

Quantum Hardware

Applied Quantum Information

Spring 2022

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Outline

- DiVincenzo's Criteria
- Different Quantum Hardware
 - Atoms
 - Artificial Atoms
 - Photons

DiVincenzo's Criteria

The conditions necessary for creating a Quantum Computer

1. A scalable physical system with well characterized qubit
2. The ability to initialize the state of the qubits to a simple fiducial state
3. Long relevant decoherence times
4. A "universal" set of quantum gates
5. A qubit-specific measurement capability

A Survey of Quantum Hardware

Atoms

- Trapped Ions



Honeywell

- Rydberg atoms

QERA
COMPUTING INC.

Artificial Atoms

- Superconducting Qubits



- Spin Qubits
- NMR systems
- Solid-state spins

Photons

- Silicon Photonics



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IQuEra
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- Silicon Photonics

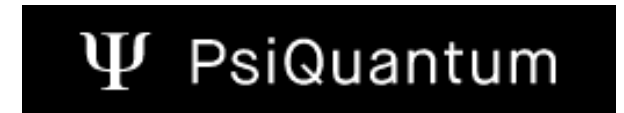
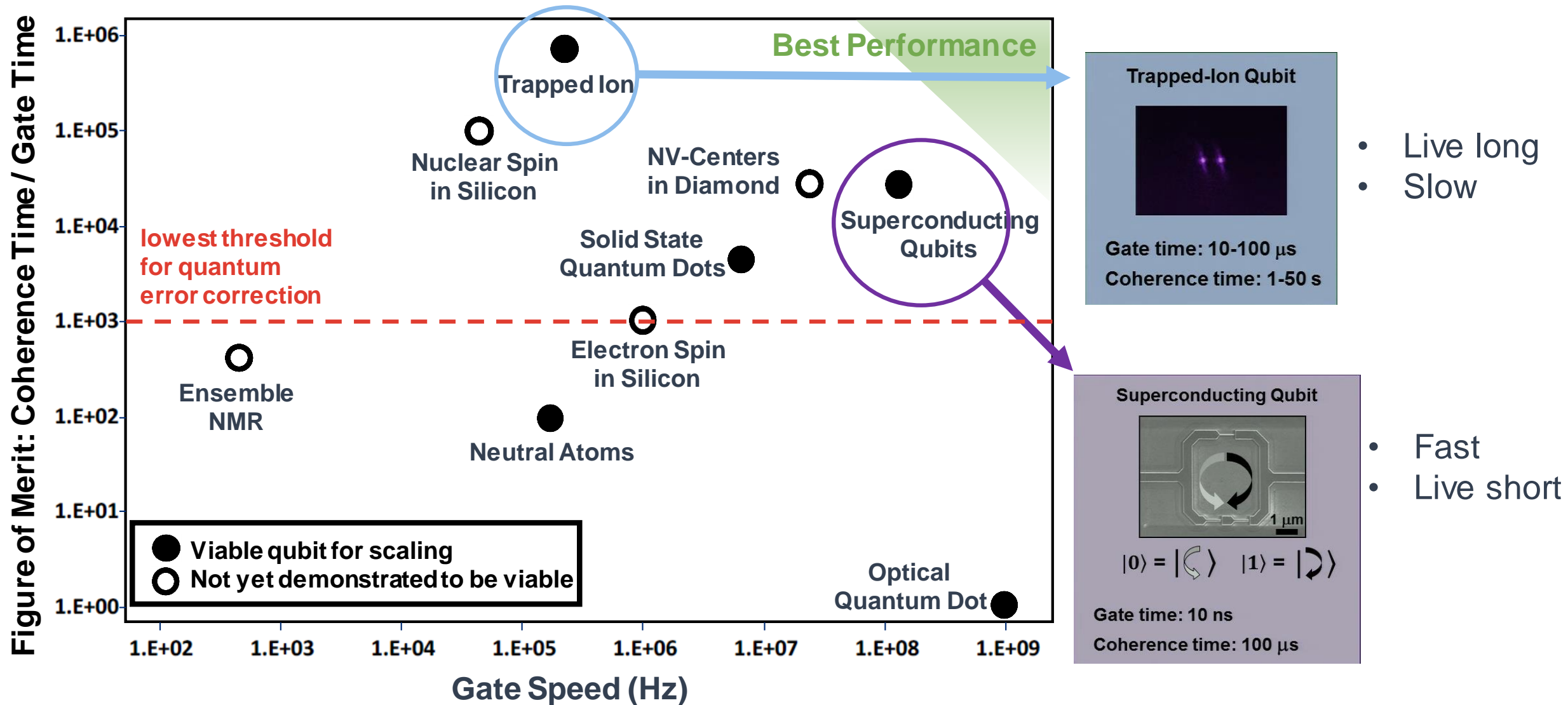
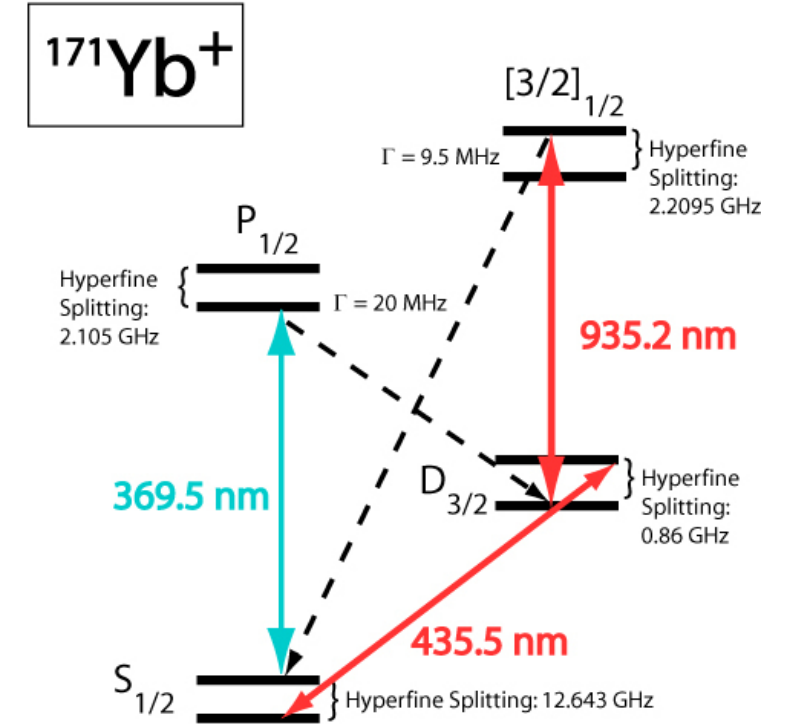
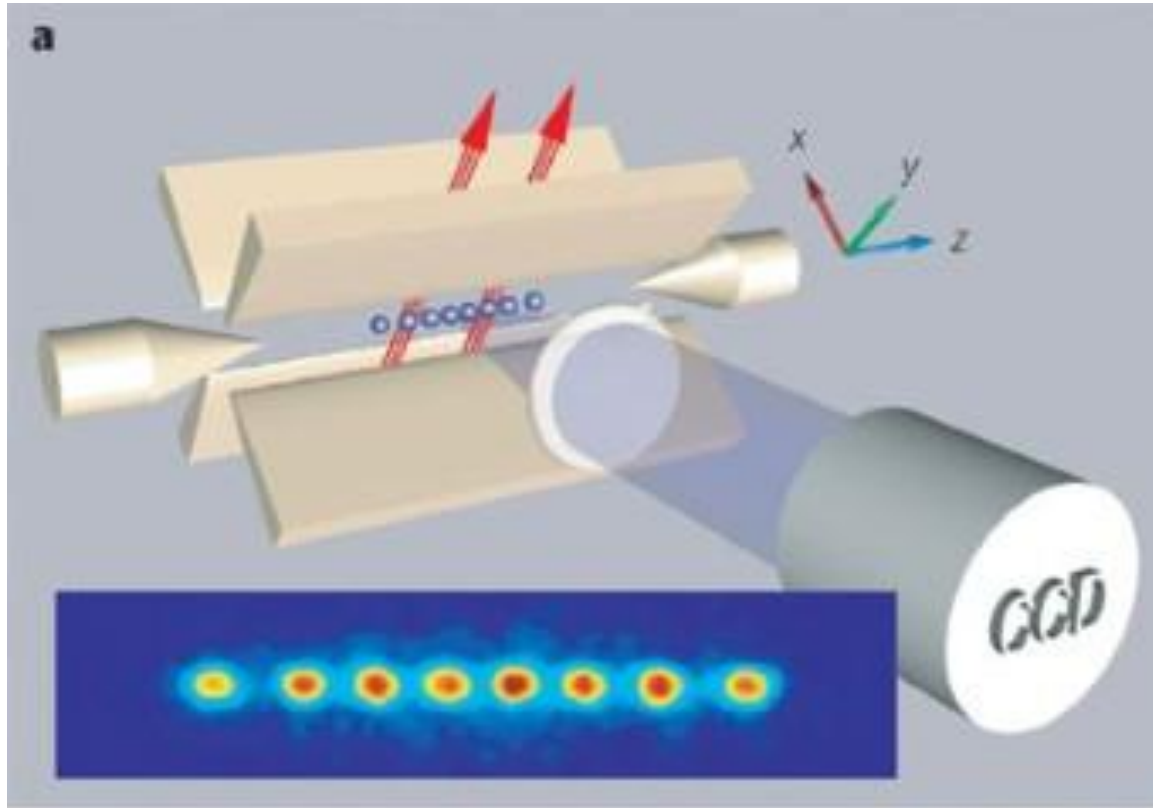


Figure of merits



Atom-based Platforms

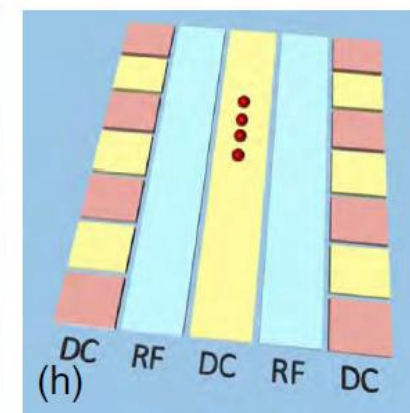
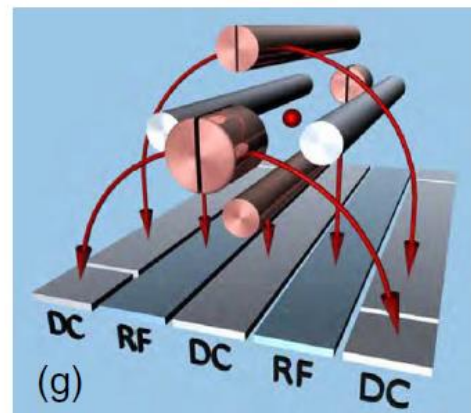
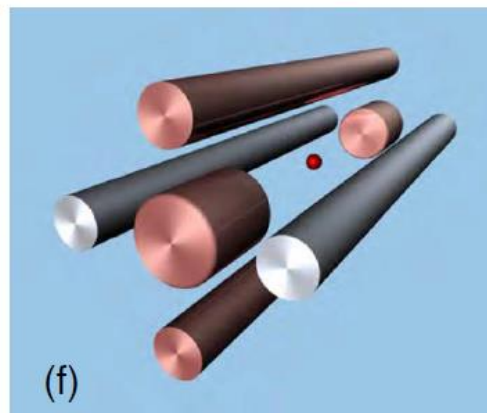
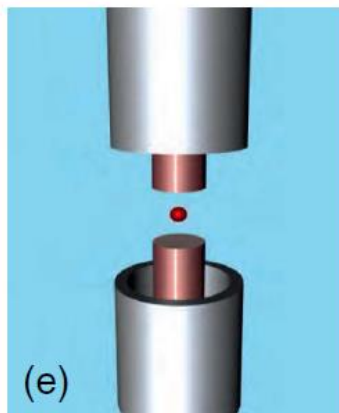
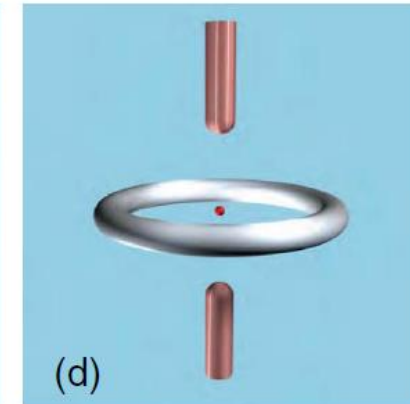
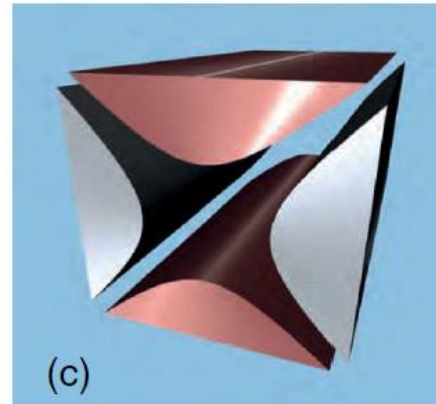
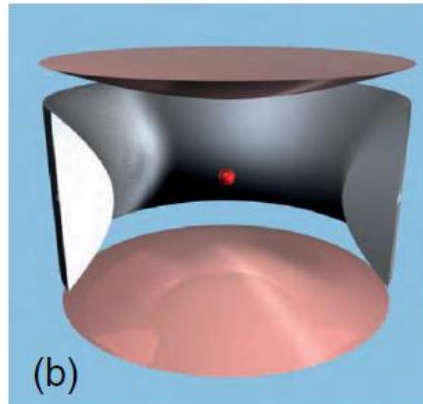
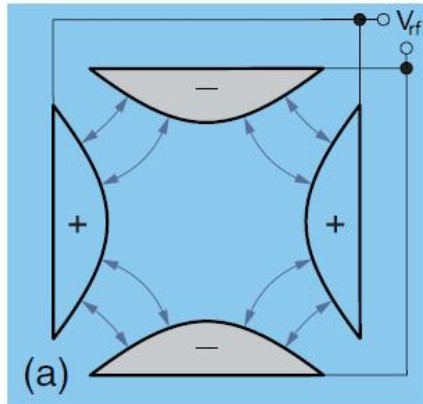
Trapped Ions: Setup



Blatt, Wineland, Nature 453,1008–1015 (2008)

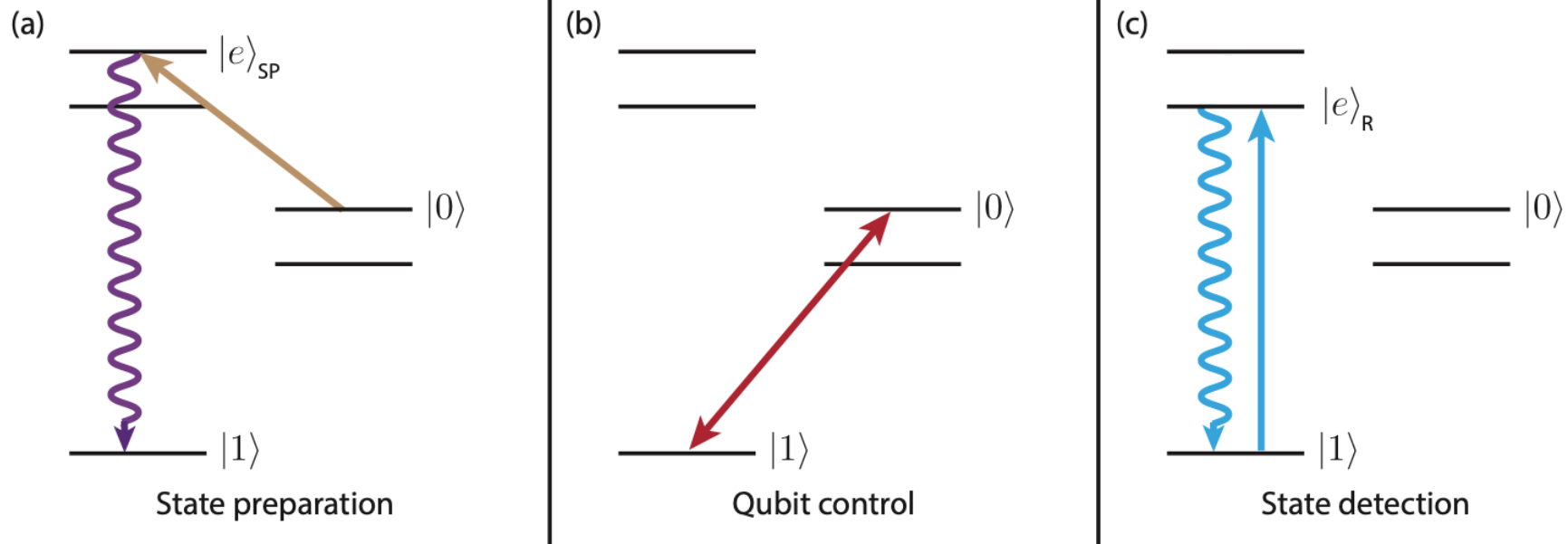
Trapped ions

Trapping Ions



Trapped ions

State-preparation, Gates, Measurement



Trapped Ions

Pros and Cons

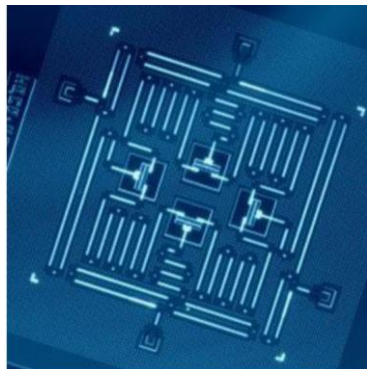
- Pros
 - Ions are identical
 - Long Coherence times
- Cons
 - Gates are slow

Artificial Atom based platforms

Superconducting qubits

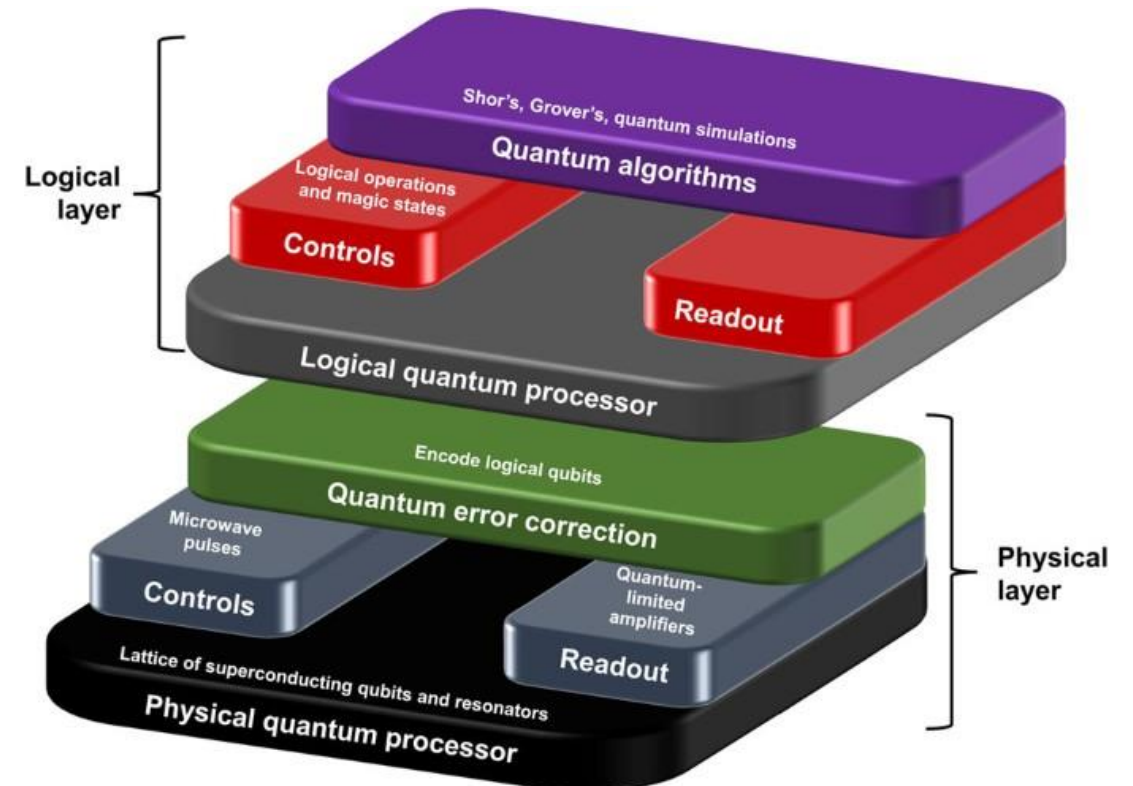


Control
Hardware



The Chip

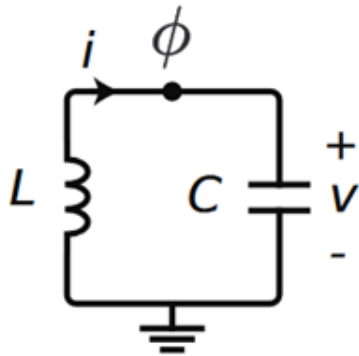
The Quantum Computing Software Stack



Superconducting Qubits

A Detour: QHO

LC circuit



$$H = \frac{1}{2} C V^2 + \frac{1}{2} L I^2 = \frac{Q^2}{2C} + \frac{\Phi^2}{2L} \quad \left(\frac{Q}{C} = \dot{\Phi} \right)$$

Quantize: $[\hat{\Phi}, \hat{Q}] = i\hbar$ \downarrow $\left(\omega = \frac{1}{\sqrt{LC}} \right)$

$$\hat{H} = 4 E_C \hat{n}^2 + \frac{1}{2} E_L \hat{\Phi}^2 = \hbar \omega \left(a^\dagger a + \frac{1}{2} \right)$$

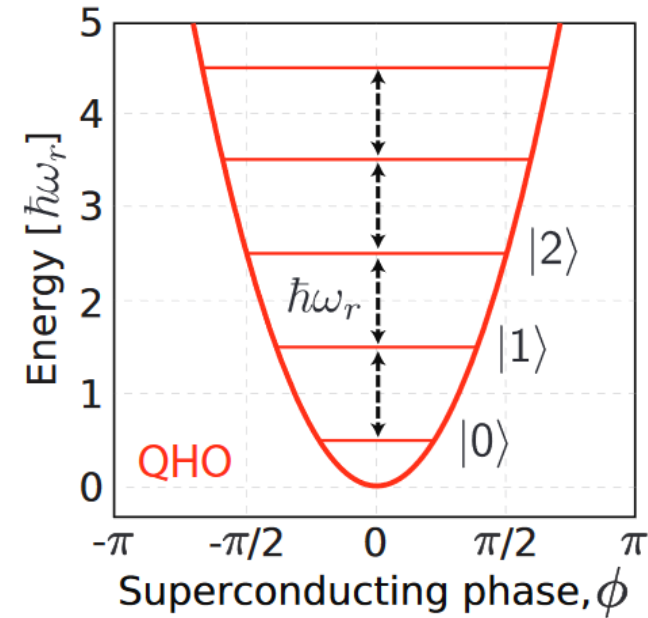
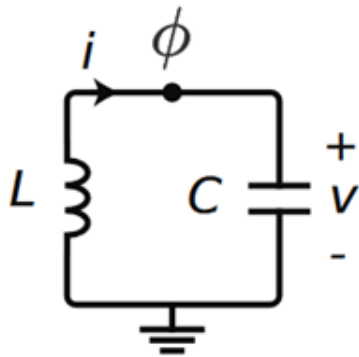
- (number of Cooper pairs) $n = Q/2e$
- (gauge invariant phase) $\phi = 2\pi\Phi/\Phi_0$
- (SC flux quanta) $\Phi_0 = h/2e$

- (charging energy per electron) $E_C = e^2/2C$
- (inductive energy) $E_L = \left(\frac{\Phi_0}{2\pi} \right)^2 / L$

Superconducting Qubits

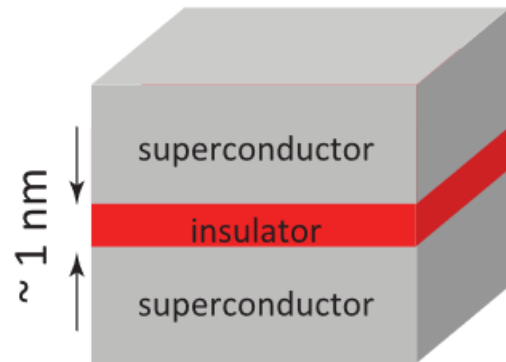
A Detour: QHO

LC circuit



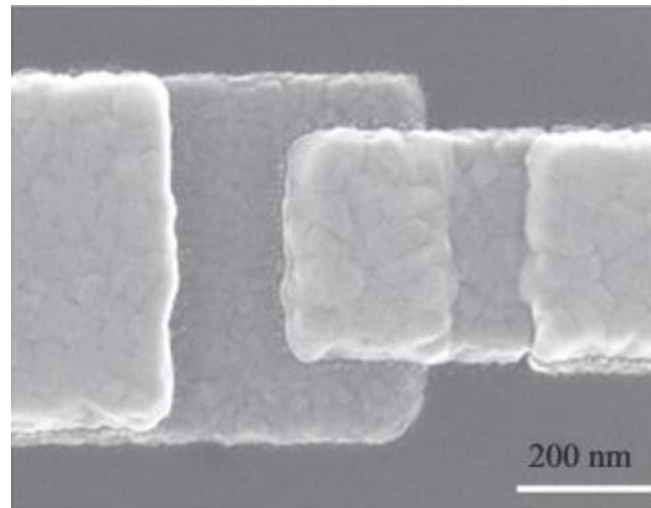
Superconducting Qubits

Josephson Junctions

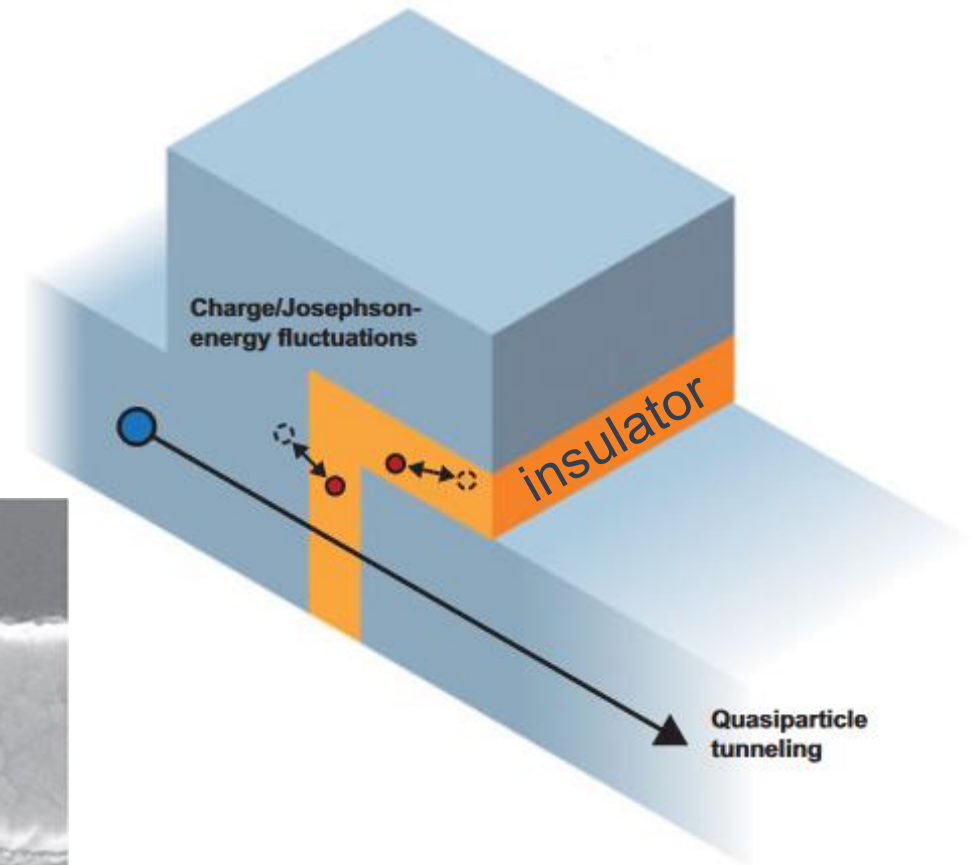


$$I = I_c \sin(\phi)$$
$$V = \frac{\hbar}{2e} \frac{d\phi}{dt}$$

Cooper pairs
Tunneling



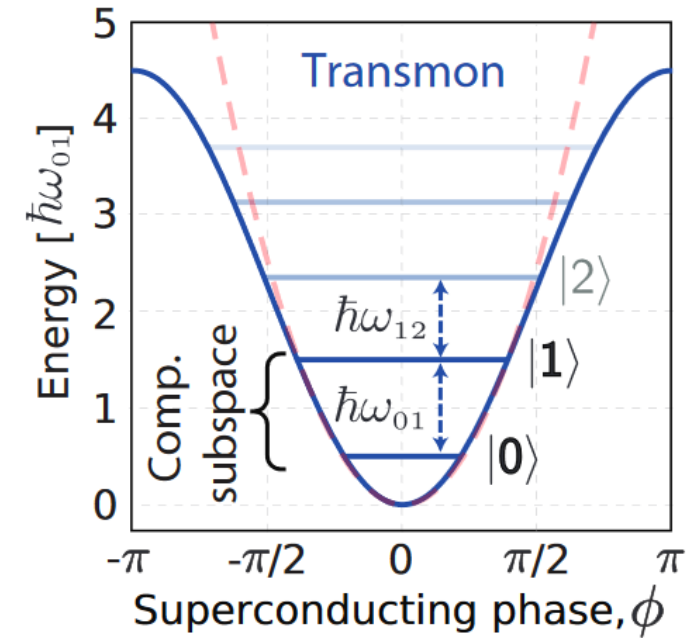
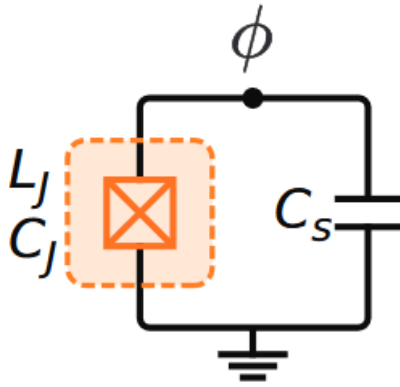
(SEM image)



*Al: SC transition at 1.26K

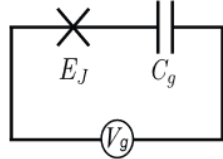
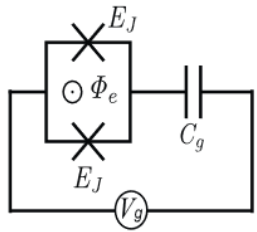
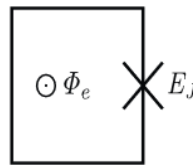
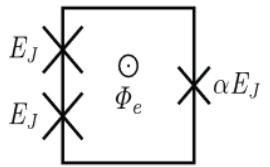
Superconducting Qubit

Transmon



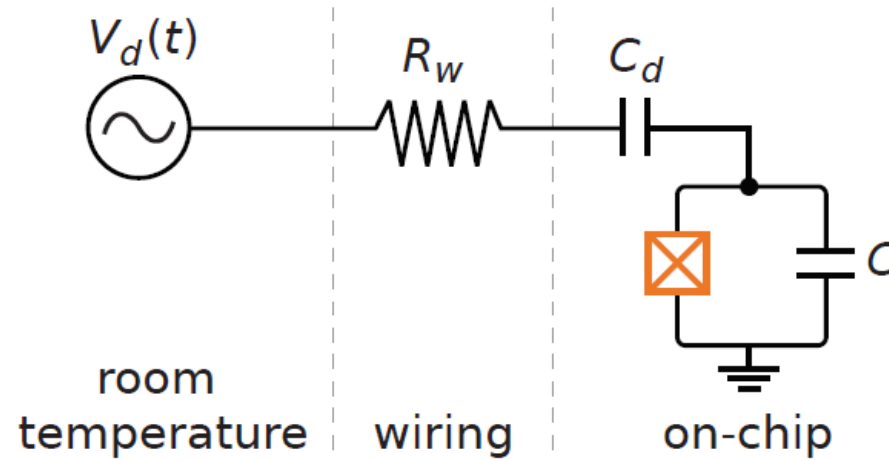
Superconducting Qubits

Different Qubits

	Circuit	Properties	Dominant noise
Charge qubit		$E_J/E_C < 1$ Controlled by V_g .	Charge fluctuations; mainly 1/f noise.
		$E_J/E_C < 1$ Controlled by both V_g and Φ_e .	
Flux qubit		$E_J/E_C > 1$ Controlled by Φ_e .	Flux fluctuations; mainly 1/f noise.
		$E_J/E_C > 1$ $0.5 < \alpha < 1$ Controlled by Φ_e .	

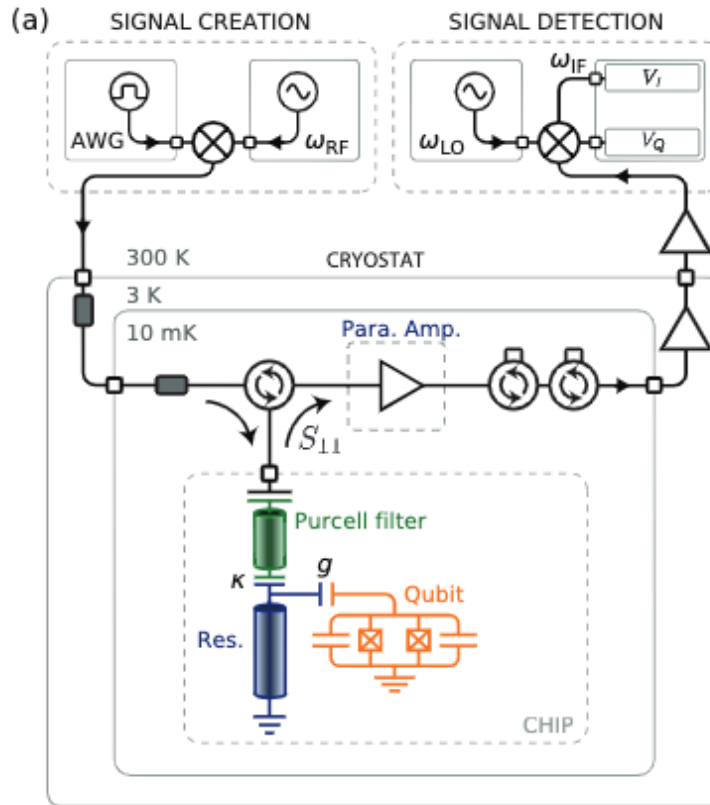
Superconducting Qubits

Single Qubit Gates



Superconducting Qubits

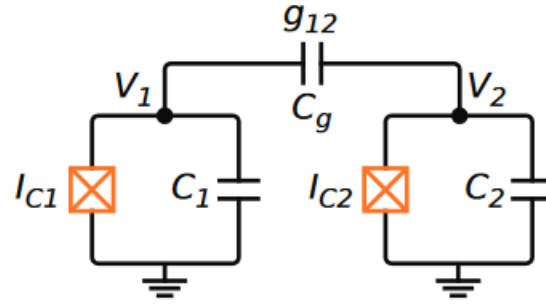
Readout



- Qubits are coupled to a resonator.
- The optical resonator is a cavity that stores photons in a particular frequency.
- The qubit coupling modifies the frequency of the resonator based on the state of a qubit
- The state of the qubit is measured from the shift in the resonator frequency.

Superconducting Qubits

Capacitive Coupling



$$H_{\text{int}} = C_g V_1 V_2$$

$$H = \sum_{i=1,2} [4E_{C,i} n_i^2 - E_{J,i} \cos \phi_i] + 4e^2 \frac{C_g}{C_1 C_2} n_1 n_2$$

$$H = \sum_{i=1,2} \frac{1}{2} \omega_i \sigma_{z,i} + g \sigma_{y,1} \sigma_{y,2}$$

Superconducting Qubits

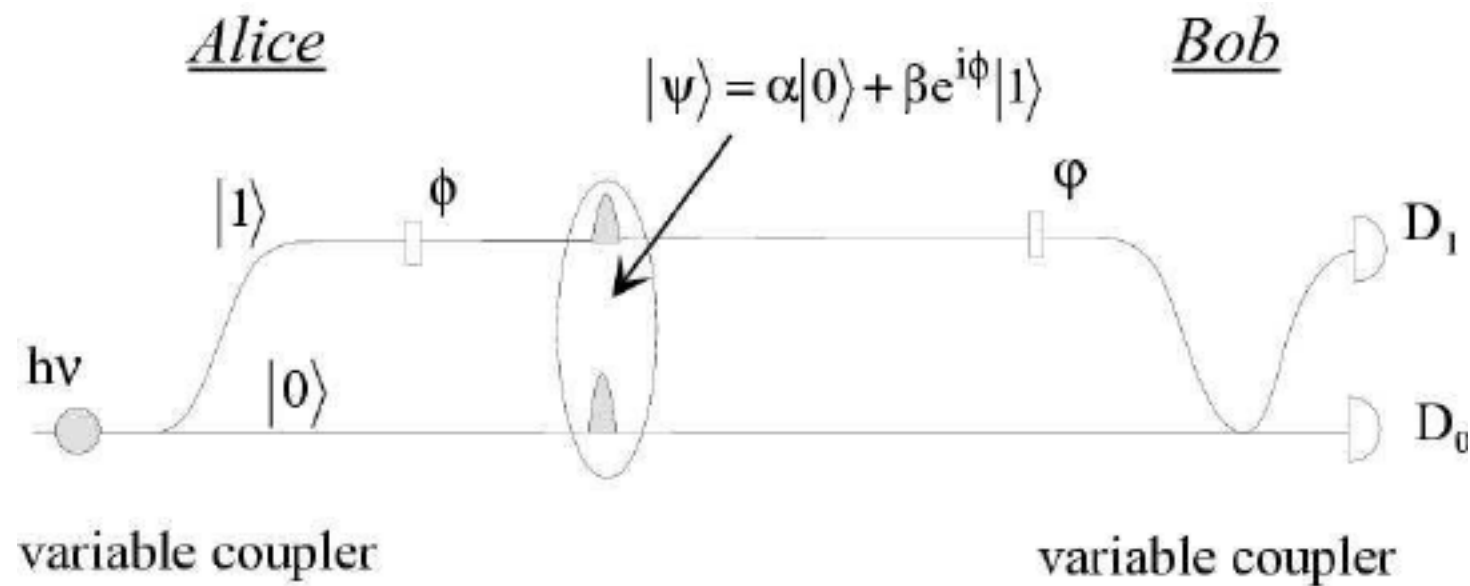
Pros and Cons

- Pros:
 - Fast gates
 - Rapidly improving coherence time
 - Fabrication processes are getting standardized
- Cons:
 - Qubits are not identical
 - Cross talk is a problem
 - correlated noise is prevalent
 - Superconducting

Photons

Photons as qubits

- Store a qubit in the two different degrees of freedom of photons:
 - Distinct polarization : $|1\rangle$ is a state with a particular polarization or right/left circularly polarized
 - Spatial modes: two spatially separated beams.
 - Time-bin encoding: Two different timings
- Measurement: Single photon detection

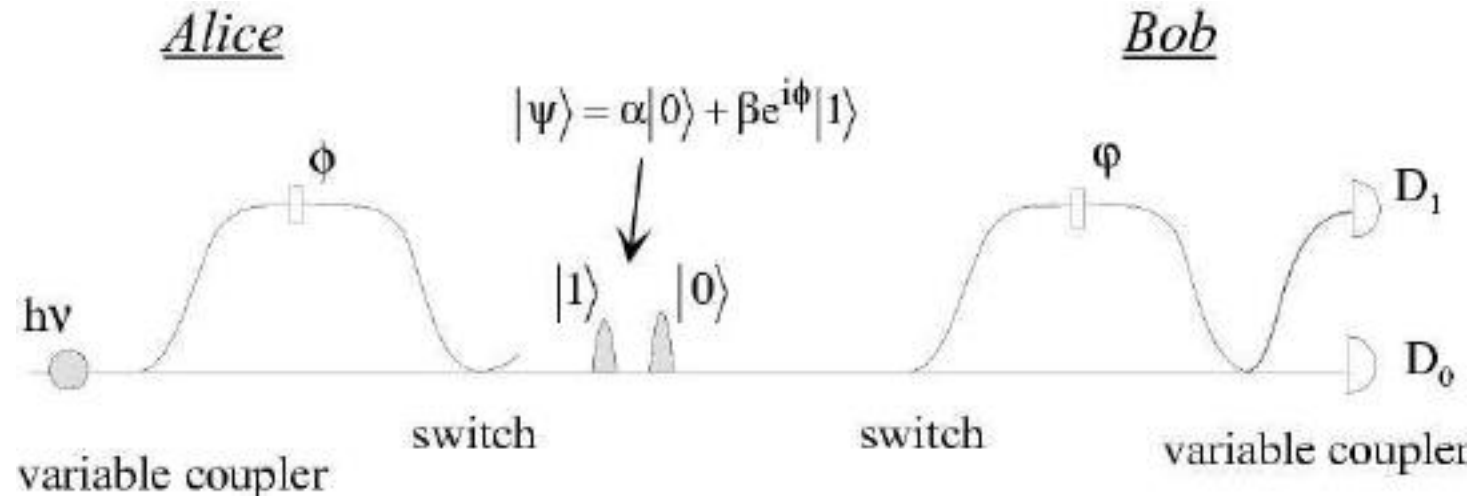


Spatial modes as qubits

Photons

Photons as qubits

- Store a qubit in the two different degrees of freedom of photons:
 - Distinct polarization : $|1\rangle$ is a state with a particular polarization or right/left circularly polarized
 - Spatial modes: two spatially separated beams.
 - Time-bin encoding: Two different timings. Measurement based on arrival times on detectors
- Measurement: Single photon detection



Temporal modes as qubits

Photons

Photons as qubits

- Store a qubit in the two different degrees of freedom of photons:
 - Distinct polarization : $|1\rangle$ is a state with a particular polarization or right/left circularly polarized
 - Spatial modes: two spatially separated beams.
 - Time-bin encoding: Two different timings. Measurement based on arrival times on detectors
- Measurement: Single photon detection
- Entangling photons: Non-linear media
- Pros and Cons
 - Pros: Single photons can be transmitted with low loss optical fibers, easy to do single qubit operations , Useful for quantum communication and cryptography
 - Cons: Hard to make photons interact, slow to generate single photons
- Measurement based quantum computing using linear optical elements.
 - Uses resource states, in combination with linear optical elements

Further Reading

- Trapped Ions
 - <https://arxiv.org/abs/1904.04178>
- Superconducting Qubits
 - <https://arxiv.org/abs/1904.06560>
- Photon-based qubits
 - Nielsen & Chuang Chapter 7.2



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