# Femtosecond-laser induced dynamics of CO on Ru(0001): New insights from a HOT-ELECTRON, ELECTRONIC FRICTION MODEL INCLUDING SURFACE MOTION

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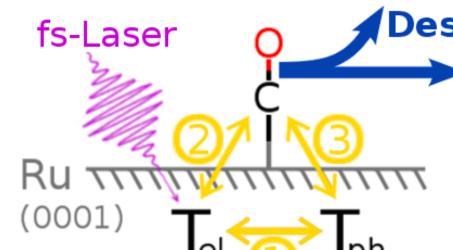
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## Introduction

#### Motivation

- research on small molecules adsorbed to metals is important for:
- -catalytic applications
- -fundamental understanding of bonding
- femtosecond(fs)-lasers are a valuable tool for such research as they
- allow for investigations on small timescales
- open up new processes compared to heating (femtochemistry)
- may enable specific control over catalytic reactions (photocatalysis)
- specific motivation for system CO/Ru(0001)
- -experimentally well studied regarding fs-laser irradiation, e.g. [1, 2]
- -fulldimensional ab-initio potential recently developed in our group[3]
- -details of this indicate interpretation of experiment [2] may be wrong

## How does fs-laser-irradiation affect metal surfaces?



Desorption

**Diffusion** (and possibly Reactions)

- (1) Electron-phonon coupling
- (2) Electronic friction
- (3) Phonon-adsorbate interaction

<sub>∱</sub>f(Ε)

**∠** 5000 -

....low T<sub>el</sub>

t/ps

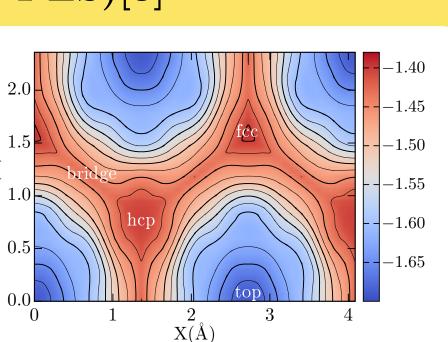
- metals: ion lattice plus quasi-free electron gas
- visible light is absorbed only by the electrons
- produced electron hole pairs thermalize quickly  $\Rightarrow$  "hot" Fermi-Dirac-distribution (after  $\sim 10 \text{ fs}$ )
- electrons transfer part of energy to ion lattice, via **1** electron-phonon coupling
- (phonons = lattice vibrations; quasi-particles)
- -electrons couple to phonons as their fast movement causes "shockwaves" in ion lattice -equilibration process completes after  $\sim 1 \text{ ps}$
- $\Rightarrow$  Thus, with fs-lasers, two different temperatures:
  - $-T_{\rm el}$  electron temperature
  - $-T_{\rm ph}$  phonon temperature
- can be simulated using a Two-Temperature Model (2TM)[4] (see right)

# Models and Methods

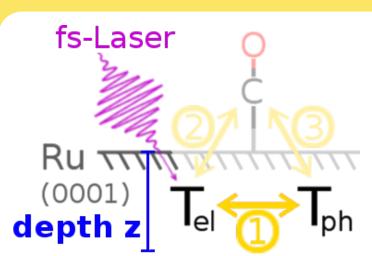
# Six-dimensional Potential Energy Surface (6D PES)[3]

- Basis for dynamics: precomputed PES from DFT (rPBE + D2)
  - all 6 dimensions of the adsorbate
  - $\bullet$  analytical PES and gradients  $\Rightarrow$  very fast
  - ⇒ number and length of trajectories can be large

  - downsides: surface atoms frozen  $\Rightarrow$  no phonons  $0.0^{\circ}$ had to be constructed first



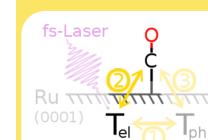
#### Two-Temperature Model (2TM)[4]



• describes interaction of metal with laser, using two differential equations:

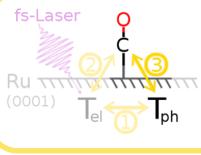
$$C_{\rm el} \frac{\partial T_{\rm el}}{\partial t} = \frac{\partial}{\partial z} \kappa \frac{\partial}{\partial z} T_{\rm el} - g(T_{\rm el} - T_{\rm ph}) + S(z, t),$$
$$C_{\rm ph} \frac{\partial T_{\rm ph}}{\partial t} = g(T_{\rm el} - T_{\rm ph}).$$

- calculates  $T_{\rm el}$  and  $T_{\rm ph}$  as f(z,t) from laser parameters and material properties:
- -laser wavelength  $\lambda$  (affects penetretion depth into material) - (effective) absorbed fluence F (energy/area)
- -electron and phonon heat capacities  $C_{\rm el}$  and  $C_{\rm ph}$ - electron heat conductivity  $\kappa$
- -pulse duration  $\tau$  (all three appear in the "source term" S(z,t)) - electron-phonon coupling constant g
  - Electronic Friction: Langevin Dynamics [5] and Local Density Friction Approximation (LDFA)[6]



- Langevin equation of motion:
- $m_k \frac{d^2 \underline{r}_k}{dt^2} = -\underline{\nabla}_k V(\underline{r}_1, \underline{r}_2) \eta_{\mathrm{el},k}(\underline{r}_k) \frac{d\underline{r}_k}{dt} + \underline{R}_{\mathrm{el},k}(t).$
- describes interaction of
- electron-hole-pairs with molecule

Inclusion of Phonons: Generalized Langevin Oscillator(GLO)-model[7, 8, 9]



## References

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