

Statistical Plot

Pattabiraman V

Data Concepts

Vector:

Sequence of data elements of the same type

Each element of the vector are also called components, members, or values

Created in R using `c()`

Dataframe:

A list of vectors of identical lengths

Example: iris

Variable:

A trait or condition that can exist in different quantities or types

We measure the impacts of *independent* predictor variables on *dependent* response variables

Data Concepts

Continuous Data:

Numeric data which is not restricted to certain values - there are an infinite number of possible values

Discrete Data: Numeric data which is restricted to certain values - for example, number of kids (or trees, or animals) has to be a whole integer

Categorical Data: Data which can only exist as one of a specific set of values - for example, house color or zip code

Binned numeric data (e.g. “between 1 and 2 inches”) is typically categorical

Binary Data: Categorical data where the only values are 0 and 1

Often used in situations where a “hit” - an animal getting trapped, a customer clicking a link, etc - is a 1, and no hit is a 0

Ordinal Data: A type of categorical data where each value is assigned a level or rank

Useful with binned data, but also in graphing to rearrange the order categories are drawn

Referred to in R as “factors”

Data Concepts

Unstructured Data: Data without a strict format, typically composed of text

R used to deal with unstructured data by converting it to factors; while this isn't necessary anymore, some functions still require text data to be in factor form

Data Distribution: How often every possible value occurs in a dataset

Usually shown as a curved line on a graph, or a histogram

Normal Distribution: Data where mean = median, 2/3 of the data are within one standard deviation of the mean, 95% of the data are within two SD and 97% are within 3.

Many statistical analyses assume your data are normally distributed

Many datasets - especially in nature - aren't

Data Concepts

Unstructured Data: Data without a strict format, typically composed of text

R used to deal with unstructured data by converting it to factors; while this isn't necessary anymore, some functions still require text data to be in factor form

Data Distribution: How often every possible value occurs in a dataset
Usually shown as a curved line on a graph, or a histogram

Normal Distribution: Data where mean = median, 2/3 of the data are within one standard deviation of the mean, 95% of the data are within two SD and 97% are within 3.

Many statistical analyses assume your data are normally distributed

Many datasets - especially in nature - aren't

Skewed Distribution: Data where the median does not equal the mean

A left-skewed distribution has a long tail on the left side of the graph, while a right-skewed distribution has a long tail to the right

Named after the tail and not the peak of the graph, as values in that tail occur more often than would be expected with a normal distribution

Statistical Terms

Estimate: A statistic calculated from your data

Called an estimate as we are approximating population-level values from sample data

Synonym: metric

Hypothesis Testing: Comparing the null hypothesis (typically, that two quantities are equivalent) to an alternative hypothesis

The alternative hypothesis in a two-tailed test is that the quantities are different, while the alternative hypothesis in a one-tailed test is that one quantity is larger or smaller than the other

Almost never used in business, as the important question is usually not *does x cause y* but *can x predict y*

p Value: The probability of seeing an effect of the same size as our results given a random model
High p values often mean your independent variables are irrelevant, but low p values don't mean they're important - that judgement requires a rational justification, and examining the effect size and importance. Otherwise you're just equating correlation and causation.

The 0.05 thing is from a single sentence, taken out of context, from a book published in 1925.
There's no reason to set a line in the sand for "significance" - 0.05 means that there's a 1 in 20 probability your result could be random chance, and 0.056 means it's 1 in 18. Those are almost identical odds.

Some journals have banned their use altogether, but others still will only accept "significant" results

Statement from the American Statistical Association:

A p value, or statistical significance, does not measure the size of an effect or the importance of a result. By itself, a p value does not provide a good measure of evidence about a model or a hypothesis.

"Robust" A term meaning an estimate is less susceptible to outliers

Means are not robust, while medians are, for instance.

Statistical Terms

Regression:

A method to analyze the impacts of independent variables on a dependent variable

ANOVA and models are both types of regression analyses

General Linear Model:

Formulas representing the expected value of a response variable for given values of one or more predictors

The typical $y = mx + b$ format of model

Sometimes abbreviated GLM; R uses `lm()` to construct these

Generalized Linear Model:

Depending who you ask, these may or may not be linear models - they tweak the normal formula in one way or another to measure outcomes that general linear models can't address

In this course, we'll only be using **logistic models**

Sometimes abbreviated GLM; R uses `glm()` to construct these

Estimates and Statistics

N

The number of observations of a dataset or level of a categorical.

In R, run `nrow(dataframe)` or `length(Vector)` to calculate.

To calculate by group, run `count(Data, GroupingVariable)`

Examples: `nrow(iris)`, `length(iris$Sepal.Length)`, `count(iris, Species)`

Mean: The average of a dataset, defined as the sum of all observations divided by the number of observations.

In R, run `mean(Vector)` to calculate.

Example: `mean(iris$Sepal.Length)`

Trimmed Mean: The mean of a dataset with a certain proportion of data not included

The highest and lowest values are trimmed - for instance, the 10% trimmed mean will use the middle 80% of your data

`mean(Vector, trim = 0.##)`

`mean(iris$Sepal.Length, trim = 0.10)`

Variance: A measure of the spread of your data.

`var(Vector)`

`var(iris$Sepal.Length)`

Standard Deviation: The amount any observation can be expected to differ from the mean.

`sd(Vector)`

`sd(iris$Sepal.Length)`

R- Statistic code

```
nrow(iris)
```

```
length(iris$Sepal.Length)
```

```
mean(iris$Sepal.Length)
```

```
mean(iris$Sepal.Length, trim = 0.10)
```

```
var(iris$Sepal.Length)
```

```
sd(iris$Sepal.Length)
```

```
sd(iris$Sepal.Length)/sqrt(length(iris$Sepal.Length))
```

```
mad(iris$Sepal.Length)
```

```
median(iris$Sepal.Length)
```

R- Statistic code

Details

```
min(iris$Sepal.Length)
```

```
max(iris$Sepal.Length)
```

```
max(iris$Sepal.Length) - min(iris$Sepal.Length)
```

```
quantile(iris$Sepal.Length, c(0.25, 0.5, 0.75))
```

```
IQR(iris$Sepal.Length)
```

```
cor(iris$Sepal.Length, iris$Sepal.Width, method = "pearson")
```

```
cor.test(iris$Sepal.Length, iris$Sepal.Width, method =  
"pearson")
```

```
lm(Sepal.Length ~ Species, data = iris)
```

```
model <- lm(Sepal.Length ~ Species, data = iris)
```

```
anova(model)
```

```
model <- lm(Sepal.Length ~ Species, iris)
```

```
summary(model)
```

Example Plot

Consider the Orange dataset, which is automatically included in R. Note that the O is capitalized!

1. Look at Orange using either `head` or `as.tibble()` (you'll have to run `library(tidyverse)` for that second option). What type of data are each of the columns?
2. Find the mean, standard deviation, and standard error of tree circumference.
3. Make a linear model which describes circumference (the response) as a function of age (the predictor). Save it as an object with `<-`, then print the object out by typing its name. What do those coefficients mean?
4. Make another linear model describing age as a function of circumference. Save this as a different object.
5. Call `summary()` on both of your model objects. What do you notice?
6. Does this mean that trees growing makes them get older? Does a tree getting older make it grow larger? Or are these just correlations?
7. Does the significant p value prove that trees growing makes them get older? Why not?

Thank you