COMP220: Graphics & Simulation

4: Meshes and movement

Agenda

- ► Portfolio task check-in (sprint planning)
- ► Complex meshes (goodbye triangle, hello cube!)
- ► First-person camera control

Next week

- ► Timetable change: COMP220 lecture is on Wednesday morning in Seminar D
- Compulsory catch-up tutorials on Tuesday 18th, in the afternoon
 - Book now if you haven't booked by Friday 5pm then I will book for you!
 - If you can't make it on Tuesday afternoon, let me know ASAP so that we can arrange another time

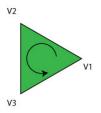
Portfolio task check-in

- Please show me your Trello board now
- You are now in your first sprint
- ► Your first sprint review is in 2 weeks

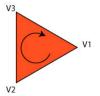
More complex meshes

Winding order

- It is sometimes important to know which side of a triangle is the "front" and which is the "back"
- OpenGL determines this by winding order



If the vertices go anticlockwise, you are looking at the front



If the vertices go **clockwise**, you are looking at the **back**

Backface culling

```
glEnable(GL_CULL_FACE);
```

- This will cause only the front faces of triangles to be drawn
- Triangles whose front face is not visible will be culled
- Culled faces are not passed through the rasteriser or fragment shader
- Saves time, and should make no difference to appearance — as long as all meshes are closed and have correct winding

When backface culling goes bad?



Passing coordinates

► Like many C functions, glBufferData takes an array as a pointer and a size

```
GLfloat vertexPositions[] = {
    -0.5f, -0.5f, 0.0f,
    0.5f, -0.5f, 0.0f,
    0.0f, 0.5f, 0.0f,
};

glBufferData(GL_ARRAY_BUFFER,
    sizeof(vertexPositions), // the size
    vertexPositions, // the pointer
    GL_STATIC_DRAW);
```

Passing vertices

glm::vec3 has the same layout in memory as three GLfloats, so we could also do this:

```
glm::vec3 vertexPositions[] = {
    glm::vec3(-0.5f, -0.5f, 0.0f),
    glm::vec3(0.5f, -0.5f, 0.0f),
    glm::vec3(0.0f, 0.5f, 0.0f),
};

glBufferData(GL_ARRAY_BUFFER,
    sizeof(vertexPositions), // the size
    vertexPositions, // the pointer
    GL_STATIC_DRAW);
```

► The third argument to glBufferData is a void*, which can accept any pointer type

Vectors of vectors

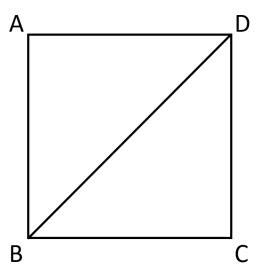
▶ We can use a std::vector instead of a C-style array:

```
std::vector<glm::vec3> vertexPositions;
vertexPositions.push_back(...);

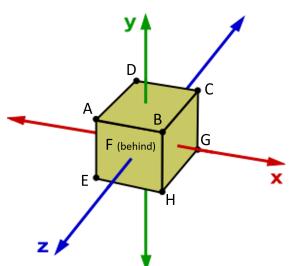
glBufferData(GL_ARRAY_BUFFER,
    vertexPositions.size() * sizeof(glm::vec3),
    vertexPositions.data(),
    GL_STATIC_DRAW);
```

- data() returns a pointer to the data inside a std::vector
- size() returns the number of elements, so multiplying by sizeof(glm::vec3) gives the size in bytes

Let's draw a square!



Let's draw a cube!



First person camera control

The plan

- Represent the player's position by a 3D vector
- Represent the player's orientation by Euler angles
- ► Mouse events change these angles
- View matrix is calculated using position and orientation
- To move forwards, use the Euler angles to find the "forward" vector, and offset the position by this vector

Keyboard and mouse in SDL

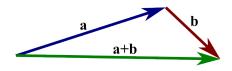
Use relative mouse mode

- ► Hides the mouse pointer
- Prevents the mouse pointer from hitting the edge of the screen
- Gives us the distance the mouse has moved since last frame, rather than its current position

Use ${\tt SDL_GetKeyboardState}$ instead of handling individual keyboard events

- Allows us to check on every frame whether the key is held down
- Otherwise, the player will move jerkily according to the key repeat rate

Vector addition



- ▶ E.g. if a is current position, and
- ▶ b is the distance and direction we want to move, then
- ightharpoonup a + b is the new position

Addition in homogeneous coordinates

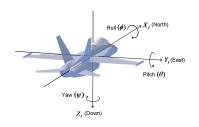
- ► Recall: homogeneous coordinates have an extra w component, i.e. (x, y, z, w)
- w = 1 for positions, w = 0 for offsets

```
offset + offset = offset w = 0 + 0 = 0
position + offset = position w = 1 + 0 = 1
position + position = ??? w = 1 + 1 = 2
```

Unit vectors

- A unit vector is a vector of length 1
- ▶ I.e. $\sqrt{x^2 + y^2 + z^2} = 1$ (Pythagoras)
- ► Useful to represent direction
- ▶ Multiplying a vector of length a by a number b gives a vector of length $a \times b$, parallel to the original vector
- So multiplying a unit vector by b gives a vector of length b, parallel to the unit vector

Representing look direction



- ▶ Euler angles
- Don't need roll, just pitch and yaw
- (Not using roll eliminates the gimbal lock problem)
- Forward vector and look vector can be obtained by appropriate rotation of a unit vector