```
value
+1-10
maximise
minimise
maximiseminimum
two-player zero-sum
      value
    \begin{array}{c} \mathbf{return} = 1 = -\infty \mathbf{each} v 3 - v \mathbf{return} = 2 = +\infty \mathbf{each} v 3 - v \mathbf{return} \\ = -1 + 1 \\ = 1 \\ = -1 \\ \mathbf{two-player\ zero-sumperfect\ information sequential\ moves} \\ \mathbf{Nash\ equilibrium\ perfectly} \\ \mathbf{But\ } \\ \approx 10^{13} \\ \approx 10^{47} \\ \mathbf{terminal\ } \end{array}
   \approx 10^{47}
terminal
Depth limiting
+10-1
d
-1+1
d=1
stop early+1-1
alpha-beta pruning
best to worst
    best to worst
playing strengthheuristic
   in-depth knowledge
heuristic evaluation function
Monte Carlo methodaveraging over random samples
averageexpected value
quickly approximatinglarge domains
converge in the limit
    infiniteexact
number of samplesaccuracy
    deterministic
pseudo-random number generators (PRNGs)
     unpredictableseed
     uniformly distributed
     entropy
     random rollouts
    valuevalue1-10
expected value
     Flat Monte Carlo search
    d > 1
deterministic
rollouts
random
bias
plausible
    tree
root node
Selection
Expansion
    Simulation
Backpropagationselectionexpansion
Exploitation
Exploration
multi-armed bandit problem
    do not know
Exploitation
     Exploration

\begin{array}{l}
m\\
n_m\\V_m\\n=\sum_m n_m
\end{array}

        \frac{V_m}{n} exploitation
     n_m \frac{1}{n_m} \exp n_m \frac{1}{n_m} \exp n_m \frac{1}{n_m} \exp n_m \frac{1}{n_m} \exp n_m \frac{1}{n_m} \frac{1}{n_m} \exp n_m \frac{1}{n_m} \frac{1}{n_m} \frac{1}{n_m} \frac{1}{n_m} \exp n_m \frac{1}{n_m} \frac{1}{n_m} \frac{1}{n_m} \frac{1}{n_m} \exp n_m \frac{1}{n_m} \frac{1}{n_m
    V_{pq}^{x}
     game independent
    enhance
anytime
any
    \widetilde{O(e^d)}d
```