

**A PRACTICAL REPORT
ON
SOFT COMPUTING TECHNIQUES**

SUBMITTED BY

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**UNDER THE GUIDANCE OF
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**Submitted in fulfillment of the requirements for qualifying
M.Sc.IT Part-1 Semester-1 Examination 2025-2026**

**University of Mumbai
Department of Information Technology**

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Bandra (W), Mumbai – 400050.

Department of Information Technology

M.Sc.IT (Sem-1)

Certificate

This is to certify that **Soft Computing Techniques Practical** performed at **R.D. & S.H. National & S.W.A. Science College** by **Ms.Uzma Jamil Khan** holding Seat No. _____ studying Masters of Science in Information Technology Semester – 1 has been satisfactorily completed as prescribed by the University of Mumbai, during the year 2025 – 2026.

Subject In-Charge

Coordinator In-Charge

External Examiner

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Aim: Design a Simple Neural Network Model.

This image shows a single sheet of white paper with horizontal blue ruling lines. The lines are evenly spaced and run across the width of the page. There are no margins, text, or other markings on the paper.

Practical No : 1-A

Aim: Design a Simple Neural Network Model.

Code:

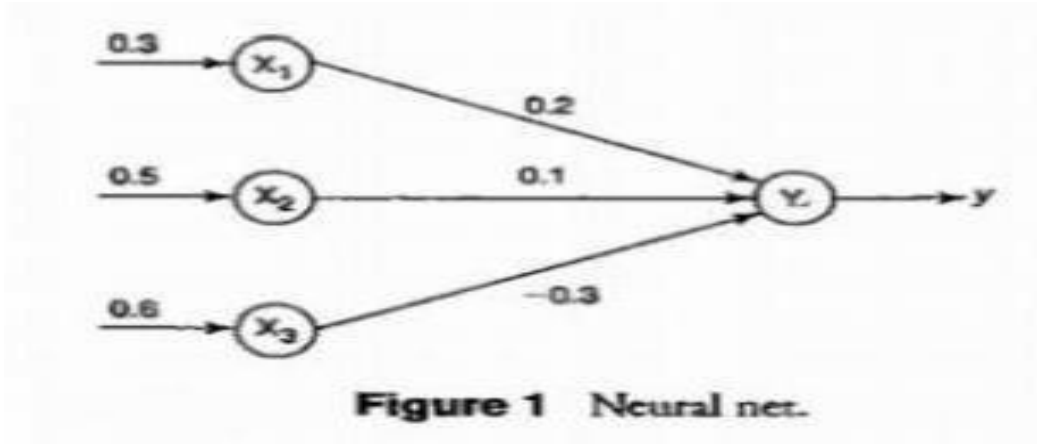
```
x = float(input("Enter value of x: "))  
w = float(input("Enter value of weight w: "))  
b = float(input("Enter value of bias b: "))  
net = int(w * x + b)  
if (net < 0):  
    out = 0  
elif ((net >= 0) and (net <= 1)):  
    out = net  
else:  
    out = 1  
print("net=", net)  
print("OUTPUT=", out)
```

OUTPUT :

```
===== RESTART: C:/Users/k  
Enter value of x: 6  
Enter value of weight w: 56  
Enter value of bias b: 59  
net= 395  
output= 1
```

Practical No : 1-B

Aim: Calculate the output of a Neural Net using both binary and bipolar sigmoidal function.



Code :

```
# number of elements as input
```

```
n = int(input("Enter number of elements : "))
```

```
# Entering the inputs
```

```
print("Enter the inputs")
```

```
# creating an empty list for inputs
```

```
inputs = []
```

```
# iterating till the range
```

```
for i in range(0, n):
```

```
    ele = float(input())
```

```
    inputs.append(ele)
```

```
# adding the element
```

```
print(inputs)
```

```
print("Enter the weights")
```

```
# creating an empty list for weights
weights = []

# iterating till the range
for i in range(0, n):
    ele = float(input())
    weights.append(ele)

# adding the element
print(weights)

#In[4]

print("The net input can be calculated as  $Y_{in} = x_1w_1 + x_2w_2 + x_3w_3$ ")

#In[5]

Yin=[]

for i in range(0,n):

Yin.append(inputs[i]*weights[i])

print(round(sum(Yin),3))
```

OUTPUT :

```
===== RESTART: C:/Users/kuzma/OneDrive/Desktop/Soft Compu
Enter number of elements : 3
Enter the inputs
1
2
3
[1.0, 2.0, 3.0]
Enter the weights
10
20
30
[10.0, 20.0, 30.0]
The net input can be calculated as  $Y_{in} = x_1w_1 + x_2w_2 + x_3w_3$ 
140.0
|
```


Practical 2

Aim: Implementation of AND.NOT function using McCulloch-Pitts neuron (use binary data representation).

This image shows a single page of white paper with horizontal blue lines. The lines are evenly spaced and run across the width of the page, typical of notebook paper or a document template. There is no text or other markings on the page.

Practical No : 2-A

Aim : Implementation of AND.NOT function using McCulloch-Pitts neuron (use binary data representation).

Code :

```
# enter the no of inputs

num_ip = int(input("Enter the number of inputs : "))

# Set the weights with value 1

w1 = 1

w2 = 1

print("For the ", num_ip, " inputs calculate the net input using  $Y_{in} = x_1w_1 + x_2w_2$  ")

x1 = []

x2 = []

for j in range(0, num_ip):

    ele1 = int(input("x1 = "))

    ele2 = int(input("x2 = "))

    x1.append(ele1)

    x2.append(ele2)

print("x1 = ", x1)

print("x2 = ", x2)

n = x1 * w1

m = x2 * w2

Yin = []

for i in range(0, num_ip):

    Yin.append(n[i] + m[i])

print("Yin = ", Yin)
```

```
# Assume one weight as excitatory and the other as inhibitory

Yin = []

for i in range(0, num_ip):

    Yin.append(n[i] - m[i])

print("After assuming one weight as excitatory and the other as inhibitory Yin = ", Yin)

# From the calculated net inputs, now it is possible to fire the neuron for input (1, 0)

# only by fixing a threshold of 1, i.e.,  $\Theta \geq 1$  for Y unit.

# Thus,  $w_1 = 1$ ,  $w_2 = -1$ ;  $\Theta \geq 1$ 

Y = []

for i in range(0, num_ip):

    if Yin[i] >= 1:

        ele = 1

    Y.append(ele)

    if Yin[i] < 1:

        ele = 0

    Y.append(ele)

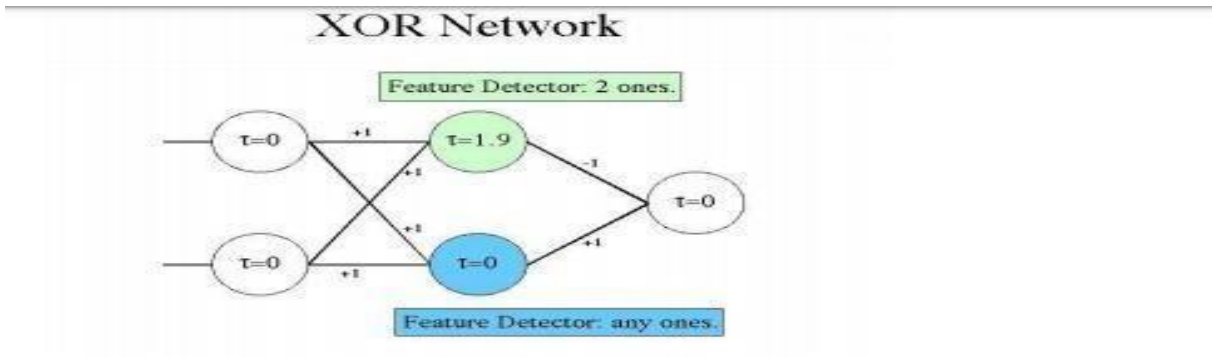
print("Y = ", Y)
```

OUTPUT :

```
===== RESTART: C:/Users/kuzma/OneDrive/Desktop/Soft Computing/2A.py =====
Enter the number of inputs : 4
For the 4 inputs calculate the net input using Yin = x1w1 + x2w2
x1 = 0
x2 = 0
x1 = 1
x2 = 0
x1 = 0
x2 = 1
x1 = 1
x2 = 1
x1 = [0, 1, 0, 1]
x2 = [0, 0, 1, 1]
Yin = [0]
Yin = [0, 1]
Yin = [0, 1, 1]
Yin = [0, 1, 1, 2]
After assuming one weight as excitatory and the other as inhibitory Yin = [0, 1, -1, 0]
Y = [0, 1, 0, 0]
```

Practical No : 2-B

Aim : Generate XOR function using McCulloch-Pitts neural net.



The XOR (exclusive or) function is defined by the following truth table:

| Input1 | Input2 | XOR Output |
|--------|--------|------------|
| 0 | 0 | 0 |
| 0 | 1 | 1 |
| 1 | 0 | 1 |
| 1 | 1 | 0 |

Code :

```
import numpy as np

# Getting weights and threshold value
print('Enter weights')

w11 = int(input('Weight w11= '))
w12 = int(input('Weight w12= '))
w21 = int(input('Weight w21= '))
w22 = int(input('Weight w22= '))

v1 = int(input('Weight v1= '))
v2 = int(input('Weight v2= '))

print('Enter Threshold Value')

theta = int(input('theta= '))
```

```
x1 = np.array([0, 0, 1, 1])
x2 = np.array([0, 1, 0, 1])
z = np.array([0, 1, 1, 0]) # Possibly for XOR logic
con = 1

y1 = np.zeros((4,))
y2 = np.zeros((4,))
y = np.zeros((4,))

if con == 1:
    zin1 = np.zeros((4,))
    zin2 = np.zeros((4,))
    zin1 = x1 * w11 + x2 * w21
    zin2 = x1 * w12 + x2 * w22
    print("zin1:", zin1)
    print("zin2:", zin2)
    for i in range(4):
        y1[i] = 1 if zin1[i] >= theta else 0
        y2[i] = 1 if zin2[i] >= theta else 0
    print("y1:", y1)
    print("y2:", y2)
    zin = y1 * v1 + y2 * v2
    for i in range(4):
        y[i] = 1 if zin[i] >= theta else 0
    print("Final OUTPUT y:", y)
    print("Target z:", z)
```

```
print("z2",zin2)

for i in range(0,4):
    if zin1[i]>=theta:
        y1[i]=1
    else:
        y1[i]=0
    if zin2[i] >= theta:
        y2[i]=1
    else:
        y2[i]=0
    yin = np.array([])
    yin = y1*v1+y2*v2

for i in range(0,4):
    if yin[i]>=theta:
        y[i]=1
    else:
        y[i]=0
    print("yin",yin)
    print('OUTPUT of Net')
    y = y.astype(int)
    print("y",y)
    print("z",z)
    if np.array_equal(y,z):
        con=0
```

else:

```
print("Net is not learning enter another set of weights and Threshold value")
```

```
w11=input("Weight w11=")
```

```
w12=input("weight w12=")
```

```
w21=input("Weight w21=")
```

```
w22=input("weight w22=")
```

```
v1=input("weight v1=")
```

```
v2=input("weight v2=")
```

```
theta=input("theta=")
```

```
print("McCulloch-Pitts Net for XOR function")
```

```
print("Weights of Neuron Z1")
```

```
print(w11)
```

```
print(w21)
```

```
print("weights of Neuron Z2")
```

```
print(w12)
```

```
print(w22)
```

```
print("weights of Neuron Y")
```

```
print(v1)
```

```
print(v2)
```

```
print("Threshold value")
```

```
print(theta)
```

OUTPUT :

```
===== RESTART: C:\Users\kuzma\OneDrive
Enter weights
Weight w11= 1
Weight w12= -1
Weight w21= -1
Weight w22= 1
Weight v1= 1
Weight v2= 1
Enter Threshold Value
theta= 1
zin1: [ 0 -1  1  0]
zin2: [ 0  1 -1  0]
y1: [0. 0. 1. 0.]
y2: [0. 1. 0. 0.]
Final output y: [0. 1. 1. 0.]
Target z: [0 1 1 0]
z2 [ 0  1 -1  0]
yin [0. 1. 1. 0.]
Output of Net
y [0 1 1 0]
z [0 1 1 0]
yin [0. 1. 1. 0.]
Output of Net
y [0 1 1 0]
z [0 1 1 0]
McCulloch-Pitts Net for XOR function
Weights of Neuron Z1
1
-1
weights of Neuron Z2
-1
1
weights of Neuron Y
1
1
Threshold value
1
```


Practical 3

Aim : Write a program to implement Hebb's Rule.

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Practical No : 3-A

Aim : Write a program to implement Hebb's Rule.

Using the Hebb rule, find the weights required to perform the following classifications of the given input patterns shown in Figure 16. The pattern is shown as 3×3 matrix form in the squares. The "+" symbols represent the value "1" and empty squares indicate "-1." Consider "I" belongs to the members of class (so has target value 1) and "O" does not belong to the members of class (so has target value -1).

| | | |
|---|---|---|
| + | + | + |
| | + | |
| + | + | + |

'I'

| | | |
|---|---|---|
| + | + | + |
| + | | + |
| + | + | + |

'O'

Code :

```
import numpy as np

# Input feature vectors

x1 = np.array([1, 1, 1, -1, -1, 1, 1, 1, 1])
x2 = np.array([1, 1, 1, -1, 1, 1, 1, 1, 1])

# Target values for inputs

y = np.array([1, -1])

# Initial weight and bias setup

b = 0

wtold = np.zeros((9,))

wtnew = np.zeros((9,))

wtnew = wtnew.astype(int)
```

```
wtold = wtold.astype(int)

# Bias for display purposes

bais = 0

print("First input with target = 1")

for i in range(0, 9):

    wtold[i] = wtold[i] + x1[i] * y[0]

wtnew = wtold

b = b + y[0]

print("new wt =", wtnew)

print("Bias value =", b)

print("Second input with target = -1")

for i in range(0, 9):

    wtnew[i] = wtold[i] + x2[i] * y[1]

b = b + y[1]

print("new wt =", wtnew)

print("Bias value", b)
```

OUTPUT :

```
===== RESTART: C:/Users/kuzma/OneDrive/
First input with target = 1
new wt = [ 1  1  1 -1 -1  1  1  1  1]
Bias value = 1
Second input with target = -1
new wt = [ 0  0  0  0 -2  0  0  0  0]
Bias value 0
```

Practical No : 3-B

Aim : Write a program to implement Delta Rule.

Code :

```
import numpy as np

import time

np.set_printoptions(precision=2)

x = np.zeros((3,))

weights = np.zeros((3,))

desired = np.zeros((3,))

actual = np.zeros((3,))

for i in range(0, 3):

    x[i] = float(input("Initial inputs: "))

    for i in range(0, 3):

        weights[i] = float(input("Initial weights: "))

    for i in range(0, 3):

        desired[i] = float(input("Desired OUTPUT: "))

    a = float(input("Enter learning rate: "))

    actual = x * weights

    print("actual:", actual)

    print("desired:", desired)

    while True:

        if np.array_equal(desired, actual):

            break # no change

        else:

            for i in range(0, 3):
```

```
weights[i] = weights[i] + a * (desired[i] - actual[i])

actual = x * weights

print("weights:", weights)

print("actual:", actual)

print("desired:", desired)

print("*" * 30)

print("Final OUTPUT")

print("Corrected weights:", weights)

print("actual:", actual)

print("desired:", desired)
```

OUTPUT :

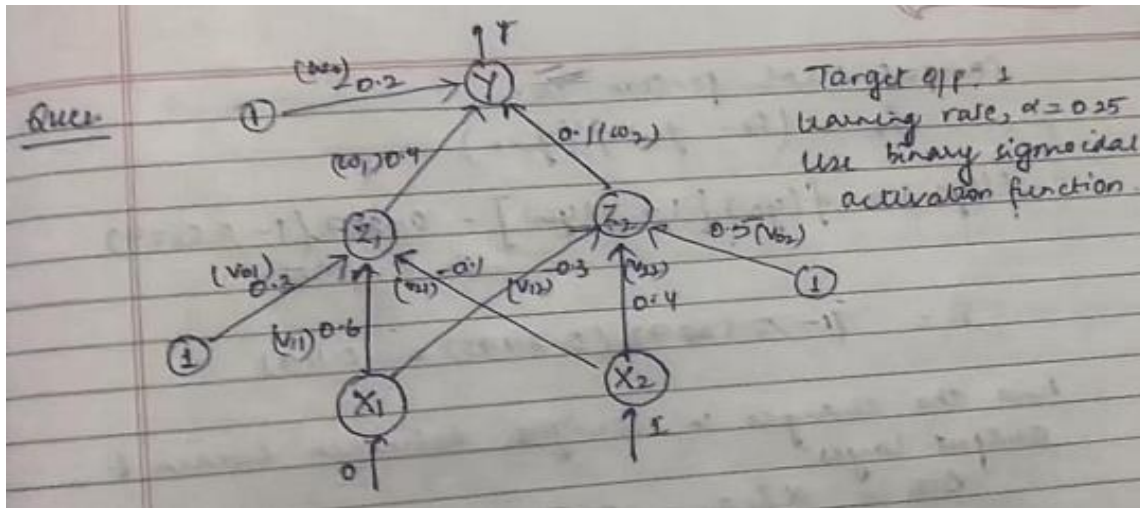
```
===== RESTART: C:/Users/kuzma/C
Initial inputs: 1
Initial inputs: 1
Initial inputs: 1
Initial weights: 1
Initial weights: 1
Initial weights: 1
Desired output: 2
Desired output: 3
Desired output: 4
Enter learning rate: 1
actual: [1. 1. 1.]
desired: [2. 3. 4.]
weights: [2. 3. 4.]
actual: [2. 3. 4.]
desired: [2. 3. 4.]
*****
Final output
Corrected weights: [2. 3. 4.]
actual: [2. 3. 4.]
desired: [2. 3. 4.]
|
```

Aim : Write a program for Back Propagation Algorithm.

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Practical No : 4-A

Aim : Write a program for Back Propagation Algorithm.



Code :

```
import numpy as np
import math
import decimal
np.set_printoptions(precision=2)
v1 = np.array([0.6, 0.3])
v2 = np.array([-0.1, 0.4])
w = np.array([-0.2, 0.4, 0.1])
b1 = 0.3
b2 = 0.5
x1 = 0
x2 = 1
alpha = 0.25
```

```
print("Calculate net input to z1 layer")

zin1 = round(b1 + x1 * v1[0] + x2 * v2[0], 4)

print("z1 = ", round(zin1, 3))

print("calculate net input to z2 layer")

zin2 = round(b2 + x1 * v1[1] + x2 * v2[1], 4)


print("z2 = ", round(zin2, 4))

print("Apply activation function to calculate OUTPUT")

z1 = 1 / (1 + math.exp(-zin1))

z1 = round(z1, 4)


z2 = 1 / (1 + math.exp(-zin2))

z2 = round(z2, 4)

print("z1=", z1)

print("z2=", z2)


print("calculate net input to OUTPUT layer")

yin = w[0] + z1 * w[1] + z2 * w[2]

print("yin=", yin)

print("calculate net OUTPUT")


y = 1 / (1 + math.exp(-yin))

print("y=", y)

fyin = y * (1 - y)

dk = (1 - y) * fyin
```



```
print("dk", dk)

dw1 = alpha * dk * z1
dw2 = alpha * dk * z2
dw0 = alpha * dk

print("compute error portion in delta")

din1 = dk * w[1]
din2 = dk * w[2]

print(f"din1 = {din1}\ndin2 = {din2}")

print("error in delta")

fzin1 = z1 * (1 - z1)
print("fzin1", fzin1)

d1 = din1 * fzin1
fzin2 = z2 * (1 - z2)

print("fzin2", fzin2)

d2 = din2 * fzin2

print("d1=", d1)
print("d2=", d2)

print("Changes in weights between input and hidden layer")

dv11 = alpha * d1 * x1
print("dv11=", dv11)

dv21 = alpha * d1 * x2
print("dv21=", dv21)
```

```
dv01 = alpha * d1
```

```
print("dv01=", dv01)
```

```
dv12 = alpha * d2 * x1
```

```
print("dv12=", dv12)
```

```
dv22 = alpha * d2 * x2
```

```
print("dv22=", dv22)
```

```
dv02 = alpha * d2
```

```
print("dv02=", dv02)
```

```
print("Final weights of network")
```

```
v1[0] = v1[0] + dv11
```

```
v1[1] = v1[1] + dv12
```

```
print("v=", v1)
```

```
v2[0] = v2[0] + dv21
```

```
v2[1] = v2[1] + dv22
```

```
print("v2", v2)
```

```
w[1] = w[1] + dw1
```

```
w[2] = w[2] + dw2
```

```
b1 = b1 + dv01
```

```
b2 = b2 + dv02
```

```
w[0] = w[0] + dw0
```

```
print("w=", w)
```

```
print("bias b1=", b1, " b2=", b2)
```

OUTPUT :

```
===== RESTART: C:/Users/kuzma/OneDrive/Desktop/Soft
Calculate net input to z1 layer
z1 = 0.2
calculate net input to z2 layer
z2 = 0.9
Apply activation function to calculate output
z1= 0.5498
z2= 0.7109
calculate net input to output layer
yin= 0.09101
calculate net output
y= 0.5227368084248941
dk 0.11906907074145694
compute error portion in delta
din1 = 0.04762762829658278
din2 = 0.011906907074145694
error in delta
fzin1 0.24751996
fzin2 0.20552119000000002
d1= 0.011788788650865037
d2= 0.0024471217110978417
Changes in weights between input and hidden layer
dv11= 0.0
dv21= 0.0029471971627162592
dv01= 0.0029471971627162592
dv12= 0.0
dv22= 0.0006117804277744604
dv02= 0.0006117804277744604
Final weights of network
v= [0.6 0.3]
v2 [-0.1 0.4]
w= [-0.17 0.42 0.12]
bias b1= 0.30294719716271623 b2= 0.5006117804277744
|
```

Practical No : 4-B

Aim : Write a program for Error Back Propagation Algorithm(EBPA).

Code :

```
import math

a0 = -1

t = -1


w10 = float(input("Enter weight first network:"))
b10 = float(input("Enter base first network:"))
w20 = float(input("Enter weight second network:"))
b20 = float(input("Enter base second network:"))
c = float(input("Enter learning coefficient:"))


n1 = float(w10 * c + b10)
a1 = math.tanh(n1)
n2 = float(w20 * a1 + b20)
a2 = math.tanh(float(n2))
e = t - a2


s2 = -2 * (1 - a2 * a2) * e
s1 = (1 - a1 * a1) * w20 * s2
w21 = w20 - (c * s2 * a1)
w11 = w10 - (c * s1 * a0)
b21 = b20 - (c * s2)
```

```
b11 = b10 - (c * s1)

print("The updated weight of firstn/ww11=", w11)

print("The uploaded weight of secondn/ww21=", w21)

print("The updated base of firstn/wb10=", b10)

print("The updated base of secondn/wb20=", b20)
```

OUTPUT :

```
===== RESTART: C:/Users/kuzma/OneDrive/
Enter weight first network:12
Enter base first network:35
Enter weight second network:23
Enter base second network:45
Enter learning coefficient:11
The updated weight of firstn/ww11= 12.0
The uploaded weight of secondn/ww21= 23.0
The updated base of firstn/wb10= 35.0
The updated base of secondn/wb20= 45.0
|
```

Practical 5

Aim : Write a program for Hopfield Network.

[illegible]

Practical No : 5-A

Aim : Write a program for Hopfield Network.

Code :

```
import numpy as np

import matplotlib.pyplot as plt

import seaborn as sns

sns.set_palette("Set2")

N = 400

P = 100

N_sqrt = np.sqrt(N).astype("int32")

NO_OF_ITERATIONS = 40

NO_OF_BITS_TO_CHANGE = 200

epsilon = np.asarray([np.random.choice([1, -1], size=N)])

for i in range(P - 1):

    epsilon = np.append(epsilon, [np.random.choice([1, -1], size=N)], axis=0)

    print(epsilon.shape)

    random_pattern = np.random.randint(P)

    test_array = epsilon[random_pattern]

    random_pattern_test = np.random.choice([1, -1], size=NO_OF_BITS_TO_CHANGE)

    test_array[:NO_OF_BITS_TO_CHANGE] = random_pattern_test

    print(random_pattern)
```

```
w = np.zeros((N, N))

h = np.zeros(N)

for i in range(N):
    for j in range(N):
        for p in range(P):

            w[i, j] += (epsilon[p, i] * epsilon[p, j]).sum()

            if i == j:
                w[i, j] = 0

            w /= N

            hamming_distance = np.zeros((NO_OF_ITERATIONS, P))

            for iteration in range(NO_OF_ITERATIONS):
                for _ in range(N):
                    i = np.random.randint(N)
                    h[i] = 0

                    for j in range(N):
                        h[i] += w[i, j] * test_array[j]

                    test_array = np.where(h < 0, -1, 1)

                    for i in range(P):
                        hamming_distance[iteration, i] = ((epsilon - test_array)[i] != 0).sum()

fig = plt.figure(figsize=(8, 8))

plt.plot(hamming_distance)

plt.xlabel("No of iterations")
```



```
plt.ylabel("Hamming distance")
```

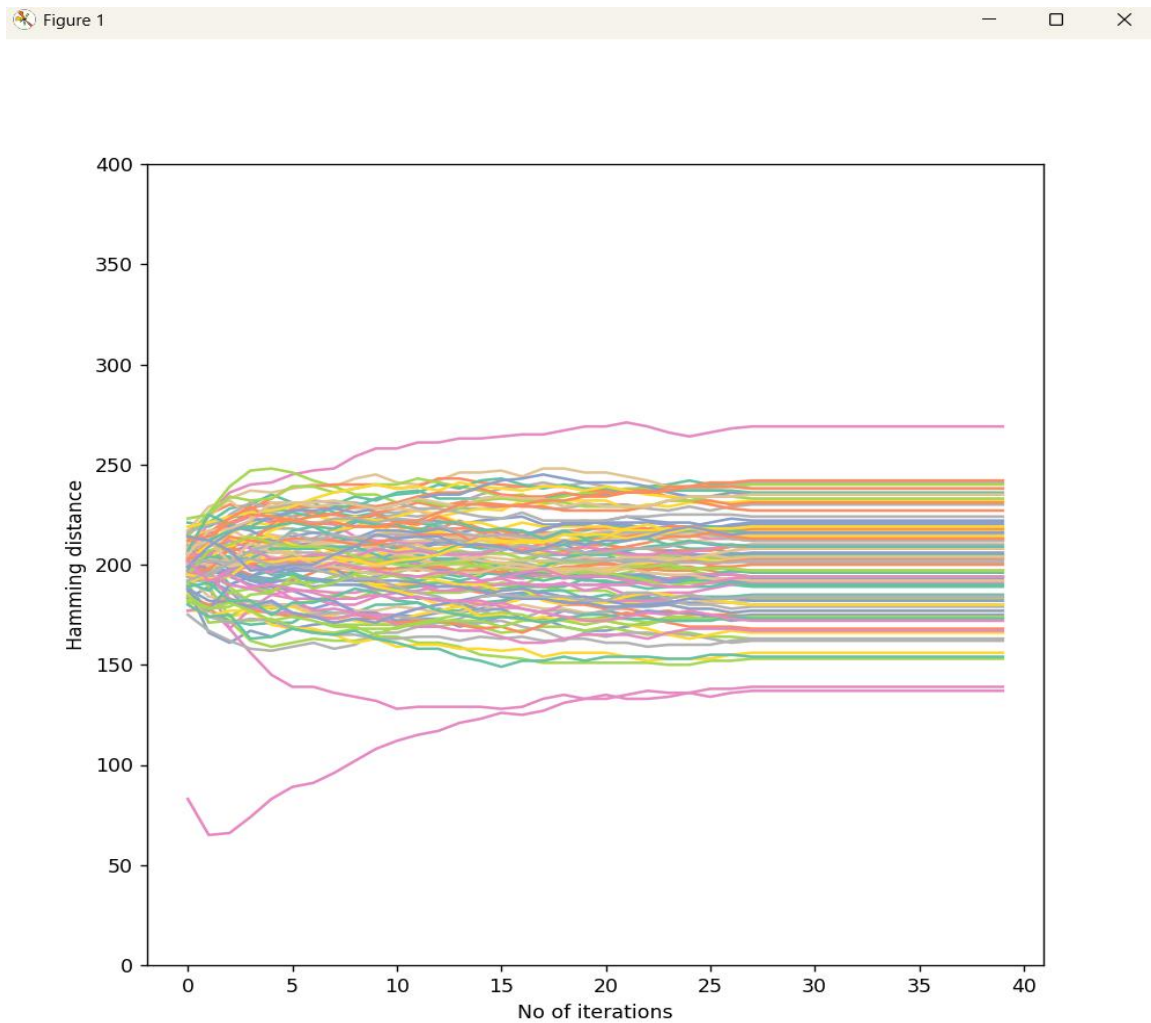
```
plt.ylim([0, N])
```

```
plt.show()
```

```
plt.show(block=True)
```

OUTPUT :

```
===== RESTART: C:\Users\kuzma\On  
(100, 400)  
67
```



Practical No : 5-B

Aim : Write a program for Radial Basis Function.

Code :

```
from scipy import *

from scipy.linalg import norm, pinv

from matplotlib import pyplot as plt

from numpy import random as random

import numpy as np

from scipy.interpolate import interp1d


class RBF:

    def __init__(self, indim, numCenters, outdim):

        self.indim = indim

        self.outdim = outdim

        self.numCenters = numCenters

        self.centers = [random.uniform(-1, 1, indim) for i in range(numCenters)]

        self.beta = 8

        self.W = random.random((self.numCenters, self.outdim))


    def _basisfunc(self, c, d):

        assert len(d) == self.indim

        return np.exp(-self.beta * norm(c - d) ** 2)
```

```
def _calcAct(self, X):  
  
    G = np.zeros((X.shape[0], self.numCenters), float)  
  
    for ci, c in enumerate(self.centers):  
  
        for xi, x in enumerate(X):  
  
            G[xi, ci] = self._basisfunc(c, x)  
  
    return G  
  
  
def train(self, X, Y):  
  
    rnd_idx = random.permutation(X.shape[0])[:self.numCenters]  
  
    self.centers = [X[i, :] for i in rnd_idx]  
  
    print("center", self.centers)  
  
    G = self._calcAct(X)  
  
    self.W = np.dot(pinv(G), Y)  
  
    def test(self, X):  
  
        G = self._calcAct(X)  
  
        Y = np.dot(G, self.W)  
  
    return Y  
  
  
if __name__ == "__main__":  
  
    n = 100  
  
    x = np.mgrid[-1:1:complex(0, n)].reshape(n, 1)  
  
    y = np.sin(3 * (x + 0.5) ** 3 - 1)  
  
    y += random.normal(0, 0.1, y.shape)  
  
    rbf = RBF(1, 10, 1)
```

```
rbf.train(x, y)

z_rbf = rbf.test(x)

# Extract centers' x positions and y=0
centers_x = np.array(rbf.centers).flatten()

centers_y = np.zeros_like(centers_x)

# Start with first black data point (x[0], y[0])
start_x = x[0, 0]
start_y = y[0, 0]

# Combine start point with centers
all_x = np.concatenate([start_x, centers_x])
all_y = np.concatenate([start_y, centers_y])

# Sort points by x for interpolation
sorted_indices = np.argsort(all_x)
all_x_sorted = all_x[sorted_indices]
all_y_sorted = all_y[sorted_indices]

# Create piecewise linear interpolation function
interp_func = interp1d(all_x_sorted, all_y_sorted, kind='linear', fill_value="extrapolate")

# Evaluate on full x grid
z_interp = interp_func(x.flatten())

plt.figure(figsize=(12, 8))

plt.plot(x, y, "k-", label="Original Data")
```

```
plt.plot(x, z_interp, "r-", linewidth=2, label="Red Line Touching First Black Point and All Green Centers")

plt.plot(centers_x, centers_y, "gs", label="RBF Centers (y=0)")

plt.xlim(-1.2, 1.2)

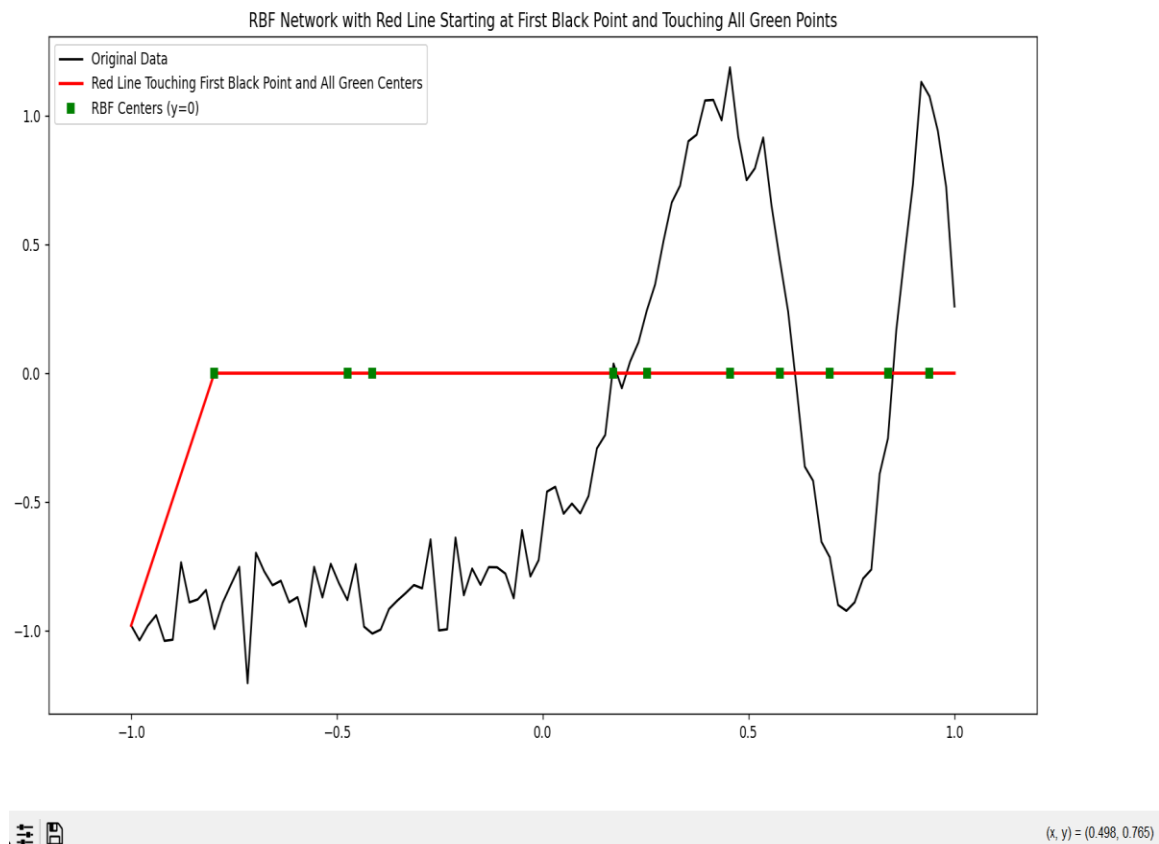
plt.legend()

plt.title("RBF Network with Red Line Starting at First Black Point and Touching All Green Points")

plt.show()
```

OUTPUT :

```
===== RESTART: C:/Users/kuzma/OneDrive/Desktop/Soft Computing/5B.py =====
center [array([0.45454545]), array([0.83838384]), array([0.57575758]), array([-0.7979798
]), array([-0.41414141]), array([0.25252525]), array([0.17171717]), array([0.93939394]),
array([0.6969697]), array([-0.47474747])]
```



Aim : Write a program for Self-Organising Maps.

This image shows a single sheet of white paper with horizontal blue ruling lines. The lines are evenly spaced and run across the width of the page. There are no margins, text, or other markings on the paper.

Practical No : 6-A

Aim : Write a program for Self-Organising Maps.

Code :

```
import numpy as np

from minisom import MiniSom

import matplotlib.pyplot as plt

colors = np.array([[0., 0., 0.],[0., 0., 1.],[0., 0., 0.5],[0.125, 0.519, 1.0],[0.33, 0.4, 0.67],
[0.6, 0.5, 1.0],[0., 1., 0.],[1., 0., 0.],[0., 1., 1.],[1., 1., 0.],[1., 1., 1.],[.33, .33, .33],
[.5, .5, .5],[.66, .66, .66]])

color_names = ['black', 'blue', 'darkblue', 'skyblue', 'greyblue', 'lilac', 'green', 'red', 'cyan',
'violet', 'yellow', 'white', 'darkgrey', 'mediumgrey', 'lightgrey']

som = MiniSom(20, 30, 3, sigma=1.0, learning_rate=0.5)

som.train(colors, 1000)

plt.imshow(som.get_weights()[ :, :, :3], origin='lower')

plt.title('Color SOM')

for i, color in enumerate(colors):

    w = som.winner(color)

    plt.text(w[1], w[0], color_names[i], ha='center', va='center', bbox=dict(facecolor='white',
alpha=0.5, lw=0))

plt.show()
```

OUTPUT :

```
===== RESTART: C:/Users/kuzma/OneDrive/Desktop/Soft Computing/6A.py ===  
=====  
Clipping input data to the valid range for imshow with RGB data ([0..1] for  
floats or [0..255] for integers). Got range [-0.9876188274163928..0.9999999  
99999957].
```



Practical No : 6-B

Aim : Write a program for Adaptive Resonance Theory.

Code :

```
import numpy as np

VIGILANCE = 0.6

LEARNING_COEF = 0.5

train = np.array([[1,0,0,0,0,0],[1,1,1,1,1,0],[1,0,1,0,1,0],[0,1,0,0,1,1],[1,1,1,0,0,0],
[0,0,1,1,1,0],[1,1,1,1,1,0],[1,1,1,1,1,0],[1,1,1,1,1,1],])

test = np.array([[1,1,1,1,1,1],[1,1,1,1,1,0],[1,1,1,1,0,0],[1,1,1,0,0,0],[1,1,0,0,0,0],
[1,0,0,0,0,0],[0,0,0,0,0,0],])

L1_neurons_cnt = len(train[0])

L2_neurons_cnt = 1

bottomUps = np.array([[1/(L1_neurons_cnt + 1) for _ in range(L1_neurons_cnt)]], np.float64)

topDowns = np.array([[1 for _ in range(L1_neurons_cnt)]], np.float64)

for tv in train:

    print("\nTrain Vector: ", tv)

    createNewNeuron = True

    OUTPUTs = [bottomUps[i].dot(tv) for i in range(L2_neurons_cnt)]

    counter = L2_neurons_cnt

    while counter > 0:

        winning_OUTPUT = max(OUTPUTs)
```

```
winner_neuron_idx = OUTPUTs.index(winning_OUTPUT)

tv_sum = sum(tv)

if tv_sum == 0:

    similarity = 0

else:

    similarity = topDowns[winner_neuron_idx].dot(tv) / tv_sum

    print(" TopDowns[Winner]: ", topDowns[winner_neuron_idx])

    print(" BottomUps Weights: ", bottomUps[winner_neuron_idx])

    print(" Similarity: ", similarity)

if similarity >= VIGILANCE:

    createNewNeuron = False

    new_bottom_weights = tv * topDowns[winner_neuron_idx] / (LEARNING_COEF +
    tv.dot(topDowns[winner_neuron_idx]))

    new_top_weights = tv * topDowns[winner_neuron_idx]

    topDowns[winner_neuron_idx] = new_top_weights

    bottomUps[winner_neuron_idx] = new_bottom_weights

    break

else:

    OUTPUTs[winner_neuron_idx] = -1

    counter -= 1

if createNewNeuron:

    print(" Creating a new neuron")

    new_bottom_weights = np.array([[i / (LEARNING_COEF + sum(tv)) for i in tv]], np.float64)
```

```
new_top_weights = np.array([[i for i in tv]], np.float64)

print(" Weights bottomUps: ", new_bottom_weights)

print(" Weights topDown: ", new_top_weights)


bottomUps = np.append(bottomUps, new_bottom_weights, axis=0)

topDowns = np.append(topDowns, new_top_weights, axis=0)

L2_neurons_cnt += 1

print("=====")

print(f"Total Classes: {L2_neurons_cnt}")

print("Center of masses")

print(topDowns)


for tv in test:

    A = list(range(L2_neurons_cnt))

    createNewNeuron = True

    OUTPUTs = [bottomUps[i].dot(tv) for i in A]

    winning_weight = max(OUTPUTs)


    winner_neuron_idx = OUTPUTs.index(winning_weight)

    print(f"Class {winner_neuron_idx} for test vector {tv}")
```

OUTPUT :

```

===== RESTART: C:/Users/kuzma/OneDrive/Desktop/Soft Computing/6B.py =====
Train Vector:  [1 0 0 0 0 0]
TopDowns[Winner]:  [1. 1. 1. 1. 1. 1.]
BottomUps Weights:  [0.14285714 0.14285714 0.14285714 0.14285714 0.14285714 0.14285714]
Similarity:  1.0
=====
Total Classes: 1
Center of masses
[[1. 0. 0. 0. 0. 0.]]

Train Vector:  [1 1 1 1 1 0]
TopDowns[Winner]:  [1. 0. 0. 0. 0. 0.]
BottomUps Weights:  [0.66666667 0.          0.          0.          0.          0.          ]
Similarity:  0.2
Creating a new neuron
Weights bottomUps:  [[0.18181818 0.18181818 0.18181818 0.18181818 0.18181818 0.          ]]
Weights topDown:  [[1. 1. 1. 1. 1. 0.]]
=====
Total Classes: 2
Center of masses
[[1. 0. 0. 0. 0. 0.]
 [1. 1. 1. 1. 1. 0.]]

Train Vector:  [1 0 1 0 1 0]
TopDowns[Winner]:  [1. 0. 0. 0. 0. 0.]
BottomUps Weights:  [0.66666667 0.          0.          0.          0.          0.          ]
Similarity:  0.3333333333333333
TopDowns[Winner]:  [1. 1. 1. 1. 1. 0.]
BottomUps Weights:  [0.18181818 0.18181818 0.18181818 0.18181818 0.18181818 0.          ]
Similarity:  1.0
=====
Total Classes: 2
Center of masses
[[1. 0. 0. 0. 0. 0.]
 [1. 0. 1. 0. 1. 0.]]

```

```

Train Vector:  [0 0 1 1 1 0]
TopDowns[Winner]:  [1. 0. 1. 0. 0. 0.]
BottomUps Weights:  [0.4 0. 0.4 0. 0. 0. ]
Similarity:  0.3333333333333333
TopDowns[Winner]:  [0. 1. 0. 0. 1. 1.]
BottomUps Weights:  [0.          0.28571429 0.          0.          0.28571429 0.28571429]
Similarity:  0.3333333333333333
TopDowns[Winner]:  [1. 0. 0. 0. 0. 0.]
BottomUps Weights:  [0.66666667 0.          0.          0.          0.          0.          ]
Similarity:  0.0
Creating a new neuron
Weights bottomUps:  [[0.          0.          0.28571429 0.28571429 0.28571429 0.          ]]
Weights topDown:  [[0. 0. 1. 1. 1. 0.]]
=====
Total Classes: 4
Center of masses
[[1. 0. 0. 0. 0. 0.]
 [1. 0. 1. 0. 0. 0.]
 [0. 1. 0. 0. 1. 1.]
 [0. 0. 1. 1. 1. 0.]]

Train Vector:  [1 1 1 1 1 0]
TopDowns[Winner]:  [0. 0. 1. 1. 1. 0.]
BottomUps Weights:  [0.          0.          0.28571429 0.28571429 0.28571429 0.          ]
Similarity:  0.6
=====
Total Classes: 4
Center of masses
[[1. 0. 0. 0. 0. 0.]
 [1. 0. 1. 0. 0. 0.]
 [0. 1. 0. 0. 1. 1.]
 [0. 0. 1. 1. 1. 0.]]

Train Vector:  [1 1 1 1 1 0]
TopDowns[Winner]:  [0. 0. 1. 1. 1. 0.]
BottomUps Weights:  [0.          0.          0.28571429 0.28571429 0.28571429 0.          ]
Similarity:  0.6

```

```

Similarity: 0.6
=====
Total Classes: 4
Center of masses
[[1. 0. 0. 0. 0. 0.]
 [1. 0. 1. 0. 0. 0.]
 [0. 1. 0. 0. 1. 1.]
 [0. 0. 1. 1. 1. 0.]]

Train Vector: [1 1 1 1 1 1]
TopDowns[Winner]: [0. 1. 0. 0. 1. 1.]
BottomUps Weights: [0.          0.28571429 0.          0.          0.28571429 0.28571429]
Similarity: 0.5
TopDowns[Winner]: [0. 0. 1. 1. 1. 0.]
BottomUps Weights: [0.          0.          0.28571429 0.28571429 0.28571429 0.          ]
Similarity: 0.5
TopDowns[Winner]: [1. 0. 1. 0. 0. 0.]
BottomUps Weights: [0.4 0.  0.4 0.  0.  0. ]
Similarity: 0.3333333333333333
TopDowns[Winner]: [1. 0. 0. 0. 0. 0.]
BottomUps Weights: [0.66666667 0.          0.          0.          0.          0.          ]
Similarity: 0.16666666666666666
Creating a new neuron
Weights bottomUps: [[0.15384615 0.15384615 0.15384615 0.15384615 0.15384615 0.15384615]]
Weights topDown: [[1. 1. 1. 1. 1. 1.]]
=====

```

```

=====
Total Classes: 5
Center of masses
[[1. 0. 0. 0. 0. 0.]
 [1. 0. 1. 0. 0. 0.]
 [0. 1. 0. 0. 1. 1.]
 [0. 0. 1. 1. 1. 0.]
 [1. 1. 1. 1. 1. 1.]]
Class 4 for test vector [1 1 1 1 1 1]
Class 3 for test vector [1 1 1 1 1 0]
Class 1 for test vector [1 1 1 1 0 0]
Class 1 for test vector [1 1 1 0 0 0]
Class 0 for test vector [1 1 0 0 0 0]
Class 0 for test vector [1 0 0 0 0 0]
Class 0 for test vector [0 0 0 0 0 0]

```

Practical 7

Aim : Line Separation

This image shows a single sheet of white paper with horizontal blue ruling lines. The lines are evenly spaced and run across the width of the page. There are no margins, text, or other markings on the paper.

Practical No : 7-A**Aim :** Write a program for Line Separation**Code :**

```
import numpy as np

import matplotlib.pyplot as plt

def create_distance_function(a, b, c):

def distance(x, y):

    nom = a * x + b * y + c

    if nom == 0:

        pos = 0

    elif (nom < 0 and b < 0) or (nom > 0 and b > 0):

        pos = -1

    else:

        pos = 1

    return (np.abs(nom) / np.sqrt(a**2 + b**2), pos)

    return distance

def main():

    points = [(3.5, 1.8), (1.1, 3.9)] # Example points
    fig, ax = plt.subplots()
    ax.set_xlabel("sweetness")
    ax.set_ylabel("sourness")
    ax.set_xlim([-1, 6])
    ax.set_ylim([-1, 8])
    X = np.arange(-0.5, 5, 0.1) # X values to plot line
    # Plot points
    size = 10
    for index, (x, y) in enumerate(points):
        color = "darkorange" if index == 0 else "yellow"
        ax.plot(x, y, "o", color=color, markersize=size)

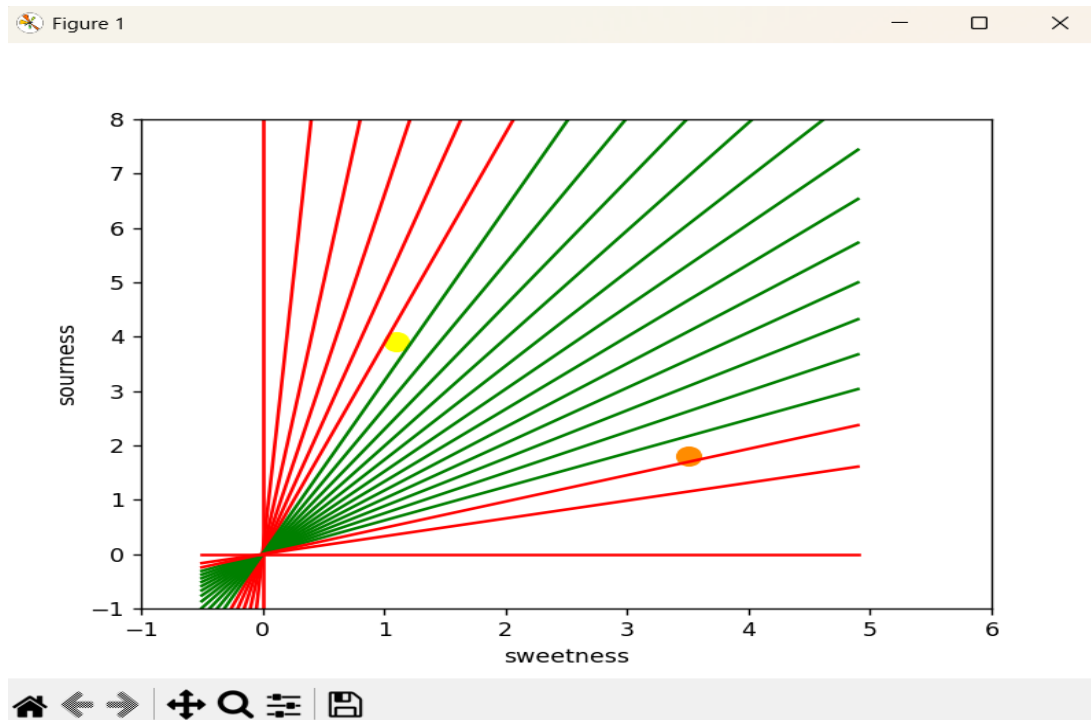
    # Define the step for line plotting and slope generation
    step = 0.05
    for x_param in np.arange(0, 1 + step, step):
        slope = np.tan(np.arccos(x_param)) # Slope based on x (parameterizing a line)
        dist4line1 = create_distance_function(slope, -1, 0) # Create distance function
```

```

# Generate Y values for line
Y = slope * X
# Initialize the results list
results = []
# Get results for the points
for point in points:
    results.append(dist4line1(*point)) # Call the distance function for each point
print(slope, results)

# Check if the points are on different sides of the line
if results[0][1] != results[1][1]:
    ax.plot(X, Y, "g-") # Green line if points are separated
else:
    ax.plot(X, Y, "r-") # Red line if points are not separated
# Show plot
plt.show()
if __name__ == "__main__":
    main()

```

OUTPUT :

Practical No : 7-B

Aim : Write a program for Hopfield network model for associative memory.

Code :

```
import numpy as np

import matplotlib.pyplot as plt

# === Pattern creation functions ===

def create_checkerboard(size):

    return np.indices((size, size)).sum(axis=0) % 2

def create_random_pattern(size, on_prob=0.5):

    return (np.random.rand(size, size) < on_prob).astype(int)

def create_random_pattern_list(size, nr_patterns, on_prob=0.5):

    return [create_random_pattern(size, on_prob) for _ in range(nr_patterns)]

def plot_pattern_list(pattern_list, titles=None):

    n = len(pattern_list)

    plt.figure(figsize=(n*2, 2))

    for i, p in enumerate(pattern_list):

        plt.subplot(1, n, i+1)

        plt.imshow(p, cmap='gray_r')

        plt.axis('off')

    if titles:

        plt.title(titles[i])

    plt.show()

def compute_overlap(p1, p2):
```

```
# patterns are binary 0/1 -> convert to bipolar -1/+1 for overlap calc
```

```
p1_bipolar = 2 * p1.flatten() - 1
```

```
p2_bipolar = 2 * p2.flatten() - 1
```

```
return np.dot(p1_bipolar, p2_bipolar) / len(p1_bipolar)
```

```
def compute_overlap_matrix(pattern_list):
```

```
    n = len(pattern_list)
```

```
    mat = np.zeros((n,n))
```

```
    for i in range(n):
```

```
        for j in range(n):
```

```
            mat[i,j] = compute_overlap(pattern_list[i], pattern_list[j])
```

```
    return mat
```

```
def plot_overlap_matrix(mat):
```

```
    plt.imshow(mat, cmap='coolwarm', vmin=-1, vmax=1)
```

```
    plt.colorbar()
```

```
    plt.title("Overlap matrix")
```

```
    plt.show()
```

```
# === Hopfield network class ===
```

```
class HopfieldNetwork:
```

```
    def __init__(self, nr_neurons):
```

```
        self.nr_neurons = nr_neurons
```

```
        self.weights = np.zeros((nr_neurons, nr_neurons))
```

```
    def train(self, patterns):
```

```
        # Convert patterns to bipolar vectors (-1,1)
```

```
        patterns_bipolar = [2 * p.flatten() - 1 for p in patterns]
```

```
for p in patterns_bipolar:
    self.weights += np.outer(p, p)
    np.fill_diagonal(self.weights, 0)
    self.weights /= len(patterns)

def recall(self, state, steps=5):
    s = 2 * state.flatten() - 1
    states = [s.copy()]
    for _ in range(steps):
        s = np.sign(self.weights @ s)

    s[s==0] = 1 # treat zeros as 1
    states.append(s.copy())
    return states

def state_to_pattern(self, state, shape):
    # Convert bipolar state back to binary pattern
    return ((state.reshape(shape) + 1) // 2).astype(int)

# === Utility ===

def flip_n_bits(pattern, n):
    p_flat = pattern.flatten()
    indices = np.random.choice(len(p_flat), size=n, replace=False)
    p_flat[indices] = 1 - p_flat[indices] # flip bits
    return p_flat.reshape(pattern.shape)

# === Main script ===

pattern_size = 5

checkerboard = create_checkerboard(pattern_size)
```

```
pattern_list = [checkerboard]

pattern_list.extend(create_random_pattern_list(pattern_size, 3, on_prob=0.5))

# Plot original patterns

plot_pattern_list(pattern_list, titles=["Checkerboard"] + [f"Random {i+1}" for i in range(3)])

# Overlap matrix

overlap_matrix = compute_overlap_matrix(pattern_list)

plot_overlap_matrix(overlap_matrix)


# Train Hopfield network

hp_net = HopfieldNetwork(nr_neurons=pattern_size**2)

hp_net.train(pattern_list)

# Flip 4 bits in checkerboard pattern (add noise)

noisy_init = flip_n_bits(checkerboard, 4)

# Run recall (network dynamics)

states = hp_net.recall(noisy_init, steps=6)

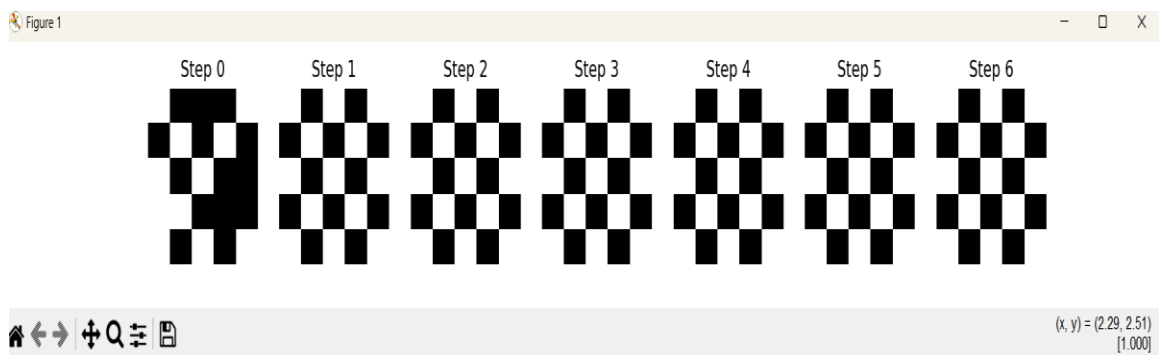
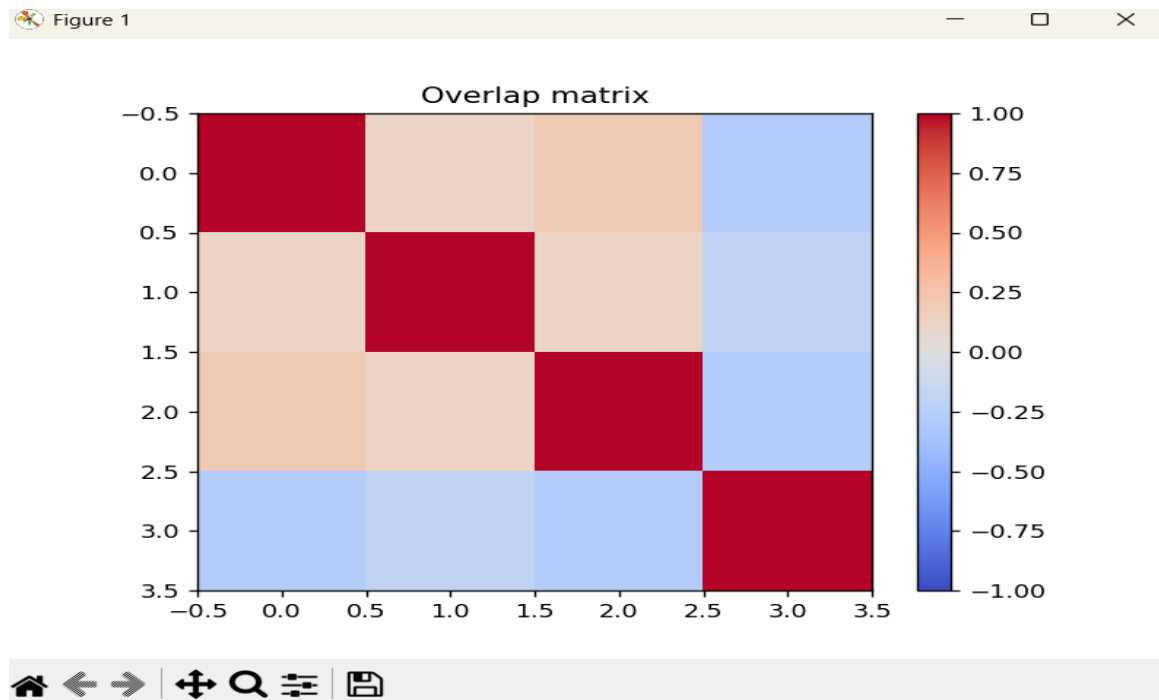
# Convert states to patterns for plotting

states_as_patterns = [hp_net.state_to_pattern(s, (pattern_size, pattern_size)) for s in states]

# Plot recall sequence

plot_pattern_list(states_as_patterns, titles=[f"Step {i}" for i in range(len(states_as_patterns))])
```

OUTPUT :



Aim : Implementation of Membership and Identity operators (in, not in) & (is, is not).

This image shows a single sheet of white paper with horizontal blue ruling lines. The lines are evenly spaced and run across the width of the page. There are no margins, text, or other markings on the paper.

Practical No : 8-A

Aim : Implementation of Membership and Identity operators (in, not in).

Code :

(in) :

```
def overlapping(list1, list2):  
    for i in list1:  
        for j in list2:  
            if i == j:  
                return 1  
    return 0 # Only return 0 if no overlapping element found
```

```
def main():  
    list1 = [1, 2, 3, 4, 5]  
    list2 = [1, 2, 3, 4, 5, 6, 7, 8, 9]  
    if overlapping(list1, list2):  
        print("Overlapping")  
    else:  
        print("Not Overlapping")
```

```
if __name__ == "__main__":  
    main()
```

(not in) :

```
def main():  
    x = 14  
    list=[1,2,3,4,5,6,7,8,9]  
    if x not in list:  
        print("not overlapping")  
    else:  
        print("overlapping")  
if __name__ == "__main__":  
    main()
```

OUTPUT :

(In) :

```
===== RESTART: C:/Users/kuzma/OneDrive/Desktop/Soft Computing/8A_in.py  
Overlapping  
|
```

(Not in) :

```
===== RESTART: C:/Users/kuzma/OneDrive/Desktop/  
Not overlapping  
|
```


Practical No : 8-B

Aim : Implementation of Membership and Identity operators (is, is not).

Code :

(Is) :

```
x= 5
if(type(x) is not float):
print("true")
else:
print("false")
```

(Is not) :

```
y = 5.2
if(type(y) is not float):
print("true")
else:
print("false")
```

OUTPUT :

(is):

```
===== RESTART: C:/Users/kuzma/OneDrive/Desktop/Sc
true
|
```

(Is not):

```
===== RESTART: C:/Users/kuzma/OneDrive/Desktop/Soft Computing/8B.py
false
|
```

Practical 9

Aim : Find the ratios using Fuzzy Logic.

[illegible]

Practical No : 9-A

Aim : Find the ratios using Fuzzy Logic.

Code :

```
from fuzzywuzzy import fuzz
from fuzzywuzzy import process
s1 = "I love fuzzyforfuzzys"
s2 = "I am loveing fuzzyforfuzzys"

print ("\nFuzzywuzzy Ratio:", fuzz.ratio(s1,s2))
print ("\nFuzzywuzzyParialRatio:" ,fuzz.partial_ratio(s1,s2))
print ("\nFuzzywuzzyTokenSortRatio:" ,fuzz.token_sort_ratio(s1,s2))
print ("\nFuzzywuzzyTokenSetRatio:" ,fuzz.token_set_ratio(s1,s2))
print ("\nFuzzywuzzyWRatio:" ,fuzz.WRatio(s1,s2))

query ='fuzzy for fuzzys'
choices=['fuzzy for fuzzy' , 'fuzzy fuzzy','g. for fuzzys']
print("list of ratio:")
print(process.extract(query,choices),'\n')
print("best among the above list:",process.extractOne(query,choices))
```

OUTPUT :

```
===== RESTART: C:/Users/kuzma/OneDrive/Desktop/Soft Computing/9A.py
Fuzzywuzzy Ratio: 88
FuzzywuzzyParialRatio: 86
FuzzywuzzyTokenSortRatio: 88
FuzzywuzzyTokenSetRatio: 88
FuzzywuzzyWRatio: 88
list of ratio:
[('fuzzy for fuzzy', 97), ('fuzzy fuzzy', 95), ('g. for fuzzys', 86)]
best among the above list: ('fuzzy for fuzzy', 97)
```

Practical No : 9-B

Aim : Solve Tipping Problem using Fuzzy Logic.

Code :

```
import numpy as np

import skfuzzy as fuzz

from skfuzzy import control as ctrl

import matplotlib.pyplot as plt


# Create fuzzy variables

quality = ctrl.Antecedent(np.arange(0, 11, 1), 'quality')

service = ctrl.Antecedent(np.arange(0, 11, 1), 'service')

tip = ctrl.Consequent(np.arange(0, 26, 1), 'tip')

# Automatically generate fuzzy membership functions
quality.automf(3)

service.automf(3)


# Define custom membership functions for 'tip'
tip['low'] = fuzz.trimf(tip.universe, [0, 0, 13])

tip['medium'] = fuzz.trimf(tip.universe, [0, 13, 25])

tip['high'] = fuzz.trimf(tip.universe, [13, 25, 25])

# Visualize the membership functions for the quality, service, and tip
quality['average'].view()

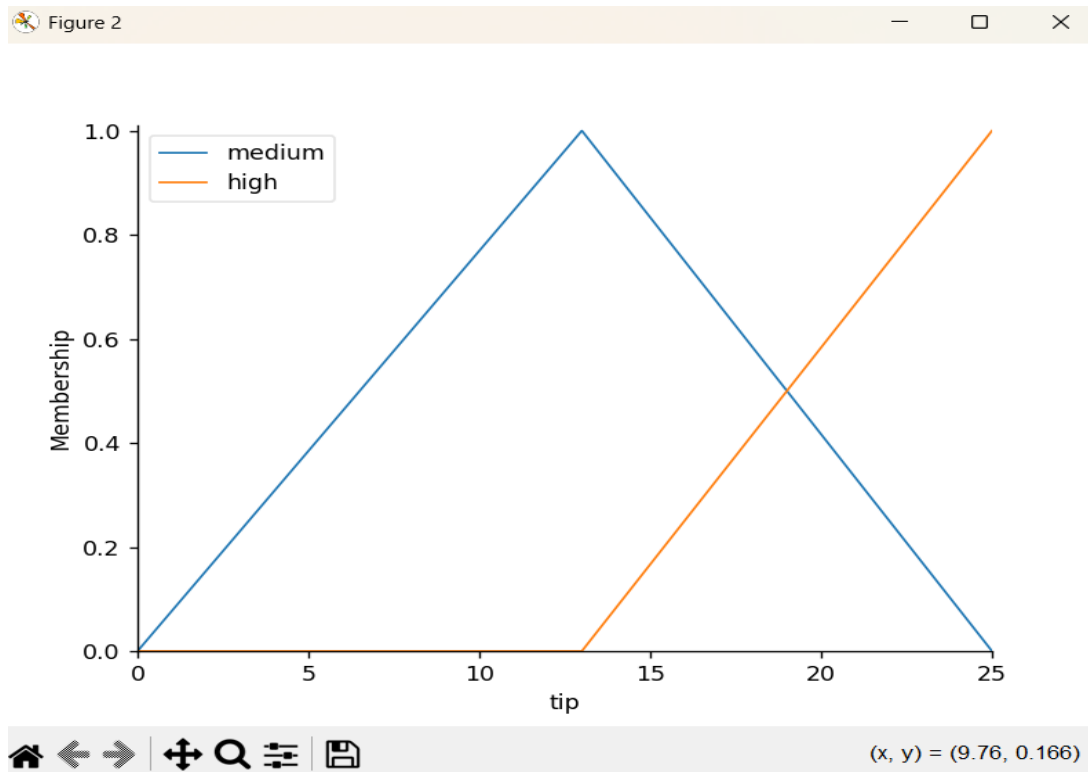
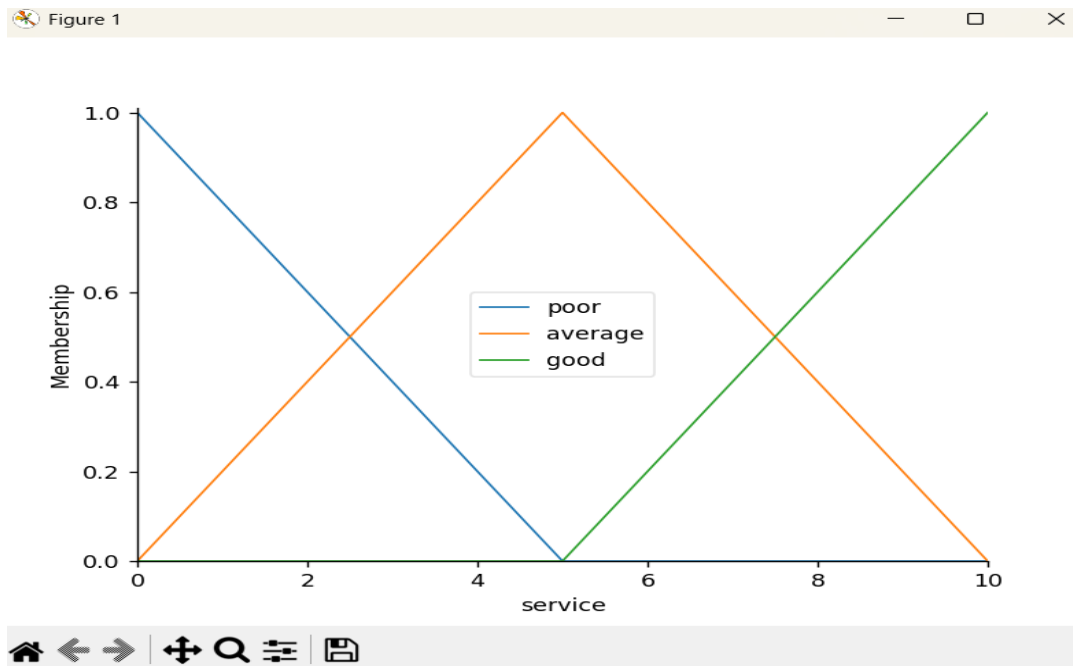
service.view()

tip.view()

# Keep the plots open

plt.show()
```

OUTPUT :



Practical 10

Aim : Implementation of Simple Genetic Algorithm.

[illegible]

Practical No : 10-A**Aim :** Implementation of Simple Genetic Algorithm.**Code :**

```
import random
```

```
POPULATION_SIZE=250
```

```
GENES=""abcdefghijklmnopqrstuvwxyzABCDEFGHIJKLMNOPQRSTUVWXYZ 1234567890,  
.,_!"#%&/()=?@${}""
```

```
TARGET="HELLO"
```

```
class Individual(object):
```

```
def __init__(self,chromosome):
```

```
self.chromosome=chromosome
```

```
self.fitness=self.cal_fitness()
```

```
Classmethod
```

```
@staticmethod
```

```
def mutated_genes():
```

```
global GENES
```

```
gene = random.choice(GENES)
```

```
return gene
```

```
@classmethod
```

```
def create_gnome(self):
```

```
global TARGET
```

```
gnome_len = len(TARGET)
```

```
return [Individual.mutated_genes() for _ in range(gnome_len)]
```

```
def cal_fitness(self):
```

```
    global TARGET
```

```
    fitness = 0
```

```
    for gs, gt in zip(self.chromosome, TARGET):
```

```
        if gs != gt: fitness += 1
```

```
    return fitness
```

```
def crossover(self, par2):
```

```
    #offspring
```

```
    child_chromosome = []
```

```
    for gp1, gp2 in zip(self.chromosome, par2.chromosome):
```

```
        #prob
```

```
        prob = random.random()
```

```
        if prob < 0.50:
```

```
            child_chromosome.append(gp1)
```

```
        elif prob < 0.90:
```

```
            child_chromosome.append(gp2)
```

```
        else:
```

```
            child_chromosome.append(self.mutated_genes())
```

```
    return Individual(child_chromosome)
```

```
def selection(population):
```

```
    population = sorted(population, key = lambda x:x.fitness)
```

```
    return population
```



```
def main():  
  
    global POPULATION_SIZE  
  
    #Current Generation  
  
    generation = 1  
  
    #Booleans for solution  
  
    found = False  
  
    population = []  
  
  
    for _ in range(POPULATION_SIZE):  
  
        gnome = Individual.create_gnome()  
  
        population.append(Individual(gnome))  
  
        while not found:  
  
            population = Individual.selection(population)  
  
            if population[0].fitness <= 0:  
  
                found = True  
  
                Break  
  
  
        new_generation = []  
  
        #Perform Elitism, selecting 10% fittest from the population  
  
        #This will go to the next generation  
  
        #so we dnt destroy our solution  
  
        s = int((10 * POPULATION_SIZE) / 100)  
  
        new_generation.extend(population[:s])  
  
        s = int((90 * POPULATION_SIZE)/100)  
  
        for _ in range(s):
```

```
parent1 = random.choice(population[:50])
parent2 = random.choice(population[:50])
#Perform crossover
child = parent1.crossover(parent2)

#Append the new generation
new_generation.append(child)
#Population will have the new generation
population = new_generation
#Print the generations
print("Generations: {}\\tString: {}\\tFitness: {}".format(generation,
"".join(population[0].chromosome),
population[0].fitness))
generation += 1

#Print the generations
print("Generations: {}\\tString: {}\\tFitness: {}".\
format(generation, "".join(population[0].chromosome),
population[0].fitness))
if __name__ == '__main__':
    main()
```

OUTPUT :

| | | |
|------------------|---------------|------------|
| Generations: 642 | String: H.LLO | Fitness: 1 |
| Generations: 643 | String: H.LLO | Fitness: 1 |
| Generations: 644 | String: H.LLO | Fitness: 1 |
| Generations: 645 | String: H.LLO | Fitness: 1 |
| Generations: 646 | String: H.LLO | Fitness: 1 |
| Generations: 647 | String: H.LLO | Fitness: 1 |
| Generations: 648 | String: H.LLO | Fitness: 1 |
| Generations: 649 | String: H.LLO | Fitness: 1 |
| Generations: 650 | String: H.LLO | Fitness: 1 |
| Generations: 651 | String: H.LLO | Fitness: 1 |
| Generations: 652 | String: H.LLO | Fitness: 1 |
| Generations: 653 | String: H.LLO | Fitness: 1 |
| Generations: 654 | String: H.LLO | Fitness: 1 |
| Generations: 655 | String: H.LLO | Fitness: 1 |
| Generations: 656 | String: H.LLO | Fitness: 1 |
| Generations: 657 | String: H.LLO | Fitness: 1 |
| Generations: 658 | String: H.LLO | Fitness: 1 |
| Generations: 659 | String: H.LLO | Fitness: 1 |
| Generations: 660 | String: H.LLO | Fitness: 1 |
| Generations: 661 | String: H.LLO | Fitness: 1 |
| Generations: 662 | String: H.LLO | Fitness: 1 |
| Generations: 663 | String: H.LLO | Fitness: 1 |
| Generations: 664 | String: H.LLO | Fitness: 1 |
| Generations: 665 | String: H.LLO | Fitness: 1 |
| Generations: 666 | String: H.LLO | Fitness: 1 |
| Generations: 667 | String: H.LLO | Fitness: 1 |
| Generations: 668 | String: H.LLO | Fitness: 1 |
| Generations: 669 | String: H.LLO | Fitness: 1 |
| Generations: 670 | String: H.LLO | Fitness: 1 |
| Generations: 671 | String: H.LLO | Fitness: 1 |
| Generations: 672 | String: H.LLO | Fitness: 1 |
| Generations: 673 | String: H.LLO | Fitness: 1 |
| Generations: 674 | String: H.LLO | Fitness: 1 |
| Generations: 675 | String: H.LLO | Fitness: 1 |
| Generations: 676 | String: HELLO | Fitness: 0 |

Practical No : 10-B

Aim: Implementation of Simple Genetic Algorithm.

Code :

```
import numpy as np
import matplotlib.pyplot as plt
import copy
# Cost function
def sphere(x):
    return np.sum(x**2)
def roulette_wheel_selection(p):
    c = np.cumsum(p)
    r = sum(p) * np.random.rand()
    ind = np.argwhere(r <= c)
    return ind[0][0]
def crossover(p1, p2):
    c1 = copy.deepcopy(p1)
    c2 = copy.deepcopy(p2)

    # Uniform crossover
    alpha = np.random.uniform(0, 1, size=c1['position'].shape)
    c1['position'] = alpha * p1['position'] + (1 - alpha) * p2['position']
    c2['position'] = alpha * p2['position'] + (1 - alpha) * p1['position']

    return c1, c2

def mutate(c, mu, sigma):
    y = copy.deepcopy(c)
    flag = np.random.rand(*c['position'].shape) <= mu # Mutation mask
    y['position'][flag] += sigma * np.random.randn(np.sum(flag))
    return y

def bounds(c, varmin, varmax):
    c['position'] = np.maximum(c['position'], varmin)
    c['position'] = np.minimum(c['position'], varmax)
def sort_population(arr):
    # Sort population by cost ascending
    return sorted(arr, key=lambda x: x['cost'])
def ga(costfunc, num_var, varmin, varmax, maxit, npop, num_children, mu, sigma, beta):
    # Initial population
    population = []
```

```
for _ in range(npop):
    ind = {}
    ind['position'] = np.random.uniform(varmin, varmax, num_var)
    ind['cost'] = costfunc(ind['position'])
    population.append(ind)
    # Sort initial population
    population = sort_population(population)
    # Best solution
    bestsol = copy.deepcopy(population[0])
    # Array to hold best cost values
    bestcost = np.zeros(maxit)
    for it in range(maxit):
        # Calculate selection probabilities based on cost (lower cost = higher prob)
        costs = np.array([ind['cost'] for ind in population])

        # To avoid zero probabilities, add a small constant and invert costs
        max_cost = np.max(costs)
        fitness = np.exp(-beta * costs / max_cost)
        probs = fitness / np.sum(fitness)
        children = []
        # Number of children must be even
        for _ in range(num_children // 2):
            # Selection

            p1 = population[roulette_wheel_selection(probs)]
            p2 = population[roulette_wheel_selection(probs)]
            # Crossover
            c1, c2 = crossover(p1, p2)
            # Mutation
            c1 = mutate(c1, mu, sigma)
            c2 = mutate(c2, mu, sigma)
            # Apply bounds
            bounds(c1, varmin, varmax)
            bounds(c2, varmin, varmax)
            # Evaluate cost
            c1['cost'] = costfunc(c1['position'])
            c2['cost'] = costfunc(c2['position'])
            children.append(c1)
            children.append(c2)

        # Merge population and children
```

```
population.extend(children)
# Sort combined population and select the best npop individuals
population = sort_population(population)[:npop]
# Update best solution found so far

if population[0]['cost'] < bestsol['cost']:
    bestsol = copy.deepcopy(population[0])
    bestcost[it] = bestsol['cost']
# Print iteration info every 50 iterations
if (it % 50 == 0) or (it == maxit - 1):
    print(f'Iteration {it}: Best Cost = {bestcost[it]}')
return population, bestsol, bestcost

# Problem definition
costfunc = sphere
num_var = 5 # Number of decision variables
varmin = -10 # Lower bound
varmax = 10 # Upper bound
# GA Parameters
maxit = 501 # Number of iterations
npop = 20 # Population size
beta = 1 # Selection pressure

prop_children = 1 # Proportion of children to population size
num_children = int(np.round(prop_children * npop / 2) * 2) # Even number of children
mu = 0.2 # Mutation rate
sigma = 0.1 # Mutation step size

# Run GA

population, bestsol, bestcost = ga(costfunc, num_var, varmin, varmax, maxit, npop,
num_children, mu, sigma, beta)
# Plot results
plt.plot(bestcost)
plt.xlim(0, maxit)
plt.xlabel('Generations')
plt.ylabel('Best Cost')
plt.title('Genetic Algorithm Optimization')
plt.grid(True)
plt.show()
```

OUTPUT :

```
===== RESTART: C:\Users\kuzma\OneDrive\Desktop\Soft Computing\10_B.py
Iteration 0: Best Cost = 38.84355800416189
Iteration 50: Best Cost = 0.001244405006380954
Iteration 100: Best Cost = 3.962687796361074e-05
Iteration 150: Best Cost = 1.1053871493938471e-05
Iteration 200: Best Cost = 4.6704478971614596e-07
Iteration 250: Best Cost = 4.666143382418269e-07
Iteration 300: Best Cost = 4.666131714190804e-07
Iteration 350: Best Cost = 4.0059227614810357e-07
Iteration 400: Best Cost = 4.0059227614810357e-07
Iteration 450: Best Cost = 4.0059227614810357e-07
Iteration 500: Best Cost = 3.962150780658552e-07
```

