

```

import qiskit as qk
import numpy as np
from qiskit.tools.visualization import plot_histogram
from qiskit import IBMQ
from qiskit.tools.monitor import job_monitor
from qiskit.providers.aer.noise import NoiseModel
import matplotlib
import matplotlib.pyplot as plt
from qiskit.visualization import plot_bloch_multivector
from qiskit.tools.monitor import job_monitor
%matplotlib inline
from IPython.display import display

import warnings
warnings.filterwarnings('ignore')
from qiskit.tools.jupyter import *

token = 'b6464d13b284902ed1d1a48d2aed6bd0474c7be45011741b0fb879614419659cb722e74a046af3d5ca'
try:
    IBMQ.load_account()
except:
    qk.IBMQ.save_account(token=token)
    qk.IBMQ.enable_account(token)
provider = IBMQ.get_provider(hub="ibm-q", group="open", project="main")
backend = provider.get_backend("ibmq_armonk")

backend_config = backend.configuration()
assert backend_config.open_pulse, "Backend doesn't support Pulse"

dt = backend_config.dt
print(f"Sampling time: {dt*1e9} ns")
backend_defaults = backend.defaults()
print(backend_defaults)

Sampling time: 0.2222222222222222 ns
<PulseDefaults(<InstructionScheduleMap(1Q instructions:
  q0: {'id', 'u1', 'measure', 'rz', 'sx', 'x', 'u3', 'u2'})
Multi qubit instructions:
)>Qubit Frequencies [GHz]
[4.9716805437955225]
Measurement Frequencies [GHz]
[6.993370669] >>

```

Setting up Frequency Sweep

We will first conduct Frequency sweep over a large range to identify our transition energies

Initial Frequency 0->1

```
import numpy as np

# unit conversion factors -> all backend properties returned in SI (Hz, sec, etc.)
GHz = 1.0e9 # Gigahertz
MHz = 1.0e6 # Megahertz
us = 1.0e-6 # Microseconds
ns = 1.0e-9 # Nanoseconds

# We will find the qubit frequency for the following qubit.
qubit = 0
# We will define memory slot channel 0.
mem_slot = 0

# The sweep will be centered around the estimated qubit frequency.
center_frequency_Hz = backend_defaults.qubit_freq_est[qubit] # The default frequency
# warning: this will change if the qubit frequency is not estimated correctly

print(f"Qubit {qubit} has an estimated frequency of {center_frequency_Hz / GHz} GHz.")

# scale factor to remove factors of 10 from the data
scale_factor = 1e-15

# We will sweep 40 MHz around the estimated frequency
frequency_span_Hz = 20 * MHz
# in steps of 1 MHz.
frequency_step_Hz = 1 * MHz
a=0
# We will sweep 20 MHz above and 20 MHz below the estimated frequency
frequency_min = center_frequency_Hz - frequency_span_Hz / 2
frequency_max = center_frequency_Hz + frequency_span_Hz / 2
# Construct an np array of the frequencies for our experiment
frequencies_GHz = np.arange((frequency_min / GHz)-a,
                             (frequency_max / GHz)+a,
                             frequency_step_Hz / GHz)

print(f"The sweep will go from {frequency_min / GHz} GHz to {frequency_max / GHz} GHz \
in steps of {frequency_step_Hz / MHz} MHz.")
print(len(frequencies_GHz))

Qubit 0 has an estimated frequency of 4.9716805437955225 GHz.
The sweep will go from 4.961680543795523 GHz to 4.981680543795522 GHz in steps of 1.0 MHz.
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```

We will create a pulse schedule by defining this frequency as a parameter using the parameter class. First, we will set the required values duration, sigma, and channel.

Then we will set the pulse flow so that the specified pulses are executed sequentially. We will define the pulse frequency, the pulse used in the experiment, and the measurement pulse. Here, the pulse used in the experiment specifies the drive pulse, which is a Gaussian pulse.

At each frequency, we will send a drive pulse of that frequency to the qubit and measure immediately after the pulse.

```
# samples need to be multiples of 16
def get_closest_multiple_of_16(num):
    return int(num + 8) - (int(num + 8) % 16)

# Convert seconds to dt
def get_dt_from(sec):
    return get_closest_multiple_of_16(sec/dt)

from qiskit import pulse # This is where we access all of our Pulse features
from qiskit.circuit import Parameter # This is Parameter Class for variable parameters

# Drive pulse parameters (us = microseconds)
drive_sigma_sec = 0.015 * us * 4 # This determines the actual width of the pulse
drive_duration_sec = drive_sigma_sec * 8 # This is a truncating parameter, but it's not a natural finite length

drive_amp = 0.5

frequencies_Hz = frequencies_GHz*GHz
# Create the base schedule
# Start with drive pulse acting on the drive channel
freq = Parameter('freq')
#time = Parameter('time')
with pulse.build(backend=backend, default_alignment='sequential', name='Frequency sweep') as schedule:
    drive_duration = get_closest_multiple_of_16(pulse.seconds_to_samples(drive_duration_sec))
    drive_sigma = pulse.seconds_to_samples(drive_sigma_sec)
    drive_chan = pulse.drive_channel(qubit)
    pulse.set_frequency(freq, drive_chan)
    # Drive pulse samples
    print(drive_sigma)
    pulse.play(pulse.Gaussian(duration=drive_duration,
                               sigma=drive_sigma,
                               amp=drive_amp,
                               name='freq_sweep_excitation_pulse'), drive_chan)
    # Define our measurement pulse
    pulse.measure(qubits=[qubit], registers=[pulse.MemorySlot(mem_slot)])

# Create the frequency settings for the sweep (MUST BE IN HZ)
```

```

times= [1,2,3,4,5]
schedules = [sweep_sched.assign_parameters({freq: f}, inplace=False) for f in frequencies_Hz]
print(times)

270
[1, 2, 3, 4, 5]

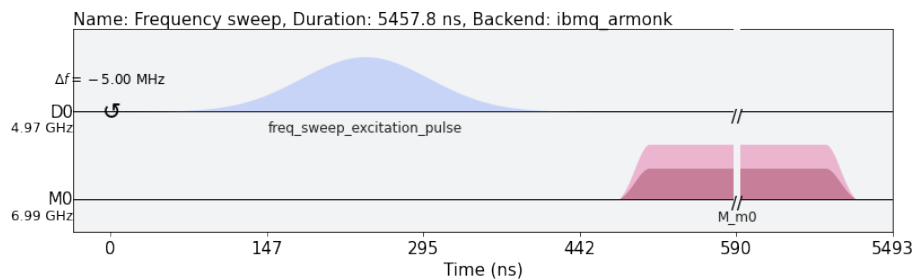
```

As a sanity check, it's always a good idea to look at the pulse schedule. This is done using `schedule.draw()` as shown below.

```

schedules[0].draw(backend=backend)
schedules[5].draw(backend=backend)

```



We request that each schedule (each point in our frequency sweep) is repeated `num_shots_per_frequency` times in order to get a good estimate of the qubit response.

We also specify measurement settings. `meas_level=0` returns raw data (an array of complex values per shot), `meas_level=1` returns kernalized data (one complex value per shot), and `meas_level=2` returns classified data (a 0 or 1 bit per shot). We choose `meas_level=1` to replicate what we would be working with if we were in the lab, and hadn't yet calibrated the discriminator to classify 0s and 1s. We ask for the 'avg' of the results, rather than each shot individually.

You may see yet another unit change warning, we can safely ignore this. Finally, we can run the assembled program on the backend using:

```

num_shots_per_frequency = 1024

job = backend.run(schedules,
                  meas_level=1,
                  meas_return='avg',
                  shots=num_shots_per_frequency)

```

It is always a good idea to monitor the job status by using `job_monitor()`

```

from qiskit.tools.monitor import job_monitor
job_monitor(job)

```

Job Status: job has successfully run

Once the job is run, the results can be retrieved using:

```
frequency_sweep_results= job.result(timeout=120) # timeout parameter set to 120 second
```

We will extract the results and plot them using matplotlib:

```
import matplotlib.pyplot as plt
```

```
sweep_values = []
```

```
for i in range(len(frequency_sweep_results.results)):
```

```
    # Get the results from the ith experiment
```

```
    res = frequency_sweep_results.get_memory(i)*scale_factor
```

```
    # Get the results for `qubit` from this experiment
```

```
    sweep_values.append(res[qubit])
```

```
    if (i%4==0): print((frequency_sweep_results.get_memory(i)*scale_factor)[0])
```

```
plt.scatter(frequencies_GHz, np.real(sweep_values), color='black') # plot real part of sweep
```

```
plt.xlim([min(frequencies_GHz), max(frequencies_GHz)])
```

```
plt.xlabel("Frequency [GHz]")
```

```
plt.ylabel("Measured signal [a.u.]")
```

```
plt.show()
```

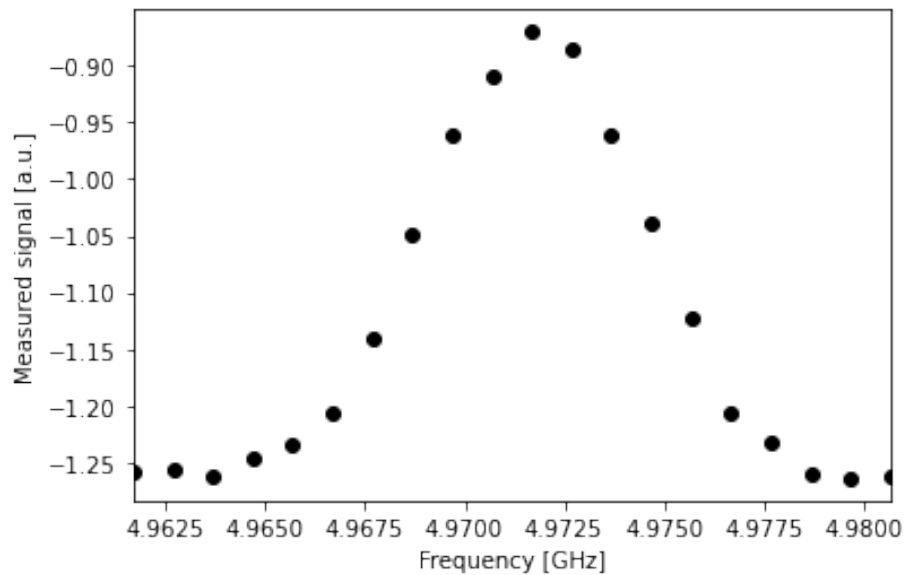
```
(-1.25892672094208-1.211957361246208j)
```

```
(-1.233851225473024-1.228896443826176j)
```

```
(-0.961655525605376-1.467631395667968j)
```

```
(-0.960599836065792-1.453804553764864j)
```

```
(-1.232183033331712-1.222821078368256j)
```



As you can see above, the peak near the center corresponds to the location of the qubit frequency. The signal shows power-broadening, which is a signature

that we are able to drive the qubit off-resonance as we get close to the center frequency. To get the value of the peak frequency, we will fit the values to a resonance response curve, which is typically a Lorentzian shape.

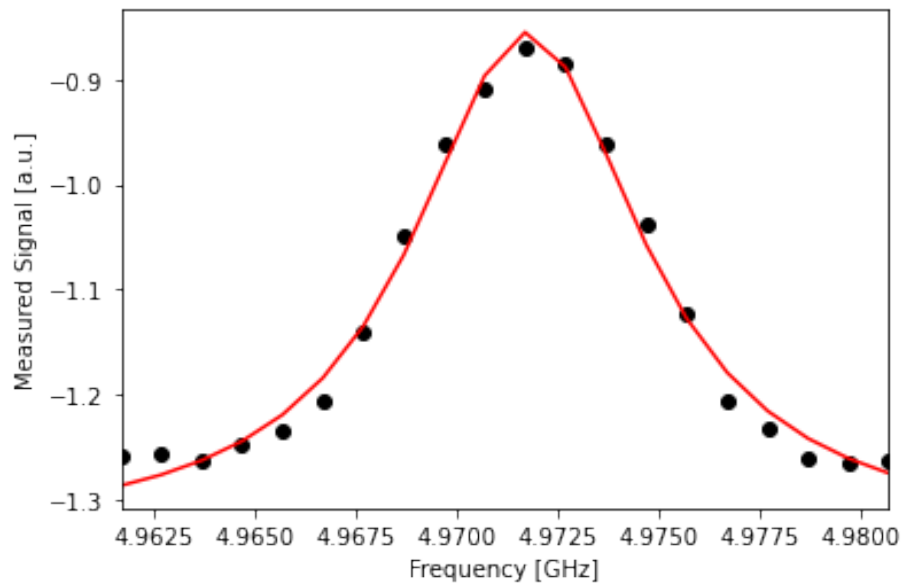
```
from scipy.optimize import curve_fit

def fit_function(x_values, y_values, function, init_params):
    fitparams, conv = curve_fit(function, x_values, y_values, init_params)
    y_fit = function(x_values, *fitparams)
    return fitparams, y_fit

fit_params, y_fit = fit_function(frequencies_GHz,
                                np.real(sweep_values),
                                lambda x, A, q_freq, B, C: ((A/np.pi)*(B/ ((x-q_freq)**2+B**2)
                                + C)
                                [0.003, 4.9723, 0.003, -1.25] # initial parameters for curve

plt.scatter(frequencies_GHz, np.real(sweep_values), color='black')
plt.plot(frequencies_GHz, y_fit, color='red')
plt.xlim([min(frequencies_GHz), max(frequencies_GHz)])

plt.xlabel("Frequency [GHz]")
plt.ylabel("Measured Signal [a.u.]")
plt.show()
```



```
A, rough_qubit_frequency, B, C = fit_params
rough_qubit_frequency = rough_qubit_frequency*GHz # make sure qubit freq is in Hz
print(f"We've updated our qubit frequency estimate from "
```

```

        f"{round(backend_defaults.qubit_freq_est[qubit] / GHz, 5)} GHz to {round(rough_qubit_freq, 5)} GHz"
    #print(fit_params)

```

We've updated our qubit frequency estimate from 4.97168 GHz to 4.97174 GHz.

Using Rabi to Calibrate the π Pulse for $|0\rangle \rightarrow |1\rangle$

```

# This experiment uses these values from the previous experiment:
    # `qubit`,
    # `mem_slot`, and
    # `rough_qubit_frequency`.

# Rabi experiment parameters
num_rabi_points = 50

# Drive amplitude values to iterate over: 50 amplitudes evenly spaced from 0 to 0.75
drive_amp_min = -1
drive_amp_max = 1
drive_amps = np.linspace(drive_amp_min, drive_amp_max, num_rabi_points)

# Build the Rabi experiments:
#     A drive pulse at the qubit frequency, followed by a measurement,
#     where we vary the drive amplitude each time.

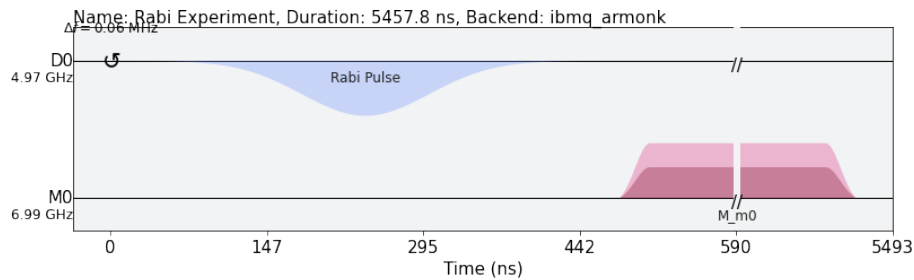
drive_amp = Parameter('drive_amp')
with pulse.build(backend=backend, default_alignment='sequential', name='Rabi Experiment') as rabi_experiment:
    drive_duration = get_closest_multiple_of_16(pulse.seconds_to_samples(drive_duration_sec))
    drive_sigma = pulse.seconds_to_samples(drive_sigma_sec)
    drive_chan = pulse.drive_channel(qubit)
    pulse.set_frequency(rough_qubit_frequency, drive_chan)
    pulse.play(pulse.Gaussian(duration=drive_duration,
                               amp=drive_amp,
                               sigma=drive_sigma,
                               name='Rabi Pulse'), drive_chan)
    pulse.measure(qubits=[qubit], registers=[pulse.MemorySlot(mem_slot)])

rabi_schedules = [rabi_sched.assign_parameters({drive_amp: a}, inplace=False) for a in drive_amps]

The schedule will look essentially the same as the frequency sweep experiment.
The only difference is that we are running a set of experiments which vary the
amplitude of the drive pulse, rather than its modulation frequency.

rabi_schedules[3].draw(backend=backend)

```



```
num_shots_per_point = 1024
```

```
job = backend.run(rabi_schedules,
                  meas_level=1,
                  meas_return='avg',
                  shots=num_shots_per_point)
```

```
job_monitor(job)
```

Job Status: job has successfully run

```
rabi_results = job.result(timeout=120)
```

Now that we have our results, we will extract them and fit them to a sinusoidal curve. For the range of drive amplitudes we selected, we expect that we will rotate the qubit several times completely around the Bloch sphere, starting from $|0\rangle$. The amplitude of this sinusoid tells us the fraction of the shots at that Rabi drive amplitude which yielded the $|1\rangle$ state. We want to find the drive amplitude needed for the signal to oscillate from a maximum (all $|0\rangle$ state) to a minimum (all $|1\rangle$ state) -- this gives the calibrated amplitude that enacts a π pulse.

```
# center data around 0
```

```
def baseline_remove(values):
    return np.array(values) - np.mean(values)
```

```
rabi_values = []
```

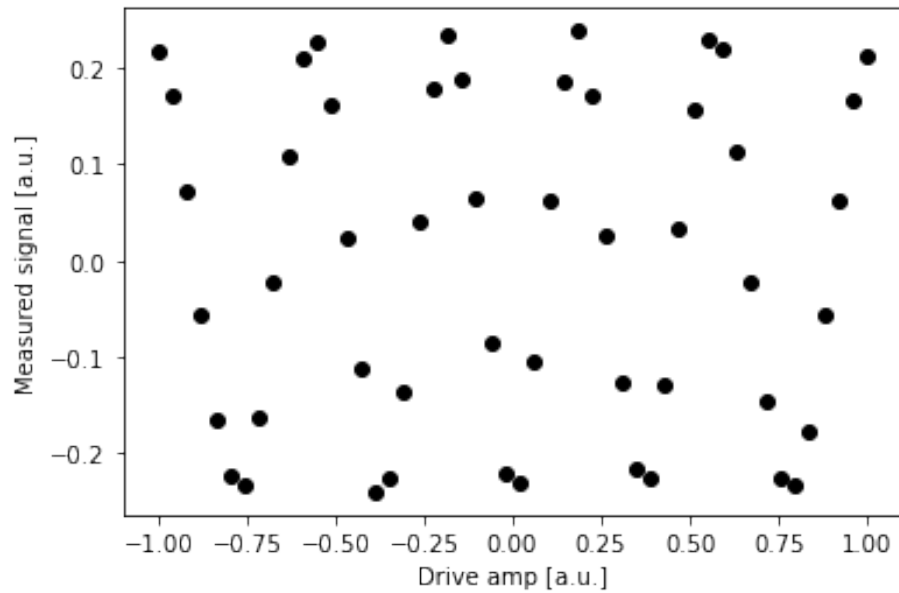
```
for i in range(num_rabi_points):
    # Get the results for `qubit` from the ith experiment
    rabi_values.append(rabi_results.get_memory(i)[qubit] * scale_factor)
```

```
rabi_values = np.real(baseline_remove(rabi_values))
```

```
plt.xlabel("Drive amp [a.u.]")
```

```
plt.ylabel("Measured signal [a.u.]")
```

```
plt.scatter(drive_amps, rabi_values, color='black') # plot real part of Rabi values
plt.show()
```

```

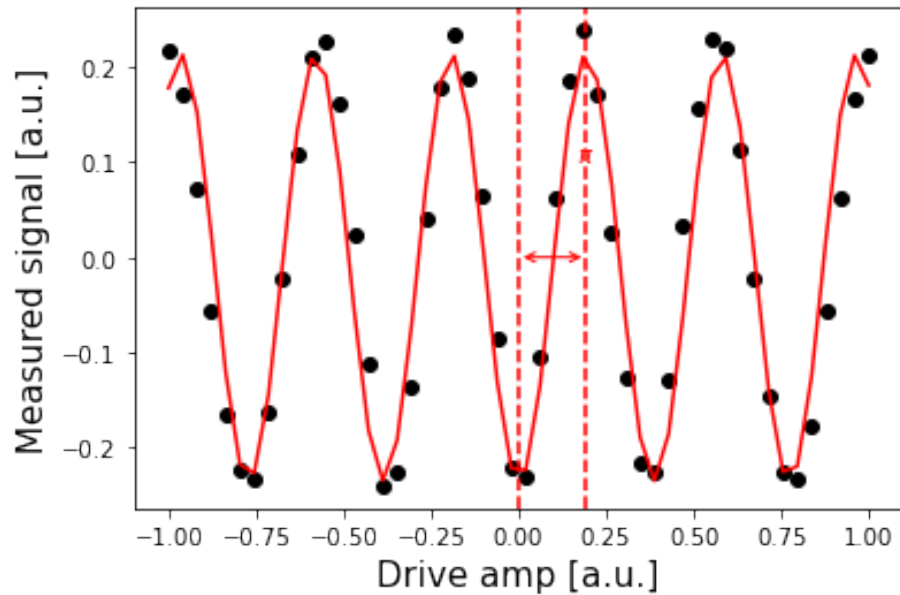
fit_params, y_fit = fit_function(drive_amps,
                                rabi_values,
                                lambda x, A, B, drive_period, phi: (A*np.cos(2*np.pi*x/drive_period) + B*np.sin(2*np.pi*x/drive_period)),
                                [0.2, 0, 0.4, np.pi/2])

plt.scatter(drive_amps, rabi_values, color='black')
plt.plot(drive_amps, y_fit, color='red')
print(fit_params)
drive_period = fit_params[2] # get period of rabi oscillation

plt.axvline(0, color='red', linestyle='--')
plt.axvline(drive_period/2, color='red', linestyle='--')
plt.annotate("", xy=(0, 0), xytext=(drive_period/2, 0), arrowprops=dict(arrowstyle="<->", color='red'))
plt.annotate("$\pi$", xy=(drive_period/2-0.03, 0.1), color='red')

plt.xlabel("Drive amp [a.u.]", fontsize=15)
plt.ylabel("Measured signal [a.u.]", fontsize=15)
plt.show()
[ 0.22467697 -0.01074188  0.38619543  3.1538365 ]

```



```
pi_amp = abs(drive_period / 2)
print(f"Pi Amplitude = {pi_amp}")

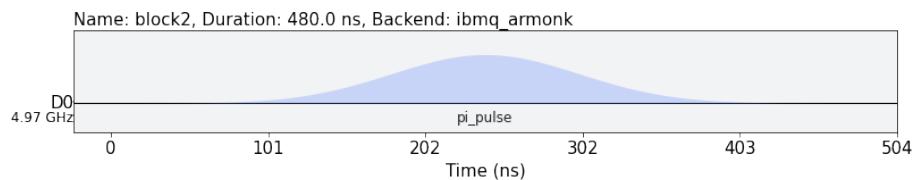
Pi Amplitude = 0.19309771515336357
```

Our π pulse!

Let's define our pulse, with the amplitude we just found, so we can use it in later experiments.

```
with pulse.build(backend) as pi_pulse_0_1:
    drive_duration = get_closest_multiple_of_16(pulse.seconds_to_samples(drive_duration_sec))
    drive_sigma = pulse.seconds_to_samples(drive_sigma_sec)
    drive_chan = pulse.drive_channel(qubit)
    pulse.play(pulse.Gaussian(duration=drive_duration,
                              amp=pi_amp,
                              sigma=drive_sigma,
                              name='pi_pulse'), drive_chan)

pi_pulse_0_1.draw(backend=backend)
```



Initial Freq 1->2

```
# We will sweep 40 MHz around the estimated frequency
frequency_span_Hz = 40 * MHz
# in steps of 1 MHz.
frequency_step_Hz = 1 * MHz
a=-0.35
# We will sweep 20 MHz above and 20 MHz below the estimated frequency
frequency_min = (center_frequency_Hz - frequency_span_Hz / 2)+a*GHz
frequency_max = (center_frequency_Hz + frequency_span_Hz / 2)+a*GHz
# Construct an np array of the frequencies for our experiment
frequencies_GHz = np.arange((frequency_min / GHz),
                             (frequency_max / GHz),
                             frequency_step_Hz / GHz)

print(f"The sweep will go from {frequency_min / GHz} GHz to {frequency_max / GHz} GHz \
in steps of {frequency_step_Hz / MHz} MHz.")
print(len(frequencies_GHz))

The sweep will go from 4.601680543795522 GHz to 4.641680543795522 GHz in steps of 1.0 MHz.
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from qiskit import pulse # This is where we access all of our Pulse features
from qiskit.circuit import Parameter # This is Parameter Class for variable parameters

# Drive pulse parameters (us = microseconds)
drive_sigma_sec = 0.015 * us # This determines the actual width of the
drive_duration_sec = drive_sigma_sec * 8 # This is a truncating parameter, b
# a natural finite length

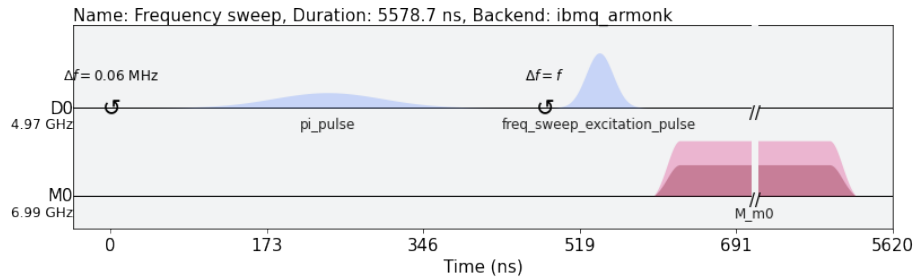
drive_amp = 0.7

frequencies_Hz = frequencies_GHz*GHz
# Create the base schedule
# Start with drive pulse acting on the drive channel
freq = Parameter('freq')
with pulse.build(backend=backend, default_alignment='sequential', name='Frequency sweep') as:
    drive_duration = get_closest_multiple_of_16(pulse.seconds_to_samples(drive_duration_sec))
    drive_sigma = pulse.seconds_to_samples(drive_sigma_sec)
    drive_chan = pulse.drive_channel(qubit)
    pulse.set_frequency(rough_qubit_frequency, drive_chan)
    pulse.call(pi_pulse_0_1)
    pulse.set_frequency(freq, drive_chan)
    # Drive pulse samples
    #pulse.play(pulse.library.Constant(drive_duration, drive_amp), drive_chan)
    pulse.play(pulse.Gaussian(duration=drive_duration,sigma=drive_sigma,amp=drive_amp,name=
    # Define our measurement pulse
    pulse.measure(qubits=[qubit], registers=[pulse.MemorySlot(mem_slot)])
```

```

# Create the frequency settings for the sweep (MUST BE IN HZ)
schedules = [sweep_sched.assign_parameters({freq: f}, inplace=False) for f in frequencies_GHz]
schedules[0].draw(backend=backend)
sweep_sched.draw(backend=backend)

```



```

num_shots_per_frequency = 1024
job = backend.run(schedules,
                  meas_level=1,
                  meas_return='avg',
                  shots=num_shots_per_frequency)

job_monitor(job)

Job Status: job has successfully run

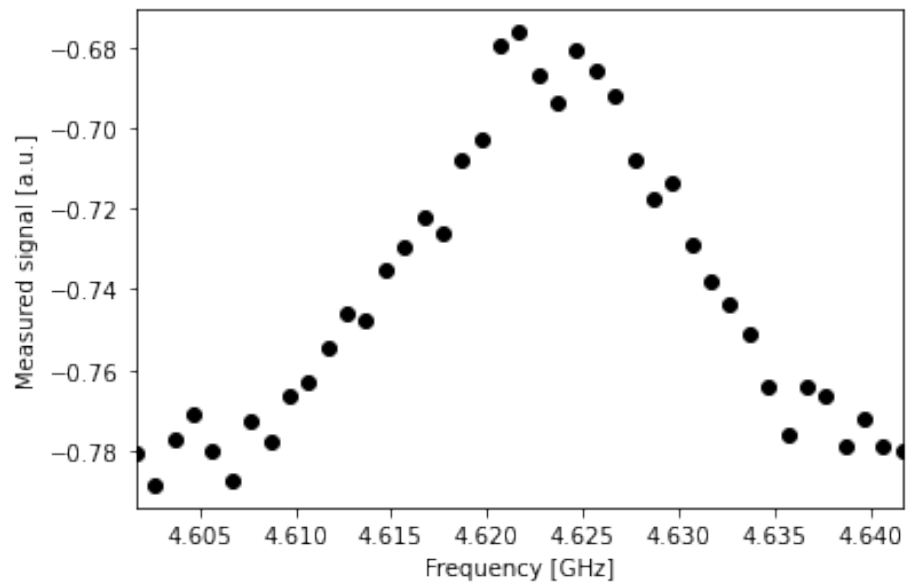
frequency_sweep_results= job.result(timeout=120) # timeout parameter set to 120 second

import matplotlib.pyplot as plt

sweep_values = []
for i in range(len(frequency_sweep_results.results)):
    # Get the results from the ith experiment
    res = frequency_sweep_results.get_memory(i)*scale_factor
    # Get the results for `qubit` from this experiment
    sweep_values.append(res[qubit])
    #if (i%4==0): print((frequency_sweep_results.get_memory(i)*scale_factor)[0])

plt.scatter(frequencies_GHz, np.real(sweep_values), color='black') # plot real part of sweep
plt.xlim([min(frequencies_GHz), max(frequencies_GHz)])
plt.xlabel("Frequency [GHz]")
plt.ylabel("Measured signal [a.u.]")
plt.show()

```

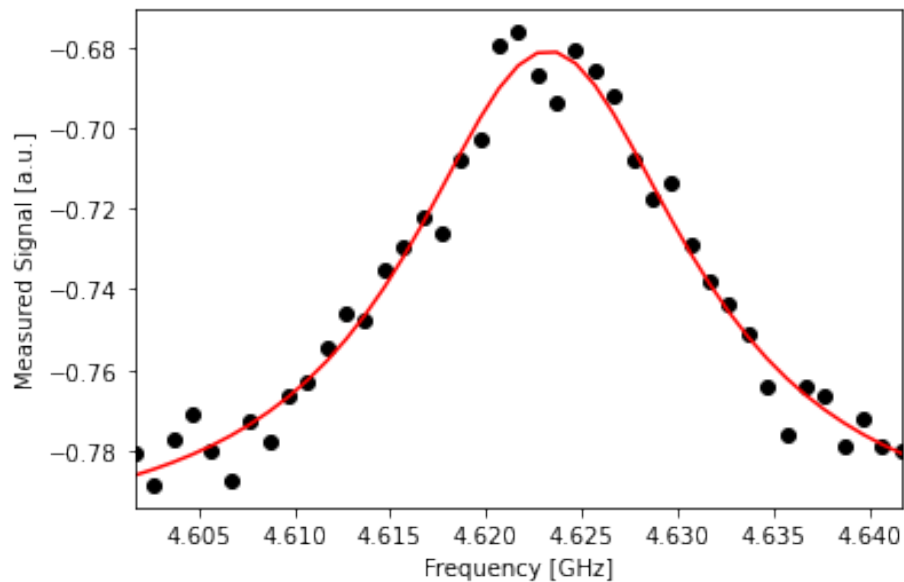


```

fit_params, y_fit = fit_function(frequencies_GHz,
                                np.real(sweep_values),
                                lambda x, A, q_freq, B, C: ((A/np.pi)*(B/ ((x-q_freq)**2+B
                                [0.003, 4.62, 0.003,-1.2] # initial parameters for curve_f
                                )
plt.scatter(frequencies_GHz, np.real(sweep_values), color='black')
plt.plot(frequencies_GHz, y_fit, color='red')
plt.xlim([min(frequencies_GHz), max(frequencies_GHz)])

plt.xlabel("Frequency [GHz]")
plt.ylabel("Measured Signal [a.u.]")
plt.show()

```



```
A, rough_qubit_frequency_2, B, C = fit_params
rough_qubit_frequency_2 = rough_qubit_frequency_2*GHz # make sure qubit freq is in Hz
print(f"We've updated our qubit frequency estimate from "
      f"{round(backend_defaults.qubit_freq_est[qubit] / GHz, 5)} GHz to {round(rough_qubit_f
#print(fit_params)
```

We've updated our qubit frequency estimate from 4.97168 GHz to 4.62324 GHz.

Using Rabi to Calibrate the π Pulse for $|1\rangle \rightarrow |2\rangle$

Calibrating π Pulses using a Rabi Experiment

Once we know the frequency of our qubit, the next step is to determine the strength of a π pulse. Strictly speaking of the qubit as a two-level system, a π pulse is one that takes the qubit from $|0\rangle$ to $|1\rangle$, and vice versa. This is also called the X or $X180$ gate, or bit-flip operator. We already know the microwave frequency needed to drive this transition from the previous frequency sweep experiment, and we now seek the amplitude needed to achieve a π rotation from $|0\rangle$ to $|1\rangle$. The desired rotation is shown on the Bloch sphere in the figure below -- you can see that the π pulse gets its name from the angle it sweeps over on a Bloch sphere.

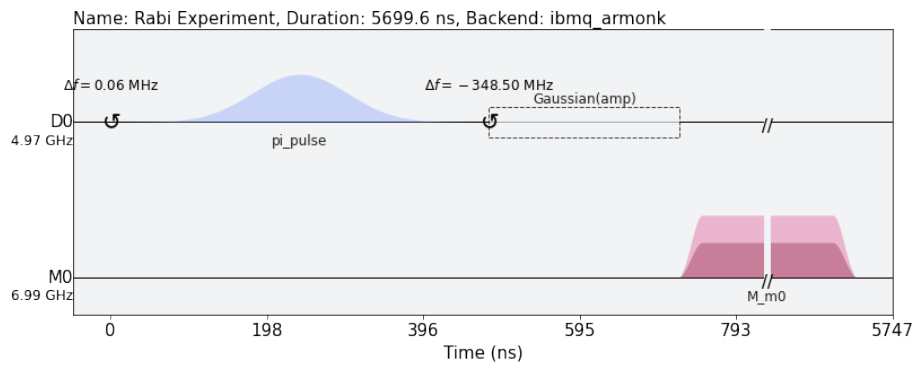
```
# Build the Rabi experiments:
#   A drive pulse at the qubit frequency, followed by a measurement,
#   where we vary the drive amplitude each time.
```

```

drive_amp = Parameter('drive_amp')
with pulse.build(backend=backend, default_alignment='sequential', name='Rabi Experiment') as:
    drive_duration = get_closest_multiple_of_16(pulse.seconds_to_samples(drive_duration_sec*2))
    drive_sigma = pulse.seconds_to_samples(drive_sigma_sec*2)
    drive_chan = pulse.drive_channel(qubit)
    pulse.set_frequency(rough_qubit_frequency, drive_chan)
    pulse.call(pi_pulse_0_1)
    pulse.set_frequency(rough_qubit_frequency_2, drive_chan)
    pulse.play(pulse.Gaussian(duration=drive_duration, amp=drive_amp, sigma=drive_sigma, name='Gaussian(amp)'))
    pulse.measure(qubits=[qubit], registers=[pulse.MemorySlot(mem_slot)])

rabi_schedules_2 = [rabi_sched_2.assign_parameters({drive_amp: a}, inplace=False) for a in c]
rabi_schedules_2[2].draw(backend=backend)
rabi_sched_2.draw(backend=backend)

```



```

num_shots_per_point = 2000

job = backend.run(rabi_schedules_2,
                  meas_level=1,
                  meas_return='avg',
                  shots=num_shots_per_point)

job_monitor(job)

Job Status: job has successfully run

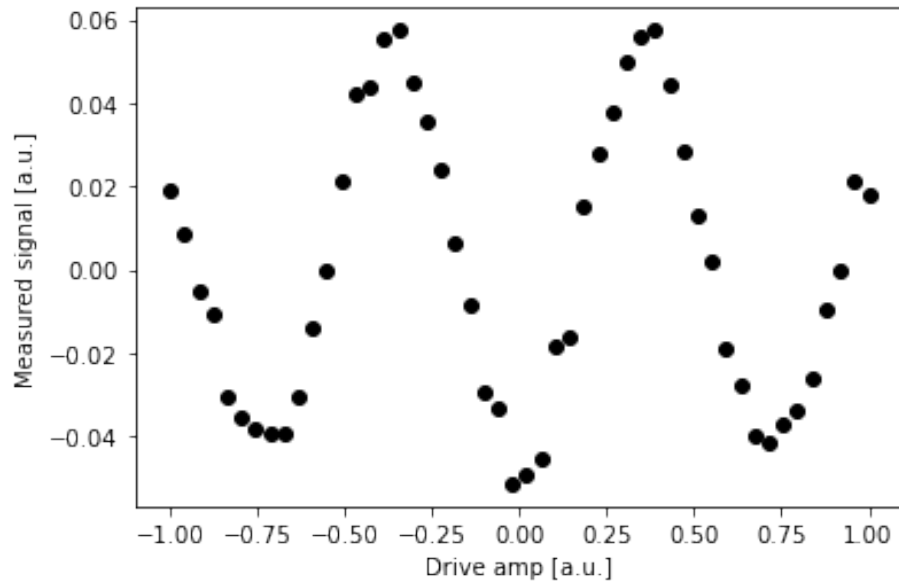
rabi_results = job.result(timeout=120)

rabi_values = []
for i in range(num_rabi_points):
    # Get the results for `qubit` from the ith experiment
    rabi_values.append(rabi_results.get_memory(i)[qubit] * scale_factor)

rabi_values = np.real(baseline_remove(rabi_values))

```

```
plt.xlabel("Drive amp [a.u.]")
plt.ylabel("Measured signal [a.u.]")
plt.scatter(drive_amps, rabi_values, color='black') # plot real part of Rabi values
plt.show()
```



```
fit_params, y_fit = fit_function(drive_amps,
                                rabi_values,
                                lambda x, A, B, drive_period, phi: (A*np.cos(2*np.pi*x/drive_period) + B*np.sin(2*np.pi*x/drive_period) + phi),
                                [0.2, -0.2, 0.75, np.pi/2])

plt.scatter(drive_amps, rabi_values, color='black')
plt.plot(drive_amps, y_fit, color='red')
print(fit_params)
drive_period_2 = fit_params[2] # get period of rabi oscillation

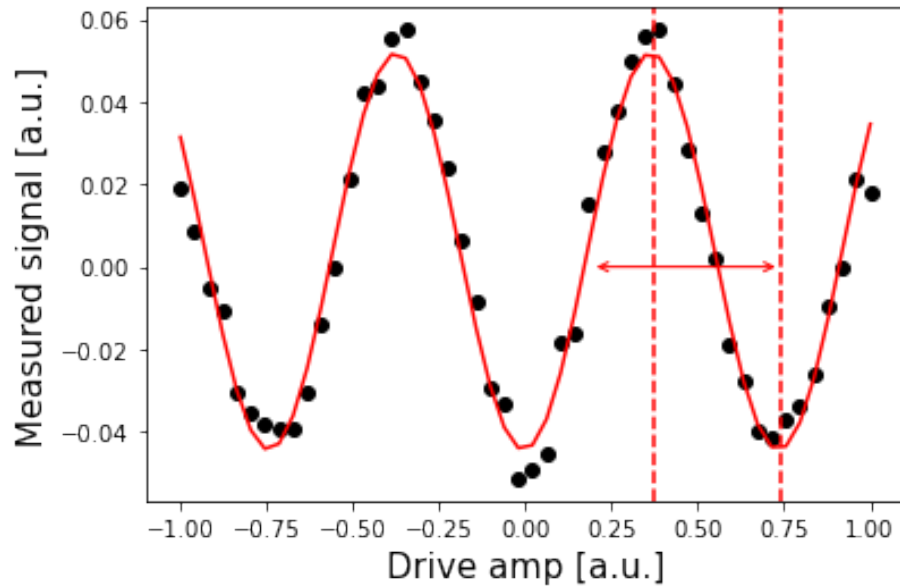
plt.axvline(drive_period_2/2, color='red', linestyle='--')
plt.axvline(drive_period_2, color='red', linestyle='--')
plt.annotate("", xy=(drive_period_2, 0), xytext=(drive_period/2,0), arrowprops=dict(arrowstyle=">"))
plt.annotate("$\pi$", xy=(drive_period_2/2-0.03, 0.1), color='red')

plt.xlabel("Drive amp [a.u.]", fontsize=15)
plt.ylabel("Measured signal [a.u.]", fontsize=15)
plt.show()

pi_amp_2 = abs(drive_period_2 / 2)
```



```
print(f"Pi Amplitude = {pi_amp_2}")
[0.04806702 0.00375785 0.73842967 3.1003536]
```

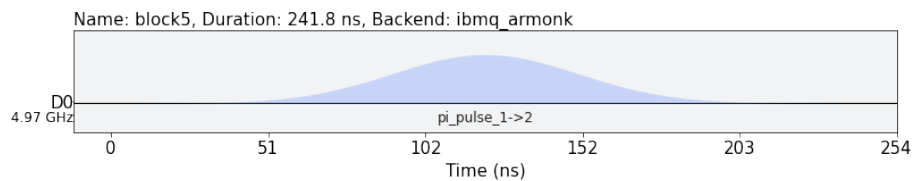


Pi Amplitude = 0.3692148371978982

Our $|1\rangle \rightarrow |2\rangle$ π pulse!

Let's define our pulse, with the amplitude we just found, so we can use it in later experiments.

```
with pulse.build(backend) as pi_pulse_0_2:
    drive_duration = get_closest_multiple_of_16(pulse.seconds_to_samples(drive_duration_sec*2))
    drive_sigma = pulse.seconds_to_samples(drive_sigma_sec*2)
    drive_chan = pulse.drive_channel(qubit)
    pulse.play(pulse.Gaussian(duration=drive_duration,
                               amp=pi_amp_2,
                               sigma=drive_sigma,
                               name='pi_pulse_1->2'), drive_chan)
pi_pulse_0_2.draw(backend=backend)
```



Determining 0 vs 1 vs 2

Once our π pulses have been calibrated, we can now create the state $|1\rangle$ with good probability. We can use this to find out what the states $|0\rangle$ and $|1\rangle$ look like in our measurements, by repeatedly preparing them and plotting the measured signal. This is what we use to build a discriminator, which is simply a function which takes a measured andkerneled complex value (`meas_level=1`) and classifies it as a 0 or a 1 (`meas_level=2`).

```
# Create two schedules
```

```
# Ground state schedule
```

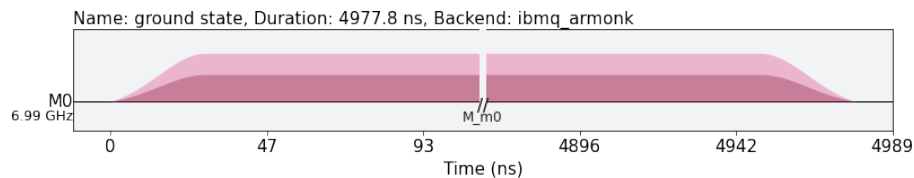
```
with pulse.build(backend=backend, default_alignment='sequential', name='ground state') as gnd_schedule:
    drive_chan = pulse.drive_channel(qubit)
    pulse.set_frequency(rough_qubit_frequency, drive_chan)
    pulse.measure(qubits=[qubit], registers=[pulse.MemorySlot(mem_slot)])
```

```
# Excited state schedule
```

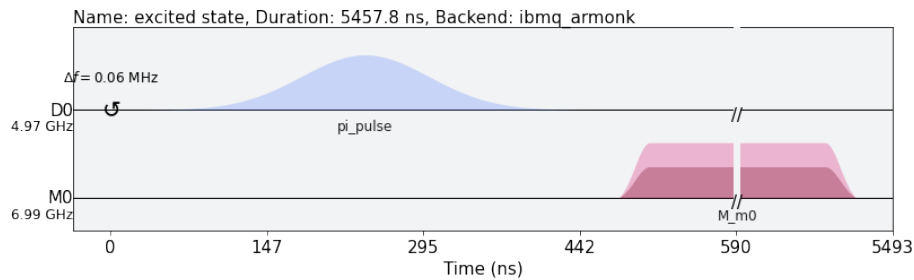
```
with pulse.build(backend=backend, default_alignment='sequential', name='excited state') as exc_schedule:
    drive_chan = pulse.drive_channel(qubit)
    pulse.set_frequency(rough_qubit_frequency, drive_chan)
    pulse.call(pi_pulse_0_1)
    pulse.measure(qubits=[qubit], registers=[pulse.MemorySlot(mem_slot)])
```

```
with pulse.build(backend=backend, default_alignment='sequential', name='excited state') as exc_schedule:
    drive_chan = pulse.drive_channel(qubit)
    pulse.set_frequency(rough_qubit_frequency, drive_chan)
    pulse.call(pi_pulse_0_1)
    pulse.set_frequency(rough_qubit_frequency_2, drive_chan)
    pulse.call(pi_pulse_0_2)
    pulse.measure(qubits=[qubit], registers=[pulse.MemorySlot(mem_slot)])
```

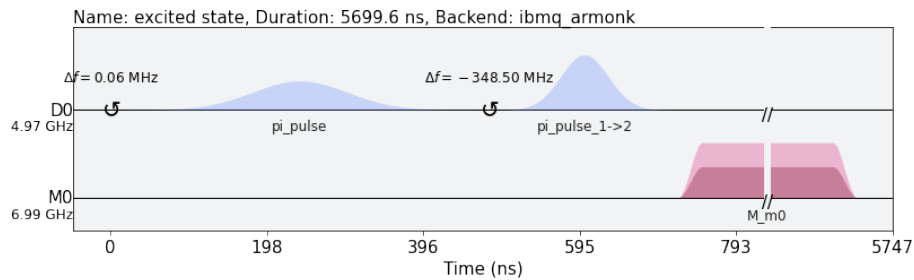
```
gnd_schedule.draw(backend=backend)
```



```
exc_1_schedule.draw(backend=backend)
```



```
exc_2_schedule.draw(backend=backend)
```



We assemble the ground and excited state preparation schedules. Each of these will run `num_shots` times. We choose `meas_level=1` this time, because we do not want the results already classified for us as $|0\rangle$ or $|1\rangle$. Instead, we wantkerneled data: raw acquired data that has gone through a kernel function to yield a single complex value for each shot. (You can think of a kernel as a dot product applied to the raw measurement data.)

```
# Execution settings
```

```
num_shots = 1024
```

```
job = backend.run([gnd_schedule, exc_1_schedule, exc_2_schedule],
                  meas_level=1,
                  meas_return='single',
                  shots=num_shots)
```

```
job_monitor(job)
```

```
Job Status: job has successfully run
```

```
gnd_exc_results = job.result(timeout=120)
```

Now that we have the results, we can visualize the two populations which we have prepared on a simple scatter plot, showing results from the ground state program in blue and results from the excited state preparation program in red. Note: If the populations irregularly shaped (not approximately circular), try re-running the notebook.

$|0\rangle$ and $|1\rangle$ Discrimination

```
gnd_results = gnd_exc_results.get_memory(0)[: , qubit]*scale_factor
exc_1_results = gnd_exc_results.get_memory(1)[: , qubit]*scale_factor
plt.figure()

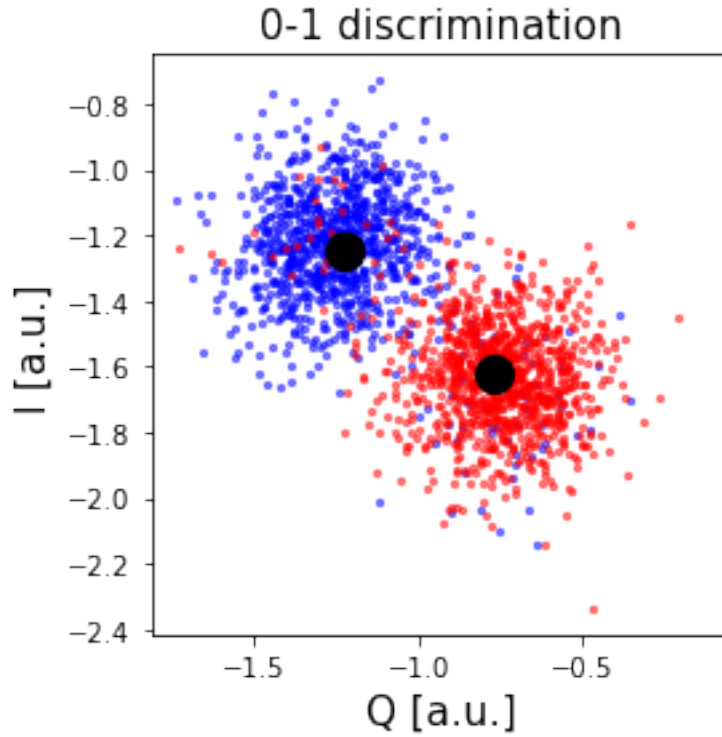
# Plot all the results
# All results from the gnd_schedule are plotted in blue
plt.scatter(np.real(gnd_results), np.imag(gnd_results),
            s=5, cmap='viridis', c='blue', alpha=0.5, label='state_0')
# All results from the exc_schedule are plotted in red
plt.scatter(np.real(exc_1_results), np.imag(exc_1_results),
            s=5, cmap='viridis', c='red', alpha=0.5, label='state_1')

plt.axis('square')

# Plot a large dot for the average result of the 0 and 1 states.
mean_gnd = np.mean(gnd_results) # takes mean of both real and imaginary parts
mean_1_exc = np.mean(exc_1_results)
plt.scatter(np.real(mean_gnd), np.imag(mean_gnd),
            s=200, cmap='viridis', c='black', alpha=1.0, label='state_0_mean')
plt.scatter(np.real(mean_1_exc), np.imag(mean_1_exc),
            s=200, cmap='viridis', c='black', alpha=1.0, label='state_1_mean')

plt.ylabel('I [a.u.]', fontsize=15)
plt.xlabel('Q [a.u.]', fontsize=15)
plt.title("0-1 discrimination", fontsize=15)

plt.show()
```



```
exc_2_results = gnd_exc_results.get_memory(2)[: , qubit]*scale_factor
plt.figure()

# Plot all the results
# All results from the gnd_schedule are plotted in blue
plt.scatter(np.real(gnd_results), np.imag(gnd_results),
            s=5, cmap='viridis', c='blue', alpha=0.5, label='state_0')
# All results from the exc_schedule are plotted in red
plt.scatter(np.real(exc_1_results), np.imag(exc_1_results),
            s=5, cmap='viridis', c='red', alpha=0.5, label='state_1')
plt.scatter(np.real(exc_2_results), np.imag(exc_2_results),
            s=5, cmap='viridis', c='green', alpha=0.5, label='state_2')
plt.axis('square')

# Plot a large dot for the average result of the 0 and 1 states.
mean_gnd = np.mean(gnd_results) # takes mean of both real and imaginary parts
mean_1_exc = np.mean(exc_1_results)
mean_2_exc = np.mean(exc_2_results)
plt.scatter(np.real(mean_gnd), np.imag(mean_gnd),
            s=200, cmap='viridis', c='black', alpha=1.0, label='state_0_mean')
plt.scatter(np.real(mean_1_exc), np.imag(mean_1_exc),
```

```

        s=200, cmap='viridis', c='black',alpha=1.0, label='state_1_mean')
plt.scatter(np.real(mean_2_exc), np.imag(mean_2_exc),
        s=200, cmap='viridis', c='black',alpha=1.0, label='state_1_mean')

plt.ylabel('I [a.u.]', fontsize=15)
plt.xlabel('Q [a.u.]', fontsize=15)
plt.title("0-1-2 Discrimination", fontsize=15)

plt.show()

```

