

# Wholesale Customer Segmentation Analysis

## Hierarchical Cluster Analysis

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### Ingest, EDA and Data Manipulation

```
sales <- read.csv("/Users/SeanOMalley1/Desktop/MSDS\ 680\ ML/Wholesale\ customers\ data.csv")
```

Everything is numeric and of high data quality, so we can now move forward with the analysis without too much of a data manipulation headache.

I will perform the analysis with the z-score standardization of the data.

```
summary(sales)
```

```
##      Channel      Region      Fresh      Milk
## Min.   :1.000   Min.   :1.000   Min.    :    3   Min.    :   55
## 1st Qu.:1.000   1st Qu.:2.000   1st Qu.: 3128   1st Qu.: 1533
## Median :1.000   Median :3.000   Median : 8504   Median : 3627
## Mean   :1.323   Mean   :2.543   Mean   :12000   Mean    : 5796
## 3rd Qu.:2.000   3rd Qu.:3.000   3rd Qu.:16934   3rd Qu.: 7190
## Max.   :2.000   Max.   :3.000   Max.   :112151   Max.    :73498
##      Grocery      Frozen      Detergents_Paper      Delicassen
## Min.    :    3   Min.    :   25.0   Min.    :    3.0   Min.    :    3.0
## 1st Qu.: 2153   1st Qu.:  742.2   1st Qu.:  256.8   1st Qu.:  408.2
## Median : 4756   Median : 1526.0   Median :   816.5   Median :   965.5
## Mean    : 7951   Mean    : 3071.9   Mean    : 2881.5   Mean    : 1524.9
## 3rd Qu.:10656   3rd Qu.: 3554.2   3rd Qu.: 3922.0   3rd Qu.: 1820.2
## Max.    :92780   Max.    :60869.0   Max.    :40827.0   Max.    :47943.0
```

```
sales <- na.omit(sales)

z_sales <- as.data.frame(mapply(scale, sales))

summary(z_sales)
```

##	Channel	Region	Fresh	Milk
##	Min. : -0.6895	Min. : -1.9931	Min. : -0.9486	Min. : -0.7779
##	1st Qu.: -0.6895	1st Qu.: -0.7015	1st Qu.: -0.7015	1st Qu.: -0.5776
##	Median : -0.6895	Median : 0.5900	Median : -0.2764	Median : -0.2939
##	Mean : 0.0000	Mean : 0.0000	Mean : 0.0000	Mean : 0.0000
##	3rd Qu.: 1.4470	3rd Qu.: 0.5900	3rd Qu.: 0.3901	3rd Qu.: 0.1889
##	Max. : 1.4470	Max. : 0.5900	Max. : 7.9187	Max. : 9.1732
##	Grocery	Frozen	Detergents_Paper	Delicassen
##	Min. : -0.8364	Min. : -0.62763	Min. : -0.6037	Min. : -0.5396
##	1st Qu.: -0.6101	1st Qu.: -0.47988	1st Qu.: -0.5505	1st Qu.: -0.3960
##	Median : -0.3363	Median : -0.31844	Median : -0.4331	Median : -0.1984
##	Mean : 0.0000	Mean : 0.00000	Mean : 0.0000	Mean : 0.0000
##	3rd Qu.: 0.2846	3rd Qu.: 0.09935	3rd Qu.: 0.2182	3rd Qu.: 0.1047
##	Max. : 8.9264	Max. : 11.90545	Max. : 7.9586	Max. : 16.4597

```
z_sales2 <- z_sales[3:8]
```

## Hierarchical Cluster Analysis

The overarching idea of a hierarchical clustering algorithm is to build a tree of data that successfully merges similar groups of points. Unlike k-means, hierarchical clustering only requires a measure of similarity between groups of data points.

Given a set of N items to be clustered, and a N\*N distance, or similarity matrix, start by assigning each item to its own cluster. Thus, if you have N items, you can now have N clusters, each containing just one item. You then let the distances between the clusters equal the distances between the items they contain. Next, you find the closest pair of clusters, and merge them into a single cluster, that you now have one less cluster.

Then, compute the distances between the new cluster and each of the old clusters, repeating these steps until all items are clustered into a single cluster size of N. This looping process of sorts can be repeated via various methodologies, which I will explain further in the next question.

## Additional HCA methodologies and distance measurements to consider

There are two approaches when considering hierarchical clusters:

- **Agglomerative Hierarchical Clustering** : This is a bottom up approach, where each observation starts in its own cluster. We can then compute the similarity between each cluster and then merge the two most similar ones at each iteration until there is only one cluster left.
- **Divisive Hierarchical Clustering** : This is a top down approach, where all observations start in one cluster, and then we split the cluster into the two least dissimilar clusters recursively until there is one for each observation.

Now in consideration of the measuring of the distance methodology between clusters, there are 4 common functions used for the measure of similarity:

- **Single Linkage** : Shortest distance between two points in each cluster.
- **Complete Linkage** : Longest distance between two points in each cluster.
- **Average Linkage** : Average distance between two points in each cluster.
- **Ward Method** : Sum of the squared distance from each point to the mean of the merged clusters.

# Agglomerative Hierarchical Clustering

## Wards minimum variance to perform agglomerative HCS using Euclidian distance

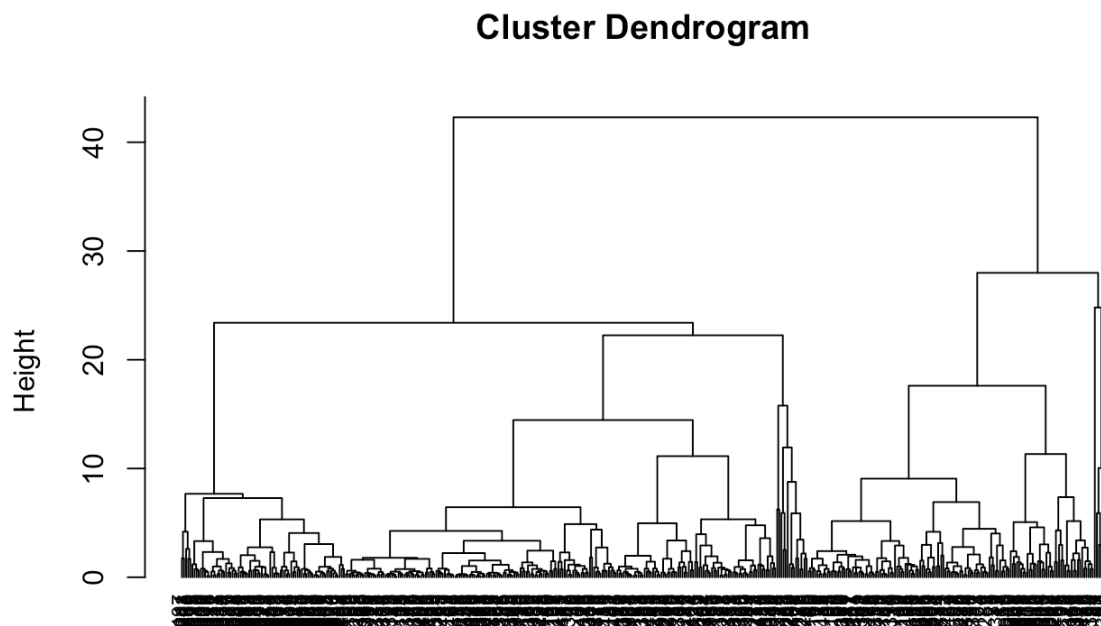
```
hclust1 <- hclust(dist(z_sales, method="euclidean"), method="ward.D2")
```

```
hclust1
```

```
##  
## Call:  
## hclust(d = dist(z_sales, method = "euclidean"), method = "ward.D2")  
##  
## Cluster method   : ward.D2  
## Distance         : euclidean  
## Number of objects: 440
```

Creating and running the below model, we see that we have 440 objects created, note, this is the total number of original observations.

```
plot(hclust1, hang = -0.01, cex = 0.7)
```



```
dist(z_sales, method = "euclidean")  
hclust (*, "ward.D2")
```

Now, let's visualize these objects in a dendrogram, and as we can see, our first go-around at an HCA comes out a little messy, but you can begin to see clusters. Let's experiment with some of the other distance measures to see if we can gain some more context.

## Single linkage measurement to perform agglomerative HCS using Euclidian distance

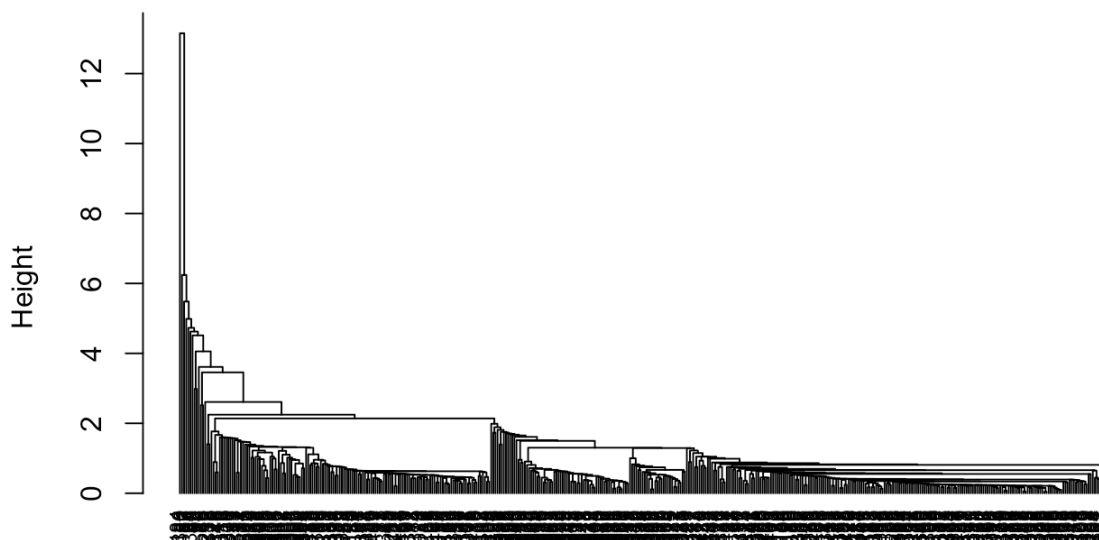
```
hclust2 <- hclust(dist(z_sales, method="euclidean"), method="single")
```

```
hclust2
```

```
##  
## Call:  
## hclust(d = dist(z_sales, method = "euclidean"), method = "single")  
##  
## Cluster method      : single  
## Distance             : euclidean  
## Number of objects: 440
```

```
plot(hclust2, hang = -0.01, cex = 0.7)
```

### Cluster Dendrogram



```
dist(z_sales, method = "euclidean")  
hclust (*, "single")
```

As anticipated due to the extreme simplicity of the single linkage method, the ward minimum variance method appeared to work much better in visually allowing us to see clusters of data.

## Complete linkage measurement to perform agglomerative HCS using Euclidian distance

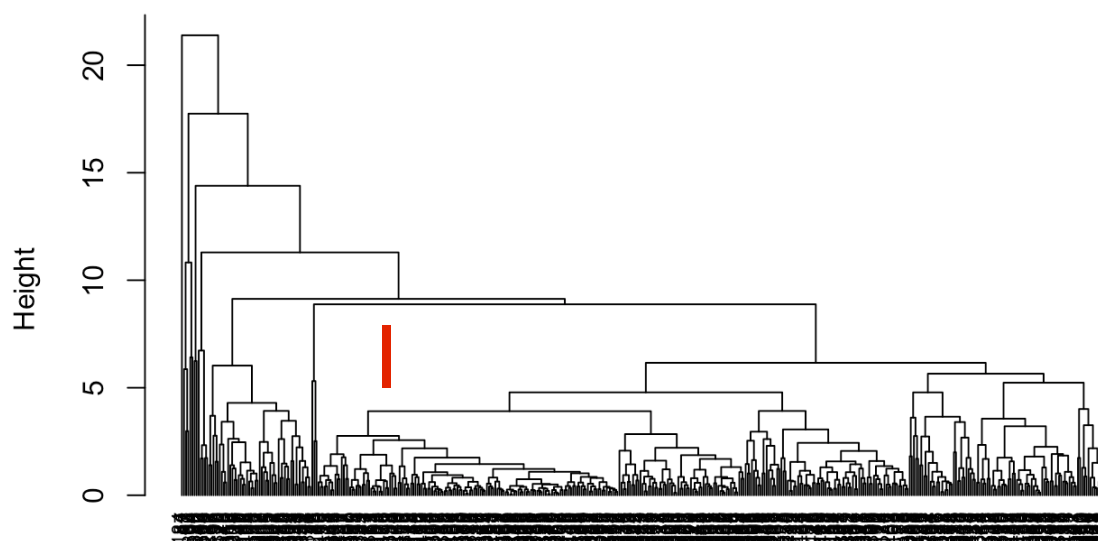
```
hclust3 <- hclust(dist(z_sales, method="euclidean"), method="complete")
```

```
hclust3
```

```
##
## Call:
## hclust(d = dist(z_sales, method = "euclidean"), method = "complete")
##
## Cluster method   : complete
## Distance         : euclidean
## Number of objects: 440
```

```
plot(hclust3, hang = -0.01, cex = 0.7)
```

## Cluster Dendrogram



```
dist(z_sales, method = "euclidean")
hclust (*, "complete")
```

Pretty interesting, when looking at complete linkage we can see via the hierarchical structure of the dendrogram that some more visually obvious clustering is occurring, however it also appears to be skewed in an interesting left to right fashion.

## Average linkage measurement to perform agglomerative HCS using Euclidian distance

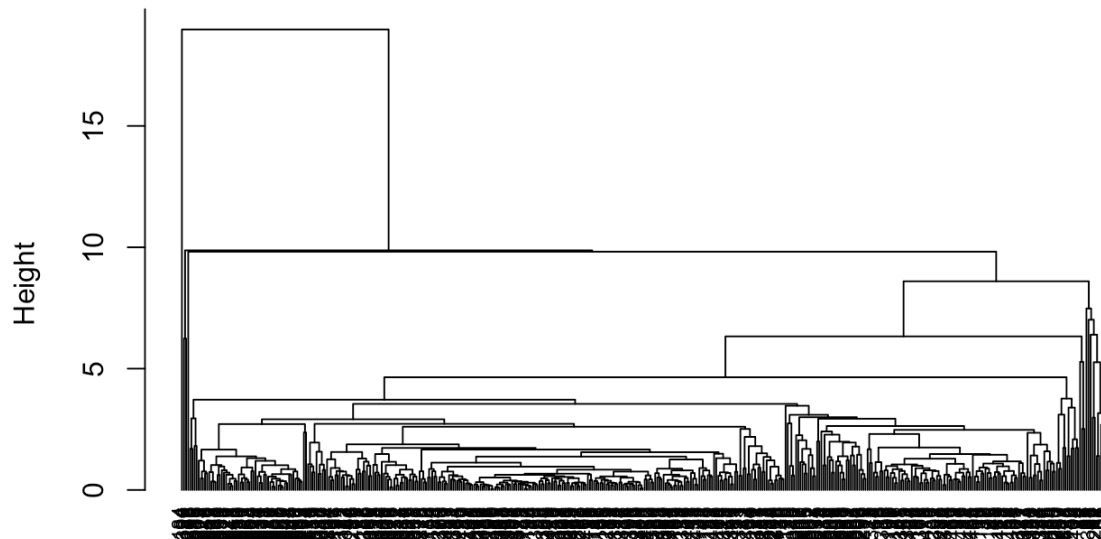
```
hclust4 <- hclust(dist(z_sales, method="euclidean"), method="average")

hclust4
```

```
##
## Call:
## hclust(d = dist(z_sales, method = "euclidean"), method = "average")
##
## Cluster method   : average
## Distance         : euclidean
## Number of objects: 440
```

```
plot(hclust4, hang = -0.01, cex = 0.7)
```

### Cluster Dendrogram



```
dist(z_sales, method = "euclidean")  
hclust (*, "average")
```

Using the average linkage method for distance measurement has removed much of the imbalance we have seen in the complete and single linkage distance methods, however does not portray the clusters visually as nicely as Ward's method.

## A small conclusion about distance measurement

After further reading it appears that the imbalance occurring with the hierarchical structures of the complete and single linkage measurement methods are more or less highlighting the variance of size of clusters throughout a group, and this variance is more or less normalized, for lack of a better term, when using Ward's method in agglomerative HCA because of the sum of squares vs. mean comparison.

## Divisive Hierarchical Clustering

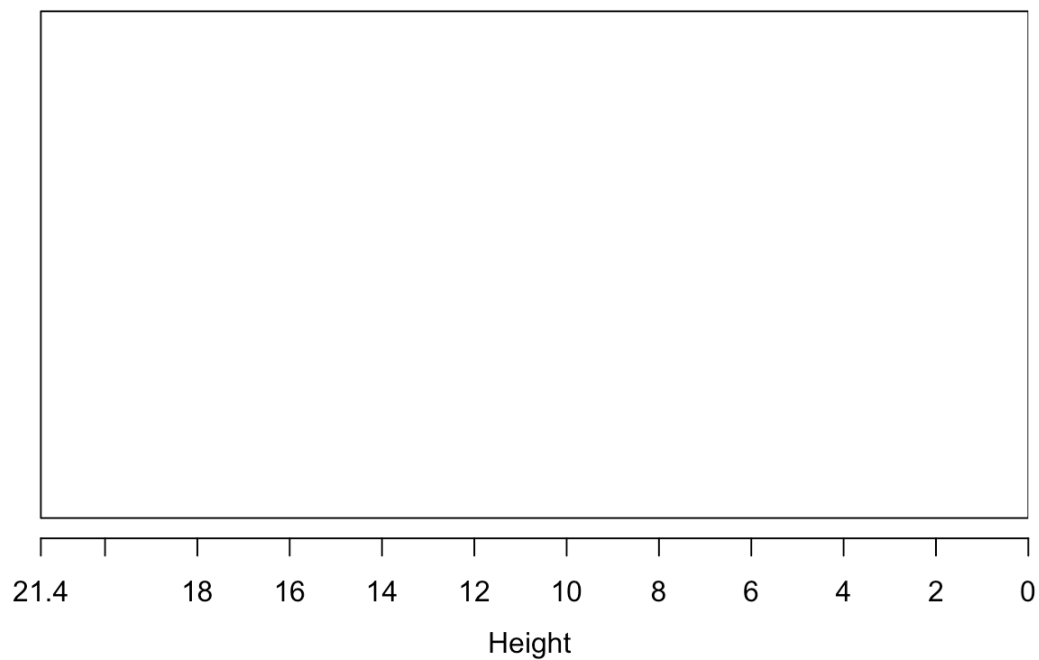
Now, for the top down approach.

```
hclust5 <- diana(z_sales, metric = "euclidean")  
  
hclust5$dc
```

```
## [1] 0.9610061
```

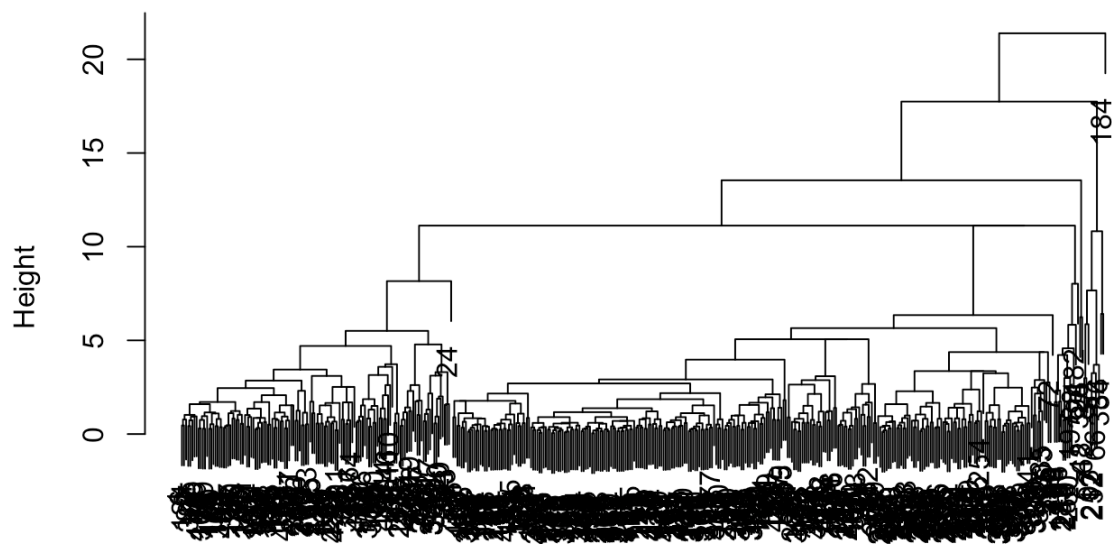
```
plot(hclust5)
```

### Banner of `diana(x = z_sales, metric = "euclidean")`



Divisive Coefficient = 0.96

### Dendrogram of `diana(x = z_sales, metric = "euclidean")`



z\_sales  
Divisive Coefficient = 0.96

Building this model, we see some similarities and differences with our output. First, we can see that the divisive coefficient is 0.96 on this model, this tells us the clustering structure of the dataset in that how widely the clusters span to classify a dataset. We see a score of 0.96, which tells us that we have larger clusters in this output, this is consistent for divisive hierarchical clustering in that their strength is measuring large clusters, while agglomerative hierarchical clustering is more apt to measure small clusters.

Lets have fun with this one and do some tuning of the model by setting the stand argument to true. When stand is set to true, it standardizes the dissimilarities between groups of data. Setting the agrument this way will more than likely raise our divisive coefficient.

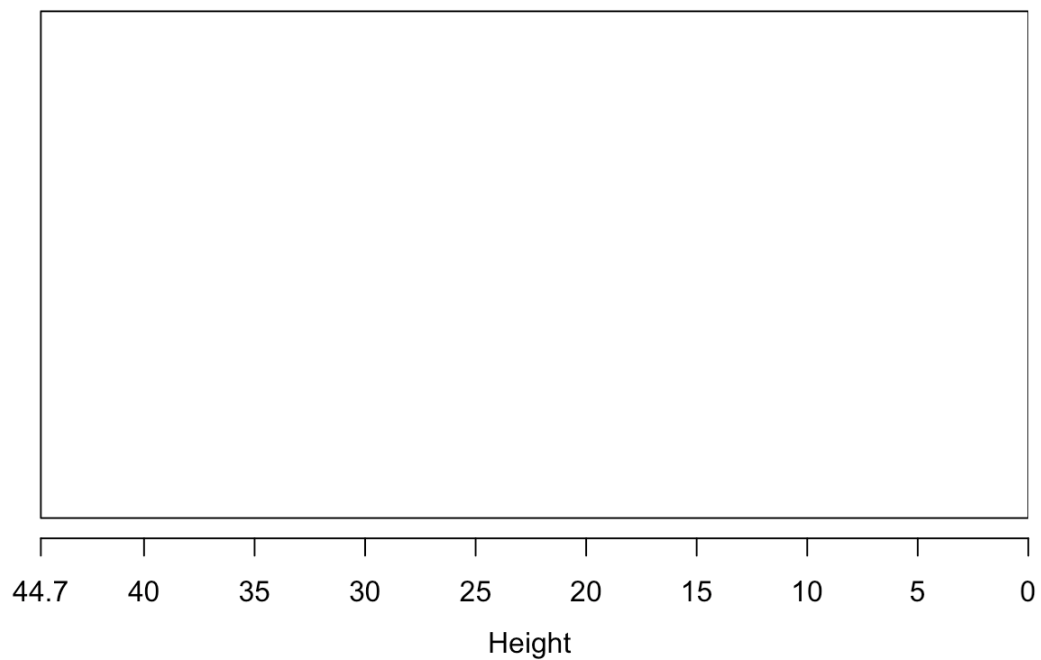
```
hclust6 <- diana(z_sales, metric = "euclidean", stand = T)

hclust6$dc
```

```
## [1] 0.9671841
```

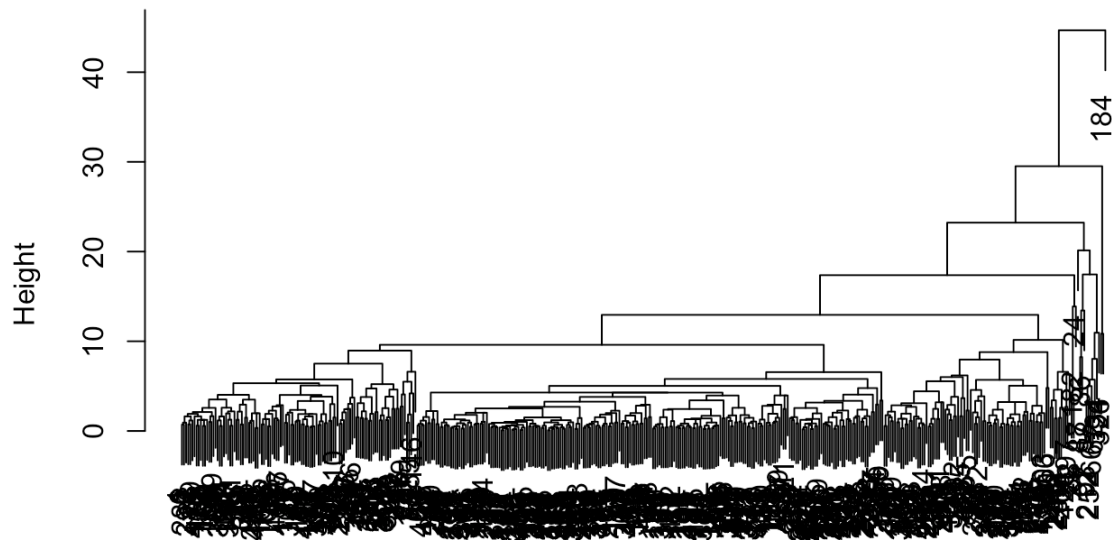
```
plot(hclust6)
```

**Banner of `diana(x = z_sales, metric = "euclidean", stand = T)`**





## Dendrogram of `diana(x = z_sales, metric = "euclidean", stand = T)`



z\_sales  
Divisive Coefficient = 0.97

Looks like our dc increased as predicted, however looking at the dendrogram it doesn't entirely look like the model has improved in displaying more obvious clusters of data.

## Cut top cluster into trees to definitively determine clusters of custers based upon sales

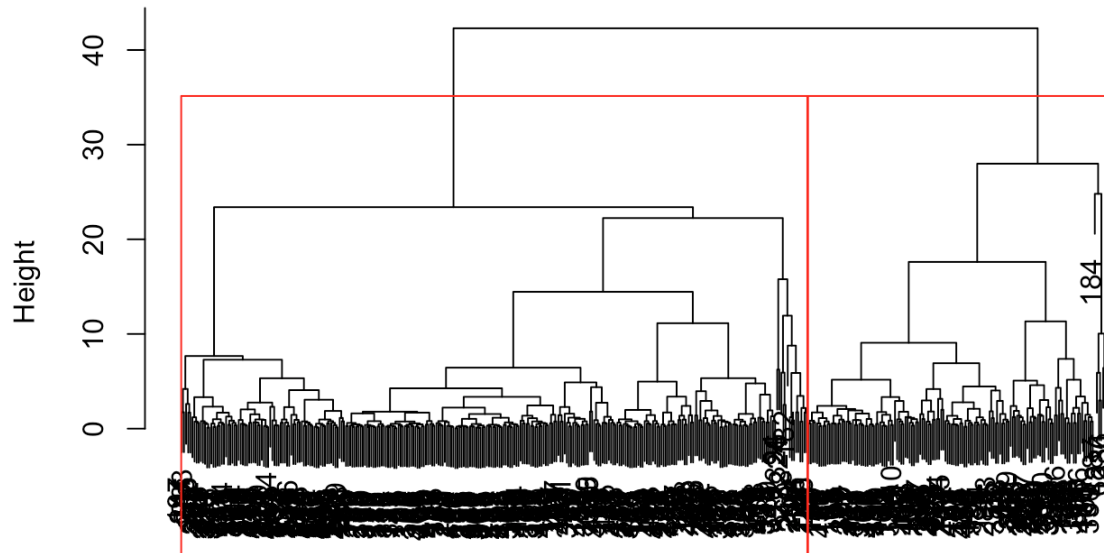
### Wards minimum variance to perform agglomerative HCS using Euclidian distance

```
fit1 <- cutree(hclust1, k = 2)
table(fit1)
```

```
## fit1
##    1    2
## 142 298
```

```
plot(hclust1)
rect.hclust(hclust1, k = 2, border = "red")
```

## Cluster Dendrogram



```
dist(z_sales, method = "euclidean")
hclust (*, "ward.D2")
```

Looking at this agglomerative HCS, we can visually see more clusters, but it runs into trouble when being classified. Because it works from the bottom up, we see really small groups of data falling into essentially clusters of their own as you move the k lower in value and it isn't until we get to the obvious split of two that we no longer have menially sized clusters fall into our analysis.

Knowing the strength of agglomerative HCS is towards many small clusters, I will repeat this using an much higher k to see if some understanding can be gained.

```
fit1.2 <- cutree(hclust1, k = 8)
```

```
table(fit1.2)
```

```
## fit1.2
```

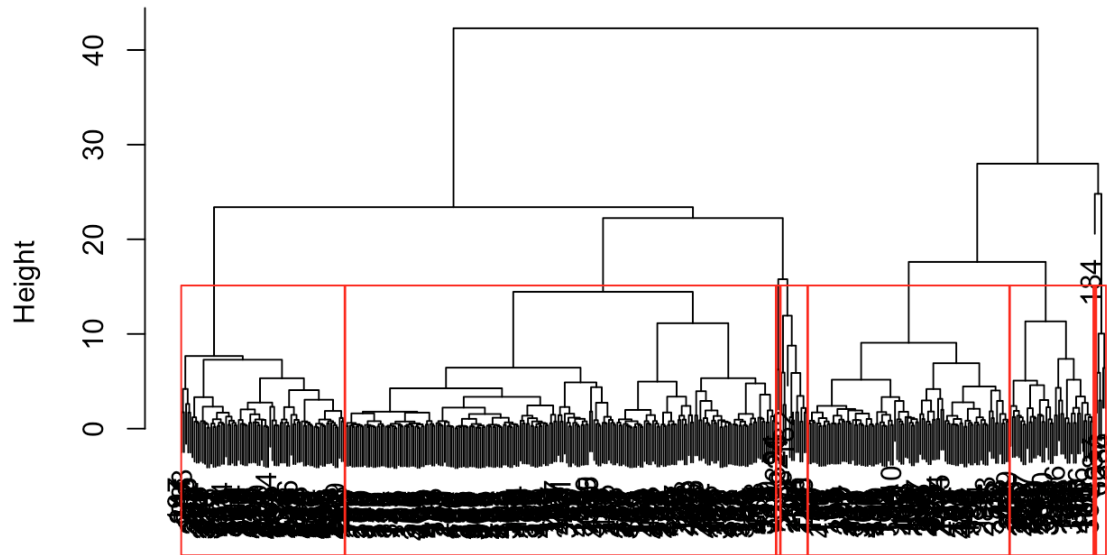
```
##  1  2  3  4  5  6  7  8
```

```
## 96 205 13 40  5  2  1 78
```

```
plot(hclust1)
```

```
rect.hclust(hclust1, k = 8, border = "red")
```

## Cluster Dendrogram



```
dist(z_sales, method = "euclidean")  
hclust (*, "ward.D2")
```

Using a k of 8, this output is still messy, but makes much more sense compared to the previous output. There are still a few nonsensically small clusters being identified, all of which visually appear to be multiple levels of the tree in the dendrogram, implying their overall distance from other clusters as an indication of a possible outlier. Lets summarize these clusters to see if we can learn anything about who these customers are, to visualize this I will .

```
fit1.2 <- as.data.frame(fit1.2)  
  
output_table1 <- cbind(fit1.2, sales)  
  
output_table1$fit1.2 <- as.factor(output_table1$fit1.2)  
  
summary(output_table1)
```

```
##      fit1.2      Channel      Region      Fresh
## 2      :205  Min.    :1.000  Min.    :1.000  Min.    : 3
## 1      : 96  1st Qu.:1.000  1st Qu.:2.000  1st Qu.: 3128
## 8      : 78  Median :1.000  Median :3.000  Median : 8504
## 4      : 40  Mean   :1.323  Mean   :2.543  Mean   : 12000
## 3      : 13  3rd Qu.:2.000  3rd Qu.:3.000  3rd Qu.: 16934
## 5      : 5   Max.    :2.000  Max.    :3.000  Max.    :112151
## (Other): 3
##      Milk      Grocery      Frozen      Detergents_Paper
## Min.    : 55  Min.    : 3   Min.    : 25.0  Min.    : 3.0
## 1st Qu.: 1533 1st Qu.: 2153 1st Qu.: 742.2 1st Qu.: 256.8
## Median : 3627 Median : 4756 Median : 1526.0 Median : 816.5
## Mean   : 5796 Mean   : 7951 Mean   : 3071.9 Mean   : 2881.5
## 3rd Qu.: 7190 3rd Qu.:10656 3rd Qu.: 3554.2 3rd Qu.: 3922.0
## Max.    :73498 Max.    :92780 Max.    :60869.0 Max.    :40827.0
##
##      Delicassen
## Min.    : 3.0
## 1st Qu.: 408.2
## Median : 965.5
## Mean   : 1524.9
## 3rd Qu.: 1820.2
## Max.    :47943.0
##
```

```
describe.by(output_table1, output_table1$fit1.2)
```

```
## Warning: describe.by is deprecated. Please use the describeBy function
```

```

## $`1`
##          vars  n      mean      sd median trimmed      mad min
## fit1.2*      1 96      1.00      0.00      1.0      1.00      0.00      1
## Channel      2 96      2.00      0.00      2.0      2.00      0.00      2
## Region       3 96      2.85      0.43      3.0      2.97      0.00      1
## Fresh        4 96 9545.69 8735.79 7705.5 8414.96 7760.67 23
## Milk         5 96 7172.62 3238.28 6645.5 7037.46 3179.44 928
## Grocery      6 96 11342.32 4863.69 10694.5 10893.51 4375.15 2743
## Frozen       7 96 1597.96 1873.32 1012.0 1235.37 1018.55 33
## Detergents_Paper 8 96 4606.34 2329.53 4331.5 4563.77 2765.79 332
## Delicassen   9 96 1447.86 1287.09 1316.5 1279.60 1180.89 3
##
##          max range skew kurtosis      se
## fit1.2*      1      0  NaN      NaN      0.00
## Channel      2      0  NaN      NaN      0.00
## Region       3      2 -3.02      8.59      0.04
## Fresh        40721 40698 1.26      1.62 891.59
## Milk         16729 15801 0.46     -0.07 330.51
## Grocery      28986 26243 0.96      1.03 496.40
## Frozen       11559 11526 2.72      9.33 191.20
## Detergents_Paper 10069 9737 0.22     -0.70 237.76
## Delicassen   7844  7841 1.93      6.04 131.36
##
## $`2`
##          vars  n      mean      sd median trimmed      mad min
## fit1.2*      1 205      2.00      0.00      2      2.00      0.00      2
## Channel      2 205      1.00      0.00      1      1.00      0.00      1
## Region       3 205      2.98      0.15      3      3.00      0.00      2
## Fresh        4 205 11659.55 10204.24 9061 10263.83 8972.70 3
## Milk         5 205 3104.87 3063.34 2102 2566.38 1755.40 55
## Grocery      6 205 3565.92 2966.27 2593 3078.21 1630.86 3
## Frozen       7 205 3213.70 3645.97 1752 2527.16 1951.10 25
## Detergents_Paper 8 205 735.24 1046.04 356 503.33 367.68 3
## Delicassen   9 205 1112.11 1088.15 776 924.72 701.27 3
##
##          max range skew kurtosis      se
## fit1.2*      2      0  NaN      NaN      0.00
## Channel      1      0  NaN      NaN      0.00
## Region       3      1 -6.12     35.65      0.01
## Fresh        43088 43085 1.13      0.69 712.70
## Milk         21858 21803 2.76     10.80 213.95
## Grocery      16483 16480 1.96      4.52 207.17
## Frozen       17866 17841 1.78      2.94 254.65
## Detergents_Paper 6907 6904 3.17     12.52 73.06
## Delicassen   5864  5861 1.87      3.91 76.00
##
## $`3`
##          vars  n      mean      sd median trimmed      mad min
## fit1.2*      1 13      3.00      0.00      3      3.00      0.00      3
## Channel      2 13      1.08      0.28      1      1.00      0.00      1
## Region       3 13      2.54      0.88      3      2.64      0.00      1
## Fresh        4 13 54537.92 23093.99 53205 52595.55 11215.87 18291
## Milk         5 13 8253.54 11202.37 4411 6392.55 1390.68 555
## Grocery      6 13 9451.69 6978.86 7336 9086.45 5273.61 902
## Frozen       7 13 8835.31 5022.38 6422 8529.00 1879.94 3012
## Detergents_Paper 8 13 1796.62 1587.10 1041 1654.18 650.86 212
## Delicassen   9 13 5435.38 5899.23 2498 4900.64 2342.51 230
##
##          max range skew kurtosis      se
## fit1.2*      3      0  NaN      NaN      0.00
## Channel      2      1  2.82      6.44      0.08
## Region       3      2 -1.13     -0.76      0.24

```

```

## Fresh      112151 93860 0.82      0.70 6405.12
## Milk       36423 35868 1.68      1.14 3106.98
## Grocery    22019 21117 0.64     -1.09 1935.59
## Frozen     18028 15016 0.81     -1.02 1392.96
## Detergents_Paper 4948 4736 1.00     -0.77 440.18
## Delicassen 16523 16293 0.87     -1.07 1636.15
##
## $`4`
##
## vars n      mean      sd median trimmed      mad min
## fit1.2*      1 40      4.00      0.00      4.0      4.00      0.00      4
## Channel      2 40      2.00      0.00      2.0      2.00      0.00      2
## Region       3 40      2.00      0.88      2.0      2.00      1.48      1
## Fresh        4 40 4841.00 4778.55 3531.5 4133.81 3518.21 18
## Milk         5 40 14486.12 6954.10 13089.5 13959.81 7221.74 3737
## Grocery      6 40 22490.05 8667.02 21876.0 22065.81 7489.35 6089
## Frozen       7 40 1573.33 1376.48 1196.0 1363.84 875.48 36
## Detergents_Paper 8 40 10896.33 4923.69 10768.0 10556.28 5101.63 3891
## Delicassen   9 40 1998.15 1802.19 1381.5 1765.53 1265.40 37
##
## max range skew kurtosis      se
## fit1.2*      4      0 NaN      NaN      0.00
## Channel      2      0 NaN      NaN      0.00
## Region       3      2 0.00     -1.73      0.14
## Fresh        22039 22021 1.52      2.33 755.56
## Milk         29892 26155 0.57     -0.72 1099.54
## Grocery      45828 39739 0.43     -0.07 1370.38
## Frozen       6746 6710 1.68      3.32 217.64
## Detergents_Paper 24231 20340 0.54     -0.35 778.50
## Delicassen   6372 6335 1.04     -0.14 284.95
##
## $`5`
##
## vars n      mean      sd median trimmed      mad min
## fit1.2*      1 5      5.0      0.00      5      5.0      0.00      5
## Channel      2 5      2.0      0.00      2      2.0      0.00      2
## Region       3 5      2.8      0.45      3      2.8      0.00      2
## Fresh        4 5 25603.0 14578.73 22925 25603.0 19299.00 8565
## Milk         5 5 43460.6 25164.56 46197 43460.6 11952.72 4980
## Grocery      6 5 61472.2 21876.69 59598 61472.2 11416.02 32114
## Frozen       7 5 2636.0 3100.39 1026 2636.0 1326.93 131
## Detergents_Paper 8 5 29974.2 9032.28 26701 29974.2 9831.12 20070
## Delicassen   9 5 2708.8 2243.62 2017 2708.8 1374.37 903
##
## max range skew kurtosis      se
## fit1.2*      5      0 NaN      NaN      0.00
## Channel      2      0 NaN      NaN      0.00
## Region       3      1 -1.07     -0.92      0.20
## Fresh        44466 35901 0.13     -1.98 6519.80
## Milk         73498 68518 -0.36     -1.49 11253.93
## Grocery      92780 60666 0.10     -1.51 9783.56
## Frozen       7782 7651 0.75     -1.37 1386.53
## Detergents_Paper 40827 20757 0.17     -2.13 4039.36
## Delicassen   6465 5562 0.77     -1.30 1003.38
##
## $`6`
##
## vars n      mean      sd median trimmed      mad min
## fit1.2*      1 2      6.0      0.00      6.0      6.0      0.00      6
## Channel      2 2      1.0      0.00      1.0      1.0      0.00      1
## Region       3 2      2.5      0.71      2.5      2.5      0.74      2
## Fresh        4 2 22015.5 15134.21 22015.5 22015.5 15866.04 11314
## Milk         5 2 9937.0 9683.12 9937.0 9937.0 10151.36 3090
## Grocery      6 2 7844.0 8176.98 7844.0 7844.0 8572.39 2062
## Frozen       7 2 47939.0 18285.78 47939.0 47939.0 19170.02 35009

```

```

## Detergents_Paper      8 2   671.5   849.24   671.5   671.5   890.30    71
## Delicassen            9 2  4153.5  2058.39  4153.5  4153.5  2157.92  2698
##
##      max range skew kurtosis      se
## fit1.2*           6    0  NaN      NaN    0.0
## Channel           1    0  NaN      NaN    0.0
## Region            3    1    0   -2.75    0.5
## Fresh            32717 21403    0   -2.75 10701.5
## Milk             16784 13694    0   -2.75  6847.0
## Grocery          13626 11564    0   -2.75  5782.0
## Frozen           60869 25860    0   -2.75 12930.0
## Detergents_Paper  1272  1201    0   -2.75   600.5
## Delicassen       5609  2911    0   -2.75  1455.5
##
## $`7`
##      vars n  mean sd median trimmed mad  min  max range skew
## fit1.2*    1 1     7 NA      7      7    0    7    7    0  NA
## Channel    2 1     1 NA      1      1    0    1    1    0  NA
## Region     3 1     3 NA      3      3    0    3    3    0  NA
## Fresh      4 1 36847 NA  36847  36847    0 36847 36847    0  NA
## Milk       5 1 43950 NA  43950  43950    0 43950 43950    0  NA
## Grocery    6 1 20170 NA  20170  20170    0 20170 20170    0  NA
## Frozen     7 1 36534 NA  36534  36534    0 36534 36534    0  NA
## Detergents_Paper 8 1   239 NA   239   239    0   239   239    0  NA
## Delicassen  9 1 47943 NA  47943  47943    0 47943 47943    0  NA
##
##      kurtosis se
## fit1.2*      NA NA
## Channel      NA NA
## Region       NA NA
## Fresh        NA NA
## Milk         NA NA
## Grocery      NA NA
## Frozen       NA NA
## Detergents_Paper NA NA
## Delicassen   NA NA
##
## $`8`
##      vars n  mean      sd median trimmed      mad min
## fit1.2*    1 78    8.00    0.00    8.0    8.00    0.00  8
## Channel    2 78    1.00    0.00    1.0    1.00    0.00  1
## Region     3 78    1.28    0.45    1.0    1.23    0.00  1
## Fresh      4 78 11051.44 8351.20 9020.0 10276.64 8572.39 444
## Milk       5 78  3300.24 3861.62 1914.0  2555.23 1578.23 258
## Grocery    6 78  4012.73 3411.78 2833.0  3421.66 2066.74 489
## Frozen     7 78  2769.92 2935.43 1830.0  2258.23 1784.31  91
## Detergents_Paper 8 78   823.86 1174.72 379.0   548.47 383.25  5
## Delicassen  9 78  1071.60 1075.35 763.5   899.66 669.39  7
##
##      max range skew kurtosis      se
## fit1.2*    8    0  NaN      NaN    0.00
## Channel    1    0  NaN      NaN    0.00
## Region     2    1 0.95   -1.11    0.05
## Fresh     31614 31170 0.74   -0.41 945.59
## Milk      23527 23269 2.86   10.13 437.24
## Grocery   16966 16477 1.78    3.19 386.31
## Frozen    18711 18620 2.69   10.08 332.37
## Detergents_Paper 5828 5823 2.41    5.40 133.01
## Delicassen 6854  6847 2.53    9.23 121.76
##
## attr(,"call")
## by.data.frame(data = x, INDICES = group, FUN = describe, type = type)

```

# Conclusion of Clusters

We can see via the large output above that we have many similar groups to our previous kmeans analysis of this data, however the information is not nearly as easily discernable. When we look at the summary output by fit we see that we have cluster 7 as more of a large volume grocer without many detergents, which could imply that it could be somewhere like trader joes. Clusters 4, 5 and 1 are all large volume buyers with various proportions of the all items available. Thus they could be a WalMart, Costco or even a King Soopers. We see other clusters that have overall low volumes with a higher proportion of the basics, thus convenience grocers or even pharmacies.

Overall this has provided for some interesting insight for our wholesaler, whom may also have some additional context to this output given his/her experience in this vertical. Some actionable insight off of this data could be package deals, streamlining of logistics, or even direct shipment options based upon clusters to essentially understand what a retailer/grocer might order before they actually do.