IDA Homework - Analysis of Formal Verification Algorithms

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Contents

1	Introduction	1
	1.1 Background	1
	1.2 Variables of the problem	
2	Summary of the data	2
		2
	2.2 Summary	
	2.3 Histograms of output variables	
3	Basic analysis	4
	3.1 Number of successful executions	4
	3.2 Safety results	5
	3.3 Average execution times	
	Relative standard deviation of measurements	
4	Correlations	8
	4.1 On the whole data set	8
	4.2 On hardware models	10
	4.3 On PLC models	10
	4.4 Linear regressions	11
5	Pairwise comparisons	13
	5.1 Comparison of execution time for predicate and explicit domains	14
	Comparison of iterations for Craig and sequence itp refinements	17
6	Decision tree	18
	3.1 Success of verification	18
	3.2 Counterexample length	
7	Conclusion	20

1 Introduction

1.1 Background

In my research, I am working on the formal verification of software and hardware systems. I create a formal model (a formal representation) of the system and the desired property using first order logic formulas. Then, the set of possible states of the system (state space) can be explored to check whether it is safe, i.e., the desired property holds for each reachable state (e.g., a variable x should never be negative during the execution of a software). However, a major drawback of formal verification techniques is the so-called state space explosion problem, which means that the set of possible states of a system can be unmanageably or even infinitely large. To overcome this problem, I use abstraction-based techniques, which reduce complexity by hiding information that is not relevant for verification. However, finding the proper precision of abstraction is a difficult task. Counterexample-Guided Abstraction Refinement (CEGAR) is an automatic verification algorithm that starts with a coarse abstraction and refines it iteratively until the proper precision is obtained. CEGAR is a general concept, having numerous variants

in the literature, with different variants performing better for different tasks. The main focus of my research is the development of a generic CEGAR framework that can incorporate different variants of the CEGAR algorithm. This way, the most appropriate variant can be choosed for a particular verification task. In this homework I run several variants of the algorithm on different models and analyze the results.

1.2 Variables of the problem

1.2.1 Input variables

- Parameters of the model (the formal representation of the system under verification)
 - **Type** of the model (hardware or plc)
 - Name of the **model**
 - Number of **variables** in the model
 - Size of the formulas describing the model
- Parameters of the algorithm (the algorithm configuration)
 - Abstract **domain** (predicate or explicit)
 - Refinement strategy (Craig interpolation, sequence interpolation, unsat core)
 - **Initial precision** of the abstraction (empty or property-based)
 - **Search** strategy (BFS or DFS)

Constraints: unsat core refinement cannot be used with predicate domain. Besides that, all combinations of the algorithm parameters are valid configurations.

1.2.2 Output variables

- Is the model safe, i.e., does the property hold
- Execution time of the verification
- Number of refinement iterations
- Size of the ARG (Abstract Reachability Graph, i.e., the abstract state space)
- Depth of the ARG
- Length of the counterexample (if the model is not safe)

Constraints: it is possible that the algorithm did not terminate within a specified time (see later). In this case all output variables are NA values. Furthermore, the length of the counterexample is NA if the model is safe.

2 Summary of the data

Common variables for the script:

2.1 Load and clean data

```
d <- read.csv(csv.path, header = T, sep = ",", quote = "", na.strings = "")
# Formatting: trim the name of the model, determine new variable 'Type'
d$Model <- as.factor(gsub("models/", "", d$Model))
d$Model <- as.factor(substr(d$Model, 0, regexpr("\\.[^\\.]*$", d$Model) - 1))
d <- data.frame(Type = as.factor(substr(d$Model, 0, regexpr('/', d$Model) - 1)), d)
# Filter timeouts
d.no.to <- d %>% filter(!is.na(TimeMs))
```

2.2 Summary

##

NA's

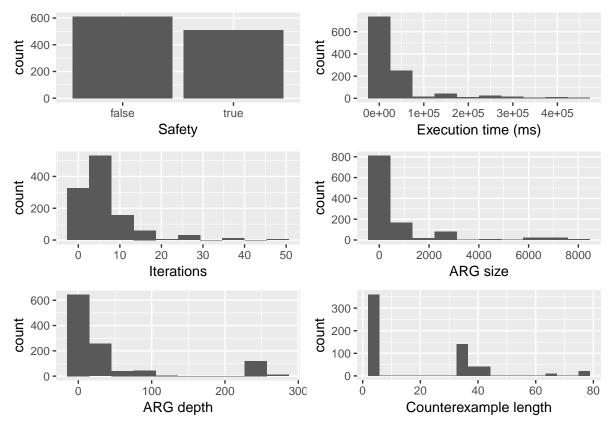
:1190

There are 18 input models and 20 algorithm configurations. Each measurement was repeated 5 times, yielding a total number of 1800 measurement points with 1120 successful verifications (non-timeouts) (62%). Total time of the measurements: 4 days 6 hours.

```
str(d, width = 80, strict.width = "cut") # Check column types
                    1800 obs. of 14 variables:
   'data.frame':
                : Factor w/ 2 levels "hw", "plc": 1 1 1 1 1 1 1 1 1 1 ...
##
    $ Type
                : Factor w/ 18 levels "hw/bob2", "hw/eijks208c",..: 1 1 1 1 1 1 1 ...
##
    $ Model
##
    $ Vars
                : int 159 159 159 159 159 159 159 159 159 ...
##
    $ Size
                : Factor w/ 2 levels "EXPL", "PRED": 2 2 2 2 2 2 2 2 2 2 ...
##
    $ Domain
    $ Refinement: Factor w/ 3 levels "CRAIG_ITP", "SEQ_ITP",..: 1 1 1 1 1 1 1 1 1 ...
    $ InitPrec : Factor w/ 2 levels "EMPTY", "PROP": 1 1 1 1 1 1 1 1 1 1 ...
##
    $ Search
                : Factor w/ 2 levels "BFS", "DFS": 1 1 1 1 1 2 2 2 2 2 ...
    $ Safe
                : Factor w/ 2 levels "false", "true": 2 2 2 2 2 2 2 2 2 2 ...
##
    $ TimeMs
##
                : int 4328 4326 4354 4263 4379 4026 4110 4020 4285 4017 ...
                       12 12 12 12 12 14 14 14 14 14 ...
    $ Iterations: int
                       23 23 23 23 27 17 17 17 17 ...
##
    $ ARGsize
                : int
##
                       5 5 5 5 5 5 5 5 5 5 ...
    $ ARGdepth
                : int
    $ CEXlen
                : int
                       NA NA NA NA NA NA NA NA NA ...
summary(d) # Check summary values
##
     Туре
                                   Model
                                                   Vars
                                                                   Size
               hw/bob2
    hw:1200
                                      : 100
                                              Min.
                                                     : 30.0
                                                              Min.
                                                                     :1226
##
    plc: 600
               hw/eijks208c
                                      : 100
                                              1st Qu.: 83.0
                                                              1st Qu.:1783
##
               hw/eijks208o
                                             Median: 99.0
                                                              Median:3280
                                      : 100
##
               hw/nusmv.syncarb10_2.B: 100
                                              Mean
                                                     :159.5
                                                              Mean
                                                                     :4046
##
               hw/nusmv.syncarb5_2.B : 100
                                              3rd Qu.:188.0
                                                              3rd Qu.:6730
##
               hw/pdtpmsarbiter
                                      : 100
                                             Max.
                                                     :382.0
                                                              Max.
                                                                     :7218
##
               (Other)
                                      :1200
##
     Domain
                     Refinement
                                   InitPrec
                                              Search
                                                           Safe
    EXPL:1080
                CRAIG ITP:720
                                              BFS:900
##
                                 EMPTY:900
                                                        false:610
                                              DFS:900
    PRED: 720
                SEQ_ITP
                                 PROP :900
                                                        true :510
##
                           :720
##
                UNSAT_CORE:360
                                                        NA's :680
##
##
##
##
##
        TimeMs
                       Iterations
                                          ARGsize
                                                           ARGdepth
##
           :
               515
                     Min.
                            : 1.000
                                                  2.0
                                                               : 1.00
    Min.
                                      Min.
                                                        Min.
                                                        1st Qu.: 3.00
##
    1st Qu.:
              1376
                     1st Qu.: 2.000
                                      1st Qu.:
                                                17.0
##
    Median :
              3571
                     Median : 4.000
                                      Median :
                                                37.0
                                                        Median:
                                                                  7.00
           : 38372
                            : 6.491
                                              : 694.7
                                                               : 46.75
##
    Mean
                     Mean
                                      Mean
                                                        Mean
##
    3rd Qu.: 33776
                     3rd Qu.: 8.000
                                      3rd Qu.: 744.0
                                                        3rd Qu.: 37.25
##
    Max.
           :448544
                     Max.
                             :49.000
                                      Max.
                                              :8018.0
                                                        Max.
                                                               :273.00
##
    NA's
           :680
                     NA's
                             :680
                                      NA's
                                              :680
                                                        NA's
                                                               :680
##
        CEXlen
           : 2.00
##
    Min.
    1st Qu.: 2.00
##
    Median: 3.00
##
           :17.72
##
    Mean
##
    3rd Qu.:33.00
##
           :75.00
    Max.
```

2.3 Histograms of output variables

The following histograms show an overview of the distribution of the output variables.



3 Basic analysis

3.1 Number of successful executions

The following plot shows that each model was verified by at least one configuration. It is interesting that there was a model (plc3), which could only be verified by a single configuration. It can also be observed, that either all repetitions of a measurement succeeded or all timed out. Regarding the configurations, it can be seen that some of them can verify almost every model, while others can only verify about half of them. However, none of the configurations could verify every model.

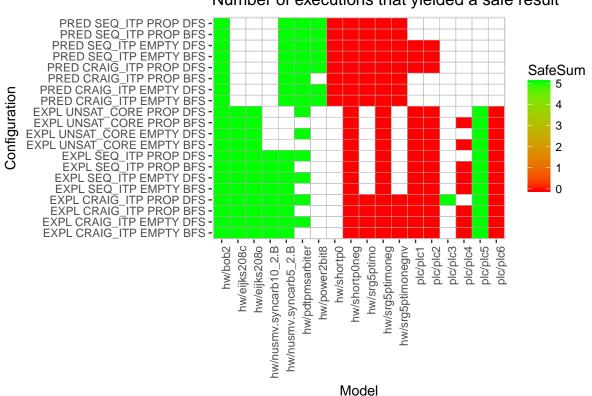
Number of successful (non-timeout) executions



3.2 Safety results

The following plot shows that (1) all configurations agree on the safety of the model (whether it meets the property or not) and (2) either all executions of a configuration yielded safe or all yielded unsafe. The lack of the previous properties would obviously mean that the algorithms are not sound.

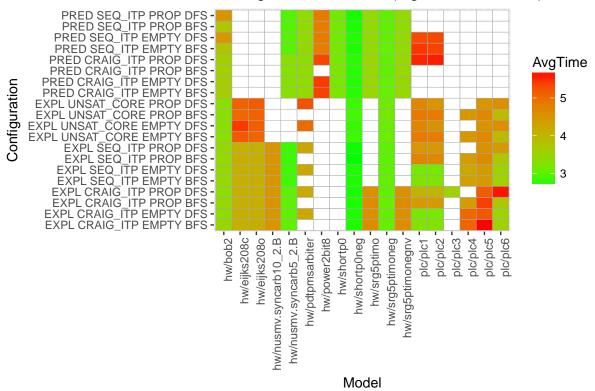
Number of executions that yielded a safe result



3.3 Average execution times

The following plot shows that there are 2-3 orders of magnitude difference between average execution times. It is not surprising that the same configuration performs differently for different models, but it is interesting that for certain models there is a great difference in performance with the change of a single parameter of the configuration. It is also quite surprising that there is a model, where only one configuration was successful, but with a short execution time. This case could be the subject of detailed analysis in the future.

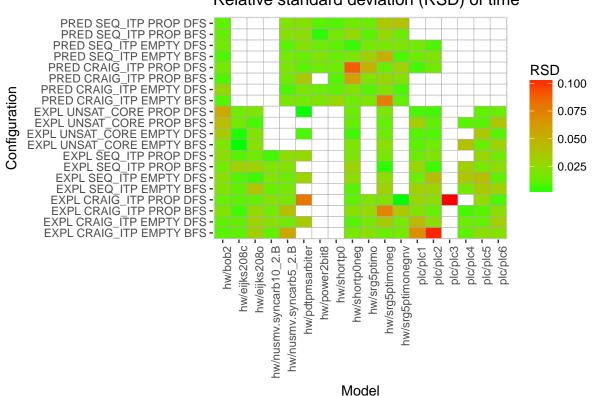
Average execution time (log10, milliseconds)



3.4 Relative standard deviation of measurements

The following plot shows that the relative standard deviation of the repeated executions is low (maximum is 0.1044726). This indicates a robust measurement environment.

Relative standard deviation (RSD) of time

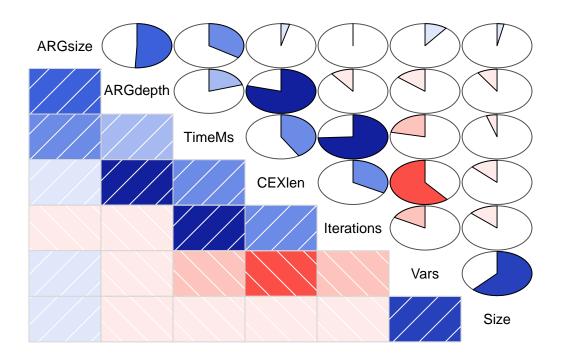


4 Correlations

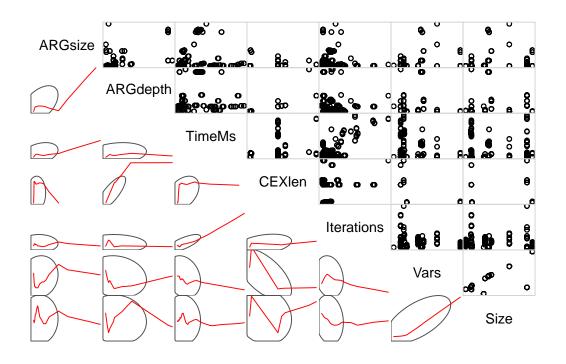
4.1 On the whole data set

The following correlation matrices and correlograms show some correlation between variables, but it is not convincing enough. Therefore, I split the results into two parts based on the type of the model (hardware or PLC).

```
# Select numerical data
d.corr <- select(d, TimeMs, Vars, Size, Iterations, ARGsize, ARGdepth, CEXlen)
round(cor(d.corr, use = "pairwise.complete.obs"), 4)
##
               TimeMs
                         Vars
                                 Size Iterations ARGsize ARGdepth
## TimeMs
               1.0000 -0.2163 -0.0492
                                           0.7430
                                                  0.3414
                                                            0.2018
                                                                    0.4148
## Vars
              -0.2163 1.0000 0.6197
                                          -0.1704
                                                  0.1033
                                                           -0.1409 -0.6093
              -0.0492 0.6197
                               1.0000
                                          -0.1335
                                                  0.0322
                                                           -0.0921 -0.1262
## Size
## Iterations
               0.7430 -0.1704 -0.1335
                                           1.0000 -0.0231
                                                           -0.1045 0.3294
## ARGsize
               0.3414 0.1033 0.0322
                                          -0.0231
                                                  1.0000
                                                            0.5082
                                                                    0.0398
## ARGdepth
               0.2018 -0.1409 -0.0921
                                          -0.1045
                                                   0.5082
                                                            1.0000
                                                                    0.7912
## CEXlen
               0.4148 -0.6093 -0.1262
                                           0.3294
                                                   0.0398
                                                            0.7912
                                                                    1.0000
corrgram(d.corr, order = TRUE, lower.panel = panel.shade, upper.panel = panel.pie)
```



corrgram(d.corr, order = TRUE, lower.panel = panel.ellipse, upper.panel = panel.pts)

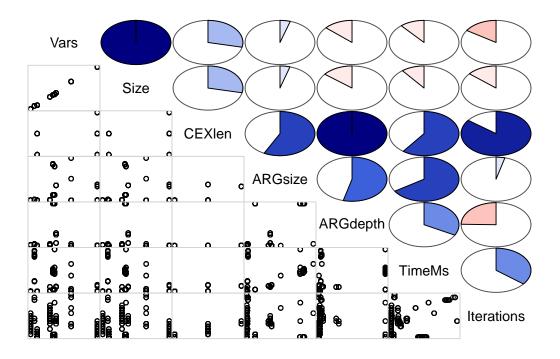


4.2 On hardware models

The following matrices and correlograms show some strong correlations.

- Correlation between the number of variables and the size of the model is due to the formal representation of hardware circuits (e.g., for each gate output, a unique variable is assigned).
- The correlation between the depth of the ARG and the length of the counterexample may indicate that counterexamples are always on the deepest level of the explored state space.
- Correlation between the number of iterations and the counterexample length indicates that for each step towards the target state, a refinement was required.

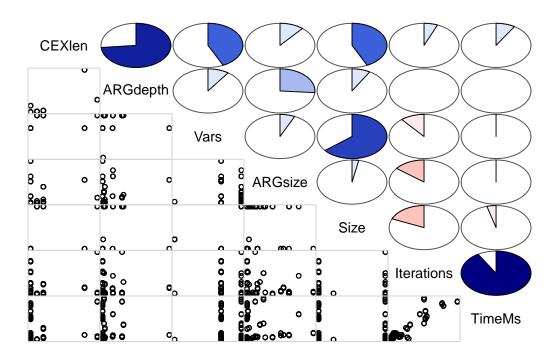
```
d.corr.hw <- select(filter(d, Type == "hw"), TimeMs, Vars, Size, Iterations, ARGsize,</pre>
                     ARGdepth, CEXlen)
round(cor(d.corr.hw, use = "pairwise.complete.obs"), 4)
               TimeMs
                          Vars
                                  Size Iterations ARGsize ARGdepth CEXlen
## TimeMs
               1.0000 -0.1131 -0.1061
                                           0.3565
                                                   0.6584
                                                             0.3283 0.6018
                                                            -0.1344 0.2845
## Vars
              -0.1131
                       1.0000
                                0.9992
                                          -0.1586
                                                   0.0475
## Size
              -0.1061
                       0.9992
                                1.0000
                                          -0.1384
                                                    0.0461
                                                            -0.1425 0.2845
## Iterations
               0.3565 -0.1586 -0.1384
                                           1.0000
                                                    0.0409
                                                            -0.2466 0.8531
## ARGsize
               0.6584 0.0475
                               0.0461
                                           0.0409
                                                    1.0000
                                                             0.5405 0.5755
               0.3283 -0.1344 -0.1425
                                                             1.0000 1.0000
## ARGdepth
                                          -0.2466
                                                    0.5405
## CEXlen
               0.6018 0.2845
                                0.2845
                                           0.8531
                                                    0.5755
                                                             1.0000 1.0000
corrgram(d.corr.hw, order = TRUE, lower.panel = panel.pts, upper.panel = panel.pie)
```



4.3 On PLC models

Correlations for PLC models are less significant. This may be due to the high diversity of PLC models.

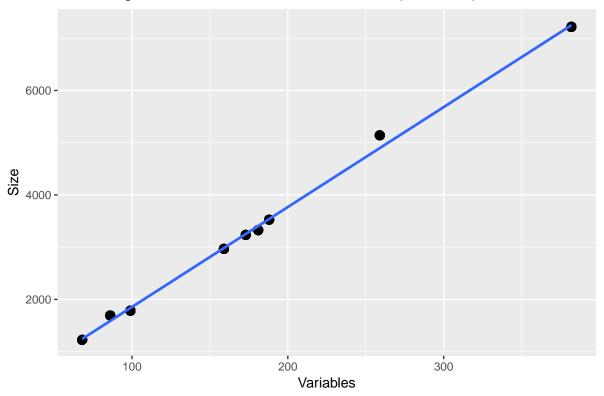
```
d.corr.plc <- select(filter(d, Type == "plc"), TimeMs, Vars, Size, Iterations, ARGsize</pre>
                      ARGdepth, CEX1en)
# Correlation matrix
round(cor(d.corr.plc, use = "pairwise.complete.obs"), 4)
##
               TimeMs
                          Vars
                                  Size Iterations ARGsize ARGdepth CEXlen
                                                             0.0017 0.0883
## TimeMs
               1.0000 0.0093 -0.0425
                                           0.9139 0.0243
## Vars
               0.0093
                       1.0000
                               0.6409
                                          -0.1104
                                                   0.0691
                                                             0.0978 0.4287
                                1.0000
## Size
               -0.0425
                       0.6409
                                          -0.1847
                                                   0.0311
                                                             0.0847 0.4287
                                                             0.0028 0.0632
## Iterations
               0.9139 -0.1104 -0.1847
                                           1.0000 -0.1442
## ARGsize
               0.0243
                        0.0691
                                0.0311
                                          -0.1442
                                                    1.0000
                                                             0.2625 0.1114
## ARGdepth
               0.0017
                        0.0978
                                0.0847
                                           0.0028
                                                    0.2625
                                                             1.0000 0.7347
## CEXlen
               0.0883
                       0.4287
                                0.4287
                                           0.0632
                                                   0.1114
                                                             0.7347 1.0000
corrgram(d.corr.plc, order = TRUE, lower.panel = panel.pts, upper.panel = panel.pie)
```



4.4 Linear regressions

Based on the correlations above, some linear regressions were also calculated. The R-squared values show a strong correlation (R-squared > 0.8).

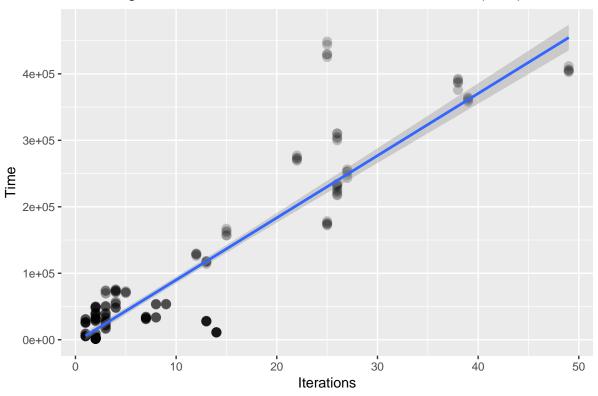
Linear regression between variables and size (hardware)



summary(lm(d.corr.hw\$Size ~ d.corr.hw\$Vars))

```
##
## Call:
## lm(formula = d.corr.hw$Size ~ d.corr.hw$Vars)
##
## Residuals:
              10 Median
                            3Q
     Min
## -79.18 -38.51 -24.69 -15.58 244.04
##
## Coefficients:
                   Estimate Std. Error t value Pr(>|t|)
## (Intercept)
                  -56.50646
                               5.04540
                                         -11.2
                                                 <2e-16 ***
## d.corr.hw$Vars 19.12534
                               0.02152
                                         888.8
                                                 <2e-16 ***
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 85.07 on 1198 degrees of freedom
## Multiple R-squared: 0.9985, Adjusted R-squared: 0.9985
## F-statistic: 7.9e+05 on 1 and 1198 DF, p-value: < 2.2e-16
d.corr.plc.no.to <- filter(d.corr.plc, !is.na(TimeMs))</pre>
ggplot(d.corr.plc.no.to, aes(Iterations, TimeMs)) +
  geom_point(alpha = 1/5, size = 3) +
  labs(title = "Linear regression between iterations and execution time (PLC)",
  geom_smooth(method = "lm")
```

Linear regression between iterations and execution time (PLC)



summary(lm(d.corr.plc.no.to\$TimeMs ~ d.corr.plc.no.to\$Iterations))

```
##
## Call:
## lm(formula = d.corr.plc.no.to$TimeMs ~ d.corr.plc.no.to$Iterations)
##
## Residuals:
##
       Min
                10
                    Median
                                 3Q
                                        Max
   -116675
                      -563
                             20493
                                     218329
##
            -13763
##
##
  Coefficients:
##
                               Estimate Std. Error t value Pr(>|t|)
## (Intercept)
                                 -3509.5
                                             3202.7
                                                    -1.096
                                                               0.274
                                 9349.0
## d.corr.plc.no.to$Iterations
                                              234.7
                                                     39.835
                                                              <2e-16 ***
                   0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
## Signif. codes:
##
## Residual standard error: 44440 on 313 degrees of freedom
## Multiple R-squared: 0.8352, Adjusted R-squared: 0.8347
## F-statistic: 1587 on 1 and 313 DF, p-value: < 2.2e-16
```

5 Pairwise comparisons

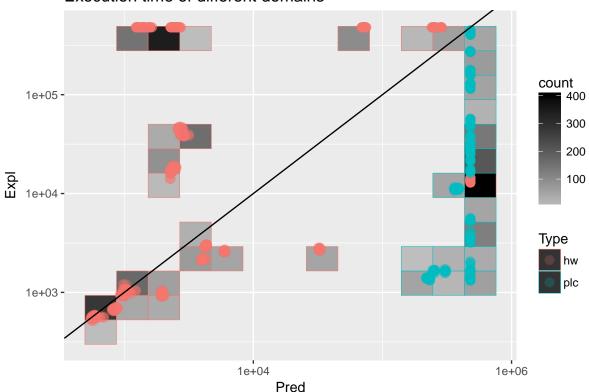
In the following, I analyze the effect of individual parameters of the algorithm. This is done by forming pairs from the measurements (using the join operation known from databases), where each parameter is the same, except the examined one. Then, a scatterplot is drawn, where the x and y values represent the two possible parameter values. Note, that this only works for parameters with 2 factors, but in my case, most of the parameters fulfill this constraint (e.g., the domain can be predicate or explicit).

5.1 Comparison of execution time for predicate and explicit domains

Each point in the following plot represents two executions for the same model: one with predicate domain and one with explicit domain. A point above the line means that predicate domain was faster, while a point below the line means the opposite. Points at the right and top edges of the plot correspond to timeouts. It can be seen that verification of PLC models is more efficient in the explicit domain. Hardware models show some diversity, each domain has good results. Some clusters can also be observed, therefore I also performed cluster analysis.

```
d.inputs.time <- select(d, Type, Model, Domain, Refinement, InitPrec, Search, TimeMs)
d.inputs.time[is.na(d.inputs.time)] <- timeout.ms</pre>
d.domain.time <- inner_join(</pre>
  filter(d.inputs.time, Domain == "PRED"),
  filter(d.inputs.time, Domain == "EXPL"),
  by = c("Type", "Model", "Refinement", "InitPrec", "Search"))
d.domain.time <- filter(d.domain.time,</pre>
                         TimeMs.x != timeout.ms | TimeMs.y != timeout.ms)
# Plot
ggplot(d.domain.time, aes(TimeMs.x, TimeMs.y, color = Type)) +
  scale_y_log10() + scale_x_log10() +
  geom_bin2d(bins = 12) +
  scale_fill_gradient(low = "gray", high = "black") +
  geom_point(alpha = 1/5, size = 3) +
  geom_abline() +
  labs(title = "Execution time of different domains", x = "Pred", y = "Expl")
```

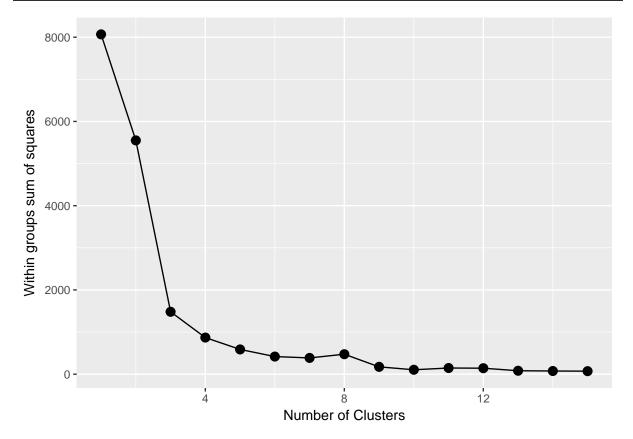
Execution time of different domains



5.1.1 Clustering

Usually, the first task in cluster analysis is to determine the number of clusters. The following plot shows that the increase in the quality of clustering slows after 3 clusters. Therefore, I ran a k-means cluster analysis with k=3.

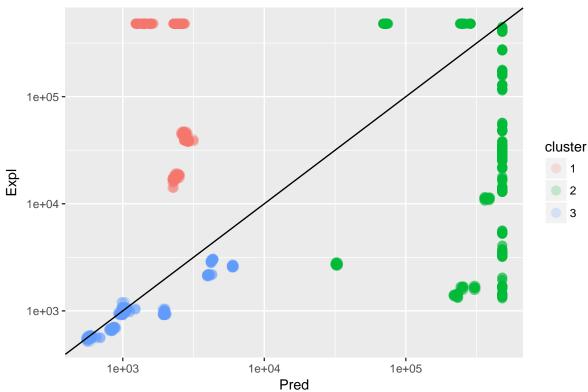
```
# Extract data for clustering
d.dom.time.clust <- log10(select(d.domain.time, TimeMs.x, TimeMs.y))
# Determine number of clusters
set.seed(1)
wss <- (nrow(d.dom.time.clust) - 1) * sum(apply(d.dom.time.clust, 2, var))
for (i in 2:15) wss[i] <- sum(kmeans(d.dom.time.clust, centers = i)$withinss)
ggplot(data.frame(x = 1:15, wss), aes(x, wss)) +
   geom_point(size = 3) + geom_line() +
   labs(x = "Number of Clusters", y = "Within groups sum of squares")</pre>
```



The following plot shows a convincing result.

```
# K-Means Cluster Analysis
fit <- kmeans(d.dom.time.clust, 3)
# Append clusters
d.dom.time.clust <- data.frame(d.domain.time, cluster = as.factor(fit$cluster))
# Plot
ggplot(d.dom.time.clust, aes(TimeMs.x, TimeMs.y, color = cluster)) +
    scale_y_log10() + scale_x_log10() +
    geom_point(alpha = 1/5, size = 3) +
    geom_abline() +
    labs(title = "Execution time of different domains", x = "Pred", y = "Expl")</pre>
```



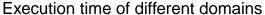


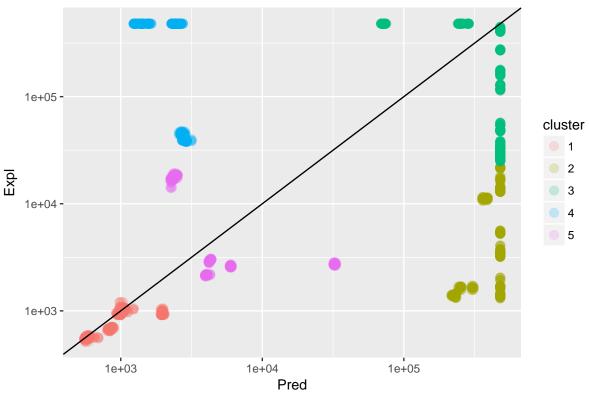
The table shows that all PLC models are in the same cluster (mixed with some hardware) and there are two clusters containing the majority of hardware models.

table(d.dom.time.clust\$cluster, d.dom.time.clust\$Type)

As it can be seen below, running clustering with k=5 only yields a slightly better classification (there are a bit less hardware mixed with PLC).

```
d.dom.time.clust <- log10(select(d.domain.time, TimeMs.x, TimeMs.y))
# K-Means Cluster Analysis
fit <- kmeans(d.dom.time.clust, 5)
# Append clusters
d.dom.time.clust <- data.frame(d.domain.time, cluster = as.factor(fit$cluster))
# Plot
ggplot(d.dom.time.clust, aes(TimeMs.x, TimeMs.y, color = cluster)) +
    scale_y_log10() + scale_x_log10() +
    geom_point(alpha = 1/5, size = 3) +
    geom_abline() +
    labs(title = "Execution time of different domains", x = "Pred", y = "Expl")</pre>
```





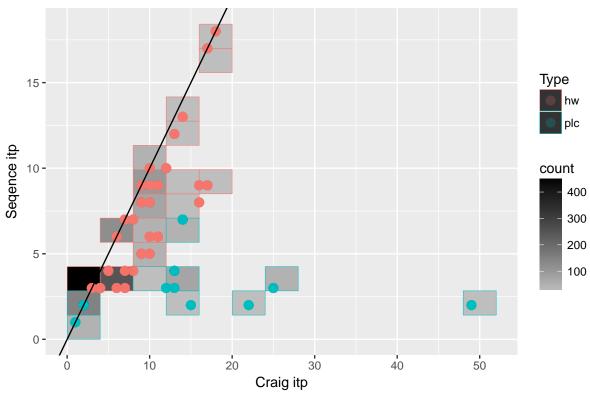
table(d.dom.time.clust\$cluster, d.dom.time.clust\$Type)

```
##
##
         hw plc
##
     1 600
              0
##
     2 400 475
##
     3 375 500
     4 700
              0
##
##
     5 300
              0
```

5.2 Comparison of iterations for Craig and sequence itp refinements

Each point in the following plot represents two executions for the same model: one with Craig interpolation-based refinement and one with sequence interpolation. It can be observed, that for hardware models, sequence interpolation yields slightly less iterations. However, for PLC models, there are much less iterations with sequence interpolation.





The previous observation can also be confirmed with a Wilcoxon test: checking whether the number of iterations has identical distribution for different refinement strategies. The p-value is lower than 0.05, therefore the null hypothesis can be rejected, the distribution of the number of iterations is different for the refinement strategies.

```
wilcox.test(Iterations ~ Refinement ,data = filter(d.no.to, Refinement != "SEQ_ITP"))
```

```
##
## Wilcoxon rank sum test with continuity correction
##
## data: Iterations by Refinement
## W = 65838, p-value = 9.802e-16
## alternative hypothesis: true location shift is not equal to 0
```

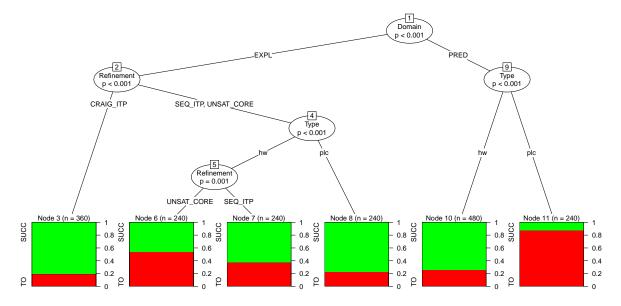
6 Decision tree

I also created some decision trees to check which input parameters influence certain output parameters.

6.1 Success of verification

Most of the leaves of the following tree categorize successful (SUCC) and timeout (TO) executions quite well. For example, choosing predicate abstraction for PLCs will most likely not succeed. On the other hand, it is likely to succeed for hardware models. It can also be seen that explicit abstraction with Craig interpolation refinement is likely to succeed regardless of the model type.

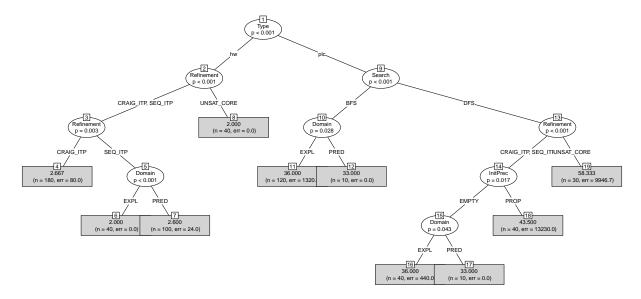
```
# Create success column
d.succ <- data.frame(d, Success = ifelse(!is.na(d$TimeMs), "SUCC", "TO") )
# Generate tree
tree <- ctree(Success ~ Type + Domain + Refinement + InitPrec + Search, data = d.succ)
plot(tree, gp = gpar(fontsize = 10), tp_args = list(fill = c("red", "green")))</pre>
```



6.2 Counterexample length

I also checked if the search strategy (BFS or DFS) has an effect on the length of the counterexample. However, as the following tree shows, for hardware models, counterexamples are short regardless of the search strategy and there is no significant difference for PLCs as well: with the other parameters adjusted, DFS can also produce shorter counterexamples.

```
# Filter for unsafe executions
d.cex <- d %>% filter(!is.na(CEXlen))
# Generate tree
tree <- ctree(CEXlen ~ Type + Domain + Refinement + InitPrec + Search, data = d.cex)
plot(tree, type = "simple", gp = gpar(fontsize = 8))</pre>
```



The previous observation can be checked by a Wilcoxon test: checking whether the counterexample length has identical distribution for different search strategies.

wilcox.test(CEXlen ~ Search, data = d.cex)

```
##
## Wilcoxon rank sum test with continuity correction
##
## data: CEXlen by Search
## W = 46050, p-value = 0.8313
## alternative hypothesis: true location shift is not equal to 0
```

The p-value is large, which means that there is no strong evidence stating that DFS and BFS would yield counterexamples with different length.

7 Conclusion

In my homework I analyzed different configurations of a formal verification algorithm on various models. I checked basic properties of the configurations, examined correlations, performed pairwise comparisons and clustering, and I also generated decision trees. The results showed some interesting properties of the algorithm configurations. In the future I am planning to optimize my algorithms so that I can successfully run them on a larger number of models, yielding more robust results.