

Compute Nested CES MPL Given Demand (CRS)

Testing the `bfw_crs_nested_ces_mpl` function from the [PrjLabEquiBFW Package](#). Given labor quantity demanded, using first-order relative optimality conditions, find the marginal product of labor given CES production function. Results match up with correct relative wages, but not wage levels. Takes as inputs share and elasticity parameters across layers of sub-nests, as well as quantity demanded at each bottom-most CES nest layer. Works with Constant Elasticity of Substitution problems with constant returns, up to four nest layers, and two inputs in each sub-nest. Allows for uneven branches, so that some branches go up to four layers, but others have less layers, works with BFW (2022) nested labor input problem.

Key Inputs and Outputs for `bfw_crs_nested_ces_mpl`

Here are the key inputs for the CES demand solver function:

- **CL_MN_PRHO** cell array of rho (elasticity) parameter between negative infinity and 1. For example, suppose there are four nest layers, and there are two branches at each layer, then we have 1, 2, 4, and 8 ρ parameter values at the 1st, 2nd, 3rd, and 4th nest layers: `size(CL_MN_PRHO{1}) = [1, 1]`, `size(CL_MN_PRHO{2}) = [1, 2]`, `size(CL_MN_PRHO{3}) = [2, 2]`, `size(CL_MN_PRHO{4}) = [2, 2, 2]`. Note that if the model has 4 nest layers, not all cells need to be specified, some branches could be deeper than others.
- **CL_MN_PSHARE** cell array of share (between 0 and 1) for the first input of the two inputs for each nest. The structure for this is similar to CL_MN_PRHO.
- **CL_MN_YZ_CHOICES** cell array of quantity demanded for the first and second inputs of the bottom-most layer of sub-nests. The last index in each element of the cell array indicates first (1) or second (2) quantities. For example, suppose we have four layers, with 2 branches at each layer, as in the example for CL_MN_PRHO, then we have 2, 4, 8, and 16 quantity values at the 1st, 2nd, 3rd, and 4th nest layers: `size(CL_MN_YZ_CHOICES{1}) = [1, 2]`, `size(CL_MN_YZ_CHOICES{2}) = [2, 2]`, `size(CL_MN_YZ_CHOICES{3}) = [2, 2, 2]`, `size(CL_MN_YZ_CHOICES{4}) = [2, 2, 2, 2]`. Note that only the last layer of quantities needs to be specified, in this case, the 16 quantities at the 4th layer. Given first order conditions, we solve for the 2, 4, and 8 aggregate quantities at the higher nest layers. If some branches are deeper than other branches, then can specify NA for non-reached layers along some branches.
- **BL_BFW_MODEL** boolean true by default if true then will output outcomes specific to the BFW 2022 problem.

Here are the key outputs for the CES demand solver function:

- **CL_MN_MPL_PRICE** has the same dimension as CL_MN_YZ_CHOICES, suppose there are four layers, the CL_MN_MPL_PRICE{4} results at the lowest layer includes wages that might be observed in the data. CL_MN_MPL_PRICE cell values at non-bottom layers include aggregate wages.
- **CL_MN_YZ_CHOICES** includes at the lowest layer observed wages, however, also includes higher layer aggregate solved quantities. CL_MN_PRHO and CL_MN_PSHARE are identical to inputs.

Single Nest Layer Two Inputs CES Problem (MPL)

In this first example, we solve a constant returns to scale problem with a single nest, meaning just two inputs and a single output.

```

clc;
close all;
clear all;

% rho = 0.5, 1/(1-0.5)=2, elasticity of substitution of 2
cl_mn_prho = {[0.1]};
% equal share, similar "productivity"
cl_mn_pshare = {[0.5]};
% levels of the two inputs, Values picked from demand problem parallel
% example.
cl_mn_yz_choices = {[0.67537, 1.4589]};
% print option
bl_verbose = true;
mp_func = bfw_mp_func_demand();
bl_bfw_model = false;
[cl_mn_yz_choices, cl_mn_mpl_price] = ...
    bfw_crs_nested_ces_mpl(cl_mn_prho, cl_mn_pshare, cl_mn_yz_choices, ...
    mp_func, bl_verbose, bl_bfw_model);

```

```

-----
XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
CONTAINER NAME: mp_container_map ND Array (Matrix etc)
XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX

```

	i	idx	ndim	numel	rowN	colN	sum	mean	std	coefvari	min
mpl_price_c1	1	1	2	2	1	2	1.0678	0.53388	0.25168	0.47141	0.35592
yz_c1	2	4	2	2	1	2	2.1343	1.0671	0.55404	0.51918	0.67537

```

xxx TABLE:mpl_price_c1 XXXXXXXXXXXXXXXXXXXXX
      c1      c2
      ----      ----
r1    0.71184    0.35592

xxx TABLE:yz_c1 XXXXXXXXXXXXXXXXXXXXXXXX
      c1      c2
      ----      ----
r1    0.67537    1.4589

-----
XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
CONTAINER NAME: mp_container_map Scalars
XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX

```

	i	idx	value
prho_c1	1	2	0.1
pshare_c1	2	3	0.5

Single Nest Layer Two Inputs CES Problem, Vary Share and Elasticity (MPL)

In this second example, we test over different rho values, explore optimal relative choices, as share and elasticity change. In this exercise, we also check, at every combination of rho and share parameter, whether the

FOC condition is satisfied by the optimal choices. Also check if at the optimal choices, the minimization output requirement is met.

```
% Approximately close function
rel_tol=1e-09;
abs_tol=0.0;
if_is_close = @(a,b) (abs(a-b) <= max(rel_tol * max(abs(a), abs(b)), abs_tol));

% Input 1 and 2 fixed
fl_x_1 = 0.95;
fl_x_2 = 1.05;

% Define share and rho arrays
ar_pshare = linspace(0.1, 0.9, 9);
ar_prho = 1 - 10.^(linspace(-2, 2, 30));
% Loop over share and rho values
mt_rela_opti = NaN([length(ar_pshare), length(ar_prho)]);
mt_rela_wage = NaN([length(ar_pshare), length(ar_prho)]);
for it_pshare_ctr = 1:length(ar_pshare)
    for it_prho_ctr = 1:length(ar_prho)

        % A. Parameters
        % rho
        fl_prho = ar_prho(it_prho_ctr);
        cl_mn_prho = {[fl_prho]};
        % share
        fl_pshare = ar_pshare(it_pshare_ctr);
        cl_mn_pshare = {[fl_pshare]};
        % wages for the two inputs, identical wage
        % Note that if chosee {[1,1]} below, log(1/1) = log(1) = 0,
        % elasticity does not matter.
        cl_mn_yz_choices = {[fl_x_1, fl_x_2]};
        % print option
        bl_verbose = false;

        % B. Call function
        [cl_mn_yz_choices, cl_mn_mpl_price] = ...
            bfw_crs_nested_ces_mpl(cl_mn_prho, cl_mn_pshare, cl_mn_yz_choices, ...
            mp_func, bl_verbose, bl_bfw_model);
        % Store results for mpl given input choices
        fl_mpl_x1 = cl_mn_mpl_price{1}(1);
        fl_mpl_x2 = cl_mn_mpl_price{1}(2);
        mt_rela_wage(it_pshare_ctr, it_prho_ctr) = log(fl_mpl_x1/fl_mpl_x2);
    end
end
```

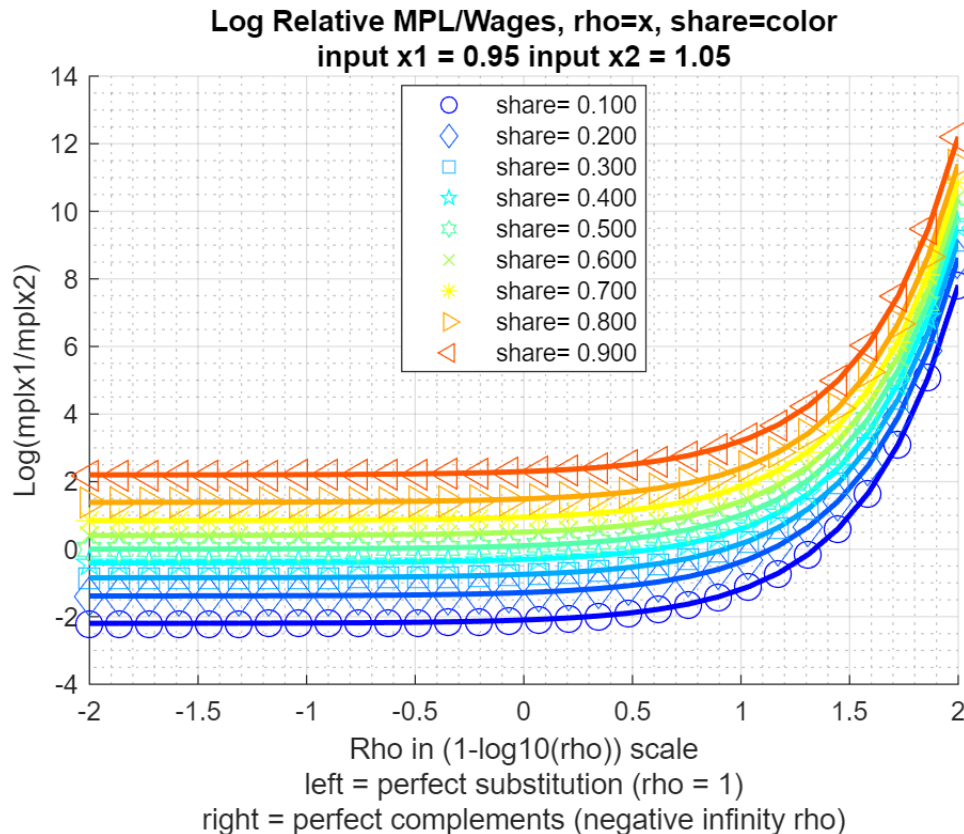
Key results: (1) As share parameter of input 1 goes to zero, input 1 is less productive, and the $\log(\text{mpl}_x1/\text{mpl}_x2)$ ratio is lower. (2) Because x_2 input in this example is larger than x_1 input, so as two inputs become more inelastic (more leontief), relative MPL for the lower level input is now larger. At the Leontief extreme, the MPL of the input provided at lower level is infinity.

```
% Visualize
% Generate some Data
```

```

rng(456);
ar_row_grid = ar_pshare;
ar_col_grid = log(1-ar_prho)/log(10);
rng(123);
mt_value = mt_rela_wage;
% container map settings
mp_support_graph = containers.Map('KeyType', 'char', 'ValueType', 'any');
mp_support_graph('cl_st_graph_title') = {...
    ['Log Relative MPL/Wages, rho=x, share=color'] ...
    ['input x1 = ' num2str(fl_x_1) ' input x2 = ' num2str(fl_x_2)]
};
mp_support_graph('cl_st_ytitle') = {'Log(mplx1/mplx2)'};
mp_support_graph('cl_st_xtitle') = {'Rho in (1-log10(rho)) scale', ...
    'left = perfect substitution (rho = 1)', ...
    'right = perfect complements (negative infinity rho)'};
mp_support_graph('st_legend_loc') = 'best';
mp_support_graph('bl_graph_logy') = false; % do not log
mp_support_graph('st_rowvar_name') = 'share=';
mp_support_graph('it_legend_select') = 5; % how many shock legends to show
mp_support_graph('st_rounding') = '6.3f'; % format shock legend
mp_support_graph('cl_colors') = 'jet'; % any predefined matlab colormap
% Call function
ff_graph_grid(mt_value, ar_row_grid, ar_col_grid, mp_support_graph);

```



Doubly Nest Layer Two Inputs Each Sub-nest CES Problem

In this third example, solve for optimal choices for a doubly nested problem. Below, we first solve for the optimal choices, then we do a number of checks, to make sure that the solutions are correct, as expected.

```
% output requirement
fl_yz = 2.1;
% upper nest 0.1, lower nests 0.35 and -1 separately for rho values
cl_mn_prho = {[0.1], [0.35, -1]};
% unequal shares of share values
cl_mn_pshare = {[0.4], [0.3, 0.88]};
% differential wages
% in lower-left nest, not productive and very expensive, not very elastic
% last index for left or right. Values picked from demand problem parallel
% example.
cl_mn_yz_choices = {[nan, nan], [0.04789, 6.0934; 2.2044, 0.70496]};
% print option
bl_verbose = true;
[cl_mn_yz_choices, cl_mn_mpl_price] = ...
    bfw_crs_nested_ces_mpl(cl_mn_prho, cl_mn_pshare, cl_mn_yz_choices, ...
    mp_func, bl_verbose, bl_bfw_model);
```

```
-----
XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
CONTAINER NAME:mp_container_map ND Array (Matrix etc)
XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
```

	i	idx	ndim	numel	rowN	colN	sum	mean	std	coefvari	min
	—	—	—	—	—	—	—	—	—	—	—
mpl_price_c1	1	1	2	2	1	2	1.0206	0.51032	0.27499	0.53886	0.31587
mpl_price_c2	2	2	2	4	2	2	2.3618	0.59045	0.5082	0.86069	0.13121
prho_c2	3	4	2	2	1	2	-0.65	-0.325	0.95459	-2.9372	-1.7562
pshare_c2	4	6	2	2	1	2	1.18	0.59	0.41012	0.69512	0.31587
yz_c1	5	7	2	2	1	2	4.4862	2.2431	0.68863	0.307	1.7562
yz_c2	6	8	2	4	2	2	9.0507	2.2627	2.7086	1.1971	0.04789

```
xxx TABLE:mpl_price_c1 xxxxxxxxxxxxxxxxxxxx
```

	c1	c2
	—	—
r1	0.31587	0.70476

```
xxx TABLE:mpl_price_c2 xxxxxxxxxxxxxxxxxxxx
```

	c1	c2
	—	—
r1	1.3121	0.13121
r2	0.39362	0.52484

```
xxx TABLE:prho_c2 xxxxxxxxxxxxxxxxxxxx
```

	c1	c2
	—	—
r1	0.35	-1

```
xxx TABLE:pshare_c2 xxxxxxxxxxxxxxxxxxxx
```

	c1	c2
	—	—
r1	0.3	0.88

```
xxx TABLE:yz_c1 xxxxxxxxxxxxxxxxxxxx
```

	c1	c2
r1	2.73	1.7562

```

xxx TABLE:yz_c2 xxxxxxxxxxxxxxxxxxxxxx
      c1      c2
      ----      ----
r1    0.04789    6.0934
r2    2.2044    0.70496

```

```

-----
XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
CONTAINER NAME: mp_container_map Scalars
XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
      i      idx      value
      -      -      ----
prho_c1    1      3      0.1
pshare_c1  2      5      0.4

```

```

% there are four optimal choices, they are
fl_mpl_x11 = cl_mn_mpl_price{2}(1,1);
fl_mpl_x12 = cl_mn_mpl_price{2}(1,2);
fl_mpl_x21 = cl_mn_mpl_price{2}(2,1);
fl_mpl_x22 = cl_mn_mpl_price{2}(2,2);
% display
st_print = strjoin(...
    ["completed double nest test:", ...
    ['nest 1 input 1, fl_mpl_x11=' num2str(fl_mpl_x11)], ...
    ['nest 1 input 2, fl_mpl_x12=' num2str(fl_mpl_x12)], ...
    ['nest 2 input 1, fl_mpl_x21=' num2str(fl_mpl_x21)], ...
    ['nest 2 input 2, fl_mpl_x22=' num2str(fl_mpl_x22)], ...
    ['nest 1 input 1, fl_mpl_x11/fl_mpl_x11=' num2str(fl_mpl_x11/fl_mpl_x11)], ...
    ['nest 1 input 2, fl_mpl_x12/fl_mpl_x11=' num2str(fl_mpl_x12/fl_mpl_x11)], ...
    ['nest 2 input 1, fl_mpl_x21/fl_mpl_x11=' num2str(fl_mpl_x21/fl_mpl_x11)], ...
    ['nest 2 input 2, fl_mpl_x22/fl_mpl_x11=' num2str(fl_mpl_x22/fl_mpl_x11)], ...
    ], ";");
st_out = st_print;
ar_ch_out = char(strsplit(st_print, ";"));
disp(ar_ch_out);

```

```

completed double nest test:
nest 1 input 1, fl_mpl_x11=1.3121
nest 1 input 2, fl_mpl_x12=0.13121
nest 2 input 1, fl_mpl_x21=0.39362
nest 2 input 2, fl_mpl_x22=0.52484
nest 1 input 1, fl_mpl_x11/fl_mpl_x11=1
nest 1 input 2, fl_mpl_x12/fl_mpl_x11=0.099995
nest 2 input 1, fl_mpl_x21/fl_mpl_x11=0.29998
nest 2 input 2, fl_mpl_x22/fl_mpl_x11=0.39999

```

BFW (2022) Nested Three Branch (Four Layer) Problem (MPL)

The model BFW 2022 has three branches and four layers. one of the branches go down only three layers, the other two branches go down four layers.

First, we prepare the various inputs:

```
% Controls
bl_verbose = true;
bl_bfw_model = true;

% Given rho and beta, solve for equilibrium quantities
mp_func = bfw_mp_func_demand();

% Following instructions in: PrjFLFPMexicoBFW\solvedemand\README.md

% Nests/layers
it_nests = 4;

% Input cell of mn matrixes
it_prho_cl = 1;
it_pshare_cl = 2;
it_yz_share_cl = 3;
for it_cl_ctr = [1,2,3]

    cl_mn_cur = cell(it_nests,1);

    % Fill each cell element with NaN mn array
    for it_cl_mn = 1:it_nests

        bl_yz_share = (it_cl_ctr == it_yz_share_cl);

        if (~bl_yz_share && it_cl_mn == 1)
            mn_nan = NaN;
        elseif (~bl_yz_share && it_cl_mn == 2) || (bl_yz_share && it_cl_mn == 1)
            mn_nan = [NaN, NaN];
        elseif (~bl_yz_share && it_cl_mn == 3) || (bl_yz_share && it_cl_mn == 2)
            mn_nan = NaN(2,2);
        elseif (~bl_yz_share && it_cl_mn == 4) || (bl_yz_share && it_cl_mn == 3)
            mn_nan = NaN(2,2,2);
        elseif (~bl_yz_share && it_cl_mn == 5) || (bl_yz_share && it_cl_mn == 4)
            mn_nan = NaN(2,2,2,2);
        elseif (~bl_yz_share && it_cl_mn == 6) || (bl_yz_share && it_cl_mn == 5)
            mn_nan = NaN(2,2,2,2,2);
        end
        cl_mn_cur{it_cl_mn} = mn_nan;
    end

    % Name cell arrays
    if (it_cl_ctr == it_prho_cl)
        cl_mn_prho = cl_mn_cur;
    elseif (it_cl_ctr == it_pshare_cl)
        cl_mn_pshare = cl_mn_cur;
    elseif (it_cl_ctr == it_yz_share_cl)
        cl_mn_yz_choices = cl_mn_cur;
    end
end

% Initialize share matrix
```

```

rng(123);
for it_cl_mn = 1:it_nests
    mn_pshare = cl_mn_pshare{it_cl_mn};
    if it_cl_mn == 4
        mn_pshare(2, :, :) = rand(2, 2);
    else
        mn_pshare = rand(size(mn_pshare));
    end
    cl_mn_pshare{it_cl_mn} = mn_pshare;
end

% Initialize rho matrix
rng(456);
for it_cl_mn = 1:it_nests
    mn_prho = cl_mn_prho{it_cl_mn};
    if it_cl_mn == 4
        mn_prho(2, :, :) = rand(2, 2);
    else
        mn_prho = rand(size(mn_prho));
    end
    % Scalling rho between 0.7500 and -3.0000
    % 1 - 2.^(linspace(-2, 2, 5))
    mn_prho = 1 - 2.^(mn_prho*(4) - 2);
    cl_mn_prho{it_cl_mn} = mn_prho;
end

% Initialize quantities matrix
rng(789);
for it_cl_mn = 1:it_nests
    mn_yz_choices = cl_mn_yz_choices{it_cl_mn};
    if it_cl_mn == 3
        mn_yz_choices(1, :, :) = rand(2, 2);
    elseif it_cl_mn == 4
        mn_yz_choices(2, :, :, :) = rand(2, 2, 2);
    end
    % Scalling quantities between 3 amd 5
    mn_yz_choices = mn_yz_choices*(2) + 3;
    cl_mn_yz_choices{it_cl_mn} = mn_yz_choices;
end

% Initialize yz matrix
rng(101112);

```

Second, display created inputs:

```
celldisp(cl_mn_prho);
```

```

cl_mn_prho{1} =
    0.5017

```

```

cl_mn_prho{2} =

```


0.6071 -1.1955

cl_mn_rho{3} =

-1.3523 -0.3346
-0.4167 -1.9136

cl_mn_rho{4} =

(:,:,1) =

NaN NaN
-1.0512 0.5869

(:,:,2) =

NaN NaN
0.6209 0.1633

```
celldisp(cl_mn_pshare);
```

cl_mn_pshare{1} =

0.6965

cl_mn_pshare{2} =

0.2861 0.2269

cl_mn_pshare{3} =

0.5513 0.4231
0.7195 0.9808

cl_mn_pshare{4} =

(:,:,1) =

NaN NaN
0.6848 0.4809

(:,:,2) =

NaN NaN
0.3921 0.3432

```
celldisp(cl_mn_yz_choices);
```

```
cl_mn_yz_choices{1} =
```

```
NaN NaN
```

```
cl_mn_yz_choices{2} =
```

```
NaN NaN  
NaN NaN
```

```
cl_mn_yz_choices{3} =
```

```
(:,:,1) =
```

```
3.6467 3.4605  
NaN NaN
```

```
(:,:,2) =
```

```
4.5876 4.2488  
NaN NaN
```

```
cl_mn_yz_choices{4} =
```

```
(:,:,1,1) =
```

```
NaN NaN  
4.9508 4.5178
```

```
(:,:,2,1) =
```

```
NaN NaN  
3.0212 3.0495
```

```
(:,:,1,2) =
```

```
NaN NaN  
3.2221 4.0763
```

```
(:,:,2,2) =
```

```
NaN NaN  
3.0909 4.1031
```

Third, call function and solve for optimal demand:

```
% Call function
```

```
[cl_mn_yz_choices, cl_mn_mpl_price] = ...  
    bfw_crs_nested_ces_mpl(cl_mn_rho, cl_mn_pshare, cl_mn_yz_choices, ...  
    mp_func, bl_verbose, bl_bfw_model);
```

```
-----  
XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX  
CONTAINER NAME: mp_container_map ND Array (Matrix etc)  
XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX
```

	i	idx	ndim	numel	rowN	colN	sum	mean	std	coefvari
mpl_price_c1	1	1	2	2	1	2	1.0002	0.5001	0.28686	0.57362
mpl_price_c2	2	2	2	4	2	2	1.0009	0.25022	0.17949	0.71731
mpl_price_c3	3	3	3	8	2	4	1.0088	0.1261	0.10191	0.80822
mpl_price_c4	4	4	4	16	2	8	NaN	NaN	NaN	NaN
prho_c2	5	6	2	2	1	2	-0.58844	-0.29422	1.2746	-4.3323
prho_c3	6	7	2	4	2	2	-4.0173	-1.0043	0.76195	-0.75868
prho_c4	7	8	3	8	2	4	NaN	NaN	NaN	NaN
pshare_c2	8	10	2	2	1	2	0.51299	0.2565	0.041923	0.16344
pshare_c3	9	11	2	4	2	2	2.6747	0.66866	0.24087	0.36023
pshare_c4	10	12	3	8	2	4	NaN	NaN	NaN	NaN
yz_c1	11	13	2	2	1	2	8.0897	4.0448	0.173	0.04277
yz_c2	12	14	2	4	2	2	16.015	4.0039	0.19166	0.04787
yz_c3	13	15	3	8	2	4	31.235	3.9044	0.51337	0.13149
yz_c4	14	16	4	16	2	8	NaN	NaN	NaN	NaN

```
xxx TABLE:mpl_price_c1 XXXXXXXXXXXXXXXXXXXX  
    c1      c2
```

r1	0.70294	0.29725
----	---------	---------

```
xxx TABLE:mpl_price_c2 XXXXXXXXXXXXXXXXXXXX  
    c1      c2
```

r1	0.19946	0.50351
r2	0.080381	0.21754

```
xxx TABLE:mpl_price_c3 XXXXXXXXXXXXXXXXXXXX  
    c1      c2      c3      c4
```

r1	0.13727	0.24893	0.065108	0.25809
r2	0.050551	0.21139	0.031132	0.0063057

```
xxx TABLE:mpl_price_c4 XXXXXXXXXXXXXXXXXXXX  
    c1      c2      c3      c4      c5      c6      c7      c8
```

r1	NaN	NaN	NaN	NaN	NaN	NaN	NaN
r2	0.02507	0.099481	0.012272	0.0025507	0.027845	0.11203	0.018861

```
xxx TABLE:prho_c2 XXXXXXXXXXXXXXXXXXXX  
    c1      c2
```

r1	0.60709	-1.1955
----	---------	---------

xxx TABLE:prho_c3 xxxxxxxxxxxxxxxxxxxx

	<u>c1</u>	<u>c2</u>
r1	-1.3523	-0.33464
r2	-0.41668	-1.9136

xxx TABLE:prho_c4 xxxxxxxxxxxxxxxxxxxx

	<u>c1</u>	<u>c2</u>	<u>c3</u>	<u>c4</u>
r1	NaN	NaN	NaN	NaN
r2	-1.0512	0.58694	0.62089	0.16334

xxx TABLE:pshare_c2 xxxxxxxxxxxxxxxxxxxx

	<u>c1</u>	<u>c2</u>
r1	0.28614	0.22685

xxx TABLE:pshare_c3 xxxxxxxxxxxxxxxxxxxx

	<u>c1</u>	<u>c2</u>
r1	0.55131	0.42311
r2	0.71947	0.98076

xxx TABLE:pshare_c4 xxxxxxxxxxxxxxxxxxxx

	<u>c1</u>	<u>c2</u>	<u>c3</u>	<u>c4</u>
r1	NaN	NaN	NaN	NaN
r2	0.68483	0.48093	0.39212	0.34318

xxx TABLE:yz_c1 xxxxxxxxxxxxxxxxxxxx

	<u>c1</u>	<u>c2</u>
r1	3.9225	4.1672

xxx TABLE:yz_c2 xxxxxxxxxxxxxxxxxxxx

	<u>c1</u>	<u>c2</u>
r1	4.0073	3.8887
r2	3.8468	4.2727

xxx TABLE:yz_c3 xxxxxxxxxxxxxxxxxxxx

	<u>c1</u>	<u>c2</u>	<u>c3</u>	<u>c4</u>
r1	3.6467	3.4605	4.5876	4.2488
r2	4.23	4.2863	3.0635	3.7118

xxx TABLE:yz_c4 xxxxxxxxxxxxxxxxxxxx

	<u>c1</u>	<u>c2</u>	<u>c3</u>	<u>c4</u>	<u>c5</u>	<u>c6</u>	<u>c7</u>	<u>c8</u>
r1	NaN	NaN	NaN	NaN	NaN	NaN	NaN	NaN
r2	4.9508	4.5178	3.0212	3.0495	3.2221	4.0763	3.0909	4.1031

xx
CONTAINER NAME: mp_container_map Scalars

XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX

	i	idx	value
	—	—	—
prho_c1	1	5	0.50172
pshare_c1	2	9	0.69647