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Department of Computer Science & Technology
8th Semester Artificial Intelligence Laboratory 2025
CS 4271

1. A disaster has struck a **futuristic smart city**, and your task is to develop an **AI-powered drone navigation system** to **rescue stranded survivors**. The drone must **autonomously navigate through the city**, avoiding obstacles like collapsed buildings and fire zones while optimizing for the fastest route (equivalent to minimum energy consumption).

Your objective is to implement the *A Search Algorithm** to guide the drone from its **starting position (S)** to **rescue multiple survivors (G_1, G_2, \dots, G_n) (intermediate states)** and **return to base (B) (treated as goal state)** while minimizing energy consumption and ensuring safe traversal.

Grid Representation of the City (State Space Representation of the City):

The smart city is represented as a **3D grid** where each (x, y, z) coordinate defined as: (x, y) in the 2D coordinate and z values is the depth of flying at different levels. Each of the depth ' z ' is represented by different notations as:

- **Roads & Open Spaces (0)** → The drone can fly here.
 - **Buildings/Collapsed Structures (1)** → The drone **cannot** pass through.
 - **Fire Zones (F)** → High-risk zones. Passing through **incurs an extra cost**.
 - **Survivor Locations (G_1, G_2, \dots, G_n)** → The drone must **visit and rescue them**.
 - **Recharging Stations (R)** → The drone can **stop and recharge energy** if needed.
 - **Base Station (B)** → The drone must **return here after completing the mission**.
 - **Drone's Start Position (S)** → Where the drone begins.
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Drone Movement and Cost Considerations:

- a) **The drone moves in 3D space:**
 - **Up** $(x, y, z+1)$, **Down** $(x, y, z-1)$,
 - **North** $(x-1, y, z)$, **South** $(x+1, y, z)$,
 - **East** $(x, y+1, z)$, **West** $(x, y-1, z)$.
 - **Diagonal movements** (like flying at an angle) **are not allowed** for simplicity.
- b) **Energy Consumption Factor:**
 - Moving through **clear space (0)** costs **1 energy unit**.
 - Moving through **fire zones (F)** costs **3 energy units** due to turbulence.
 - Moving **upwards ($z+1$)** costs **extra 2 energy units**, while descending $(z-1)$ costs **1 energy unit**.
- c) **Objective:**
 - The drone **must rescue all survivors** before returning to base (B).
 - The **optimal path minimizes total energy consumption**.

- If needed, the drone can **recharge at (R)**, but stopping at a station adds a **fixed time penalty**.
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Example Grid Input (5×5×3):

Layer 0 (Ground Level) :

```
S  0  1  0  0
0  F  1  1  G1
F  0  0  0  F
R  1  1  1  0
B  0  1  0  G2
```


Layer 1 (Mid Level) :




```
0  0  1  0  0
0  1  1  0  0
F  0  0  0  1
0  1  1  1  0
0  0  0  0  0
```

Layer 2 (Sky Level) :

```
1  0  0  0  0
0  F  0  1  0
0  0  1  0  F
0  0  0  0  0
0  1  0  0  1
```

Optimal Path Using A*:

1. Start at (0,0,0) → "S"
2. Move to (0,1,0) → Free space (1 energy)
3. Move to (0,1,1) → Climb to Mid Level (2 energy)
4. Move to (0,2,1) → Free space (1 energy)
5. Move to (1,2,1) → Free space (1 energy)
6. Move to (1,3,1) → Free space (1 energy)
7. Move to (1,4,1) → Free space (1 energy)
8. Move to (1,4,0) → Descend to Ground Level, Rescue G1  (1 energy)
9. Move to (2,4,0) → Free space (1 energy)
10. Move to (3,4,0) → Free space (1 energy)
11. Move to (3,3,1) → Climb to Mid Level (2 energy)

12. Move to (3,2,2) → Climb to Sky Level (2 energy)
 13. Move to (4,2,2) → Free space (1 energy)
 14. Move to (4,3,2) → Free space (1 energy)
 15. Move to (4,4,2) → Free space (1 energy)
 16. Move to (4,4,1) → Descend to Mid Level (1 energy)
 17. Move to (4,4,0) → Descend to Ground Level, Rescue G2  (1 energy)
 18. Move to (4,3,0) → Free space (1 energy)
 19. Move to (4,2,0) → Free space (1 energy)
 20. Move to (3,1,0) → Free space (1 energy)
 21. Move to (3,0,0) → Recharge at (R)  (1 energy)
 22. Move to (3,0,1) → Climb to Mid Level (2 energy)
 23. Move to (3,1,1) → Free space (1 energy)
 24. Move to (3,2,1) → Free space (1 energy)
 25. Move to (3,3,1) → Free space (1 energy)
 26. Move to (3,3,0) → Descend to Ground Level (1 energy)
 27. Move to (4,2,0) → Free space (1 energy)
 28. Move to (4,1,0) → Free space (1 energy)
 29. Move to (4,0,0) → Base B  (1 energy)
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Energy Consumption Calculation:

- Moving through free space: $12 \times 1 \text{ energy} = 12 \text{ units}$
- Moving through fire zones: 0 (avoided!)
- Climbing (z+1): $3 \times 2 \text{ energy} = 6 \text{ units}$
- Descending (z-1): $4 \times 1 \text{ energy} = 4 \text{ units}$
- Using recharging station (R): No energy used, but incurs time penalty.
- **Total Energy Used: 23 units**

Final Summary:

Optimal Path: (0,0,0) → (0,1,0) → (0,1,1) → (0,2,1) → (1,2,1) → (1,3,1) → (1,4,1) → (1,4,0) → (2,4,0) → (3,4,0) → (3,3,1) → (3,2,2) → (4,2,2) → (4,3,2) → (4,4,2) → (4,4,1) → (4,4,0) → (4,3,0) → (4,2,0) → (3,1,0) → (3,0,0) (Recharge) → (3,0,1) → (3,1,1) → (3,2,1) → (3,3,1) → (3,3,0) → (4,2,0) → (4,1,0) → (4,0,0)

Total Energy Consumption: **23 units**

Rescue Status: **G1** ✓, **G2** ✓

Recharge Status: **Recharged at (3,0,0)** ✓

Mission Completion: **Success! The drone returned to base B!** ✓

Implementation Guidelines:

- a) Use *A search algorithm** to compute the most energy-efficient path.
- b) **Priority Queue (Min-Heap)** should be used to store nodes with the lowest $f(n) = g(n) + h(n)$.
- c) **Heuristic (h(n))**: Use a **3D Euclidean distance** to estimate cost to the goal:

$$h(n) = \sqrt{(x_{current} - x_{goal})^2 + (y_{current} - y_{goal})^2 + (z_{current} - z_{goal})^2}$$

- d) **Account for terrain cost penalties** (e.g., fire zones, vertical movement, etc.).
 - e) **Recharging Logic**: If energy is too low to reach the next goal, navigate to the nearest (R) station.
 - f) **Ensure the algorithm supports multi-goal search**, as the drone must **visit multiple survivors** before returning.
 - g) **Handle Edge Cases**:
 - No valid path exists to all survivors.
 - Energy depletion before reaching a recharge station.
 - The base (B) is unreachable due to obstacles.
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Bonus Challenges:

- a) **Dynamic Obstacles**: Fire zones (F) randomly spread after a few moves. Can the drone **replan** in real-time?
- b) **Wind Effect Simulation**: Introduce **random wind disturbances** that alter movement cost dynamically.
- c) **Dijkstra vs. A***: Implement both **Dijkstra's Algorithm** and **A*** for comparison.
- d) **Multiple Drones Collaboration**: If two drones are available, how should they **coordinate to rescue faster**?