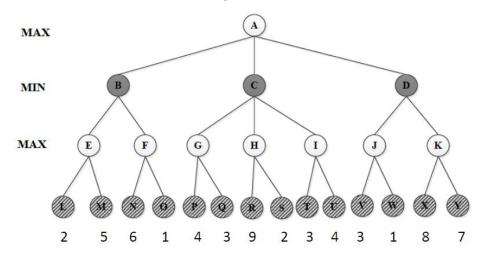
Nama: Kadek Fajar Pramartha Yasodana

NRP: 5025231185

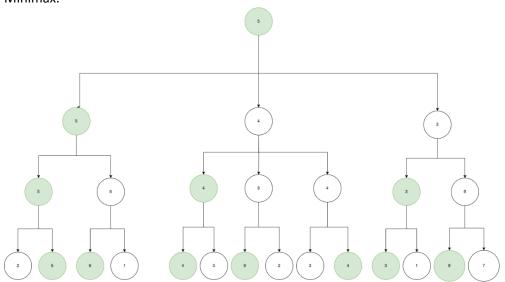
Kelas: KKA D

Tugas Individu

1. Diketahui sebuah adversial tree sebagai berikut:



a. Tentukan nilai maksimum dan minimum pada setiap level menggunakan algoritma Minimax.



Untuk menentukan nilai maximum/minimum sesuai kriteria pada level kita tinggal perlu melakukan perbandingan pada setiap node.

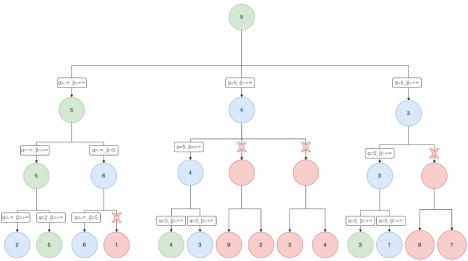
Jadi Didapatkan

Pada level 0, Nilai Maximumnya adalah A=5

Pada level 1, Nilai Minimumnya adalah B=5, C=4, dan D=3

Pada level 2, Nilai Maximumnya adalah E=5, F=6, G=4, H=9, I=4, J=3, K=8

b. Tentukan nilai maksimum dan minimum pada setiap level menggunakan algoritma Alpha-Beta Prunning serta informasi prunning node pada saat level maksimum maupun minimum.



Untuk mendapatkan nilai minimum/maximum menggunakan algorithma alpha beta pruning, terdapat dua buah variable yang akan digunakan untuk melakukan checking demi mengurangi iterasi untuk mendapatkan hasil akhir root. Dengan alpha adalah nilai terbaik untuk maximizer sekarang dan dari root, dan beta adalah nilai terbaik untuk minimizer sekarang dan dari root. Jadi Didapatkan

Pada level 0, Nilai Maximumnya adalah A=5

Pada level 1, Nilai Minimumnya adalah B=5, C=4, dan D=3

Pada level 2, Nilai Maximumnya adalah E=5, F=6, G=4, H=Pruned, I=Pruned, J=3, K=Pruned

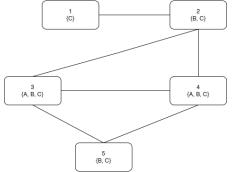
2. You are in charge of scheduling for computer science classes that meet Mondays, Wednesdays and Fridays. There are 5 classes that meet on these days and 3 professors who will be teaching these classes. You are constrained by the fact that each professor can only teach one class at a time.

The classes are:

- Class 1 Intro to Programming: meets from 8:00-9:00am
- Class 2 Intro to Artificial Intelligence: meets from 8:30-9:30am
- Class 3 Natural Language Processing: meets from 9:00-10:00am
- Class 4 Computer Vision: meets from 9:00-10:00am
- Class 5 Machine Learning: meets from 9:30-10:30am

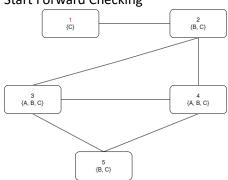
The professors are:

- Professor A, who is available to teach Classes 3 and 4.
- Professor B, who is available to teach Classes 2, 3, 4, and 5.
- Professor C, who is available to teach Classes 1, 2, 3, 4, 5.
 - a. Formulate this problem as a CSP problem

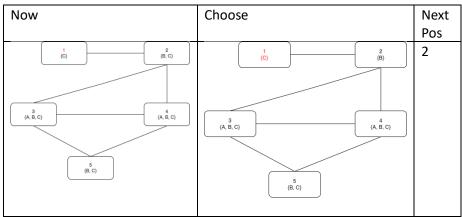


b. Solve this problem using CSP

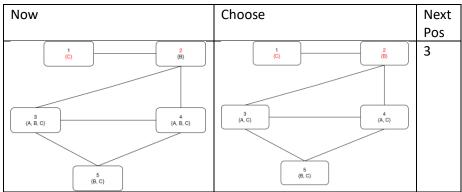
1) Start Forward Checking



2) Choose C

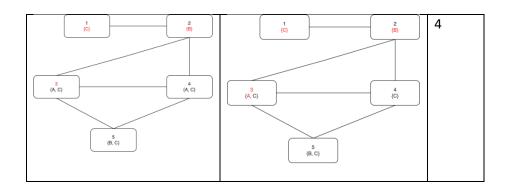


3) Choose B



4) Choose A

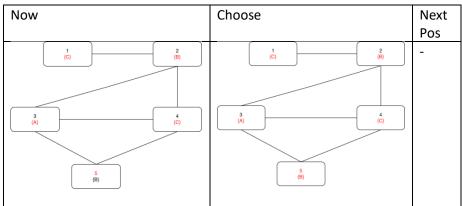
Now	Choose	Next
		Pos



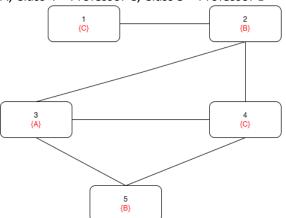
5) Choose C

Now	Choose	Next
		Pos
1 (C) (B) (B) (C) (C) (C)	1 (C) (B) (B) (C) (C)	5

6) Choose B



Jadi didapatkan untuk Class 1 = Professor C, Class 2 = Professor B, Class 3 = Professor A, Class 4 = Professor C, Class 5 = Professor B



3. Diketahui sebuah KB yang menggambarkan tentang pekerjaan, pelanggan, dan bos dengan symbol sebagai berikut:

Occupation(p,o): Person p has occupation o.

Customer(p1,p2): Person p1 is a customer of person p2.

Boss(p1,p2): Person p1 is a boss of person p2.

Doctor, Surgeon, Lawyer, Actor, Emily, Joe merupakan konstanta.

Ekspresikan kalimat di bawah ini dalam First-Order Logic:

a. Emily is either a surgeon or a lawyer.

Occupation(Emily, Surgeon) V Occupation(Emily, Lawyer)

b. Joe is an actor, but he also holds another jobs.

Occupation(Joe, Actor) $\land \exists x (Occupation(Joe, x) \land x \neq Actor)$

c. Emily has a boss who is lawyer.

 $\exists x (Boss(x, Emily) \land Occupation(x, Lawyer))$

d. There exist a lawyer all of whose customers are doctors.

 $\exists x(Occupation(x, Lawyer) \land \forall y(Customer(y, x) \Longrightarrow Occupation(y, Doctor)))$

- 4. Everyone who is smart, studies, and attends class will be prepared. Everyone who is prepared will pass a test if it is fair. If a test isn't fair, no one will pass the test. At least one student passed the Al-exam. Every Informatics-ITS student is smart. Jono is an Informatics-ITS student and attends class.
 - a. Buat FOL dari ilustrasi diatas.

Everyone who is smart, studies, and attends class will be prepared.

 $\forall x (Smart(x) \land Studies(x) \land AttendsClass(x) \Rightarrow Prepared(x))$

Everyone who is prepared will pass a test if it is fair.

 $\forall x (Prepared(x) \Rightarrow \exists y (Test(y) \land Fair(y) \Rightarrow Pass(x, y)))$

If a test isn't fair, no one will pass the test.

 $\forall x ((Test(x) \land \neg Fair(x)) \Longrightarrow \forall y \neg Pass(y, x))$

At least one student passed the AI-exam

 $\exists x(Student(x) \land Pass(x, Al-exam))$

Test(Al-exam)

Every Informatics-ITS student is smart

 $\forall x (Student(x) \land InformaticsITS(x) \Longrightarrow Smart(x))$

Jono is an Informatics-ITS student and attends class

Student(Jono) ∧ InformaticsITS(Jono) ∧ AttendsClass(Jono)

- b. Buat CNF dari FOL yang telah dibuat.
 - I. $\forall x (Smart(x) \land Studies(x) \land AttendsClass(x)) \Rightarrow Prepared(x)$

 $\forall x (\neg (Smart(x) \land Studies(x) \land AttendsClass(x)) \lor Prepared(x))$

 $\forall x((\neg Smart(x) \lor \neg Studies(x) \lor \neg AttendsClass(x)) \lor Prepared(x))$

 $\forall x (\neg Smart(x) \lor \neg Studies(x) \lor \neg AttendsClass(x) \lor Prepared(x))$

¬Smart(x) V ¬Studies(x) V ¬AttendsClass(x) V Prepared(x)

- II. $\forall x (Prepared(x) \Rightarrow \exists y (Test(y) \land Fair(y) \Rightarrow Pass(x, y)))$
 - $\forall x(\neg Prepared(x) \lor \exists y(Test(y) \land Fair(y) \Longrightarrow Pass(x, y)))$
 - $\forall x(\neg Prepared(x) \lor \exists y(\neg(Test(y) \land Fair(y)) \lor Pass(x, y)))$
 - $\forall x(\neg Prepared(x) \lor \exists y((\neg Test(y) \lor \neg Fair(y)) \lor Pass(x, y)))$
 - $\forall x(\neg Prepared(x) \lor (\neg Test(f(x)) \lor \neg Fair(f(x))) \lor Pass(x, f(x))))$
 - $\forall x(\neg Prepared(x) \lor \neg Test(f(x)) \lor \neg Fair(f(x)) \lor Pass(x, f(x)))$
 - $\neg Prepared(x) \lor \neg Test(f(x)) \lor \neg Fair(f(x)) \lor Pass(x, f(x))$

¬Prepared(y) V ¬Test(f(y)) V ¬Fair(f(y)) V Pass(y, f(y))

- III. $\forall x((Test(x) \land \neg Fair(x)) \Longrightarrow \forall y \neg Pass(y, x))$
 - $\forall x (\neg (Test(x) \land \neg Fair(x)) \lor \forall y \neg Pass(y, x))$
 - $\forall x((\neg Test(x) \lor Fair(x)) \lor \forall y \neg Pass(y, x))$
 - $\forall x((\neg Test(x) \lor Fair(x)) \lor \neg Pass(y, x))$
 - $(\neg Test(x) \lor Fair(x)) \lor \neg Pass(y, x))$
 - ¬Test(x) V Fair(x) V ¬Pass(y, x)
 - ¬Test(z) V Fair(z) V ¬Pass(a, z)
- IV. $\exists x(Student(x) \land Pass(x, Al-exam))$

Student(f(Al-exam)) ∧ Pass(f(Al-exam), Al-exam)

- (1) Student(f(AI-exam))
- (2) Pass(f(Al-exam), Al-exam)
- (3) Test(AI-exam)
- V. $\forall x (Student(x) \land Informatics ITS(x) \Rightarrow Smart(x))$
 - $\forall x (\neg (Student(x) \land InformaticsITS(x)) \lor Smart(x))$
 - $\forall x((\neg Student(x) \lor \neg InformaticsITS(x)) \lor Smart(x))$
 - (¬Student(x) V ¬InformaticsITS(x) V Smart(x))
 - ¬Student(b) V ¬InformaticsITS(b) V Smart(b)
- VI. Student(Jono) Λ InformaticsITS(Jono) Λ AttendsClass(Jono)
 - (1) Student(Jono)
 - (2) InformaticsITS(Jono)
 - (3) AttendsClass(Jono)
- c. Buktikan dengan resolusi bahwa: If Jono studies, he will pass Al-exam.

If Jono studies, he will pass Al-exam

 $Studies(Jono) \Rightarrow Pass(Jono, Al-exam)$

¬Studies(Jono) V Pass(Jono, Al-exam)

Start:

- (1) Negasikan Hasil: ¬(¬Studies(Jono) V Pass(Jono, Al-exam))
- = Studies(Jono) ∧ ¬Pass(Jono, Al-exam)
- = Studies(Jono)
- = ¬Pass(Jono, Al-exam)

Buat Resolution Tree (Untuk Melihat Graph Lebih Baik Sebaiknya Gunakan Link Ini):

https://drive.google.com/file/d/1xQfcYxdXHLgQU0HTSOK1R5Qim3jkqOOS/view?usp =sharing

PNG

https://drive.google.com/file/d/1w46e6kmE-LWjbM0SueRtM2cRAmVbIIV/view?usp=sharing

