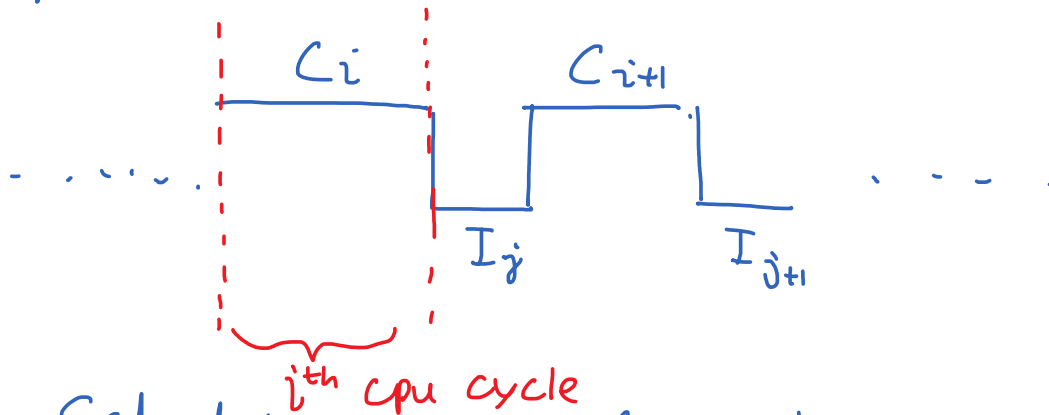


process execute model



Schedule the process to

Execute until

1) the end of the current CPU cycle.

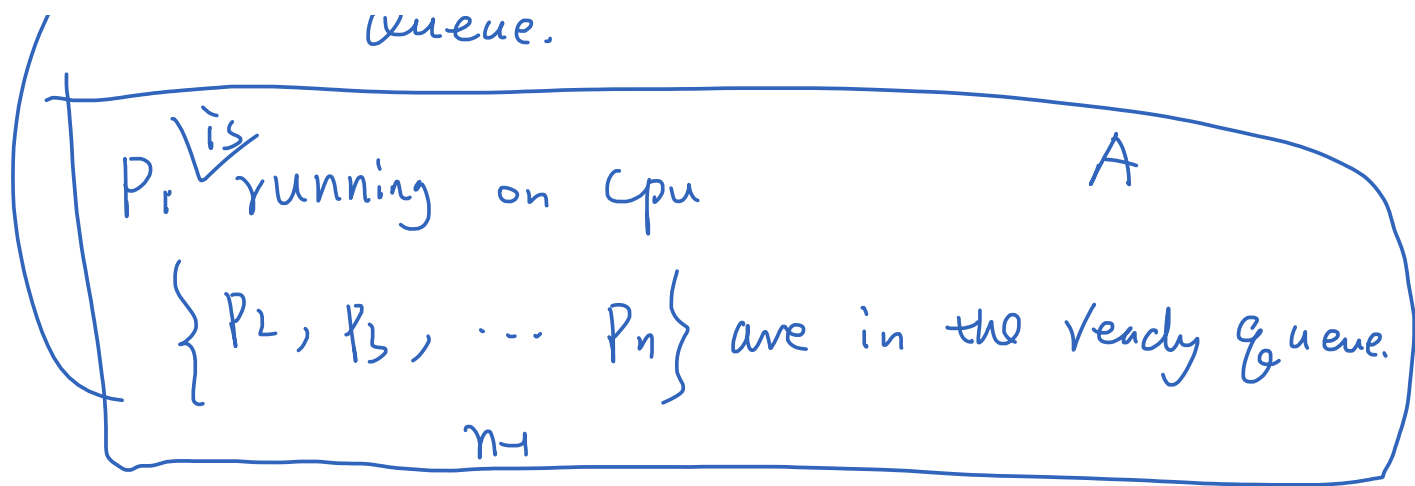
or

2) the end of the process

SJF : Schedule the process w/ least CPU request/burst.

Target of the scheduler is the

set of processes in the ready queue.



SRTF : preemptive version of the SJF

Target :  $P_1$  &  $P_{n+1}$

A

1) a new task arrives  $P_{n+1}$

Compare  $C_{n+1}$  and  $C_1$

2) When a process terminates,  
(running)

Scheduler would check the  
ready queue.

	PID	Cpu burst	arrival time
Ex:	P <sub>1</sub>	5	0
	P <sub>2</sub>	6	2
	P <sub>3</sub>	1	3
	P <sub>4</sub>	4	4

@  $t=0$   $P_1$  arrives      Schedule to run it

@  $t=2$   $p_2$  arrives  $6 > 3$   
(remaining time for  $p_1$ )

@  $t=3$   $P_3$  arrives

Continue the execution of  $P_1$

1 ~~2~~ 2

Ready Queue      Yes    run  $P_3$

$P_1(2)$	$P_2(6)$
----------	----------

@  $t=4$   $P_4$  arrives  $4 \neq 0$

$$P_1(2) \quad P_2(6) \quad P_4(4)$$

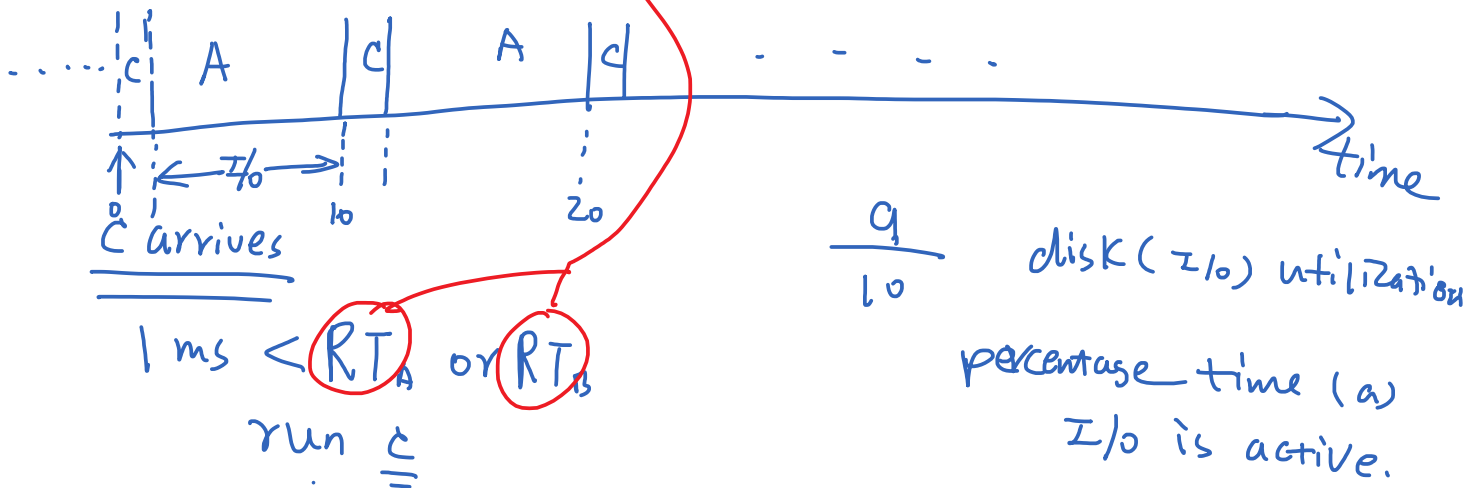
if  $C_i = c \quad \forall i$

$$R.T._i(t) \leq C_i \quad \forall t > 0$$

SRTF: Compare  $C_j$  &  $R.T._i(t)$   
 $\nexists$  preemption.

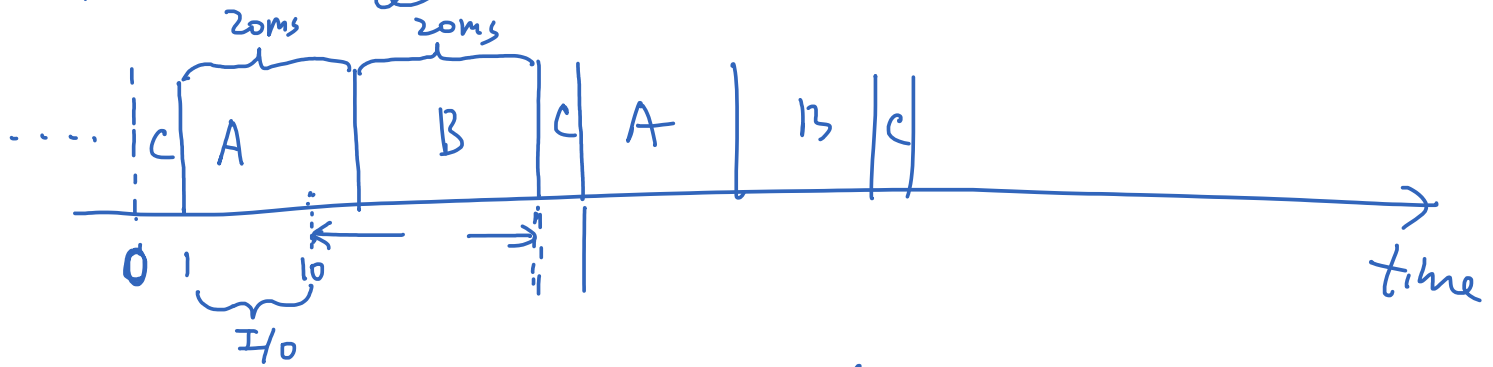
$$C_A \gg C_c = 1ms \quad C_A = n$$

SRTF:  $C_A = C_B$



To process C, SRTF creates a situation just like running C alone in the system.

R.R.:  $q = 20 \text{ ms}$



disk utilization :  $\frac{q}{1 + 2 \cdot q} = \frac{q}{1 + 2 \cdot 20} = 90\%$

waiting time :  $\frac{\text{\# of processes} \cdot \text{time quantum} - q}{1} = \frac{2 \cdot 20 - 20}{1} = 20$

if  $q = 100$

$\frac{2 \cdot 100 - 100}{1} = 100$

0 SRTF C has 0 waiting time

$q = 1 \text{ ms}$



disk utilization =  $\frac{q}{11} = 82\%$

Dream

Optimal

Reality

run  
C alone

SRTF

R.R.

if  $q$  is small

---

$$\text{Real scheduling} = f(\text{FCFS}, \text{RR})$$

---

Waiting time is accumulative time

~~Sch- $t_i$~~

$\equiv$  Completion time - CPU burst - arrival time

MLQ