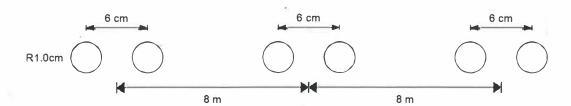
1) The figure below shows the conductor configuration of three-phase overhead transmission line with each phase bundle consisting of two solid conductors. All conductors have a radius of 1 cm with 6 cm bundle spacing. The bundles are equally spaced at 8 m from each other. Assume the GMR for one conductor is r'



a) Find the phase inductance of the line in mH/km. [4 marks]

① 
$$D_{SL} = \sqrt{(0.7788)(0.01) \times 0.08} = 0.0216 \text{ m}$$

b) Find the capacitance to neutral of the line in nF/km. [3 marks]

- 2) The specification of a three phase high voltage transmission line is provided below:
  - Rated voltage: 260 kV
  - Phase line resistance:  $0.06 \Omega/\text{km}$
  - Phase line reactance:  $0.5 \Omega/\text{km}$
  - Phase to neutral admittance: j4x10<sup>-6</sup> S/km

For the following line segments:

- Determine the ABCD parameters
- Sketch the equivalent line circuit and label the line parameters, voltages and currents (No numerical values needed for the labels)
- a) Line segment is 150 km. [8 marks]

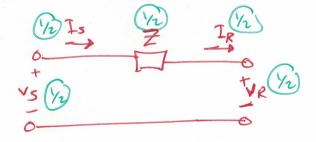
$$0 A = D = 1 + \frac{1}{2} = 6.978 + 10.0027$$
$$= 0.978 + 10.0027$$

$$C = Y(1 + \frac{\sqrt{2}}{4}) = -8.1 \times 10^{-7} + 15.93 \times 10^{-4}$$

$$= 5.93 / 90.08$$

b) Line segment is 50 km [6 marks]





3) A 60 km three phase transmission line is rated at 260 kV (Line to line). The <u>sending</u> bus is delivering 100 MW and 40 MVAr at the rated voltage. Calculate line-to-line voltage and current at the receiving bus. [5 marks]

**<u>Hint</u>**: The ABCD parameters for this line are  $\begin{bmatrix} 1 & 3.6 + j30 \\ 0 & 1 \end{bmatrix}$ 

$$\int_{\overline{I}} \int_{\overline{I}} \int_{\overline{I}}$$

$$T_{R} = \frac{\sqrt{(100\times10^{6})^{2} + \frac{8}{3}(40\times10^{6})^{2}}}{\sqrt{3} \times 260\times10^{3}} [-21.8]$$

$$= 239.16 \ 1 - 21.8 = A$$

Alternative method for IR:

$$= \frac{(100\times10^6 - J40\times10^6)}{\sqrt{3} \times 260 \times10^3}$$

In the online version of this quiz, the current values were provided. For a short line, Is = Ir

@ From ABCD matrix -> Z=B=3.6+J30=30.22/83.15

$$= \frac{260 \times 10^{3} 10}{7\sqrt{3}} - (239.161-21.8)(30.22183.15)$$

-> V<sub>RLL</sub> = 
$$\sqrt{3}$$
 V<sub>RLN</sub> (1130) = 254.22 [27.52 K