

COMP220: Graphics & Simulation

5: Textures and models

Learning outcomes

- ▶ **Explain** how a complex 3D model is represented in memory
- ▶ **Explain** how a 2D texture image can be wrapped onto a 3D model
- ▶ **Write** programs which draw textured meshes to the screen

Basic texture mapping

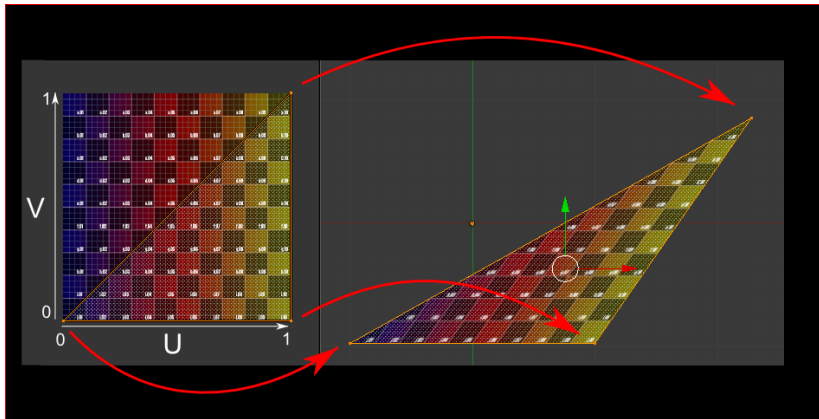
Loading textures from a file

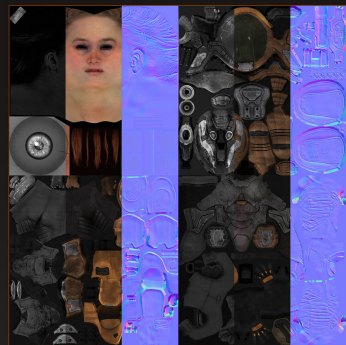
- ▶ The **SDL_Image library** lets us load images from JPG, PNG, BMP etc.
- ▶ Steps:
 - ▶ Load the image with `IMG_Load`
 - ▶ Create a texture with `glGenTextures`
 - ▶ Bind the texture with `glBindTexture`
 - ▶ Load the pixel data into the new texture with `glTexImage2D`
 - ▶ Set the texture filtering modes with `glTexParameter` (more on this later)

Texture coordinates

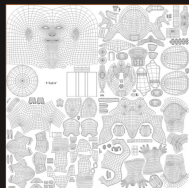
- ▶ We use **UV coordinates** to refer to points in a texture
- ▶ u axis is horizontal and ranges from 0 (left) to 1 (right)
- ▶ v axis is vertical and ranges from 0 (bottom) to 1 (top)
- ▶ (So really just another name for xy coordinates in texture space)
- ▶ Basic idea of texture mapping: give each vertex a uv coordinate, and interpolate across the triangle

UV coordinates





Specular/Diffuse/Normal



UV layout/Masking maps

Textures in GLSL

Fragment shader:

```
in vec2 textureCoords;
uniform sampler2D textureSampler;

void main()
{
    fragmentColour = texture(textureSampler, ←
        textureCoords);
}
```


Texture filtering

```
glTexParameteri(GL_TEXTURE_2D, GL_TEXTURE_MIN_FILTER, GL_LINEAR);  
glTexParameteri(GL_TEXTURE_2D, GL_TEXTURE_MAG_FILTER, GL_LINEAR);
```

- ▶ **Linear interpolation** (`GL_LINEAR`) smooths between pixels
- ▶ **Nearest neighbour** (`GL_NEAREST`) is pixelated but may be slightly faster
- ▶ **Anisotropic filtering** improves the quality of linear interpolation but is slower
- ▶ **Mip-mapping** pre-calculates scaled down versions of the texture — improves quality but costs memory

Texture dimensions

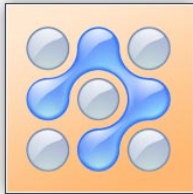
- ▶ In the old days, OpenGL required textures to have **power of two** dimensions
 - ▶ 2, 4, 8, 16, 32, 64, 128, 256, 512, 1024, ...
- ▶ Nowadays **non-power of two (NPOT)** textures are widely supported
- ▶ Still better to stick to powers of two as some things work better (e.g. mipmapping)
- ▶ NB: **rectangular** textures are fine, but **square** textures make UV coordinates saner

Transparency

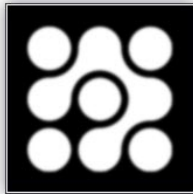
Alpha

- ▶ We are used to working with colours in **RGB** space
- ▶ We can also work in **RGBA** space, where A = alpha = transparency
- ▶ $A = 0 \implies$ fully transparent
- ▶ $A = 1$ (or $A = 255$) \implies fully opaque

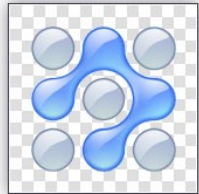
Use of Alpha Channel to create Transparent Image



Original Image
RGB - 24 bpp



Alpha Channel
A - 8 bpp



Transparent Image
RGBA - 32 bpp

Alpha in OpenGL

- ▶ Use **vec4** instead of **vec3** for colours
- ▶ Textures can have an **alpha channel**
 - ▶ PNG supports alpha channels, JPG and BMP do not
- ▶ Need to enable **alpha blending**

```
glEnable(GL_BLEND);  
glBlendFunc(GL_SRC_ALPHA, GL_ONE_MINUS_SRC_ALPHA);
```

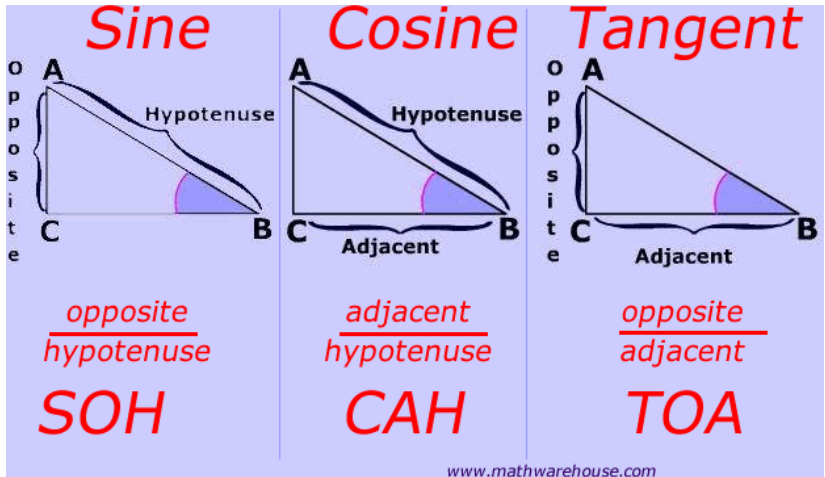
- ▶ Other values can be passed to `glBlendFunc` for special effects (e.g. **additive blending** is often used for particle effects simulating light, fire, explosions etc.)

Transparency and depth testing

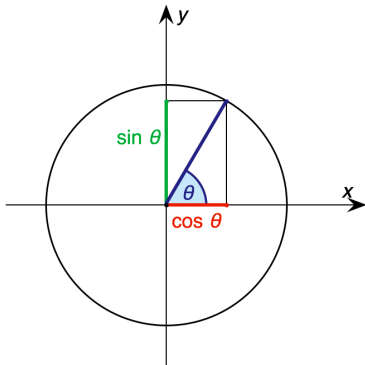
- ▶ Recall we are using **depth testing**
 - ▶ Each fragment on screen remembers its **depth** (distance from the camera)
 - ▶ A new fragment is drawn **only if** its depth value is **less** than the current depth value
 - ▶ I.e. don't draw objects that should be behind something that was already drawn
- ▶ But if the object in front is (semi-)transparent, we want to see the object behind it!
- ▶ Solution: draw semi-transparent objects **after** opaque objects, and in **back to front** order
- ▶ Further discussion: <http://www.opengl-tutorial.org/intermediate-tutorials/tutorial-10-transparency/>

More meshes

SOH CAH TOA



Drawing a circle



Circle of **radius** r

\therefore hypotenuse $= r$

$$\cos \theta = \frac{\text{adjacent}}{\text{hypotenuse}} = \frac{x}{r}$$

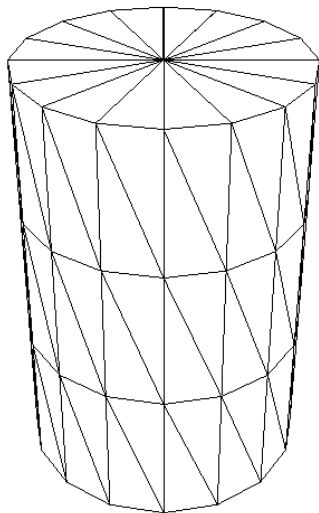
$$\therefore x = r \cos \theta$$

$$\sin \theta = \frac{\text{opposite}}{\text{hypotenuse}} = \frac{y}{r}$$

$$\therefore y = r \sin \theta$$

NB: this works even if $\cos \theta$ and/or $\sin \theta$ are negative (i.e. if θ is not between 0° and 90°)

Drawing a cylinder



Drawing a sphere

