

Experiment 1

PROGRAM

```
/*
* Approach : The idea is to compare x with the last element in arr[].
* If an element is found at the last position, return it.
* Else recur elmntSrch() for remaining array and element x.
*/

#include <stdio.h>
// Recursive function to search x in arr[]
int elmntSrch(int arr[], int size, int x) {
    int rec;
    size--;
    if (size >= 0) {
        if (arr[size] == x)
            return size;
        else
            rec = elmntSrch(arr, size, x);
    }
    else
        return -1;
    return rec;
}

int main(void) {
    int arr[] = { 12, 34, 54, 2, 3 };
    int size = sizeof(arr) / sizeof(arr[0]);
    int x = 3;
    int indx;
    indx = elmntSrch(arr, size, x);
    if (indx != -1)
        printf("Element %d is present at index %d", x, indx);
    else
        printf("Element %d is not present", x);
    return 0;
}
```

Output

Element 3 is present at index 4

Experiment 2

PROGRAM:

```
#include<stdio.h>
void mergesort(int a[],int i,int j);
void merge(int a[],int i1,int j1,int i2,int j2);
int main() {
    int a[30],n,i;
    printf("Enter no of elements:");
    scanf("%d",&n);
    printf("Enter array elements:");
    for(i=0;i<n;i++)
        scanf("%d",&a[i]);
    mergesort(a,0,n-1);
    printf("\nSorted array is :");
    for(i=0;i<n;i++)
        printf("%d ",a[i]);
    return 0;
}
void mergesort(int a[],int i,int j) {
    int mid;
    if(i<j) {
        mid=(i+j)/2;
        mergesort(a,i,mid); //left recursion
        mergesort(a,mid+1,j); //right recursion
        merge(a,i,mid,mid+1,j); //merging of two sorted sub-arrays
    }
}
void merge(int a[],int i1,int j1,int i2,int j2) {
    int temp[50]; //array used for merging
    int i,j,k;
    i=i1; //beginning of the first list
    j=i2; //beginning of the second list
    k=0;
    while(i<=j1 && j<=j2) //while elements in both lists
    {
        if(a[i]<a[j])
            temp[k++]=a[i++];
        else
            temp[k++]=a[j++];
    }
    while(i<=j1) //copy remaining elements of the first list
        temp[k++]=a[i++];
    while(j<=j2) //copy remaining elements of the second list
        temp[k++]=a[j++];
    //Transfer elements from temp[] back to a[]
    for(i=i1,j=0;i<=j2;i++,j++)
        a[i]=temp[j];
}
```

Output

Enter Number of Element 5

Enter array element 7 5 9 4 1

Sorted array is 1 4 5 7 9

Experiment 3

Algorithm Quicksort (p, q)

// Sorts the elements $a[p], \dots, a[q]$ which reside in the global array $a[1 : n]$ into ascending order.

```
{
    if( p < r) then // if there are more than one element
    {
        // divide P into two sub problems
        j=Partition (a, p,q+1);
        // j is the position of the partitioning element
        // solve the sub problems
        QuickSort (p, j 1);
        QuickSort (j + 1, q);
    }
}
```

Partitioning the Array

Partitioning procedure rearranges the sub arrays inplace.

Algorithm Partition (a, m, p)

// Within $a[m], a[m+1], \dots, a[p]$

the elements are rearranged in such a manner that if

initially $t=a[m]$ then after completion $a[q]=t$ for some q between m and p ,

$a[k] \leq t$ for

$m \leq k < q$, and $a[k] \geq t$ for $q < k \leq p$. q is returned. Set $a[p] = \infty$.

```
{
    v = a[m]; i=m; j=p;
    repeat
    {
        repeat i=i+1;
        until a[i] >=v;
        repeat j = j 1;
        until a[j] <=v;
        if i < j then exchange A[i] ↔ A[j]
    } until ( i >= j);
    a[m]=a[j]; a[j]=v; return j;
}
```

Experiment 3

PROGRAM:

```
/*c program for quick sorting*/
#include<stdio.h>
#include<conio.h>
void qsort(int arr[20], int fst, int last);
int main() {
    int arr[30];
    int i,size;
    printf("Enter total no. of the elements : ");
    scanf("%d",&size);
    printf("Enter total %d elements : \n",size);
    for(i=0; i<size; i++)
        scanf("%d",&arr[i]);
    qsort(arr,0,size-1);
    printf("Quick sorted elements are as : \n");
    for(i=0; i<size; i++)
        printf("%d\t",arr[i]);
    getch();
    return 0;
}
void qsort(int arr[20], int fst, int last) {
    int i,j,pivot,tmp;
    if(fst<last) {
        pivot=fst;
        i=fst;
        j=last;
        while(i<j) {
            while(arr[i]<=arr[pivot] && i<last)
                i++;
            while(arr[j]>arr[pivot])
                j--;
            if(i<j) {
                tmp=arr[i];
                arr[i]=arr[j];
                arr[j]=tmp;
            }
        }
        tmp=arr[pivot];
        arr[pivot]=arr[j];
        arr[j]=tmp;
        qsort(arr,fst,j-1);
        qsort(arr,j+1,last);
    }
}
```

Output -

```
Enter total no. of the elements : 5
Enter total -28787 elements :
Quick sorted elements are as :
Enter total no. of the elements : 5
Enter total 5 elements :
7 6 1 3 4
```

Quick sorted elements are as:

1 3 4 6 7

Experiment 4

// A divide and conquer program in C/C++ to find the smallest distance from a
// given set of points.

```
#include <stdio.h>
#include <float.h>
#include <stdlib.h>
#include <math.h>
```

// A structure to represent a Point in 2D plane

```
struct Point {
    int x, y;
};
```

/* Following two functions are needed for library function qsort().

Refer: <http://www.cplusplus.com/reference/clibrary/cstdlib/qsort/> */

// Needed to sort array of points according to X coordinate

```
int compareX(const void * a,
             const void * b) {
    Point * p1 = (Point *) a, * p2 = (Point *) b;
    return (p1 -> x - p2 -> x);
}
```

// Needed to sort array of points according to Y coordinate

```
int compareY(const void * a,
             const void * b) {
    Point * p1 = (Point *) a, * p2 = (Point *) b;
    return (p1 -> y - p2 -> y);
}
```

// A utility function to find the distance between two points

```
float dist(Point p1, Point p2) {
    return sqrt((p1.x - p2.x) * (p1.x - p2.x) +
               (p1.y - p2.y) * (p1.y - p2.y)
    );
}
```

// A Brute Force method to return the smallest distance between two points

// in P[] of size n

```
float bruteForce(Point P[], int n) {
    float min = FLT_MAX;
    for (int i = 0; i < n; ++i)
        for (int j = i + 1; j < n; ++j)
            if (dist(P[i], P[j]) < min)
                min = dist(P[i], P[j]);
    return min;
}
```

// A utility function to find a minimum of two float values

```
float min(float x, float y) {
    return (x < y) ? x : y;
}
```

// A utility function to find the distance between the closest points of
// strip of a given size. All points in strip[] are sorted according to
// y coordinate. They all have an upper bound on minimum distance as d.
// Note that this method seems to be a $O(n^2)$ method, but it's a $O(n)$
// method as the inner loop runs at most 6 times

```

float stripClosest(Point strip[], int size, float d) {
    float min = d; // Initialize the minimum distance as d
    qsort(strip, size, sizeof(Point), compareY);
    // Pick all points one by one and try the next points till the difference
    // between y coordinates is smaller than d.
    // This is a proven fact that this loop runs at most 6 times
    for (int i = 0; i < size; ++i)
        for (int j = i + 1; j < size && (strip[j].y - strip[i].y) < min; ++j)
            if (dist(strip[i], strip[j]) < min)
                min = dist(strip[i], strip[j]);
    return min;
}

// A recursive function to find the smallest distance. The array P contains
// all points sorted according to x coordinate
float closestUtil(Point P[], int n) {
    // If there are 2 or 3 points, then use brute force
    if (n <= 3)
        return bruteForce(P, n);
    // Find the middle point
    int mid = n / 2;
    Point midPoint = P[mid];
    // Consider the vertical line passing through the middle point
    // calculate the smallest distance dl on left of middle point and
    // dr on right side
    float dl = closestUtil(P, mid);
    float dr = closestUtil(P + mid, n - mid);
    // Find the smaller of two distances
    float d = min(dl, dr);
    // Build an array strip[] that contains points close (closer than d)
    // to the line passing through the middle point
    Point strip[n];
    int j = 0;
    for (int i = 0; i < n; i++)
        if (abs(P[i].x - midPoint.x) < d)
            strip[j] = P[i], j++;
    // Find the closest points in strip. Return the minimum of d and closest
    // distance is strip[]
    return min(d, stripClosest(strip, j, d));
}

// The main function that finds the smallest distance
// This method mainly uses closestUtil()
float closest(Point P[], int n) {
    qsort(P, n, sizeof(Point), compareX);
    // Use recursive function closestUtil() to find the smallest distance
    return closestUtil(P, n);
}

// Driver program to test above functions
int main() {
    Point P[] = {
        {
            2,
            3
        },
    },

```



```

        {
            12,
            30
        },
        {
            40,
            50
        },
        {
            5,
            1
        },
        {
            12,
            10
        },
        {
            3,
            4
        }
    };
    int n = sizeof(P) / sizeof(P[0]);
    printf("The smallest distance is %f ", closest(P, n));
    return 0;
}

```

Output

The smallest distance is 1.414214

Experiment 5

PROGRAM

```
/* A Naive recursive implementation
of 0-1 Knapsack problem */
#include <stdio.h>
// A utility function that returns maximum of two integers
int max(int a, int b) {
    return (a > b) ? a : b;
}
// Returns the maximum value that can be
// put in a knapsack of capacity W
int knapSack(int W, int wt[], int val[], int n) {
    // Base Case
    if (n == 0 || W == 0)
        return 0;
    // If weight of the nth item is more than
    // Knapsack capacity W, then this item cannot
    // be included in the optimal solution
    if (wt[n - 1] > W)
        return knapSack(W, wt, val, n - 1);
    // Return the maximum of two cases:
    // (1) nth item included
    // (2) not included
    else
        return max(
            val[n - 1] +
            knapSack(W - wt[n - 1],
                wt, val, n - 1),
            knapSack(W, wt, val, n - 1));
}
// Driver program to test above function
int main() {
    int val[] = {    60,        100,        120    };
    int wt[] = {    10,         20,         30     };
    int W = 50;
    int n = sizeof(val) / sizeof(val[0]);
    printf("%d", knapSack(W, wt, val, n));
    return 0;
}
```

Output

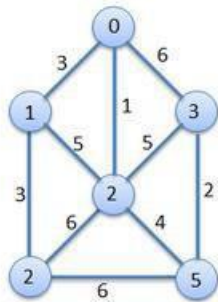
220

Experiment 6

Kruskal's Algorithm

```
MST-KRUSKAL( $G, w$ )
1.    $A \leftarrow \emptyset$ 
2.   for each vertex  $v \in V[G]$ 
3.       do MAKE-SET( $v$ )
4.   sort the edges of  $E$  into nondecreasing order by weight  $w$ 
5.   for each edge  $(u, v) \in E$ , taken in nondecreasing order by weight
6.       do if FIND-SET( $u$ )  $\neq$  FIND-SET( $v$ )
7.           then  $A \leftarrow A \cup \{(u, v)\}$ 
8.               UNION( $u, v$ )
9.   return  $A$ 
```

Example



Procedure for finding Minimum Spanning Tree

Step1. Edges are sorted in ascending order by weight.

Edge No.	Vertex Pair	Edge Weight
E1	(0,2)	1
E2	(3,5)	2
E3	(0,1)	3
E4	(1,4)	3
E5	(2,5)	4
E6	(1,2)	5
E7	(2,3)	5
E8	(0,3)	6
E9	(2,4)	6
E10	(4,5)	6

Step2. Edges are added in sequence.



Program:

```
#include<stdio.h>
#include<conio.h>
#include<stdlib.h>

int i, j, k, a, b, u, v, n, ne = 1;
int min, mincost = 0, cost[9][9], parent[9];
int find(int);
int uni(int, int);
void main() {
    clrscr();
    printf("\n\tImplementation of Kruskal's algorithm\n");
    printf("\nEnter the no. of vertices:");
    scanf("%d", & n);
    printf("\nEnter the cost adjacency matrix:\n");
    for (i = 1; i <= n; i++) {
        for (j = 1; j <= n; j++) {
            scanf("%d", & cost[i][j]);
            if (cost[i][j] == 0)
                cost[i][j] = 999;
        }
    }
    printf("The edges of Minimum Cost Spanning Tree are\n");
    while (ne < n) {
        for (i = 1, min = 999; i <= n; i++) {
            for (j = 1; j <= n; j++) {
                if (cost[i][j] < min) {
                    min = cost[i][j];
                    a = u = i;
                    b = v = j;
                }
            }
        }
        u = find(u);
        v = find(v);
        if (uni(u, v)) {
            printf("%d edge (%d,%d) = %d\n", ne++, a, b, min);
            mincost += min;
        }
        cost[a][b] = cost[b][a] = 999;
    }
    printf("\n\tMinimum cost = %d\n", mincost);
    getch();
}

int find(int i) {
    while (parent[i])
        i = parent[i];
    return i;
}

int uni(int i, int j) {
    if (i != j) {
        parent[j] = i;
    }
}
```

```
        return 1;
    }
    return 0;
}
```

Output:

Enter the no. of vertices:6

Enter the cost adjacency matrix:

0 3 1 6 0 0

3 0 5 0 3 0

1 5 0 5 6 4

6 0 5 0 0 2

3 0 6 0 0 6

0 0 4 2 6 0

The edges of Minimum Cost Spanning Tree are

1 edge (1,3) =1

2 edge (4,6) =2

3 edge (1,2) =3

4 edge (2,5) =3

5 edge (3,6) =4

Minimum cost = 13

Experiment 7

PROGRAM

```
#include<stdio.h>
#include<conio.h>

int a,b,u,v,n,i,j,ne=1;
int visited[10] = {0}, min, mincost = 0, cost[10][10];
void main() {
    clrscr();
    printf("\nEnter the number of nodes:");
    scanf("%d", & n);
    printf("\nEnter the adjacency matrix:\n");
    for (i = 1; i <= n; i++)
        for (j = 1; j <= n; j++) {
            scanf("%d", & cost[i][j]);
            if (cost[i][j] == 0)
                cost[i][j] = 999;
        }
    visited[1] = 1;
    printf("\n");
    while (ne < n) {
        for (i = 1, min = 999; i <= n; i++)
            for (j = 1; j <= n; j++)
                if (cost[i][j] < min)
                    if (visited[i] != 0) {
                        min = cost[i][j];
                        a = u = i;
                        b = v = j;
                    }
        if (visited[u] == 0 || visited[v] == 0)
        {
            printf("\n Edge %d:(%d %d) cost:%d", ne++, a, b, min);
            mincost += min;
            visited[b] = 1;
        }
        cost[a][b] = cost[b][a] = 999;
    }
    printf("\n Minimun cost=%d", mincost);
    getch();
}
```

Output

Experiment 8

Program

```
#include<conio.h>
#include<stdio.h>

#define V 4 // Number of vertices
/* Define Infinite as a large enough value. This value will be used
for vertices not connected to each other */
#define INF 999
void printSolution(int dist[][V]);
void floydWarshall(int graph[][V]) {
    int dist[V][V], i, j, k;
    for (i = 0; i < V; i++)
        for (j = 0; j < V; j++)
            dist[i][j] = graph[i][j];
    for (k = 0; k < V; k++) {
        for (i = 0; i < V; i++) {
            for (j = 0; j < V; j++) {
                if (dist[i][k] + dist[k][j] < dist[i][j])
                    dist[i][j] = dist[i][k] + dist[k][j];
            }
        }
    }
    printSolution(dist);
}
void printSolution(int dist[][V]) {
    printf("The following matrix shows shortest distances between every pair of vertices \n\n");
    for (int i = 0; i < V; i++) {
        for (int j = 0; j < V; j++) {
            if (dist[i][j] == INF)
                printf("%7s", "INF");
            else
                printf("%7d", dist[i][j]);
        }
        printf("\n");
    }
}
int main() {
    clrscr();
    int graph[V][V] = {
        {
            0,
            5,
            INF,
            10
        },
        {
            INF,
            0,
            3,
            INF
        },
    },
```



```

        {
            INF,
            INF,
            0,
            1
        },
        {
            INF,
            INF,
            INF,
            0
        }
    };
    // Print the solution
    floydWarshall(graph);
    getch();
    return 0;
}

```

Output

The following matrix shows shortest distances between every pair of vertices

```

0 5 8 9
INF 0 3 4
INF INF 0 1
INF INF INF 0

```

Experiment 10

Program

```
#include<stdio.h>
#include<conio.h>
int a[20][20], q[20], visited[20], n, i, j, f = 0, r = -1;
void bfs(int v) {
    for (i = 1; i <= n; i++)
        if (a[v][i] && !visited[i])
            q[++r] = i;
    if (f <= r) {
        visited[q[f]] = 1;
        bfs(q[f++]);
    }
}
void main() {
    clrscr();
    int v;
    printf("Enter the number of vertices: ");
    scanf("%d", &n);
    for (i = 1; i <= n; i++) {
        q[i] = 0;
        visited[i] = 0; }
    printf("\nEnter graph data in matrix form:\n");
    for (i = 1; i <= n; i++) {
        for (j = 1; j <= n; j++) {
            scanf("%d", &a[i][j]);
        }
    }
    printf("Enter the starting vertex: ");
    scanf("%d", &v);
    bfs(v);
    printf("\nThe node which are reachable are:");
    for (i = 1; i <= n; i++) {
        if (visited[i])
            printf(" %d", i);
        else {
            printf("\nBFS is not possible. All nodes are not reachable!");
            break;}
    }
    getch();
}
```

Output

```
Enter the number of vertices 3
Enter graph data in matrix form:
2
4
5
2
3
4
1
7
8
Enter the starting vertex: 2
The node which are reachable are: 1 2 3
```

Experiment 11

Program

```
#include<stdio.h>

#include<conio.h>

int a[20][20], reach[20], n;
void dfs(int v) {
    int I;
    reach[v] = 1;
    for (i = 1; i <= n; i++)
        if (a[v][i] && !reach[i]) {
            printf("\n % d -> % d", v, i);
            dfs(i);
        }
}

void main() {
    clrscr();
    int I, j, count = 0;
    printf("\nEnter number of vertices: ");
    scanf(" %d", &n);
    for (i = 1; i <= n; i++) {
        reach[i] = 0;
        for (j = 1; j <= n; j++)
            a[i][j] = 0;
    }
    printf("Enter the adjacency matrix: \n");
    for (i = 1; i <= n; i++)
        for (j = 1; j <= n; j++)
            scanf(" %d", &a[i][j]);

    dfs(1);
    printf("\n");
    for (i = 1; i <= n; i++) {
        if (reach[i])
            count++;
    }
    if (count == n)
        printf("Graph is connected");
    else
        printf("Graph is not connected");
    getch();
}
```

Output

Enter number of vertices: 5 Enter the adjacency matrix: 0 1 1 1 1 0 0
0 0 1 0 0 0 0 1 0 0 0 0 1 0 0 0 0 1->2 1->3 1->4 1->5 Graph is connected

Experiment 12

Algorithm N Queens (k, n) //Prints all Solution to the n-queens problem

```
{
  for i:= 1 to n do {
    if Place(k, i) then {
      x[k]:= i;
      if (k = n) then write(x[1: n])
      else NQueens(k + 1, n);
    }
  }
}
```

Algorithm Place (k, i)

```
{
  for j := 1 to k-1 do
    if (( x[ j ] = // in the same column
    or (Abs( x [ j ] - i) =Abs ( j - k ))) // or in the same diagonal
    then return false;
  return true; }
```

Program Code

```
#include<conio.h>
#include<math.h>
#include<time.h>
#include<stdlib.h>

/* For printing the Grid */
void print_grid(int n, int x[]) {
    char arr[20][20];
    int i, j;
    clrscr();
    for (i = 1; i <= n; i++) {
        for (j = 1; j <= n; j++) {
            arr[i][j] = '-';
        }
    }
    for (i = 1; i <= n; i++) {
        arr[i][x[i]] = 'Q';
    }
    for (i = 1; i <= n; i++) {
        for (j = 1; j <= n; j++) {
            printf("\t%c", arr[i][j]);
        }
        printf("\n");
    }
}

/* For checking Queens placement is safe or not */
int safetoplace(int x[], int k) {
    int i;
    for (i = 1; i < k; i++) {
        if (x[i] == x[k] || i - x[i] == k - x[k] || i + x[i] == k + x[k]) {
            return 0; /* False*/
        }
    }
    return 1; /*true*/
}

/* For printing the Queens and Placing them in Grid */
void nqueens(int n) {
    int x[20];
    int count = 0;
    int k = 1;
    x[k] = 0;
    while (k != 0) {
        x[k] = x[k] + 1;
        while ((x[k] <= n) && (!safetoplace(x, k))) {
            x[k] = x[k] + 1;
        }
        if (x[k] <= n) {
            if (k == n) {
                count++;
                printf("\n\tPlacement %d is : \n\n", count);
                print_grid(n, x);
            }
        }
    }
}
```

```

        getch();
    } else {
        k++;
        x[k] = 0;
    }
} else {
    k--;
}
}
return;
}
int main() {
    int n;
    clrscr();
    printf("-----\n");
    printf("-----\n\n");
    printf("\t C PROGRAM OF N-QUEEN PROBLEM\n\n");
    printf("\nEnter the no. of Queens : ");
    scanf("%d", & n);
    printf("\n\n\tUSING %d QUEEN'S STRATEGY \n\n", n);
    nqueens(n);
    system("pause");
    getch();
}

```

Output