# **Problem Set 3**

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## Problem 1

a.

```
library(haven)
vix_d_data <- read_xpt("VIX_D.XPT")
demo_d_data <- read_xpt("DEMO_D.XPT")
# Merging two data frame based one SEQN
merged_df <- merge(vix_d_data, demo_d_data, by="SEQN", all=FALSE)
nrow(merged_df) == 6980</pre>
```

[1] TRUE

The total sample size is 6980.

b.

```
library(dplyr)
```

```
Attaching package: 'dplyr'

The following objects are masked from 'package:stats':

filter, lag
```

The following objects are masked from 'package:base': intersect, setdiff, setequal, union

```
library(knitr)

# Create age brackets
merged_df <- merged_df %>%
    mutate(age_bracket = cut(RIDAGEYR, breaks=seq(0, 100, by=10), include.lowest=TRUE))

# Calculate proportions of wearing glasses/contact lenses for distance vision
glasses_prop <- merged_df %>%
    group_by(age_bracket) %>%
    summarize(prop_wearing_glasses = mean(VIQ220 == 1, na.rm = TRUE))

# build the table
kable(glasses_prop,
    caption = "Proportion of Respondents Wearing Glasses/Contacts by Age Bracket")
```

Table 1: Proportion of Respondents Wearing Glasses/Contacts by Age Bracket

prop_wearing_glasses
0.3165899
0.3404030
0.3503268
0.3890374
0.5625000
0.6337115
0.6768868
0.6544118

c.

```
library(stargazer)
```

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Hlavac, Marek (2022). stargazer: Well-Formatted Regression and Summary Statistics Tables.

```
# modified the glasses data so that it can be used in the logistics model
merged_df <- merged_df %>%
  mutate(VIQ220 = case_when(
    VIQ220 == 1 \sim 1, # 1 means yes, keep as 1
                       # 2 means no, recode as 0
    VIQ220 == 2 \sim 0,
   VIQ220 == 9 ~ NA_real_, # 9 means unknown/missing, treat as NA
    TRUE ~ NA_real_ # Handle any other cases as NA
  ))
# Model 1: age
model_1 <- glm(VIQ220 ~ RIDAGEYR,</pre>
               data=merged_df, family="binomial")
# Model 2: age, race, gender
model_2 <- glm(VIQ220 ~ RIDAGEYR + RIDRETH1 + RIAGENDR ,</pre>
               data=merged_df, family="binomial")
# Model 3: age, race, gender, poverty income ratio
model 3 <- glm(VIQ220 ~ RIDAGEYR + RIDRETH1 + RIAGENDR + INDFMPIR,
               data=merged_df, family="binomial")
#' Function to compute pseudo-R^2 values
# '
#' @param model the logistic regression model
#' @return p_r_value the pseudo R^2 value
pseudo_r_squared <- function(model) {</pre>
 null_dev <- model$null.deviance</pre>
  res_dev <- model$deviance</pre>
  p_r_value <- 1 - (res_dev / null_dev)</pre>
 return(p_r_value)
}
# Create a stargazer table with odds ratios
stargazer(model_1, model_2, model_3,
          type = "text",
          coef = list(exp(coef(model_1)), exp(coef(model_2)), exp(coef(model_3))),
          p.auto = TRUE,
          apply.coef = exp,
          report = "vc*p", # shows estimates, standard errors, p-values
          ci = TRUE,
```

\_\_\_\_\_

	Dependent variable:		
		ntact Lenses for (2)	
Age	2.787***	2.788***	2.784***
	p = 0.000	p = 0.000	p = 0.000
Race		3.104***	2.996***
		p = 0.000	p = 0.000
Gender		5.184***	5.364***
		p = 0.000	p = 0.000
Poverty Income Ratio			3.169***
•			p = 0.000
Constant	1.328***	1.096***	1.074***
	p = 0.000	p = 0.000	p = 0.000
Sample Size	 6980		
Pseudo-R <sup>2</sup>	0.05	0.06	0.07
AIC	8475.88661639229	8358.4955583034	7940.7895500819
Observations	6,545	6,545	6,247
Log Likelihood	-4,235.943	-4,175.248	-3,965.395
Akaike Inf. Crit.	8,475.887	8,358.496	7,940.790
Note:	*p<0.1; **p<0.05; ***p<0.01		

#### d.

```
library(aod)
# Gender comparison test
summary(model_3)
Call:
glm(formula = VIQ220 ~ RIDAGEYR + RIDRETH1 + RIAGENDR + INDFMPIR,
   family = "binomial", data = merged_df)
Coefficients:
           Estimate Std. Error z value Pr(>|z|)
(Intercept) -2.634169  0.128457 -20.506  < 2e-16 ***
RIDAGEYR
          RIDRETH1
           RIAGENDR
           0.518595 0.054121 9.582 < 2e-16 ***
           INDFMPIR
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
(Dispersion parameter for binomial family taken to be 1)
   Null deviance: 8519.1 on 6246 degrees of freedom
Residual deviance: 7930.8 on 6242 degrees of freedom
  (733 observations deleted due to missingness)
AIC: 7940.8
Number of Fisher Scoring iterations: 4
# Wald test for gender coefficient
# Assuming gender is the 3rd coefficient
wald.test(b=coef(model_3), Sigma=vcov(model_3), Terms=3)
Wald test:
_____
Chi-squared test:
X2 = 15.5, df = 1, P(> X2) = 8.2e-05
```

Thus one can conclude that there is a statistically significant difference in the proportion of men and women who wear glasses/contact lenses for distance vision. Specifically, the odds of men wearing glasses differ from the odds of women wearing them.

```
# Proportion test between men and women
prop.test(table(merged_df$VIQ220, merged_df$VIQ220))
```

2-sample test for equality of proportions with continuity correction

```
data: table(merged_df$VIQ220, merged_df$VIQ220)
X-squared = 6540.9, df = 1, p-value < 2.2e-16
alternative hypothesis: two.sided
95 percent confidence interval:
   0.9996869 1.0000000
sample estimates:
prop 1 prop 2
    1    0</pre>
```

Thus one can conclude that there is a statistically significant difference in the proportions of glasses wearers between the two groups being compared. The extremely low p-value suggests that the observed difference is unlikely due to random chance.

## Problem 2.

a.

```
library(DBI)
library(RSQLite)
sakila <- dbConnect(RSQLite::SQLite(), "sakila_master.db")</pre>
```

In the 'film' table, select the minimum value of 'release\_year' and count the number of films that were released in that year.

```
MIN(release_year) COUNT(*)
1 2006 1000
```

Thus from the table, the oldest releasing year is 2006 and there are 1000 movies released in that year.

#### b.

For combing SQL and R:

### [1] "Music"

```
least_common_count <- min(genre_counts)
least_common_count</pre>
```

### [1] 51

Thus the genre of movie with least common data is 'Music' and there is only 51 movies of that genre.

For SQL only:

```
name number
1 Music 51
```

Thus the genre of movie with least common data is 'Music' and there is only 51 movies of that genre.

#### c.

For combing SQL and R:

```
query_c_1 <- "SELECT cuac.customer_id, cou.country</pre>
              FROM country AS cou
                INNER JOIN (
                   SELECT c.country_id, c.city_id, cua.customer_id
                   FROM city AS c
                   INNER JOIN (
                     SELECT cu.customer_id, cu.address_id, a.city_id
                     FROM customer AS cu
                     INNER JOIN
                       address as a ON cu.address_id == a.address_id
                   ) AS cua ON c.city_id == cua.city_id
                ) AS cuac ON cuac.country_id == cou.country_id
table_c_1 <- dbGetQuery(sakila, query_c_1)</pre>
country_counts <- table(table_c_1$country)</pre>
target_countries <- country_counts[country_counts == 13]</pre>
target_countries
```

```
Argentina Nigeria
13 13
```

Thus there are two countries whose numbers of customers are 13, they are Argentina and Nigeria.

For SQL only:

```
number country
1 13 Argentina
2 13 Nigeria
```

Thus there are two countries whose numbers of customers are 13, they are Argentina and Nigeria.

## Problem 3.

a.

```
raw_data <- read.csv("us-500.csv")
email_info <- raw_data$email
target_proportion_a <- mean(grepl("\\.com$", email_info))
target_proportion_a</pre>
```

[1] 0.732

Thus the proportion of email addresses are hosted at a domain with TLD ".com" is 73.2%.

#### b.

```
# First create a list that containing the email address excluding the required "@" and "."
new_email_info <- gsub('[@\\.]', '', email_info)
target_proportion_b <- mean(grepl("[^0-9a-zA-Z]+", new_email_info))
target_proportion_b</pre>
```

[1] 0.248

Thus the proportion of email addresses have at least one non alphanumeric character in them is 24.8%.

#### c.

```
top_5_area_code_2 <- as.numeric(names(sort(area_codes_2_table, decreasing=TRUE)[1:5]))
top_5_area_code_1

[1] 973 212 215 410 201
top_5_area_code_2</pre>
```

[1] 973 212 215 410 201

For phione1, the top 5 most common area codes among all phone numbers are 973, 212, 215, 410, 201, For phione2, the top 5 most common area codes among all phone numbers are 973, 212, 215, 410, 201

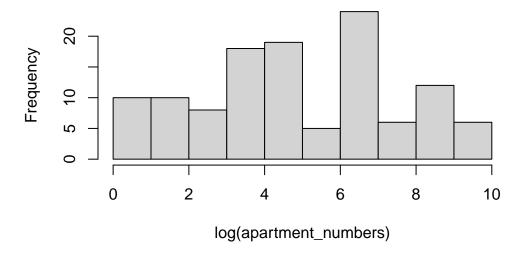
## d.

```
address_info <- raw_data$address

apartment_numbers <- unlist(sapply(address_info, function(x) {
   matches <- regmatches(x, regexpr("\\d+$", x))
   as.numeric(matches)}
   ))

# Produce a histogram of the log of the apartment numbers
hist(log(apartment_numbers))</pre>
```

## **Histogram of log(apartment\_numbers)**



e.

```
#get the leading digits
leading_digits <- sapply(apartment_numbers, function(x) {
    as.numeric(substr(as.character(x), 1, 1))}
)

# Get the frequency of each leading digit
leading_digit_freq <- table(leading_digits)

# Compare with Benford's law distribution
benford_dist <- c(0.301, 0.176, 0.125, 0.097, 0.079, 0.067, 0.058, 0.051, 0.046)

# Normalize the frequencies
leading_digit_prop <- prop.table(leading_digit_freq)

# the comparison table
data.frame(
    Leading_Digit = 1:9,
    Observed_Proportion = leading_digit_prop,</pre>
```

```
Benford_Proportion = benford_dist
)
```

```
Leading_Digit Observed_Proportion.leading_digits Observed_Proportion.Freq
1
                                                                      0.12711864
               2
2
                                                     2
                                                                      0.11016949
               3
                                                     3
3
                                                                      0.10169492
               4
                                                     4
4
                                                                      0.10169492
5
               5
                                                     5
                                                                      0.12711864
6
               6
                                                     6
                                                                      0.09322034
7
               7
                                                     7
                                                                      0.10169492
8
               8
                                                     8
                                                                      0.09322034
               9
9
                                                     9
                                                                      0.14406780
  Benford_Proportion
                0.301
1
2
                0.176
3
                0.125
4
                0.097
                0.079
5
6
                0.067
7
                0.058
8
                0.051
9
                0.046
```

Judging from the table, the observed frequency differ the frequency of Benford distribution a lot, thus one can argue that the apartment numbers would not pass as real data.