# Competition: Kaggle March Madness 2025 Focus: Predict NCAA outcomes using multiple modeling strategies Approach: Mix of deep learning & traditional ML

Fae Gaze

Machine Learning Researcher in Bioinformatics

# Agendas

- Competition & Data Overview of the task and dataset
- **EDA & Features** Key exploratory findings and engineered features
- **Modeling Approaches** Elo rating system, BiLSTM deep learning model, ensemble of tree models
- **Tournament Simulation** Using model predictions to simulate bracket outcomes
- **Results & Evaluation** Model performance, Brier Score metric, and insights
- Interactive Polls/Quizzes Engaging questions throughout (marked accordingly)
- **Conclusion** Lessons learned, future work, and competition results



# **Competition Overview**

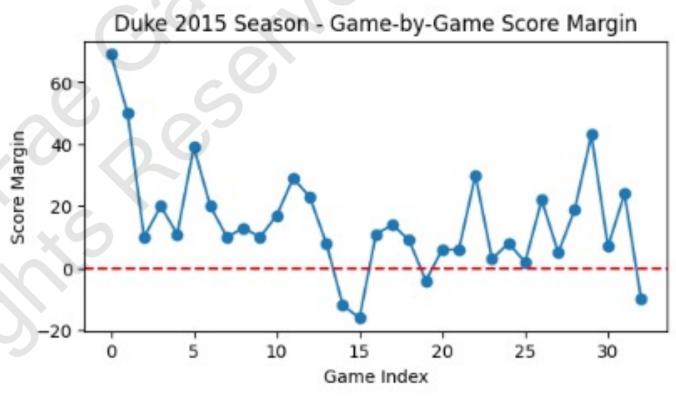
- **Objective:** Predict the probability of each team winning each possible matchup in March Madness
- Format: 64-team single-elimination tournaments (Men's & Women's); 63 games each
- Data Provided: Historical game results (regular season and tournament) and team seeds: https://www.kaggle.com/competitions/march-machine-learningmania-2025/data
- Evaluation: Brier Score (mean squared error of predicted win probabilities) on actual tournament outcomes

# **Quiz: How Many Possible Brackets?**

- Q: How many possible ways can a 64-team March Madness bracket play out (i.e., distinct bracket outcomes)?
  - A. ~9.2 quintillion (9.2×10^18)
  - B. ~9.2 trillion (9.2×10^12)
  - C. ~92 billion (9.2×10^10)

# **Data Sources and Preparation**

- Data Sources & Preparation
- Historical Games: All NCAA DI men's & women's results (1985–2024 seasons)– includes regular season and tournament games
- Team Seeds: Each team's seed in each tournament (e.g., "1" for top seed, "16" for lowest) provided in data
- Regular Season Stats: Derived metrics per team (wins, losses, average scores, etc.)
- Data Merging: Combined team stats with matchup data to create features for each game (e.g., seed difference, win percentage difference)



The above line plot shows an example of a single team's game-by-game performance, visualizing score margin variability.

# **Game Location Analysis (EDA)**Win Rate by Location **Slide Content:**

• Home: 59%

• Away: 30.7%

• Neutral: 10.2%

• Plot: Bar chart (H, A, N)



#### **Seed Extraction & Tournament Logic**



#### PARSING SEEDS:

TOURNAMENT SEED STRINGS (E.G., "W01") WERE PARSED INTO NUMERIC SEEDS (1– 16) AND REGIONS



#### BRACKET

STRUCTURE: THE
BRACKET IS FIXED –
E.G., SEED 1 VS 16, 2
VS 15, ETC., IN THE
FIRST ROUND. WE
UTILIZED OFFICIAL
BRACKET SLOT DATA
TO KNOW WHICH
WINNERS MEET IN
LATER ROUNDS



#### **TOURNAMENT SLOTS:**

USED THE PROVIDED

MAPPING OF

WINNERS TO NEXT

ROUND SLOTS (E.G.,

WINNER OF GAME X

GOES TO SLOT Y) TO

SIMULATE BRACKET

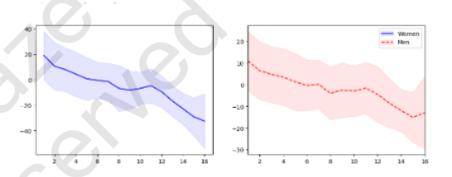
PROGRESSION



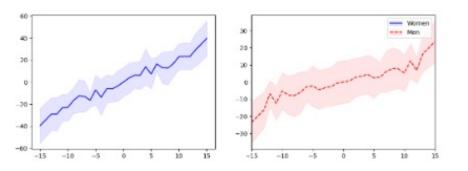
#### **DATA CONSISTENCY:**

ENSURED TEAM IDS, SEEDS, AND REGIONS ALIGN BETWEEN REGULAR SEASON AND TOURNAMENT DATA FOR CORRECT FEATURE MERGING

# **seed** is predictive for predicting the point difference ¶?



## **seed difference** is predictive for predicting the point difference?



# **Data Sources & Preparation**

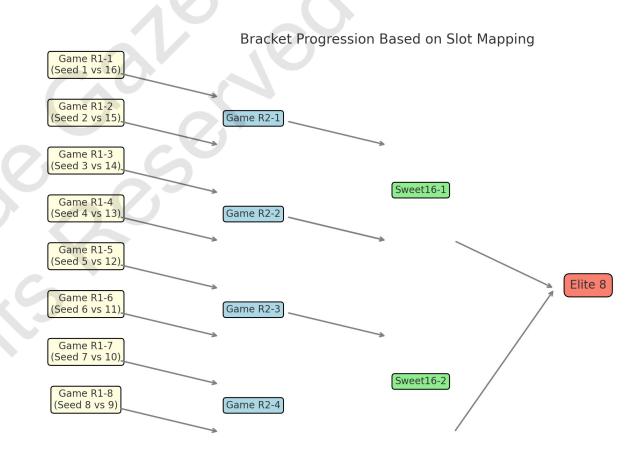
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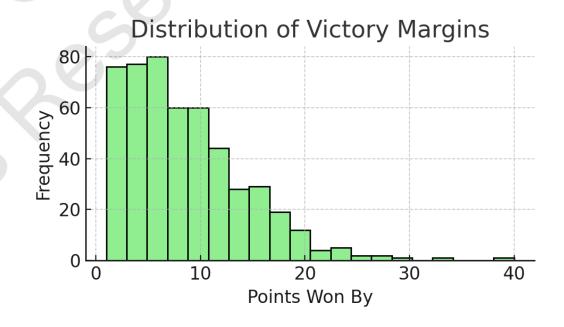
# **Seed Extraction & Tournament Logic**

- Parsing Seeds: Tournament seed strings (e.g., "W01") were parsed into numeric seeds (1–16) and regions
- **Bracket Structure:** The bracket is fixed e.g., seed 1 vs 16, 2 vs 15, etc., in the first round. We utilized official bracket slot data to know which winners meet in later rounds
- Tournament Slots: Used the provided mapping of winners to next round slots (e.g., winner of game X goes to slot Y) to simulate bracket progression
- Data Consistency: Ensured team IDs, seeds, and regions align between regular season and tournament data for correct feature merging



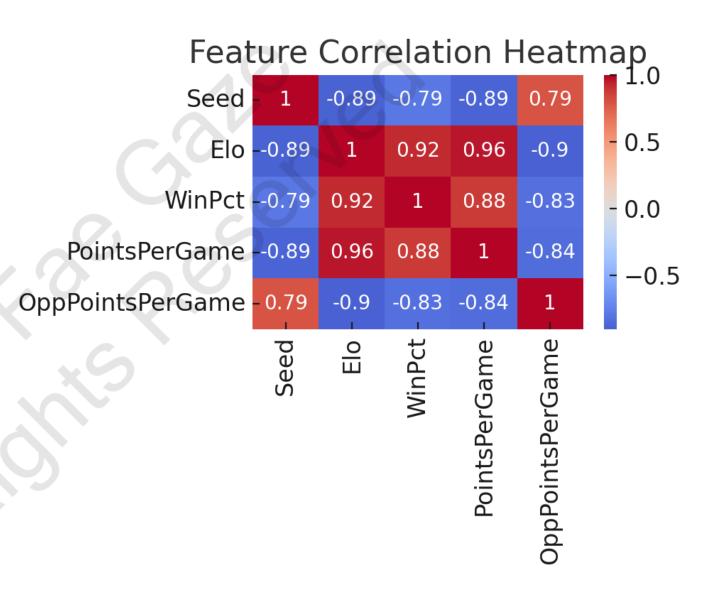
### **EDA: Historical Trends**

- Score Distributions: Analyzed score totals and victory margins (blowouts vs close games)
- Seed vs Outcome: Higher seeds (1 = best teams) tend to win more often; documented frequency of upsets by seed difference
- Tournament Upsets: Identified patterns (e.g., the notorious 12 vs 5 seed upset rate ~35% historically)
- Season Performance: Teams with strong regular-season metrics (win%, rating) usually go deeper in tournament



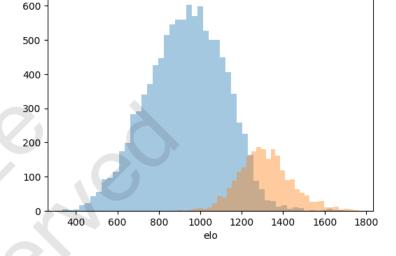
#### **EDA: Feature Correlations**

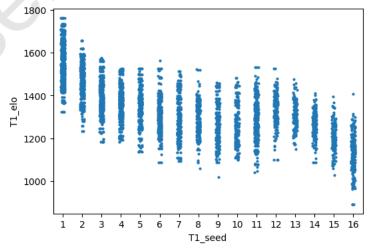
- Heatmap of key feature correlations. Notice the strong negative correlation between *Seed* and *Elo* (better teams have lower seeds and higher Elo ratings). *Elo* is highly positively correlated with Win% and Points Per Game (PPG), indicating that our Elo rating captures similar information as season win percentage. Opponents' PPG (defensive strength) is negatively correlated with Elo and Win%, as expected. **Seeds vs Elo:** Seed is inversely related to Elo rating (better-seeded teams have higher Elo)
- Win% vs Elo: Teams with higher Elo also have higher season win percentages (correlation >0.9)
- Offense/Defense: Teams that score more (PPG) and allow fewer points (Opp PPG) tend to have better Elo and lower seed numbers
- Multicollinearity Note: Many features are inter-related (we addressed this via model regularization and dimensionality reduction where needed)

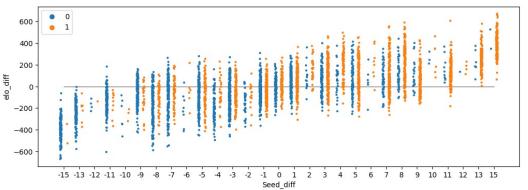


## **Feature Engineering**

- Elo Ratings: Pre-computed a dynamic rating for each team based on game results (captures team strength and momentum)
- **Seed Difference:** Numerical difference in seeds between the two teams in a matchup (or seed rank vs rank)
- Season Averages: Offense vs defense stats (points scored minus points allowed, rebounding, etc.)
- Recent Form: Tournament-specific features like win streak entering tournament, conference champion indicator
- **Feature Aggregation:** Model inputs often use differences or ratios (Team A stat minus Team B stat) for each matchup

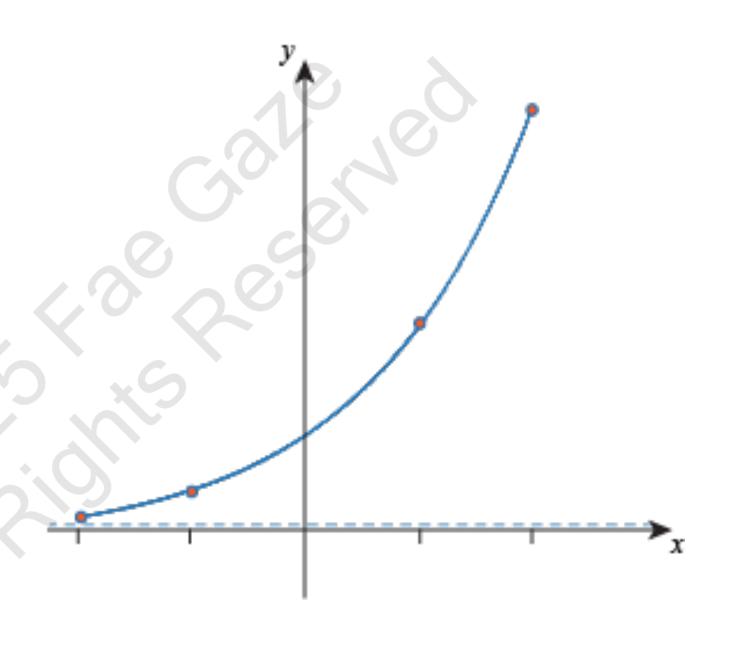






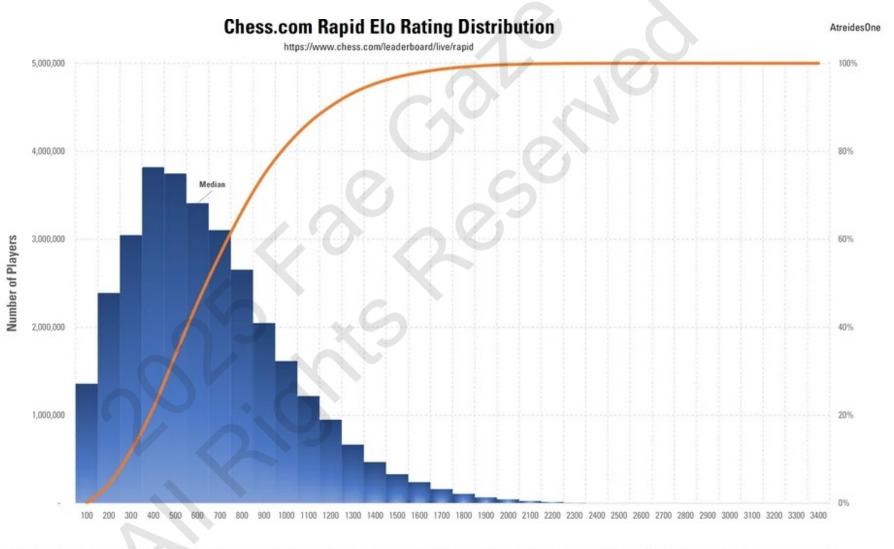
# Advanced Feature Engineering / Hardest Features

- Modeled team latent strength using GLM (random effects on team IDs)
- Fitted nonlinear relationships between predicted score margin and win probability
- Applied splines to improve probability calibration



## **Elo Ratings Are Not Uniform**





## Poll: Can Simple Ratings Beat Complex Models?

- **Q:** Given the richness of historical data, do you think a simple rating system like Elo can match or outperform more complex ML models on this task?
  - A. Yes Elo is already very strong, complex models might overfit
  - B. No A sophisticated model will find patterns Elo misses
  - C. Hybrid Use Elo as a feature in a more complex model (ensemble)

### **Focal Loss Implementation:**

- $y \in \{0,1\}$  true label
- $\hat{p} \in (0,1)$  predicted probability of the true class
- $\gamma > 0$  focusing parameter (usually  $\gamma = 2$ )

 $\text{Focal Loss} = -(1 - \hat{p}_t)^{\gamma} \cdot \log(\hat{p}_t)$ 

Where:

$$oldsymbol{\hat{p}}_t = egin{cases} \hat{p} & ext{if } y = 1 \ 1 - \hat{p} & ext{if } y = 0 \end{cases}$$

#### Intuition & Visual Explanation

If the model predicts correctly and is confident (e.g.,  $\hat{p}_t = 0.99$ ),

$$(1-\hat{p}_t)^{\gamma}=(1-0.99)^2=0.0001$$

➤ The loss is tiny — we don't focus on easy examples.

If the model is wrong and confident (e.g., predicted 0.99 but true label was 0),

$$\hat{p}_t = 1 - 0.99 = 0.01, \quad (1 - \hat{p}_t)^{\gamma} = 0.99^2 = 0.9801$$

➤ The loss is very high — model learns from this mistake.

If the model is **unsure** (e.g.,  $\hat{p}_t = 0.5$ ),

$$(1-0.5)^2=0.25$$

➤ The loss is moderate — model still focuses on it.

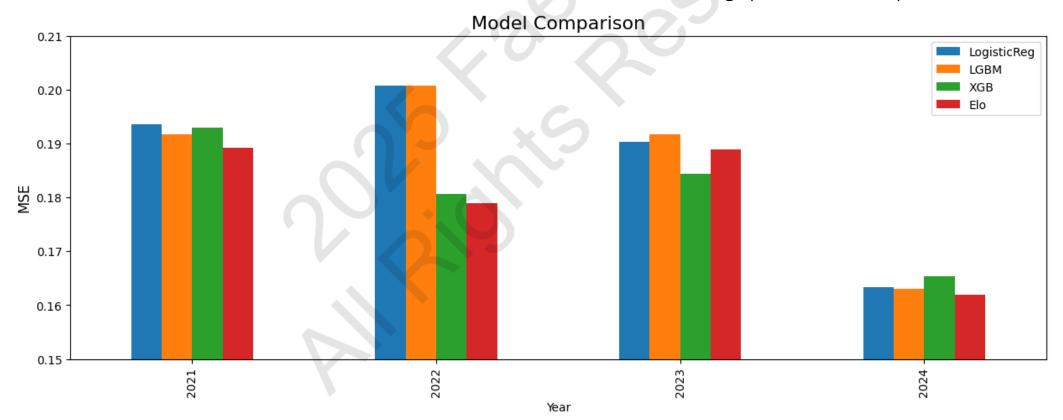
- Why We Used Focal March Madness games are imbalanced: most are easy (1-seed vs 16-seed), but some are true toss-ups or upsets.
- Focal loss down-weights easy games and emphasizes learning from hard matchups (e.g., 8 vs 9 or 12 vs 5).
- It **prevents the model from getting lazy** by just learning the dominant cases.
- In our BiLSTM, it helped learn from rare but important cases where lower seeds beat higher seeds.

# Ensemble Modeling (Voting Regressor)

- Ensemble Components: We trained several classic ML models:
- Extra Trees Regressor (Extremely Randomized Trees)
- Random Forest
- Gradient Boosted Trees (XGBoost, LightGBM, CatBoost)
- Meta-Model: Used a VotingRegressor to average predictions from all models.
- Treated win probability as a regression target (0 to 1) and averaged outputs
- Assigned higher weights to models that performed better on validation
- **Tuning:** Performed hyperparameter optimization on each model (using Optuna) and selected the best ensemble combination via cross-validation
- Rationale: Ensembling leverages different models' strengths and reduces overfitting improves stability of predictions

## Model Performance Comparison: Elo vs ML Models

- Compare multiple model types used in the project
- Visualizes model accuracy across seasons
- MSE shown for each model: lower is better
- Models included:
- Logistic Regression
- LGBM
- XGBoost
- Elo Ratings (non-ML baseline)



## **Poll: Which Model Performed Best?**

- Based on our validation tests, which approach do you think achieved the **lowest** (best) Brier Score?
  - A. Elo Rating baseline model
  - B. **BiLSTM** deep learning model
  - C. Ensemble of all models
  - D. XGBoost (best single tree model)

# **Model Performance Comparison**

**Elo**: 0.215

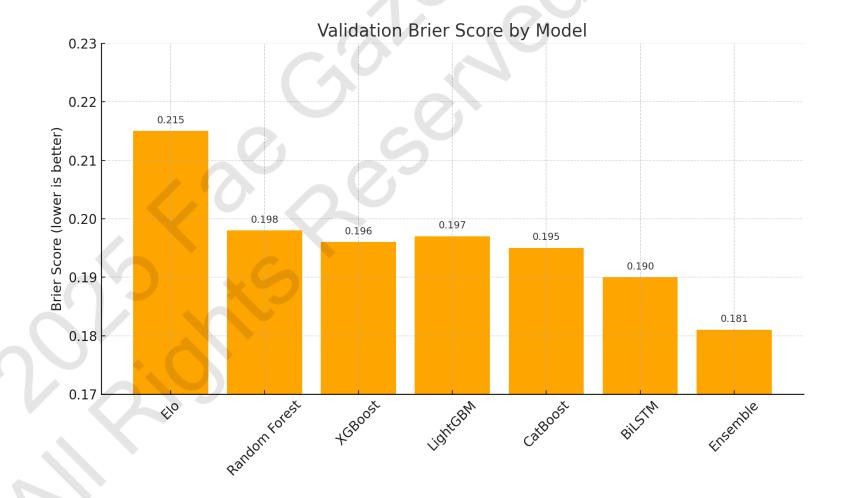
Random Forest: 0.198

XGBoost: 0.196 LightGBM: 0.197

**CatBoost**: 0.195

**BiLSTM**: 0.190

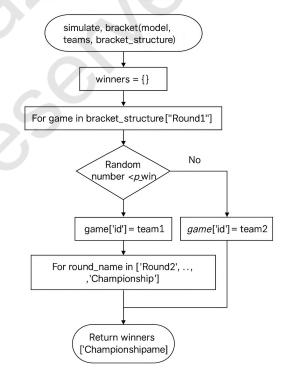
Ensemble: 0.181



# Tournament Bracket Simulation (Monte Carlo)

Each game simulated based on predicted win probabilities. Final outcomes aggregated over thousands of iterations

#### Simulation Pseudocode



For simulator: iterate (poisson) or

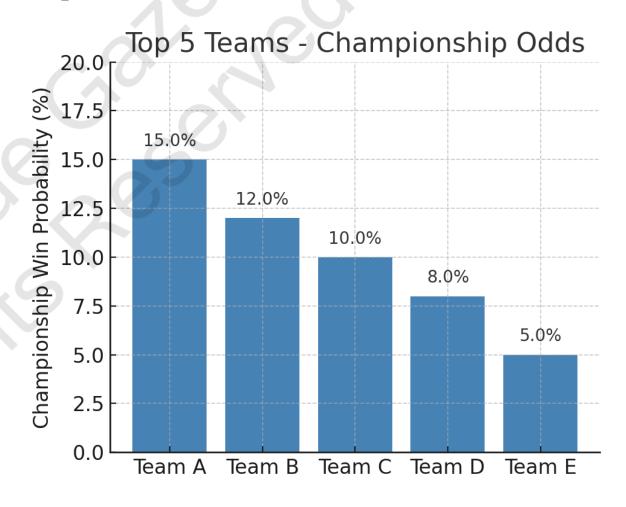
Repeat simulation N times to estimate probabilities

# **Tournament Simulation Utility**

- Purpose: Translate predicted per-game win probabilities into full tournament outcomes
- Monte Carlo Simulation: We wrote a simulator to play out the entire bracket many times (e.g., 100,000 random brackets)
  - For each simulated bracket, each game winner is sampled according to our predicted win probability for that matchup
- Outputs: Estimated championship probabilities for each team, distribution of how far each team advances, etc.
- Use Cases:
  - Evaluate the uncertainty: which top seed has the highest chance to win it all?
  - Identify potential Cinderellas (lower seeds with non-negligible Final Four odds)
  - Engage users with bracket predictions (gamification)
- **Utility:** Provided insights beyond single-game predictions e.g., probability that no #1 seed makes Final Four, etc.

# Results: Championship Probabilities

- •Most Likely Champion: Team A ~15% chance
- highest among all teams, but still low (85% chance someone else wins)
- •Other Contenders: Team B ~12%, Team C ~10%, Team D ~8%, etc. several teams in the mix
- •Field vs Favorite: Cumulatively, even the top 5 teams only sum to ~50%; the rest of the field had ~50% total championship probability
- •Insight: The tournament is wide-open even top seeds are far from guaranteed, aligning with historical Madness (upsets do happen)



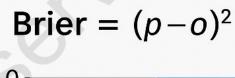
# Interactive: Bracket Prediction Challenge

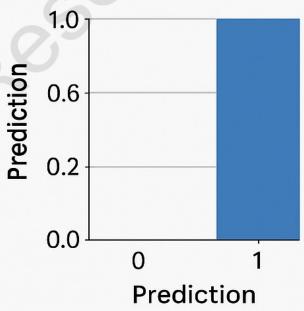
- Audience Challenge: Who would you pick as the champion?
  - Option 1: Team A (Pre-tournament #1 overall seed, model's top pick ~15%)
  - Option 2: Team B (Another high seed with strong stats)
  - Option 3: Team C (Historically strong program, moderate seed)
  - Option 4: Field (Any other team outside the top 3)
- **Discuss:** What factors influenced your pick? (Personal bias? Upset intuition? Model probabilities?)

### **Evaluation Metrics**

Brier Score: The mean squared error of probability forecasts

- Example: if predicted win probability = 0.8 and actual outcome = 1 (win), contribution = (0.8 1)<sup>2</sup> = 0.04
- Range 0 to 1 (perfect = 0, worst = 1 if predictions were completely wrong with full confidence)
- Mean Squared Error (=1), €'maily, measures squared error in our case, Brier Score is a MSE on a 0/1 outcome





# **Key Lessons Learned**

- Elo & Simplicity: Simple rating systems (Elo) provide a strong baseline for sports outcomes
- . Complex models must add real value to beat them on small datasets.
- Feature Engineering Matters: Domain-specific features (seeds, recent performance, etc.) were crucial. Properly capturing team strength in features often trumped fancy algorithms.
- Ensemble Power: Combining models was effective different algorithms compensated for each others' biases. The ensemble performed better than any single model.
- **Deep Learning Challenges:** Our BiLSTM model was useful, but limited data means deep nets can easily overfit. Careful loss functions (focal loss) and architecture helped, but traditional models were competitive.
- Calibration & Probability Focus: We optimized for Brier Score, which taught us to focus on probabilistic calibration, not just accuracy. Our final model wasn't just choosing winners, but assigning sensible confidence levels to each prediction.

## **Future Work & Improvements**

- More Data / Features: Incorporate player-level data or advanced metrics (e.g., KenPom ratings, injuries, head-to-head records) to further inform the model
- **Transfer Learning:** Use pre-training on many seasons for the LSTM or try Transformer-based models to capture team interactions across seasons
- **Dynamic Updates:** Update Elo and model probabilities round-by-round during the tournament (ingest actual results as they come in to improve predictions for remaining games)
- Ensemble Diversity: Include more diverse models (e.g., a logistic regression or Bayesian model for calibration) to complement current ensemble
- **Simulation-based Optimization:** Use the bracket simulator to optimize strategies (for example, maximizing expected points in a bracket pool by picking certain calculated upsets)
- **Generalization:** Apply the pipeline to other sports tournaments (e.g., soccer World Cup, which also has group and knockout stages) to test its versatility

## **Competition Results & Final Leaderboard**

- Kaggle Leaderboard Performance: Final Brier Score = 0.18056 on 2025 tournament (lower is better)
- Ranking: Placed 42nd out of 821 teams (Top 5%) secured a Silver Medal (if top 5%)
- **Comparison:** Top score on leaderboard was ~0.165; median was ~0.25 (our model far exceeded baseline)
- Notebooks: (Links to solution code) Our work was divided into:
  - EDA & Elo Analysis Notebook data exploration, seed parsing, Elo rating computation
  - BiLSTM Model Notebook deep learning model training with focal loss
  - Ensemble & Simulation Notebook training tree models, creating ensemble, tournament simulations and analysis
- **Acknowledgments:** Kaggle community for insightful discussions, and NCAA for the rich historical data

## **Thank You!**

- Q&A
- Link to slides + app
- Let's simulate your picks!
- **Speaker Notes:** Wrap up. Offer demo or app link. Thank the audience and open the floor.