p56, "Probability that the sum is 11")
47 disp(p66, "Probability that the sum is 12")
```

Scilab code Exa 4.1b Defective or Acceptable

```
1 pdd= 0.09;
2 pda = 0.21;
3 pad = 0.21;
4 paa = 0.49;
5
6 disp(pdd, "Probability that the number of acceptable components is 0 is")
7 disp(pda+pad, "Probability that the number of acceptable components is 1 is")
8 disp(paa, "Probability that the number of acceptable components is 2 is")
9 disp(pdd, "Probability that I is 0 is")
10
11 disp(paa+pad+pda, "Probability that I is 1 is")
```

#### Scilab code Exa 4.1c X exceeds 1

```
1 prob = 1-(1-(1/%e));
2 disp( prob, "Probability that X exceeds 1 is")
```

#### Scilab code Exa 4.2a sum of pmf

```
1 p1 = 1/2;
2 p2 = 1/3;
3 disp (1-(p1+p2), "Probability that X is 3 is ")
```

#### Scilab code Exa 4.2b pdf

```
1 2 integral = integrate('(4*x)-(2*x*x)', 'x', 0, 2);
```

#### Scilab code Exa 4.3a Joint distribution of batteries

```
1 \text{ new} = 3;
2 \text{ working} = 4;
3 defective =5;
4 total = factorial(12)/(factorial(3)*factorial(9));
5 disp(factorial(5)/(factorial(3)*factorial(2)*total),
      "Probability that X=0 and Y=0");
6 disp(factorial(5)*factorial(4)/(factorial(3)*
     factorial(2)*factorial(3)*total), "Probability
     that X=0 and Y=1");
7 disp(factorial(5)*factorial(4)/(factorial(2)*
     factorial(2)*factorial(4)*total), "Probability
     that X=0 and Y=2");
8 disp(factorial(4)/(factorial(3)*factorial(1)*total),
      "Probability that X=0 and Y=3");
9 disp(factorial(3)*factorial(5)/(factorial(2)*
     factorial(2)*factorial(3)*total), "Probability
     that X=1 and Y=0");
10 disp(factorial(5)*factorial(4)*factorial(3)/(
     factorial(2)*factorial(3)*factorial(4)*total), "
     Probability that X=1 and Y=1");
11 disp(factorial(3)*factorial(4)/(factorial(2)*
     factorial(2)*factorial(2)*total), "Probability
     that X=1 and Y=2");
12 disp(factorial(3)*factorial(5)/(factorial(2)*
     factorial(4)*factorial(1)*total), "Probability
     that X=2 and Y=0");
```

#### Scilab code Exa 4.3b Joint distribution of boys and girls

```
1 \text{ child0} = 0.15;
2 \text{ child1} = 0.2;
3 \text{ child2} = 0.35;
4 \text{ child3} = 0.30;
5 \text{ pboy} = 0.5;
6 \text{ pgirl} = 0.5;
8 disp(child0 , "Probability that B=0 and G=0")
9 disp(child1*pgirl , "Probability that B=0 and G=1")
10 disp(child2*pgirl*pgirl , "Probability that B=0 and
     G=2")
11 disp(child3*pgirl*pgirl*pgirl , "Probability that B
      =0 and G=3")
12 disp(child1*pboy, "Probability that B=1 and G=0")
13 \text{ disp(child2*pgirl*pboy, "Probability that B=1 and G}
^{14} disp(child3*pgirl*pgirl*pboy, "Probability that B=1
       and G=2")
15 disp(child2*pboy*pboy, "Probability that B=2 and G
16 disp(child3*pgirl*pboy*pboy, "Probability that B=2
      and G=1")
17 disp(child3*pboy*pboy*pboy, "Probability that B=3)
      and G=0")
```

#### Scilab code Exa 4.3c Joint Density Function

```
1 intx= integrate('%e^(-x)', 'x',0,1);
2 inty=integrate('2*%e^(-2*y)', 'y', 0, 1);
3 answer = (1-intx)*inty;
4 disp(answer, "Probability that X>1 and Y<1 is")
5
6 //For other two parts, symbolic manipulations are required</pre>
```

#### Scilab code Exa 4.3e Density of Independent Random Variables

```
pdec3 = 0.05;
pdec2= 0.1;
pdec1 = 0.2;
po= 0.3
pinc1= 0.2;
pinc2= 0.1;
pinc3 = 0.05;
disp(pinc1*pinc2*p0, "Probability that the stock price will increase successively by 1, 2 and 0 points in the next 3 days is")
```

#### Scilab code Exa 4.3f Conditional Probability Mass Function

```
disp(0.1/0.3875, "probability that B =0 given G=1")
;
disp(0.175/0.3875, "probability that B =1 given G=1");
disp(0.1125/0.3875, "probability that B =2 given G=1");
disp(0/0.3875, "probability that B =3 given G=1");
//The values are taken from Table 4.2
```

#### Scilab code Exa 4.3g Conditional Probability Mass Function

```
1 p00=0.4;
2 p01 = 0.2;
3 p10 = 0.1;
4 p11= 0.3;
5
6 pY1= p01+p11;
7 disp(p01/pY1, "Probability that X=0 and Y=1")
8 disp(p11/pY1, "Probability that X=1 and Y=1")
```

#### Scilab code Exa 4.4a Expectation of a fair die

```
1 p1=1/6;
2 p2=1/6;
3 p3=1/6;
4 p4=1/6;
5 p5=1/6;
6 p6=1/6;
7 expec= p1 + (2*p2)+(3*p3)+(4*p4)+(5*p5)+ (6*p6);
8 disp(expec)
```

#### Scilab code Exa 4.4d Expectation of the message time

```
1 expec= integrate('(x)/1.5', 'x', 0,1.5);
2 disp("hours", expec, "On an average, you have to wait for ")
```

#### Scilab code Exa 4.5a Expectation

```
1 p0= 0.2;
2 p1= 0.5;
3 p2=0.3;
4 expec = 0*0*p0 + 1*1*p1 + 2*2*p2;
5 disp(expec, "Expectation of X^2 is")
```

#### Scilab code Exa 4.5b Expected cost of breakdown

```
1 expec = integrate('x^3', 'x', 0, 1);
2 disp(expec, "The expectation is")
```

#### Scilab code Exa 4.5c Expectation

```
1 p0= 0.2;
2 p1= 0.5;
3 p2=0.3;
4 expec = 0*0*p0 + 1*1*p1 + 2*2*p2;
5 disp(expec, "Expectation of X^2 is")
```

#### Scilab code Exa 4.5d Expectation

```
1 expec = integrate('x^3', 'x', 0, 1);
2 disp(expec, "The expectation is")
```

#### Scilab code Exa 4.5e Expected profit

#### Scilab code Exa 4.5f Letters in Correct Envelopes

```
//As scilab does not symbolic computations, this
    example is solved taking N=5
prob = 1/5 //probability that a letter is put into
    the right envelope

EX1 = 1*prob+0*(1-prob);
EX2 = 1*prob+0*(1-prob);
EX3 = 1*prob+0*(1-prob);
EX4 = 1*prob+0*(1-prob);
EX5 = 1*prob+0*(1-prob);
EX5 = 1*prob+0*(1-prob);

EX = EX1 + EX2+ EX3 +EX4 + EX5;
disp(EX, "Thus, the expectation is")
```

Scilab code Exa 4.5g Different types of coupons

```
1 ProbXiequals1 = 1 - ((19/20)^10);
2 EXi = ProbXiequals1;
3 EX = 20*EXi;
4 disp(EX, "The expectation is")
```

#### Scilab code Exa 4.6a Variance of a fair die

```
probXequalsi = 1/6;
expecXsquared = 0;
for n=1:6
    expecXsquared = expecXsquared + (n*n*
        probXequalsi)
end
expecX= 3.5 // from eg 4.4a
var = expecXsquared - (expecX^2);
disp(var, "The variance is")
```

#### Scilab code Exa 4.7a Variance of 10 rolls of a fair die

```
1 probXequalsi = 1/6;
2 expecXsquared = 0;
3 for n=1:6
4     expecXsquared = expecXsquared + (n*n* probXequalsi)
5 end
6
7 expecX= 3.5 // from eg 4.4a
8 var = expecXsquared - (expecX^2);
9 var10 = var*10;
10 disp(var10, "The variance is")
```

# Scilab code Exa 4.7b Variance of 10 tosses of a coin

```
1 problj = 0.5;
2 varlj = problj*(1-problj);
3 var = 10*varlj;
4 disp(var, "Thus, the required variance is")
```

# Scilab code Exa 4.9a Inequalities

```
1 avg = 50;
2 probX75 = avg/75;
3 disp(probX75, "Probability that X>75 is")
4 var = 25;
5 upperlimit = var/100;
6 disp(1-upperlimit, "Probability that X lies between 40 and 60 is")
```

# Chapter 5

# Special Random Variables

Scilab code Exa 5.1a Returning of disks

```
defects= 0.01;
disks = 10;
package = 3;
probdefect0 = ((1-defects)^10);
probdefect1 = factorial(disks)*defects*((1-defects)^9)/factorial(disks-1);
prob = 1 - probdefect0 -probdefect1;
disp(prob, "Probability that a package will be returned is")
newprob = factorial(package)*prob*((1-prob)^2)/factorial(package-1);
disp(newprob, "Probability that exactly one of the packages will be returned among 3 is")
//the solution in the textbook is approximate
```

Scilab code Exa 5.1b Colour of Eyes

#### Scilab code Exa 5.1e Binomial Random Variable

```
1 function result=bin(n,k, p)
2    if(k==0)
3         result = (1-p)^n;
4    else
5         result = p*(n-k+1)*bin(n, k-1, p)/((1-p)*k);
6    end
7 endfunction
8
9 disp(bin(6, 0, 0.4), "Probability that X=0 is")
10 disp(bin(6, 1, 0.4), "Probability that X=1 is")
11 disp(bin(6, 2, 0.4), "Probability that X=2 is")
12 disp(bin(6, 3, 0.4), "Probability that X=3 is")
13 disp(bin(6, 4, 0.4), "Probability that X=4 is")
14 disp(bin(6, 5, 0.4), "Probability that X=5 is")
15 disp(bin(6, 6, 0.4), "Probability that X=6 is")
```

Scilab code Exa 5.2a Probability of accident

```
1 [probX0, Q] = cdfpoi("PQ", 0, 3);
2 probX1 = 1- probX0;
3 disp(probX1, "Probability that there is at least one accident this week is ")
```

#### Scilab code Exa 5.2b Defective Items

```
function result= bino(n, k, p)
result = factorial(n)*(p^k)*((1-p)^(n-k))/(
    factorial(k)*factorial(n-k))

endfunction

prob = bino(10,0, 0.1) + bino(10, 1,0.1);
disp(prob, "The exact probability is ");

probp = cdfpoi("PQ", 1, 1)
disp(probp, "The poisson approximation is ")
```

#### Scilab code Exa 5.2c Number of Alpha particles

```
1  Xlam = 3.2;
2  i =2;
3  prob = cdfpoi("PQ", i, Xlam);
4  disp(prob)
```

Scilab code Exa 5.2d Claims handled by an insurance company

```
a endfunction
4 avg = 5;
5 i=3;
6 prob = cdfpoi("PQ", 2, avg);
7 disp(prob, "Proportion of days that have less than 3 claims is")
8 probX4 = cdfpoi("PQ",i+1, avg) - cdfpoi("PQ", i, avg);
9
10 reqdprob = bino(5,3, probX4);
11 disp(reqdprob, "Probability that 3 of the next 5 days will have exactly 4 claims is ")
```

#### Scilab code Exa 5.2f Defective stereos

```
1 avg = 4;
2 prob = cdfpoi("PQ", 3, 2*avg)
3 disp(prob)
```

## Scilab code Exa 5.3a Functional system

#### Scilab code Exa 5.3b Determining Population Size

# Scilab code Exa 5.3c Conditional Probability

```
function result= bino(n, k, p)
    result = factorial(n)*(p^k)*((1-p)^(n-k))/(
        factorial(k)*factorial(n-k))

endfunction

function answer= condprob(n,k,p,i)
    answer = bino(n,i,p)*bino(m,k-i,p)/bino(n+m,k, p);

endfunction

//The function condprob will give P{X=i | X+Y=k}
```

### Scilab code Exa 5.4b Bus Timings

```
pass_f = 1/30;
prob1 = (15-10)*pass_f + (30-25)*pass_f;
prob2 = (3-0)*pass_f + (18-15)*pass_f;
disp(prob1, "Probability that he waits less than 5 minutes for a bus")
disp(prob2, "Probability that he waits at least 12 minutes for a bus")
```

#### Scilab code Exa 5.4c Current in a diode

```
1 a=5;
2 I0=10^-6;
3 v_f = 1/(3-1);
4 vupperlim = 3;
5 vlowerlim = 1;
6 expecV = (vupperlim + vlowerlim)/2;
7 expec = integrate('(%e^(a*x))/2', 'x', 1,3);
8 expecI=I0*(expec -1);
9 disp(expecI)
```

#### Scilab code Exa 5.5a Normal Random Variable

```
1  u= 3;
2  var = 16;
3
4  prob1 = cdfnor("PQ", 11, u, sqrt(var));
5  disp(prob1, " P{X<11}");
6  prob2 = 1- cdfnor("PQ", -1, u, sqrt(var));
7  disp(prob2, "P{X>-1}");
8  prob3= cdfnor("PQ", 7, u, sqrt(var)) - cdfnor("PQ", 2, u, sqrt(var));
```

```
9 \text{ disp(prob3, "}P\{2 < X < 7\}");
```

#### Scilab code Exa 5.5b Noise in Binary Message

# Scilab code Exa 5.5c Power dissipation

```
1 r = 3;
2 avg = 6;
3 std = 1;
4 var = std^2;
5 expecV2 = var + (avg^2);
6 expecW = 3*expecV2;
7 disp(expecW, "Expectation of W is ")
8 limw = 120;
9 limV = sqrt(limw/r);
10 disp(1-cdfnor("PQ", limV, avg, std), "P{W>120} is")
```

# Scilab code Exa 5.5d Yearly precipitation

```
1 meanX1 = 12.08;
2 meanX2= 12.08;
3 stX1= 3.1;
4 meanX = meanX1 + meanX2;
5 varX = 2*(3.1^2);
6 lim= 25;
```

```
7 disp(1-cdfnor("PQ", lim, meanX, sqrt(varX)), "
        Probability that the total precipitation during
        the next 2 years will exceed 25 inches")
8
9 meanXnew= meanX1 - meanX2;
10 new_lim= 3;
11 disp(1- cdfnor("PQ", new_lim, meanXnew, sqrt(varX)),
        "Probability that precipitation in the next year
        will exceed that in the following year by more
        than 3 inches")
```

#### Scilab code Exa 5.6a Wearing of Battery

```
1 lamda = 1/10000;
2 x = 5000;
3 prob = %e^(-1*lamda*x);
4 disp(prob, "Probability that she will be able to complete her trip without having to replace her car battery is");
```

# Scilab code Exa 5.6b Working Machines

```
1 //When C is put to use, one other machine(either A
     or B ) will still be working . The probability of
     this machine or C failing is equal due to the
     memoryless propoerty of exponential random
     variables.
2
3 disp(1/2, "The probability that machine which is
     still operable is machine C is ")
```

# Scilab code Exa 5.6c Series System

```
1 function result= new(lamda,n, t)
2    newsum = 0;
3    for i=1:n
4        newsum= newsum + lamda(i)
5        result=%e^(-1*newsum*t)
6    end
7 endfunction
```

Scilab code Exa 5.8a Chi square random variable

```
1 disp(cdfchn("PQ", 30, 26, 0));
```

Scilab code Exa 5.8b Chi square random variable

```
1 disp(cdfchn("X", 15, 0,0.95, 0.05))
```

Scilab code Exa 5.8c Locating a Target

```
1 disp(1- cdfchn("PQ", 9/4, 3, 0))
```

Scilab code Exa 5.8d Locating a Target in 2D space

```
1 disp(1- cdfchn("PQ", 2.25,2,0))
```

# Scilab code Exa 5.8e T distribution

```
1 disp(cdft("PQ", 1.4, 12), "P{T12 <=1.4}"); 2 disp(cdft("T", 9, 0.975, 0.025), "t0.025, 9")
```

# Scilab code Exa 5.8f F Distribution

```
1 disp(cdff("PQ", 1.5, 6, 14))
```

# Chapter 6

# Distribution of Sampling Statistics

Scilab code Exa 6.3a Claims handled by an insurance company

```
1 number = 25000;
2 meaneach = 320;
3 sdeach = 540;
4 claim = 8300000;
5 meantotal= meaneach*number;
6 sdtotal = sdeach*sqrt(number);
7 disp(1- cdfnor("PQ", claim, meantotal, sdtotal))
```

#### Scilab code Exa 6.3c Class strength

```
1 ideal_num = 150;
2 actual_num = 450;
3 attend = 0.3;
4 tolerance = 0.5
5 disp(1-cdfnor("PQ",ideal_num+tolerance, actual_num* attend, sqrt(actual_num*attend*(1-attend))))
```

#### Scilab code Exa 6.3d Weights of workers

```
1 meaneach
             = 167;
2 \text{ sdeach} = 27;
3 \text{ num} = 36;
4 sdtotal = sdeach/sqrt(num);
5 //sdtotal = sdtotal*sdtotal;
6 //disp(sdtotal)
7 disp(cdfnor("PQ", 170, meaneach, sdtotal)-cdfnor("PQ
     ", 163, meaneach, sdtotal ), "Probability that the
      sample mean of their weights lies between 163
     and 170 (when sample size is 36)")
9 num = 144;
10 sdtotal = sdeach/sqrt(num);
11 //disp(sdtotal)
12 disp(cdfnor("PQ", 170, meaneach, sdtotal)-cdfnor("PQ
     ", 163, meaneach, sdtotal ), "Probability that the
      sample mean of their weights lies between 163
     and 170 (when sample size is 144)")
13
14 //The answer given in the textbook is incorrect as
     (170-167)/4.5 is not equal to 0.6259.
```

#### Scilab code Exa 6.3e Distance of a start

```
1 prob = 0.95;
2 lim = 0.5;
3 X = cdfnor("X", 0,1, 0.975, 0.025)
4 disp(ceil((4*X)^2), "Observations are necessary (atleast)")
```

#### Scilab code Exa 6.5a Processing time

```
1  n= 15;
2  sigmasquare= 9;
3  lim =12;
4  actual_lim = (n-1)*lim/sigmasquare;
5  prob = 1- cdfchi("PQ", actual_lim, (n-1))
6  disp(prob)
```

# Scilab code Exa 6.6a Candidate winning an election

```
1 \text{ favour = } 0.45;
2 \text{ samplesize} = 200;
3 expec= favour*samplesize;
4 sd = sqrt(samplesize*favour*(1-favour));
5 disp(expec, "The expected value is ")
6 disp(sd, "The standard deviation is")
8 function result= bino(n, k, p)
       result = factorial(n)*(p^k)*((1-p)^(n-k))/(
          factorial(k)*factorial(n-k))
10 endfunction
11
12 / \text{newsum} = 0;
13 / for i = 1:10
         newsum = newsum + bino(200, i, favour)
15 / \text{end}
16 //prob = 1-newsum; */
17
18 \ lim = 101;
19 tolerance = 0.5;
20 lim = lim - tolerance;
```

```
21 prob = 1- cdfnor("PQ", lim, expec, sd)
22
23 disp(prob, "Probability that more than half the
    members of the sample favour the candidate")
```

# Scilab code Exa 6.6b Pork consumption

```
1 meaneach = 147;
2 sdeach = 62;
3 samplesize = 25;
4 lim =150;
5 samplemean = meaneach;
6 samplesd= sdeach/sqrt(samplesize)
7 prob = 1- cdfnor("PQ", lim, samplemean, samplesd)
8 disp(prob)
```

# Chapter 7

# **Parameter Estimation**

Scilab code Exa 7.2a Maximum likelihood estimator of a bernoulli parameter

```
1 samplesize = 1000;
2 acceptable = 921;
3 disp(acceptable/samplesize, "The maximum likelihood estimate of p is")
```

Scilab code Exa 7.2b Errors in a manuscript

```
1 function result= totalerror(n1, n2, n12)
2 result = n1*n2/n12;
3 endfunction
```

Scilab code Exa 7.2c Maximum likelihood estimator of a poisson parameter

```
1 total_people = 857;
```

```
2 days= 20;
3 disp(total_people/days, "The maximum likelihood estimate of lambda")
```

Scilab code Exa 7.2d Number of traffic accidents

```
1 accidents = [4 0 6 5 2 1 2 0 4 3 ];
2 lambda = mean(accidents)
3 disp(cdfpoi("PQ", 2, lambda))
```

Scilab code Exa 7.2e Maximum likelihood estimator in a normal population

```
function[u, sigmasquared]=normal(X, Xmean, n)
u = Xmean;
newsum = 0;
for i = 1:n
newsum = newsum + (X(i)-Xmean)^2
end
sigmasquared = sqrt((newsum/n));
endfunction
```

Scilab code Exa 7.2f Kolmogorovs law of fragmentation

```
1 X= [2.2 3.4 1.6 0.8 2.7 3.3 1.6 2.8 2.5 1.9]
2 upperlimX = 3
3 lowerlimX = 2;
4 upperlimlogX= log(upperlimX);
5 lowerlimlogX = log(lowerlimX);
6
```

Scilab code Exa 7.2g Estimating Mean of a Uniform Distribution

```
1 function result= unif(X, n)
2 result = max(X)/2;
3 endfunction
```

Scilab code Exa 7.3a Error in a signal

```
1 avg = 0;
2 var = 4;
3 num = 9;
4 X =[5 8.5 12 15 7 9 7.5 6.5 10.5];
5 samplemean = mean(X);
6 lowerlim = samplemean - (1.96*sqrt(var/num));
7 upperlim = samplemean + (1.96*sqrt(var/num));
8
9 disp(upperlim, "to ",lowerlim,"The 95% confidence interval is ", )
```

Scilab code Exa 7.3b Confidence interval

```
1 avg = 0;
2 var = 4;
3 num = 9;
4 X = [5 8.5 12 15 7 9 7.5 6.5 10.5];
5 samplemean = mean(X);
6 lowerlim = samplemean - (1.645*sqrt(var/num))
7 upperlim = samplemean + (1.645*sqrt(var/num))
8
9 disp(" to infinity", lowerlim, "The 95% upper confidence interval is ")
10 disp(upperlim, "The 95% upper confidence interval is minus infinity to ")
```

#### Scilab code Exa 7.3c Confidence interval

```
1 \text{ var} = 4;
2 \text{ num} = 9;
3 X = [5 8.5 12 15 7 9 7.5 6.5 10.5];
4 samplemean = mean(X);
5 alpha= 0.005;
6 zalpha = cdfnor("X", 0, 1,1-alpha, alpha);
7 //disp(zalpha)
8 lowerlim = samplemean - (zalpha*sqrt(var/num))
9 upperlim = samplemean + (zalpha*sqrt(var/num))
10 disp(upperlim, "to ",lowerlim," The 95% confidence
      interval is ", )
11
12 alpha= 0.01;
13 zalpha = cdfnor("X", 0, 1,1-alpha, alpha);
14 lowerlim = samplemean - (zalpha*sqrt(var/num))
15 upperlim = samplemean + (zalpha*sqrt(var/num))
16 disp(" to infinity", lowerlim, "The 95% upper
      confidence interval is ")
17 \operatorname{disp}(\operatorname{upperlim}, \operatorname{"The }95\%) upper confidence interval is
      minus infinity to ")
```

#### Scilab code Exa 7.3d Weight of a salmon

```
1  sd= 0.3;
2  lim = 0.1;
3  num = (1.96*sd/lim)^2;
4  disp(num, "Sample size should be greater than");
```

# Scilab code Exa 7.3e Error in a signal

```
1 X = [5 8.5 12 15 7 9 7.5 6.5 10.5];
2 num = 9;
3 meanX = mean(X);
4 X2 = X^2;
5 s2 = (sum(X2) - (num*(meanX^2)))/(num-1);
6 s = sqrt(s2);
7 tval = cdft("T", num-1, 0.975, 0.025);
8 //disp(tval)
9 upperlim = meanX + (tval*s)/sqrt(num);
10 lowerlim = meanX - (tval*s)/sqrt(num);
11 disp(upperlim, "to ",lowerlim,"The 95% confidence interval is ", )
```

## Scilab code Exa 7.3f Average resting pulse

```
1 X = [54 63 58 72 49 92 70 73 69 104 48 66 80 64 77];
2 num = 15;
3 meanX = mean(X);
4 X2 = X^2;
5 s2 = (sum(X2) - (num*(meanX^2)))/(num-1);
```

```
6 s= sqrt(s2);
7 tval = cdft("T", num-1, 0.975, 0.025);
8 //disp(tval)
9 upperlim = meanX + (tval*s)/sqrt(num);
10 lowerlim = meanX - (tval*s)/sqrt(num);
11 disp(upperlim, "to ",lowerlim,"The 95% confidence interval is ", )
12 alpha = 0.05;
13 tval = cdft("T", num-1, 1-alpha, alpha);
14 lim = meanX + (tval*s)/sqrt(num);
15 disp(lim, "The 95% lower confidence interval is from minus infinity to ")
```

#### Scilab code Exa 7.3g Evaluating integrals

```
1 meanX = 0.786;
2 s= 0.03;
3 num = 100;
4 alpha = 0.05;
5 tval = cdft("T", num-1, 1-alpha, alpha);
6 upperlim = meanX + (tval*s)/sqrt(num);
7 lowerlim = meanX - (tval*s)/sqrt(num);
8 disp(upperlim, "to ",lowerlim,"The 95% confidence interval is ", )
```

#### Scilab code Exa 7.3h Thickness of washers

```
6 chi2 = cdfchi("X",num-1,0.05, 0.95 );
7 //disp(chi1, chi2)
8 lowerlim = (num-1)*s2/chi2;
9 upperlim = (num-1)*s2/chi1;
10 disp(sqrt(upperlim), "to ",sqrt(lowerlim),"The 90% confidence interval is ")
```

#### Scilab code Exa 7.4a Cable insulation

```
1 A=[36 44 41 53 38 36 34 54 52 37 51 44 35 44];
2 B=[52 64 38 68 66 52 60 44 48 46 70 62];
3 \text{ sigmaA} = 40;
4 sigmaB= 100;
5 \text{ alpha} = 1-0.95;
6 beta= alpha/2;
7 \text{ meanA} = \text{mean}(A);
8 \text{ meanB} = \text{mean}(B);
9 zbeta = cdfnor("X",0, 1, 1-beta, beta);
10
11 lowerlim = mean(A) - mean(B) - (zbeta*sqrt((sigmaA/
      length(A)) + (sigmaB/length(B))));
12 upperlim = mean(A) - mean(B) + (zbeta*sqrt((sigmaA/
      length(A)) + (sigmaB/length(B))));
13 disp(upperlim, "to ",lowerlim,"The 95% confidence
      interval is "
14
15 beta=alpha;
16 zbeta = cdfnor("X",0, 1, 1-beta, beta);
17
18 upperlim = mean(A) - mean(B) + (zbeta*sqrt((sigmaA/
      length(A)) + (sigmaB/length(B))));
19 disp(upperlim, "A value that exceed the difference
      of the means with 95% confidence is"
```

#### Scilab code Exa 7.4b Battery production

```
1 tech1 = [140 136 138 150 152 144 132 142 150 154 136
2 tech2 = [144 132 136 140 128 150 130 134 130 146 128
       131 137 135];
3 \text{ num1} = 12;
4 \text{ num} 2 = 14;
5 mean1= mean(tech1);
6 mean2= mean(tech2);
7 // disp (mean1)
8 //disp(Sp)
9 \text{ alpha} = 0.9;
10 S1 = variance(tech1) //*num1/(num1-1);
11 S2 = variance(tech2) // *num2/(num2-1);
12 Sp = (((num1-1)*S1) + ((num2-1)*S2))/(num1+ num2 -2)
13 Sp= sqrt(Sp);
14 num = (1/num1) + (1/num2);
15 betaa = (1-alpha)/2;
16 tval = cdft("T", num1+num2-2, 1-betaa, betaa);
17 upperlim = mean1-mean2 + (tval*Sp)*sqrt(num);
18 lowerlim = mean1-mean2 - (tval*Sp)*sqrt(num);
19 \operatorname{disp}(\operatorname{upperlim}, \operatorname{"to} ", \operatorname{lowerlim}, \operatorname{"The} 90\% \operatorname{confidence})
      interval is ")
20 \text{ alpha} = 0.95
21 betaaa = 1-alpha;
22 tval = cdft("T", num1+num2-2, 1-betaaa, betaaa);
23 lowerlim = mean1-mean2 - (tval*Sp)*sqrt(num);
24 disp("the upper confidence interval is")
25 disp(" to infinity", lowerlim)
```

#### Scilab code Exa 7.5a Transistors

#### Scilab code Exa 7.5b Survey

```
1 phat = 0.52;
2 error = 0.04;
3 zalpha = 1.96;
4 //lowerlim = phat - (zalpha*sqrt(phat*(1-phat)/samplesize));
5 //upperlim = phat + (zalpha*sqrt(phat*(1-phat)/samplesize));
6 samplesize = (error/zalpha)^2/(phat*(1-phat));
7 disp(1/samplesize)
```

# Scilab code Exa 7.5c Acceptable chips

```
1 initialsample = 30;
2 acceptable= 26;
3 phat = acceptable/initialsample;
4 error = 0.05/2;
5 zalpha = 2.58;
```

```
7 samplesize = (error/zalpha)^2/(phat*(1-phat));
8 finalsize = ceil(1/samplesize);
9 acceptablenew= 1040 + acceptable;
10 phat = acceptablenew/finalsize;
11 lowerlim = phat - (zalpha*sqrt(phat*(1-phat)/finalsize));
12 upperlim = phat + (zalpha*sqrt(phat*(1-phat)/finalsize));
13 disp(upperlim, "to ",lowerlim,"The 99% confidence interval is ")
```

#### Scilab code Exa 7.6a Life of a product

```
1 \text{ sum\_lives} = 1740;
2 \text{ num} = 10;
3 \text{ alpha} = (1-0.95)/2;
4 chi1= cdfchi("X", (2*num), alpha, 1-alpha);
5 \text{ chi2} = \text{cdfchi}("X", (2*num), 1-alpha, alpha);
6 //disp(chi2)
7 lowerlim = 2*sum_lives/chi2;
8 upperlim = 2*sum_lives/chi1;
9 disp(upperlim, "to", lowerlim, "The 95% confidence
      interval is "
10
11 //The confidence interval is from 101.847 to 360.211
       whereas my solution in Scilab is 101.84489 to
12 362.8485 because of the difference in the value of
      chi-square (0.975, 20). The textbook says the
      value is
13 9.661 whereas scilab calculates its value as 9.59
```

Scilab code Exa 7.7a Point estimator

```
1 function result1= estimator1(X)
2    result1= X(1);
3    //result2= mean(X);
4
5 endfunction
6 function result2= estimator2(X)
7    //result1= X(1);
8    result2= mean(X);
9
10 endfunction
```

#### Scilab code Exa 7.7b Point estimator

```
function result1 = estimate(d, sigma)
sigmainv = 1/sigma;
new = d./sigma;
result1 = sum(new)/sum(sigmainv);
endfunction

function result2 = mserror(sigma)
sigmainv = 1/sigma;

result1 = 1/sum(sigmainv);
endfunction
```

#### Scilab code Exa 7.7c Point estimator of a uniform distribution

```
1 function result = unbiasedestimator(X, n)
2     c=(n+2)/(n+1);
3     result = c*max(X);
4 endfunction
```

# Scilab code Exa 7.8a Bayes estimator

```
1 function result= estimator(X, n)
2    result= (sum(X) +1)/(n+2);
3 endfunction
```

# Scilab code Exa 7.8b Bayes estimator of a normal population

#### Scilab code Exa 7.8d estimator of the signal value

```
result = (sigma0*sigma)/((n*sigma)+sigma0);
8 endfunction
10 u = 50;
11 sigma= 100;
12 \text{ sigma0} = 60;
13 n =1;
14 \ X = 40;
15 expec = meanestimator(sigma0 , u, sigma, n, X);
16 var = varestimator (sigma0, sigma,n);
17 // disp (expec);
18 //disp(var);
19
20 \text{ zalpha} = 1.645
21 lowerlim = -1*sqrt(var)*zalpha+expec;
22 upperlim = sqrt(var)*zalpha+expec;
23 disp(upperlim, "to ",lowerlim," With probability 0.9,
       the sent signal lies between ",
```

# Chapter 8

# Hypothesis Testing

# Scilab code Exa 8.3a Noise in a Signal

```
1 noise_var = 4;
2 noise_mean= 0;
3 num = 5;
4 Xbar = 9.5;
5 u = 8;
6 statistic = sqrt(num/noise_var)*(Xbar - u);
7 compare = cdfnor("X", 0, 1, 0.975, 0.025);
8 if(statistic < compare)
9     disp("Hypothesis is accepted");
10 else
11     disp("Hypothesis is not accepted")
12 end</pre>
```

# Scilab code Exa 8.3b Error in a signal

```
1 noise_var = 4;
2 noise_mean= 0;
3 num = 5;
```

```
4 Xbar = 8.5;
5 u = 8;
6 statistic = sqrt(num/noise_var)*(Xbar - u);
7
8 prob = 2*cdfnor("PQ", -1*statistic , 0,1);
9 disp(prob, "P-value is")
```

#### Scilab code Exa 8.3c Error in a signal

```
1 noise_var = 4;
2 num = 5;
3 Xbar = 10;
4 u = 8;
5 statistic = sqrt(num/noise_var)*(Xbar - u);
6 compare = cdfnor("X", 0, 1, 0.975, 0.025);
7 lim1 = statistic + compare;
8 lim2 = statistic - compare;
9 prob = cdfnor("PQ", lim1 , 0,1 ) - cdfnor("PQ", lim2 , 0,1 );
10 disp(prob)
```

#### Scilab code Exa 8.3d Number of signals to be sent

```
1 alpha = 0.025;
2 betaa = 0.25;
3
4 u1 = 9.2;
5 uo = 8;
6 var =4;
7 zalpha = cdfnor("X", 0, 1, 1-alpha, alpha);
8 zbeta = cdfnor("X", 0, 1, 1-betaa, betaa);
9 //disp(zalpha);
10 n = ((zalpha + zbeta)/(u1-uo))^2 *var;
```

```
disp(ceil(n), "Required number of samples is")
tatistic = sqrt(ceil(n)/var)*(u1 - uo);
//disp(statistic);
lim1 = -1*statistic + zalpha;
lim2 = -1*statistic - zalpha;
//disp(lim1)
//disp(lim2)
prob = cdfnor("PQ", lim1 , 0,1 ) - cdfnor("PQ", lim2 , 0,1 );
disp(1-prob, "Thus, if the message is sent the reqd number of times is , then the probability that the null hypothesis will be rejected is")
```

#### Scilab code Exa 8.3e Number of signals to be sent

```
1 n =5;
2 Xbar = 9.5;
3 uo = 8;
4 var = 4;
5 statistic = sqrt(n/var)*(Xbar - u);
6 p = 1 - cdfnor("PQ", statistic, 0, 1);
7 disp("The test would call for rejection at all significance levels greater than or equal to ")
8 disp(p);
```

#### Scilab code Exa 8.3f Nicotine content in a cigarette

```
1  n =20;
2  Xbar = 1.54;
3  uo = 1.6;
4  sd = 0.8;
5  statistic = sqrt(n)*(Xbar - uo)/sd;
6  disp(statistic, "Test statistic is")
```

```
7 p = cdfnor("PQ", statistic, 0, 1);
8 disp(p, "P-value is")
```

#### Scilab code Exa 8.3g Blood cholestrol level

```
1  n = 50;
2  Xbar = 14.8;
3  S = 6.4;
4  T = sqrt(n)*Xbar/S;
5  disp(T,"The T value is")
```

#### Scilab code Exa 8.3h Water usage

```
1 X= [340 356 332 362 318 344 386 402 322 360 362 354
      340 372 338 375 364 355 324 370];
2 \text{ uo} = 350;
3 \text{ Xbar} = \text{mean}(X);
4 var = variance(X);
5 S = sqrt(var)
6 //disp(Xbar, sqrt(var));
7 n = length(X)
8 T = sqrt(n)*(Xbar - uo)/S;
9 Tvalue = cdft("T", n-1, 0.95, 0.05);
10 //disp(Tvalue)
11 disp(T, "The T value is ")
12 if(T<Tvalue)</pre>
       disp("Null hypothesis is accepted at 10% level
13
          of significance")
14
    else
15
         disp("Null hypothesis is not accepted at 10%
             level of significance")
16 \text{ end}
```

#### Scilab code Exa 8.3i Life of a tire

```
1 X= [36.1 40.2 33.8 38.5 42 35.8 37 41 36.8 37.2 33
     36];
2 n = length(X);
3 \text{ uo} = 40;
4 Xbar=mean(X);
5 sd = sqrt(variance(X));
6 T = sqrt(n)*(Xbar - uo)/sd;
7 Tvalue = cdft("T", n-1, 0.05, 0.95);
8 //disp(Tvalue)
9 disp(T, "The T value is ")
10 if (T<Tvalue)
       disp("Null hypothesis is rejected at 5% level of
11
           significance")
12
    else
         disp("Null hypothesis is
13
                                   accepted at 5% level
             of significance")
14 end
```

#### Scilab code Exa 8.3j Service Time

#### Scilab code Exa 8.4a Tire lives

#### Scilab code Exa 8.4b Medicine for cold

```
1  X = [5.5 6.0 7.0 6.0 7.5 6.0 7.5 5.5 7.0 6.5];
2  Y = [6.5 6.0 8.5 7.0 6.5 8.0 7.5 6.5 7.5 6.0 8.5 7.0 ];
3  n = length(X);
4  m= length(Y);
5  Xbar= mean(X);
6  Ybar = mean(Y);
7  Sx = variance(X);
8  Sy = variance(Y);
9  Sp = ((n-1)*Sx/(n+m-2)) + ((m-1)*Sy/(n+m-2));
```

```
10 den = sqrt(Sp*((1/n)+(1/m)));
11 TS = (Xbar -Ybar)/den;
12 disp(TS, "The test statistic is");
13 tvalue = cdft("T", m+n-2, 0.95, 0.05)
14 //disp(tvalue)
15 if (TS<tvalue)
16
       disp("Null hypothesis is rejected at 5% level of
           significance")
17
    else
         disp("Null hypothesis is
                                    accepted at 5% level
18
             of significance")
19
  end
```

#### Scilab code Exa 8.4c Unknown population variance

```
1 A = [61.1 58.2 62.3 64 59.7 66.2 57.8 61.4 62.2]
     63.6];
2 B= [62.2 56.6 66.4 56.2 57.4 58.4 57.6 65.4];
3 uA = mean(A);
4 \text{ uB} = \text{mean}(B);
5 n= length(A);
6 m =length(B);
7 Sx = variance(A);
8 Sy = variance(B);
9 Sp = ((n-1)*Sx/(n+m-2)) + ((m-1)*Sy/(n+m-2));
10 den = sqrt(Sp*((1/n)+(1/m)));
11 TS = (uA-uB)/den;
12 disp(TS, "The test statistic is");
13 pvalue = 2*(1- cdft("PQ", TS, m+n-2));
14 //disp(tvalue)
15 disp(pvalue, "Null hypothesis is accepted at any
      significance level less than")
```

#### Scilab code Exa 8.4d effectiveness of safety program

```
1  A = [30.5 18.5 24.5 32 16 15 23.5 25.5 28 18];
2  B = [23 21 22 28.5 14.5 15.5 24.5 21 23.5 16.5];
3  n = length(A);
4  W = B-A;
5  Wbar = mean(W);
6  S = sqrt(variance(W));
7  T = sqrt(n)*Wbar/S;
8
9  disp(T, "The test statistic is");
10  pvalue = cdft("PQ", T, n-1);
11  //disp(tvalue)
12  disp(pvalue, "The p value is")
```

#### Scilab code Exa 8.5a effectiveness of machine

```
1  n =20;
2  S2= 0.025;
3  chk = 0.15;
4  compare = (n-1)*S2/(chk^2);
5  pvalue = 1- cdfchi("PQ", compare, n-1);
6  disp(pvalue, "The p-value is")
7  disp("Thus, the null hypothesis is accepted")
```

# Scilab code Exa 8.5b Catalyst

```
1 S1 = 0.14;
2 S2 = 0.28;
3 n= 10;
4 m= 12;
5 ratio = S1/S2;
6 prob1 = cdff("PQ", ratio, n-1, m-1);
```

```
7 prob2 = 1-prob1;
8 prob = min([prob1 prob2]);
9 pvalue = 2*prob;
10 disp(pvalue, "The p value is")
11 disp("So the hypothesis of equal variance cannot be rejected")
```

#### Scilab code Exa 8.6a Computer chip manufacturing

```
1 samplesize = 300;
2 p =0.02;
3 defective=9;
4 val = 1- cdfbin("PQ", defective, samplesize, p, 1-p);
5 disp(val, "P0.02{X>10} = ");
6 disp("Manufacturers claim cannot be rejected at the 5% level of significance")
```

#### Scilab code Exa 8.6b Finding p value

```
1 samplesize = 300;
2 p =0.02;
3 defective=9;
4 compare = 10;
5 npo = samplesize*p;
6 sd = sqrt(npo*(1-p));
7 tol = 0.5;
8 pvalue = 1- cdfnor("PQ", compare-tol, npo,sd);
9 disp(pvalue, "The pvalue is")
```

#### Scilab code Exa 8.6c Change in manufacturing pattern

```
1 samplesize = 500;
2 p =0.04;
3 defective=16;
4 prob1 = cdfbin("PQ", defective, samplesize, p, 1-p);
5 prob2 = 1- cdfbin("PQ", defective-1, samplesize, p, 1-p);
6 pvalue = 2*min([prob1 prob2]);
7 disp(pvalue, "The pvalue is")
```

## Scilab code Exa 8.7a Mean number of defective chips

```
1 x = [28 34 32 38 22];
2 claim = 25;
3 total = sum(x);
4 pval = 1 - cdfpoi("PQ", total-1, (claim*length(x)));
5 disp(pval, "The pvalue is")
```

#### Scilab code Exa 8.7b Safety Conditions in a plant

```
1 plant1 = [16 18 9 22 17 19 24 8];
2 plant2 = [22 18 26 30 25 28];
3 X1= sum(plant1);
4 X2 = sum(plant2);
5 n = length(X1);
6 m= length(X2);
7 //disp(X1, X2, X1+X2)
8 prob1 = 1 - cdfbin("PQ",X1 -1,X1+X2, (4/7), (3/7));
9 prob2 = cdfbin("PQ",X1 ,X1+X2, 4/7, 3/7);
10 disp(prob1, prob2)
11 pvalue = 2*min([prob1 prob2]);
12 disp(pvalue, "The pvalue is")
```

## Scilab code Exa 8.7c Better proof reader

```
1 Aerror =28;
2 Berror = 18;
3 common =10;
4 N2 = Aerror - common;
5 N3 =Berror - common;
6 pval = 1 - cdfbin("PQ", N2-1, N2 + N3, 0.5, 0.5);
7 disp(pval, "P-value is")
```

## Chapter 9

## Regression

## Scilab code Exa 9.1a Scatter Diagram

```
1 X= [100 110 120 130 140 150 160 170 180 190];
2 Y= [45 52 54 63 62 68 75 76 92 88];
3 plot2d(X, Y, -1);
4 disp("A linear regression model seems appropriate")
```

### Scilab code Exa 9.2a Relative humidity and moisture content

```
1 A = [46 53 29 61 36 39 47 49 52 38 55 32 57 54 44];
2 B = [12 15 7 17 10 11 11 12 14 9 16 8 18 14 12];
3 plot2d(A, B, -1);
4 [X, Y] = reglin(A, B);
5 //disp(X);
6 //disp(Y);
7 p = 0 : 0.1: 65;
8 q = p.*X + Y
```

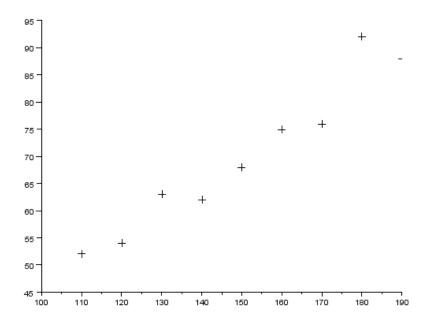


Figure 9.1: Scatter Diagram

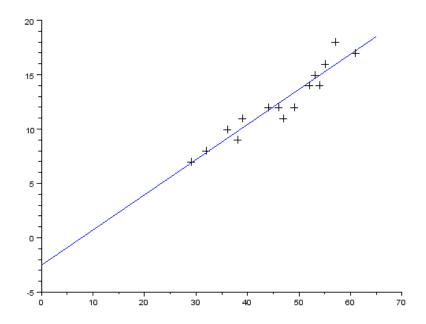


Figure 9.2: Relative humidity and moisture content

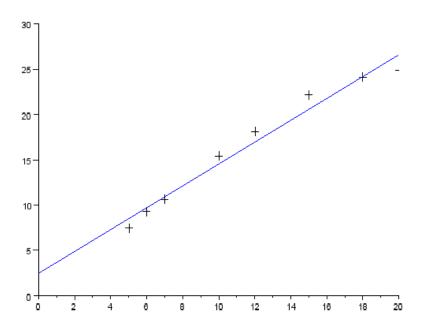


Figure 9.3: Moisture against Density

```
9 plot2d(p, q, 2);
```

## Scilab code Exa 9.3a Moisture against Density

```
1 x= [5 6 7 10 12 15 18 20];
2 y= [7.4 9.3 10.6 15.4 18.1 22.2 24.1 24.8];
3 plot2d(x,y,-1);
4
5 xbar = mean(x);
6 ybar= mean(y);
7 n= 8;
```

```
8 \text{ SxY} = 0;
9 for i= 1:n
       SxY = SxY + (x(i)*y(i)) - (xbar*ybar);
10
11 end
12
13 Sxx = 0;
14 for i=1:n
       Sxx = Sxx + (x(i)*x(i)) - (xbar*xbar);
15
16 \, \text{end}
17 \text{ SYY} = 0;
18 for i=1:n
       SYY = SYY + (y(i)*y(i)) - (ybar*ybar);
20 end
21 B = SxY/Sxx;
22 A = ybar - (B*xbar);
23 disp(A, "A is");
24 disp(B, "B is");
25 p= 0:0.1: 20;
26 q = A + B*p;
27 plot2d(p,q,2);
28
29 SSR = ((Sxx*SYY) - (SxY*SxY))/Sxx;
30 disp(SSR, "The SSR is")
```

#### Scilab code Exa 9.4a Effect of speed on mileage

```
10
11 Sxx = 0;
12 \text{ for } i=1:n
       Sxx = Sxx + (x(i)*x(i)) - (xbar*xbar);
13
14 end
15 \text{ SYY} = 0;
16 for i=1:n
       SYY = SYY + (y(i)*y(i)) - (ybar*ybar);
17
18 end
19 B = SxY/Sxx;
20 A = ybar - (B*xbar);
21 // disp (A, "A is");
22 //disp(B, "B is");
23
24 SSR = ((Sxx*SYY) - (SxY*SxY))/Sxx ;
25 // disp (SSR, "The SSR is")
26 ts = sqrt(((n-2)*Sxx)/SSR)*abs(B);
27 disp(ts, "the test statistic is");
28 \text{ tvalue= } cdft("T",5, 0.995, 0.005);
29  // disp(tvalue, "tvalue is");
30 if(tvalue < ts)
       disp("Hypothesis beta= 0 is rejected at 1% level
31
           of significance")
32 else
33
       disp("Hypothesis beta= 0 is accepted at 1% level
           of significance")
34
    end
```

#### Scilab code Exa 9.4b Confidence interval estimate

```
1 x= [45 50 55 60 65 70 75];
2 y= [24.2 25.0 23.3 22.0 21.5 20.6 19.8];
3 xbar = mean(x);
4 ybar= mean(y);
5 n= 7;
```

```
6 \text{ SxY} = 0;
7 for i= 1:n
        SxY = SxY + (x(i)*y(i)) - (xbar*ybar);
9 end
10
11 Sxx = 0;
12 for i=1:n
        Sxx = Sxx + (x(i)*x(i)) - (xbar*xbar);
13
14 end
15 \text{ SYY} = 0;
16 for i=1:n
17
        SYY = SYY + (y(i)*y(i)) - (ybar*ybar);
18 \text{ end}
19 B = SxY/Sxx;
20 A = ybar - (B*xbar);
21 // \operatorname{disp}(A, "A is");
22 //disp(B, "B is");
23
24 SSR = ((Sxx*SYY) - (SxY*SxY))/Sxx ;
25 //disp(SSR, "The SSR is")
26
27 tvalue= cdft("T",5, 0.975, 0.025);
28 k = sqrt(SSR/((n-2)*Sxx))*tvalue;
29 \text{ int1} = B + k;
30 \text{ int2= B-k};
31 disp(int2, "to", int1, "The 95% confidence interval
       is ");
```

## Scilab code Exa 9.4c Regression to the mean

```
1 x= [60 62 64 65 66 67 68 70 72 74];
2 y= [63.6 65.2 66 65.5 66.9 67.1 67.4 68.3 70.1 70];
3 plot2d(x,y,-1);
```

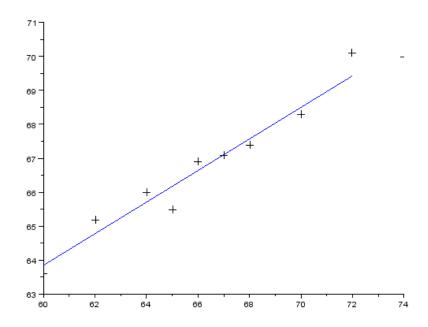


Figure 9.4: Regression to the mean

```
4 \text{ xbar} = \text{mean}(x);
5 ybar= mean(y);
6 n = 10;
7 SxY = 0;
8 for i= 1:n
        SxY = SxY + (x(i)*y(i)) - (xbar*ybar);
10 \text{ end}
11
12 \text{ Sxx} = 0:
13 for i=1:n
        Sxx = Sxx + (x(i)*x(i)) - (xbar*xbar);
14
15 end
16 \text{ SYY} = 0;
17 \text{ for } i=1:n
        SYY = SYY + (y(i)*y(i)) - (ybar*ybar);
18
19 end
20 B = SxY/Sxx;
21 A = ybar - (B*xbar);
22 //disp(A, "A is");
23 //disp(B, "B is");
24 p= 60:0.1: 72;
25 q = A + B*p;
26 plot2d(p,q,2);
27 SSR = ((Sxx*SYY) - (SxY*SxY))/Sxx ;
28 ts = sqrt(((n-2)*Sxx)/SSR)*(B-1)
29 //disp(ts);
30 \text{ tvalue} = \text{cdft}(\text{"T",n-2, 0.99, 0.01});
31 //disp(tvalue);
32 if (ts<(-1*tvalue))
        disp("Null hypotheis is rejected at 1% level of
33
           significance")
34 else
        disp("Null hypotheis is accepted at 1% level of
35
           significance")
36 \, \text{end}
```

#### Scilab code Exa 9.4d Motor vehicle deaths

```
1 x= [121 96 85 113 102 118 90 84 107 112 95 101];
2 y= [104 91 101 110 117 108 96 102 114 96 88 106];
3
4 plot2d(x,y,-1);
5 xlabel("Deaths in 1988");
6 ylabel("Deaths in 1989");
8 \text{ xbar} = \text{mean}(x);
9 ybar = mean(y);
10 n = 12;
11 SxY = 0;
12 \text{ for } i = 1:n
       SxY = SxY + (x(i)*y(i)) - (xbar*ybar);
13
14 end
15
16 \text{ Sxx} = 0;
17 for i=1:n
       Sxx = Sxx + (x(i)*x(i)) - (xbar*xbar);
18
19 end
20 \text{ SYY} = 0;
21 for i=1:n
22
       SYY = SYY + (y(i)*y(i)) - (ybar*ybar);
23 end
24 B = SxY/Sxx;
25 A = ybar - (B*xbar);
26 disp(A, "A is");
27 disp(B, "B is");
```

Scilab code Exa 9.4e Confidence interval for height

```
1 x = [60 62 64 65 66 67 68 70 72 74];
y = [63.6 65.2 66 65.5 66.9 67.1 67.4 68.3 70.1 70];
3 \times 0 = 68;
4 \text{ xbar} = \text{mean}(x);
5 ybar = mean(y);
6 n = 10;
7 \text{ SxY} = 0;
8 for i= 1:n
       SxY = SxY + (x(i)*y(i)) - (xbar*ybar);
9
10 \text{ end}
11 // disp(SxY, "SxY is");
12 Sxx = 0;
13 for i=1:n
14
       Sxx = Sxx + (x(i)*x(i)) - (xbar*xbar);
15 end
16 // disp (Sxx, "Sxx is");
17 \text{ SYY} = 0;
18 for i=1:n
       SYY = SYY + (y(i)*y(i)) - (ybar*ybar);
19
20 end
21 // disp(SYY, "SYY is");
22 B = SxY/Sxx;
23 A = ybar - (B*xbar);
24 tvalue= cdft("T", n-2, 0.975, 0.025);
25 SSR = ((Sxx*SYY) - (SxY*SxY))/Sxx;
26 // disp(tvalue, "tvalue is");
27 \text{ intvl} = A + (B*x0);
28 //disp(intvl);
29 change = sqrt((1/n)+(((x0-xbar)^2)/Sxx))* sqrt(SSR/(
      n-2))*tvalue;
30 intvl1 = intvl - change;
31 intvl2= intvl + change;
32 disp(intvl2, "to", intvl1 , "The 95\% confidence
      interval is ");
```

#### Scilab code Exa 9.4f Confidence interval for height

```
1 x = [60 62 64 65 66 67 68 70 72 74];
2 y= [63.6 65.2 66 65.5 66.9 67.1 67.4 68.3 70.1 70];
3 \times 0 = 68;
4 \text{ xbar} = \text{mean}(x);
5 ybar= mean(y);
6 n = 10;
7 \text{ SxY} = 0;
8 for i= 1:n
        SxY = SxY + (x(i)*y(i)) - (xbar*ybar);
9
11 // \operatorname{disp}(SxY, "SxY is");
12 Sxx = 0;
13 for i=1:n
        Sxx = Sxx + (x(i)*x(i)) - (xbar*xbar);
14
15 end
16 // disp (Sxx, "Sxx is");
17 \text{ SYY} = 0;
18 \text{ for } i=1:n
19
        SYY = SYY + (y(i)*y(i)) - (ybar*ybar);
20 \, \text{end}
21 //disp(SYY, "SYY is");
22 B = SxY/Sxx;
23 A = ybar - (B*xbar);
24 tvalue= cdft("T",n-2, 0.975, 0.025);
25 SSR = ((Sxx*SYY) - (SxY*SxY))/Sxx;
26 // disp(tvalue, "tvalue is");
27 \quad intvl = A + (B*x0);
28 //disp(intvl);
29 change = sqrt(((n+1)/n)+(((x0-xbar)^2)/Sxx))* sqrt(
      SSR/(n-2))*tvalue;
30 intvl1 = intvl - change;
31 intvl2= intvl + change;
32 disp(intvl2, "to", intvl1 , "The 95\% confidence
      interval is ");
```

### Scilab code Exa 9.5a Height of son and father

```
1 x = [60 62 64 65 66 67 68 70 72 74];
y = [63.6 65.2 66 65.5 66.9 67.1 67.4 68.3 70.1 70];
4 \text{ xbar} = \text{mean}(x);
5 ybar= mean(y);
6 n = 10;
7 SxY = 0;
8 for i= 1:n
       SxY = SxY + (x(i)*y(i)) - (xbar*ybar);
10 \text{ end}
11
12 Sxx = 0;
13 for i=1:n
       Sxx = Sxx + (x(i)*x(i)) - (xbar*xbar);
14
15 end
16 \text{ SYY} = 0;
17 for i=1:n
       SYY = SYY + (y(i)*y(i)) - (ybar*ybar);
18
19 \text{ end}
20 B = SxY/Sxx;
21 A = ybar - (B*xbar);
22
23 SSR = ((Sxx*SYY) - (SxY*SxY))/Sxx;
24 R2 = 1 - (SSR/SYY);
25 disp(R2, "The coefficient of determination is")
```

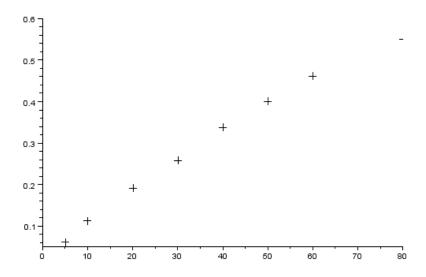


Figure 9.5: Percentage of chemical used

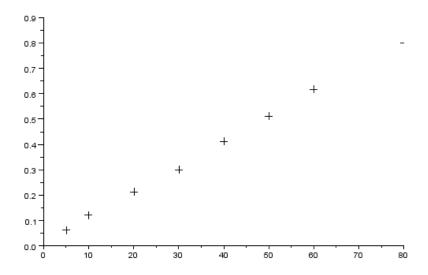


Figure 9.6: Percentage of chemical used

#### Scilab code Exa 9.7a Percentage of chemical used

```
1 x = [5 \ 10 \ 20 \ 30 \ 40 \ 50 \ 60 \ 80];
2 yold= [0.061 0.113 0.192 0.259 0.339 0.401 0.461
      0.551];
3 \text{ plot2d}(x, yold, -1);
4 \quad y = -1*\log(1-\text{yold});
5 scf(2);
6 plot2d(x, y, -1);
8
9 \text{ xbar} = \text{mean}(x);
10 ybar = mean(y);
11 n = 8;
12 SxY = 0;
13 for i= 1:n
        SxY = SxY + (x(i)*y(i)) - (xbar*ybar);
15 end
16
17 \text{ Sxx} = 0;
18 \text{ for } i=1:n
        Sxx = Sxx + (x(i)*x(i)) - (xbar*xbar);
19
20 end
21 \text{ SYY} = 0;
22 \text{ for } i=1:n
23
        SYY = SYY + (y(i)*y(i)) - (ybar*ybar);
24 end
25 B = SxY/Sxx;
26 A = ybar - (B*xbar);
27 // disp(A, "A is");
28 //disp(B, "B is");
29 SSR = ((Sxx*SYY) - (SxY*SxY))/Sxx;
30 chat = exp(-1*A);
31 dhat = 1 - \exp(-1*B);
32 disp(chat, "chat is");
33 disp(dhat, "dhat is");
```

#### Scilab code Exa 9.8b Distance vs Travel Time

```
1 x = [0.5 \ 1 \ 1.5 \ 2 \ 3 \ 4 \ 5 \ 6 \ 8 \ 10];
2 y= [15 15.1 16.5 19.9 27.7 29.7 26.7 35.9 42 49.4];
3 for i=1:10
       w(i) = 1/x(i);
5 end
6 // \operatorname{disp}(w)
7 n = 10;
8 p = zeros(2,2);
9 \ q = zeros(2, 1);
10 p(1, 1) = sum(w);
11 p(1,2) = n;
12 p(2,1) = n;
13 p(2,2) = sum(x);
14 for i=1:10
        new(i) = w(i)*y(i)
15
16 \text{ end}
17
18 q(1,1) = -1*sum(new);
19 q(2,1) = -1*sum(y);
20 // disp(p);
21 // disp(q);
22 \text{ sol} = linsolve(p,q);
23 A = sol(1,1);
24 B = sol(2,1);
25 disp(A, "A is");
26 disp(B, "B is");
```

Scilab code Exa 9.9a Polynomial Fitting

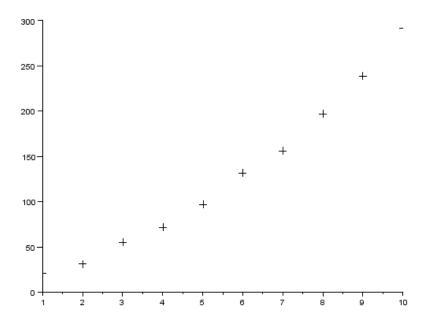


Figure 9.7: Polynomial Fitting

```
1 x = 1:1:10;
2 y= [20.6 30.8 55 71.4 97.3 131.8 156.3 197.3 238.7
      291.7];
3 \operatorname{plot2d}(x, y, -1);
4 xlabel('X');
5 ylabel('Y');
6 n = length(x)
7 \text{ xsquared} = x.^2;
8 \text{ xcube} = x.^3;
9 \text{ xfour = } x.^4;
10 \quad xy = x.*y;
11 \times 2y = xy.*x;
12 p = zeros(3,3);
13 q = zeros(3,1);
14 p(1,1) = n;
15 p(1,2) = sum(x);
16 p(1,3) = sum(xsquared);
17 p(2,1) = sum(x);
18 p(2,2) = sum(xsquared);
19 p(2,3) = sum(xcube);
20 p(3,1) = sum(xsquared);
21 p(3,2) = sum(xcube);
22 p(3,3) = sum(xfour);
23 q(1,1) = -1*sum(y);
24 q(2,1) = -1*sum(xy);
25 q(3,1) = -1*sum(x2y);
26 B = linsolve(p, q);
27 disp(B(1,1), "B0 is");
28 disp(B(2,1), "B1 is");
29 disp(B(3,1), "B2 is");
```

#### Scilab code Exa 9.10a Multiple Linear Regression

```
1 x1 = [679 \ 1420 \ 1349 \ 296 \ 6975 \ 323 \ 4200 \ 633];
2 x2 = [30.4 \ 34.1 \ 17.2 \ 26.8 \ 29.1 \ 18.7 \ 32.6 \ 32.5];
```

```
3 y = ones(8,1);
4 y= [11.6;16.1; 9.3; 9.1; 8.4; 7.7; 11.3; 8.4];
5 x = ones(8,3);
6 for i=1:8
         x(i,2) = x1(i);
         x(i,3) = x2(i);
9 end
10
11 \text{ pro1} = x';
12 //disp(pro1);
13
14 \text{ pro2} = \text{pro1} *x;
15 //disp(pro2);
16 \text{ pro3} = inv(pro2);
17 //disp(pro3);
18 pro4 = pro3*pro1;
19 \text{ pro5} = \text{pro4*y};
20 //disp(pro4);
21 // \operatorname{disp}(y);
22 B = ones(3,1);
23 \text{ for } i=1:3
24
         B(i,1) = 0;
25
         for k=1:8
              B(i,1)=B(i,1)+(pro4(i, k)*y(k, 1));
26
27
         end
28 end
29 disp(B);
30 //SSR = y'*y - B'*x'y;
31 \text{ SSR} = y';
32 SSR = SSR * y;
33 \text{ sub} = B';
34 \text{ sub} = \text{sub*x'};
35 \text{ sub= sub*y};
36 \text{ SSR} = \text{SSR} - \text{sub};
37 disp(SSR, "SSr is");
```

#### Scilab code Exa 9.10b Estimate of variance

```
1 x1= [679 1420 1349 296 6975 323 4200 633];
 2 \times 2 = [30.4 \ 34.1 \ 17.2 \ 26.8 \ 29.1 \ 18.7 \ 32.6 \ 32.5];
 3 y = ones(8,1);
 4 n = 8;
 5 k = 2;
 6 y= [11.6;16.1; 9.3; 9.1; 8.4; 7.7; 11.3; 8.4];
 7 x = ones(8,3);
 8 for i=1:8
        x(i,2) = x1(i);
10
        x(i,3) = x2(i);
11 end
12
13 pro1 = x';
14 //disp(pro1);
15
16 \text{ pro2= pro1*x};
17 //disp(pro2);
18 \text{ pro3} = inv(pro2);
19 //disp(pro3);
20 \text{ pro4} = \text{pro3*pro1};
21 \text{ pro5} = \text{pro4*y};
22 // \operatorname{disp}(\operatorname{pro4});
23 // disp(y);
24 B = ones(3,1);
25 \text{ for } i=1:3
        B(i,1) = 0;
26
27
        for k=1:8
              B(i,1)=B(i,1)+(pro4(i, k)*y(k, 1));
29
         end
30 \, \text{end}
31 // disp(B);
32 //SSR = y'*y - B'*x'y;
```

#### Scilab code Exa 9.10c Diameter of a tree

```
1 \times 1 = [44 \ 33 \ 33 \ 32 \ 34 \ 31 \ 33 \ 30 \ 34 \ 34 \ 33 \ 36 \ 33 \ 34 \ 37];
2 x2= [1.3 2.2 2.2 2.6 2.0 1.8 2.2 3.6 1.6 1.5 2.2 1.7
        2.2 1.3 2.6];
3 \times 3 = [250 \ 115 \ 75 \ 85 \ 100 \ 75 \ 85 \ 75 \ 225 \ 250 \ 255 \ 175 \ 75
      85 90];
4 \times 4 = [0.63 \ 0.59 \ 0.56 \ 0.55 \ 0.54 \ 0.59 \ 0.56 \ 0.46 \ 0.63
      0.60 0.63 0.58 0.55 0.57 0.62 ];
5 y = [18.1; 19.6; 16.6; 16.4; 16.9; 17.0; 20.0; 16.6;
        16.2; 18.5; 18.7; 19.4; 17.6; 18.3; 18.8];
6 n = length(x1);
7 x = ones(15, 5);
8 for i=1:15
9
        x(i,2) = x1(i);
10
        x(i,3) = x2(i);
        x(i,4) = x3(i);
11
12
        x(i,5) = x4(i);
13 end
14 \text{ pro1} = x';
15 //disp(pro1);
16 \text{ pro2} = \text{pro1} *x;
```

```
17 //disp(pro2);
18 \text{ pro3} = inv(pro2);
19 //disp(pro3);
20 \text{ pro4} = \text{pro3*pro1};
21 \text{ pro5} = \text{pro4*y};
22
23 \text{ for } i=1:5
        B(i,1) = 0;
24
25
         for k=1:15
              B(i,1)=B(i,1)+(pro4(i, k)*y(k, 1));
26
27
         end
28 end
29 \text{ SSR} = y';
30 \text{ SSR} = \text{SSR} * y;
31 \text{ sub} = B';
32 \text{ sub} = \text{sub*x'};
33 \text{ sub} = \text{sub} * y;
34 SSR = SSR - sub;
35 // \operatorname{disp}(SSR);
36 // disp(B(2))
37 \text{ xxinv} = 0.379;
38 k = 4;
39 ts = sqrt((n-k-2)/SSR)*B(2)/0.616;
40 pvalue = 2*(1- cdft("PQ",ts, n-k-2));
41 disp(pvalue, "The p-value is")
42
43 The SSR calculated by scilab is 19.34 whereas the
       textbook gives the value as 19.26, thus the
44
45 difference in the final answer.
```

## Scilab code Exa 9.10d Estimating hardness

```
1 y=[79.2;64.0; 55.7; 56.3; 58.6; 84.3; 70.4; 61.3; 51.3; 49.8];
```

```
2 \times 1 = [0.02 \ 0.03 \ 0.03 \ 0.04 \ 0.10 \ 0.15 \ 0.15 \ 0.09 \ 0.13
       0.09];
 3 \times 2 = [1.05 \ 1.20 \ 1.25 \ 1.30 \ 1.30 \ 1.00 \ 1.10 \ 1.20 \ 1.40
       1.40];
4 tvalue= 2.365;
 5 x = ones(10,3);
6 \text{ for } i=1:10
         x(i,2) = x1(i);
         x(i,3) = x2(i);
9 end
10
11 \text{ pro1} = x';
12 //disp(pro1);
13
14 \text{ pro2= pro1*x};
15 // \operatorname{disp}(\operatorname{pro2});
16 \text{ pro3} = inv(pro2);
17 //disp(pro3);
18 \text{ pro4} = \text{pro3*pro1};
19 pro5 = pro4*y;
20 //disp(pro4);
21 // disp(y);
22 B = ones(3,1);
23 \text{ for } i=1:3
         B(i,1) = 0;
24
25
         for k=1:10
26
              B(i,1)=B(i,1)+(pro4(i, k)*y(k, 1));
27
         end
28 end
29 //disp(B);
30 //SSR = y'*y - B'*x'y;
31 SSR = y';
32 SSR = SSR * y;
33 \text{ sub} = B';
34 \text{ sub} = \text{sub*x'};
35 \text{ sub} = \text{sub} * y;
36 SSR =SSR - sub;
37 disp(SSR, "SSr is");
```

```
38 \text{ smallx} = [1, 0.15, 1.15];
39 product = smallx * B;
40 // disp (product);
41 \quad n = 10;
42 k=2;
43 val= sqrt(SSR/(n-k-1));
44 //disp(val);
45
46 \text{ pro5} = \text{smallx} * \text{pro3};
47 \text{ pro6} = \text{pro5}* \text{smallx'};
48 pro7 = val*sqrt(pro6)*tvalue;
49 //disp(pro7)
50 up = product + pro7;
51 low = product - pro7;
52 disp(" 95% confidence interval is from ");
53 disp(up, "to", low);
```

## Scilab code Exa 9.11a Animal fsickalling

```
1 cancer = 84;
2 total = 111;
3 level = 250;
4 alpha= -1*log((total-cancer)/total)/level;
5 disp(alpha , "Alpha is ")
```

## Chapter 10

## Analysis of Variance

Scilab code Exa 10.3a Dependence of mileage on gas used

```
1 Xij = [220 251 226 246 260; 244 235 232 242 225; 252
       272 250 238 256];
2 \text{ Xi} = zeros(3,1);
3 n = 5;
4 m = 3;
5 \text{ for } i=1:3
       for j=1:5
7
           Xi(i) = Xi(i) + Xij(i,j);
8
       end
9 end
10 Xi = Xi/n;
11 SSW= 0;
12 for i=1:3
13
       for j = 1:5
            SSW = SSW + ((Xij(i,j)-Xi(i))^2)
14
15
       end
16 end
17 sigma1 = SSW/((n*m)-m);
18 Xdotdot = sum(Xi)/m;
19 new = (Xi - Xdotdot)^2;
20 SSb= n*sum(new);
```

```
21 sigma2 = SSb/(m-1);
22 TS = sigma2/sigma1;
23 //disp(sigma1);
24 //disp(sigma2);
25 disp(TS, "Value of the test statistic is");
26 pvalue = 1 - cdff("PQ", TS,m-1, ((n*m)-m));
27 disp(pvalue, "The p-value is")
28 if(pvalue>0.05)
29 disp("Since the p-value is greater than .05, the null hypothesis that the mean mileage is the same for all 3 brands of gasoline cannot be rejected.")
30 end
```

#### Scilab code Exa 10.3b Dependence of mileage on gas used

```
1 Xijold = [220 251 226 246 260; 244 235 232 242 225;
      252 272 250 238 256];
2 \text{ Xij} = \text{Xijold} - 220;
3 m=3;
4 n=5;
5 \text{ Xidot} = zeros(3,1);
6 for i=1:m
7
        for j=1:n
8
            Xidot(i) = Xidot(i) + Xij(i,j);
9
        end
10 \, \text{end}
11 Xidot = Xidot/n;
12 Xdotdot = sum(Xidot)/m;
13 SSb=0;
14 \text{ for } i=1:m
        SSb = SSb + (Xidot(i)-Xdotdot)^2;
16 end
17 SSb = SSb*n;
18 Xijsquared = Xij.^2;
```

```
19 SSW = sum(Xijsquared) - (m*n*(Xdotdot^2)) - SSb;
20 sigma1 = SSW/((n*m)-m);
21 sigma2 = SSb/(m-1);
22 TS = sigma2/sigma1;
23 disp(TS, "Value of the test statistic is");
```

## Scilab code Exa 10.3c Difference in GPA

```
1 Xij = [3.2 3.4 3.3 3.5; 3.4 3.0 3.7 3.3; 2.8 2.6 3.0
        2.7];
2 \text{ Xi} = \text{zeros}(3,1);
3 n = 4;
4 m = 3;
5 \text{ for } i=1:3
6
        for j=1:4
7
             Xi(i) = Xi(i) + Xij(i,j);
8
        end
9 end
10 Xi = Xi/n;
11 SSW= 0;
12 for i=1:3
13
        for j = 1:4
             SSW = SSW + ((Xij(i,j)-Xi(i))^2)
14
15
        end
16 \, \text{end}
17 sigma1 = SSW/((n*m)-m);
18 Xdotdot = sum(Xi)/m;
19 new = (Xi - Xdotdot)^2;
20 SSb= n*sum(new);
21 \text{ sigma2} = SSb/(m-1);
22 TS = sigma2/sigma1;
23 // \operatorname{disp}(\operatorname{sigma1});
24 // \operatorname{disp}(\operatorname{sigma2});
25 disp(TS, "Value of the test statistic is");
26 pvalue = 1 - cdff("PQ", TS,m-1, ((n*m)-m));
```

## Scilab code Exa 10.4b Estimating Parameters

```
1 X=[75 73 60 70 86; 78 71 64 72 90; 80 69 62 70 85;
      73 67 63 80 92 ];
2 \text{ Xidot} = zeros(4,1);
3 \text{ for } i=1:4
       for j=1:5
            Xidot(i)=Xidot(i) + X(i,j);
6
       end
7 end
8 Xidot = Xidot/5;
9 X_{jdot} = z_{eros}(5,1);
10 for j=1:5
11
       for i=1:4
12
            Xjdot(j) = Xjdot(j) + X(i,j);
13
       end
14 end
15 \text{ Xjdot} = \text{Xjdot}/4;
16 Xdotdot = sum(Xidot)/4;
17 //disp(Xdotdot)
18 meanhat = Xdotdot;
19 alphahat = Xidot - meanhat;
20 betahat = Xjdot - meanhat;
21 disp(meanhat, "The estimator of the mean is");
```

```
22 disp("The alphas are-")
23 disp(alphahat)
24 disp("The betas are-")
25 disp(betahat)
```

## Scilab code Exa 10.5a Species collected

```
1 X = [53 \ 35 \ 31 \ 37 \ 40 \ 43; \ 36 \ 34 \ 17 \ 21 \ 30 \ 18; \ 47 \ 37 \ 17
      31 45 26; 55 31 17 23 43 37; 40 32 19 26 45 37;
      52 42 20 27 26 32; 39 28 21 21 36 28; 40 32 21 21
       36 35];
2 \text{ m= 8;}
3 n = 6;
4 Xidot = zeros(8,1);
5 for i=1:8
6
        for j=1:6
            Xidot(i) = Xidot(i) + X(i,j);
8
        end
9 end
10 Xidot = Xidot/6;
11 Xjdot = zeros(6,1);
12 for j=1:6
13
        for i=1:8
14
            Xjdot(j)=Xjdot(j) + X(i,j);
15
        end
16 \text{ end}
17 Xjdot = Xjdot/8;
18 Xdotdot = sum(Xidot)/8;
19 new = (Xidot - Xdotdot)^2;
20 \text{ SSr} = n*sum(new);
21 new1 = (Xjdot - Xdotdot)^2;
22 SSc = m*sum(new1);
23 \text{ SSe} = 0;
24 \text{ for } i=1:m
25
       for j=1:n
```

```
SSe = SSe + (X(i,j)-Xidot(i)-Xjdot(j)+
26
              Xdotdot)^2;
27
       end
28 end
29 N = (m-1)*(n-1);
30 TS1 = SSr*N/((m-1)*SSe);
31 TS2 = SSc*N/((n-1)*SSe);
32 \text{ pvaluec} = 1 - \text{cdff}("PQ", TS1, m-1, N);
33 pvaluer = 1- cdff("PQ", TS2, n-1, N);
34 //disp(pvaluer, pvaluec);
35 // \operatorname{disp}(TS1, TS2);
36 disp(TS1, "The value of the F-statistic for testing
      that there is no row effect is");
37 disp(pvaluec, "The p-value for testing that there is
       no row effect is");
38
39 disp(TS2, "The value of the F-statistic for testing
      that there is no column effect is");
40 disp(pvaluer, "The p-value for testing that there is
       no column effect is");
```

## Chapter 11

# Goodness of Fit Tests and Categorical Data Analysis

Scilab code Exa 11.2a Relation between death date and birth date

```
1 X = [90\ 100\ 87\ 96\ 101\ 86\ 119\ 118\ 121\ 114\ 113\ 106];
2 pi= ones(12,1);
3 \text{ pi= pi/12};
4 \text{ new} = X.^2;
5 \text{ npi} = sum(X)*pi;
6 T = sum(new);
7 T = T/npi;
8 T = T - sum(X);
9 disp("When there are 12 regions")
10 disp(T(1), "The test statistic is")
11 pvalue = 1- cdfchi("PQ", T(1), 11);
12 disp(pvalue, "The pvalue is ")
13
14 X = [277 283 358 333];
15 pi = ones(4,1);
16 pi= pi/4;
17 \text{ new = } X.^2;
18 npi = sum(X)*pi;
19 T = sum(new);
```

```
20 T = T/npi;
21 T = T - sum(X);
22 disp("When there are 4 regions")
23 disp(T(1), "The test statistic is")
24 pvalue = 1- cdfchi("PQ",T(1), 3);
25 disp(pvalue, "The pvalue is ")
```

#### Scilab code Exa 11.2b Quality of bulbs

```
1 X = [3 6 9 7 5];
2 p = [0.15 \ 0.25 \ 0.35 \ 0.20 \ 0.05];
3 T = 0;
4 \text{ n3}=sum(X);
5 \text{ np} = p*n3;
6 \quad Xsqu = (X-np).^2;
7 disp(Xsqu);
8 \text{ XT} = \text{Xsqu./np};
9 T = sum(XT);
10
11 //T = T - sum(X);
12 //disp("When there are 12 regions")
13 disp(T, "The test statistic is")
14 pvalue = 1- cdfchi("PQ",T(1), 4);
15 //a = c d f c h i ("PQ", T(1), 4);
16
17 disp(pvalue, "The pvalue is ")
18 disp("Thus, the hypothesis would not be rejected at
      5% level of significance")
```

#### Scilab code Exa 11.2d Six outcomes

```
1 X = [3 \ 3 \ 5 \ 18 \ 4 \ 7];
2 p = [0.1 \ 0.1 \ 0.05 \ 0.4 \ 0.2 \ 0.15];
```

```
3 psimu = 0.1843; //p-value obtained by simulation
4 \text{ num} = 10000;
5 T = 0;
6 n = sum(X);
7 \text{ np} = n*p;
8 \text{ Xsqu} = \text{X.}^2;
9 \text{ for } i = 1:6
       T = T + (Xsqu(i)/np(i));
10
11 end
12 T = T - sum(X);
13
14 disp(T(1), "The test statistic is")
15 pvalue = 1- cdfchi("PQ",T(1), 5);
16 //disp(pvalue, "The pvalue is")
17 int1 = psimu - (1.645*sqrt(psimu*(1-psimu)/num));
18 int2 = psimu + (1.645*sqrt(psimu*(1-psimu)/num));
19 disp("With 90% confidence p-value lies between")
20 disp(int1)
21 disp("and")
22 disp(int2);
```

#### Scilab code Exa 11.3a Weekly accidents

```
10 // disp(p);
11 X = zeros(5,1);
12 for i=1:30
        if(Y(i)==0)
13
             X(1) = X(1) +1;
14
15
        end
16
        if(Y(i)==1)
17
             X(2) = X(2) +1;
18
        end
19
        if(Y(i)==2)
20
             X(3) = X(3) +1;
21
        end
22
        if(Y(i)==3)
23
             X(3) = X(3) +1;
24
        end
25
        if(Y(i)==4)
26
             X(4) = X(4) +1;
27
        end
28
        if(Y(i)==5)
29
             X(4) = X(4) +1;
30
        end
        if (Y(i) >5)
31
              X(5) = X(5) +1;
32
33
         end
34 end
35 // \operatorname{disp}(X);
36 T = 0;
37 \text{ npi} = \text{weeks} * p;
38 \text{ for } i=1:5
39
        T = T + ((X(i)-npi(i))^2)/npi(i);
40 \text{ end}
41 disp(T, "T is");
42 pvalue = 1- cdfchi("PQ", T, 3);
43 disp(pvalue, "The p-value is")
44 disp("Hypothesis of an underlying poisson
       distribution is rejected")
```

### Scilab code Exa 11.4a Ploitical affiliation and Gender

```
1 Nij = [68 56 32; 52 72 20];
2 n= sum(Nij);
3 \text{ Ni} = zeros(2,1);
4 \text{ Mj} = zeros(3,1);
5 for i = 1:2
6
        for j = 1:3
             Ni(i) = Ni(i) + Nij(i,j);
8
        end
9 end
10 for j = 1:3
11
       for i= 1:2
12
             Mj(j) = Mj(j) + Nij(i,j);
13
        end
14 end
15 \text{ NM} = ones(2,3);
16 \text{ for } i=1:2
17
       for j=1:3
             NM(i,j) = Ni(i) * Mj(j);
18
19
        end
20 end
21 \text{ NM= NM/n};
22 // disp(NM);
23 \text{ TS} = 0
24 for i=1:2
25
        for j = 1:3
             TS = TS + ((Nij(i,j)-NM(i,j))^2)/NM(i,j);
26
27
        end
28 end
29 disp(TS, "The test statistic is")
30 \text{ compare} = \text{cdfchi}("X", 2, 0.95, 0.05);
31 //disp(compare)
32 if (TS > compare)
```

```
disp("The null hypothesis is rejected at the 5%
            level of significance");
disp("The null hypothesis is accepted at the 5%
            level of significance");
end
```

#### Scilab code Exa 11.4b Machine Breakdown and shift

```
1 Nij = [68 56 32; 52 72 20];
2 n3= sum(Nij);
3 \text{ Ni} = zeros(2,1);
4 \text{ Mj} = zeros(3,1);
5 for i = 1:2
6
        for j = 1:3
7
             Ni(i) = Ni(i) + Nij(i,j);
8
        end
9 end
10 \text{ for } j = 1:3
        for i= 1:2
11
12
             Mj(j) = Mj(j) + Nij(i,j);
13
        end
14 end
15 \text{ NM} = ones(2,3);
16 for i=1:2
17
        for j=1:3
             NM(i,j) = Ni(i)*Mj(j);
18
19
        end
20 \text{ end}
21 NM= NM/n3;
22 // disp(NM);
23 \text{ TS} = 0
24 \text{ for } i=1:2
25
        for j = 1:3
             TS = TS + ((Nij(i,j)-NM(i,j))^2)/NM(i,j);
26
```

```
27    end
28    end
29    disp(TS, "The test statistic is")
30    compare = cdfchi("X", 2, 0.95, 0.05);
31    //disp(compare)
32    if(TS>compare)
33        disp("The null hypothesis is rejected at the 5% level of significance");
34    else
35        disp("The null hypothesis is accepted at the 5% level of significance");
36    end
```

## Scilab code Exa 11.5a Lung cancer and smoking

```
1 \text{ Nij} = [62 \ 14; \ 9938 \ 19986];
2 n = sum(Nij);
3 \text{ Ni} = zeros(2,1);
4 \text{ Mj} = zeros(2,1);
5 for i = 1:2
        for j = 1:2
7
             Ni(i) = Ni(i) + Nij(i,j);
8
        end
9 end
10 \text{ for } j = 1:2
11
        for i= 1:2
12
             Mj(j) = Mj(j) + Nij(i,j);
13
        end
14 end
15 \text{ NM} = ones(2,2);
16 for i=1:2
17
        for j=1:2
             NM(i,j) = Ni(i)*Mj(j);
18
19
        end
20 end
```

```
21 NM= NM/n;
22 disp(NM);
23 \text{ TS} = 0
24 \text{ for } i=1:2
25
       for j = 1:2
26
           TS = TS + ((Nij(i,j)-NM(i,j))^2)/NM(i,j);
27
       end
28 end
29 disp(TS, "The test statistic is")
30 compare = cdfchi("X", 1, 0.99, 0.01);
31 //disp(compare)
32 if (TS>compare)
33
       disp("The null hypothesis is rejected at the 5%
          level of significance");
34 else
       disp("The null hypothesis is accepted at the 5%
35
          level of significance");
36 end
```

## Scilab code Exa 11.5b Females reporting abuse

```
1 Nij = [28 30 58 55; 472 470 442 445];
2 n = sum(Nij);
3 \text{ Ni} = zeros(2,1);
4 \text{ Mj} = zeros(4,1);
5 \text{ for } i = 1:2
6
        for j = 1:4
7
             Ni(i) = Ni(i) + Nij(i,j);
8
        end
9 end
10 \text{ for } j = 1:4
        for i= 1:2
             Mj(j) = Mj(j) + Nij(i,j);
12
13
        end
14 end
```

```
15 \text{ NM} = ones(2,4);
16 for i=1:2
17
        for j=1:4
             NM(i,j) = Ni(i)*Mj(j);
18
19
        end
20 \, \text{end}
21 \text{ NM} = \text{NM/n};
22 / \operatorname{disp}(NM);
23 \text{ TS} = 0
24 for i=1:2
25
        for j = 1:4
             TS = TS + ((Nij(i,j)-NM(i,j))^2)/NM(i,j);
26
27
        end
28 end
29 disp(TS, "The test statistic is")
30 \text{ compare} = \text{cdfchi}("X", 3, 0.99, 0.01);
31 pvalue = 1- cdfchi("PQ", TS, 3);
32 disp(pvalue, "The p-value is")
33 //disp(compare)
34 if (TS > compare)
        disp("The null hypothesis is rejected at the 1%
35
           level of significance");
36 else
        disp("The null hypothesis is accepted at the 5%
37
           level of significance");
38 end
```

### Scilab code Exa 11.6a Testing distribution of a population

```
1 X= [66 72 81 94 112 116 124 140 145 155];
2 D= 0.4831487;
3 n= 10;
4 Dgiven = 1.480;
5 Dstar = (sqrt(n) + 0.12 + (0.11/sqrt(n)))*D;
6 disp(Dstar, "Dstar is ");
```

```
7 if(Dstar>Dgiven)
8     disp("Null hypothesis is rejected at 2.5% level
        of significance")
9 else
10     disp("Null hypothesis is accepted at 2.5% level
        of significance")
11 end
```

# Chapter 12

# Non parametric Hypothesis Tests

Scilab code Exa 12.2a testing the median

```
1  n= 200;
2  v = 120;
3  p =0.5;
4  if(v < (n/2))
5    pvalue = 2*cdfbin("PQ", v, n, p,1-p);
6  else
7    pvalue = 2*cdfbin("PQ", n-v, n, p,1-p);
8
9  end
10  disp(pvalue, "Pvalue is ");</pre>
```

Scilab code Exa 12.2b testing the median

```
1 n= 80;
2 v = 28;
3 p = 0.5;
```

```
pvalue = cdfbin("PQ", v, n, p,1-p);
disp(pvalue, "Pvalue is ");
disp("Thus, the null hypothesis that the median income is less than or equal to $90,000 is rejected")
```

# Scilab code Exa 12.3b Signed Rank Test

```
1 n = 4;
2 \text{ mo} = 2;
3 X = [4.2 1.8 5.3 1.7];
4 t = 3;
5 tstar= \min(t, (n*(n+1)/2) - t);
6 P = zeros(4,4);
7 P(1,1) = 0.5;
8 P(1,2) = 1;
9 P(1,3) = 1;
10 P(1,4) = 1;
11 for i=2:4
12
       for j = 1:4
13
            if (j-i <1)
                P(i,j) = 0.5*P(i-1, j);
14
15
                //\operatorname{disp}(j,i);
                //disp(P(i,j))
16
17
18
            else
                 P(i,j) = 0.5*(P(i-1,j-i)+P(i-1,j));
19
20
            end
21
        end
22 end
23 disp(P)
```

## Scilab code Exa 12.3c Determining Population Distribution

```
1 n = 20;
2 t = 142;
3 tstar= \min(t, (n*(n+1)/2) - t);
4 P = ones(20, tstar+1);
5 P(1,1) = 0.5;
6 P(1,2) = 1;
7 \text{ for } i=2:20
       for j = 1:tstar+1 if (j-i < 1)
9
               P(i,j) = 0.5*P(i-1, j);
               //disp(j,i);
10
11
               //\operatorname{disp}(P(i,j))
12
13
            else
                P(i,j) = 0.5*(P(i-1,j-i)+P(i-1,j));
14
15
            end
16
       end
17 end
18 //disp(P)
19 pvalue= 2*P(20,tstar+1);
20 disp(pvalue, "Pvalue is")
```

#### Scilab code Exa 12.4a Treatments against corrosion

```
1 X= [65.2 67.1 69.4 78.2 74 80.3];
2 Y = [59.4 72.1 68 66.2 58.5];
3 Z = [X Y];
4 Z = gsort(Z, 'g', 'i');
5 [m n] = size(X);
6 [p q] = size(Z);
7 T = 0;
8 for i=1:n
9    test = X(i);
10    for j =1 : q
```

```
11          if(test== Z(j))
12          T = T+ j;
13          end
14          end
15     end
16     disp(T, "The test statistic is ")
```

# Scilab code Exa 12.4b Determining P

```
1 function result= prob(N, M, K)
           if(N==1 & M==0)
                   if(K >0)
3
4
                       result = 1;
5
                   else
6
                        result =0;
7
                   end
8
9
           elseif (N==0 \& M==1)
                   if(K < 0)
10
                       result = 0;
11
12
                   else
13
                        result =1;
14
                   end
15
           elseif (N==0 & M==0 & K==0)
                  result =1;
16
17
           else
             result = (prob(N-1, M, K-N-M)*N/(N+M)) + (
18
                prob(N, M-1, K)*M/(N+M));
19
             // \text{result} = \text{prob}(N-1, M, K-N-M)*N/(N+M) +
                prob(N, M-1, K);
             // \operatorname{result} = \operatorname{result} + \operatorname{prob}(N, M-1, K);
20
21
22 endfunction
23
24 function result =pval(n,m,t)
```

```
result = 2*min(prob(n,m,t), 1-prob(n,m,t-1));
endfunction
```

## Scilab code Exa 12.4c Finding p value

```
1 ans = pval(5,6,21);
2 disp(ans)
```

## Scilab code Exa 12.4d Comparing production methods

```
1 ans = pval(9,13,72);
2 disp(ans)
```

### Scilab code Exa 12.4e Determining p value

```
1  n1 =5;
2  m1= 6;
3
4  t1 =21;
5  num1 = n1*(n1+m1+1)/2;
6  d1=abs(t1 - num1);
7  val = d1/sqrt(n1*m1*(n1+m1+1)/12);
8  //disp(d1, "d is")
9  //disp(val, "val is")
10  pval = 2*(1-cdfnor("PQ", val, 0,1));
11  disp(pval, "The p-value for eg 12.4a is")
12  n2 =9;
13  m2= 13;
14  t2 =72;
15  d2=abs(t2 - n2*(n2+m2+1)/2);
```

```
16

17 val = d2/sqrt(n2*m2*(n2+m2+1)/12);

18 pval = 2*(1-cdfnor("PQ", val, 0,1));

19 disp(pval, "The p-value for eg 12.4d is")
```

# Scilab code Exa 12.5a Testing randomness

```
1 function result= fact(num)
       if (num <= 0)
3
            result= 1
4
       else
            result = factorial(num)
       end
7 endfunction
   function result = proba(n,m,k)
       if(pmodulo(k,2)==0)
9
            k=k/2;
10
            result = 2*fact(m-1)*fact(n-1)*fact(n)*fact(
11
               m)/(fact(k-1)^2*fact(m-k)*fact(n-k)*fact(
               n+m));
12
         else
13
             k = (k-1)/2;
             result = fact(m-1)*fact(n-1)*fact(m)
14
                )/(fact(k-1)*fact(k)*fact(m-k)*fact(n-k)
                -1)*fact(n+m)) + fact(m-1)*fact(n-1)*
                fact(n)*fact(m)/(fact(k-1)*fact(k)*fact(
                m-k-1)*fact(n-k)*fact(n+m));
15
      end
16 endfunction
17
18 \text{ r1} = 20;
19 \text{ n1} = 20;
20 \text{ m1} = 10;
21 \text{ ans1 = 0};
22 \quad for \quad i=1:19
```

```
23     ans1 = ans1 + proba(n1,m1,i);
24     //disp(proba(n,m,i));
25     //disp(ans1)
26 end
27 if(ans1<0.5)
28     pvalue1 = 2*ans1;
29 else
30     pvalue1 = 2*(1-ans1);
31 end
32 disp(pvalue1, "P-value is")</pre>
```

## Scilab code Exa 12.5c Determining p value

```
1  u = 61;
2  sigma = 5.454;
3  r =75;
4  val = cdfnor("PQ", (r-u)/sigma, 0,1);
5  if(val>0.5)
6    pvalue = 2*(1-val);
7  else
8    pvalue = 2*val;
9  end
10  disp(pvalue, "P-value is");
```

# Chapter 13

# **Quality Control**

Scilab code Exa 13.2a Steel shaft diameter

```
1 X = [3.01 2.97 3.12 2.99 3.03 3.02 3.10 3.14 3.09]
       3.20];
2 \quad Y = 1:1:10;
3 u = 3;
4 \text{ sigma} = 0.1;
5 n=4;
 6 \text{ ucl} = u + (3*\text{sigma/sqrt}(n));
7 lcl = u - (3*sigma/sqrt(n));
8 \quad Z = 0.1:0.1:10;
9 P = ones(1,100);
10 Q= ones(1,100);
11 P = P*ucl;
12 Q = Q*lcl;
13 plot2d(Y, X, -2);
14 plot2d(Z, P, 1);
15 plot2d(Z, Q, 1);
16 // disp (size (Z));
17 // \operatorname{disp}(\operatorname{size}(P));
18 disp(ucl, 'ucl is');
19 disp(lcl, 'lcl is')
```

#### Scilab code Exa 13.2b unknown mean and variance

```
1 Xbar = [3.01 2.97 3.12 2.99 3.03 3.02 3.10 3.14 3.09
       3.20];
2 S = [0.12 \ 0.14 \ 0.08 \ 0.11 \ 0.09 \ 0.08 \ 0.15 \ 0.16 \ 0.13
      0.16];
3 c = [0.7978849 0.8862266 0.9213181 0.9399851]
      0.9515332 \ 0.9593684 \ 0.9650309 \ 0.9693103
      0.9726596];
4 n = 4;
5 Xbarbar= mean(Xbar);
6 Sbar =mean(S);
7 lcl = Xbarbar - (3*Sbar/(sqrt(n)*c(n-1)));
8 ucl = Xbarbar + (3*Sbar/(sqrt(n)*c(n-1)));
9 //disp(lcl, "LCL is")
10 //disp(ucl, "UCL is")
11 u = Xbarbar;
12 sigma = Sbar/c(n-1);
13 // disp(u);
14 // disp (sigma);
15 // \operatorname{disp} (\operatorname{Sbar}, c(4));
16 prob = cdfnor("PQ", 3.1, u, sigma) - cdfnor("PQ",
      2.9, u, sigma);
17 disp(prob*100, "Percentage of the items that will
      meet the specifications is")
```

Scilab code Exa 13.3a determining control limits

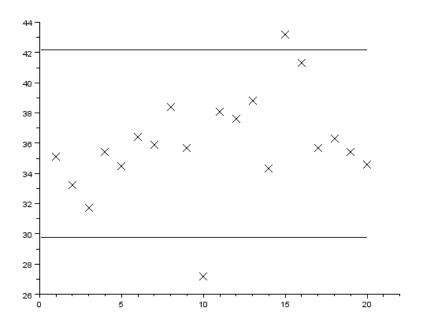


Figure 13.1: determining control limits

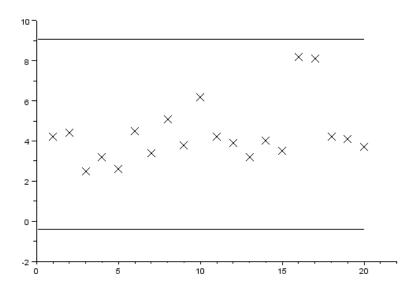


Figure 13.2: determining control limits

```
1 Xbar = [35.1 33.2 31.7 35.4 34.5 36.4 35.9 38.4
      35.7 27.2 38.1 37.6 38.8 34.3 43.2 41.3 35.7 36.3
       35.4 34.6];
2 S = [4.2 \ 4.4 \ 2.5 \ 3.2 \ 2.6 \ 4.5 \ 3.4 \ 5.1 \ 3.8 \ 6.2 \ 4.2 \ 3.9
       3.2 4 3.5 8.2 8.1 4.2 4.1 3.7];
3 c = [0.7978849 0.8862266 0.9213181 0.9399851
      0.9515332 0.9593684 0.9650309 0.9693103
      0.9726596];
4 \quad Y = 1:1:20;
5 n = 5;
6 \quad Z = 0.1:0.1:20;
7 Xbarbar = mean(Xbar);
8 \text{ Sbar} = \text{mean}(S);
9 lclX = Xbarbar - (3*Sbar/(sqrt(n)*c(n-1)));
10 uclX = Xbarbar + (3*Sbar/(sqrt(n)*c(n-1)));
11 val1 = 1/c(n-1);
12 val1 = val1^2;
13 \text{ val1} = \text{val1} - 1;
```

```
14 val = sqrt(val1);
15 // \text{val} = \text{sqrt} ((1/c(n-1)^2)) - 1;
16 ucls = Sbar*(1+(3*val));
17 lcls = Sbar*(1-(3*val));
18 //disp(ucls, lcls)
19 plot2d(Y, Xbar, -2);
20 P= ones(1, 200);
21 Q = ones(1, 200);
22 P = P*lclX;
23 Q=Q*uclX;
24 \operatorname{disp}(\operatorname{uclX}, \operatorname{`UCL}(X)=');
25 disp(lclX, 'LCL(X)=');
26 plot2d(Z, P, 1);
27 plot2d(Z, Q, 1);
28 title('Control Chart for X')
29 scf(2);
30 disp(uclX, 'UCL(S)=');
31 disp(lclX, 'LCL(S)=');
32 //disp(ucls, lcls)
33 plot2d(Y, S, -2);
34 P= P*lcls/lclX;
35 Q=Q*ucls/uclX;
36 plot2d(Z, P, 1);
37 plot2d(Z, Q, 1);
38 title('Control Chart for S')
```

#### Scilab code Exa 13.4a Defectives Screws

```
6 val = sqrt(Fbar*(1-Fbar)/n);
7 lcl = Fbar - (3*val);
8 \text{ ucl} = \text{Fbar} + (3*\text{val});
9 disp(lcl,"LCL is");
10 disp(ucl, "UCL is");
11 for i= 1:20
        if( F(i)>ucl | F(i)<lcl)</pre>
12
             totald=sum(defect)-defect(i);
13
             // total = total -50;
14
15
         end
16 \, \text{end}
17 // disp (totald);
18 \text{ total} = \text{total} - 50;
19 Fbar = totald/total;
20 val = sqrt(Fbar*(1-Fbar)/n);
21 // disp (Fbar);
22 disp("After recomputation");
23 \ 1c1 = Fbar - (3*val);
24 \text{ ucl} = \text{Fbar} + (3*\text{val});
25 disp(lcl,"LCL is");
26 disp(ucl, "UCL is");
```

### Scilab code Exa 13.5a Control during production of cars

```
1  X = [141 162 150 111 92 74 85 95 76 68 63 74 103 81
      94 68 95 81 102 73];
2  total = sum(X);
3  num = 20;
4  Xbar = mean(X);
5  lcl = Xbar - 3*sqrt(Xbar);
6  ucl = Xbar + 3*sqrt(Xbar);
7  disp(ucl, "UCL is");
8  disp(lcl, "LCL is");
9  for i =1:20
10  if(X(i)> ucl)
```

```
11
            total = total - X(i);
12
            num = num -1;
13
       end
14 end
15 Xbar = total/num;
16
17 lcl = Xbar - 3*sqrt(Xbar);
18 ucl = Xbar + 3*sqrt(Xbar);
19 disp("After recomputation")
20 disp(ucl, "UCL is");
21 disp(lcl, "LCL is");
22 \text{ total} = \text{total} - X(4);
23 \quad \text{num} = \text{num} - 1;
24 disp(Xbar, "Xbar is");
25 disp(X(4), " is");
26 Xbar = total/num;
27 	 lcl = Xbar - 3*sqrt(Xbar);
28 \text{ ucl} = Xbar + 3*sqrt(Xbar);
29 disp("After second recomputation")
30 disp(ucl, "UCL is");
31 disp(lcl, "LCL is");
32 disp(Xbar, "It appears that the process is in
      control with mean");
33
34 //The mean after the second recomputation is
      incoreectly calculated in the textbook. It should
       be
35 ((17*84.41)-111)/16 = 82.748 whereas the value
      given in the book is 82.56. The values of UCL and
       LCL
36 change accordingly.
```

#### Scilab code Exa 13.6b Service Time

```
1 X = [48 52 70 62 57 81 56 59 77 82 78 80 74 82 68]
```

```
84];
2 u = 62;
3 n = 4;
4 \text{ sigma} = 24;
5 \text{ alpha} = 0.25;
6 W = zeros(17);
7 \text{ W}(1) = 60;
8 \text{ for } i = 2:17
9
        W(i) = (0.25*X(i-1)) + (0.75*W(i-1));
10 \text{ end}
11 disp(W , "The values of W are")
12 val = 3*sigma*sqrt(alpha/(n*(2-alpha)));
13 lcl = u-val;
14 \text{ ucl} = u + val;
15 disp(lcl, "LCL is");
16 disp(ucl, "UCL is");
```

### Scilab code Exa 13.6c Exponentially weighted moving average control

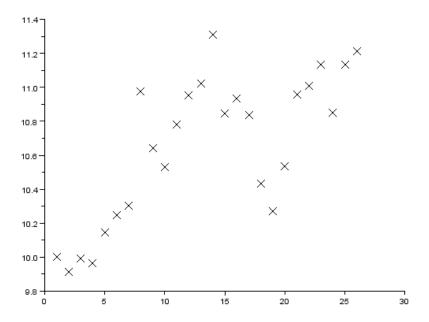


Figure 13.3: Exponentially weighted moving average control

```
11 W = zeros(26);
12 W(1) = 10.;
13 for i =2:26
14
       W(i) = (alpha*X(i-1)) + ((1-alpha)*W(i-1));
15 end
16 disp(W, "The values of W are");
17 val = 3*sigma*sqrt(alpha/(n*(2-alpha)));
18 \text{ lcl} = u - val;
19 \text{ ucl} = u + val;
20 disp(lcl, "LCL is");
21 disp(ucl, "UCL is");
22 \quad plot2d(t,W, -2);
23 xlabel("t");
24 ylabel("W");
25 \text{ nlcl} = ones(1, 26);
26 nlcl= nlcl.* lcl;
27 plot2d(t, nlcl);
28 \text{ nucl} = ones(1, 26);
29 nucl = nucl.* ucl;
30 plot2d(t,nucl);
31
32 //The asymptpotic lines for UCL and LCL have been
      plotted
```

## Scilab code Exa 13.6d Finding control limit

```
1  X = [29 33 35 42 36 44 43 45];
2  u =30;
3  sig = 8;
4  d =0.5;
5  B =5;
6  Y = X - u - (d*sig);
7  S = zeros(9);
8  S(1) =0;
9  for i=2:9
```

```
S(i) = \max(S(i-1) + Y(i-1), 0);
10
11 end
12 disp(S, "S is")
13 \text{ cl} = B*sig;
14 disp(cl)
15 answer =100;
16 for i=1:9
       if(S(i)>cl)
17
18
            answer = i;
19
       end
20 \text{ end}
21 disp("The mean has increased after observing the ")
22 disp(answer-1);
23 disp(" subgroup average");
```

# Chapter 14

# Life Testing

### Scilab code Exa 14.3a Lifetime of a transistor

```
1 total =50;
2 failure = 15;
3 \text{ alpha} = 0.05;
4 t = 525;
5 \text{ val1} = \frac{\text{cdfchi}}{\text{cmin}}(X, 2 + \text{failure}, \text{alpha}/2, 1 - (\text{alpha}/2))
6 val2 = cdfchi("X", 2*failure, 1-alpha/2, (alpha/2))
8 int1 = 2*t/val1;
9 int2 = 2*t/val2;
10 disp("The 95% confidence interval is");
11 disp(int2);
12 disp(int1, "to");
13
14 //The confidence interval is from 22.35 to 62.17
      whereas my solution in Scilab is 22.35 to 62.53
15 because of the difference in the value of chi-square
      (0.975, 30). The textbook says the value is 16.89
16 whereas scilab calculates its value as 16.79
```

### Scilab code Exa 14.3b Lifetime of Battery

```
1 t = 1800;
2 theta = 150;
3 r =20;
4 pvalue = cdfchi("PQ",2*t/theta, 2*r);
5 disp(pvalue, "P-value is ")
```

## Scilab code Exa 14.3c One at a time sequential test

```
1 T = 500;
2 \text{ alpha} = 0.05;
3 r = 10;
4 val1 = cdfchi("X", 2*r, 1-alpha/2, alpha/2);
5 val2 = cdfchi("X", 2*r, alpha/2, 1- alpha/2);
6 int1= 2*T/val1;
7 int2= 2*T/val2;
8 disp("The 95% confidence interval is");
9 disp(int1);
10 disp(int2, "to");
11
12
    //The confidence interval is from 29.27 to 103.52
       whereas my solution in Scilab is 29.265774 to
13 104.26683 because of the difference in the value of
     chi-square(0.975, 30). The textbook says the
     value is
14 9.66 whereas scilab calculates its value as
     9.5907774 .
```

#### Scilab code Exa 14.3d Lifetime of semiconductors

```
1    r = 30;
2    T = 600;
3    theta = 25;
4    val1 = cdfchi("PQ", 2*T/theta, 2*r);
5    val2 = 1- cdfchi("PQ", 2*T/theta, 2*(r+1));
6    pvalue = min(val1, val2);
7    disp(pvalue, "The pvalue is");
8    disp("H0 would be accepted when the significance level is 0.10");
```

### Scilab code Exa 14.3e Bayes estimator

```
1 X = [5 7 6.2 8.1 7.9 15 18 3.9 4.6 5.8];
2 Y= [3 3.2 4.1 1.8 1.6 2.7 1.2 5.4 10.3 1.5];
3 t = sum(X)+sum(Y);
4 R =10;
5 a = 20;
6 b = 2;
7 estimate = (R+b)/(a+t);
8 disp(estimate, "Bayes estimate of lambda is");
```

### Scilab code Exa 14.4a Lifetime of items produced by two plants

```
1 Xlife = 420;
2 Ylife = 510;
3 Xnum= 10;
4 Ynum =15;
5 ts = Xlife*Ynum/(Ylife*Xnum);
6 disp(ts, "The value of the test statistic is");
7 val = cdff("PQ", ts, Xnum, Ynum);
8 pvalue = 2*(1-val);
```

```
9 disp(pvalue, "The p-value is");
10 disp("We cannot reject H0");
```