

Department of Computer Science and Engineering

Lab Project

Sub Code: CSE-209(1)

Course Title: Electrical Circuits.

Semester: Summer-2021

Submitted To:

Rashedul Amin Tuhin

Senior Lecturer, Department of Computer Science and Engineering

Submitted By:

Name: Md. Farhad Billah

ID: 2020-2-60-213

Experiment No: Final project

Name of the Experiment: PSpice Analysis for Maximum Power Transfer.

Date of Performance: 12/09/2021

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${\bf Q}\ {\bf 1}.$ Using PSpice Simulation, determine the Thevenin's equivalent of the circuit looking from

the load resistance $R_{\text{\tiny L}}$.

Solution: the original circuit given on the question is

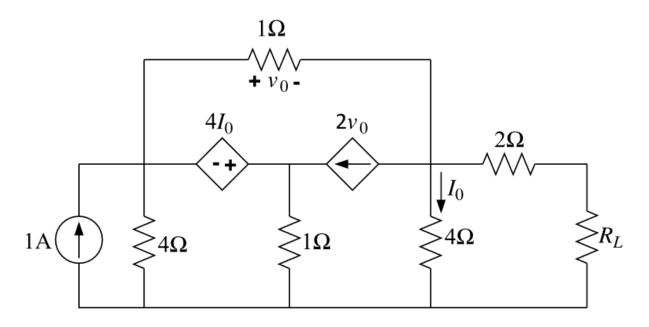


Fig-01(original circuit)

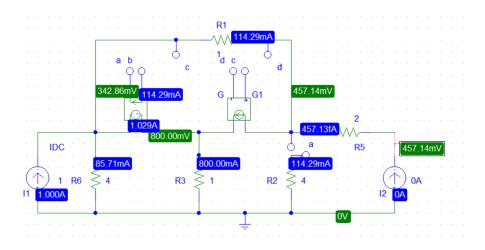


Fig-02 (Replace the R_l with a 0 A source to measure open circuit voltage(V_{oc}))

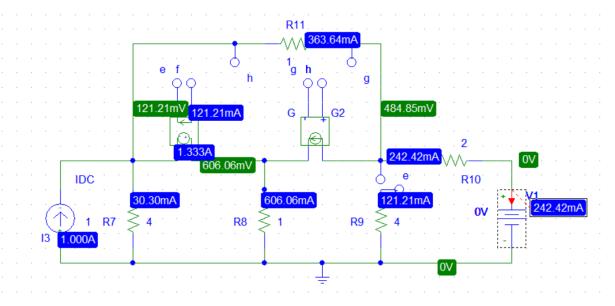


Fig-03 (replaced the R_L with a 0V voltage to measure short circuit current (I_{sc})

From Fig-02 and 03

We get,

Voc = 457.14 mV

Isc = 242.42 mA

We know Thevenin equation resistance,

$$R_{th} = \frac{\textit{Voc}}{\textit{Isc}}$$

$$R_{th}\frac{457.14}{242.42}=1.89\Omega$$

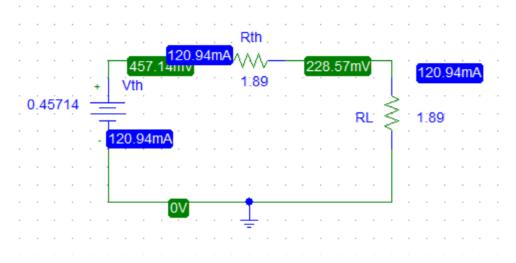


Fig-04(replace the load resistor R_L by the Thevenin equivalent resistance (R_{th}))

 ${f Q}$ 2. From the Thevenin's equivalent circuit, theoretically determine the value of load resistance R L for maximum power transfer. Using PSpice Simulation of the Thevenin's equivalent circuit with R_L for maximum power transfer, determine the value of maximum power transferred to R_L .

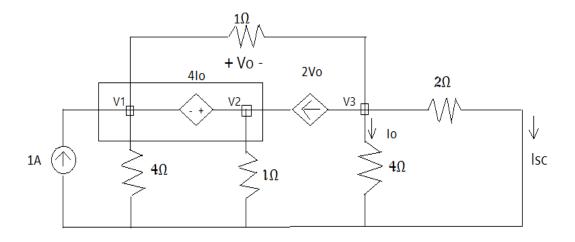


Fig-05(Short Circuit)

Applying KCL at Super Node,

$$-1+(V_1/4)+V_1-V_3+V_2-2(V_1-V_3)=0$$

or,
$$-3/4 V_1 + V_2 + V_3 = 1....(1)$$

Applying KCL at Super Node 3,

$$V_3 - V_1 + 2(V_1 - V_3) + V_3/4 + V_3/2 = 0$$

or,
$$V_1 - 1/4 V_3 = 0.....(2)$$

Voltage difference of super node,

$$-V_1+V_2-V_3=0.....(3)$$

After calculation from equation 1,2 and 3

 $V_3 = 0.48484V$

So,
$$I_{sc} = V_3/2$$

 $I_{sc} = 0.4848/2$

I_{sc} =0.24242 A

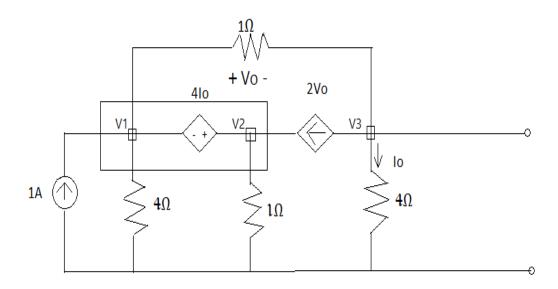


Fig-06(Open Circuit)

Applying **KCL** at super node respectively,

$$-1+(V_1/4)+V_1-V_3+V_2-2(V_1-V_3)=0$$

or, $(-3/4 V_1)+V_2+V_3=1$(1)

Applying **KCL** at node 3 respectively,

$$V_3-V_1+2(V_1-V_3)+V_3/4=0$$

or,
$$V_1$$
-(3/4 V_3) = 0(ii)

Voltage difference of super node respectively,

$$V_2 - V_1 = 4 * V_3 / 4$$

or, -
$$V_{1+} V_{2} - V_{3} = 0$$
(iii)

After calculation from equation (i), (ii), And iii

$$V_3 = 16/35 = 0.45714 V$$

$$V_3 = V_{oc} = V_{th} = 0.45714 V$$

$$R_{th} = R_L = V_{oc}/I_{sc}$$

$$R_{th} = 0.45714/0.24242$$

$$R_{th} = 1.89 \Omega$$

$$P_{Lmax} = V_{th}^2 / 4R_{th}$$

$$P_{Lmax} = (0.45714)^2 / 4 * 1.89$$

$$P_{Lmax} = 0.0276W$$

OR,
$$P_{Lmax} = 0.0278W$$

So,
$$P_{Lmax} = 0.028W$$

Q 3. Using PSpice Simulation with resistance sweep, determine the value of R L for maximum power transfer and the corresponding maximum power.

Solution:-

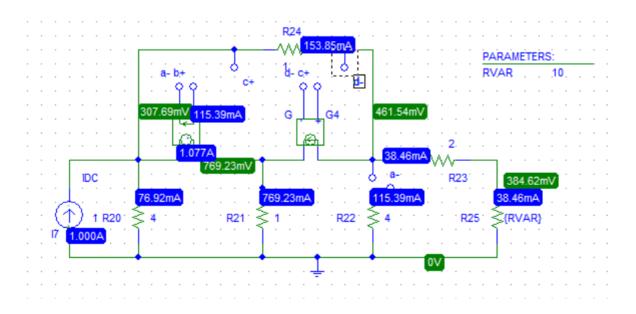


Fig-07

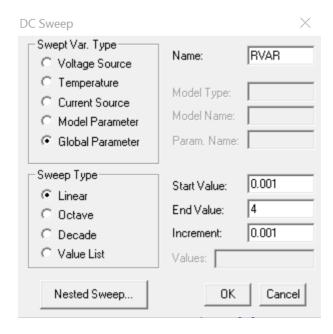
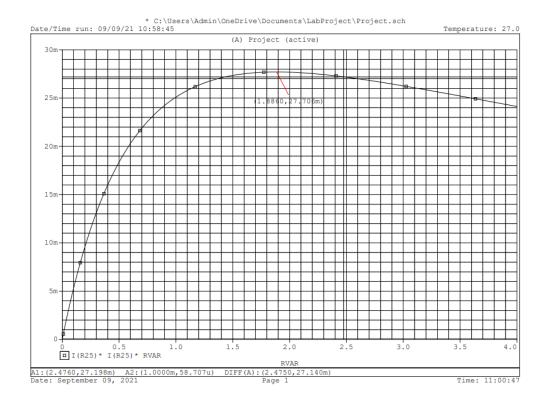


Fig-08(Start Value, End Value, Increment)



 $Fig-09(I(R_{25})*I(R_{25})*(RVAR)'s\ graph)$

From the graph max power is 27.706mw =0.027706W

Q4. Compare the value of R L and maximum power obtained in steps 2 and 3.

ANS: from the table we can see there is no difference between theoretically calculation and simulation

	STEP 2	STEP 3
$R_{\rm L}$	1.89 Ω	$1.886 \Omega = 1.89\Omega$
P _{Lmax}	0.028W	0.027706W
		=0.028W