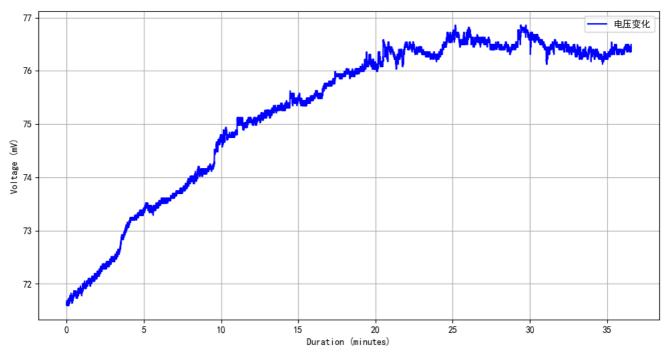
```
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
# 设置中文显示
plt.rcParams['font.sans-serif'] = ['SimHei']
plt.rcParams['axes.unicode_minus'] = False
# 读取数据文件
df = pd.read_csv('../../data/ads 20250510 200219 199.csv')
# 重命名列名
df.columns = ['timestamp', 'voltage', 'duration']
# 将时间戳转换为datetime类型
df['timestamp'] = pd.to_datetime(df['timestamp'])
specific time = pd. to datetime('2025-05-10T20:21:02.634Z')
plt.figure(figsize=(12, 6))
plt.plot(df['duration'] / 60000, df['voltage'], label='电压变化', color='b') # 将ms转换为分钟
plt.xlabel('Duration (minutes)')
plt.ylabel('Voltage (mV)')
plt.legend()
plt.grid(True)
plt.show()
# 检查这个时间点是否在数据范围内
if specific_time >= df['timestamp'].min() and specific_time <= df['timestamp'].max():
       # 找到最接近的时间点
       closest_idx = (df['timestamp'] - specific_time).abs().idxmin()
       closest_point = df.iloc[closest_idx]
       # 绘制电压随时间变化的折线图,并标注特定时间点
       plt.figure(figsize=(12, 6))
       plt.plot(df['duration'] / 60000, df['voltage'], label='Voltage change', color='b')
       # 标注特定时间占
       plt.scatter(closest_point['duration'] / 60000, closest_point['voltage'],
                           color='red', s=100, zorder=5)
       xytext=(closest_point['duration'] / 60000 + 0.5, closest_point['voltage'] + 2),
                            fontsize=10)
       plt.xlabel('Time (min)')
       plt.ylabel('Voltage (mV)')
       plt.legend()
       plt.grid(True)
       plt.show()
else:
       print("指定的时间点不在数据范围内!")
       print(f"数据时间范围: {df['timestamp'].min()} 到 {df['timestamp'].max()}")
# Check if this time point is within the data range
 if \quad specific\_time \ >= \ df['timestamp'].min() \quad and \quad specific\_time \ <= \ df['timestamp'].max(): \\
       # Find the closest time point
       closest_idx = (df['timestamp'] - specific_time).abs().idxmin()
       closest_point = df.iloc[closest_idx]
       # Calculate the time window (5 minutes before and after the specific time)
       closest_duration_min = closest_point['duration'] / 60000 # Convert to minutes
       time_window_min = 5 # 5 minutes window
       \# Filter data within the time window
       # min_duration = (closest_duration_min - (time_window_min - 1.7)) * 60000
       # max_duration = (closest_duration_min + (time_window_min + 1.4)) * 60000
       \label{eq:min_duration} \mbox{min\_duration} = \mbox{(closest\_duration\_min - (time\_window\_min))} \mbox{* 60000}
       max duration = (closest duration min + (time window min)) * 60000
       filtered_df = df[(df['duration'] >= min_duration) & (df['duration'] <= max_duration)]
       # Plot voltage changes over time, and mark the specific time point
       plt.figure(figsize=(18, 6))
       plt.plot(filtered_df['duration'] / 60000, filtered_df['voltage'], label='Voltage Change', color='b')
       # Mark the specific time point
       plt.scatter(closest_point['duration'] / 60000, closest_point['voltage'],
                            color='red', s=100, zorder=5)
```

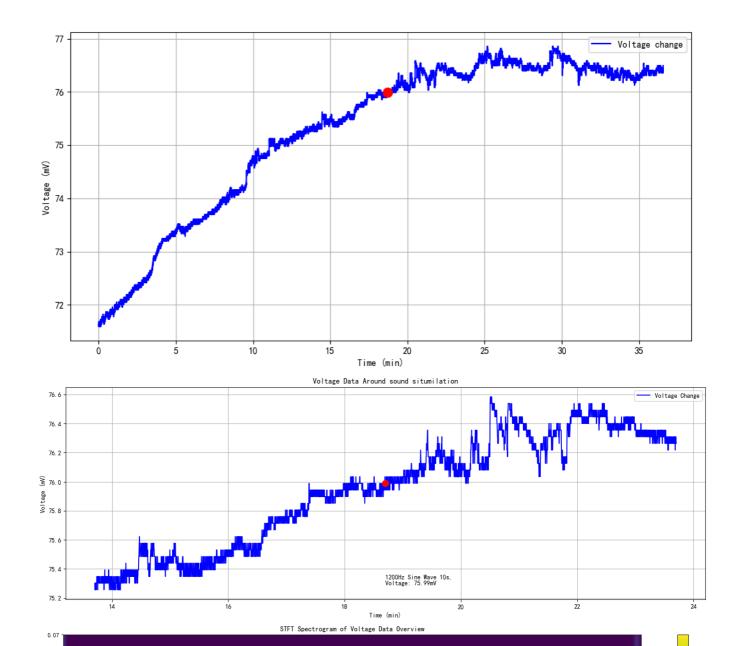
```
\verb|plt.annotate| (f'1200Hz Sine Wave 10s, \ \ \ | (closest\_point["voltage"]:.2f) mV', \\
                            xy=(closest point['duration'] / 60000, closest point['voltage']),
                             xytext=(closest_point['duration'] / 60000, closest_point['voltage'] - 0.7),
       # Set axis labels and title
       plt.xlabel('Time (min)')
       plt.ylabel('Voltage (mV)')
       plt.title(f'Voltage Data Around sound situmilation')
       plt.legend()
       plt.grid(True)
       plt.show()
else:
       print("The specified time point is not within the data range!")
       print(f''Data \ time \ range: \ \{df['timestamp'].min()\} \ to \ \{df['timestamp'].max()\}'')
# Perform STFT (Short-Time Fourier Transform) on the filtered data
import numpy as np
from scipy import signal
import matplotlib.pyplot as plt
\# Get the voltage data and sampling rate
voltage data = df['voltage'].values
sampling_rate = 1 / (df['duration'].diff().mean() / 1000) # Convert to Hz
# Perform STFT
f, t, Zxx = signal.stft(voltage_data, fs=sampling_rate, nperseg=256, noverlap=128)
\# Create a DataFrame to store all STFT data
# The shape of Zxx is (frequency bins, time points)
# We need to reshape the data correctly to avoid dimension mismatch
# Plot the STFT results as a spectrogram
plt.figure(figsize=(18, 6))
\verb|plt.pcolormesh(t, f, np.abs(Zxx), shading='gouraud')|
plt.colorbar(label='Magnitude')
plt.ylabel('Frequency (Hz)')
plt.xlabel('Time (s)')
plt.title('STFT Spectrogram of Voltage Data Overview')
plt.ylim([0, 0.07]) # Limit y-axis to 0-0.2 Hz
plt.tight layout()
plt.show()
# Get the voltage data and sampling rate
voltage_data = filtered_df['voltage'].values
sampling_rate = 1 / (filtered_df['duration'].diff().mean() / 1000) # Convert to Hz
# Perform STFT
f, t, Zxx = signal.stft(voltage_data, fs=sampling_rate, nperseg=256, noverlap=128)
# Create a DataFrame to store all STFT data
\mbox{\tt\#} The shape of Zxx is (frequency bins, time points)
\# We need to reshape the data correctly to avoid dimension mismatch
\mbox{\#} Plot the STFT results as a spectrogram
plt.figure(figsize=(18, 6))
plt.pcolormesh(t, f, np.abs(Zxx), shading='gouraud')
plt.colorbar(label='Magnitude')
plt.ylabel('Frequency (Hz)')
plt.xlabel('Time (s)')
plt.title('STFT Spectrogram of Voltage Data around sound situmilation')
plt.tight_layout()
plt.show()
\# Analyze the 0.02Hz frequency band before and after sound stimulation
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
# Find the closest frequency to 0.02Hz in the STFT results
target freq = 0.02
freq_idx = np.argmin(np.abs(f - target_freq))
actual\_freq = f[freq\_idx]
print(f''Analyzing \ frequency: \ \{actual\_freq:.4f\} \ Hz \ (closest \ to \ 0.02 \ Hz)'')
# Extract the magnitude data for this frequency
freq_magnitude = np.abs(Zxx[freq_idx, :])
# Create a time axis in minutes for better visualization
time_min = t / 60
```

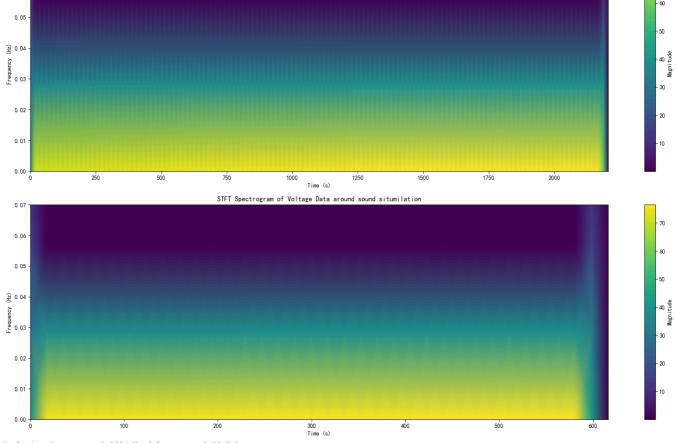
```
# Plot the magnitude of the 0.02Hz component over time
plt.figure(figsize=(18, 6))
# Plot the magnitude
plt.plot(time_min, freq_magnitude, 'b-', linewidth=2, label=f'{actual_freq:.4f} Hz Component')
# Find the time of sound stimulation (assuming it's at the center of the filtered data)
sound_time = t.mean()
sound_time_min = sound_time / 60
plt.axvline(x=sound_time_min, color='r', linestyle='--', label='Sound Stimulation (estimated)')
\# Calculate average magnitude before and after stimulation
\tt before\_mask = t < sound\_time
after_mask = t \ge sound_time
avg_before = np.mean(freq_magnitude[before_mask])
avg_after = np.mean(freq_magnitude[after_mask])
print(f"Average magnitude before stimulation: {avg_before:.4f}")
print(f''Average \quad magnitude \quad after \quad stimulation: \quad \{avg\_after:.\,4f\}'')
print(f''Change: \\ \{(avg\_after - avg\_before):.4f\} \\ (\{(avg\_after - avg\_before)/avg\_before*100:.2f\}\%)'')
# Add horizontal lines showing the average values
plt.axhline(y=avg_before, color='g', linestyle=':', label=f'Avg Before: {avg_before:.4f}')
plt.axhline(y=avg_after, color='m', linestyle=':', label=f'Avg After: {avg_after:.4f}')
# Add annotations
plt. \ annotate (f''Avg: \ \{avg\_before:.4f\}'', \ \ xy=(time\_min[len(time\_min)//4], \ \ avg\_before),
                        xytext=(time_min[len(time_min)//4], avg_before*1.1), color='g')
plt.annotate(f"Avg: {avg_after:.4f}", xy=(time_min[3*len(time_min)//4], avg_after),
                         xytext=(time_min[3*len(time_min)//4], avg_after*1.1), color='m')
# Set axis labels and title
plt.xlabel('Time (min)')
plt.ylabel('Magnitude')
plt.title(f'Magnitude of {actual freq:.4f} Hz Component Before and After Sound Stimulation')
plt.grid(True)
plt.legend()
plt.tight layout()
plt.show()
# Calculate energy (integral of magnitude squared) before and after stimulation
energy_before = np.sum(freq_magnitude[before_mask]**2)
energy_after = np.sum(freq_magnitude[after_mask]**2)
# Normalize by the number of samples to get average energy
num samples before = np. sum(before mask)
num_samples_after = np.sum(after_mask)
avg_energy_before = energy_before / num_samples_before
avg_energy_after = energy_after / num_samples_after
print("\nEnergy Analysis:")
print(f''Total \ energy \ before \ stimulation: \ \{energy\_before:.4f\}'')
print(f"Total energy after stimulation: {energy after:.4f}")
print(f"Average energy before stimulation: {avg_energy_before:.4f}")
print(f"Average energy after stimulation: {avg_energy_after:.4f}")
print(f"Energy change: {(avg energy after - avg energy before):.4f} ({(avg energy after - avg energy before)/avg energy before*100:.2f}%)")
# Power Spectral Density (PSD) Analysis
import \quad matplotlib.\, pyplot \quad as \quad plt
import numpy as np
\# Use the STFT data we already calculated earlier
# f, t, Zxx were calculated using signal.stft(voltage_data, fs=sampling_rate, nperseg=256, noverlap=128)
# Calculate power (magnitude squared)
power_matrix = np.abs(Zxx) ** 2
# Convert time to minutes for consistency with previous plots
time min = t / 60
# Define the stimulation time point (assuming same as before)
stim\_time = time\_min[len(time\_min) // 2]  # Middle point as stimulation time
# Create masks for before and after stimulation
before\_mask\_time \ = \ time\_min \ < \ stim\_time
after_mask_time = time_min > stim_time
# Calculate average PSD before and after stimulation
avg_psd_before = np.mean(power_matrix[:, before_mask_time], axis=1)
avg_psd_after = np.mean(power_matrix[:, after_mask_time], axis=1)
```

```
\# Plot the power spectral density comparison
plt.figure(figsize=(18, 6))
plt.plot(f, avg_psd_before, 'g-', label='Before Stimulation')
plt.plot(f, avg_psd_after, 'm-', label='After Stimulation')
\# Calculate and display the difference
psd_diff = avg_psd_after - avg_psd_before
plt.plot(f, psd_diff, 'b--', label='Difference (After - Before)')
# Set axis labels and title
plt.xlabel('Frequency (Hz)')
plt.ylabel('Power Spectral Density')
plt.title('Power Spectral Density Comparison Before and After Stimulation')
plt.grid(True)
plt.legend()
# Add text box with summary statistics
total_power_before = np.sum(avg_psd_before)
total_power_after = np.sum(avg_psd_after)
power\_change = (total\_power\_after - total\_power\_before) / total\_power\_before * 100
stats_text += f"Change: {power_change:.2f}%"
plt.annotate(stats_text, xy=(0.02, 0.95), xycoords='axes fraction',
                         bbox=dict(boxstyle="round, pad=0.5", fc="white", alpha=0.8))
plt.tight_layout()
plt.show()
# Print detailed statistics
print("\nPower Spectral Density Analysis:")
\verb|print(f''Total power before stimulation: {total\_power\_before:.4f}")|\\
print(f''Total \ power \ after \ stimulation: \ \{total\_power\_after:.4f\}'')
print (f''Absolute \ power \ change: \ \{total\_power\_after - total\_power\_before:.4f\}'')
print(f''Relative \ power \ change: \ \{power\_change:.2f\}\%'')
# Find frequency bands with the most significant changes
freq change percent = (avg psd after - avg psd before) / (avg psd before + 1e-10) * 100 # Avoid division by zero
significant_changes = pd.DataFrame({
        'Frequency': f,
       'Before': avg_psd_before,
       'After': avg_psd_after,
       'Absolute_Change': avg_psd_after - avg_psd_before,
'Percent_Change': freq_change_percent
})
# Display top 5 frequencies with largest increase and decrease
\label{lem:print("nTop 5 frequencies with largest power increase:")} \\
\verb|print(significant_changes.sort_values('Percent_Change', ascending=False). head(5))|
print("\nTop 5 frequencies with largest power decrease:")
print (significant\_changes. sort\_values ('Percent\_Change', \quad ascending=True). \\ head (5))
```



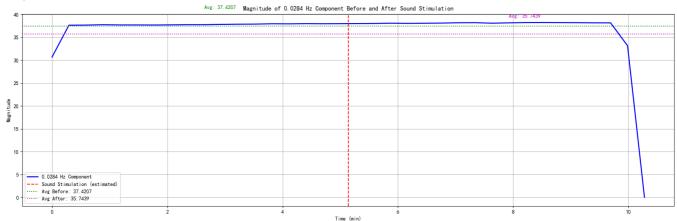
1200Hz Sine Wave 10s, Voltage: 75.99mV





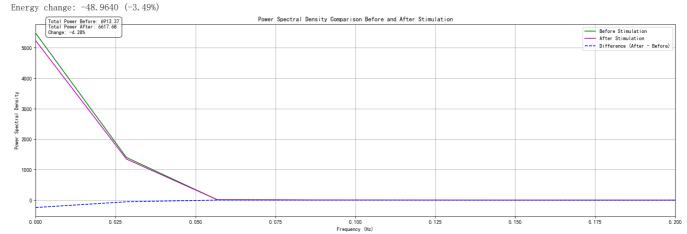
Analyzing frequency: 0.0284 Hz (closest to 0.02 Hz) Average magnitude before stimulation: 37.4207 Average magnitude after stimulation: 35.7439

Change: -1.6768 (-4.48%)



Energy Analysis:

Total energy before stimulation: 25254,0804 Total energy after stimulation: 24372,7281 Average energy before stimulation: 1403,0045 Average energy after stimulation: 1354,0404



rower Spectral Density Analysis:

Total power before stimulation: 6913.3675 Total power after stimulation: 6617.6767

Absolute power change: -295.6908 Relative power change: -4.28%

Top 5 frequencies with largest power increase:

	Frequency	Before	After	Absolute_Change	Percent_Change
128	3.632872	0.004753	0.005218	0.000465	9. 772296
27	0.766309	0.045205	0.049317	0.004112	9.095730
59	1.674527	0.010887	0.011875	0.000989	9.080019
60	1.702909	0.010620	0.011562	0.000942	8.869152
7	0.198673	0.651918	0.709447	0.057529	8. 824529

Top 5 frequencies with largest power decrease:

	Frequency	Before	After	Absolute_Change	Percent_Change
0	0.000000	5483. 214829	5239.903080	-243. 311749	-4. 437392
1	0.028382	1403.004465	1348.713306	-54. 291158	-3.869635
66	1.873199	0.009214	0.009764	0.000550	5. 969066
87	2.469217	0.006311	0.006695	0.000384	6.082194
4	0.113527	2, 271622	2, 411140	0.139518	6. 141787