



## Symbiosis Institute of Technology

Faculty of Engineering

CSE- Academic Year 2024-25

Data Structures – Lab Batch 2023-27

Lab Assignment No:- 1

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Batch		23-27																		
Class		CSE C-1																		
Academic Year & Semester		SY 24-25																		
Date of Performance		18/07/24																		
Title of Assignment:		A. Implement following searching algorithm: Linear search with multiple occurrences  B. Implement following searching algorithms in menu:  1. Binary search with iteration  2. Binary search with recursion																		
Theory Questions:		1. Prepare table for following 5 different searching algorithms for their best case, average case and worst case time complexities. 2. Apply binary search on the input data set. Show all steps. 3. Compare linear search and binary search 4. Why is the complexity of Binary search $O(\log n)$ ?																		
		Answer 1:																		
		<table><tr><th>Algorithm</th><th>Best Case</th><th>Average Case</th><th>Worst Case</th></tr><tr><td>Linear Search</td><td><math>O(1)</math></td><td><math>O(n)</math></td><td><math>O(n)</math></td></tr><tr><td>Binary Search</td><td><math>O(1)</math></td><td><math>O(\log n)</math></td><td><math>O(\log n)</math></td></tr><tr><td>Jump Search</td><td><math>O(1)</math></td><td><math>O(\sqrt{n})</math></td><td><math>O(\sqrt{n})</math></td></tr></table>			Algorithm	Best Case	Average Case	Worst Case	Linear Search	$O(1)$	$O(n)$	$O(n)$	Binary Search	$O(1)$	$O(\log n)$	$O(\log n)$	Jump Search	$O(1)$	$O(\sqrt{n})$	$O(\sqrt{n})$
Algorithm	Best Case	Average Case	Worst Case																	
Linear Search	$O(1)$	$O(n)$	$O(n)$																	
Binary Search	$O(1)$	$O(\log n)$	$O(\log n)$																	
Jump Search	$O(1)$	$O(\sqrt{n})$	$O(\sqrt{n})$																	

Interpolation Search	$O(1)$	$O(\log \log n)$	$O(n)$
Exponential Search	$O(1)$	$O(\log n)$	$O(\log n)$

Answer 2:

1. **Initial Array:** [3, 6, 8, 12, 14, 17, 25, 29, 31, 35]

- Low = 0, High = 9, Mid =  $(0 + 9) / 2 = 4$
- Mid value = 14
- $17 > 14$ , search in right half.

2. **New Array:** [17, 25, 29, 31, 35]

- Low = 5, High = 9, Mid =  $(5 + 9) / 2 = 7$
- Mid value = 25
- $17 < 25$ , search in left half.

3. **New Array:** [17]

- Low = 5, High = 6, Mid =  $(5 + 6) / 2 = 5$
- Mid value = 17
- $17 == 17$ , target found at index 5.

Answer 3:

#### Linear Search:

- Scans each element in the array sequentially.
- Time Complexity:  $O(n)$  in the worst case.
- Does not require sorted data.
- Simple implementation.

#### Binary Search:

- Divides the array into halves to search for the target.
- Time Complexity:  $O(\log n)$  in the worst case.
- Requires sorted data.
- More efficient for large datasets.

Answer 4:

- Binary Search works by repeatedly dividing the search interval in half.
- Each comparison reduces the search space by half.
- After  $k$  iterations, the search space reduces to  $n / 2^k$ .
- Solving for  $k$  gives  $k = \log_2(n)$ .
- Therefore, the time complexity is  $O(\log n)$  because it takes logarithmic steps to reach the target element.

**Source  
Code/Algorithm/Flow  
Chart:**

```
#include <stdio.h>
#include <stdlib.h>

int linearSearch(int a[], int len, int key){
    int count = 0;

    for(int i = 0; i < len; i++){
        if(a[i] == key)
            count++;
    }

    return count;
}

int binarySearch(int a[], int len, int key){
    int l = 0, mid;
    int h = len - 1;

    while(l <= h){
        mid = (l+h)/2;
        if(key == a[mid])
            return mid;
        else if(key > a[mid])
            l = mid + 1;
        else
            h = mid - 1;
    }

    return -1;
}

int recursiveBinarySearch(int a[], int l, int h, int key){
    int mid;

    if(l <= h){
        mid = (l+h)/2;
        if(key == a[mid])
            return mid;
        else if(key < a[mid])
            return recursiveBinarySearch(a, l, mid - 1, key);
        else
            return recursiveBinarySearch(a, mid + 1, h, key);
    }

    return -1;
}
```

	<pre> int main(){     int *a;     int n, key;      printf("\nEnter size of array: ");     scanf("%d", &amp;n);     a = (int *)malloc(n * sizeof(int));      printf("\nEnter elements of the array:\n");     for(int i = 0; i &lt; n; i++)         scanf("%d", &amp;a[i]);      printf("\nEnter key to search: ");     scanf("%d", &amp;key);      linearSearch(a, n, key) ? printf("\nElement found with %d occurrences (LS).\n", linearSearch(a, n, key)) : printf("\nElement not found (LS).\n");     (binarySearch(a, n, key) == -1) ? printf("\nElement not found (BS).\n") : printf("\nElement found at index %d (BS).\n", binarySearch(a, n, key));     (recursiveBinarySearch(a, 0, n - 1, key) == -1) ? printf("\nElement not found (RBS).\n") : printf("\nElement found at index %d (RBS).\n", recursiveBinarySearch(a, 0, n - 1, key));      return 0; } </pre>
<b>Output Screenshots</b>	<pre> Enter size of array: 5 Enter elements of the array: 1 2 3 4 5 Enter key to search: 3 Element found with 1 occurrences (LS). Element found at index 2 (BS). Element found at index 2 (RBS). fahee@Faheems-MacBook-Pro Data Structures % </pre>
<b>Practice questions</b>	<ol style="list-style-type: none"> <li>1. What is Fibonacci Search explain in detail</li> <li>2. Write algorithm for Fibonacci search</li> <li>3. Implement Fibonacci Search</li> <li>4. o/p screenshot</li> </ol>
<b>Conclusion</b>	Thus we have studied different sorting algorithms and their time complexities.