

Beer Distribution Problem for the Pulp Modeler

MSDS 650 -- Sean O'Malley

- Integer programming problems are used to maximize or optimize results.
- In integer problems some or all of the variables are restricted to integers.

```
In [50]: # Import PuLP modeler supply nodes
```

```
from pulp import *
```

```
In [51]: # Create list of all supply nodes
```

```
Warehouses = ["A", "B"]
```

```
In [52]: # Create dictionary for number of units of supply for each supply node
```

```
supply = {"A" : 1000,  
          "B" : 4000}
```

```
In [53]: # Create a list of all demand nodes
```

```
Bars = ["1","2","3","4","5"]
```

```
In [54]: # Creates a dictionary for number of units of demand for each demand node
```

```
demand = {"1" : 500,  
          "2" : 900,  
          "3" : 1800,  
          "4" : 200,  
          "5" : 700}
```

```
In [55]: # Creates a list of costs of each transportation path
```

```
costs = [      # bars
          #1,2,3,4,5
          [2,4,5,2,1], #Path A      Warehouses
          [3,1,3,2,3]  #Path B
        ]
```

```
In [56]: # Turn cost data into a dictionary with makeDict function
```

```
costs = makeDict([Warehouses, Bars], costs, 0)
```

```
In [57]: # Create Problem variable to contain the problem data
```

```
prob = LpProblem("Beer Distribution Problem", LpMinimize)
```

```
In [58]: # Create a list of tuples (finite ordered list of elements) containing all the possible routes of transport
```

```
routes = [(w,b) for w in Warehouses for b in Bars]
```

```
In [59]: # Create dictionary called 'Vars to contain the referenced variables (routes)
```

```
vars = LpVariable.dicts("Route", (Warehouses, Bars), 0, None, LpInteger)
```

```
In [60]: # Create objective function to add to 'Problem'
```

```
prob += lpSum([vars[w][b]*costs[w][b] for (w,b) in routes]), "Sum_of_Transporting_Costs"
```

```
In [61]: # Supply maximum constraints to Problem for each supply node (warehouse)
```

```
for w in Warehouses:
    prob += lpSum([vars[w][b] for b in Bars]) <= supply[w], "Sum_of_Products_out_of_Warehouse_%s"%w
```

```
In [62]: # Demand minimum constraints are added to prob for each demand node (bar)
```

```
for b in Bars:
    prob += lpSum([vars[w][b] for w in Warehouses]) <= demand[b], "Sum_of_Products_into_Bar%s"%b
```

```
In [63]: # Write problem to a .lp file

prob.writeLP("/Users/SeanOMalley1/Desktop/MSDS_650/Week_8/BeerDistributionProblem.lp")
```

Beer Distribution Problem Minimize OBJ: __dummy Subject To Sum_of_Products_into_Bar1: Route_B_1 + Route_B_2 + Route_B_3 + Route_B_4

- Route_B_5 <= 4000 Sum_of_Products_into_Bar2: Route_B_1 + Route_B_2 + Route_B_3 + Route_B_4
- Route_B_5 <= 4000 Sum_of_Products_into_Bar3: Route_B_1 + Route_B_2 + Route_B_3 + Route_B_4
- Route_B_5 <= 4000 Sum_of_Products_into_Bar4: Route_B_1 + Route_B_2 + Route_B_3 + Route_B_4
- Route_B_5 <= 4000 Sum_of_Products_into_Bar5: Route_B_1 + Route_B_2 + Route_B_3 + Route_B_4
- Route_B_5 <= 4000 Bounds 0 <= Route_B_1 0 <= Route_B_2 0 <= Route_B_3 0 <= Route_B_4 0 <= Route_B_5 __dummy = 0 Generals
Route_B_1 Route_B_2 Route_B_3 Route_B_4 Route_B_5 End

```
In [64]: # Problem is solved using PuLp's choice of Solver

prob.solve()
```

Out[64]: 1

```
In [65]: # Status of the solution is printed to screen

print ("Status:", LpStatus[prob.status])
```

Status: Optimal

```
In [66]: # Print each variable with its resolved optimum value
for v in prob.variables():
    print (v.name, "=", v.varValue)
```

```
Route_A_1 = 0.0
Route_A_2 = 0.0
Route_A_3 = 0.0
Route_A_4 = 0.0
Route_A_5 = 0.0
Route_B_1 = 0.0
Route_B_2 = 0.0
Route_B_3 = 0.0
Route_B_4 = 0.0
Route_B_5 = 0.0
```

```
In [68]: # Lastly, print optimized objective function value

print ("Total Cost of Transportation = ",value(prob.objective))

Total Cost of Transportation = 0.0
```

Conclusion

We are minimising the transportation cost for a brewery operation. The brewery transports cases of beer from its warehouses to several bars in the optimal fashion given our integer programming results

```
In [ ]:
```